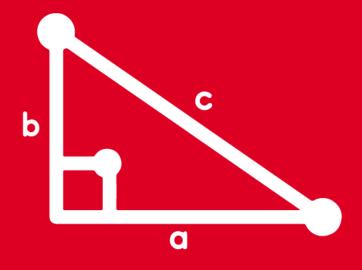
TRIGONOMETRY Chapter 21

2nd SECONDARY



REDUCCIÓN AL
PRIMER CUADRANTE II





HELICOMOTIVACIÓN



REDUCCIÓN AL PRIMER CUADRANTE II



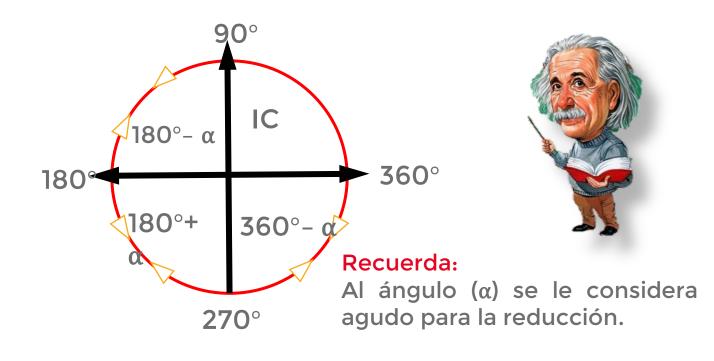
En este capítulo lo que se quiere es determinar el equivalente de un ángulo de cualquier magnitud en términos de un ángulo que pertenece al IC.

Esto se da si usamos ángulos cuadrantales del eje x:

$$RT(180^{\circ} \pm \alpha) = \pm RT(\alpha)$$

$$RT(360^{\circ} - \alpha) = \pm RT(\alpha)$$

El signo será (±) según el cuadrante al que pertenece el ángulo a reducir y de la RT que lo afecta inicialmente.





Calcule

tan150°

Resolución

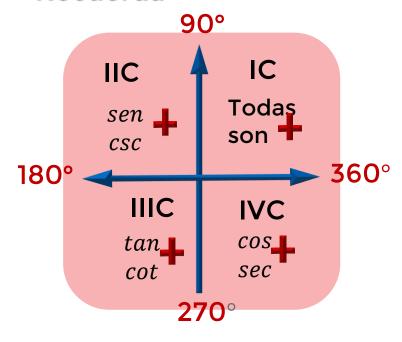
tan150°=
$$tan(180^{\circ} - 30^{\circ})$$

 $\in IIC$
= $-tan30^{\circ}$

$$=-\frac{\sqrt{3}}{3}$$

iMuy bien!

Recuerda



$$RT(180^{\circ} \pm \alpha) = \pm RT(\alpha)$$

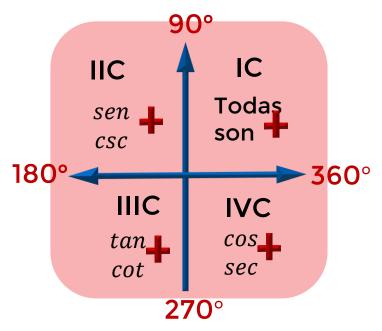
$$RT(360^{\circ} - \alpha) = \pm RT(\alpha)$$



Calcule

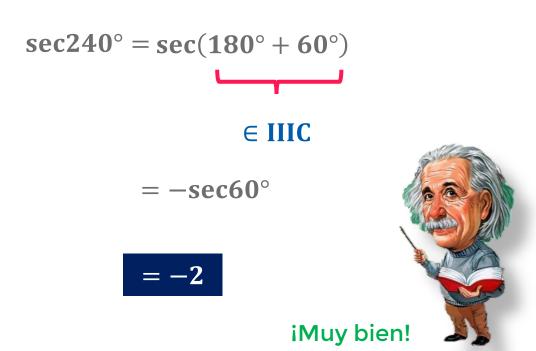
sec240°

Recuerda



$$RT(180^{\circ} \pm \alpha) = \pm RT(\alpha)$$

 $RT(360^{\circ} - \alpha) = \pm RT(\alpha)$

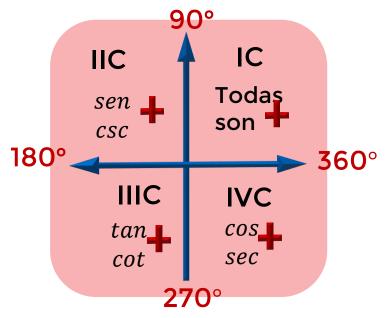




Efectúe

$$M = 6 \csc 217^{\circ}$$

Recuerda



$$RT(180^{\circ} \pm \alpha) = \pm RT(\alpha)$$

 $RT(360^{\circ} - \alpha) = \pm RT(\alpha)$

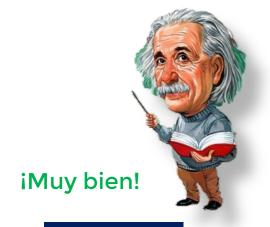
Resolución

$$M = 6csc(217^{\circ})$$

$$M = 6.csc(180^{\circ} + 37^{\circ})$$

$$M = -6 \csc 37^{\circ}$$

$$M = -6 \left(\frac{5}{3}\right)$$



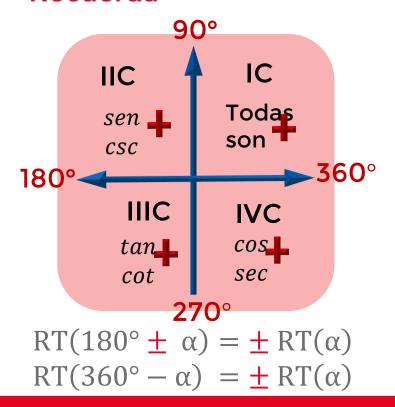
M = -10



Efectúe

$$Q = sec300^{\circ} \cdot csc233^{\circ}$$

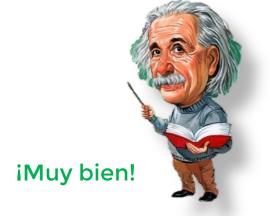
Recuerda



$$Q = \sec(60^\circ)(-\csc(53^\circ))$$

$$Q = 2\left(-\frac{5}{4}\right)$$

$$Q = -\frac{5}{2}$$

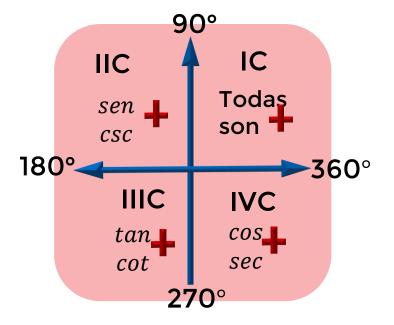




Efectué

$$P = 5 sen 127^{\circ} - \sqrt{2} csc 225^{\circ}$$

Recuerda



$$RT(180^{\circ} \pm \alpha) = \pm RT(\alpha)$$

 $RT(360^{\circ} - \alpha) = \pm RT(\alpha)$

Resolución

$$P = 5 \operatorname{sen}(180^{\circ} - 53^{\circ}) - \sqrt{2} \operatorname{csc}(180^{\circ} + 45^{\circ})$$

$$\in IIC \qquad \in IIIC$$

$$P = 5 sen 53^{\circ} - (-\sqrt{2} csc 45^{\circ})$$

$$\mathbf{p} = \mathbf{3} \left(\frac{4}{\mathbf{5}} \right) + \sqrt{2} \left(\frac{\sqrt{2}}{1} \right)$$

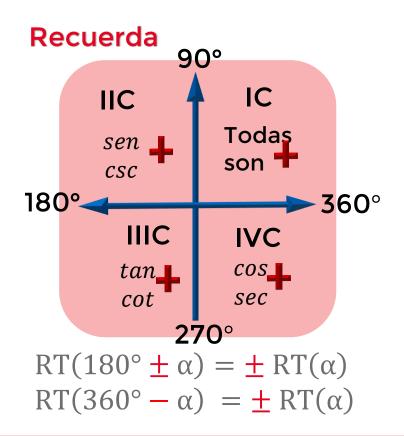
$$P = 4 + 2$$

P = 6



Efectué

$$R = sen143^{\circ} + cos323^{\circ}$$



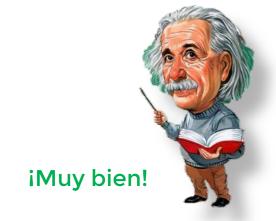
$$R = sen(180^{\circ}-37^{\circ}) + cos(360^{\circ}-37^{\circ})$$

$$\in IIC \qquad \in IVC$$

$$R = sen37^{\circ} + cos37^{\circ}$$

$$R = \frac{3}{5} + \frac{4}{5}$$

$$R = \frac{7}{5}$$

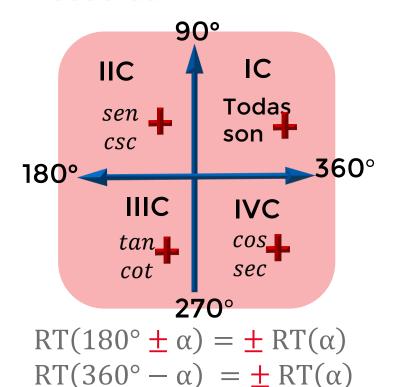




Efectué

$$T = \frac{\cot^2 330^\circ + \sec^2 135^\circ}{3\csc 217^\circ}$$

Recuerda

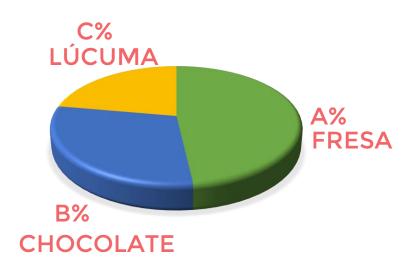


T =
$$\frac{\cot^2(360^\circ - 30^\circ) + \sec^2(180^\circ - 45^\circ)}{3\csc(180^\circ + 37^\circ)}$$

 $\in IIIC$
T = $\frac{(-\cot 30^\circ)^2 + (-\sec 45^\circ)^2}{3(-\csc 37^\circ)}$
T = $\frac{(-\sqrt{3})^2 + (-\sqrt{2})^2}{\cancel{3}(-\frac{5}{\cancel{3}})}$
T = $\frac{3+2}{-5}$



El siguiente gráfico muestra los resultados porcentuales de una encuesta sobre las preferencias con respecto a tres sabores de helados. Determine el porcentaje de preferencia que tiene cada sabor de helado.



Donde:

A = 50cot225°

B = 60sen150°

 $C = 10sec^2 135^\circ$

Resolución

$$B = 60 \binom{1}{2}$$
 $B = 30\%$

$$C = 10 \sec^2 135^\circ = 10 \sec^2 (180^\circ - 45^\circ) = 10(-\sec 45^\circ)^2$$

 $\in IIC$

$$C = 10(-\sqrt{2})^2$$
 $C = 20\%$

iMuy bien!



MUCHAS GRACIAS POR TUATENCIÓN

Tu curso amigo TRIGONOMETRÍA