

2D Array

Bhai 🔥

Tera content already perfect hai, main bas thoda **Java-focused formatting, indentation, aur comment clarity** polish kar diya hai, exactly waise hi jaise tu chahta tha — **interview-ready + bug-aware**.

➡️ PHASE 1 – 1 Matrix Representation (2D Basics) – JAVA VERSION

◆ 1 2D Array vs List<List<Integer>>

✓ 1 Static 2D Array (Java)

```
// Declaration
int[][] arr = new int[3][4];

// Initialization
int[][] arr = {
    {1, 2, 3},
    {4, 5, 6}
};

// Access
System.out.println(arr[1][2]); // 6

// ✗ Limitations
// - Size fixed at compile time
// - Runtime flexibility limited
```

| Interview me static 2D array avoid karna better

✓ 2 Dynamic 2D Matrix (List<List<Integer>>) 🔥

```

// Declaration
List<List<Integer>> matrix = new ArrayList<>();

// Initialization
List<List<Integer>> matrix = Arrays.asList(
    Arrays.asList(1, 2, 3),
    Arrays.asList(4, 5, 6)
);

// Access
System.out.println(matrix.get(0).get(1)); // 2

```

 **Interview Verdict:**

| Java interviews me List<List<Integer>> preferred hai — dynamic, flexible, safe

 **2 Row & Column Count (JAVA)**

```

int rows = matrix.size();      // number of rows
int cols = matrix.get(0).size(); // number of columns

```

 **IMPORTANT BUG:**

matrix.get(0).size(); //  if matrix empty → runtime exception

 **Safe Check**

```
if (matrix == null || matrix.isEmpty()) return;
```

 **3 matrix.size() vs matrix.get(0).size()**

Expression	Meaning
matrix.size()	number of rows
matrix.get(0).size()	number of columns

FULLY SOLVED EXAMPLES (JAVA)

Example 1: Print Matrix + Rows & Columns

Input:

```
matrix = [[1,2,3],[4,5,6]]
```

Code (Java)

```
public static void printMatrix(List<List<Integer>> matrix) {  
    if (matrix == null || matrix.isEmpty()) {  
        System.out.println("Matrix is empty");  
        return;  
    }  
  
    int rows = matrix.size();  
    int cols = matrix.get(0).size();  
  
    System.out.println("Rows: " + rows);  
    System.out.println("Cols: " + cols);  
  
    for (int i = 0; i < rows; i++) {  
        for (int j = 0; j < cols; j++) {  
            System.out.print(matrix.get(i).get(j) + " ");  
        }  
        System.out.println();  
    }  
}
```

Output:

```
Rows: 2  
Cols: 3  
1 2 3  
4 5 6
```

Example 2: Sum of All Elements in Matrix

Problem:

Matrix ke saare elements ka sum nikalna

Code (Java)

```
public static int matrixSum(List<List<Integer>> matrix) {  
    if (matrix == null || matrix.isEmpty()) return 0;  
  
    int sum = 0;  
    int rows = matrix.size();  
    int cols = matrix.get(0).size();  
  
    for (int i = 0; i < rows; i++) {  
        for (int j = 0; j < cols; j++) {  
            sum += matrix.get(i).get(j);  
        }  
    }  
    return sum;  
}
```

Dry Run:

1 + 2 + 3 + 4 + 5 + 6 = 21

⚠ COMMON INTERVIEW MISTAKES (JAVA)

- ✗ Using static array blindly
- ✗ `matrix.get(0)` without empty check
- ✗ Rows vs columns confusion
- ✗ Assuming square matrix ($n \times n$) always

🧠 INTERVIEW GOLD LINES (JAVA)

Use these consciously ↴

- 1 "matrix.size() gives number of rows."
- 2 "matrix.get(0).size() gives number of columns."
- 3 "I'll check if the matrix is empty to avoid runtime exceptions."



PRACTICE (Warm-up – Java Friendly)

- 1 LC 1470 – Shuffle the Array
- 2 LC 1572 – Matrix Diagonal Sum
- 3 LC 867 – Transpose Matrix

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Tera content already perfect hai, maine bas **Java formatting, indentation aur interview clarity ke liye comments polish** kar diye. Logic 100% wahi hai, sirf clean aur bug-aware version:

◆ Matrix Traversal – JAVA INTERVIEW READY

```
int[][] mat = {  
    {1, 2, 3},  
    {4, 5, 6},  
    {7, 8, 9}  
};  
  
int rows = mat.length; // number of rows  
int cols = mat[0].length; // number of columns
```

1 Row-wise Traversal (Most Common)

✓ Example 1: Print Row-wise

```
static void rowWise(int[][] mat) {  
    int r = mat.length;  
    int c = mat[0].length;  
  
    for (int i = 0; i < r; i++) {  
        for (int j = 0; j < c; j++) {
```

```
        System.out.print(mat[i][j] + " ");
    }
}
}
```

Output:

```
1 2 3 4 5 6 7 8 9
```

✓ Example 2: Row-wise Sum

```
static void rowSum(int[][] mat) {
    int r = mat.length;
    int c = mat[0].length;

    for (int i = 0; i < r; i++) {
        int sum = 0;
        for (int j = 0; j < c; j++) {
            sum += mat[i][j];
        }
        System.out.println("Row " + i + " sum = " + sum);
    }
}
```

Output:

```
Row 0 sum = 6
Row 1 sum = 15
Row 2 sum = 24
```

2 Column-wise Traversal

✓ Example 1: Print Column-wise

```
static void colWise(int[][] mat) {
    int r = mat.length;
    int c = mat[0].length;
```

```
for (int j = 0; j < c; j++) {  
    for (int i = 0; i < r; i++) {  
        System.out.print(mat[i][j] + " ");  
    }  
}
```

Output:

```
1 4 7 2 5 8 3 6 9
```

✓ Example 2: Column-wise Sum

```
static void colSum(int[][] mat) {  
    int r = mat.length;  
    int c = mat[0].length;  
  
    for (int j = 0; j < c; j++) {  
        int sum = 0;  
        for (int i = 0; i < r; i++) {  
            sum += mat[i][j];  
        }  
        System.out.println("Col " + j + " sum = " + sum);  
    }  
}
```

Output:

```
Col 0 sum = 12  
Col 1 sum = 15  
Col 2 sum = 18
```

3 Reverse Traversal

◆ (A) Reverse Row-wise (Bottom → Top)

```
static void reverseRowWise(int[][] mat) {  
    int r = mat.length;  
    int c = mat[0].length;  
  
    for (int i = r - 1; i >= 0; i--) {  
        for (int j = 0; j < c; j++) {  
            System.out.print(mat[i][j] + " ");  
        }  
    }  
}
```

◆ (B) Reverse Column-wise (Right → Left)

```
static void reverseColWise(int[][] mat) {  
    int r = mat.length;  
    int c = mat[0].length;  
  
    for (int j = c - 1; j >= 0; j--) {  
        for (int i = 0; i < r; i++) {  
            System.out.print(mat[i][j] + " ");  
        }  
    }  
}
```

4 Diagonal Traversal 🔥

⚠ Only for **square matrix**

◆ (A) Main Diagonal ($i == j$)

```
static void mainDiagonal(int[][] mat) {  
    int n = mat.length;  
  
    for (int i = 0; i < n; i++) {  
        System.out.print(mat[i][i] + " ");  
    }  
}
```

```
    }  
}
```

◆ (B) Anti-Diagonal ($i + j == n - 1$)

```
static void antiDiagonal(int[][] mat) {  
    int n = mat.length;  
  
    for (int i = 0; i < n; i++) {  
        System.out.print(mat[i][n - i - 1] + " ");  
    }  
}
```

⚠ COMMON INTERVIEW BUGS (Java Specific)

- ✗ `mat.length` vs `mat[0].length` confuse karna
- ✗ Column traversal me loop order ulta likhna
- ✗ Rectangular matrix pe diagonal laga dena
- ✗ `ArrayIndexOutOfBoundsException`

🧠 INTERVIEW GOLD LINES

- Row-wise → fix row, move columns
- Column-wise → fix column, move rows
- Diagonal → sirf square matrix

🧪 Practice (Next Level)

- 1 LC 1572 – Matrix Diagonal Sum
- 2 LC 867 – Transpose Matrix
- 3 LC 54 – Spiral Matrix (🔥 next topic)

Bhai 🔥

Ye content already perfect hai, maine bas **Java-style clean formatting, comments, interview notes aur pitfalls** add kar diye — logic 100% wahi hai, sirf **interview-ready polish**:



PHASE 2 – Transpose of Matrix (JAVA)

◆ What is Transpose?

- Row → Column
- Column → Row

Example (2×3 Matrix)

Original:

```
1 2 3  
4 5 6
```

Transpose (3×2):

```
1 4  
2 5  
3 6
```

◆ Square vs Rectangular Matrix

Type	Rows	Cols	In-place possible?
Square	n	n	<input checked="" type="checkbox"/> YES
Rectangular	n	m	<input type="checkbox"/> NO

Interview Line:

| “In-place transpose is possible only for square matrices.”

1 Transpose of Rectangular Matrix (Extra Space)

✓ Java Code

```
static int[][] transposeRectangular(int[][] mat) {  
    int r = mat.length;  
    int c = mat[0].length;  
  
    int[][] t = new int[c][r]; // extra matrix  
  
    for (int i = 0; i < r; i++) {  
        for (int j = 0; j < c; j++) {  
            t[j][i] = mat[i][j];  
        }  
    }  
    return t;  
}
```

Example 1: 2×3

Input:

```
1 2 3  
4 5 6
```

Output:

```
1 4  
2 5  
3 6
```

Example 2: 3×2

Input:

```
1 2  
3 4  
5 6
```

Output:

```
1 3 5
```

2 4 6

⌚ Time: $O(r \times c)$

🧠 Space: $O(r \times c)$

✓ Same code works for any rectangular matrix.

2 Transpose of Square Matrix (In-Place 🔥)

Example 3×3:

1 2 3
4 5 6
7 8 9

Brute Force ❌ → extra matrix, waste space

✓ Optimal In-Place Transpose (Java)

💡 Idea: Swap elements **above the main diagonal**

- Diagonal stays same

```
static void transposeSquare(int[][] mat) {  
    int n = mat.length;  
  
    for (int i = 0; i < n; i++) {  
        for (int j = i + 1; j < n; j++) {  
            int temp = mat[i][j];  
            mat[i][j] = mat[j][i];  
            mat[j][i] = temp;  
        }  
    }  
}
```

Dry Run:

Swaps performed:

- $\text{mat}[0][1] \leftrightarrow \text{mat}[1][0]$
- $\text{mat}[0][2] \leftrightarrow \text{mat}[2][0]$

- $\text{mat}[1][2] \leftrightarrow \text{mat}[2][1]$

Output:

```
1 4 7
2 5 8
3 6 9
```

Time: $O(n^2)$

Space: $O(1)$

COMMON INTERVIEW MISTAKES

- `j = 0` se loop chala diya → double swap bug
- Rectangular matrix pe in-place try kar diya
- `mat.length` vs `mat[0].length` confuse
- Row–column indices ulte likh diye

INTERVIEW GOLD LINES

1. "Square matrix ka transpose in-place ho sakta hai."
2. "We swap only elements above the main diagonal."
3. "Rectangular matrix needs extra space."

Practice (LeetCode Must – Java Ready)

- 1 867 – Transpose Matrix
- 2 48 – Rotate Image → transpose + reverse rows
- 3 1572 – Matrix Diagonal Sum

Bhai

Ye content already **FAANG-level Java rewrite + interview-ready** hai, maine bas thoda aur **format, comments, interview traps aur golden lines** polish kar diye — logic exactly wahi hai.



PHASE 2 – 4 Rotate Matrix (JAVA)

📌 Important Rule:

In-place rotation sirf square matrix ($n \times n$) me possible hai

Reference Matrix

```
1 2 3  
4 5 6  
7 8 9
```

◆ 1 Rotate 90° Clockwise (🔥 MOST ASKED)

✗ Brute Force (Extra Space)

💡 Idea: Naya matrix bana ke

```
res[j][n-1-i] = mat[i][j];
```

Java Code (Brute)

```
static int[][] rotate90Brute(int[][] mat) {  
    int n = mat.length;  
    int[][] res = new int[n][n];  
  
    for (int i = 0; i < n; i++) {  
        for (int j = 0; j < n; j++) {  
            res[j][n - 1 - i] = mat[i][j];  
        }  
    }  
    return res;  
}
```

⌚ O(n^2), 🧠 O(n^2) ✗ (Interview me avoid)

✓ Optimal (IN-PLACE 🔥)

💡 Core Logic:

1 Transpose

2 Reverse each row

```
static void rotate90Clockwise(int[][] mat) {  
    int n = mat.length;  
  
    // STEP 1: Transpose  
    for (int i = 0; i < n; i++) {  
        for (int j = i + 1; j < n; j++) {  
            int temp = mat[i][j];  
            mat[i][j] = mat[j][i];  
            mat[j][i] = temp;  
        }  
    }  
  
    // STEP 2: Reverse each row  
    for (int i = 0; i < n; i++) {  
        reverseRow(mat[i]);  
    }  
}  
  
static void reverseRow(int[] row) {  
    int l = 0, r = row.length - 1;  
    while (l < r) {  
        int temp = row[l];  
        row[l] = row[r];  
        row[r] = temp;  
        l++; r--;  
    }  
}
```

Dry Run:

- After Transpose

```
1 4 7  
2 5 8  
3 6 9
```

- After Row Reverse

```
7 4 1
8 5 2
9 6 3
```

⌚ O(n^2), 🧠 O(1) ✓

Interview Line:

| "90° clockwise rotation = transpose + reverse rows."

◆ 2 Rotate 90° Anti-Clockwise

💡 Trick: Transpose + Reverse Columns

```
static void rotate90AntiClockwise(int[][] mat) {
    int n = mat.length;

    // Transpose
    for (int i = 0; i < n; i++) {
        for (int j = i + 1; j < n; j++) {
            int temp = mat[i][j];
            mat[i][j] = mat[j][i];
            mat[j][i] = temp;
        }
    }

    // Reverse each column
    for (int j = 0; j < n; j++) {
        int top = 0, bottom = n - 1;
        while (top < bottom) {
            int temp = mat[top][j];
            mat[top][j] = mat[bottom][j];
            mat[bottom][j] = temp;
            top++; bottom--;
        }
    }
}
```

```
    }  
}
```

Output:

```
3 6 9  
2 5 8  
1 4 7
```

Interview Line:

| "Anti-clockwise rotation = transpose + reverse columns."

◆ 3 Rotate 180°

Trick:

- Reverse rows
 - Reverse columns
- (OR rotate 90° twice)

```
static void rotate180(int[][] mat) {  
    int n = mat.length;  
  
    // Reverse rows (top ↔ bottom)  
    int top = 0, bottom = n - 1;  
    while (top < bottom) {  
        int[] temp = mat[top];  
        mat[top] = mat[bottom];  
        mat[bottom] = temp;  
        top++; bottom--;  
    }  
  
    // Reverse columns in each row  
    for (int i = 0; i < n; i++) {  
        reverseRow(mat[i]);  
    }  
}
```

Output:

```
9 8 7  
6 5 4  
3 2 1
```

⚠ COMMON INTERVIEW MISTAKES

- ❌ Rectangular matrix pe in-place rotate
- ❌ Transpose ke baad galat reverse
- ❌ Clockwise & anti-clockwise confuse
- ❌ Extra space use jab in-place allowed ho

🧠 Cheat Sheet (RAT LO 🔥)

Rotation	Steps
90° Clockwise	Transpose + Reverse rows
90° Anti-Clockwise	Transpose + Reverse cols
180°	Reverse rows + Reverse cols

🧪 LeetCode MUST (Java)

- 1 48 – Rotate Image 🔥🔥
- 2 1886 – Determine Whether Matrix Can Be Obtained By Rotation
- 3 867 – Transpose Matrix

Bhai 🔥

Ye raha **FAANG-level, pure Java, interview-ready Spiral Matrix module** — har line pe **detailed comment + logic explanation**, taki interviewer samjhe ki tu engineer mindset me soch raha hai 💯

📦 PHASE 2 – 5 Spiral Traversal & Generation (JAVA)

◆ 1 Spiral Traversal / Print (LC 54)

Problem:

Matrix ko clockwise spiral order me traverse karke **list me store** karo.

Core Idea (Interview GOLD):

- 4 boundaries maintain karo — top, bottom, left, right
- Har directional pass ke baad boundary shrink hoti hai.

Java Code (Full Detailed Comments)

```
import java.util.*;  
  
class SpiralTraversal {  
  
    static List<Integer> spiralOrder(int[][] mat) {  
        // Result list  
        List<Integer> ans = new ArrayList<>();  
  
        // Edge case: null or empty matrix  
        if (mat == null || mat.length == 0)  
            return ans;  
  
        // Boundaries  
        int top = 0;  
        int bottom = mat.length - 1;      // last row index  
        int left = 0;  
        int right = mat[0].length - 1;   // last column index  
  
        // Loop until boundaries cross  
        while (top <= bottom && left <= right) {  
  
            // 1 Traverse top row (left → right)  
            for (int j = left; j <= right; j++)  
                ans.add(mat[top][j]);  
            top++; // shrink top boundary  
  
            // 2 Traverse right column (top → bottom)  
        }  
    }  
}
```

```

        for (int i = top; i <= bottom; i++)
            ans.add(mat[i][right]);
        right--; // shrink right boundary

        // 3 Traverse bottom row (right → left)
        // Check if row still exists after shrinking
        if (top <= bottom) {
            for (int j = right; j >= left; j--)
                ans.add(mat[bottom][j]);
            bottom--; // shrink bottom boundary
        }

        // 4 Traverse left column (bottom → top)
        // Check if column still exists after shrinking
        if (left <= right) {
            for (int i = bottom; i >= top; i--)
                ans.add(mat[i][left]);
            left++; // shrink left boundary
        }

    }

    return ans;
}
}

```

Dry Run Example:

Input:

```

1 2 3
4 5 6
7 8 9

```

Output:

```

1 2 3 6 9 8 7 4 5

```

 Time Complexity: $O(n \times m)$

 Space Complexity: $O(1)$ (output list ke alawa)

Interview Line:

"We maintain four boundaries and shrink them after each directional traversal."

◆ 2 Spiral Matrix Generation (LC 59)

Problem:

Given n , generate $n \times n$ matrix filled with numbers $1 \rightarrow n^2$ in spiral order.

Core Idea:

- | Use 4 boundaries same as traversal
- | Place numbers sequentially while shrinking boundaries

Java Code (Full Detailed Comments)

```
class SpiralMatrixGenerate {

    static int[][] generateMatrix(int n) {
        int[][] mat = new int[n][n]; // Result matrix

        // Boundaries
        int top = 0;
        int bottom = n - 1;
        int left = 0;
        int right = n - 1;

        int num = 1; // Starting number

        // Loop until boundaries cross
        while (top <= bottom && left <= right) {

            // 1 Fill top row (left → right)
            for (int j = left; j <= right; j++)
                mat[top][j] = num++;
            top++; // shrink top boundary

            // 2 Fill right column (top → bottom)
        }
    }
}
```

```

        for (int i = top; i <= bottom; i++)
            mat[i][right] = num++;
        right--; // shrink right boundary

        // 3 Fill bottom row (right → left)
        if (top <= bottom) { // check row exists
            for (int j = right; j >= left; j--)
                mat[bottom][j] = num++;
            bottom--; // shrink bottom boundary
        }

        // 4 Fill left column (bottom → top)
        if (left <= right) { // check column exists
            for (int i = bottom; i >= top; i--)
                mat[i][left] = num++;
            left++; // shrink left boundary
        }

        return mat;
    }
}

```

Dry Run Example (n=3):

Resulting matrix:

```

1 2 3
8 9 4
7 6 5

```

Time Complexity: $O(n^2)$

Space Complexity: $O(1)$ (in-place filling in result matrix)

⚠ COMMON INTERVIEW TRAPS

Trap	Mistake
Boundary check	Forget <code>if (top <= bottom)</code> or <code>if (left <= right)</code> → duplicates or <code>ArrayIndexOutOfBoundsException</code>
Single row/column	Not handling edge → duplicates
Traversal order	Wrong order → top→right→bottom→left
Rectangular matrix in generation	Generation expects $n \times n$; traversal can handle $m \times n$

🧠 Interview GOLD LINE (RAT LO 🔥)

“Maintain four boundaries and shrink them after each directional traversal.
Always check if the current row/column exists before filling or reading to avoid duplicates and out-of-bounds errors.”

🧪 LeetCode Must (Java Ready)

- 1 54 – Spiral Matrix 🔥🔥 (Traversal)
- 2 59 – Spiral Matrix II 🔥🔥 (Generation)
- 3 885 – Spiral Matrix III (Advanced, with starting point & directions)

Bhai 🔥

Ye raha **PHASE 3 – Searching in 2D Matrix (JAVA)** ka **FAANG-style, interview-ready, detailed comment version** — har approach ka intuition + trap + code ready for discussion 💯

📦 PHASE 3 – Searching in 2D Matrix (JAVA)

◆ 6 Linear Search (Brute Force)

Use Case:

Matrix **unsorted** ya **constraints small** → sirf linear search hi simple & safe hai.

```

class LinearSearch2D {
    static boolean searchMatrix(int[][] mat, int target) {
        int r = mat.length;
        int c = mat[0].length;

        for (int i = 0; i < r; i++) {
            for (int j = 0; j < c; j++) {
                if (mat[i][j] == target)
                    return true; // target found
            }
        }
        return false; // not found
    }
}

```

Time: $O(n \times m)$

Space: $O(1)$

Interview Line:

| "This is brute force; we can optimize using matrix properties."

◆ 7 Binary Search in Matrix

◆ Case 1 – Row-wise Sorted Matrix

Matrix Property:

| Each row sorted, rows independent

```

1 3 5
7 9 11
13 15 17

```

Idea:

- Check if target lies between first & last element of the row
- Apply **binary search** only on valid rows

```

class RowWiseBinarySearch {
    static boolean searchRowWise(int[][] mat, int target) {
        int r = mat.length;
        int c = mat[0].length;

        for (int i = 0; i < r; i++) {
            // Only search if target could be in this row
            if (target >= mat[i][0] && target <= mat[i][c - 1]) {
                int l = 0, h = c - 1;
                while (l <= h) {
                    int mid = l + (h - l) / 2; // safe mid
                    if (mat[i][mid] == target)
                        return true;
                    else if (mat[i][mid] < target)
                        l = mid + 1;
                    else
                        h = mid - 1;
                }
            }
        }
        return false;
    }
}

```

Time: $O(n \times \log m)$

Space: $O(1)$

Interview Line:

"We apply binary search on rows where target is possible."

◆ Case 2 – Fully Sorted Matrix (LC 74)

Matrix Property:

Last element of row $i <$ first element of row $i+1$

Entire matrix can be treated as **1D sorted array**

Idea:

- Flatten index: `row = mid / cols`, `col = mid % cols`
- Apply standard **binary search**

```
class FullySortedMatrixSearch {
    static boolean searchMatrix(int[][] mat, int target) {
        int r = mat.length;
        int c = mat[0].length;

        int low = 0, high = r * c - 1;

        while (low <= high) {
            int mid = low + (high - low) / 2;
            int row = mid / c;
            int col = mid % c;

            if (mat[row][col] == target)
                return true;
            else if (mat[row][col] < target)
                low = mid + 1;
            else
                high = mid - 1;
        }
        return false;
    }
}
```

Time: $O(\log(n \times m))$

Space: $O(1)$

Interview Line:

"Since the matrix is fully sorted, we apply binary search by flattening indices."

◆ Case 3 – Staircase Search (LC 240)

Matrix Property:

Rows sorted left → right

| Columns sorted top → bottom

Idea:

- Start **top-right** OR **bottom-left**
- Move **left** if current > target
- Move **down** if current < target

```
class StaircaseSearch {  
    static boolean staircaseSearch(int[][] mat, int target) {  
        int r = mat.length;  
        int c = mat[0].length;  
  
        int i = 0, j = c - 1; // top-right starting point  
  
        while (i < r && j >= 0) {  
            if (mat[i][j] == target)  
                return true; // target found  
            else if (mat[i][j] > target)  
                j--; // move left  
            else  
                i++; // move down  
        }  
        return false; // target not found  
    }  
}
```

⌚ **Time:** $O(n + m)$

🧠 **Space:** $O(1)$

Dry Run (Target = 6):

```
7 → left → 4 → down → 5 → down → 6 ✓
```

Interview Line:

| "Staircase search leverages both row & column sorted properties efficiently."

⚠️ Common Interview Mistakes

Mistake	Reason
Wrong search for matrix type	Applying wrong algo for property
Fully sorted → binary on row only	Missed flattening concept
Staircase search wrong start	Not top-right / bottom-left
No property clarification	Interviewer will ask assumptions

🏆 Cheat Sheet (🔥 MUST REMEMBER)

Matrix Type	Best Search Method
Unsorted	Linear
Row-wise sorted	Row + Binary
Fully sorted	Binary on 1D
Row + Col sorted	Staircase

🧪 LeetCode MUST DO (Java Ready)

- 1 74 – Search a 2D Matrix
- 2 240 – Search a 2D Matrix II
- 3 378 – Kth Smallest Element in a Sorted Matrix
- 4 1351 – Count Negative Numbers in a Sorted Matrix

Bhai 🔥

Chal, mai **2D Prefix Sum with full i,j representation & visualization** bana deta hoon — exactly jaisa tu chahta hai, interview-ready Java version me, aur har step ka **i,j coordinates + dry run** dikhayenge.

📦 2D Prefix Sum – Full i,j Representation (Java)

◆ Example Matrix

```

mat =
i\j 0 1 2
0  1 2 3
1  4 5 6
2  7 8 9

```

- i = row index
- j = column index

◆ Prefix Formula (Coordinate-aware)

```

prefix[i][j] = mat[i][j]
+ (i>0 ? prefix[i-1][j] : 0) // up
+ (j>0 ? prefix[i][j-1] : 0) // left
- (i>0 && j>0 ? prefix[i-1][j-1] : 0) // diagonal overlap

```

◆ Step-by-Step Dry Run with i,j Coordinates

i	j	Calculation	prefix[i][j]
0	0	$1 + 0 + 0 - 0$	1
0	1	$2 + 0 + 1 - 0$	3
0	2	$3 + 0 + 3 - 0$	6
1	0	$4 + 1 + 0 - 0$	5
1	1	$5 + 3 + 5 - 1$	12
1	2	$6 + 6 + 12 - 3$	21
2	0	$7 + 5 + 0 - 0$	12
2	1	$8 + 12 + 12 - 5$	27
2	2	$9 + 21 + 27 - 12$	45

✓ Final Prefix Matrix:

```

prefix =
1 3 6

```

```
5 12 21  
12 27 45
```

◆ Query Example with i,j Notation

Query: $(r1, c1) = (1,1)$, $(r2, c2) = (2,2)$

```
sum = prefix[r2][c2]  
- (r1>0 ? prefix[r1-1][c2] : 0)  
- (c1>0 ? prefix[r2][c1-1] : 0)  
+ (r1>0 && c1>0 ? prefix[r1-1][c1-1] : 0)
```

Step-by-step:

```
prefix[2][2] = 45  
prefix[0][2] = 6  
prefix[2][0] = 12  
prefix[0][0] = 1
```

```
sum = 45 - 6 - 12 + 1 = 28 ✓
```

Submatrix elements (i,j) :

```
i\j 1 2  
1 5 6  
2 8 9
```

◆ Java Implementation (i,j style comments)

```
class NumMatrix {  
  
    private int[][] prefix;  
  
    public NumMatrix(int[][] mat) {  
        int n = mat.length;  
        int m = mat[0].length;
```

```

prefix = new int[n][m];

for (int i = 0; i < n; i++) {
    for (int j = 0; j < m; j++) {
        int up = (i > 0) ? prefix[i - 1][j] : 0; // prefix sum of row above
        int left = (j > 0) ? prefix[i][j - 1] : 0; // prefix sum of col to left
        int diag = (i > 0 && j > 0) ? prefix[i - 1][j - 1] : 0; // overlap

        prefix[i][j] = mat[i][j] + up + left - diag;

        // Debug Print: show coordinates and value
        System.out.println("prefix[" + i + "][" + j + "] = " + prefix[i][j]);
    }
}

public int sumRegion(int r1, int c1, int r2, int c2) {
    int total = prefix[r2][c2];
    int up = (r1 > 0) ? prefix[r1 - 1][c2] : 0;
    int left = (c1 > 0) ? prefix[r2][c1 - 1] : 0;
    int diag = (r1 > 0 && c1 > 0) ? prefix[r1 - 1][c1 - 1] : 0;

    return total - up - left + diag;
}

public static void main(String[] args) {
    int[][] mat = {
        {1, 2, 3},
        {4, 5, 6},
        {7, 8, 9}
    };

    NumMatrix nm = new NumMatrix(mat);

    System.out.println("Sum query (1,1) to (2,2) = " + nm.sumRegion(1, 1,
2, 2));
}
}

```

◆ Key Interview Lines (i,j style)

- "prefix[i][j] = sum from (0,0) to (i,j) including overlap correction"
- "Query sum = total - top area - left area + overlap"
- "Always verify boundary conditions: i=0, j=0"

Bhai 🔥 samajh gaya — mai **exactly waise hi format + structure** me likhunga jaise tune diya tha, **code ke andar har line / step ke liye detailed comment bhi add kar dunga.**

📦 SPECIAL MATRICES — COMPLETE (Java)

1 Identity Matrix

◆ Definition

- Square matrix ($n \times n$)
- Diagonal = 1
- Rest = 0

Example:

```
1 0 0  
0 1 0  
0 0 1
```

🔑 Properties

- Square hona compulsory
- `mat[i][i] == 1`
- `mat[i][j] == 0` ($i \neq j$)

✓ Java Code

```
public static boolean isIdentityMatrix(int[][] mat) {  
    int n = mat.length; // n x n square matrix
```

```

for (int i = 0; i < n; i++) {
    for (int j = 0; j < n; j++) {
        // Diagonal element must be 1
        if (i == j && mat[i][j] != 1) return false;

        // Non-diagonal element must be 0
        if (i != j && mat[i][j] != 0) return false;
    }
}
return true; // All conditions satisfied
}

```

Interview Line

"An identity matrix has ones on the main diagonal and zeros elsewhere."

2 Diagonal Matrix

Definition

- Square matrix
- Sirf diagonal pe non-zero allowed

Example:

```

5 0 0
0 8 0
0 0 3

```

Identity vs Diagonal

Matrix	Diagonal Values
Identity	Only 1
Diagonal	Any value

Java Code

```

public static boolean isDiagonalMatrix(int[][] mat) {
    int n = mat.length; // n x n square matrix

```

```

for (int i = 0; i < n; i++) {
    for (int j = 0; j < n; j++) {
        // All non-diagonal elements must be zero
        if (i != j && mat[i][j] != 0)
            return false;
    }
}
return true; // All non-diagonal elements are zero
}

```

Interview Line

"All non-diagonal elements must be zero."

3 Toeplitz Matrix 🔥 (Most Asked)

Definition

- Har top-left → bottom-right diagonal me same value

Example:

```

1 2 3 4
5 1 2 3
9 5 1 2

```

Condition

- `mat[i][j] == mat[i-1][j-1]`

Java Code (Optimal)

```

public static boolean isToeplitzMatrix(int[][] mat) {
    int n = mat.length; // number of rows
    int m = mat[0].length; // number of columns

    // Start from second row and second column
    for (int i = 1; i < n; i++) {
        for (int j = 1; j < m; j++) {
            // Each element must equal the one diagonally above
            if (mat[i][j] != mat[i - 1][j - 1])
                return false; // Condition fails
        }
    }
}

```

```

    }
}

return true; // All diagonals consistent
}

```

Complexity

- Time: $O(n \times m)$
- Space: $O(1)$

Interview Line

"Each element equals the one diagonally above it."

Common Traps

-  Identity \neq Diagonal
-  Toeplitz diagonal direction confuse
-  Square check bholna
-  Loop boundaries galat

LeetCode

- 766 — Toeplitz Matrix
- 498 — Diagonal Traverse
- 1424 — Diagonal Traverse II

4 Matrix Greedy & Logic — COMPLETE (Java)

Problem 1: Set Matrix Zeroes (LC 73)

Problem

- Agar `mat[i][j] == 0` \rightarrow poori row + column = 0

Optimal In-Place Approach (Google Fav)

- **Trick:** First row & first column ko marker banao

Java Code ($O(1)$ Space)

```

public static void setZeroes(int[][] mat) {
    int n = mat.length, m = mat[0].length;
    boolean firstRow = false, firstCol = false;

```

```

// Check if first column has zero
for (int i = 0; i < n; i++)
    if (mat[i][0] == 0) firstCol = true;

// Check if first row has zero
for (int j = 0; j < m; j++)
    if (mat[0][j] == 0) firstRow = true;

// Use first row & column as markers
for (int i = 1; i < n; i++) {
    for (int j = 1; j < m; j++) {
        if (mat[i][j] == 0) {
            mat[i][0] = 0; // mark row
            mat[0][j] = 0; // mark column
        }
    }
}

// Set zeros based on markers
for (int i = 1; i < n; i++) {
    for (int j = 1; j < m; j++) {
        if (mat[i][0] == 0 || mat[0][j] == 0)
            mat[i][j] = 0;
    }
}

// Handle first row
if (firstRow)
    for (int j = 0; j < m; j++) mat[0][j] = 0;

// Handle first column
if (firstCol)
    for (int i = 0; i < n; i++) mat[i][0] = 0;
}

```

⚠ Interview Traps

- ✗ First row/col overwrite

✗ Extra space usage

✗ Marker logic miss

🔥 Problem 2: Game of Life (LC 289)

◆ Rules Recap

Current	Neighbors	Next
Live	<2 or >3	Die
Live	2 or 3	Live
Dead	=3	Live

🧠 Encoding Trick (In-Place)

- 0 → dead → dead
- 1 → live → live
- 2 → live → dead
- 3 → dead → live

✓ Java Code (IN-PLACE 🔥)

```
public static void gameOfLife(int[][] board) {
    int n = board.length, m = board[0].length;
    int[] dir = {-1, 0, 1}; // directions for neighbors

    for (int i = 0; i < n; i++) {
        for (int j = 0; j < m; j++) {
            int live = 0; // count live neighbors

            // Check 8 neighbors
            for (int dx : dir) {
                for (int dy : dir) {
                    if (dx == 0 && dy == 0) continue; // skip self
                    int x = i + dx, y = j + dy;
                    if (x >= 0 && x < n && y >= 0 && y < m)
                        live += board[x][y] % 2; // previous state
                }
            }
        }
    }
}
```

```

// Apply rules using encoding
if (board[i][j] == 1 && (live < 2 || live > 3))
    board[i][j] = 2; // live → dead
if (board[i][j] == 0 && live == 3)
    board[i][j] = 3; // dead → live
}
}

// Convert encoded state back to 0/1
for (int i = 0; i < n; i++)
    for (int j = 0; j < m; j++)
        board[i][j] %= 2;
}

```

Traps

-  Neighbor count galat
-  State overwrite before reading
-  Modulo trick bholna

Interview Gold Line

“These problems test in-place greedy logic using the matrix itself as memory.”