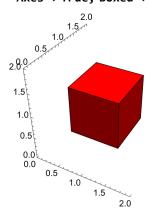
```
(* Bonus problems *)
```

(* Problem (12) The unit Cube at point $\{x,y,z\}$ is depicted by $Cube[\{x,y,x\}]$ For example,*)

Graphics3D[{Red, Cube [{1, 1, 1}]}, ImageSize \rightarrow Small, Axes \rightarrow True, Boxed \rightarrow False, PlotRange \rightarrow {{0, 2}, {0, 2}}]



(* Using the results from previous problems animate a unit cube
moving along a trajectory defined by interpolating the following
data9={{0,0,0}, {1,1,1},{0,0,3},{1,1,2},{1,1,3},{2,1,1},{2,2,2}}.
Use methods introduced in problems 5 6 and 7 *)

 $\begin{aligned} & \text{data12} = \{ \{0, 0, 0\}, \{1, 1, 1\}, \{0, 0, 3\}, \{1, 1, 2\}, \{1, 1, 3\}, \{2, 1, 1\}, \{2, 2, 2\} \} \\ & \{ \{0, 0, 0\}, \{1, 1, 1\}, \{0, 0, 3\}, \{1, 1, 2\}, \{1, 1, 3\}, \{2, 1, 1\}, \{2, 2, 2\} \} \end{aligned}$

 $\{0, 1, 0, 1, 1, 2, 2\}$

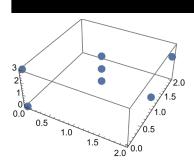
{**0**, **1**, **0**, **1**, **1**, **1**, **2**}

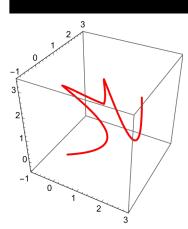
 $\{0, 1, 3, 2, 3, 1, 2\}$

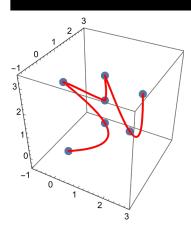
InterpolatingFunction Domain: {{1, 7}}
Output: scalar





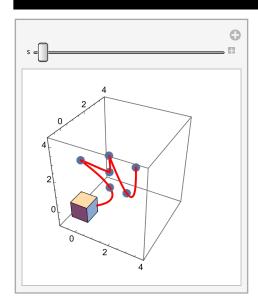






plot12[s_] :=

plotshow12[s_] := $Show[\{plotg12, plot112, plot12[s]\}, PlotRange \rightarrow \{\{-1, 4\}, \{-1, 4\}, \{-1, 4.5\}\}]$



(* Problem (13). Circle[{x,y},Rc] is a 2D primitive representing a circle with radius Rc and centered at $\{x,y\} *$

(* Animate a circle with the radius 1 originally positioned at $\{0,0\}$, rotating around another circle with the radius 3 centered at Pc1= {1,2}. Use the techniques introduced in Problem 11 *)

Rc2 := 1

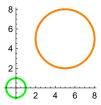
Rc1 := 3

 $Pc1 := \{5, 5\}$

 $Circle131 = Graphics[\{Orange, Thick, Circle[Pc1, Rc1]\}, ImageSize \rightarrow Tiny];$

Circle132 = Graphics[{Green, Thick, Circle[$\{0, 0\}$, Rc2]}, ImageSize \rightarrow Tiny];

Show[{Circle131, Circle132}, Axes → True]



(* Rotate the small circle around the big one i.e. around Pc1 *)

Manipulate[plot13[a]

