# MEASURES OF CENTRAL TENDENCY

**DESCRIPTIVE STATISTICS** 

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## **TOPIC OUTLINE**

Mean

Median

Mode



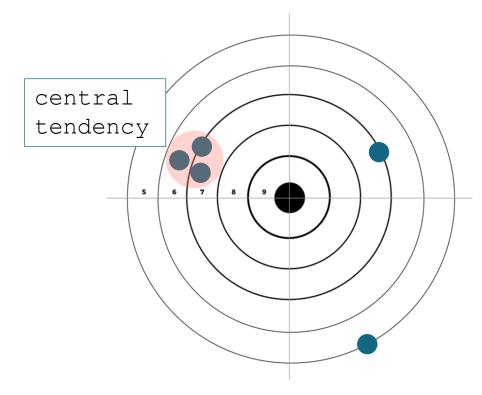
# MEASURES OF CENTRAL TENDENCY



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Measures of central tendency are used to describe the center or typical value of a dataset.

#### <u>Dartboard Analogy:</u>





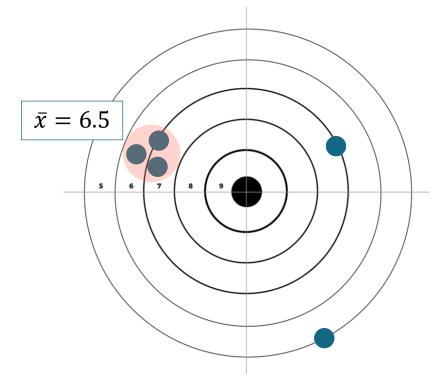
#### **ACCURACY VS PRECISION**

**Accuracy** refers to how close your measurements are to the **actual target** (in this case, 10).

**Precision** refers to how **consistent** your measurements are.

If you keep hitting 6.5 repeatedly, you have high precision but low accuracy because your results are consistent but not close to the true value (e.g., 10).

#### **Dartboard Analogy:**



# **MEAN**



#### **MEAN**

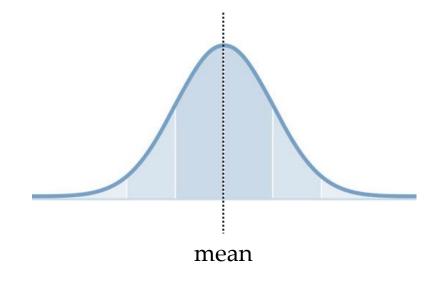
Mean  $(\bar{x})$  is the arithmetic <u>center</u> of all data points (*a.k.a* "simple average").

#### Formula:

$$\overline{x} = \frac{\sum_{i=1}^{N} x_i}{n}$$

where  $x_i$  represents individual data points and n is the number of observations.

#### Normal Distribution:





#### **MEAN**

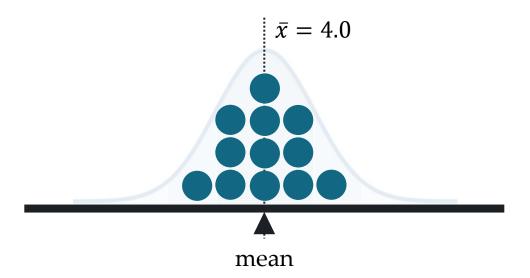
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#### Formula:

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where  $x_i$  represents individual data points and n is the number of observations.

#### Center of gravity analogy:



#### Dataset:

2, 3, 3, 3, 4, 4, 4, 4, 5, 5, 5, 6



### **EXERCISE**

The given dataset shows the prices of different fruits per kilogram in pesos. Determine the **mean** price per kilogram.

Solution:

Fruit Price List

Fruit	Price
Apples	120
Bananas	60
Oranges	85
Mangoes	150
Grapes	200



# MEDIAN



#### **MEDIAN**

Median is the midpoint of the ordered dataset (i.e., ascending or descending).

#### Median is at position:

$$\frac{n+1}{2}$$

where n is the number of observations.

If the number of observations is even, the median is the average of the two middle numbers.

#### **Example Dataset:**

#### Dataset 1

Data	Ordered
5	1
2	2
1	3
4	4
3	5

Median = 3

#### Dataset 2

Data	Ordered
5	1
2	2
1	3
4	4
3	5
6	6

Median = 3.5



#### **EXERCISE**

The given dataset consists of voltage measurements from two different instruments. Determine the <a href="median"><u>median</u></a> voltage value for each instrument.

Voltage Response

Measurement No.		· · · · · · · · · · · · · · · · · · ·
1	12	2.8
2	5	4.5
3	9.1	6
4	3.3	9
5	24	11.7
6	18.5	14.8
7	15.2	17.3
8		20

#### Solution:



# MODE



#### MODE

Mode is the value that appears most frequently in a data set. A data set may have one mode, more than one mode, or no mode at all.

#### Frequency Distribution Table:

Data	Frequency

#### **Example Dataset:**

Dataset A: 1, 1, 2, 3, 4, 4, 4, 5

Dataset B: 1, 2, 3, 4, 5



### **EXERCISE**

The given dataset records the number of points scored by a basketball player over 10 games.

Determine the **mode** of the dataset.

Player Performance

Game No.	Points Scored
1	12
2	18
3	15
4	12
5	20
6	15
7	12
8	22
9	18
10	15

#### Solution:

Data	Frequency



# **LABORATORY**



#### **LABORATORY**

The given dataset consists of test results from two machines, the Jaguar and Panther models, which produce  $10~\Omega$  resistors with  $\pm 5\%$  tolerance. Determine which machine performs better based on its <u>measures of central tendency</u> for resistance values.

#### Resistance Test

Test No.	Jaguar	Panther
1	10.6	10.1
2	9.1	11
3	9.3	9.1
4	9.8	20
5	10.5	9.2
6	10.4	10.8
7	9.5	9.9
8	11	9.2
9	10.4	9.1
10	3	9.1
11	9.8	

