Week & Lecture Notes

ML:Clustering

Unsupervised Learning: Introduction

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Choosing the Number of Clusters The elibes method: plot the cost;) and the number of dusters K. The cost function should reduce as we increase the number of dusters, and then factor out. Choose Kair the point where the cost function scans to flatter out. However, fairly often, the curve is **very gradual**, so there's no clear elbow. Bonus: Discussion of the drawbacks of K-Means ML:Dimensionality Reduction Wilcoland Bad Company (Section 1) and the Section 1) and the Wilcoland Bad Company (Section 1) and the Section 1) and the Wilcoland Bad Company (Section 1) and the Section Note: In dimensionally reduction, we are reducing our features rather than our number of examples. Our variable in still stay the same slice is, the number of features seek-example from a ⁽¹⁾ to a⁽ⁿ⁾ corries, will be reduced. Example: hundreds of features related to a country's expromit, system may all be combined into one feature that you call "Economic Activity." Principal Component Analysis Problem Formulation The same can be destribled from factors, where we roughthem to a place.

The good of PCAs to reduce the sourage of all the distinction of every feature to the projection line. This is the projection error.

Broken from 2d to 1st first a direction (is vector w⁽¹⁾) © 2° period with its project the data so as to relinferate the projection error. If we are converting from 3d to 2d, we will project our data onto two directions (a plane), so k will be 2. PCA is not linear regression In PCA, we are taking a number of features x_1,x_2,\dots,x_n , and finding a closest our result and we aren't applying any theta weights to the features. Principal Component Analysis Algorithm $\mu_j = \frac{1}{m} \sum_{i=1}^{m} x_j^{(i)}$ Above, we first subtract the mean of each feature from the original feature. Then we scale all the features $z_j^{(i)} = \frac{z_j^{(i)} - \mu_j}{z_j}$ $\Sigma = \frac{1}{-} \sum_{i=1}^{m} (e^{(i)})(x^{(i)})^{T}$ when we would we are transmissions to also the projections of the of the factor of the θ^{ij} . So, If CA has the to below Egypte out $D^{(i)}_{i},\dots, D^{(i)}_{i}$ and also to find $\phi_{i}, \phi_{i},\dots, \phi_{m}$. The mathematical proof for the following procedure a correlated and beyond the scope of this course. I. Computer revenishore matrix:

 $\Sigma = \frac{1}{m} \sum\nolimits_{i=1}^m (x^{(i)})(x^{(i)})^T$



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