Machine Learning_Assignment2

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1练习&第二次作业

This question should be answered using the <code>Weekly</code> data set, which is part of the <code>ISLR2</code> package. It contains 1, 089 weekly returns for 21 years, from the beginning of 1990 to the end of 2010.

1. Produce some numerical and graphical summaries of the Weekly data. Do there appear to be any patterns?

```
library (ISLR2)
library (tidyverse)
```

```
data(Weekly)
attach(Weekly)
str(Weekly)
```

```
## 'data.frame':
               1089 obs. of 9 variables:
## $ Lag1
           : num 0.816 -0.27 -2.576 3.514 0.712 ...
## $ Lag2
            : num 1.572 0.816 -0.27 -2.576 3.514 ...
## $ Lag3
           : num -3.936 1.572 0.816 -0.27 -2.576 ...
## $ Lag4
            : num -0.229 -3.936 1.572 0.816 -0.27 ...
## $ Lag5
          : num -3.484 -0.229 -3.936 1.572 0.816 ...
## $ Volume
            : num 0.155 0.149 0.16 0.162 0.154 ...
## $ Today : num -0.27 -2.576 3.514 0.712 1.178 ...
## $ Direction: Factor w/ 2 levels "Down", "Up": 1 1 2 2 2 1 2 2 2 1 ...
```

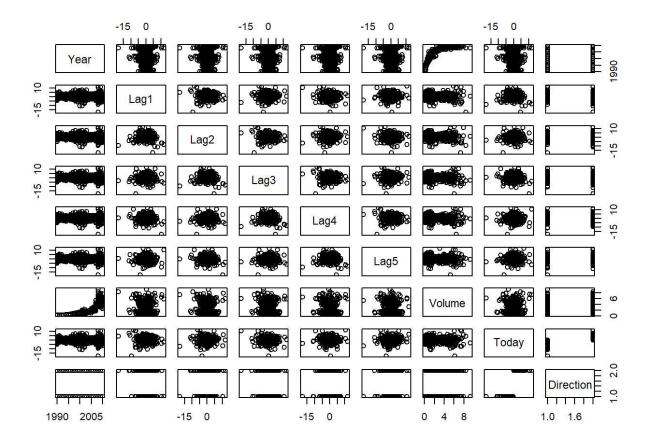
```
summary(Weekly)
```

```
##
       Year
                     Lag1
                                       Lag2
                                                        Lag3
   Min. :1990
                 Min. :-18.1950
                                                   Min. :-18.1950
##
                                  Min. :-18.1950
   1st Qu.:1995
                 1st Qu.: -1.1540
                                  1st Qu.: -1.1540
                                                    1st Qu.: -1.1580
##
##
   Median :2000
                 Median : 0.2410
                                  Median : 0.2410
                                                    Median : 0.2410
   Mean :2000
                                  Mean : 0.1511
                 Mean : 0.1506
                                                    Mean : 0.1472
##
                 3rd Qu.: 1.4050
                                  3rd Qu.: 1.4090
##
   3rd Qu.:2005
                                                    3rd Qu.: 1.4090
##
   Max. :2010
                 Max. : 12.0260
                                  Max. : 12.0260
                                                    Max. : 12.0260
                                         Volume
##
       Lag4
                         Lag5
                                                          Today
##
   Min. :-18.1950
                   Min. :-18.1950 Min. :0.08747
                                                      Min. :-18.1950
##
   1st Qu.: −1.1580
                    1st Qu.: −1.1660
                                     1st Qu.: 0.33202 1st Qu.: -1.1540
   Median: 0.2380
                   Median : 0.2340
                                     Median: 1.00268 Median: 0.2410
##
                    Mean : 0.1399
                                                      Mean : 0.1499
   Mean : 0.1458
##
                                      Mean :1.57462
   3rd Qu.: 1.4090
                    3rd Qu.: 1.4050
                                      3rd Qu.: 2.05373 3rd Qu.: 1.4050
##
##
   Max. : 12.0260
                    Max. : 12.0260
                                     Max. :9.32821
                                                      Max. : 12.0260
##
   Direction
##
   Down: 484
##
   Up :605
##
##
##
##
```

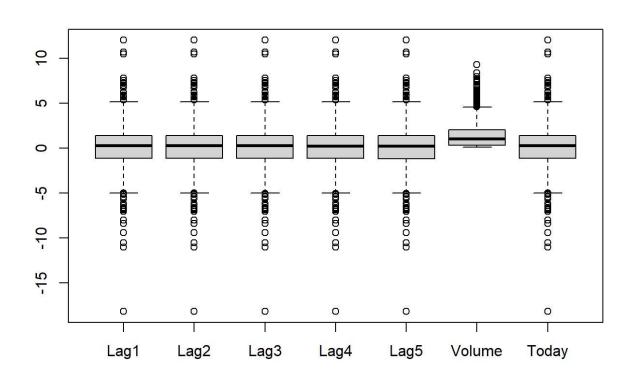
cor(Weekly[,-9])

```
##
                                Lag1
                                             Lag2
                                                          Lag3
## Year
           1.\ 000000000\ -0.\ 032289274\ -0.\ 03339001\ -0.\ 03000649\ -0.\ 031127923
          -0.03228927 1.000000000 -0.07485305 0.05863568 -0.071273876
## Lag1
          -0.\ 03339001\ -0.\ 074853051\quad 1.\ 00000000\ -0.\ 07572091\quad 0.\ 058381535
## Lag2
## Lag3
          -0.\ 03000649 \quad 0.\ 058635682 \ -0.\ 07572091 \quad 1.\ 00000000 \ -0.\ 075395865
## Lag4
          -0.\ 03112792\ -0.\ 071273876\quad 0.\ 05838153\ -0.\ 07539587\quad 1.\ 0000000000
          -0.03051910 -0.008183096 -0.07249948 0.06065717 -0.075675027
## Lag5
## Volume 0.84194162 -0.064951313 -0.08551314 -0.06928771 -0.061074617
          -0.03245989 -0.075031842 0.05916672 -0.07124364 -0.007825873
## Today
##
                              Volume
                   Lag5
                                             Today
          -0.030519101 0.84194162 -0.032459894
## Year
## Lag1
          -0.008183096 -0.06495131 -0.075031842
## Lag2
          -0.072499482 -0.08551314 0.059166717
## Lag3
           0.060657175 - 0.06928771 - 0.071243639
## Lag4
          -0.075675027 -0.06107462 -0.007825873
## Lag5
           1.\ 0000000000\ -0.\ 05851741\ 0.\ 011012698
## Volume -0.058517414 1.00000000 -0.033077783
## Today
           0.011012698 -0.03307778 1.000000000
```

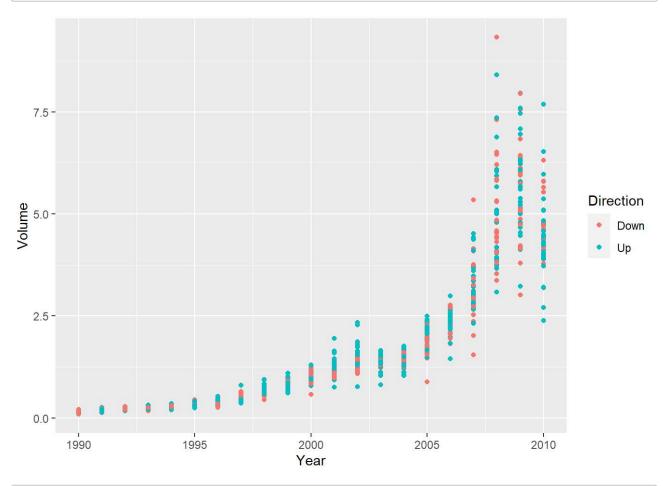
```
pairs(Weekly)
```



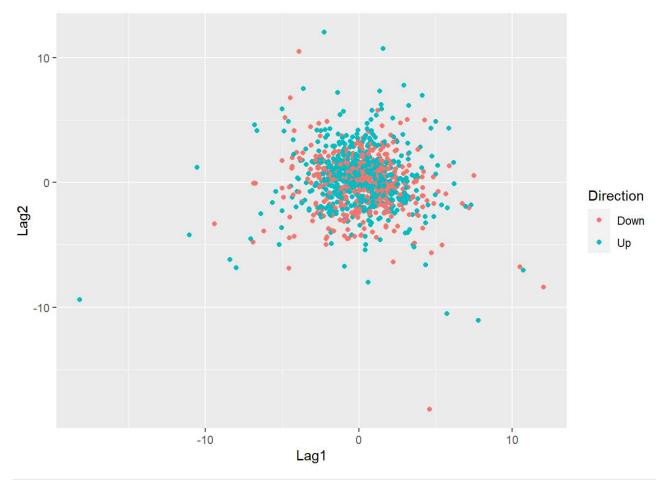
boxplot(Weekly[,2:8])



```
ggplot(Weekly) +
  geom_point(mapping = aes(x=Year, y=Volume, color=Direction))
```

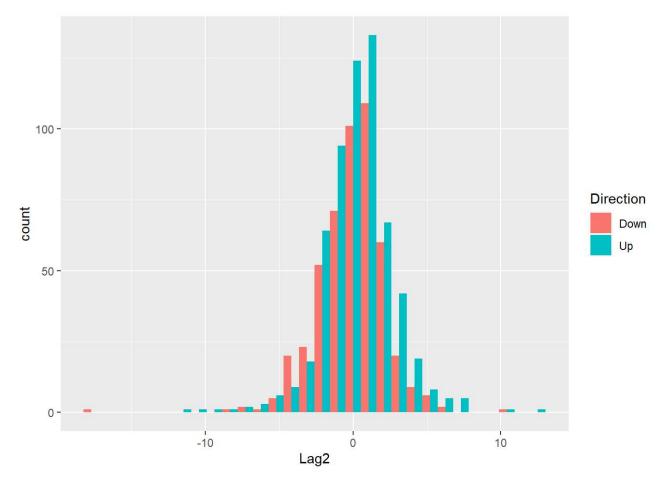


```
ggplot(Weekly) +
  geom_point(mapping = aes(x=Lag1, y=Lag2, color=Direction))
```



```
ggplot(Weekly) +
  geom_histogram(aes(x=Lag2, fill=Direction), position = "dodge")
```

`stat_bin()` using `bins = 30`. Pick better value with `binwidth`.



2. Use the full data set to perform a logistic regression with <code>Direction</code> as the response and the five lag variables plus <code>Volume</code> as predictors. Use the summary function to print the results. Do any of the predictors appear to be statistically significant? If so, which ones?

```
glm.fit <- glm(
Direction ~ Lag1+Lag2+Lag3+Lag4+Lag5+Volume,
data = Weekly, family = binomial)
summary(glm.fit)
```

```
##
## Call:
\#\# glm(formula = Direction ^{\sim} Lag1 + Lag2 + Lag3 + Lag4 + Lag5 +
      Volume, family = binomial, data = Weekly)
##
## Deviance Residuals:
      Min
              1 Q
                    Median
                               3Q
                                        Max
## -1.6949 -1.2565
                   0. 9913 1. 0849
                                     1.4579
##
## Coefficients:
             Estimate Std. Error z value Pr(>|z|)
##
## (Intercept) 0.26686 0.08593
                                 3.106
                                          0.0019 **
## Lag1
         -0.04127 0.02641 -1.563 0.1181
             0.05844 0.02686 2.175 0.0296 *
## Lag2
## Lag3
             -0.01606 0.02666 -0.602 0.5469
            -0.02779 0.02646 -1.050 0.2937
## Lag4
## Lag5
            -0.01447 0.02638 -0.549 0.5833
             -0.02274 0.03690 -0.616 0.5377
## Volume
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## (Dispersion parameter for binomial family taken to be 1)
##
##
      Null deviance: 1496.2 on 1088 degrees of freedom
## Residual deviance: 1486.4 on 1082 degrees of freedom
## AIC: 1500.4
##
## Number of Fisher Scoring iterations: 4
```

Lag2显著

3. Compute the confusion matrix and overall fraction of correct predictions. Explain what the confusion matrix is telling you about the types of mistakes made by logistic regression.

```
glm.probs <- predict(glm.fit, type='response')
pred <- rep('Down', 1089)
pred[glm.probs>.5] = 'Up'
table(pred, Direction)
```

```
## Direction
## pred Down Up
## Down 54 48
## Up 430 557
```

```
mean(pred == Direction)
```

```
## [1] 0.5610652
```

左上角的54表示真实值和预测值都为Down的有54个;右下角557表示真实值和预测值都为Up的有557个;右上角表示真实为Up,预测为Down的有48个,即假阴错误;左下角表示真实为Down,预测为Up的有430个,即假阳错误。

4. Now fit the logistic regression model using a training data period from 1990 to 2008, with Lag2 as the only predictor. Compute the confusion matrix and the overall fraction of correct predictions for the held out data (that is, the data from 2009 and 2010).

```
train <- Weekly[Weekly['Year'] < 2009,]
test <- Weekly[Weekly['Year'] >= 2009,]
dim(train)
```

```
## [1] 985 9
```

```
dim(test)
```

```
## [1] 104     9
```

```
##
## Call:
\#\# glm(formula = Direction \sim Lag2, family = binomial, data = train)
## Deviance Residuals:
   Min 1Q Median
                         3Q
                                 Max
## -1.536 -1.264 1.021 1.091 1.368
##
## Coefficients:
     Estimate Std. Error z value Pr(>|z|)
## (Intercept) 0.20326 0.06428 3.162 0.00157 **
         ## Lag2
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## (Dispersion parameter for binomial family taken to be 1)
##
     Null deviance: 1354.7 on 984 degrees of freedom
##
## Residual deviance: 1350.5 on 983 degrees of freedom
## AIC: 1354.5
## Number of Fisher Scoring iterations: 4
```

```
glm.prob <- predict(glm.fit, test, type = 'response')
glm.pred <- rep('Down', 104)
glm.pred[glm.prob>0.5] <- 'Up'
table (glm.pred, test$Direction)</pre>
```

```
##
## glm.pred Down Up
##
      Down 9 5
              34 56
##
       Up
mean(glm.pred == test$Direction)
## [1] 0.625
  5. Repeat 4. using LDA.
library (MASS)
## 载入程辑包: 'MASS'
## The following object is masked from 'package:dplyr':
##
##
       select
## The following object is masked from 'package: ISLR2':
##
##
       Boston
lda.fit <- lda(Direction~Lag2,
              data=train)
lda.fit
## Call:
## 1da(Direction \sim Lag2, data = train)
##
## Prior probabilities of groups:
       Down
## 0.4477157 0.5522843
##
## Group means:
              Lag2
## Down -0.03568254
## Up 0.26036581
##
## Coefficients of linear discriminants:
              LD1
## Lag2 0.4414162
lda.pred <- predict(lda.fit, test, type = 'response')</pre>
table(lda.pred$class, test$Direction)
```

```
## Down Up
## Down 9 5
## Up 34 56
```

```
mean(lda.pred$class == test$Direction)
```

```
## [1] 0.625
```

6. Repeat 4. using QDA.

```
qda.fit = qda(Direction ~ Lag2, data = train)
qda.fit
```

```
## Call:
## qda(Direction ~ Lag2, data = train)
##
## Prior probabilities of groups:
## Down Up
## 0.4477157 0.5522843
##
## Group means:
## Lag2
## Down -0.03568254
## Up 0.26036581
```

```
qda.pred <- predict(qda.fit, test, type = 'response')
table(qda.pred$class, test$Direction)</pre>
```

```
## Down Up
## Down 0 0
## Up 43 61
```

```
mean(qda.pred$class == test$Direction)
```

```
## [1] 0.5865385
```

7. Repeat 4. using KNN with K = 1. You can also experiment with values for K in the KNN classifier. (Hint: Use knn() in the class package.)

```
library(class)
train.matrix = as.matrix(train['Lag2'])
test.matrix = as.matrix(test['Lag2'])
set.seed(2020111142)
knn.pred = knn(train.matrix, test.matrix, train$Direction, k = 1)
table(knn.pred, test$Direction)
```

```
##
## knn.pred Down Up
##
      Down 21 29
      Uр
             22 32
mean(knn.pred == test$Direction)
## [1] 0.5096154
 8. Repeat 4. using naive Bayes.
library (e1071)
nb.fit <- naiveBayes(Direction ~ Lag2, data = train)
nb.fit
##
## Naive Bayes Classifier for Discrete Predictors
##
## Call:
## naiveBayes.default(x = X, y = Y, laplace = laplace)
## A-priori probabilities:
## Y
##
     Down Up
## 0.4477157 0.5522843
## Conditional probabilities:
##
   Lag2
                [,1] [,2]
## Y
  Down -0.03568254 2.199504
  Up 0. 26036581 2. 317485
##
nb.class <- predict(nb.fit, test)</pre>
table(nb.class, test$Direction)
##
## nb.class Down Up
##
     Down 0 0
             43 61
      Up
mean(nb.class == test$Direction)
```

9. Which of these methods appears to provide the best results on this data?

根据混淆矩阵和准确率来看,Logistic回归和LDA方法准确率最高。

[1] 0.5865385

- 11月11日周五晚24点截止上交,上交pdf文件(一定要pdf,否则无法批改,可以Knit直接生成或html转存)至邮箱: lyfsufe@163.com (mailto:lyfsufe@163.com)
- 务必创建一个新的Rmd文件,不要使用我们的教学文档直接上交作业