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Data set is in wide format

- Sum across columns \rightarrow sum scores of the respondents
rowSums() (*rowMean()* for computing the mean)
- Sum across rows (right) \rightarrow sum scores of the items
colSums() (*colMean()* for computing the mean)

Well-being

```
library(readxl)
benessere = read_xlsx("data/datiBenessere.xlsx")

head(benessere,2)
```

```
# A tibble: 2 x 19
```

[illegible]

rowSums() :

[1]	65	79	88	74	75	83	78	79	85	87	80	88	83	84	92
[19]	79	83	112	105	98	86	94	94	120	108	98	100	107	111	113
[37]	100	108	107	126	126	116	116	110	117	117	106	111	122	123	129
[55]	121	120	121	148	141	129	130	128	132	148	145	152	136	137	138
[73]	140	140	143	151	148	158	156	143	149	157	165	162	159	170	163
[91]	149	168	173	176	162	171	174	169	176	172	175	175	172	182	191
[109]	178	190	189	186	184	174	187	189	190	187	199	192	191	194	199
[127]	207	214	208	213	214	205	205	207	227	212	213	208	209	209	216
[145]	208	216	215	219	222	210									

`grep()` e `grep1()`: functions for filtering data according to a regular expression (regex)

```
grep("regex", vector)
```

Same functioning, different results

```
(my_vector = colnames(benessere))
```

```
[1] "ID"      "età"      "genere"  "frat"     "item1"    "item2"    "item3"    "item4"
[9] "item5"   "au1"      "au2"     "au3"      "au4"      "au5"      "au6"      "au7"
[17] "au8"     "au9"      "au10"
```

grep()

```
grep("au", my_vector)
```

```
[1] 10 11 12 13 14 15 16 17 18 19
```

```
grep1()
```

```
grepl("au", my_vector)
```

```
[1] FALSE FALSE FALSE FALSE FALSE FALSE FALSE FALSE TRUE  TRUE  TR
[13] TRUE  TRUE  TRUE  TRUE  TRUE  TRUE  TRUE
```


table() and percentages

Single variable

```
(table(babies$genere)/nrow(babies))*100
```

```
  f  m  
60 40
```

Multiple variables

```
my_perc = with(benessere, table(new_benessere, genere))  
(my_perc = cbind(my_perc, rowSums(my_perc)))
```

```
      f  m  
high 32 28 60  
low  22 18 40
```



```
my_perc/my_perc[,3]
```

	f	m	
high	0.5333333	0.4666667	1
low	0.5500000	0.4500000	1

Aggregating: Examples

```
benessere = read.csv("data/benessereScores.csv",  
                     header = T, sep = ",")  
head(benessere, 3)
```

	ID	età	genere	frat	item1	item2	item3	item4	item5	au1	au2	au3	au4	au5	au6
1	1	16		1	0	1	2	4	3	4	5	4	5	2	3
2	2	21		1	1	2	2	3	4	3	5	4	5	2	4
3	3	28		2	4	2	3	5	1	2	4	4	4	4	4
	au8	au9	au10	score_ben	score_au										
1	4	2	4		14	33									
2	5	1	5		14	40									
3	4	2	4		13	38									

Your turn!



- Recode `frat` and assign it to a new var into the data frame (`siblings: > 0 siblings → no > > 1+ sibilings → yes`)
- Compute the mean of `score_ben` according to `siblings`
- Compute the mean of `score_ben` and `score_au` according to `sibilingsand gender` (assign it to the object `mean_dep`)
- Compute the standard deviation of `score_ben` and `score_au` according to `sibilingsand gender` (assign it to the object `sd_dep`)
- merge `mean_dep` and `sd_dep` and assign the resulting object to `descr`

WARNING!

When using `merge` the column names must be different

Result

```
descr
```

	siblings	genere	mean_score_ben	mean_score_au	sd_score_ben	sd_score_au
1	no	1	13.90909	33.27273	3.250042	4.452734
2	no	2	14.51852	32.11111	3.309315	3.004270
3	yes	1	14.67241	33.01724	3.347625	3.743961
4	yes	2	14.34884	32.95349	3.228472	4.396717

Solution

```
benessere$siblings = ifelse(benessere$frat == 0, "no", "yes")

mean_dep = aggregate(cbind(score_ben, score_au) ~ siblings + genere,
                      data = benessere,
                      mean)
colnames(mean_dep)[3:4] = paste("mean",
                                colnames(mean_dep)[3:4],
                                sep = "_")

sd_dep = aggregate(cbind(score_ben, score_au) ~ siblings + genere,
                   data = benessere,
                   sd)
colnames(sd_dep)[3:4] = paste("sd", colnames(sd_dep)[3:4],
                              sep = "_")

descr = merge(mean_dep, sd_dep)
```

tidyverse()

```
install.packages("tidyverse")
library(tidyverse)
```


tidyverse()

```
install.packages("tidyverse")  
library(tidyverse)
```

%>% (Pipe)

Use the combo shift + ctrl + M

Logic:

```
object %>%  
  grouping %>%  
  function
```

Descriptive statistics

```
benessere %>% # object
  group_by(siblings, genere) %>% # groupings
  summarise(m_benessere = mean(score_ben), # functions
            sd_benessere = sd(score_ben),
            m_au = mean(score_au),
            sd_au = sd(score_au))
```

A tibble: 4 x 6

Groups: siblings [2]

	siblings	genere	m_benessere	sd_benessere	m_au	sd_au
	<chr>	<int>	<dbl>	<dbl>	<dbl>	<dbl>
1	no	1	13.9	3.25	33.3	4.45
2	no	2	14.5	3.31	32.1	3.00
3	yes	1	14.7	3.35	33.0	3.74
4	yes	2	14.3	3.23	33.0	4.40



- Compute minimum, maximum, median of `score_au` and `score_ben` with `tidyverse`
- Import the `babies` data set and compute the descriptive stats of `weight` and `height` with `tidyverse`

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- Traditional graphics
- Grid graphics & ggplot2

For both:

- High level functions → actually produce the plot
- Low level functions → make it looks better =)

High level functions

demo(graphics) for a guided tour of base graphics!

- The plotting regions (contains the actual plot)
- The margins region (contain axes and labels)

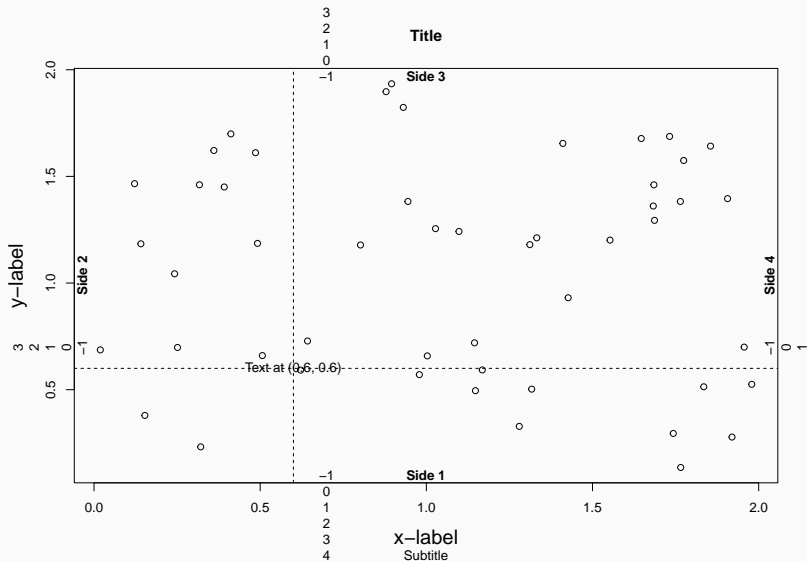
A scatter plot:

```
x <- runif(50, 0, 2) # 50 uniform random numbers
y <- runif(50, 0, 2)
plot(x, y, main="Title",
      sub="Subtitle", xlab="x-label",
      ylab="y-label") # produce plotting window
```

Now add some text:

```
text(0.6, 0.6, "Text at (0.6, 0.6)")
abline(h=.6, v=.6, lty=2) # horizont. and vertic.
                           # lines
```

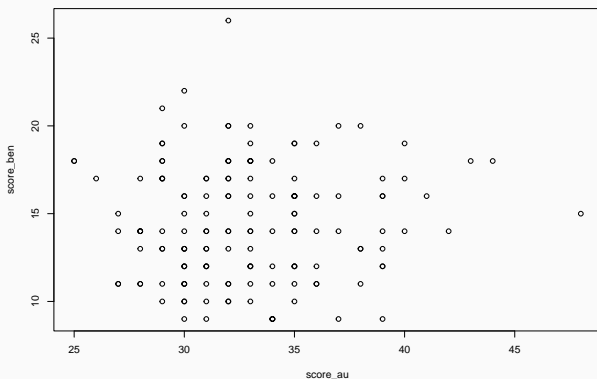
Margins region



```
plot(x) # one variable
plot(x, y) # scatter plot
plot(y ~ x) # scatter plot (unless X is categorical)
```


Example: `plot(y ~ x)`

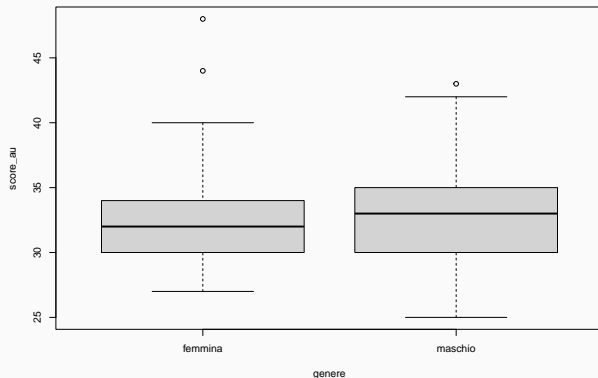
```
with(benessere,
     plot(score_ben ~ score_au))
```




```
benessere$genere <- factor(ifelse(benessere$genere == 1,
                                "maschio", "femmina"))
plot(score_au ~ genere, data = benessere)
```

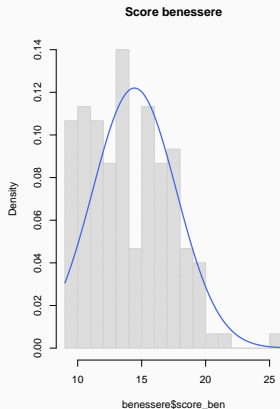
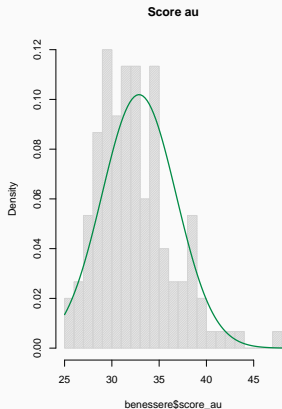



```
plot(y ~ x) with x categorical is equivalent to boxplot(y ~ x)
boxplot(score_au ~ genere, data = benessere)
```




```
par(mfrow=c(nrows, ncolumns)) # panels filled by rows
par(mfcol=c(nrows, ncolumns)) # panels filled by columns
```

Multi plot: Rows



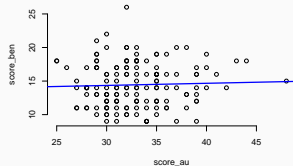
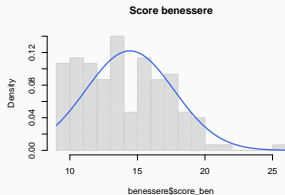
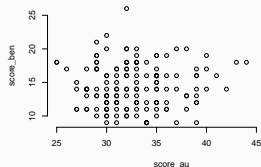
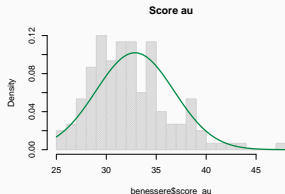
Multi plot: Rows

```
par(mfrow=c(1, 2))

hist(benessere$score_au,density=50, breaks=20, prob=TRUE,
     main = "Score au")
curve(dnorm(x, mean=mean(benessere$score_au),
                    sd=sd(benessere$score_au)),
      col="springgreen4", lwd=2, add=TRUE, yaxt="n")

hist(benessere$score_ben,density=50, breaks=20, prob=TRUE,
     main = "Score benessere")
curve(dnorm(x, mean=mean(benessere$score_ben),
                    sd=sd(benessere$score_ben)),
      col="royalblue", lwd=2, add=TRUE, yaxt="n")
```

Multiplot columns



Multi plot Columns

```

par(mfcol= c(2,2))
hist(benessere$score_au,density=50, breaks=20, prob=TRUE,
     main = "Score au")
curve(dnorm(x, mean=mean(benessere$score_au),
              sd=sd(benessere$score_au)),
      col="springgreen4", lwd=2, add=TRUE, yaxt="n")

hist(benessere$score_ben,density=50, breaks=20, prob=TRUE,
     main = "Score benessere")
curve(dnorm(x, mean=mean(benessere$score_ben),
              sd=sd(benessere$score_ben)),
      col="royalblue", lwd=2, add=TRUE, yaxt="n")

with(benessere,
     plot(score_au, score_ben, frame = FALSE))

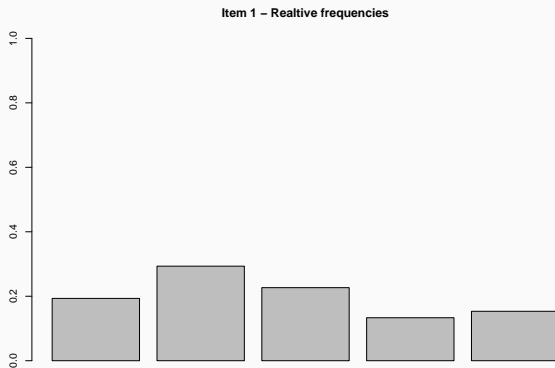
with(benessere,
     plot(score_au, score_ben, frame = FALSE))
abline(lm(score_ben ~ score_au, data = benessere), col = "blue", lwd = 2)

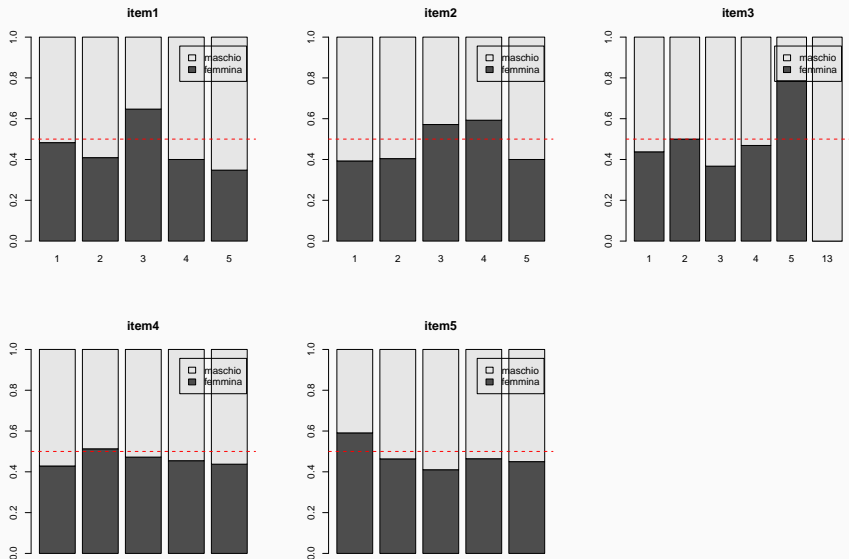
```


barplot(): Relative frequency

First step: Frequency tables

```
perc_item1 = freq_item1/sum(freq_item1)
barplot(perc_item1, ylim = c(0, 1),
        main = "Item 1 - Realtive frequencies")
```





interaction.plot()

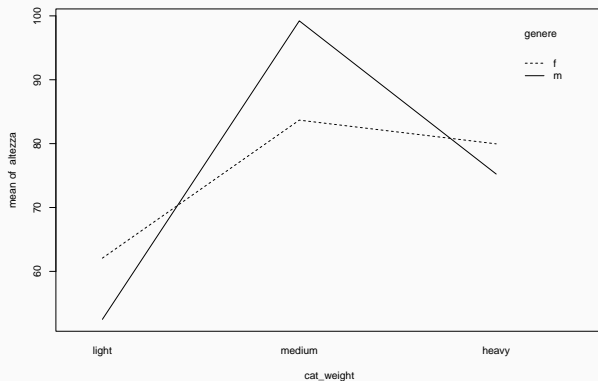
Intearction between x and y given a categorical variable z

```
interaction.plot(x, z, y)
```


babies

• • • •


```
with(babies,
      interaction.plot(cat_weight, genere, altezza))
```



ggplot2 (Grammar of Graphics plot, Wickman, 2016) is one of the best packages for plotting raw data and results:

```
ggplot(data,
  ars(x = var.x,
      y = var.y,
      col = var.color, # factor or character
      fill = var.filling, # factor or character
      shape = var.shape, # actor or character
      size = var.size, # numeric
      ...)) + geom_graph.type() + ...
```

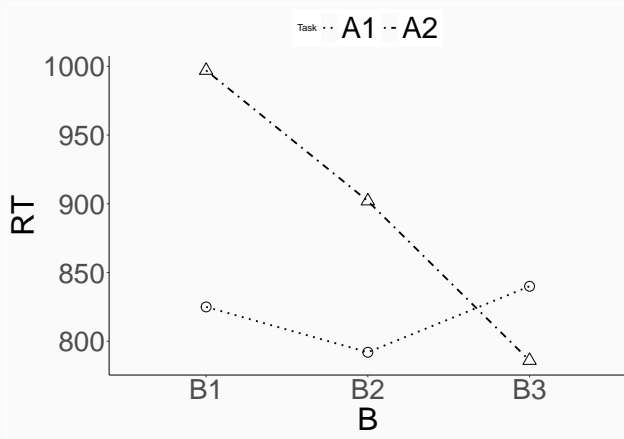


```
dat <- read.table(header=TRUE, text="
A B rt
a1 b1 825
a1 b2 792
a1 b3 840
a2 b1 997
a2 b2 902
a2 b3 786
")
```

Force A and B to be factor:

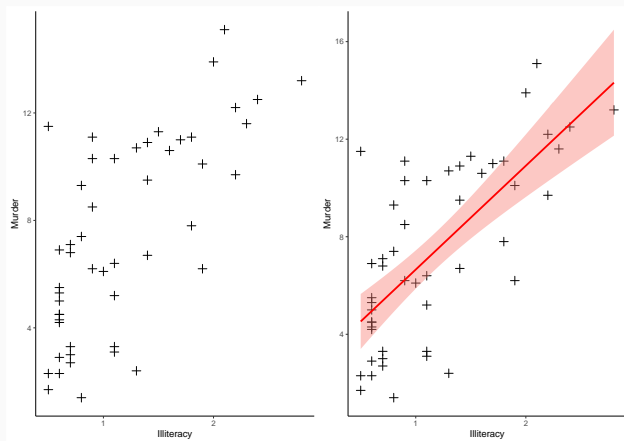
```
dat[,1:2] = lapply(dat[,1:2], as.factor)
```


The result

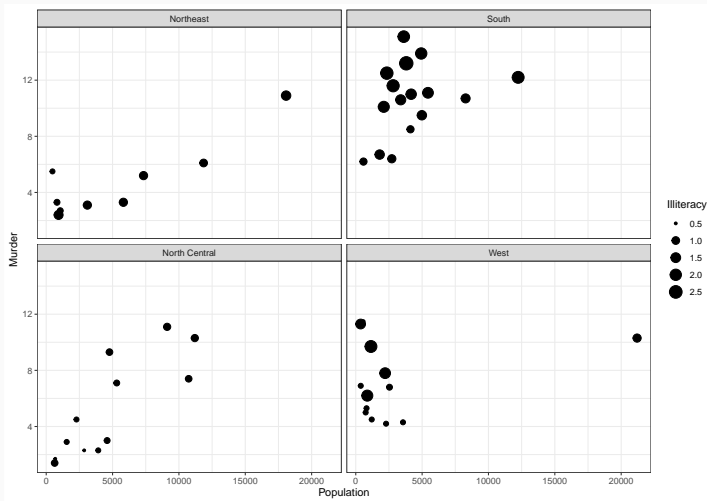



```
grid.arrange(murder_raw, murder_lm,
              nrow=1) # plots forced to be the same row
```

Combine the plots together



Multi Panel (automatic)



Multi panel (automatic)

```
states = data.frame(state.x77, state.name = state.name,
                     state.region = state.region)

ggplot(states,
        aes(x = Population, y = Murder,
            size = Illiteracy)) + geom_point() +
  facet_wrap(~state.region) + theme_bw()
```



```
small = benessere[, c("ID", "score_au", "score_ben")]
score_long = reshape(small,
  idvar = "ID",
  times = names(small)[-1],
  timevar = "score", v.names = "value",
  varying = list(names(small)[-1]),
  direction = "long")
head(score_long)
```

	ID	score	value
1.score_au	1	score_au	33
2.score_au	2	score_au	40
3.score_au	3	score_au	38
4.score_au	4	score_au	38
5.score_au	5	score_au	26
6.score_au	6	score_au	33

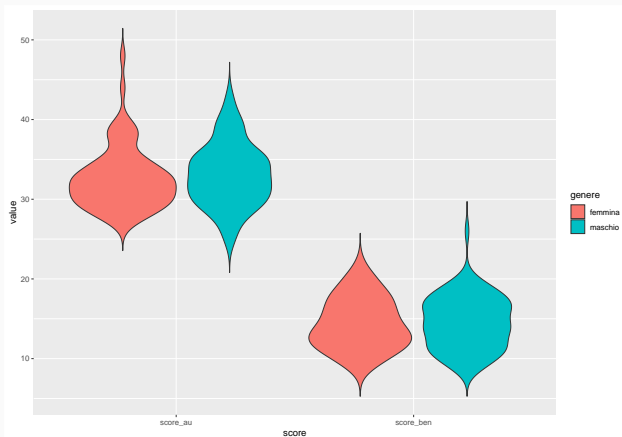
Boxplot

A box plot comparing the distribution of 'score' for two categories: 'none_low' and 'none_high'. The y-axis represents the 'score' from 0.0 to 0.6. The 'none_low' group (red box) has a median score of approximately 0.31, with a box spanning from 0.30 to 0.33 and whiskers from 0.27 to 0.42. The 'none_high' group (teal box) has a median score of approximately 0.15, with a box spanning from 0.13 to 0.17 and whiskers from 0.10 to 0.22. Individual data points are overlaid as small circles.

score_cat	score
none_low	0.27
none_low	0.28
none_low	0.29
none_low	0.30
none_low	0.31
none_low	0.31
none_low	0.32
none_low	0.32
none_low	0.33
none_low	0.33
none_low	0.34
none_low	0.35
none_low	0.36
none_low	0.37
none_low	0.38
none_low	0.39
none_low	0.40
none_low	0.41
none_low	0.42
none_low	0.43
none_low	0.44
none_low	0.45
none_low	0.46
none_low	0.47
none_low	0.48
none_low	0.49
none_low	0.50
none_low	0.51
none_low	0.52
none_low	0.53
none_low	0.54
none_low	0.55
none_low	0.56
none_low	0.57
none_low	0.58
none_low	0.59
none_low	0.60
none_low	0.61
none_low	0.62
none_low	0.63
none_low	0.64
none_low	0.65
none_low	0.66
none_low	0.67
none_low	0.68
none_low	0.69
none_low	0.70
none_low	0.71
none_low	0.72
none_low	0.73
none_low	0.74
none_low	0.75
none_low	0.76
none_low	0.77
none_low	0.78
none_low	0.79
none_low	0.80
none_low	0.81
none_low	0.82
none_low	0.83
none_low	0.84
none_low	0.85
none_low	0.86
none_low	0.87
none_low	0.88
none_low	0.89
none_low	0.90
none_low	0.91
none_low	0.92
none_low	0.93
none_low	0.94
none_low	0.95
none_low	0.96
none_low	0.97
none_low	0.98
none_low	0.99
none_low	1.00
none_low	1.01
none_low	1.02
none_low	1.03
none_low	1.04
none_low	1.05
none_low	1.06
none_low	1.07
none_low	1.08
none_low	1.09
none_low	1.10
none_low	1.11
none_low	1.12
none_low	1.13
none_low	1.14
none_low	1.15
none_low	1.16
none_low	1.17
none_low	1.18
none_low	1.19
none_low	1.20
none_low	1.21
none_low	1.22
none_low	1.23
none_low	1.24
none_low	1.25
none_low	1.26
none_low	1.27
none_low	1.28
none_low	1.29
none_low	1.30
none_low	1.31
none_low	1.32
none_low	1.33
none_low	1.34
none_low	1.35
none_low	1.36
none_low	1.37
none_low	1.38
none_low	1.39
none_low	1.40
none_low	1.41
none_low	1.42
none_low	1.43
none_low	1.44
none_low	1.45
none_low	1.46
none_low	1.47
none_low	1.48
none_low	1.49
none_low	1.50
none_low	1.51
none_low	1.52
none_low	1.53
none_low	1.54
none_low	1.55
none_low	1.56
none_low	1.57
none_low	1.58
none_low	1.59
none_low	1.60
none_low	1.61
none_low	1.62
none_low	1.63
none_low	1.64
none_low	1.65
none_low	1.66
none_low	1.67
none_low	1.68
none_low	1.69
none_low	1.70
none_low	1.71
none_low	1.72
none_low	1.73
none_low	1.74
none_low	1.75
none_low	1.76
none_low	1.77
none_low	1.78
none_low	1.79
none_low	1.80
none_low	1.81
none_low	1.82
none_low	1.83
none_low	1.84
none_low	1.85
none_low	1.86
none_low	1.87
none_low	1.88
none_low	1.89
none_low	1.90
none_low	1.91
none_low	1.92
none_low	1.93
none_low	1.94
none_low	1.95
none_low	1.96
none_low	1.97
none_low	1.98
none_low	1.99
none_low	2.00
none_low	2.01
none_low	2.02
none_low	2.03

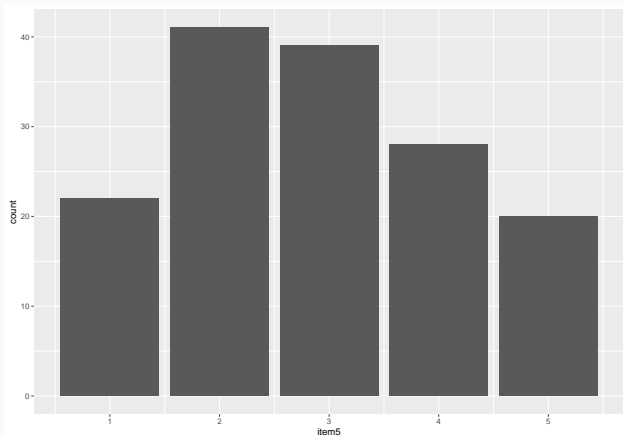
Violinplot

```
ggplot(score_long,
       aes(x = score, y = value,
           fill = genere)) + geom_violin(trim = FALSE)
```



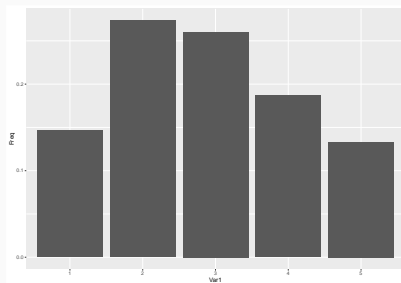

```
geom_bar(stat = "count"):
```

```
ggplot(benessere,
       aes(x = item5)) + geom_bar(stat = "count")
```



```
geom_bar(stat = "identity")
```

```
item_5 = data.frame(table(benessere$item5)/nrow(benessere))
ggplot(item_5,
       aes(x = Var1, y = Freq)) + geom_bar(stat = "identity")
```



Compute the proportion

```
proporzione = new_item %>%
  group_by(item, value) %>%
  summarise(prop = n()/nrow(benessere))
proporzione
```

```
# A tibble: 26 x 3
# Groups:   item [5]
  item value prop
  <chr> <int> <dbl>
1 item1     1 0.193
2 item1     2 0.293
...

```

The plot

```
ggplot(proporzione,
       aes(x = value, y = prop)) +
  geom_bar(stat = "identity") +
  facet_wrap(~item)
```

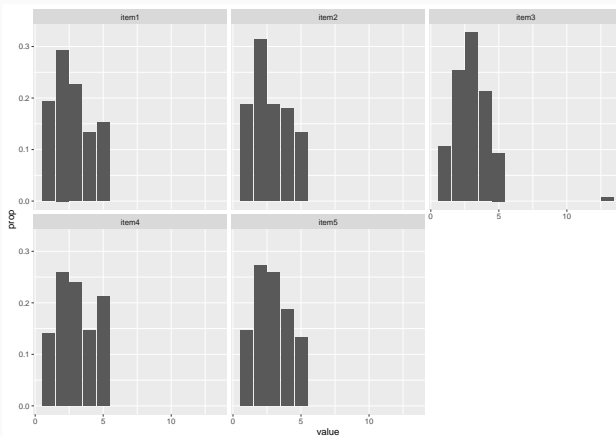


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Automatically

```
pdf("nome_grafico.pdf")
png("nome_grafico.png")
tiff("nome_grafico.tiff")
jpeg("nome_grafico.jpeg")
bmp("nome_grafico.bmp")
```

Remember to turn off the graphical device

```
dev.off()
```


Manually

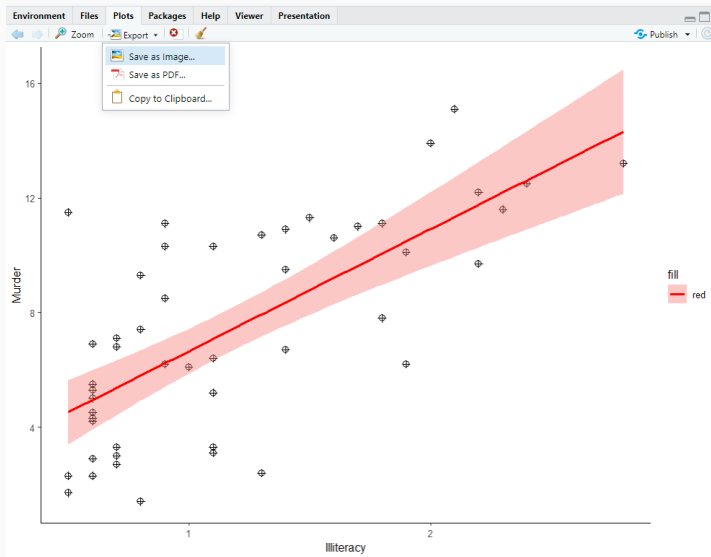


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```
see library(help=stats)
```

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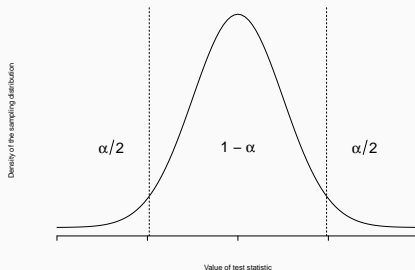
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- `chisq.test()`: contingency table χ^2 tests
- `cor.test()`: association between paired samples
- `t.test()`: one- and two-sample t tests (also for paired data)
- `lm(y ~ x1 + x2 + x3 ...)`: fit a linear model
- `glm(y ~ x1 + x2 + x3 ...)`: fit a generalize linear model

p -value:

conditional probability of obtaining a test statistic that is at least as extreme as the one observed, given that the null hypothesis is true

If $p < \alpha$ (i.e., the probability of rejecting the null hypothesis when it is true) \rightarrow the null hypothesis is rejected



χ^2 test

Independence of observations

Hypothesis:

- $H_0: P(X_{ij} = k) = p_k$ for all $i = 1, \dots, r$ and $j = 1, \dots, c$
- $H_0: P(X_{ij} = k) \neq P(X_{i'j} = k)$ for *at least* one $i \in \{1, \dots, r\}$ and $j \in \{1, \dots, c\}$

Test statistic:

$$\chi^2 = \sum_{i=1}^n \frac{(x_{ij} - \hat{x}_{ij})^2}{\hat{x}_{ij}}, \quad \chi^2 \sim \chi^2(r-1)(c-1)$$

Hypothesis:

- $H_0: \rho_{XY} = 0, H_1: \rho_{xy} \neq 0$
- $H_0: \rho_{XY} = 0, H_1: \rho_{xy} < 0$
- $H_0: \rho_{XY} = 0, H_1: \rho_{xy} > 0$

Test statistic:

$$T = \frac{r_{xy}}{\sqrt{1 - r_{xy}^2}} \sqrt{n - 2}, \quad T \sim t(n - 2)$$

Two (depedent) sample t test

Observations on the same sample

Hypothesis:

- $H_0: \mu_D = 0, H_1: \mu_D \neq 0$
- $H_0: \mu_D = 0, H_1: \mu_D < 0$
- $H_0: \mu_D = 0, H_1: \mu_D > 0$

Test statistic:

$$T = \frac{d}{\sigma_d}, \quad T \sim t(m-1)$$

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Statistical models are represented by formulae which are extremely close to the actual statistical notation:

in R	Model
$y \sim 1 + x$	$y_i = \beta_0 + \beta_1 x_i + \varepsilon_i$
$y \sim x$	(same but short)
$y \sim 0 + x$	$y_i = \beta_1 x_i + \varepsilon_i$
$y \sim x_A * x_B$	$y_i = \beta_0 + \beta_1 x_i + \beta_2 x_j + (\beta_1 \beta_2) x_{ij} + \varepsilon_{ij}$

In R:

```
coef()      # Extract the regression coefficients
summary()   # Print a comprehensive summary of the results of
            # the regression analysis
anova()     # Compare nested models and produce an analysis
resid()     # Extract the (matrix of) residuals
plot()      # Produce four plots, showing residuals, fitted
            # values and some diagnostics
model.matrix()
            # Return the design matrix
```

```
vcov()      # Return the variance-covariance matrix of the
            # main parameters of a fitted model object
predict()   # A new data frame must be supplied having the
            # same variables specified with the same labels
            # as the original. The value is a vector or
            # matrix of predicted values corresponding to
            # the determining variable values in data frame
step()      # Select a suitable model by adding or dropping
            # terms and preserving hierarchies. The model
            # with the smallest value of AIC (Akaike's
            # Information Criterion) discovered in the
            # stepwise search is returned
```

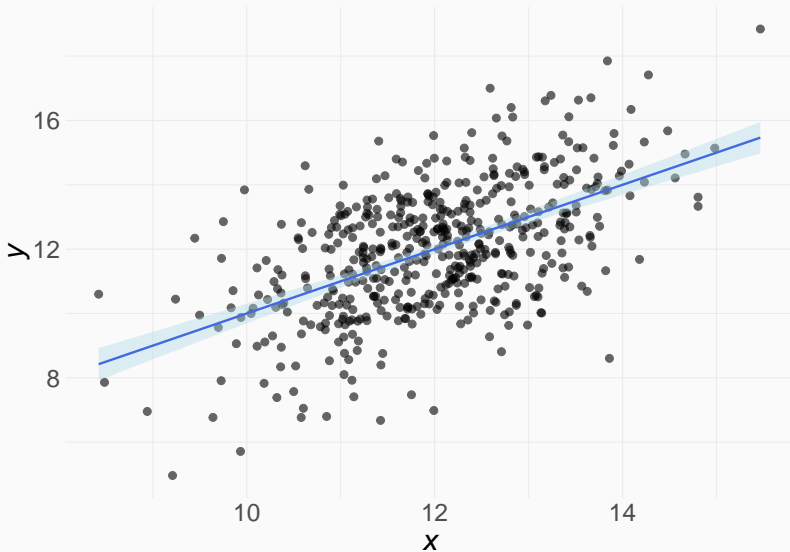
$g()$ is the link functions that connects the mean to the linear combination of predictors.

A GLM is composed of three elements: The response distribution, the link function, and the linear combination of predictors

In R:

```
glm(y ~ x1 + x2 + ... + xk, family(link), data)
```

LM: data



LM: Model

```
model = lm(y ~ x, data = data)
summary(model)
```

Call:

```
lm(formula = y ~ x, data = data)
```

Residuals:

Min	1Q	Median	3Q	Max
-5.2559	-1.1314	0.0162	1.1889	4.4123

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	10.90000	0.10580	103.0	<2e-16 ***
x	0.55000	0.03742	14.7	<2e-16 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

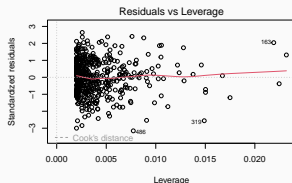
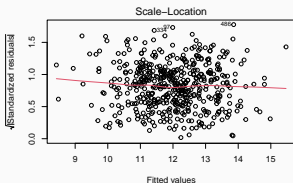
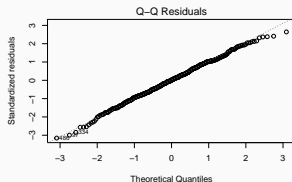
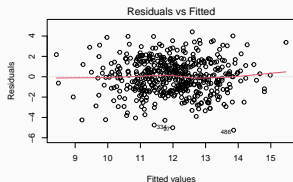
Residual standard error: 1.672 on 498 degrees of freedom

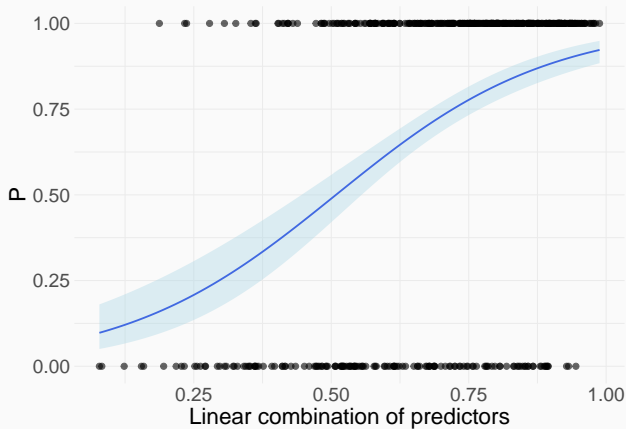
Multiple R-squared: 0.3025, Adjusted R-squared: 0.3011

F-statistic: 216 on 1 and 498 DF, p-value: < 2.2e-16

Diagnostic

```
par(mfrow = c(2,2))
plot(model)
```





GLM: Model

```
model_bin <- glm(z ~ x, data = data, family = "binomial")
summary(model_bin)
```

Call:

```
glm(formula = z ~ x, family = "binomial", data = data)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z)
(Intercept)	-0.04795	0.14021	-0.342	0.732
x	0.53713	0.06486	8.281	<2e-16 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 612.55 on 499 degrees of freedom
 Residual deviance: 521.91 on 498 degrees of freedom
 AIC: 525.91

Number of Fisher Scoring iterations: 4

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A special link function to each response variable. In R some different link functions are available by default:

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