# Max Sum sub matrix

# 1. Full Search (O(n^6)

```
a[1][1] a[1][2] ..... a[1][j1] ..... a[1][j2] ... a[1][m]
a[2][1] a[2][2] ..... a[2][j1] ..... a[2][j2] ... a[2][m]
a[i1][1] a[i1][2] .. a[i1][j1] ... a[i1][j2] ... a[i1][m]
a[i2][1] a[i2][2] .. a[i2][j1] ... a[i2][j2] ... a[i2][m]
a[n][1] a[n][2] ... a[n][j1] ... a[n][j2] ... a[n][m]
```

```
2. Help matrix (O(n^4))
      2.1 Build HELP matrix
      mat[][] = || a[i][j] ||
                  i = 0 - n j = 0 - m
help[i][j] :
1. help[0][0] = mat[0][0]
2. help[i][0] = help[i-1][0] + mat[i][0]
3. help[0][j] = help[0][j-1] + mat[0][j]
4. help[i][j] = mat[i][0] + help[i-1][j]
              + help[i][j-1] - help[i-1][j-1]
```

static int[][] helpMatrix(int[][]mat){//O(N^2)

## 2.2 Calculate Sum ij\_pq

if j == 0 & j == 0help[p][q] - help[p][j-1] if j == 0 & j > 0 help[p][q] - help[i-1][q] if j > 0 & j == 0 help[p][q] - help[p][j-1] - help[i-1][q] + help[i-1][j-1]

static int sum\_ij\_pq(int help[][], int i, int j, int p, int q) $\frac{1}{\sqrt{O(1)}}$ 

### 2.3 Calculate Max Sum

```
for i
for j
for p
for q
```

#### 2. HELP matrix

#### first column

$$-8 + 2 = -6$$

$$-6 - 6 = -12$$

$$1 - 12 = -11$$

$$8 - 11 = -3$$

//first row

2 10 + 2 = 12 8 + 12 = 20 3 + 20 = 23

2 12 20 23

- -6
- -12
- -11
  - **-3**

help[i][j] = mat[i][j] + help[i-1][j] + help[i][j-1] - help[i-1][j-1]

$$14 + 12 - 6 - 2 = 18$$
 $-1 + 18 - 12 + 6 = 11$ 
 $8 + 11 - 11 + 12 = 20$ 
 $2 + 20 - 3 + 11 = 30$