

Interactive Graphics Homework 1

Michal Ostyk-Narbutt (1854051)

Prof. Marco Schaerf

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SAPIENZA
UNIVERSITÀ DI ROMA

1 Introduction

This is a documentation report describing the techniques used in the First Homework for the Interactive Graphics course. Given a baseline file of a cube, the task was to modify it by

- expanding the number of vertices (20-30) with each having a normal and texture coordinates.
- adding a viewer position and a perspective projection
- computing the ModelView and Projection matrices in the Javascript application
- adding two lights sources: Directional and a Spotlight
- assigning to the object a material with the relevant properties
- Implementing a per-fragment shading model
- adding a texture loaded from file, with the pixel color a combination of the color computed using the lighting model and the texture.

2 Documentation

2.1 Creating an irregular object

My idea was to re-create an octagon Hourglass as seen in Figure 1. In order to accomplish that task I decided to create out of a series of triangles (`tri function`) and quadrilaterals (`quad function`). However, unlike in Figure 1, mine would have a more visible inner part.

I modeled the vertices based 4 faces of different widths, with the top and bottom sharing one value for the width, and the inner "neck" of the hour composed of two octagons also sharing one value. To accomplish this task I decided to run the following python code which allowed me obtain various initial sizes.



Figure 1: Octagon Hourglass [1]

```

1 def getshapevalues(height_value, vertices=8, width=1):
2     coords = []
3     for ind, value in enumerate(range(vertices), start=1):
4         x = cos(2*value*pi/vertices) * width
5         y = sin(2*value*pi/vertices) * width
6         coords.append([x, y])
7     return coords

```

Listing 1: Getting values for the vertices

The code snippet in Listing 1 in Python is just a visual version of obtaining a polygon coordinates. These in reality would be checked for value and using strings formatted into JavaScript ready code. The result is show in Listing 2 below.

```

1 vec4(0.6, 0.0, -1.0, 1.0), // point 0
2 vec4(0.3*Math.sqrt(2), 0.3*Math.sqrt(2), -1.0, 1.0), // point 1
3 vec4(0.0, 0.6, -1.0, 1.0), // point 2
4 vec4(-0.3*Math.sqrt(2), 0.3*Math.sqrt(2), -1.0, 1.0), // point 3
5 vec4(-0.6, 0.0, -1.0, 1.0), // point 4
6 vec4(-0.3*Math.sqrt(2), -0.3*Math.sqrt(2), -1.0, 1.0), // point 5
7 vec4(0.0, -0.6, -1.0, 1.0), // point 6
8 vec4(0.3*Math.sqrt(2), -0.3*Math.sqrt(2), -1.0, 1.0), // point 7
9 vec4(0, 0, -1.0, 1.0), // point (centroid) 8

```

Listing 2: Bottom Octagon example vertex defintions

Hence, using this procedure, from the four octagon faces, and inner points of the bottom and top face, a total of 34 vertices (inner octagon centroids were not needed). The points were connected using.

2.2 ModelView and Projection matrices

Next, I added a viewer position, a projection and computed the ModelView and Projection matrices using a Javascript application. The ModelView was computed using the `lookAt` function which can concatenate with modeling transformations. Subsequently, sliders were added to the HTML file, which include the following transformations: radius, theta, phi, Near, Far, Scale, FOV (field of view), aspect. Additionally for animation and asthetic reasons enabled buttons which through automatic increments of theta, and appropriate rotation matrices allow the rotation of the hourglass around the roll pitch yaw angles. Moreover, the shape can be translated along each of the X, Y, and Z world axes.

2.3 Lighting: Directional and spotlight

TO DO, make x y and z sliders work change it up a bit

2.4 Material

describe the random material, get rid of the specular

2.5 Per-fragment shading model

The per-fragment shading model used is called the Cartoon Shade Algorithm [2] First, we had to calculate the illuminated diffuse color as in Equation 1, which is the vertex color. Next, the shadowed diffuse color in Equation 2. Finally once, we computed the value of the product of the unit vector from the light source to the vertex \vec{L} and the unit vector normal to the surface at the vertex \vec{n} , we assign to the fragment the value based on the check in Equation 3. Note that the result of this product is the cosine of the angle between the two vectors.

$$C_i = a_g \times a_m + a_l \times a_m + d_l \times d_m \quad (1)$$

$$C_s = a_g \times a_m + a_l \times a_m \quad (2)$$

$$\text{fragment assignment} = \begin{cases} C_i, & \text{if } \max(\vec{L} \cdot \vec{n}, 0) \geq 0. \\ C_s, & \text{if } \max(\vec{L} \cdot \vec{n}, 0) < 0. \end{cases} \quad (3)$$

2.6 Texture from file

Taken from the internet, to simulate the surface of the moon.

3 Conclusions

3.1 Advantages

3.2 Disadvantages

References

- [1] <http://evershinegift.com/Index.asp?Product420/742.html>
- [2] Lake, Adam & Marshall, Carl & Harris, Mark & Blackstein, Marc. (2000). Stylized Rendering Techniques For Scalable Real-Time 3D Animation. Proceedings of the Symposium on Non-Photorealistic Animation and Rendering. 10.1145/340916.340918. <https://dl.acm.org/doi/pdf/10.1145/340916.340918>
- [3] <https://www.khronos.org/registry/webgl/specs/latest/2.0>