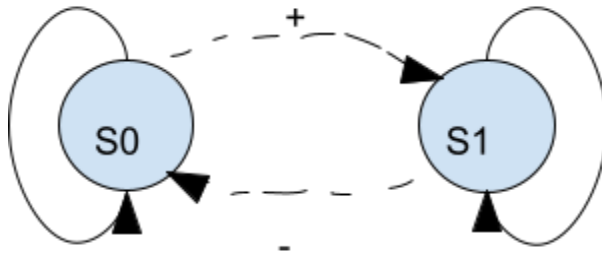


Assignment 4

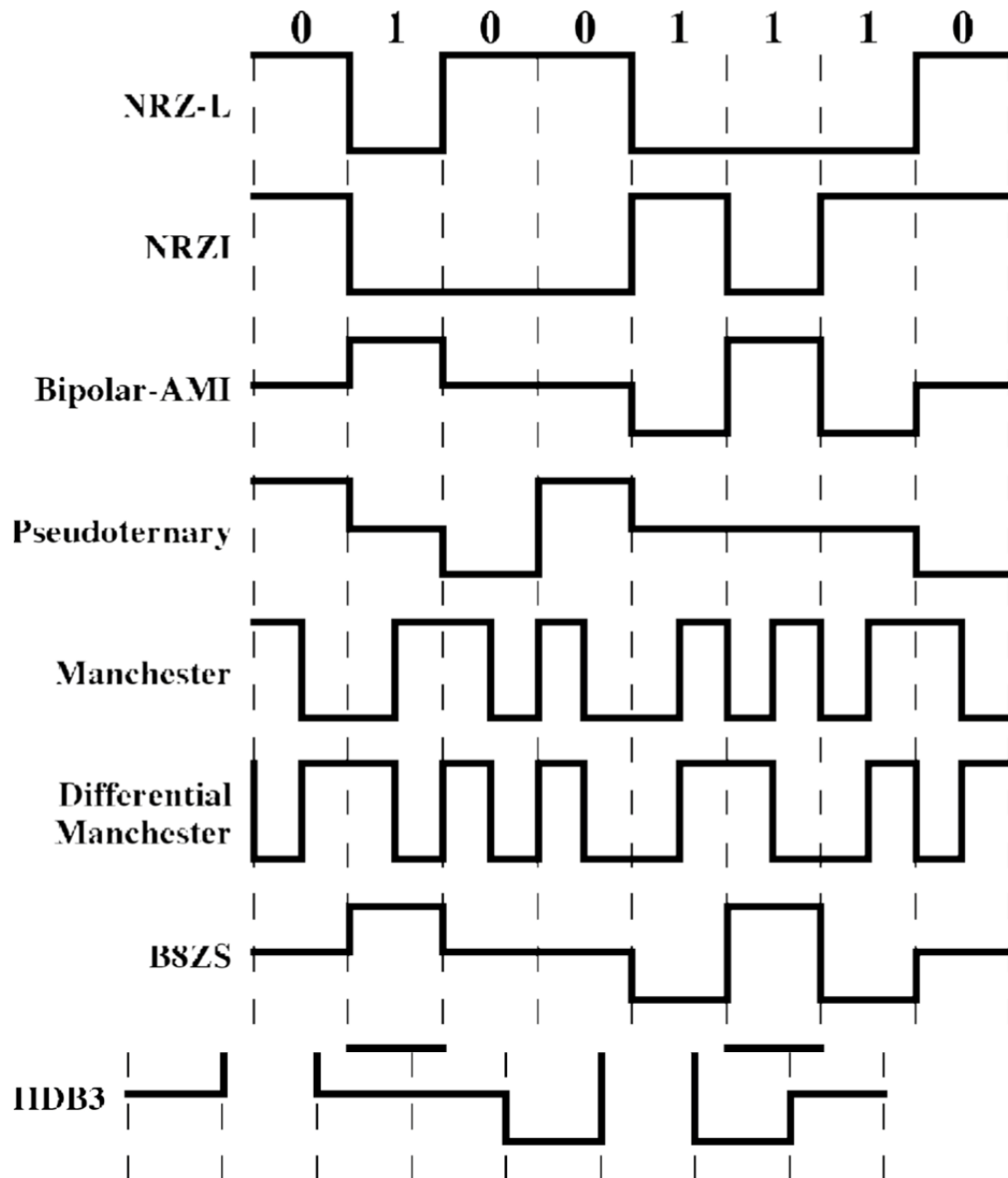
1, 4, 6, 8, 15, 19, 20, 22, and 23

5.1 NRZI, Differential Manchester

5.4



5.6



5.8

1 1 1 1 1 0 1 1 1 1 1

a. NRZ-L



b. Bipolar-AMI



c. Pseudoternary



5.15 For ASK, $BT = (1 + r)R = (1.5)2400 = 3600 \text{ Hz}$

For FSK, $BT = 2 D F + (1 + r)R = 2(2.5 \times 10^3) + (1.5)2400 = 8600 \text{ Hz}$

5.19 No. The demodulator portion of a modem expects to receive a very specific type of waveform (e.g., ASK) and would not produce meaningful output with voice input. So it would not function as the coder portion of a codec. If the decoder portion of a codec is used in place of the modulator portion of a modem, it must accept an arbitrary bit pattern, interpret groups of bits as a sample, and produce an analog output.

5.20 From the text, $(\text{SNR})_{\text{db}} = 6.02 n + 1.76$, where n is the number of bits used for quantization. In this case, $(\text{SNR})_{\text{db}} = 60.2 + 1.76 = 61.96 \text{ dB}$.

5.22

The maximum slope that can be generated by a DM system is $\delta/T_s = \delta f_s$

where T_s = period of sampling; f_s = frequency of sampling

Consider that the maximum frequency component of the signal is

$$w(t) = A \sin 2\pi f_a t$$

The slope of this component is $dw(t)/dt = A 2\pi f_a \cos 2\pi f_a t$

and the maximum slope is $A 2\pi f_a$. To avoid slope overload, we require that

$$\delta f_s > A 2\pi f_a \text{ or } \delta > 2\pi f_a A / f_s$$

5.23

- a) A total of 28 quantization levels are possible, so the normalized step size is $2^{-8} = 0.003906$.
- b) The actual step size, in volts, is: $0.003906 \times 10V = 0.03906V$
- c) The maximum normalized quantized voltage is $1 - 2^{-8} = 0.9961$. Thus the actual maximum quantized voltage is: $0.9961 \times 10V = 9.961V$
- d) The normalized step size is 2^{-8} . The maximum error that can occur is one-half the step size. Therefore, the normalized resolution is: $+ 1/2 \times 2^{-8} = 0.001953$
- e) The actual resolution is $+ 0.001953 \times 10V = + 0.01953V$
- f) The percentage resolution is $+ 0.001953 \times 100\% = + 0.1953 \%$