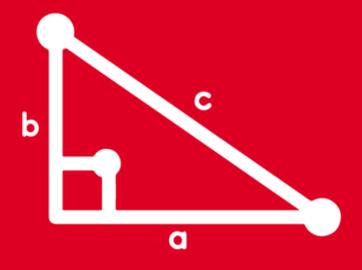
# TRIGONOMETRY

3th SECUNDARY



**FEEDBACK** 

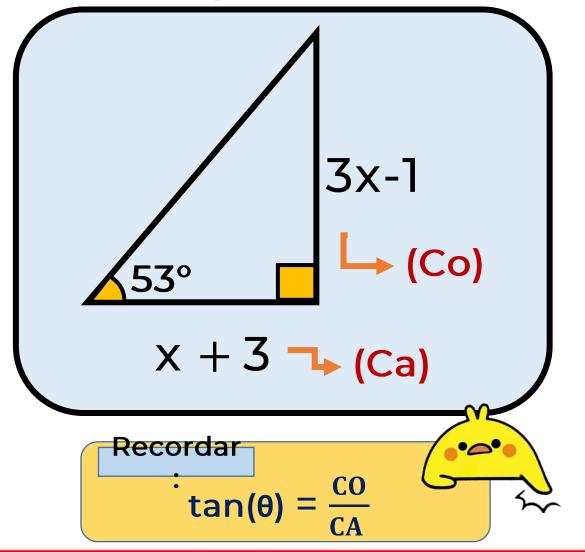






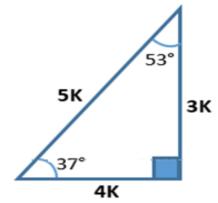


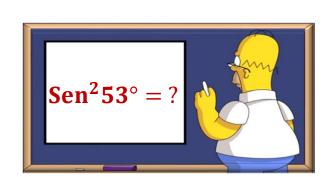
# 1. Del gráfico, calcule x.



### Resolución

**❖** Se observa el ⊿ es conocido.





#### **PIDEN**

$$tan53^{\circ} = \frac{3x-1}{x+3}$$

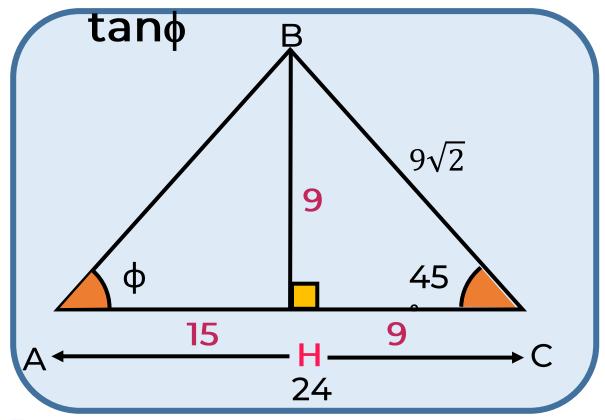
$$\frac{4}{3} = \frac{3x-1}{x+3}$$

tan53° = 
$$\frac{3x-1}{x+3}$$
 4(x + 3) = 3 (3x - 1)  
4x + 12 = 9x - 3

$$\therefore x = 3$$



# 2. Del gráfico, calcule



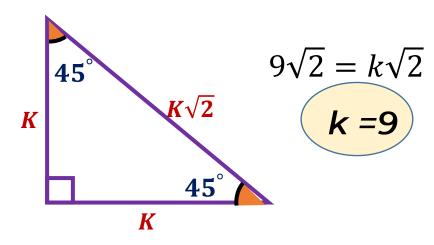


Recordar:

$$tan(\theta) = \frac{co}{cA}$$

### **RESOLUCIÓN:**

- Trazaremos una

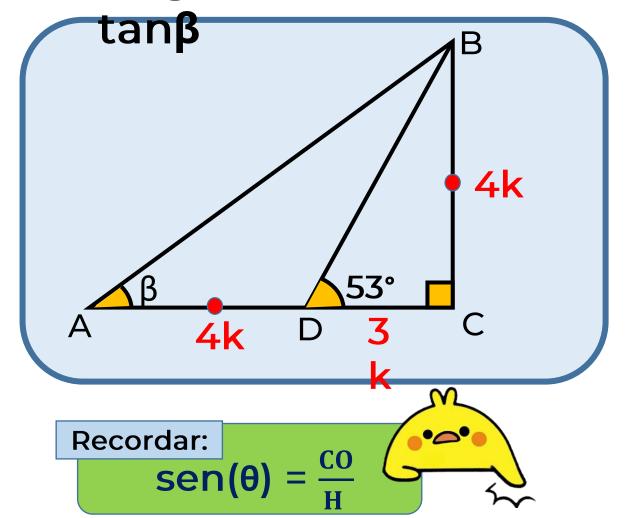


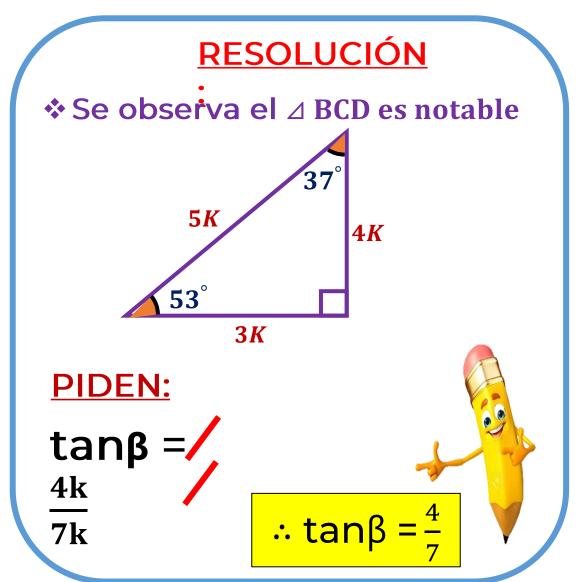
PIDEN: 
$$tan\phi = \frac{9}{15}$$

$$\therefore \tan \phi = \frac{3}{5}$$



# 3. Del gráfico, calcule







# 4. Para un ángulo agudo θ, se tiene que:

$$\tan\theta = \frac{2\text{sen}20^{\circ} + 3\cos70^{\circ}}{3\cos70^{\circ} - \sin20^{\circ}}$$

## **Efectúe:**

$$P = sec\theta.csc\theta$$

### Recordar:

Si: 
$$\alpha + \beta = 90^{\circ}$$
  $\sec(\theta) = \frac{1}{6}$ 

$$sen\alpha = cos\beta$$

$$csc(\theta) = \frac{H}{co}$$

## **RESOLUCIÓN:**

$$tan\theta = 2cos70^{\circ} + 3cos70^{\circ}$$

$$\frac{350500^{\circ}-\cos 70^{\circ}}{5\cos 70^{\circ}} = \frac{5}{2} \xrightarrow{CA} CA$$

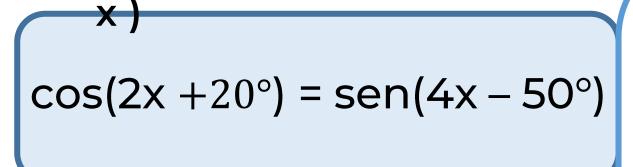
♦ Utilizando el teorema de pitagoras: H =  $\sqrt{29}$ 

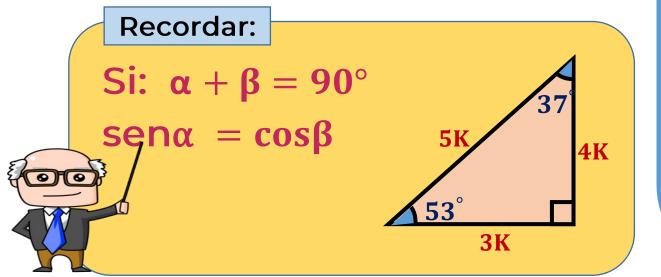
PIDEN: 
$$P = \frac{\sqrt{29}}{2} \cdot \frac{\sqrt{29}}{5} = \frac{29}{10}$$

$$\therefore P = \frac{29}{10}$$



## 5. Calcule el valor de tan( 73° -





### **RESOLUCIÓ**

$$cos(2x + 20^{\circ}) = sen(4x - 50^{\circ})$$

$$2x+20^{\circ} + 4x - 50^{\circ} = 90^{\circ}$$

$$6x - 30^{\circ} = 90^{\circ}$$

$$6x = 120^{\circ}$$
  $x = 20^{\circ}$ 

### PIDEN:

$$\tan(73^{\circ} - 20^{\circ}) \tan(53^{\circ}) = \frac{1}{3}$$

∴ tan( 53°) = 4 = -2



# 6. Para un ángulo agudo β se tiene que:

$$tan\beta = \frac{6sen40^{\circ}.sen30^{\circ}}{\sqrt{2}cos50^{\circ}.sec45^{\circ}}$$

## **Efectúe:**

$$B = \sqrt{13} \cdot \cos \beta$$

### Recordar:

Si: 
$$\alpha + \beta = 90^{\circ}$$
  $\cos(\theta) = \frac{CA}{H}$   $\sin \alpha = \cos \beta$ 

### **RESOLUCIÓN:**

Utilizando la propiedad : cos50° = sen40°

$$\tan \beta = \frac{6 \operatorname{sen40^{\circ}}}{\sqrt{2} \operatorname{sen40^{\circ}}} \frac{\left(\frac{1}{2}\right)}{\sqrt{2}} = \frac{3}{2} \xrightarrow{\text{CA}} CA$$

Utilizando el teorema de

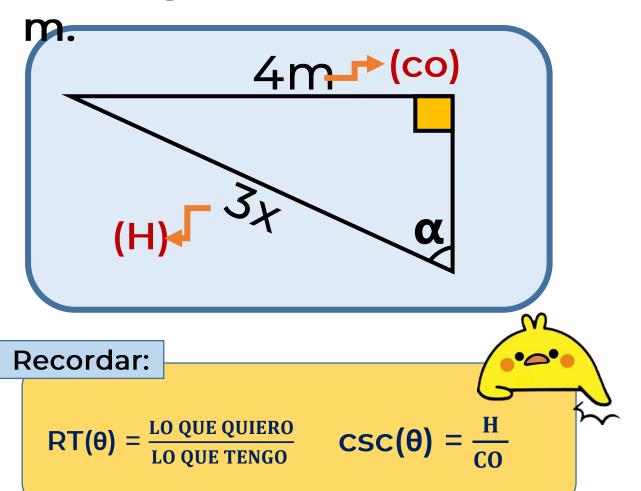
pitagoras: 
$$H = \sqrt{13}$$

PIDEN: B = 
$$\sqrt{13} \cdot \frac{2}{\sqrt{13}} = 2$$

$$\therefore B = 2$$



## 7. Del gráfico, calcule el valor de x en términos de $\alpha$ y



## **RESOLUCIÓN:**

$$\frac{3x}{4m} = \csc(\alpha)$$

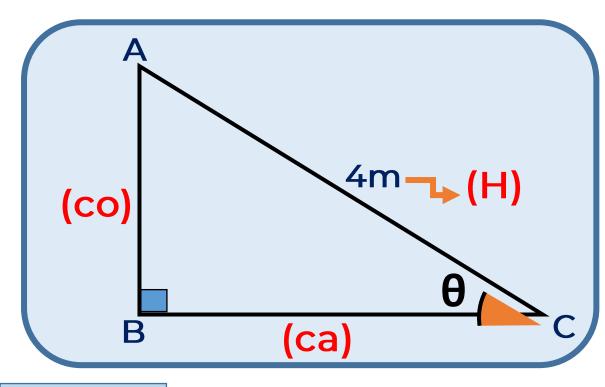
$$3x = 4m. \csc(\alpha)$$

$$\therefore X = \frac{4\text{m.csc}(\alpha)}{2}$$





## 8. Del gráfico, calcule el perímetro del triángulo ABC, en términos de $\theta$



#### Recordar:

RT(θ) = 
$$\frac{\text{LO QUE QUIERO}}{\text{LO QUE TENGO}}$$
 sen(θ) =  $\frac{\text{CO}}{\text{H}}$  cos(θ) =  $\frac{\text{CA}}{\text{H}}$ 

## **RESOLUCIÓN:**

$$\frac{AB}{4} = \operatorname{sen}\theta \Rightarrow AB = 4.\operatorname{sen}\theta$$

$$\frac{BC}{4} = \cos\theta \Rightarrow BC = 4.\cos\theta$$

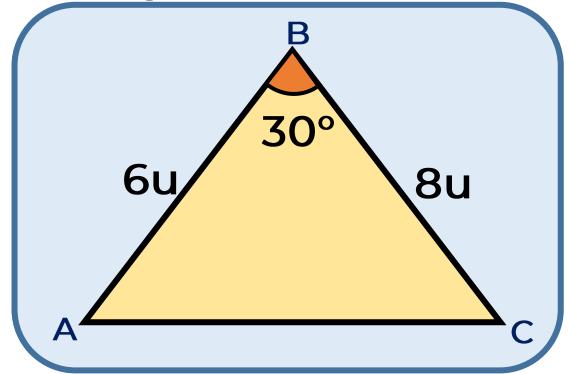
### **PIDEN:**

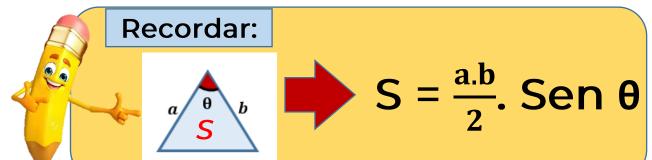
$$2P = AB + BC + AC$$
  
 $2P = 4.sen\theta + 4.cos\theta + 4$ 

$$\therefore 2P = 4 (sen\theta + cos\theta + 1)$$



9. Del gráfico, calcule el área de la región triangular ABC





### **RESOLUCIÓN:**

Utilizando la fórmula del área de la región triangular.

$$S = \frac{(6u)(8u)}{2}$$
. sen30°

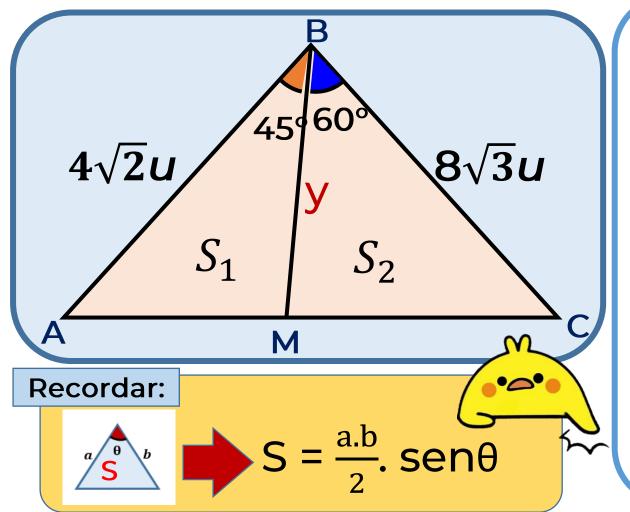
$$S = \frac{(6u)(8u)}{2} \cdot \frac{1}{2}$$

$$: S = 12u^2$$





# 10. Del gráfico, calcule $\frac{S_1}{S_2}$ , ( $S_1$ ; $S_2$ son áreas)



### **RESOLUCIÓN:**

$$S_1 = \frac{4\sqrt{2}.y}{2}$$
. Sen45°  $\Rightarrow 2\sqrt{2}.y.\frac{\sqrt{2}}{2} = 2y$ 

$$S_2 = \frac{8\sqrt{3}.y}{2}$$
. Sen60  $4\sqrt{3}.y.\frac{\sqrt{3}}{2} = 6y$ 

PIDEN: 
$$\frac{S_1}{S_2} = \frac{2y}{6y} = \frac{1}{3}$$

$$\frac{S_1}{S_2} = \frac{1}{3}$$



**Gracias** totales



