Stock Price Prediction and Trading Strategy using LSTM, ARIMA, and Reinforcement Learning

In this notebook, we explore various techniques for predicting stock prices and optimizing trading strategies. We focus on three main approaches:

- LSTM (Long Short-Term Memory) Networks: A type of recurrent neural network (RNN)
 that is particularly effective for time-series forecasting due to its ability to learn longterm dependencies in sequential data.
- 2. **ARIMA (AutoRegressive Integrated Moving Average)**: A popular statistical method used for time series forecasting, particularly when data shows patterns like trend and seasonality.
- 3. **Reinforcement Learning (RL)**: An approach where an agent learns to make trading decisions (buy, hold, sell) by interacting with a simulated environment, with the goal of maximizing cumulative rewards (profits).

We use historical NIFTY50 stock data from 2010 to 2019 for training and evaluation, along with a separate 6-week dataset for testing the models' performance on unseen data.

```
import pandas as pd
import numpy as np
from sklearn.preprocessing import MinMaxScaler
from pmdarima import auto_arima
from statsmodels.tsa.stattools import adfuller
from tensorflow.keras.models import Sequential
from tensorflow.keras.layers import LSTM, Dense, Dropout
from tensorflow.keras.callbacks import EarlyStopping, ModelCheckpoint
from stable_baselines3 import A2C
from stable_baselines3.common.vec_env import DummyVecEnv
from gym import Env
from gym.spaces import Discrete, Box
import matplotlib.pyplot as plt
```

Data Loading and Preprocessing

The first step in any machine learning or statistical analysis is to load and preprocess the data. Here, we work with two datasets:

- NIFTY50 data from 2010 to 2019: This data will be used to train and test our models.
- **NIFTY50 data for the last 6 weeks**: This will be used for final evaluation, testing the robustness of our models on recent, unseen data.

We begin by loading these datasets and setting the Date column as the index, which allows us to handle the data as a time series. It's crucial to handle any missing values by removing rows with NaN values to ensure the data's integrity.

Next, we normalize the data using MinMaxScaler. Normalization scales the data to a range between 0 and 1, which helps improve the performance and convergence speed of machine learning models, especially neural networks like LSTM.

```
# Load datasets
data_2010_2019 = pd.read_csv('/content/nifty50_2010_2019.csv',
index_col='Date', parse_dates=True)
data_6_weeks = pd.read_csv('/content/nifty50_6_weeks.csv',
index_col='Date', parse_dates=True)

# Check and remove NaN values
data_2010_2019.dropna(inplace=True)
data_6_weeks.dropna(inplace=True)

# Normalize the data
scaler = MinMaxScaler(feature_range=(0, 1))
scaled_data_2010_2019 =
scaler.fit_transform(data_2010_2019[['Close']])
scaled_data_6_weeks = scaler.fit_transform(data_6_weeks[['Close']])
```

Train-Test Split and Dataset Creation

To evaluate our models, we split the data into training and testing sets. We use 80% of the data for training and the remaining 20% for testing. This split allows the models to learn from historical data and then be evaluated on unseen data to assess their predictive performance.

We also need to prepare the data for time series forecasting, which involves creating sequences of past observations to predict future values. This is done using a helper function that generates datasets where each input sample consists of a specified number of previous data points (time step). This approach helps capture temporal dependencies in the data.

```
# Use a longer time_step
time_step = 60
X_train, y_train = create_dataset(train_data, time_step)
X_test, y_test = create_dataset(test_data, time_step)
# Reshape data to [samples, time_steps, features]
X_train = X_train.reshape(X_train.shape[0], X_train.shape[1], 1)
X_test = X_test.reshape(X_test.shape[0], X_test.shape[1], 1)
```

ARIMA Model Implementation

ARIMA (AutoRegressive Integrated Moving Average) is a well-known statistical method used for time series forecasting. It is particularly useful for data that shows evidence of non-stationarity, where the mean, variance, and covariance are not constant over time.

We use the auto_arima function to automatically determine the optimal parameters for our ARIMA model. This function conducts a search over possible model configurations and selects the best model based on criteria like AIC (Akaike Information Criterion). After fitting the model on the training data, we use it to forecast future stock prices on the test dataset. The predicted prices are then inverse transformed to return them to their original scale.

```
# Improve ARIMA model using auto arima
arima model = auto arima(train data, seasonal=False, stepwise=True,
trace=True)
arima fit = arima model.fit(train data)
# Forecasting with ARIMA
arima forecast = arima fit.predict(n periods=len(test data))
arima forecast = scaler.inverse transform(arima forecast.reshape(-1,
1))
Performing stepwise search to minimize aic
ARIMA(2,1,2)(0,0,0)[0] intercept
                                    : AIC=-12326.447, Time=1.15 sec
                                    : AIC=-12320.682, Time=0.21 sec
ARIMA(0,1,0)(0,0,0)[0] intercept
 ARIMA(1,1,0)(0,0,0)[0] intercept
                                    : AIC=-12329.124, Time=0.25 sec
ARIMA(0,1,1)(0,0,0)[0] intercept
                                    : AIC=-12329.849, Time=0.74 sec
ARIMA(0,1,0)(0,0,0)[0]
                                    : AIC=-12319.843, Time=0.12 sec
                                    : AIC=-12329.918, Time=0.54 sec
ARIMA(1,1,1)(0,0,0)[0] intercept
 ARIMA(2,1,1)(0,0,0)[0] intercept
                                    : AIC=-12327.546, Time=1.36 sec
                                    : AIC=-12327.590, Time=0.72 sec
ARIMA(1,1,2)(0,0,0)[0] intercept
                                    : AIC=-12329.629, Time=2.25 sec
ARIMA(0,1,2)(0,0,0)[0] intercept
                                    : AIC=-12329.391, Time=1.83 sec
ARIMA(2,1,0)(0,0,0)[0] intercept
                                    : AIC=-12329.351, Time=0.24 sec
ARIMA(1,1,1)(0,0,0)[0]
Best model: ARIMA(1,1,1)(0,0,0)[0] intercept
Total fit time: 9.441 seconds
```

LSTM Model Implementation

LSTM (Long Short-Term Memory) networks are a type of Recurrent Neural Network (RNN) designed to capture long-term dependencies in sequential data. They are particularly effective for time series prediction tasks, such as stock price forecasting, where past values influence future outcomes.

Our LSTM model is built with the following architecture:

- Two LSTM layers: These layers are responsible for capturing the sequential patterns in the data. The first LSTM layer returns sequences to feed into the next LSTM layer.
- **Dropout layers**: Dropout is a regularization technique that helps prevent overfitting by randomly setting a fraction of input units to 0 during training.
- **Dense layers**: These fully connected layers output the final prediction.

The model is trained using the adam optimizer and the mean_squared_error loss function. To enhance the training process, we use EarlyStopping to halt training if the validation loss stops improving, and ModelCheckpoint to save the best-performing model.

Once the model is trained, we use it to predict stock prices on the test set and inverse transform the predictions to compare them with the actual prices.

```
# Build and train the LSTM model
lstm model = Sequential()
lstm model.add(LSTM(100, return sequences=True))
lstm model.add(Dropout(0.3))
lstm model.add(LSTM(100, return sequences=False))
lstm model.add(Dropout(0.3))
lstm model.add(Dense(50))
lstm model.add(Dense(1))
lstm model.compile(optimizer='adam', loss='mean squared error')
# Early stopping and model checkpointing
early_stop = EarlyStopping(monitor='val_loss', patience=10,
restore best weights=True)
checkpoint = ModelCheckpoint('best lstm model.keras',
monitor='val loss', save best only=True, mode='min')
lstm_model.fit(X_train, y_train, validation_data=(X_test, y_test),
batch_size=32, epochs=100, callbacks=[early_stop, checkpoint])
Epoch 1/100
57/57 -
                     4s 21ms/step - loss: 0.0140 - val loss:
0.0048
Epoch 2/100
57/57 —
                       --- 1s 10ms/step - loss: 0.0016 - val loss:
0.0022
Epoch 3/100
                         - 1s 10ms/step - loss: 0.0013 - val loss:
57/57 —
```

```
0.0018
Epoch 4/100
57/57 —
                          - 1s 9ms/step - loss: 0.0010 - val_loss:
0.0020
Epoch 5/100
57/57 -
                           1s 10ms/step - loss: 0.0010 - val loss:
0.0012
Epoch 6/100
57/57 -
                           - 1s 10ms/step - loss: 8.5493e-04 - val loss:
9.8687e-04
Epoch 7/100
57/57 —
                           - 1s 10ms/step - loss: 7.0213e-04 - val_loss:
5.5813e-04
Epoch 8/100
57/57 —
                           - 1s 9ms/step - loss: 7.0633e-04 - val_loss:
5.7257e-04
Epoch 9/100
                           - 1s 10ms/step - loss: 5.6603e-04 - val_loss:
57/57 <del>--</del>
4.8240e-04
Epoch 10/100
57/57 -
                           - 1s 9ms/step - loss: 6.0443e-04 - val loss:
0.0030
Epoch 11/100
57/57 -
                          - 1s 9ms/step - loss: 6.5345e-04 - val loss:
0.0019
Epoch 12/100
57/57 -
                          - 1s 9ms/step - loss: 6.2032e-04 - val loss:
0.0016
Epoch 13/100
57/57 -
                           - 1s 9ms/step - loss: 5.2508e-04 - val loss:
7.3677e-04
Epoch 14/100
57/57 ----
                          - 1s 9ms/step - loss: 6.5021e-04 - val loss:
7.1423e-04
Epoch 15/100
57/57 ---
                          - 1s 10ms/step - loss: 5.2545e-04 - val loss:
4.0238e-04
Epoch 16/100
57/57 -
                           - 1s 9ms/step - loss: 6.0256e-04 - val loss:
0.0021
Epoch 17/100
57/57 -
                           - 1s 9ms/step - loss: 5.5284e-04 - val_loss:
6.2986e-04
Epoch 18/100
                          - 1s 12ms/step - loss: 5.5336e-04 - val_loss:
57/57 -
0.0013
Epoch 19/100
57/57 •
                          - 1s 13ms/step - loss: 5.2465e-04 - val_loss:
0.0012
```

```
Epoch 20/100
                          - 1s 14ms/step - loss: 5.6791e-04 - val loss:
57/57 -
4.2292e-04
Epoch 21/100
57/57 -
                         — 1s 16ms/step - loss: 4.8675e-04 - val loss:
0.0031
Epoch 22/100
57/57 -
                          - 1s 10ms/step - loss: 5.4941e-04 - val loss:
0.0019
Epoch 23/100
57/57 -
                          - 1s 9ms/step - loss: 5.4045e-04 - val loss:
4.4174e-04
Epoch 24/100
57/57 —
                         — 1s 9ms/step - loss: 5.0185e-04 - val loss:
4.7611e-04
Epoch 25/100
                         — 1s 9ms/step - loss: 4.3627e-04 - val loss:
57/57 —
0.0019
<keras.src.callbacks.history.History at 0x7e4f180dffd0>
# Load the best LSTM model
lstm model.load weights('best lstm model.keras')
# Predict with LSTM and inverse transform
lstm predictions = lstm model.predict(X test)
lstm predictions = scaler.inverse transform(lstm predictions)
                         0s 17ms/step
13/13 –
```

Model Evaluation

Model evaluation is a critical step to assess how well our models perform in predicting stock prices. We use the following metrics:

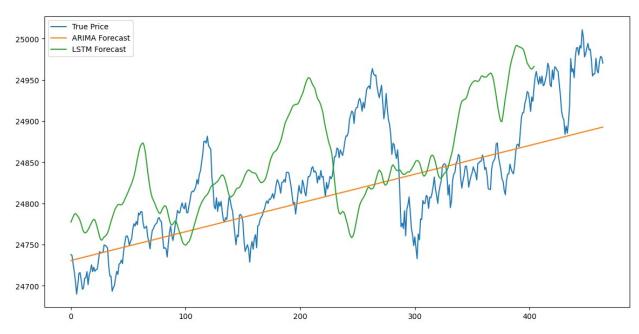
- **Sharpe Ratio**: A measure of risk-adjusted return. It is calculated as the difference between the mean return and the risk-free rate, divided by the standard deviation of returns. A higher Sharpe Ratio indicates better risk-adjusted performance.
- **Max Drawdown**: The maximum observed loss from a peak to a trough before a new peak is achieved. It is an important measure of downside risk.

We calculate these metrics for both the ARIMA and LSTM models and plot the predicted prices alongside the actual prices to visually assess the models' accuracy.

```
# Evaluate models
def sharpe_ratio(returns, risk_free_rate=0.01):
    return (np.mean(returns) - risk_free_rate) / np.std(returns)

def max_drawdown(returns):
    cumulative = np.cumprod(1 + returns)
```

```
peak = np.maximum.accumulate(cumulative)
    drawdown = (cumulative - peak) / peak
    return np.min(drawdown)
arima returns = np.diff(arima forecast.flatten()) / arima forecast[:-
11.flatten()
lstm returns = np.diff(lstm predictions.flatten()) /
lstm predictions[:-1].flatten()
arima sharpe = sharpe ratio(arima returns)
lstm sharpe = sharpe ratio(lstm returns)
print(f'ARIMA Sharpe Ratio: {arima sharpe}')
print(f'LSTM Sharpe Ratio: {lstm sharpe}')
ARIMA Sharpe Ratio: -26652.51079910828
LSTM Sharpe Ratio: -58.49323775555794
# Plot the results
plt.figure(figsize=(14, 7))
plt.plot(scaler.inverse transform(test data), label='True Price')
plt.plot(arima forecast, label='ARIMA Forecast')
plt.plot(lstm predictions, label='LSTM Forecast')
plt.legend()
plt.show()
```



Reinforcement Learning Environment for Stock Trading

Reinforcement Learning (RL) is a powerful technique where an agent learns to make decisions by interacting with an environment. In this case, our agent learns to trade stocks by observing market conditions and taking actions (Buy, Hold, Sell) to maximize its total assets.

We create a custom Gym environment to simulate the stock trading process. The environment includes:

- Action space: The agent can choose between three actions: Buy, Hold, or Sell.
- **Observation space**: The current stock price, normalized between 0 and 1.
- **Rewards**: The reward is calculated based on the change in the agent's total assets, encouraging the agent to make profitable trades.

The goal of the agent is to learn a trading strategy that maximizes its cumulative return while minimizing risk.

```
# Gym environment for trading
class StockTradingEnv(Env):
   def __init__(self, data):
        super(StockTradingEnv, self).__init__()
        self.data = data
        self.action space = Discrete(3) # 0: Buy, 1: Hold, 2: Sell
        self.observation space = Box(low=0, high=1, shape=(1,))
        self.current step = 0
        self.done = False
        self.balance = 10000
        self.shares = 0
        self.total asset = self.balance
   def reset(self):
        self.current step = 0
        self.done = False
        self.balance = 10000
        self.shares = 0
        self.total asset = self.balance
        return [self.data[self.current step]]
   def step(self, action):
        if self.done:
            return [self.data[self.current step - 1]], 0, self.done,
{}
        current_price = self.data[self.current_step]
        if current price <= 0 or np.isnan(current price):
            self.done = True
            return [self.data[self.current step]], 0, self.done, {}
        if action == 0:
            num shares to buy = self.balance // current price
            if num shares to buy > 0:
                self.shares += num shares to buy
                self.balance -= num shares to buy * current price
        elif action == 2:
            self.balance += self.shares * current_price
            self.shares = 0
```

```
self.total_asset = self.balance + self.shares * current_price
self.current_step += 1

if self.current_step >= len(self.data):
    self.done = True

reward = self.total_asset - (self.balance + self.shares * current_price)

return [self.data[self.current_step - 1]], reward, self.done,
{}
```

Training the Reinforcement Learning Agent

We train the RL agent using the A2C (Advantage Actor-Critic) algorithm, a popular method that balances exploration and exploitation by learning both a policy (which actions to take) and a value function (how good each state is).

The agent interacts with the simulated trading environment over a series of episodes, learning from its actions and improving its trading strategy. After training, the agent should be able to make decisions that maximize the total value of its portfolio.

```
# Setup the environment
env = DummyVecEnv([lambda:
StockTradingEnv(scaled data 2010 2019.flatten())])
model = A2C('MlpPolicy', env, verbose=1)
model.learn(total timesteps=2000)
/usr/local/lib/python3.10/dist-packages/stable baselines3/common/
vec env/patch gym.py:49: UserWarning: You provided an OpenAI Gym
environment. We strongly recommend transitioning to Gymnasium
environments. Stable-Baselines3 is automatically wrapping your
environments in a compatibility layer, which could potentially cause
issues.
 warnings.warn(
Using cuda device
 time/
                          247
     fps
     iterations
                          100
     time elapsed
                        1 2
     total_timesteps
                          500
  train/
                          -1.1
     entropy loss
                          -0.216
     explained_variance |
     learning rate
                          0.0007
     n updates
                          99
```

```
policy_loss
value_loss
                        | -3.1e-06
                        | 1.15e-11 |
 time/
     fps
                          317
     iterations
                         200
    time elapsed
                          3
     total timesteps
                        | 1000
 train/
     entropy_loss
                         -1.1
     explained_variance | -1.17
     learning_rate
                          0.0007
     n updates
                        199
     policy_loss
                        | -5.51e-07
     value loss
                        | 3.64e-11
 time/
     fps
                          350
     iterations
                        300
     time elapsed
                         4
     total timesteps
                        | 1500
 train/
     entropy loss
                         -1.1
     explained_variance | -362
     learning_rate
                          0.0007
     n updates
                        299
    policy_loss
                        0.0014
     value loss
                        | 1.82e-06
 time/
     fps
                          369
     iterations
                        1 400
     time elapsed
                         5
     total timesteps
                        2000
 train/
     entropy_loss
                         -1.1
     explained variance | -0.72
    learning_rate
                          0.0007
                         399
     n updates
     policy_loss
value_loss
                        | 7.49e-06
                        | 8.75e-11 |
<stable baselines3.a2c.a2c.A2C at 0x7e4f1f7ca920>
```

Testing the RL Model with New Data

After training the RL agent, we test its performance on a new, unseen dataset (the most recent 6 weeks of NIFTY50 prices). This step is crucial to evaluate the generalization ability of the agent, ensuring that it can adapt its learned strategy to different market conditions.

We also adapt the ARIMA and LSTM models to the new data by adjusting the time step based on the dataset size and re-running the predictions. This allows us to compare the performance of all three models—ARIMA, LSTM, and RL—on the same dataset.

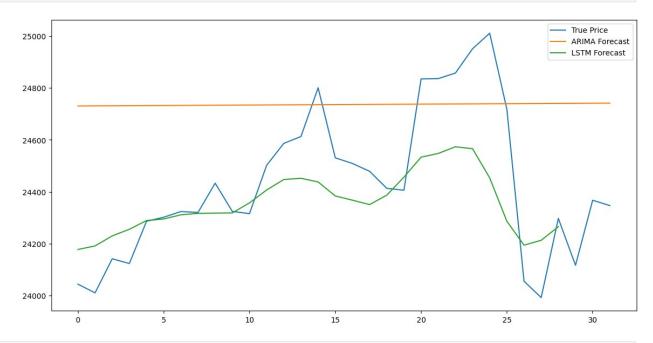
```
# Test the model with new data
obs = env.reset()
for i in range(len(test data)):
    action, states = model.predict(obs)
    obs, rewards, done, info = env.step(action)
    if done:
        break
# Define a smaller time step if the dataset is small
time step = \max(1, len(scaled data tbp) // 10) # Adjust the factor
based on dataset size
# Create the test dataset with the new time step
X test tbp, y test tbp = create dataset(scaled data tbp, time step)
# Debug: Print shapes to see if they are as expected
print("Shape of X test tbp before reshaping:", X test tbp.shape)
if X test tbp.shape[0] > 0:
    X_test_tbp = X_test_tbp.reshape(X_test_tbp.shape[0],
X test tbp.shape[1], 1)
    # \overline{C}ontinue if the shape is correct
    arima forecast = arima fit.predict(n periods=len(scaled data tbp))
    arima forecast = scaler.inverse transform(arima forecast.reshape(-
1, 1))
    lstm predictions = lstm model.predict(X test tbp)
    lstm_predictions = scaler.inverse_transform(lstm predictions)
    # Plot the new results
    plt.figure(figsize=(14, 7))
    plt.plot(scaler.inverse transform(scaled data tbp), label='True
Price')
    plt.plot(arima forecast, label='ARIMA Forecast')
    plt.plot(lstm predictions, label='LSTM Forecast')
    plt.legend()
    plt.show()
    # Evaluate the Sharpe Ratios for the new data
    arima returns = np.diff(arima forecast.flatten()) /
```

```
arima_forecast[:-1].flatten()
    lstm_returns = np.diff(lstm_predictions.flatten()) /
lstm_predictions[:-1].flatten()

    arima_sharpe = sharpe_ratio(arima_returns)
    lstm_sharpe = sharpe_ratio(lstm_returns)

    print(f'ARIMA Sharpe Ratio: {arima_sharpe}')
    print(f'LSTM Sharpe Ratio: {lstm_sharpe}')
else:
    print("X_test_tbp is empty after attempting to reshape.")

Shape of X_test_tbp before reshaping: (29, 3)
1/1 _______ 0s 196ms/step
```



ARIMA Sharpe Ratio: -6985.606253394086 LSTM Sharpe Ratio: -4.569915013489264

Conclusion

This notebook showcases a comprehensive approach to stock price prediction and trading strategy optimization using a combination of LSTM networks, ARIMA models, and Reinforcement Learning. While each method has its own strengths and limitations, combining these approaches can lead to more robust and effective trading strategies. Further improvements could involve fine-tuning the models, incorporating additional features (e.g., technical indicators), and testing on more extensive datasets.