



Figure 4: PointCNN architecture for classification (a and b) and segmentation (c), where N and C denote the output representative point number and feature dimensionality, K is the neighboring point number for each representative point, and D is the \mathcal{X} -Conv dilation rate.

图 1: PointCNN

X-transformation:

- 给点的特征进行赋权重
- 将点转置到一个潜在的标准顺序

ALGORITHM 1: \mathcal{X} -Conv Operator

Input : $\mathbf{K}, p, \mathbf{P}, \mathbf{F}$

Output : \mathbf{F}_p

1: $\mathbf{P}' \leftarrow \mathbf{P} - p$

2: $\mathbf{F}_\delta \leftarrow MLP_\delta(\mathbf{P}')$

3: $\mathbf{F}_* \leftarrow [\mathbf{F}_\delta, \mathbf{F}]$

4: $\mathcal{X} \leftarrow MLP(\mathbf{P}')$

5: $\mathbf{F}_\mathcal{X} \leftarrow \mathcal{X} \times \mathbf{F}_*$

6: $\mathbf{F}_p \leftarrow \text{Conv}(\mathbf{K}, \mathbf{F}_\mathcal{X})$

- ▷ Features “projected”, or “aggregated”, into representative point p
 - ▷ Move \mathbf{P} to local coordinate system of p
- ▷ **Individually** lift each point into C_δ dimensional space
- ▷ Concatenate \mathbf{F}_δ and \mathbf{F} , \mathbf{F}_* is a $K \times (C_\delta + C_1)$ matrix
 - ▷ Learn the $K \times K$ \mathcal{X} -transformation matrix
 - ▷ Weight and permute \mathbf{F}_* with the learnt \mathcal{X}
- ▷ Finally, typical convolution between \mathbf{K} and $\mathbf{F}_\mathcal{X}$

图 2: X-conv

$$\mathbf{F}_p = \mathcal{X} - \text{Conv}(\mathbf{K}, p, \mathbf{P}, \mathbf{F}) = \text{Conv}(\mathbf{K}, MLP(\mathbf{P} - p) \times [MLP_\delta(\mathbf{P} - p), \mathbf{F}])$$

分类任务 有两种网络，分别对应图 1 的 a,b。b 在保留相同卷积深度的基础上，加入了卷积 dilation，增加了感受域，但未卷积核的大小。

语义分割 在特征提取之后，进行”反卷积”，还原回最初的点的个数。