1 Simple Power Method

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1. Choose a starting vector \mathbf{x}^{(0)} \in \mathcal{R}^n with ||\mathbf{x}^{(0)}|| = 1.
  2. k = 0
  3. while some convergence criteria is not satisfied
       i. k := k + 1
       ii. \mathbf{y}^{(k)} := A\mathbf{x}^{(k-1)}
      iii. \mu_k := ||\mathbf{y}^{(k)}||
      iv. \mathbf{x}^{(k)} := \mathbf{y}^{(k)}/\mu_k
import numpy.linalg, numpy.random, numpy as np, math
from random import random as rand
from numpy.linalg import eig
B = numpy.array([[2,-12],[1,-5]])
y = numpy.array([1,1])
x = y
for i in range(100):
    y = B.dot(x)
    mu = math.sqrt(y.dot(y))
    x = y/mu
print numpy.transpose(eig(B)[1])
print x
[[ 0.9701425
               0.24253563]
 A = numpy.random.rand(3,3)
x = numpy.random.rand(3)
for i in range(20):
    y = A.dot(x)
    mu = math.sqrt(y.dot(y))
    x = y/mu
np.transpose(eig(A)[1]),x
Results
(array([[ 0.51063895, 0.65312477, 0.55917429],
         [0.87551464, -0.17084359, -0.45198073],
         [-0.00620138, -0.53208609, 0.84666755]]),
 array([ 0.51063895, 0.65312477, 0.55917429]))
```