

## Problem 0: Domino Tiling

*(Medium)*

Accifibon has a weird chessboard. It only has two rows but has  $N$  columns. Accifibon also has a set of  $N$  dominos. A domino can be thought of like a  $2 \times 1$  tile (or a  $1 \times 2$  tile after rotating it). Accifibon is interested to find out the **number of ways that he can tile his chessboard** using his  $N$  dominos. **He does not want to split the dominos, nor can the dominos overlap with one another.**

### Input Format

The only line of input contains a single integer  $N$ , representing the number of columns Accifibon has on his chessboard.

### Constraints

- $1 \leq N \leq 10^4$

The time limit for this problem is 1 second.

### Output Format

The only line of output should contain the number of ways that Accifibon can tile his chessboard. As this number is large, give your answer **modulo**  $10^9 + 7$ .

### Sample Input 1

2

### Sample Output 1

2

### Explanation 1

There are 2 ways to tile a  $2 \times 2$  chessboard using  $2 \times 1$  dominos.



### Sample Input 2

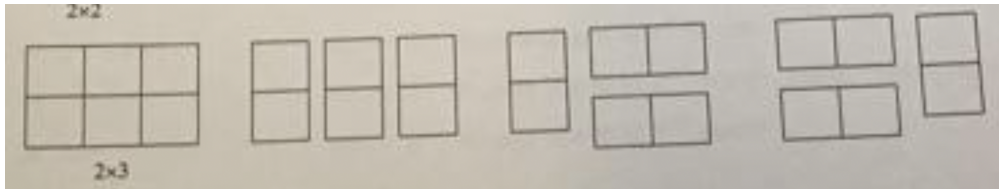
3

## Sample Output 2

3

## Explanation 2

There are 3 ways to tile a  $2 \times 3$  chessboard using  $2 \times 1$  dominos.



## Hints

1. Consider the cases where  $N = 1$ ,  $N = 2$ ,  $N = 3$ ,  $N = 4$ ,  $N = 5$ ,  $N = 6$ , and  $N = 7$ . Do you see a pattern?
2. Accifibon is an apt name.
3. Bar, Gjb, Guerr, Svir, Rvtug, Guvegrra, Gjragl-bar.