

# INFERENTIAL STATISTICS

INTRODUCTION

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## TOPIC OUTLINE

**Inferential Statistics** 

Distribution

**Normal Distribution** 

Histogram

**Normality Test** 

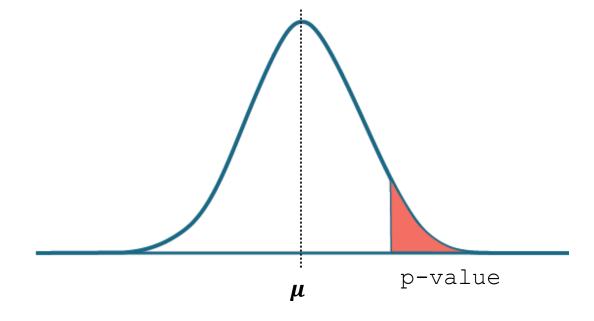




### INFERENTIAL STATISTICS

Inferential statistics is a branch of statistics that analyzes and interprets data to make conclusions beyond the observed dataset. It focuses on drawing meaningful inferences about a population based on a sample using techniques such as <a href="https://www.hypothesis.com/hy

### Normal Distribution:





<u>Distribution</u> or the probability distribution describes the <u>probabilities</u> or <u>frequencies</u> of different outcomes in an experiment or observed data.

### Rolling one die:

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Outcome	Probability
1	1/6 or 0.17
2	1/6 or 0.17
3	1/6 or 0.17
4	1/6 or 0.17
5	1/6 or 0.17
6	1/6 or 0.17
7 (all else)	0

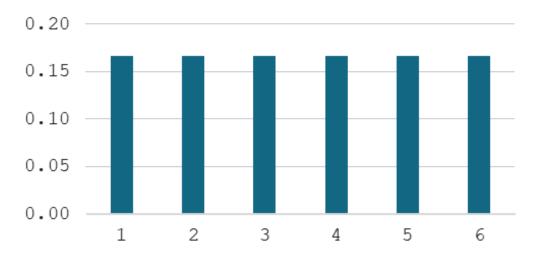
Sum of probabilities = 1 or 100%



## UNIFORM DISTRIBUTION

### Discrete data:

#### One die distribution



### Rolling one die:

Outcome	Probability
1	1/6 or 0.17
2	1/6 or 0.17
3	1/6 or 0.17
4	1/6 or 0.17
5	1/6 or 0.17
6	1/6 or 0.17
7 (all else)	0

Sum of probabilities = 1 or 100%





## 36 possible outcomes:

(1,1)	(2,1)	(3,1)	(4,1)	(5,1)	(6,1)
(1,2)	(2,2)	(3,2)	(4,2)	(5,2)	(6,2)
(1,3)	(2,3)	(3,3)	(4,3)	(5,3)	(6,3)
(1,4)	(2,4)	(3,4)	(4, 4)	(5, 4)	(6,4)
(1,5)	(2,5)	(3,5)	(4,5)	(5,5)	(6,5)
(1,6)	(2,6)	(3,6)	(4,6)	(5,6)	(6,6)

## Rolling two dice:

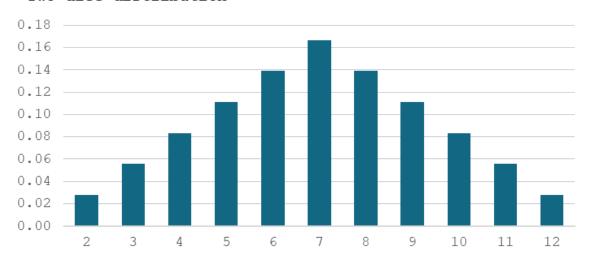
Sum	Probability
2	0.03
3	0.06
4	0.08
5	0.11
6	0.14
7	0.17
8	0.14
9	0.11
10	0.08
11	0.06
12	0.03
All else	0





### Discrete data:

#### Two dice distribution



### Rolling two dice:

Sum	Probability
2	0.03
3	0.06
4	0.08
5	0.11
6	0.14
7	0.17
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9	0.11
10	0.08
11	0.06
12	0.03
All else	0







A <u>normal distribution</u> is a probability distribution where the values of a random variable are distributed symmetrically. Also known as <u>Gaussian</u> distribution or bell curve because of its shape.



Johann Carl Friedrich Gauss

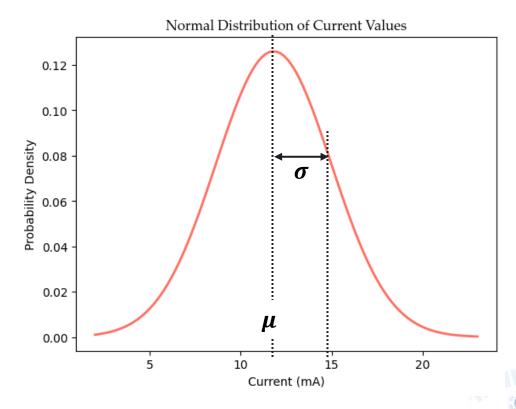


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### Denoted by:

$$N\sim (\mu,\sigma^2)$$

### **Bell Curve:**

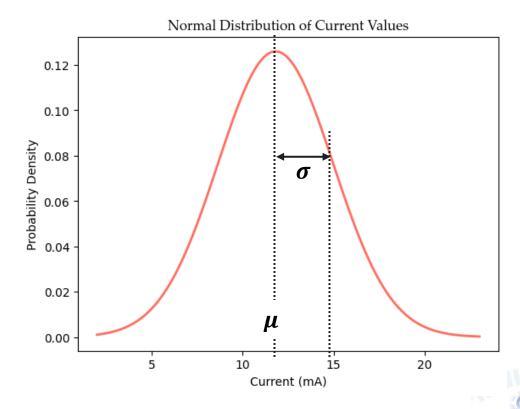


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### Formula:

$$f(x) = \frac{1}{\sigma\sqrt{2\pi}}e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$

### **Bell Curve:**

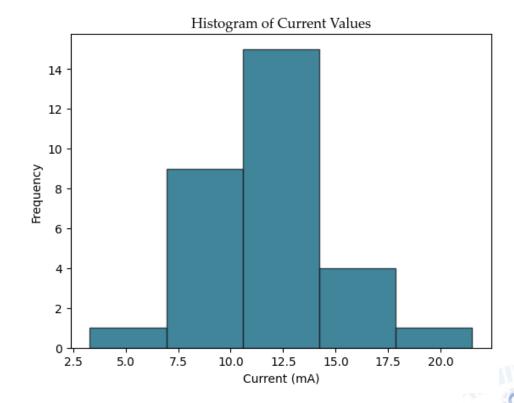


mean = median = mode

### **HISTOGRAM**

Histograms are used to visualize the shape, spread, and central tendency of data, making them a useful tool for assessing whether a dataset follows a normal distribution or deviates from it.

### Histogram:



### **NORMALITY TEST**

Test	Recommendation
Shapiro-Wilk	Small sample sizes (< 50)
Anderson-Darling	Moderate sample sizes (50 – 5000)
Kolmogorov-Smirnov	Large sample sizes (> 5000)

<u>Interpreting the p-value in a Normality Test</u>

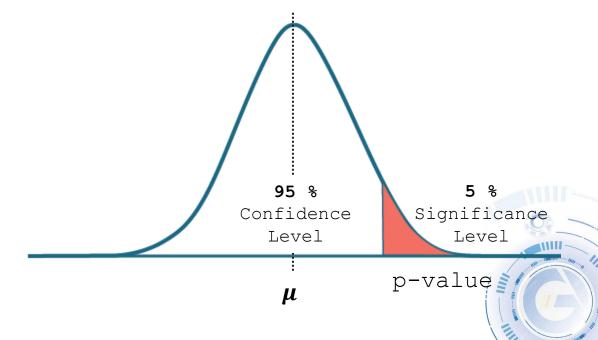
### High p-value (p > 0.05):

The data may be normally distributed.

### Low p-value ( $p \le 0.05$ ):

The data is likely <u>not</u> normally distributed.





### **EXERCISE**

The dataset consists of 30 samples of current measurements (in mA). Generate a **normal distribution plot** and assess the normality of the data using the **Shapiro-Wilk** test in a Jupyter Notebook.

Dataset:

L14-current-data.csv

### Current Response

Sample	Current
1	12.0
2	15.0
3	8.3
4	9.7
5	12.0
6	13.9
7	14.1
8	9.2
9	12.4
10	13.7
11	10.6
12	21.5
13	12.0



## **LABORATORY**

