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**EE 254**

# **Electronic Instrumentation**

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***Lecture Note #06***

# Content (Brief)

## 2. Op-Amp Applications

### \* \* Linear Applications

- ❖ Inverting amplifiers
- ❖ Noninverting amplifiers
- ❖ Differential amplifiers
- ❖ Summing amplifiers
- ❖ Integrators
- ❖ Differentiators
- ❖ Low/ High pass filters
- ❖ Instrumentational amplifiers

### \* \* Nonlinear Applications

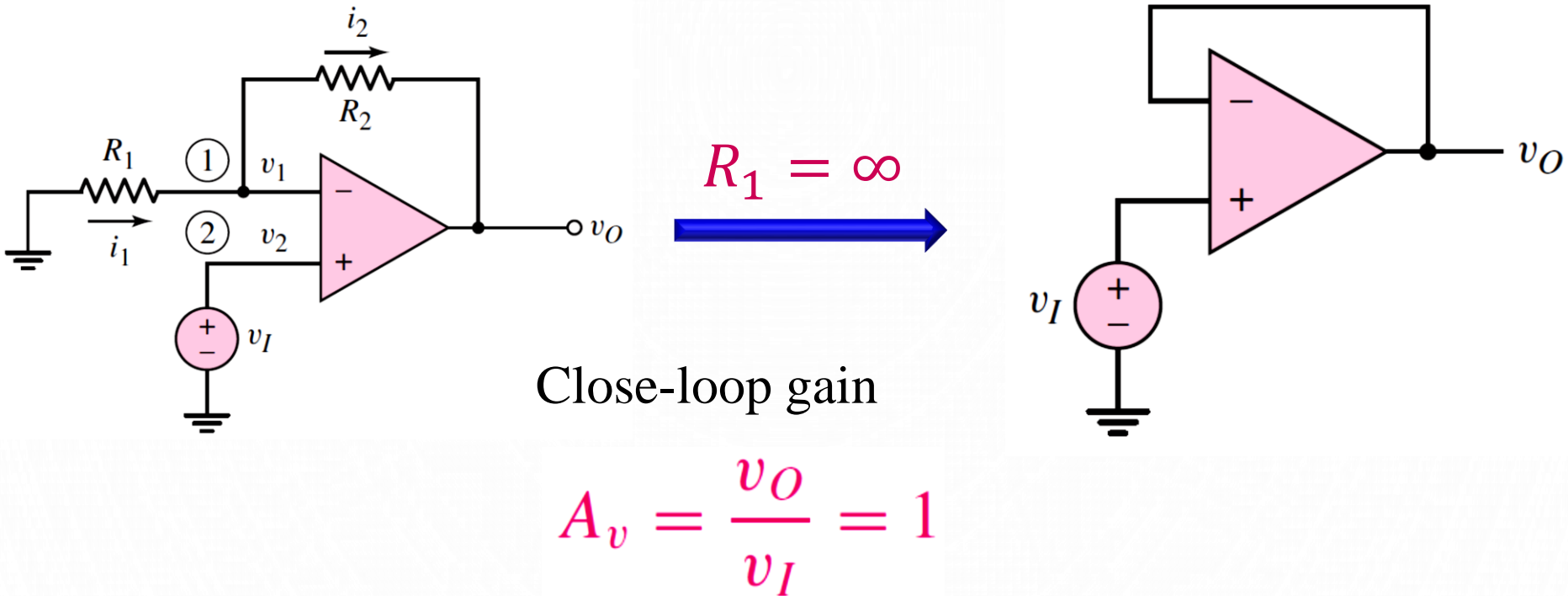
- ❖ Precision rectifiers
- ❖ Peak detectors
- ❖ Schmitt-trigger comparator
- ❖ Logarithmic amplifiers

① Voltage Follower

② I-V Converter

③ V-I Converter

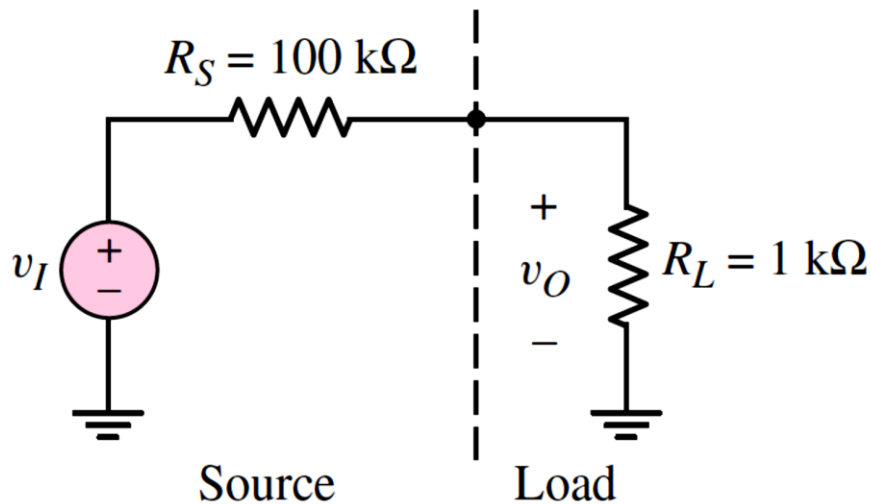
# ① Voltage Follower (*Additional Reading*)



- ❁ The closed-loop gain is independent of resistor  $R_2$  (except when  $R_2 = \infty$ ), so we can set  $R_2 = 0$  to create a short circuit.
- ❁ Other terms used: **impedance transformer or buffer**.
- ❁ The input impedance is essentially  $\infty$  and output impedance is 0

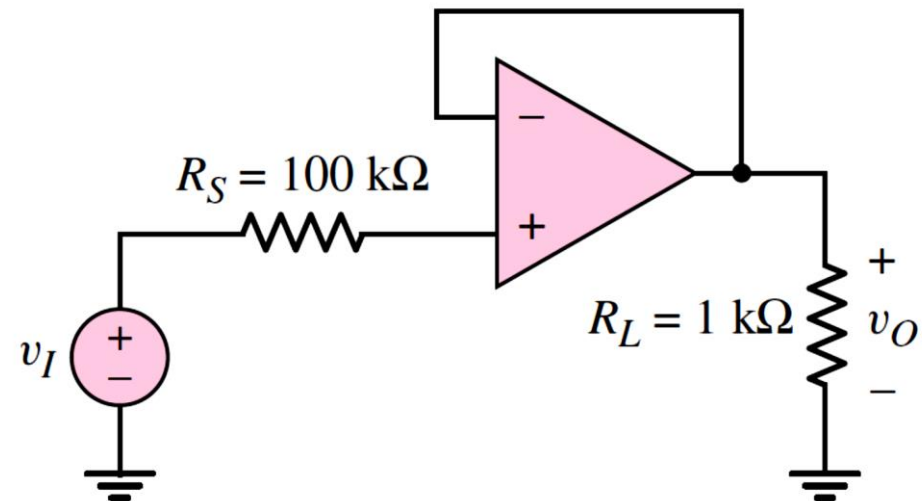
# ① Voltage Follower (*Additional Reading*)

- ✿ If for example, the output impedance of a signal source is large, a voltage follower inserted between the source and a load (act as a buffer).
- ✿ Hence can prevent **loading effect/ Attenuation**.



$$\frac{v_O}{v_I} = \frac{R_L}{R_L + R_S} = \frac{1}{1 + 100} \cong 0.01$$

**Attenuation**

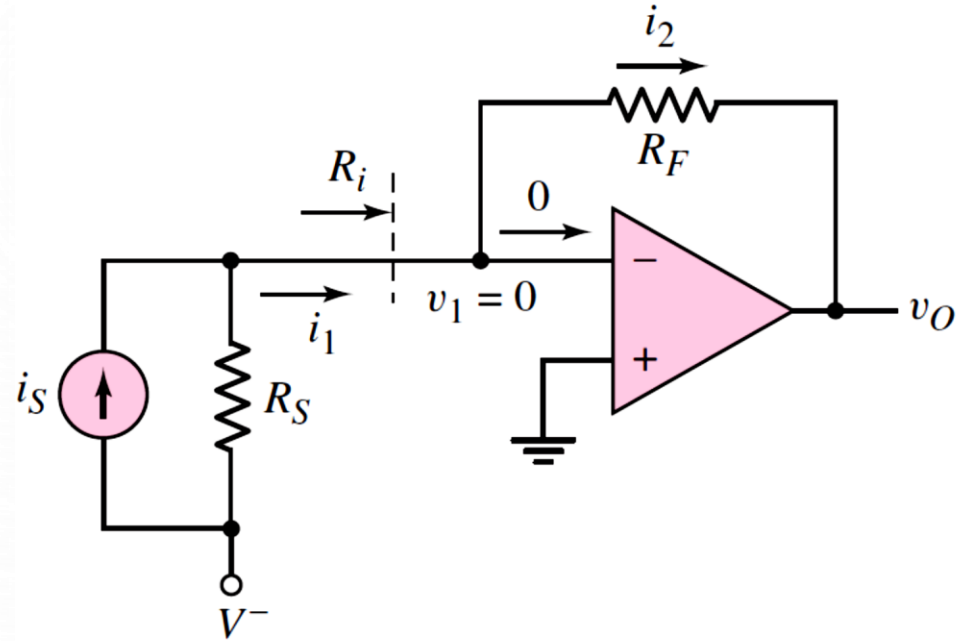


**Loading effect is eliminated**

## ② Current-to-Voltage Converter (*Additional Reading*)

The input resistance  $R_i$  at the virtual ground node is

$$R_i = \frac{v_1}{i_1} \cong 0$$



We can assume that  $R_S \gg R_i$ ; therefore

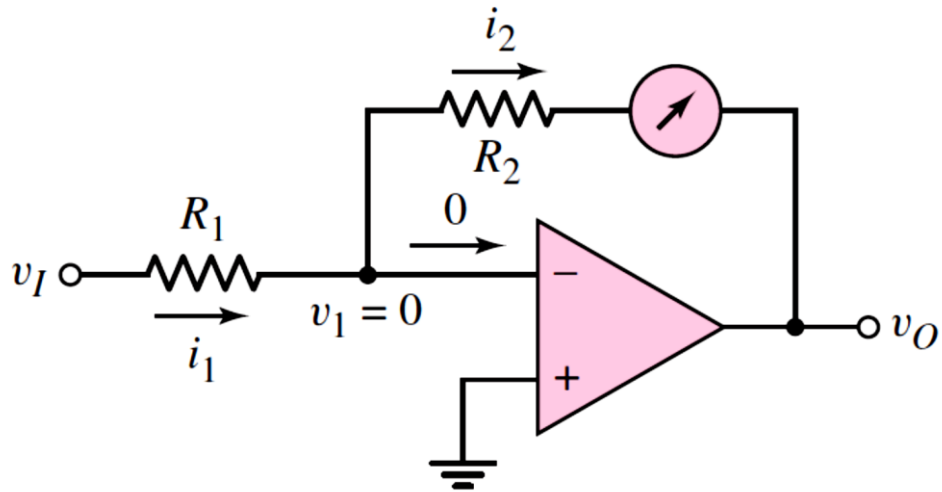
$$i_2 = i_1 = i_S$$

And

$$v_O = -i_2 R_F = -i_S R_F$$



### ③ Voltage-to-Current Converter (*Additional Reading*)

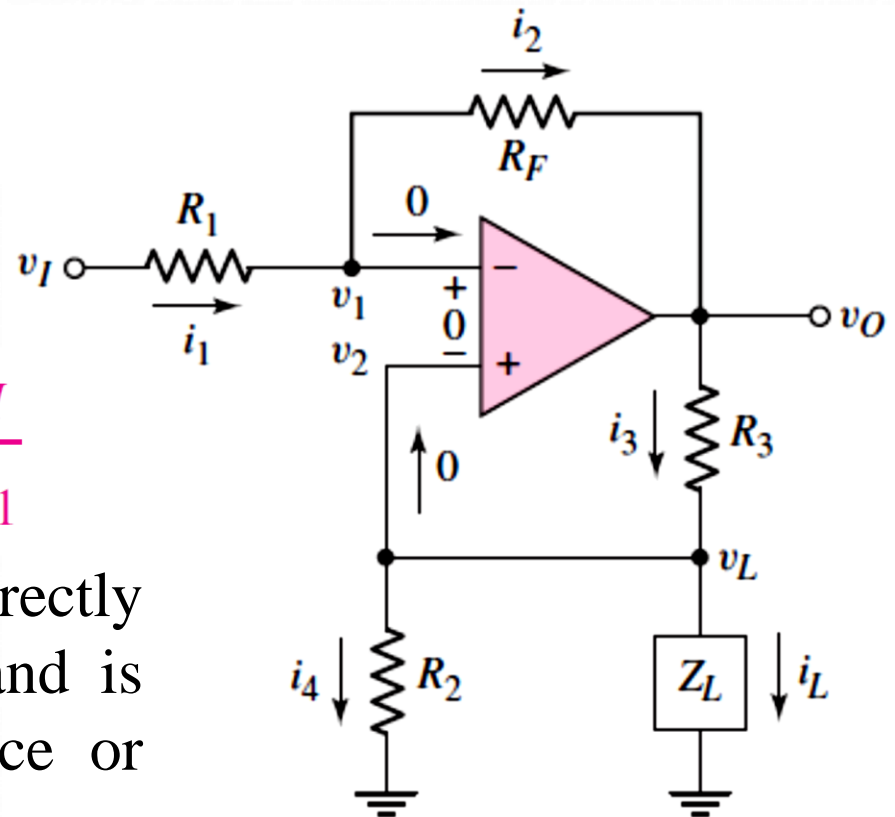


**Simple voltage-to-current converter**

For this circuit;  $i_2 = i_1 = \frac{v_I}{R_1}$

Which means that current  $i_2$  is directly proportional to input voltage  $v_I$  and is independent of the load impedance or resistance  $R_2$ .

**More Practical  
Voltage-to-current converter**



### ③ Voltage-to-Current Converter (*Additional Reading*)

From the virtual short-circuit concept

$$v_1 = v_2$$

Also note that,

$$v_1 = v_2 = v_L = i_L Z_L$$

Equating the currents  $i_1$  and  $i_2$ ,

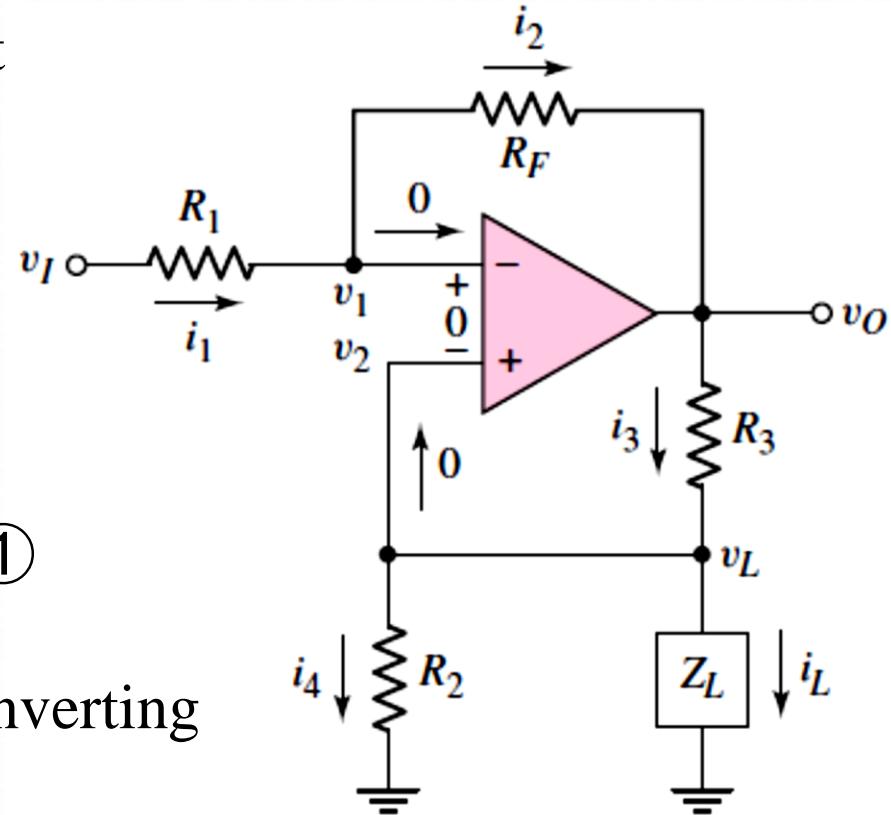
$$\frac{v_I - i_L Z_L}{R_1} = \frac{i_L Z_L - v_O}{R_F} \rightarrow \textcircled{1}$$

Summing the currents at the noninverting terminal

$$\frac{v_O - i_L Z_L}{R_3} = i_L + \frac{i_L Z_L}{R_2} \rightarrow \textcircled{2}$$

And then,

$$\frac{R_F}{R_1} \cdot \frac{(i_L Z_L - v_I)}{R_3} = i_L + \frac{i_L Z_L}{R_2}$$





### ③ Voltage-to-Current Converter (*Additional Reading*)

$$\frac{R_F}{R_1} \cdot \frac{(i_L Z_L - v_I)}{R_3} = i_L + \frac{i_L Z_L}{R_2}$$

Combining terms in  $i_L$ ,

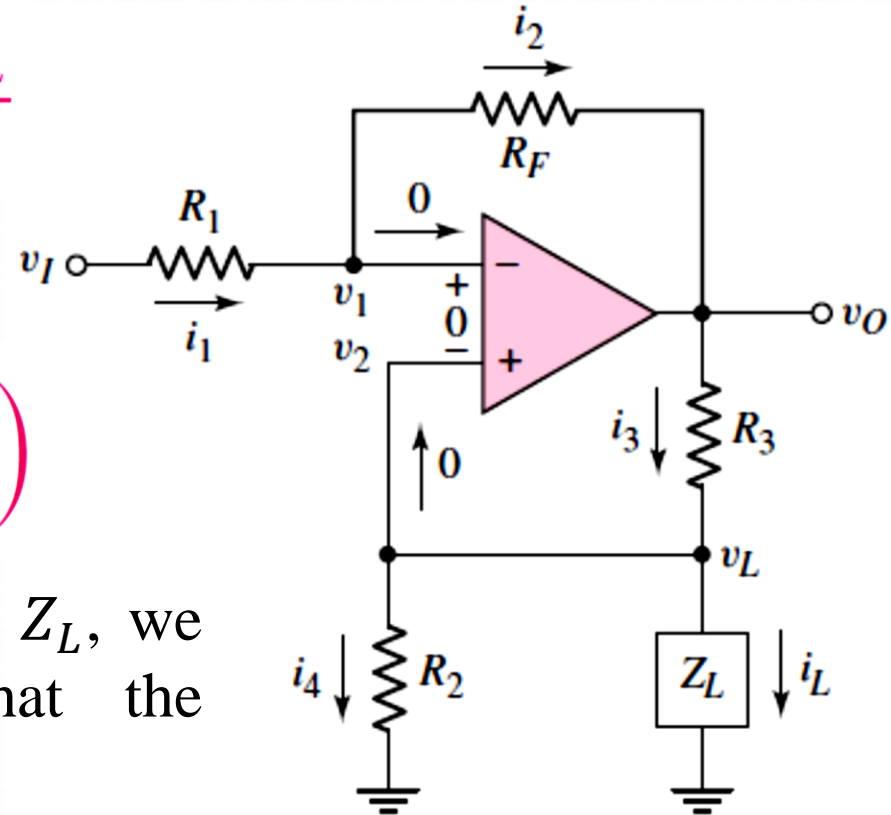
$$i_L \left( \frac{R_F Z_L}{R_1 R_3} - 1 - \frac{Z_L}{R_2} \right) = v_I \left( \frac{R_F}{R_1 R_3} \right)$$

In order to make  $i_L$  independent of  $Z_L$ , we can design the circuit such that the coefficient of  $Z_L$  is zero;

$$\frac{R_F}{R_1 R_3} = \frac{1}{R_2}$$

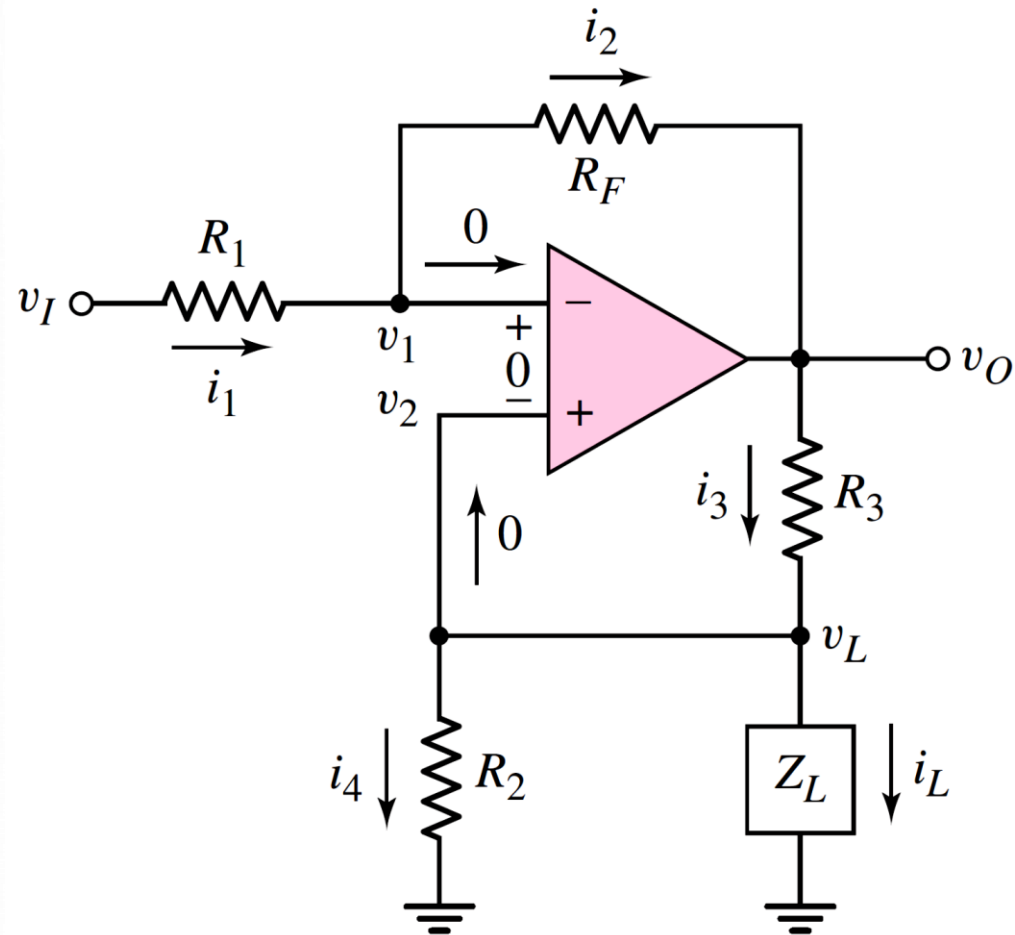
And then;

$$i_L = -v_I \left( \frac{R_F}{R_1 R_3} \right) = \frac{-v_I}{R_2}$$



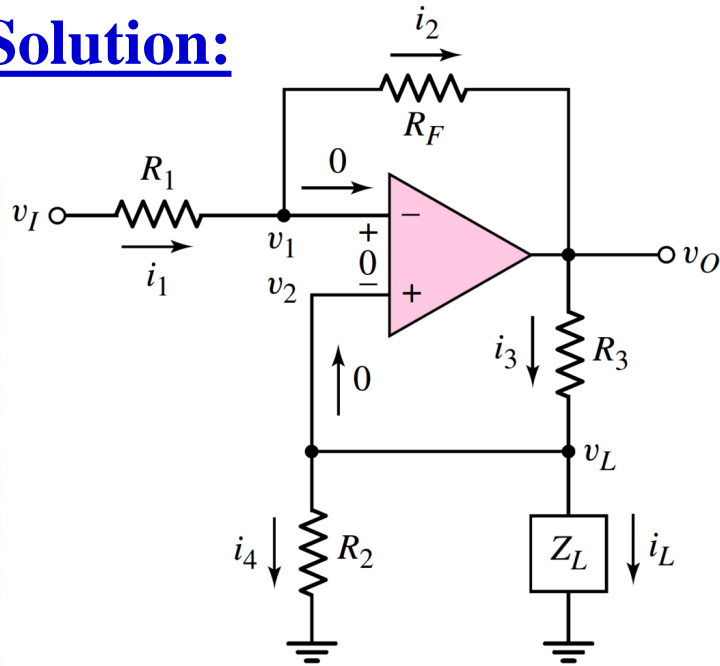
# Example 01: Voltage-to-Current Converter

Determine a load current in a voltage-to-current converter. Consider the circuit in the figure. Let  $Z_L = 100\Omega$ ,  $R_1 = 10\text{ k}\Omega$ ,  $R_2 = 1\text{ k}\Omega$ ,  $R_3 = 1\text{ k}\Omega$ , and  $R_F = 10\text{ k}\Omega$ . If  $v_I = -5\text{ V}$ , determine the load current  $i_L$  and the output voltage  $v_O$ .



# Example 01: Voltage-to-Current Converter

## Solution:



**Given**  $Z_L = 100\Omega$ ,  $R_1 = 10\text{ k}\Omega$ ,  $R_2 = 1\text{ k}\Omega$ ,  $R_3 = 1\text{ k}\Omega$ , and  $R_F = 10\text{ k}\Omega$ .

**If**  $v_I = -5\text{ V}$ , **determine**  $i_L$  and  $v_O$

Condition to be satisfied

$$\frac{R_F}{R_1 R_3} = \frac{1}{R_2}$$

$$\frac{1}{R_2} = \frac{10}{(10)(1)} = 1$$

The load current  $i_L = \frac{-v_I}{R_2} = \frac{-(-5)}{1 \times 10^3} = \underline{\underline{5\text{ mA}}}$

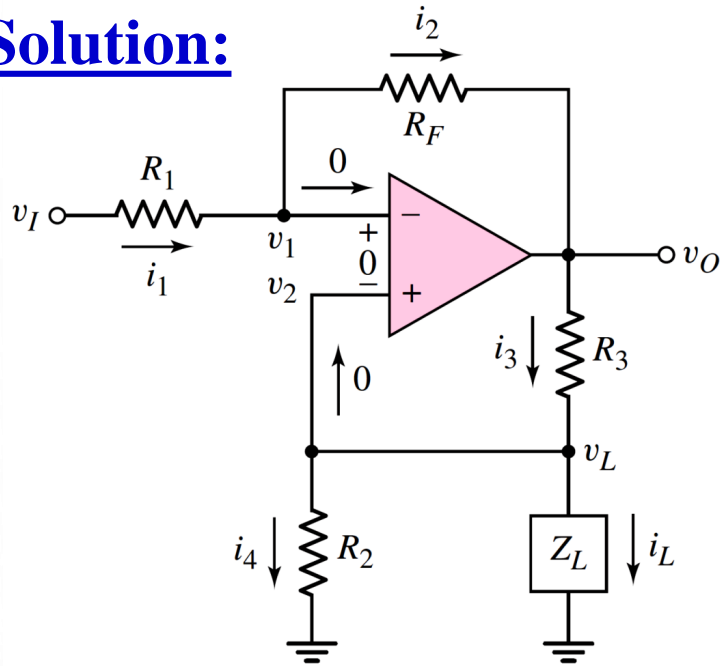
The voltage across the load  $v_L = i_L Z_L = (5 \times 10^{-3})(100) = 0.5\text{ V}$

Current  $i_4$  and  $i_3$   $i_4 = \frac{v_L}{R_2} = \frac{0.5}{1} = 0.5\text{ mA}$

$$i_3 = i_4 + i_L = 0.5 + 5 = 5.5\text{ mA}$$

# Example 01: Voltage-to-Current Converter

## Solution:



The output voltage is then calculated as:

$$v_O = i_3 R_3 + v_L$$

$$= (5.5 \times 10^{-3})(10^3) + 0.5$$

$$\underline{\underline{= 6.0 \text{ V}}}$$

We could also calculate the current  $i_1$  and  $i_2$   $i_1 = i_2 = -0.55 \text{ mA}$

# Example 01: V-to-I Converter

## Solution:

PSpice Simulation for the input voltage variation between 0V to 10V

Input voltage 0V to -10V

