Ensemble Methods

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1 Ensemble methods demo

This notebook shows how ensemble methods can improve results in a practical manner.

First, we are training two models - one decision tree and one logistic regressor. We train these on the classic wine quality dataset by Cortez et.al, which is a regression problem to predict the wine quality based on some features such as fixed acidity, citric acid, chlorides and alcohol. Then, we combine the results and look at the mean squared error between the models predicted output and the test set, compared to each models output separately.

We can see that the dataset contains a lot of interesting features, and that there are a total of 4898 entries in the dataset.

```
free sulfur dioxide
                        4898 non-null float64
total sulfur dioxide
                        4898 non-null float64
density
                        4898 non-null float64
                        4898 non-null float64
рΗ
                        4898 non-null float64
sulphates
alcohol
                        4898 non-null float64
quality
                        4898 non-null int64
dtypes: float64(11), int64(1)
memory usage: 459.3 KB
In [74]: # Load X and Y data and split into training and test set
         Y = data['quality']
         X = data.drop(['quality'], axis=1)
         X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size=0.33, random_state
         print("Shape of x train:", X_train.shape)
         X.head()
Shape of x train: (3281, 11)
Out [74]:
            fixed acidity volatile acidity citric acid residual sugar chlorides
                      7.0
                                       0.27
                                                     0.36
                                                                     20.7
                                                                               0.045
         1
                      6.3
                                       0.30
                                                     0.34
                                                                      1.6
                                                                               0.049
         2
                      8.1
                                       0.28
                                                                      6.9
                                                     0.40
                                                                               0.050
                      7.2
                                       0.23
                                                     0.32
                                                                      8.5
         3
                                                                               0.058
                      7.2
         4
                                       0.23
                                                     0.32
                                                                      8.5
                                                                               0.058
                                                                   pH sulphates
            free sulfur dioxide total sulfur dioxide density
         0
                           45.0
                                                 170.0
                                                         1.0010 3.00
                                                                            0.45
                           14.0
                                                 132.0
                                                         0.9940 3.30
                                                                            0.49
         1
         2
                           30.0
                                                  97.0
                                                         0.9951 3.26
                                                                            0.44
                           47.0
         3
                                                 186.0
                                                         0.9956 3.19
                                                                            0.40
         4
                           47.0
                                                 186.0
                                                         0.9956 3.19
                                                                            0.40
            alcohol
                8.8
         1
                9.5
         2
               10.1
         3
                9.9
         4
                9.9
In [151]: tree_model = tree.DecisionTreeClassifier()
          log_reg = LogisticRegression(random_state=0, solver='lbfgs', multi_class='multinomia'
In [152]: # Fit both models
          tree_model.fit(X_train, Y_train)
          log_reg.fit(X_train, Y_train)
```

```
/home/stud2173/anaconda3/envs/ml/lib/python3.6/site-packages/sklearn/linear_model/logistic.py:
  "of iterations.", ConvergenceWarning)
Out[152]: LogisticRegression(C=1.0, class_weight=None, dual=False, fit_intercept=True,
                    intercept_scaling=1, max_iter=1000, multi_class='multinomial',
                    n_jobs=None, penalty='12', random_state=0, solver='lbfgs',
                    tol=0.0001, verbose=0, warm_start=False)
In [153]: # Get both models to make predictions on the test set
          y_pred_1 = tree_model.predict(X_test)
          y_pred_2 = log_reg.predict(X_test)
In [154]: def MSE(y_pred, y):
             N = len(y_pred)
              return 1/N * sum((y_pred - y)**2)
          tree_loss = MSE(y_pred_1, Y_test)
          log_reg_loss = MSE(y_pred_2, Y_test)
          print("Loss for decision tree model: ", tree_loss)
          print("Loss for logistic regression model: ", log_reg_loss)
Loss for decision tree model: 0.7260358688930117
Loss for logistic regression model: 0.6474953617810761
In [155]: # By taking the average of both models, we get a better prediction
          averaged_pred = 0.5*y_pred_1 + 0.5* y_pred_2
          avg_loss = MSE(averaged_pred, Y_test)
          print("Averaged prediction loss: ", avg_loss)
```

2 Searching for best ensemble weighing

Averaged prediction loss: 0.509121830550402

Instead of taking the average of both models, we can search the weight space for the best weighing between the two models. Here, we are searching with an increment of 0.05.

Since the weighed total is 1, we only have to plot one of the weights - w1. The other weight is 1-w1. We observe that the weights favor the logistic regressor (which is not surprising given that it has a bit higher accuracy).

```
In [156]: WEIGHTS = np.linspace(0, 1, 21)
    LOSS_VALS = []
    minima = 10000
    best_weights = (0, 0)
    for w1 in WEIGHTS:
     w2 = 1-w1
```

```
weighted = w1 * y_pred_1 + w2*y_pred_2

loss = MSE(weighted, Y_test)
    if loss < minima:
        best_weights = w1, w2
        minima = loss
    LOSS_VALS.append(loss)

print("Found best weights to be {} with loss {}".format(best_weights, minima))

Found best weights to be (0.45, 0.55) with loss 0.5069712430426709

In [148]: plt.plot(WEIGHTS, LOSS_VALS, '.-')
    plt.title("Weighted ensemble loss")
    plt.ylabel("w1")
    plt.ylabel("WSE")

<IPython.core.display.Javascript object>

Out[148]: Text(0,0.5,'MSE')
```