

NON SEPARARE DOPO QUELLO CHE HAI
SOMMINISTRATO INSIEME PRIMA:
UN APPROCCIO MISTO PER L'ANALISI
CONGIUNTA DELLE MISURE IMPLICITE

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VS





VS



Implicit Association Test (IAT)



VS



Implicit Association Test (IAT)

Coke Good/Pepsi Bad (CGPB)



Pepsi Good/Coke Bad (PGCB)





VS



Implicit Association Test (IAT)

Coke Good/Pepsi Bad (CGPB)



Pepsi Good/Coke Bad (PGCB)



$$Dscore = \frac{M_{CGPB} - M_{PGCB}}{s_{CGPB, PGCB}}$$

- └ Implicit Assessment
- └ Absolute measures





Single Category IAT



Single Category IAT

Coke-Good/Bad (CG)



Good/Coke-Bad (CB)





Single Category IAT

Coke-Good/Bad (CG)



Good/Coke-Bad (CB)



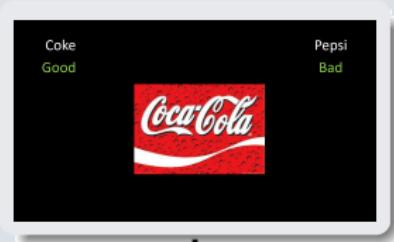
$$Dscore = \frac{M_{CB} - M_{CG}}{s_{CB, CG}}$$

└ Implicit Assessment
└ Comparative & Absolute



VS





D-score

D-Coke

D-Pepsi

└ Not the best approach...

Stand alone measures:

Multiple measures:

└ Not the best approach...

Stand alone measures:

	Condition A			Condition B		
Lara						
Francesco						
Giulia						

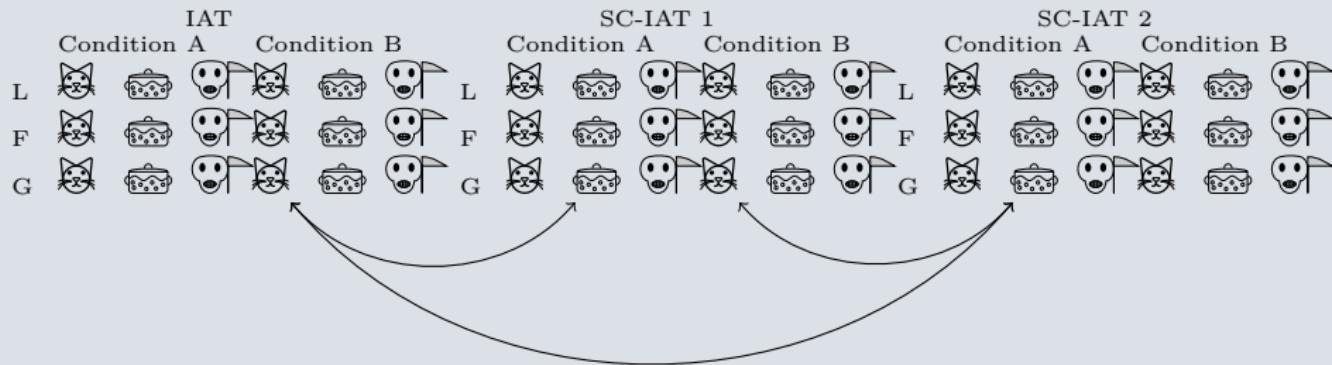
Multiple measures:

└ Not the best approach...

Stand alone measures:

	Condition A			Condition B		
Lara						
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Multiple measures:



Linear Mixed Effect Models (LMMs) allow for:

- Accounting for (potentially) all the sources of variability and dependency
- Gathering information at the stimuli level

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- **Rasch Model** & **Log-normal Model** estimates

Rasch model

Log-normal model

Rasch model

Log-normal model

Ability

θ

Speed

τ

Respondents

Rasch model

Log-normal model

Ability

$$\theta$$

Easiness

$$b$$

Speed

$$\tau$$

Time intensity

$$\delta$$

Respondents

Stimuli

LMMs on implicit measures responses:

LMMs on implicit measures responses:



GLMMs on
Accuracy responses



Rasch model estimates

LMMs on implicit measures responses:

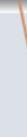


GLMMs on
Accuracy responses



Rasch model estimates

LMMs on
Log-time responses



Log-normal model estimates

LMMs on implicit measures responses:

GLMMs on
Accuracy responses

LMMs on
Log-time responses

Rasch model estimates

Log-normal model estimates

Predictive ability of behavioral outcomes

Classic scoring vs Model estimates

The expected response y for the observation $i = 1, \dots, I$ for respondent $j = 1, \dots, J$ on stimulus $k = 1, \dots, K$ in condition $l = 1, \dots, L$ of measure $m = 1, \dots, M$:

Model 1:

$$y_i = \alpha + \beta l_i + \alpha_{j[i]} + \alpha_{k[i]} + \epsilon_i \quad \text{Fixed Effect}$$

$$\begin{aligned} \alpha_j &\sim \mathcal{N}(0, \sigma_j^2), \\ \alpha_k &\sim \mathcal{N}(0, \sigma_k^2). \end{aligned}$$

Model 2:

$$\begin{aligned} y_i &= \alpha + \beta l_i + \alpha_{k[i]} + \beta_{j[i]} m_i + \epsilon_i \quad \text{Random structure} \\ \alpha_k &\sim \mathcal{N}(0, \sigma_k^2), \\ \beta_j &\sim \mathcal{MVN}(0, \Sigma_{jm}). \end{aligned}$$

Model 3:

$$\begin{aligned} y_i &= \alpha + \beta l_i + \alpha_{k[i]} + \beta_{j[i]} m_i l_i + \epsilon_i \\ \alpha_k &\sim \mathcal{N}(0, \sigma_k^2), \\ \beta_j &\sim \mathcal{MVN}(0, \Sigma_{jml}). \end{aligned}$$

Accuracy: $\epsilon \sim \mathcal{L}(0, \sigma^2)$

Log-time: $\epsilon \sim \mathcal{N}(0, \sigma^2)$

Accuracy model (Rasch Model estimates):

	Respondents' parameters	Stimuli parameters
Model 1	Overall (θ_j)	Overall (b_k)
Model 2	Measure-specific (θ_{jm})	Overall (b_k)
Model 3	Condition-specific (θ_{jml})	Overall (b_k)

Log-time model (Log-normal Model estimates):

	Respondents' parameters	Stimuli parameters
Model 1	Overall (τ_j)	Overall (δ_k)
Model 2	Measure-specific (τ_{jm})	Overall (δ_k)
Model 3	Condition-specific (τ_{jml})	Overall (δ_k)

$j = 1, \dots, J$ Respondents
 $k = 1, \dots, K$ Stimuli

$l = 1, \dots, L$ Condition
 $m = 1, \dots, M$ Measure

Stimuli:

14 Object Stimuli (*7 Dark, 7 Milk*)



26 Evaluative attributes (*13 Good, 13 Bad*)

Chocolate IAT

Conditions:

MGDB: 60 trials

DGMB: 60 trials

Dark SC-IAT

Conditions:

DB: 72 trials

DG: 72 trials

Milk SC-IAT

Conditions:

MB: 72 trials

MG: 72 trials

$n = 152$, ($F = 63.82\%$, Age = 24.03 ± 2.82 years)

Milk Chocolate Choice: 48.03%

Model	Accuracy			Response times		
	AIC	BIC	Deviance	AIC	BIC	Deviance
1	22990.85	23036.02	22980.85	44623.69	44677.9	44611.69
2	22905.80	22996.15	22885.80	43448.31	43547.70	43426.31
3	22364.85	22617.83	22308.85	38932.55	39194.56	38874.55

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Rasch model: Model 3

b_k : Overall stimuli estimates, across respondents/conditions/measures.

θ_{jml} : Measure-Condition specific respondents' estimates.

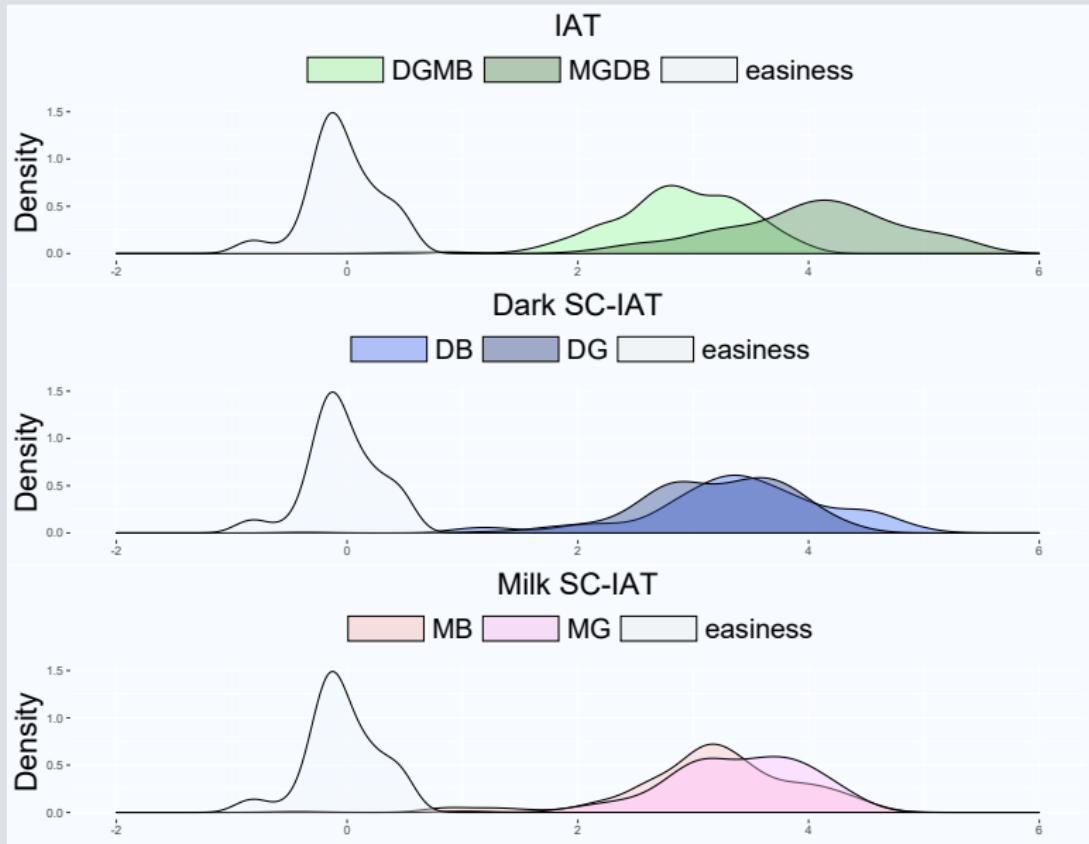
Log-normal model: Model 3

δ_k : Overall stimuli estimates, across respondents/conditions/measures.

τ_{jml} : Measure-Condition specific respondents' estimates.

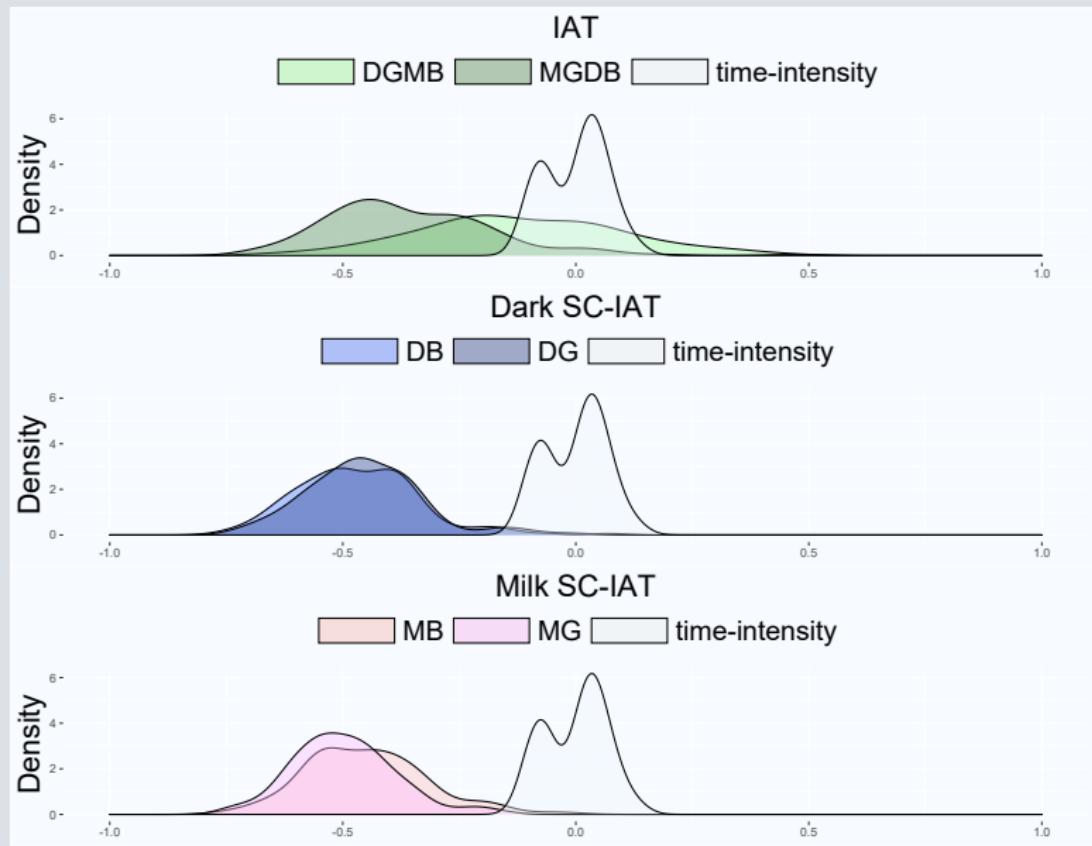
Results

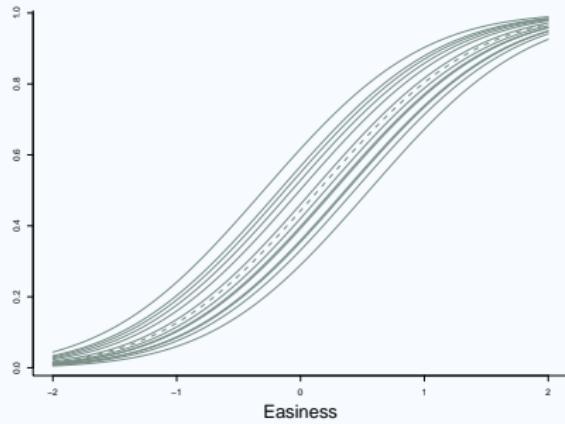
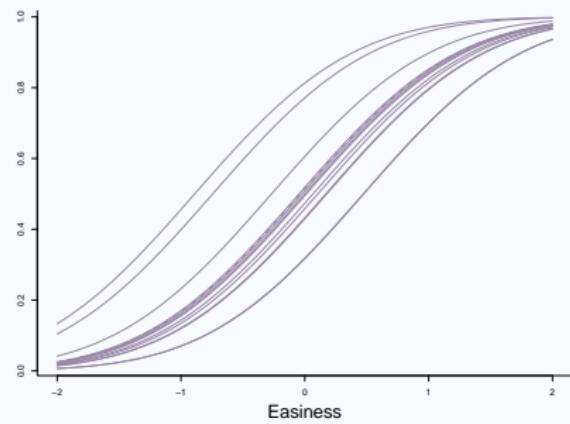
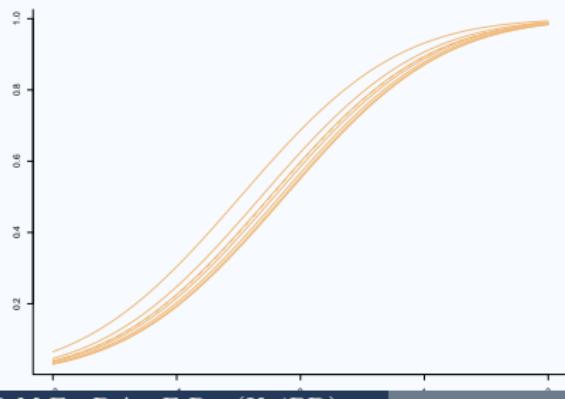
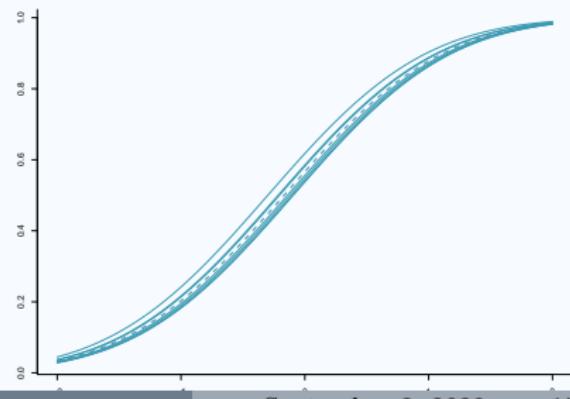
Rasch model: Estimate distributions



Results

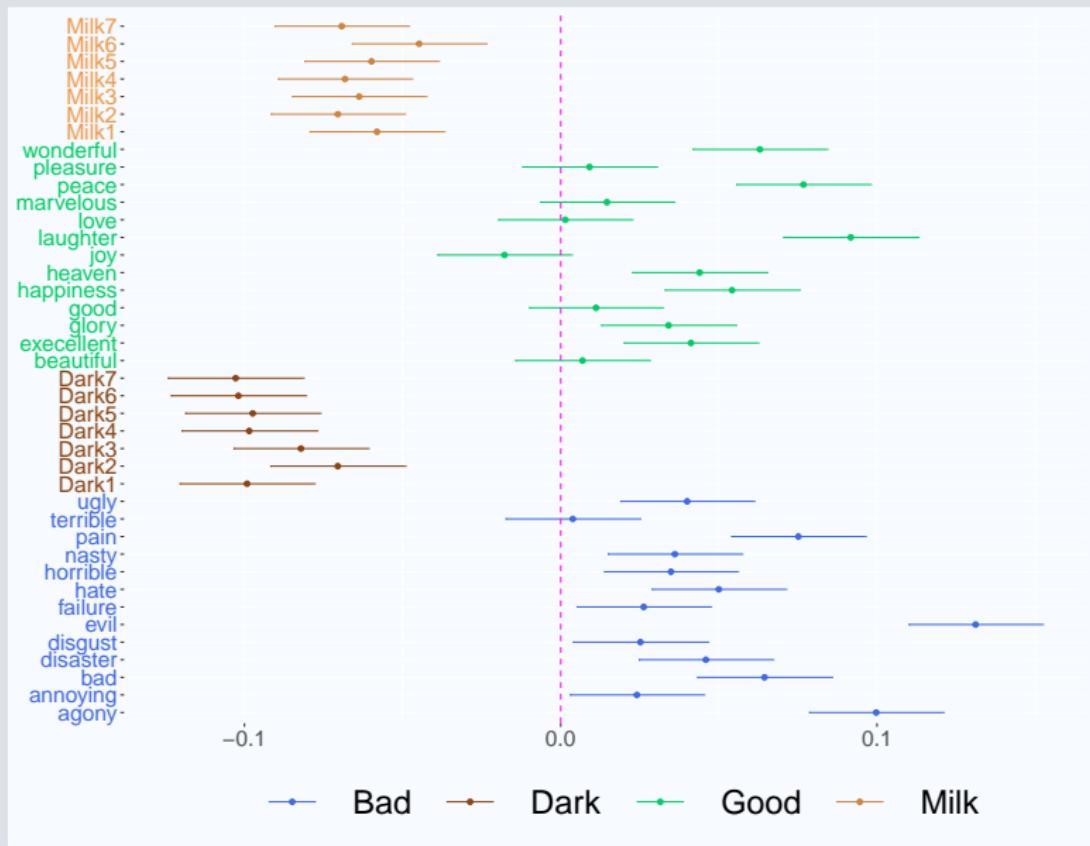
Log-normal model: Estimate distributions



Good**Bad****Dark****Milk**

Results

Stimuli time intensity



Dark Chocolate Choice
(DCC) = 0

Milk Chocolate Choice
(MCC) = 1

Differential measures:

$\text{Choice} \sim D\text{-score} + D\text{-Dark} + D\text{-Milk}$

$\text{Choice} \sim IAT\text{-differential} + Dark\text{-differential} + Milk\text{-differential}$

Single components:

$\text{Choice} \sim M_{DGMB} + M_{MGDB} + M_{DB} + M_{DG} + M_{MG} + M_{MB}$

$\text{Choice} \sim \tau_{DGMB} + \tau_{MGDB} + \tau_{DB} + \tau_{DG} + \tau_{MB} + \tau_{MG}$

$$IAT\text{-differential} = \tau_{DGMB} - \tau_{MGDB}$$

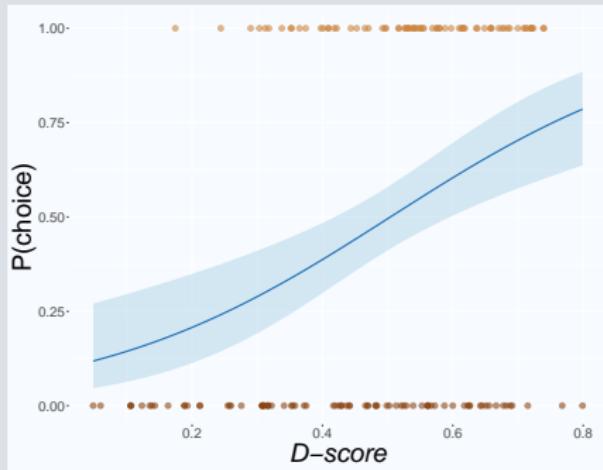
$$Dark\text{-differential} = \tau_{DB} - \tau_{DG}$$

$$Milk\text{-differential} = \tau_{MB} - \tau_{MG}$$

		Expected		
		Dark	Milk	
Observed	Dark	a	b	$a + b$ DCCs
	Milk	c	d	$c + d$ MCCs
		$a + c$	$b + d$	

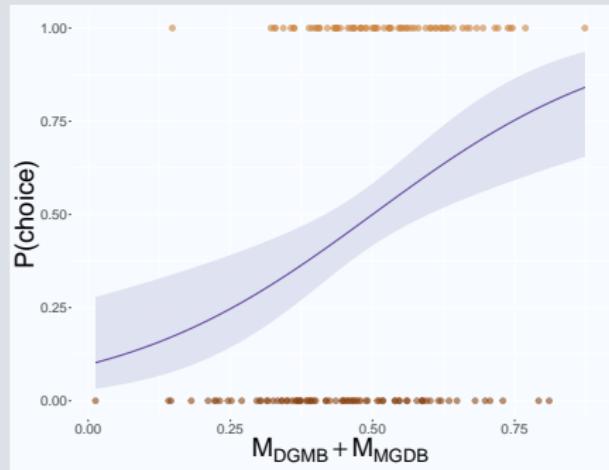
- $\frac{a + d}{a + b + c + d}$ General Accuracy (i.e., ratio between model correctly identified choices and total number of choices)
- $\frac{a}{a + b}$ DCC Accuracy (i.e., ratio between model correctly identified DCCs and observed number of DCCs)
- $\frac{d}{c + d}$ MCC Accuracy (i.e., ratio between model correctly identified MCCs and observed number of MCCs)

DIFFERENTIAL MEASURE



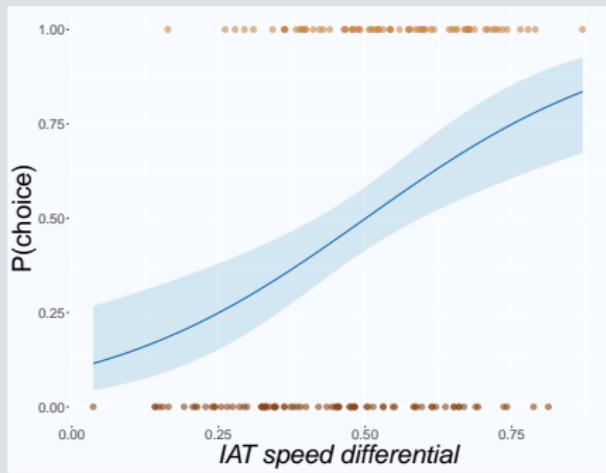
<i>General</i>	<i>DCC</i>	<i>MCC</i>	<i>Pseudo R</i> ²
0.64	0.62	0.67	0.16

SINGLE COMPONENTS

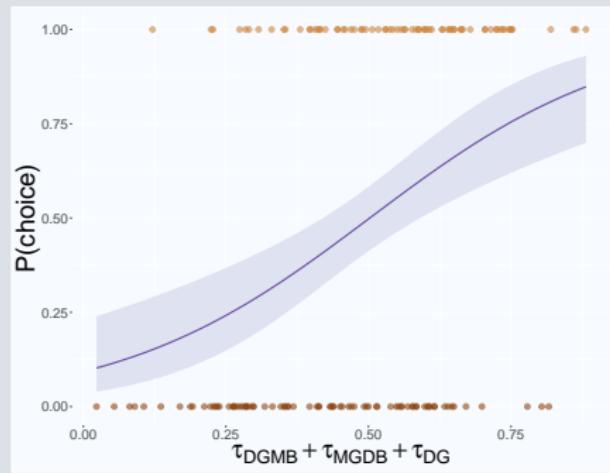


<i>General</i>	<i>DCC</i>	<i>MCC</i>	<i>Pseudo R</i> ²
0.62	0.67	0.56	0.12

DIFFERENTIAL MEASURE



SINGLE COMPONENTS



<i>General</i>	<i>DCC</i>	<i>MCC</i>	<i>Pseudo R</i> ²
0.64	0.67	0.60	0.15

<i>General</i>	<i>DCC</i>	<i>MCC</i>	<i>Pseudo R</i> ²
0.64	0.65	0.63	0.19

STIMULI INFORMATION

- Malfunctioning stimuli
- Stimuli driving the IAT effect
- Issues related with the computation of the *D-score*

CHOICE PREDICTION

- Single components vs Differential measures
- Not “How much” but “What”
- Deeper understanding of the processes underlying behaviors

Thank you!



LATEX

