import numpy as np import seaborn as sns import matplotlib.pyplot as plt import pandas as pd import warnings hbrmn = pd.read csv("haberman.csv") # loading data print(hbrmn.shape) # print the shape to understand the row and columns (305, 4)hbrmn.columns=['age', 'year', 'nodes', 'status'] print(hbrmn.columns) # print the all features Index(['age', 'year', 'nodes', 'status'], dtype='object') hbrmn["status"].value\_counts() # count the no data in each class 224 Out[6]: 1 Name: status, dtype: int64 ploting the pairplot, it give graphical representation of each feature with respect to other one sns.set\_style("whitegrid"); sns.pairplot(hbrmn, hue="status", height=4); # plt.title("pairplot of hbrmn") plt.show() warnings.filterwarnings("ignore") 80 70 50 40 68 66 62 60 58 40 30 20 10 obervations - here we get total six graphs but we see go through above diagonal one 1 - age/year, age/nodes, year/nodes and as we see [age/node] is more clear than the other one 2 - in graph [age/year, year/nodes] we see more overlapping of the points here we draw seperate graph for the [age/node] In [8]: sns.set style("whitegrid"); sns.FacetGrid(hbrmn, hue="status", height=6) \ .map(plt.scatter, "nodes", "age") \ .add legend(); plt.title("2-D Scatter plot Age vs nodes") plt.show(); 2-D Scatter plot Age vs nodes 80 70 60 status 50 30 10 20 40 50 30 nodes observation - here we clearly see understand the approx(range) of age and nodes according to the status Histogram In [9]: sns.FacetGrid(hbrmn, hue="status", height=6) \ .map(sns.distplot, "age") \ .add legend(); plt.title("Histogram plot on Age according") plt.show(); warnings.filterwarnings("ignore") Histogram plot on Age according 0.040 0.035 0.030 0.025 0.020 0.015 0.010 0.005 0.000 age observation - very hard to understand, because mostly data overlap.... even the pdf conside sns.FacetGrid(hbrmn, hue="status", height=6) \ .map(sns.distplot, "year") \ .add\_legend(); plt.show(); warnings.filterwarnings("ignore") 0.12 0.10 0.08 status 0.06 0.04 0.02 0.00 55.0 57.5 60.0 62.5 65.0 67.5 70.0 72.5 observation - very hard to understand, because mostly data overlap even pdf overlap sns.FacetGrid(hbrmn, hue="status", height=6) \ .map(sns.distplot, "nodes") \ .add\_legend(); plt.show(); warnings.filterwarnings("ignore") 0.3 status 2 0.2 30 nodes observation - more no. of people who survive have very less no. of the nodes final observation -- nodes >>> age > year PDF, CDF hbrmn 1 = hbrmn.loc[hbrmn["status"] == 1] hbrmn 2 = hbrmn.loc[hbrmn["status"] == 2] counts, bin edges = np.histogram(hbrmn 1['nodes'], bins=10, density = True) pdf = counts/(sum(counts)) print(pdf); print(bin edges) cdf = np.cumsum(pdf) plt.plot(bin\_edges[1:],pdf,label = 'pdf') plt.plot(bin\_edges[1:], cdf,label = "cdf") plt.legend() counts, bin edges = np.histogram(hbrmn 2['nodes'], bins=10, density = True) pdf = counts/(sum(counts)) print(pdf); print(bin edges) cdf = np.cumsum(pdf) plt.title("PDF, CDF on nodes") plt.plot(bin edges[1:],pdf,label = 'pdf 2') plt.plot(bin\_edges[1:], cdf,label = "cdf\_2") plt.legend() warnings.filterwarnings("ignore")  $[0.83482143 \ 0.08035714 \ 0.02232143 \ 0.02678571 \ 0.01785714 \ 0.00446429$ 0. 0.00892857 0. 0.00446429] [ 0. 4.6 9.2 13.8 18.4 23. 27.6 32.2 36.8 41.4 46. ] [0.56790123 0.14814815 0.13580247 0.04938272 0.07407407 0. 0.01234568 0. 0. 0.01234568] [ 0. 5.2 10.4 15.6 20.8 26. 31.2 36.4 41.6 46.8 52. ] PDF, CDF on nodes 1.0 0.8 pdf 0.6 cdf pdf\_2 cdf\_2 0.0 50 observations: as we see both pdf and cdf line in the graph, A.T.CDF - 81-82% survival chance have nodes less than equal to 4 or 5 observations: as we see both pdf and cdf line in the graph, A.T.CDF\_2 - 58-59% non-survival chance have nodes less than equal to 4 or 5 #Mean, Variance, Std-deviation, print("means:") print(np.mean(hbrmn 1['nodes'])) print(np.mean(hbrmn 2['nodes'])) print("\nSTD-dev:"); print(np.std(hbrmn\_1['nodes'])) print(np.std(hbrmn 2['nodes'])) means: 2.799107142857143 7.45679012345679 STD-dev: 5.869092706952767 9.128776076761632 In [14]: #Median, Quantiles, Percentiles, IQR. print("\nMedians:") print(np.median(hbrmn 1['nodes'])) print(np.median(hbrmn\_2['nodes'])) print("\nQuantiles:") print(np.percentile(hbrmn\_1['nodes'],np.arange(0, 100, 25))) print(np.percentile(hbrmn\_2['nodes'],np.arange(0, 100, 25))) print("\n90th Percentiles:") print(np.percentile(hbrmn\_1['nodes'],90)) print(np.percentile(hbrmn\_2['nodes'],90)) from statsmodels import robust print ("\nMedian Absolute Deviation") print(robust.mad(hbrmn 1['nodes'])) print(robust.mad(hbrmn\_2['nodes'])) Medians: 0.0 4.0 Quantiles: [0. 0. 0. 3.] [ 0. 1. 4. 11.] 90th Percentiles: 8.0 20.0 Median Absolute Deviation 5.930408874022408 **Box plot** sns.boxplot(x='status',y='nodes', data=hbrmn) plt.show() 40 30 nodes 20 10 0 2 observations: here we see the interquartile range of the nodes, in servival - not more than 4 sns.boxplot(x='status',y='age', data=hbrmn) plt.show() 80 70 50 40 30 2 status observation: interquartile range of servival in age factor have 44-60 sns.boxplot(x='status',y='year', data=hbrmn) plt.show() 68 66 62 60 58 2 status observation: here we see that interqartile range of servival is 60 - 66 In [18]: sns.violinplot(x="status", y="nodes", data=hbrmn, size=8) plt.show() 60 50 40 20 10 0 observation: node density is high on 0 at servival In [19]: sns.violinplot(x="status", y="year", data=hbrmn, size=8) plt.show() 72.5 70.0 67.5 65.0 62.5 60.0 55.0 status observation: year density is high on 60 at survival and on non survival at 64 sns.violinplot(x="status", y="age", data=hbrmn, size=8) plt.show() 90 80 70 50 40 30 20 2 status observation: age density of survival at 54 and non survival at 50 sns.jointplot(x="year", y="nodes", data=hbrmn\_1, kind="kde"); plt.show(); 50 40 30 nodes 10 55.0 72.5 observation:- 1- maximum survival have nodes between 0 - 4 with low varience sns.jointplot(x="year", y="nodes", data=hbrmn\_2, kind="kde"); plt.show(); 50 40 20 10 0 -10 55.0 57.5 60.0 62.5 65.0 70.0 72.5 observation: here in the non-survival the nodes have higher value what high varience **OBSERVATION** 1 - Age/Node show the clear observation than rest of all (Here we can clearly visualize the data) 2- age/node graph (in age 40-60 death are more on having node lessthan 5) 3- maximum survival have nodes between 0 - 4 4- 81-82% survival chance have nodes less than equal to 4 or 5 5 - 58-59% non-survival chance have nodes less than equal to 4 or 5 6- age density of survival at 54 and non survival at 50 [age ----- dignose age] 7- interquartile range of servival in age factor have 44-60( more survival if detected node b/w 44-60) 8- year density is high on 60 at survival and on non survival at 64 (year[final --- recovered or death] ) 9- range of servival is 60 - 66 (more survival if node oprate b/w 60-66)