



GEOMETRÍA

2n

SECONDARY

d

RETROALIMENTACIÓN TOMO VI



 **SACO OLIVEROS**

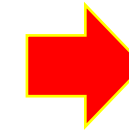
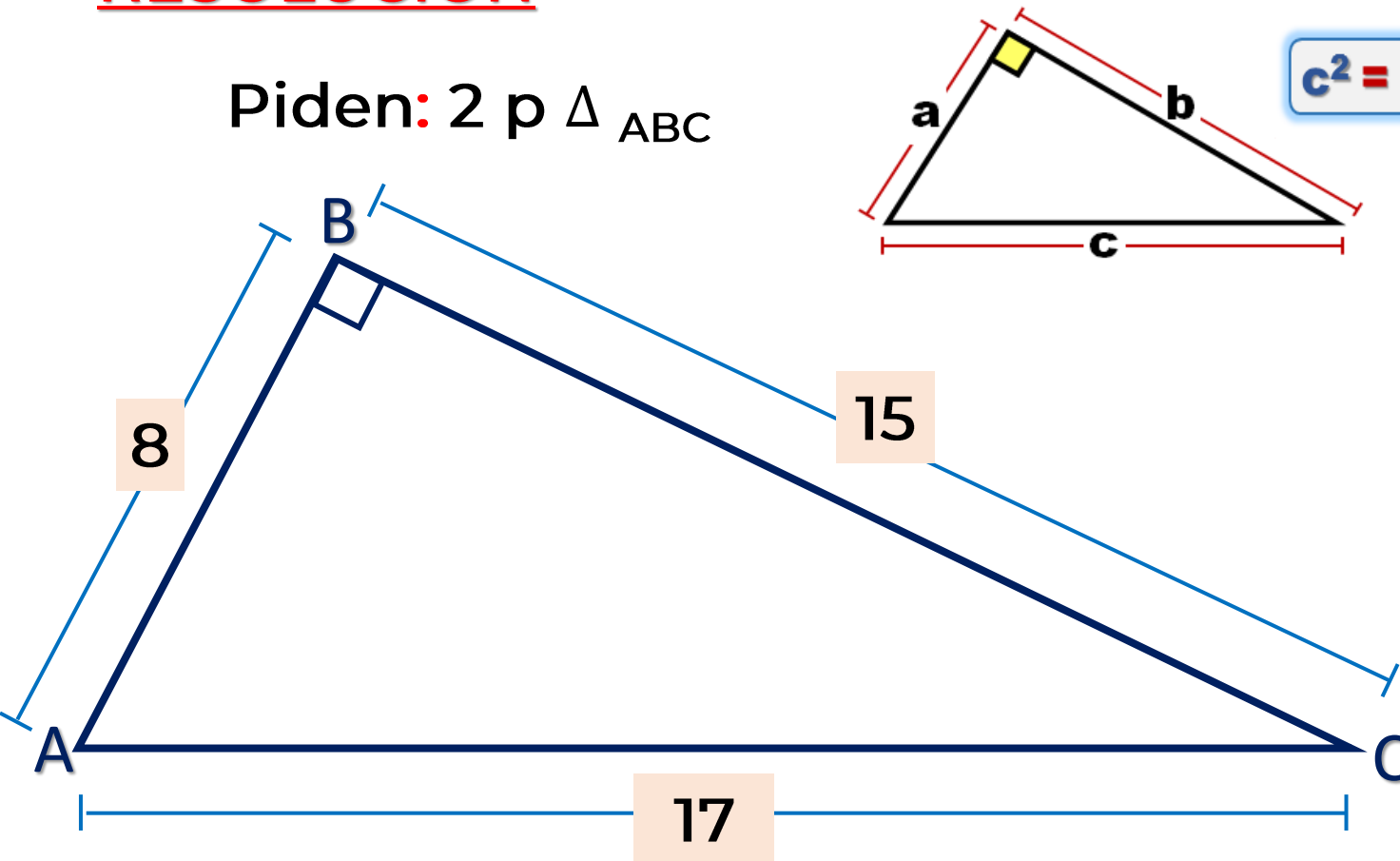


1. En un triángulo ABC recto en B, si $AB = 8\text{m}$ y $BC = 15\text{m}$, halle el perímetro del triángulo.

Teorema de Pitágoras

RESOLUCIÓN

Piden: $2 p \Delta_{ABC}$



$$AC^2 = 8^2 + 15^2$$

$$AC^2 = 64 + 225$$

$$AC^2 = 289$$

$$AC = 17$$

$$2 p \Delta_{ABC} = 8 + 15 + 17$$

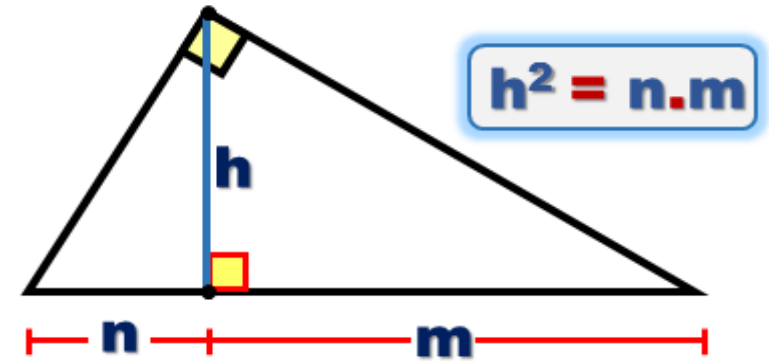
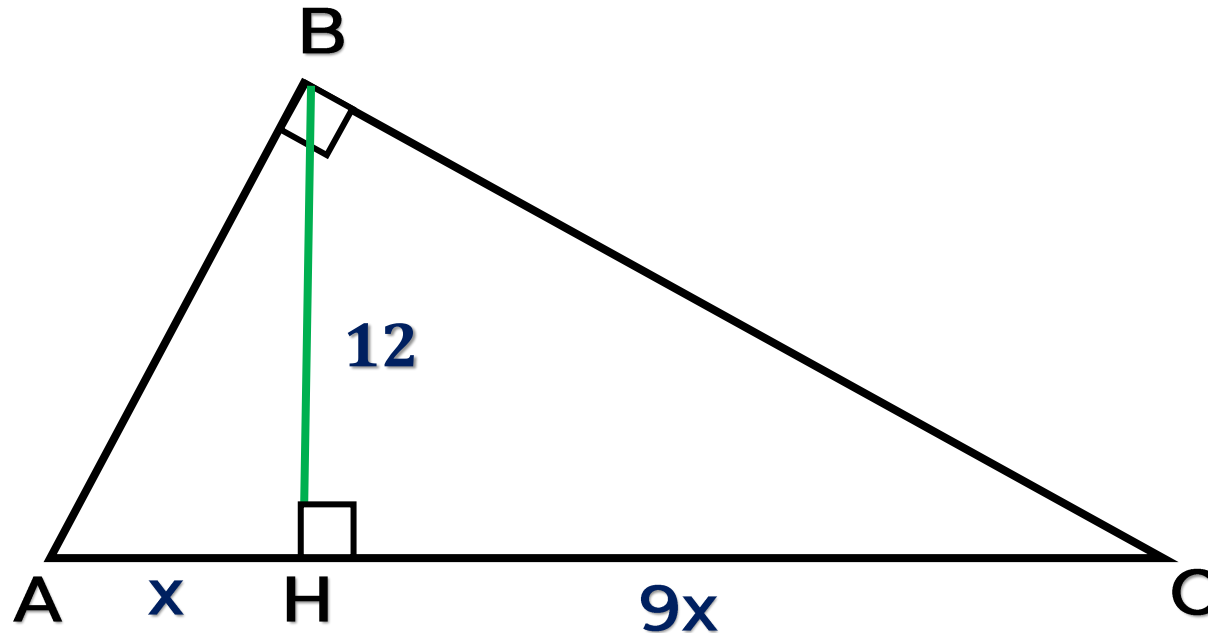
$$\therefore 2 p \Delta_{ABC} = 40 \text{ m}$$



2. En el gráfico, halle el valor de x .

RESOLUCIÓN

Piden: x



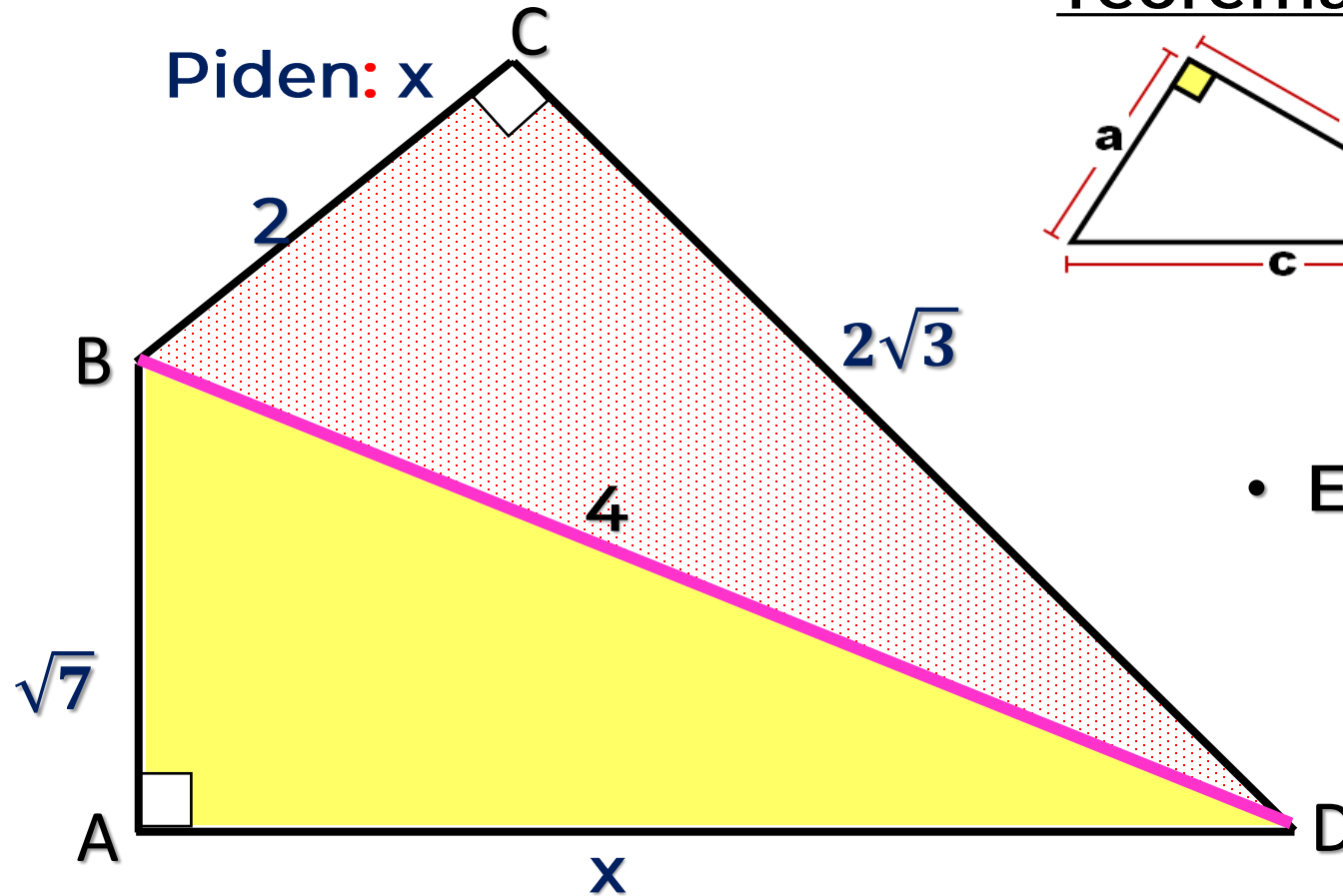
$$\begin{aligned} \Rightarrow 12^2 &= (x) \cdot (9x) \\ 144 &= 9x^2 \\ 16 &= x^2 \end{aligned}$$

$$\therefore \boxed{x = 4}$$

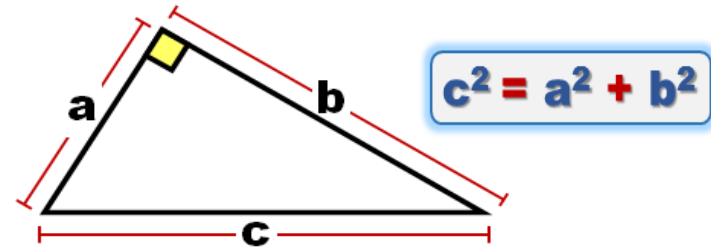


3. En el gráfico, halle el valor de x .

RESOLUCIÓN



- Se traza \overline{BD}
Teorema de Pitágoras



- En el $\triangle BCD$:

$$BD^2 = 2^2 + (2\sqrt{3})^2$$

$$BD^2 = 4 + 12$$

$$BD = 4$$

- En el $\triangle ABD$:

$$4^2 = x^2 + (\sqrt{7})^2$$

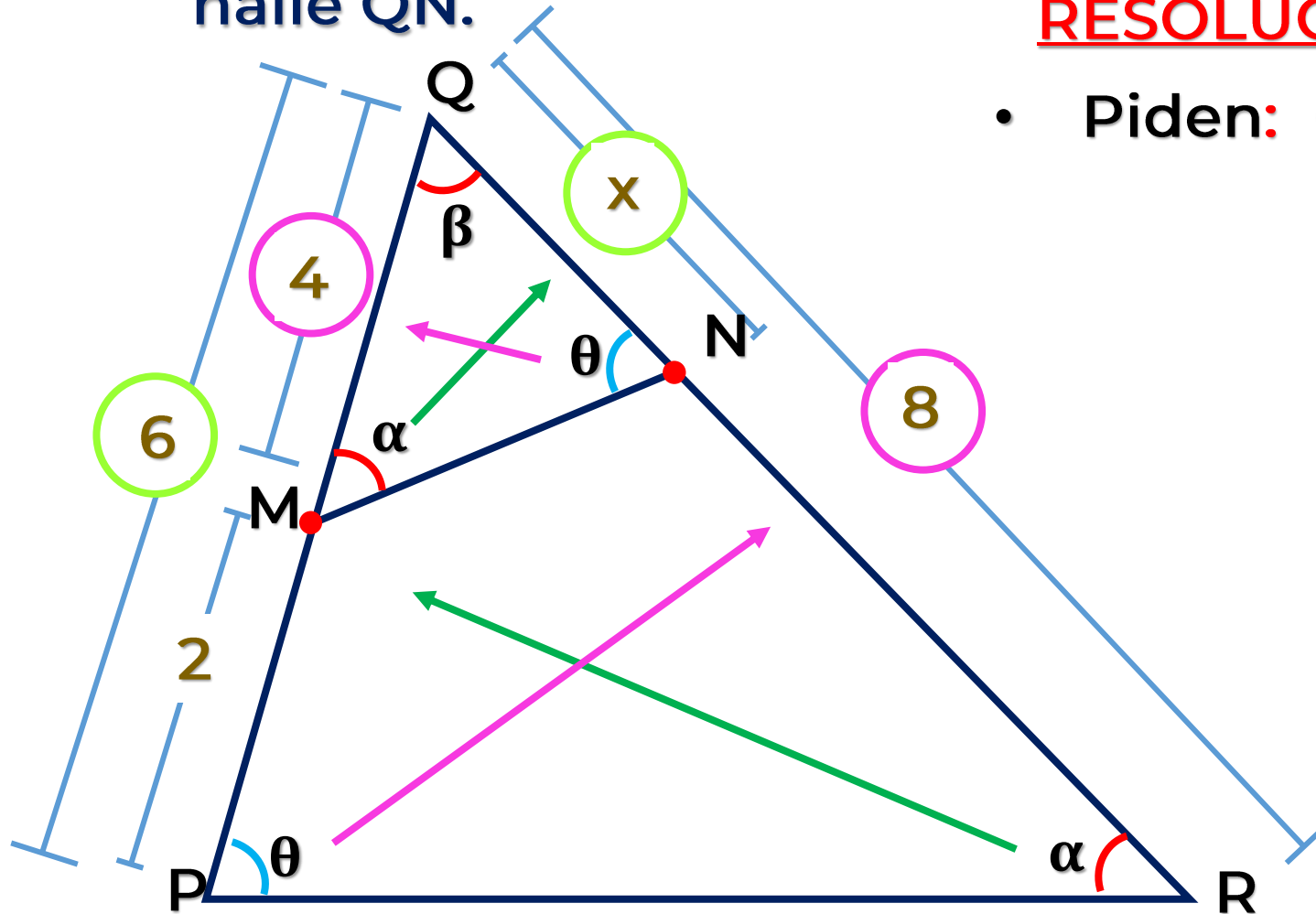
$$16 = x^2 + 7$$


$$9 = x^2$$

$$\therefore x = 3$$

halle QN.

- Piden: $QN = x$ $\Delta MQN \sim \Delta RQP$



 $\frac{A}{6} = \frac{4}{8}$

$$(8) \cdot (x) = (6) \cdot (4)$$

$$8 \times = 24$$

$\therefore \mathbf{x} = \mathbf{QN} = 3$



5. Se tiene un triángulo ABD, donde $\overline{C} \in \overline{BD}$, $E \in \overline{AD}$ y $m\angle BAD = m\angle ECD$. Si $AB = 10$, $BD = 15$ y $ED = 6$; halle CE.

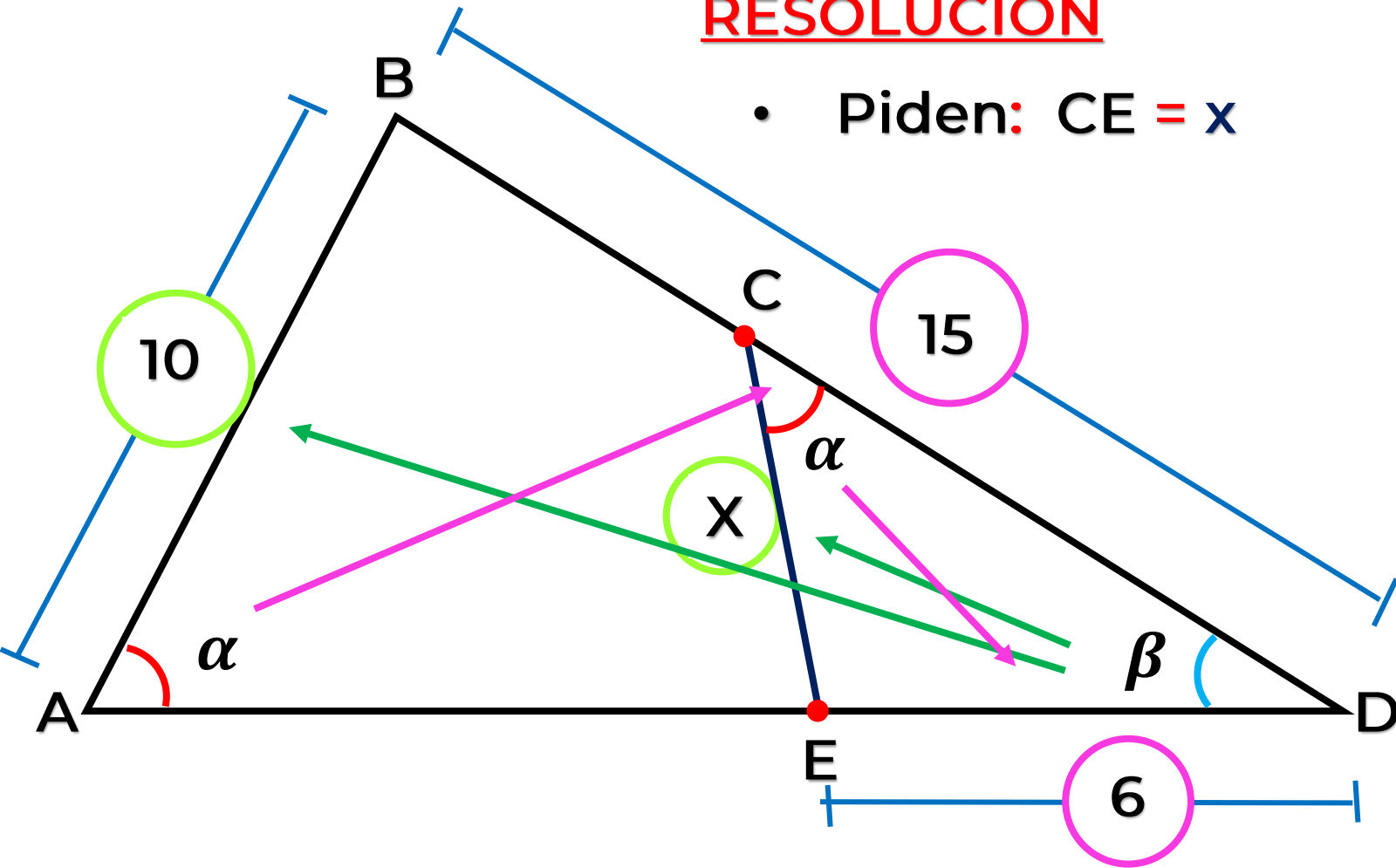
RESOLUCIÓN

- Piden: $CE = x$

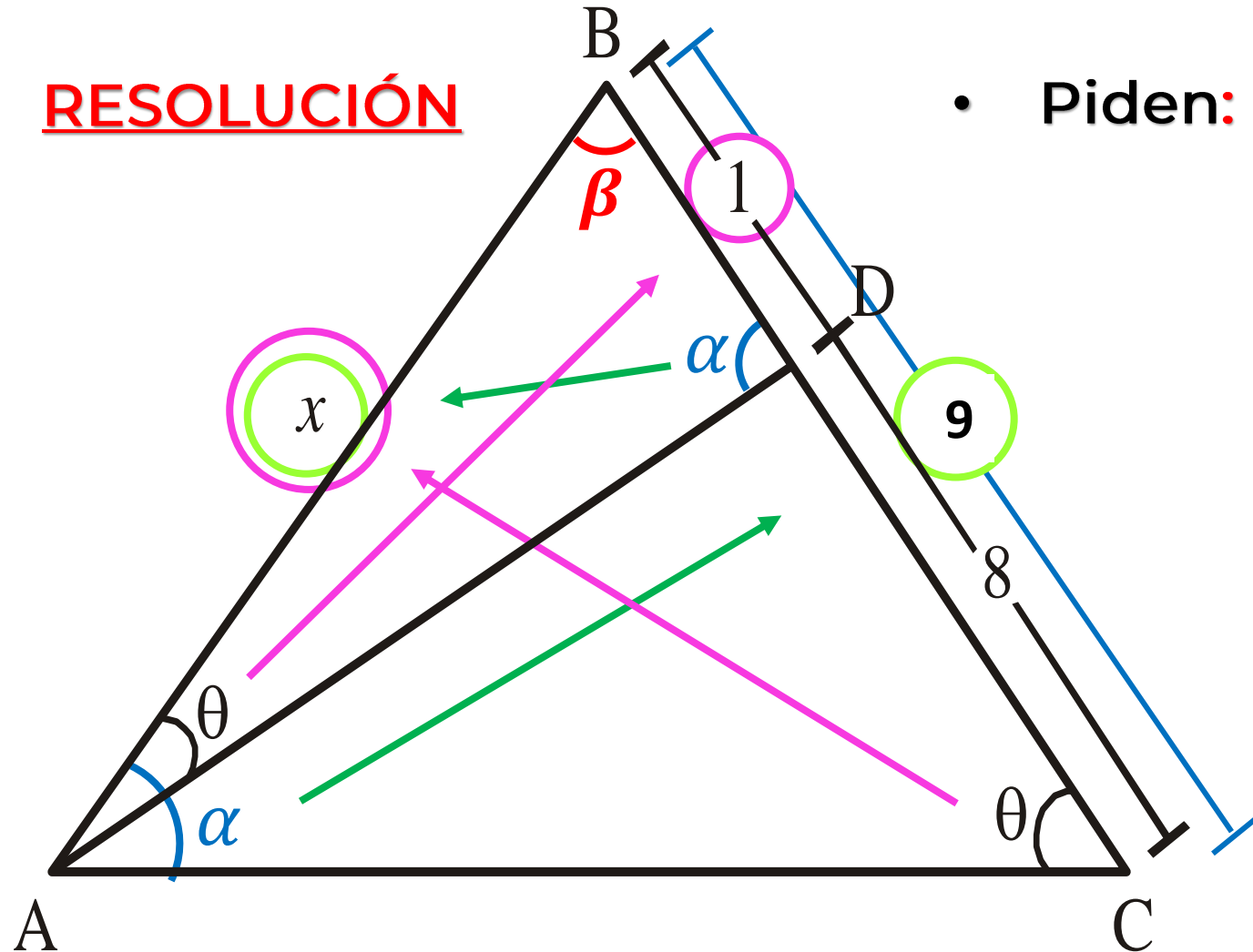
$$\triangle CED \sim \triangle ABD$$

$$\begin{aligned} \Rightarrow \frac{x}{10} &= \frac{6}{15} \\ (15) \cdot (x) &= (10) \cdot (6) \\ 15x &= 60 \end{aligned}$$

$$\therefore x = 4$$



RESOLUCIÓN

$$\triangle ABD \sim \triangle CBA$$


$$\frac{x}{9} = \frac{1}{x}$$

$$x^2 = (1) \cdot (9)$$

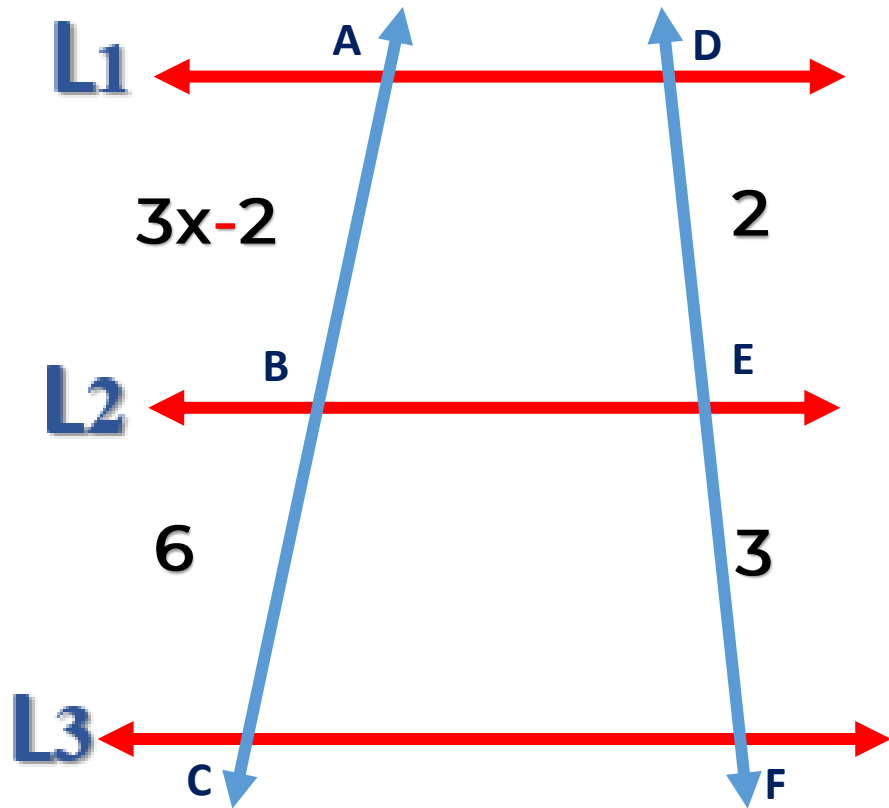
$$x^2 = 9$$



x = 3

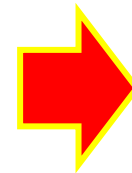


7. Si $\vec{L}_1 \parallel \vec{L}_2 \parallel \vec{L}_3$, $AB=3x-2$, $BC=6$, $DE=2$, $EF=3$.
Halle el valor de x .



RESOLUCIÓN

Piden: x

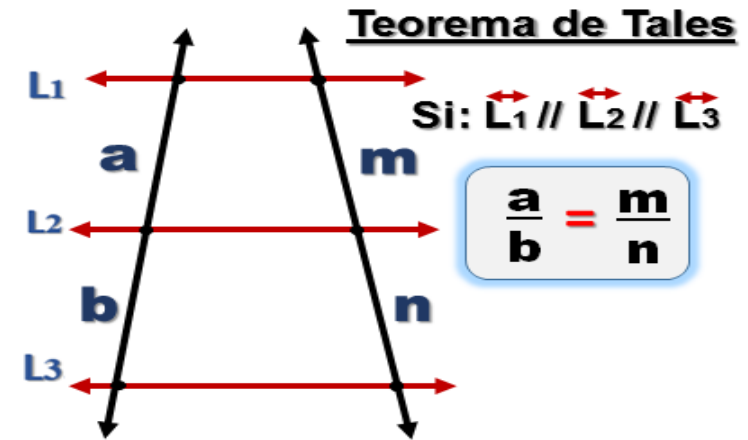


$$\frac{3x-2}{6} = \frac{2}{3}$$

$$9x - 6 = 12$$

$$9x = 18$$

$$\therefore \boxed{x = 2}$$



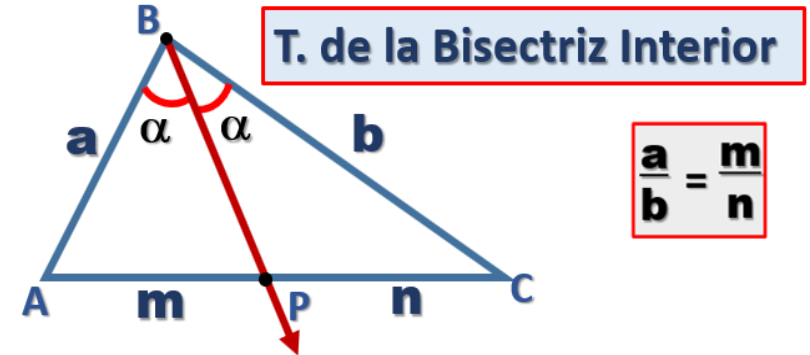
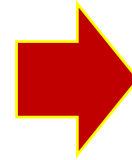
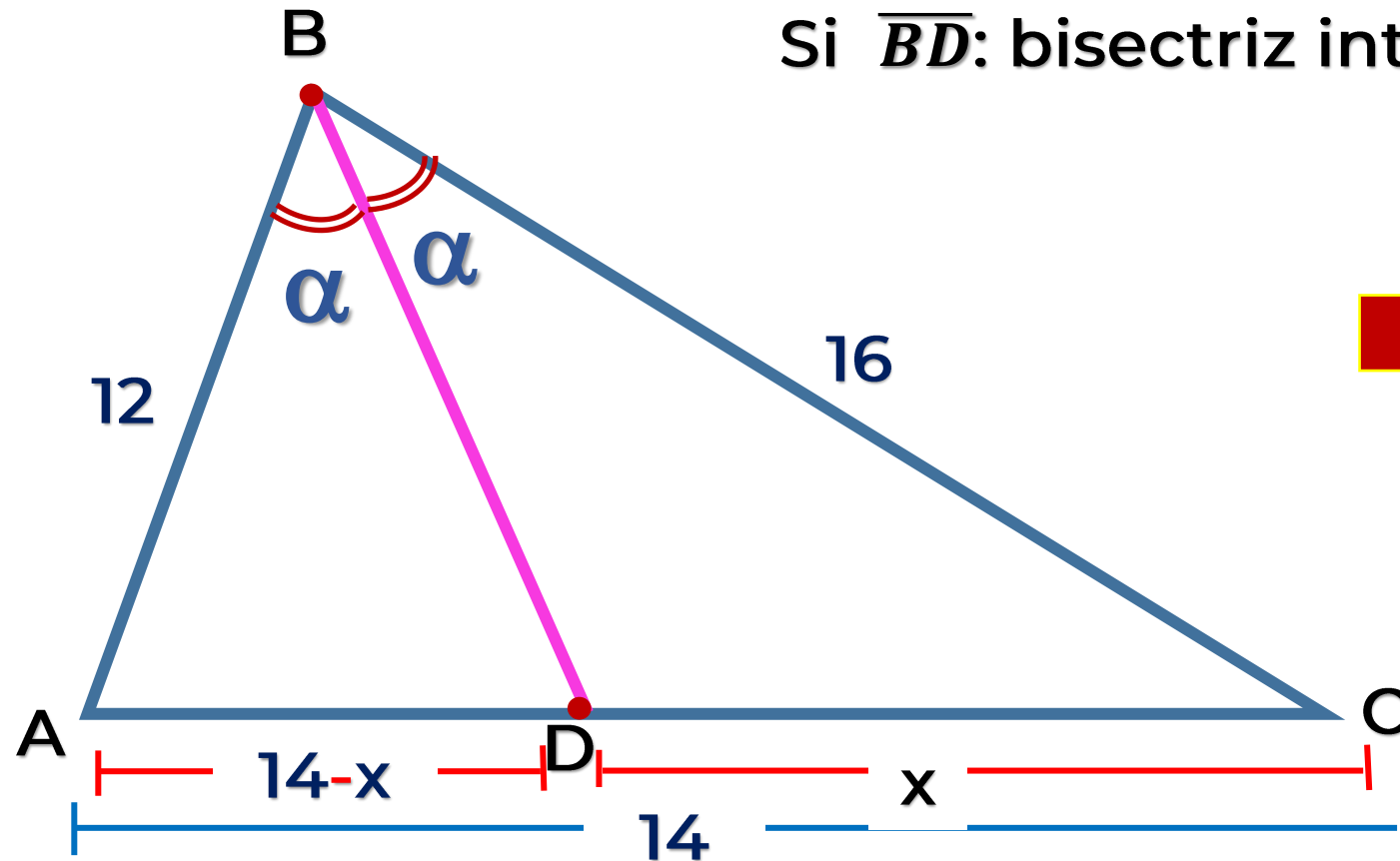


8. En un triángulo ABC, se traza la bisectriz interior \overline{BD} . Si $AB = 12m$, $BC = 16$, $AC = 14$; halle el valor de DC.

RESOLUCIÓN

Piden: x

Si \overline{BD} : bisectriz interior



$$\frac{3}{4} \frac{12}{16} = \frac{14 - x}{x}$$

$$3x = 56 - 4x$$

$$7x = 56$$

\therefore

$$x = 8$$



9. En el triángulo ABC se traza la bisectriz exterior \overline{BE} , donde $E \in$ a la prolongación de \overline{AC} . Si $AB = 6m$ y $CE = AC$, halle BC.

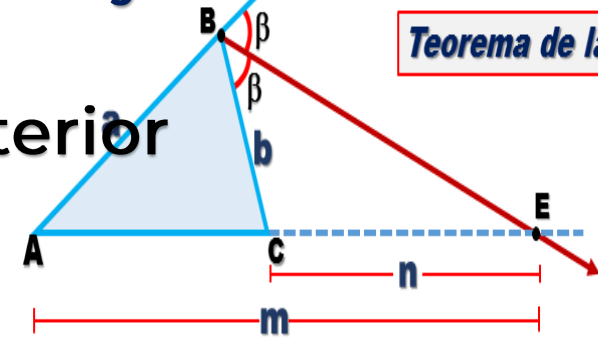
RESOLUCIÓN

Piden: $BC = x$

Si \overline{BE} : bisectriz exterior

Teorema de la Bisectriz Exterior

$$\frac{a}{b} = \frac{m}{n}$$

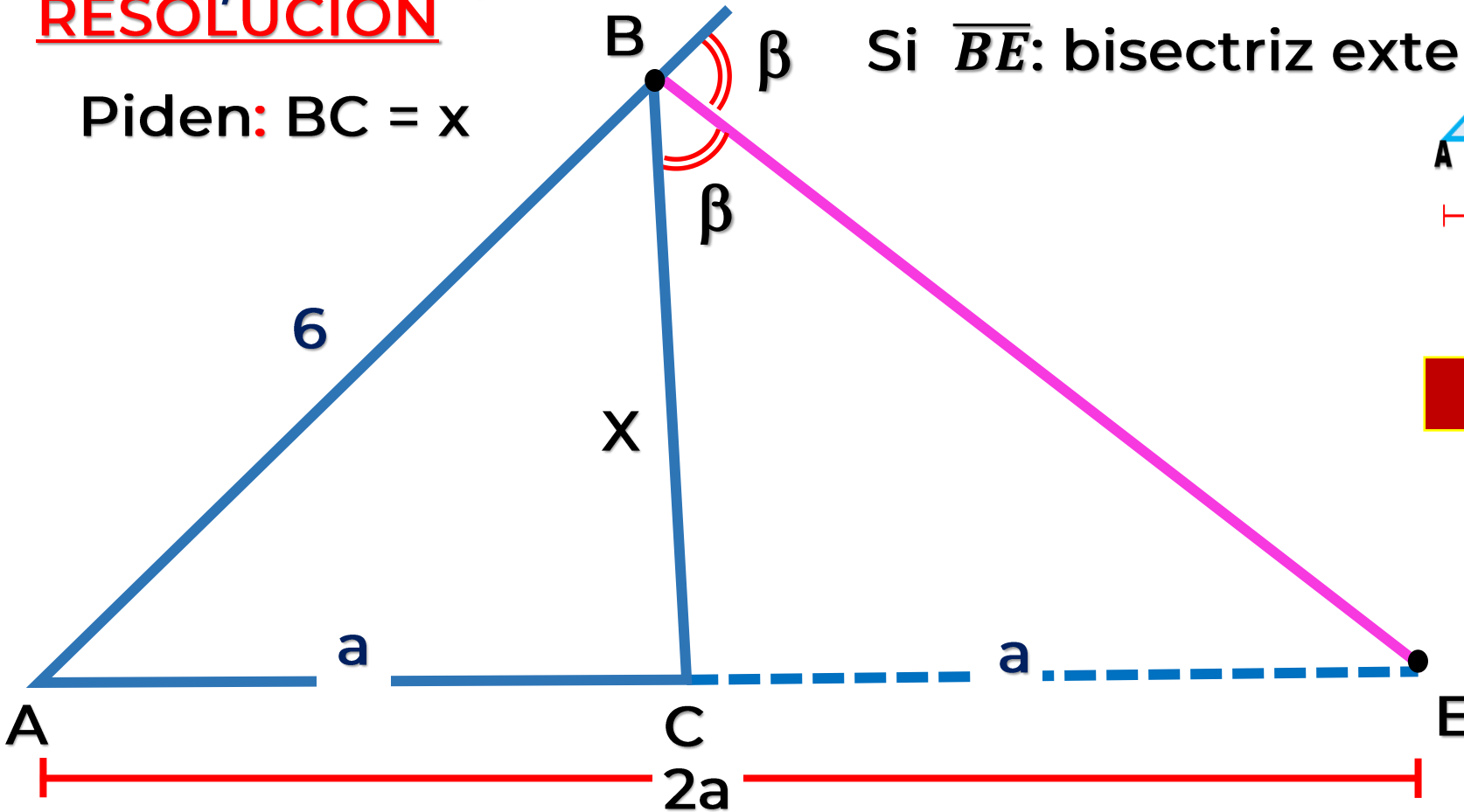


$$\frac{6}{x} = \frac{2a}{a}$$

$$2x = 6$$

\therefore

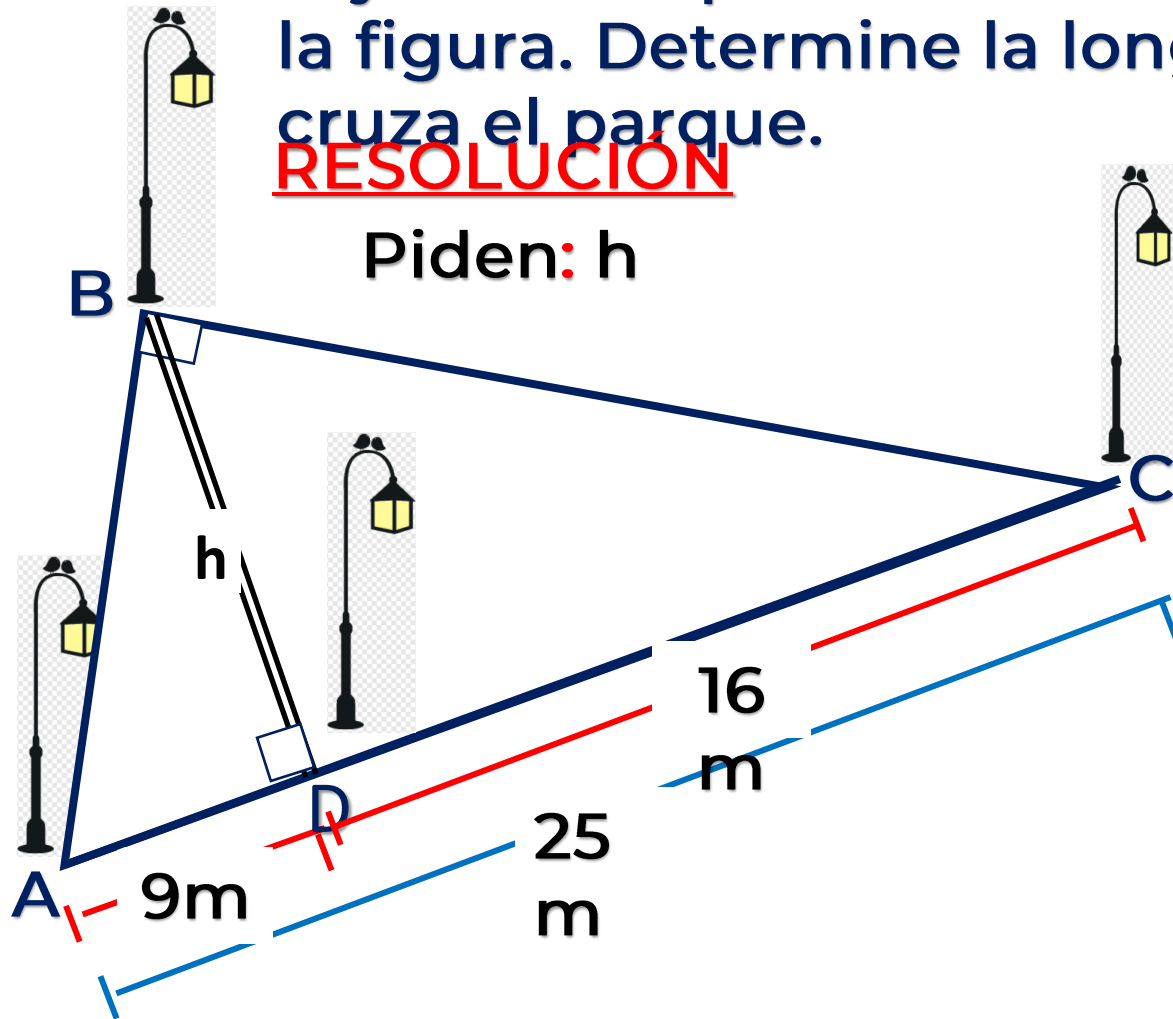
$$x = BC = 3$$



10. Se colocan cuatro postes de alumbrado público en el jardín del profesor Eduardo, como se muestra en la figura. Determine la longitud de la vereda BD que cruza el parque.

RESOLUCIÓN

Piden: h

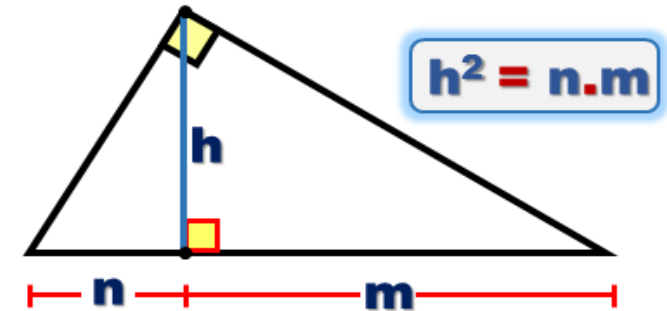


Del gráfico

$$AC = AD + DC$$

$$25 = 9 + DC$$

$$DC = 16m$$



$$h^2 = (9).(16)$$

$$h^2 = 144$$

$$\therefore x = 12m$$