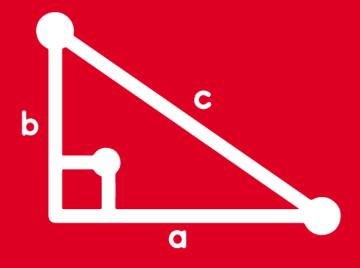
TRIGONOMETRY

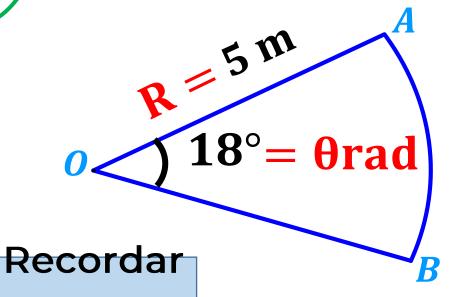








¿Cuál es el área de un sector circular cuyo ángulo central mide 18° y su radio mide 5m?





Área del sector circular:

$$S = \frac{1}{2}\theta R^2$$

RESOLUCIÓN:

Convirtiendo el ángulo al sistema radial:

$$\theta$$
rad = $18^{\circ} \times \frac{\pi \text{ rad}}{180^{\circ}} = \frac{\pi}{10}$ rad

$$\Rightarrow \theta \text{rad} = \frac{\pi}{10} \text{rad} \Rightarrow \theta = \frac{\pi}{10}$$

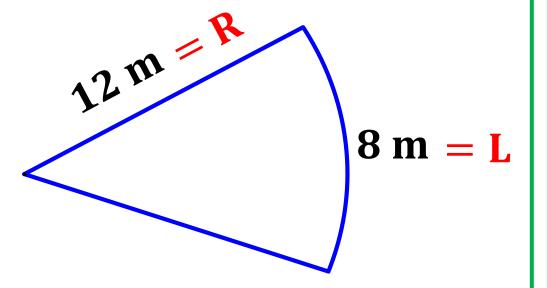
Área del sector circular

$$S = \frac{1}{2} \left(\frac{\pi}{10} \right) (5 \text{ m})^2$$

$$S = \frac{25\pi}{20} \text{m}^2$$

$$\therefore S = \frac{5\pi}{4} \text{ m}^2$$

Del gráfico, calcule el área del sector AOB.



Recordar:



Área del sector

$$S = \frac{LR}{2}$$

circular:

RESOLUCIÓN:

Calculando el área del sector circular



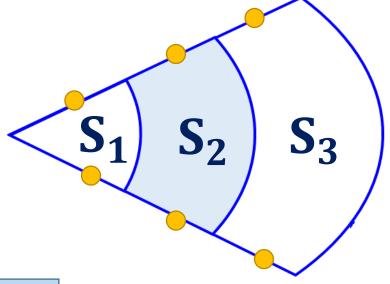
$$S=\frac{(8m)(12\ m)}{2}$$

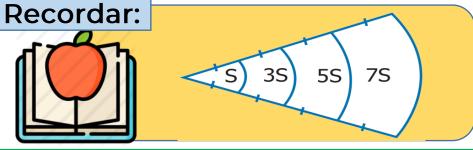
$$S = \frac{96 \text{ m}^2}{2}$$

$$\therefore S = 48 \text{ m}^2$$

Del gráfico, calcule

$$E = \frac{2S_2 + 4S_1}{S_3 - 3S_1}$$





RESOLUCIÓN:

Aplicando la propiedad

$$S_1 = S$$



$$S_2 = 3S$$

$$S_3 = 5S$$

Reemplazando

$$\mathbf{E} = \frac{2(3S) + 4(S)}{(5S) - 3(S)}$$

$$E = \frac{10S}{2S}$$

$$\therefore \mathbf{E} = 5$$

Siendo: $sen\alpha = 0,96$ y α es ángulo agudo , efectúe:

RESOLUCIÓN nα + secα

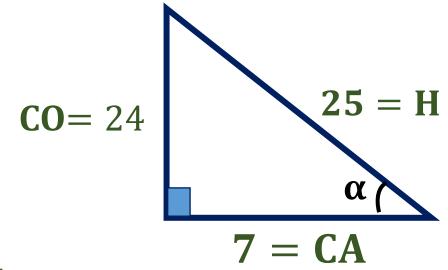
Dato:

$$sen \alpha = \frac{CO}{H} = \frac{96}{100} = \frac{24}{25}$$



Recordar:

$$sen\alpha = \frac{CO}{H} tan\alpha = \frac{CO}{CA} sec\alpha = \frac{H}{CA}$$



Luego:

$$25^2 = (CA)^2 + (24)^2 \Rightarrow CA = 7$$

Reemplazando:

$$P = \frac{24}{7} + \frac{25}{7} = \frac{49}{7} = 7$$

$$\therefore P = 7$$

Del gráfico, calcule el valor de x si:

$$\tan \alpha = \frac{5}{4}$$

$$3x + 4$$



5x - 2

$$\tan \alpha = \frac{CO}{CA}$$

RESOLUCIÓN:

$$\tan \alpha = \frac{5}{4}$$
 (1)

$$\tan \alpha = \frac{3x+4}{5x-2}$$
... (2)

Igualamos (1) y (2)

$$\frac{5}{4} = \frac{3x+4}{5x-2}$$

$$5(5x-2) = 4(3x + 4)$$

$$25x - 10 = 12x + 16$$

$$13x = 26 \quad \therefore \quad \mathbf{x} = \mathbf{2}$$

$$\therefore x = 2$$

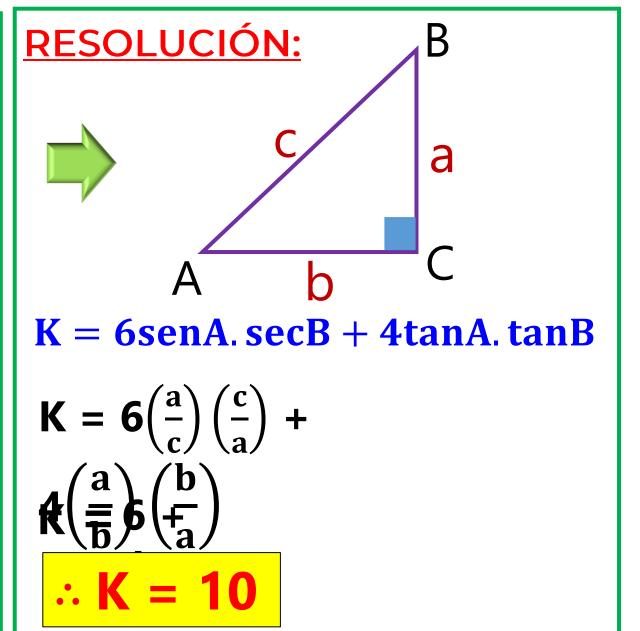
En un triángulo rectángulo ABC (m∢C =

90°), reduzca K = 6senA. secB + 4tanA. tanB



Recordar:

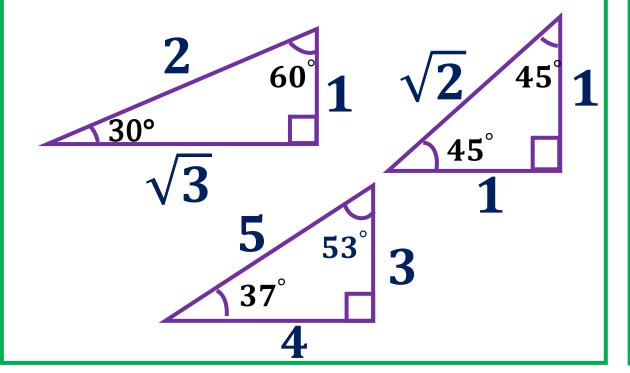
$$sen \alpha = \frac{CO}{H}$$
 $sec \alpha = \frac{H}{CA}$ $tan \alpha = \frac{CO}{CA}$



Efectúe:

 $E = \cos 53^{\circ}$. $\sin 30^{\circ}$. $\tan 45^{\circ}$

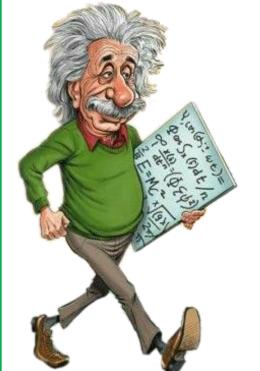
RESOLUCIÓN:





$$\mathbf{E} = \left(\frac{3}{5}\right) \left(\frac{1}{2}\right) (\mathbf{1})$$

$$E = \frac{3.1.1}{5.2}$$



$$\therefore E = \frac{3}{10}$$

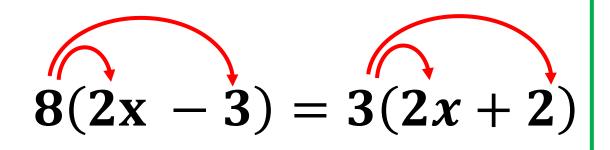
Halle el valor de

$$X \qquad Si: \quad \frac{10\cos 37^{\circ}}{\cot^2 30^{\circ}} =$$

RESOLUCIÓN:

$$\frac{10\left(\frac{4}{5}\right)}{\sqrt{3}^2} = \frac{2x + 2}{2x - 3}$$

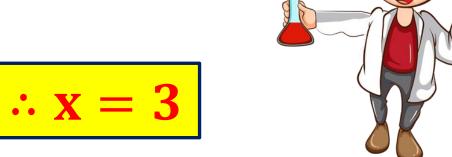
$$\frac{8}{3}=\frac{2x+2}{2x-3}$$



$$16x - 24 = 6x + 6$$

$$16x - 6x = 6 + 24$$

$$10x = 30$$



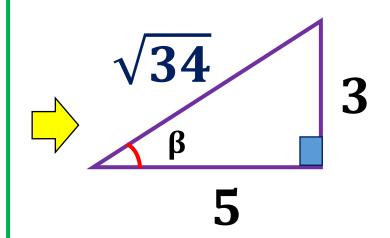
Si $\tan \phi = \sin 37^{\circ}$, siendo ϕ un ángulo agudo;

$$\mathbf{M} = \sqrt[6]{34} (\mathbf{\dot{s}en} + \mathbf{cos} + \mathbf{cos})$$

RESOLUCIÓN:

Del dato tenemos:

$$\tan \phi = \frac{3}{5} = \frac{\text{CO}}{\text{CA}}$$



Piden:

$$M = \sqrt{34}(\operatorname{sen}\varphi + \cos\varphi)$$

$$M = \sqrt{34} \left(\frac{3}{\sqrt{34}} + \frac{5}{\sqrt{34}} \right)$$

David desea comprar terreno en el Agustino que tiene forma rectangular, si cada metro cuadrado esta \$900 ¿Cuánto estará terreno?

 $(10sen37^{\circ})$ m

$$(9 \sec^2 45^\circ)$$
m

RESOLUCIÓN:

Dimensiones del

$$\frac{\text{terreno}}{(10\text{sen}37^{\circ})\text{m}} = \left(10.\frac{3}{5}\right)\text{m} = 6\text{m}$$

$$(9 \sec^2 45^\circ) m = (9\sqrt{2}^2) m = 18m$$

Area del terreno

$$S = (6m)(18m) \implies S = 108m^2$$

Costo del terreno

$$C = (108)(900)$$
 $\therefore \$97200$

