bayes_model

December 24, 2021

0.1 Naive Bayes Model

return (y == y_hat).sum() / len(y)

0.1.1 Bayes theorm

0.1.2 Tips

The implement of Bayes is pretty simple, still there are three points pretty important

- Laplace smooth: if variable has K possible values, then $p(x=a|y=0) = \frac{p(x=a,y=0)+\beta}{p(y=0)+K*\beta}$
- What if variable is continuous? Does laplace smooth help with continuous variables. No, continuous variable could have infinite values. Guassian Bayes or Discretization continuous variables
- Avoiding Underflow: Use log function transfer multiply to add

```
[]: train_data, test_data = train_test_split(data, train_size=0.8, random_state=123)
X_train, y_train = train_data[col_names_naive].values, train_data[target].values
```

```
X_test, y_test = test_data[col_names_naive].values, test_data[target].values
```

```
[]: from collections import Counter
     class Naive_Bayes():
         Ostaticmethod
         def transfer(X, y):
             set_label = sorted(set(y))
             data_dict = {1:X[y == 1] for 1 in set_label}
             return data dict
         def __init__(self, laplace_dict):
             self.laplace_dict = laplace_dict
         def fit(self, X, y):
             data_dict = self.transfer(X, y)
             model = {x:{} for x in data_dict.keys()}
             total_sum, K = len(y), len(data_dict.keys())
             for label, X in data_dict.items():
                 sample_sum = np.shape(X)[0]
                 for idx, feat in enumerate(X.T):
                     counter = Counter(feat)
                     counter = dict(counter)
                     laplace_dict = self.laplace_dict[idx]
                     for k in laplace_dict:
                         if k not in counter.keys():
                             counter[k] = 1 / (len(laplace_dict) + sample_sum)
                         else:
                             counter[k] = (counter[k] + 1) / (len(laplace_dict) +__
      →sample_sum)
                     model[label][idx] = counter
                 model[label]["cnt"] = (sample_sum + 1) / (total_sum + K)
             self.model = model
         def predict(self, X_obs):
             likehoods = np.array([])
```

```
labels = np.array([])
             for label in self.model.keys():
                 xx = np.array(list(map(lambda idx: self.
     →model[label][idx[0]][idx[1]], enumerate(X_obs))))
                 xx = np.append(xx, self.model[label]["cnt"])
                 likehood = np.log(xx).sum()
                 likehoods = np.append(likehoods, likehood)
                 labels = np.append(labels, label)
            return labels[np.argmax(likehoods)]
[ ]: laplace_dict = {}
     for idx, feat in enumerate(data[col_names_naive].values.T):
         laplace_dict[idx] = np.unique(feat)
     nb = Naive_Bayes(laplace_dict)
     nb.fit(X train, y train)
[]: y_train_hat = np.apply_along_axis(nb.predict, axis=1, arr=X_train)
     y_test_hat = np.apply_along_axis(nb.predict, axis=1, arr=X_test)
     print("Train accuracy: ", accuracy(y_train, y_train_hat))
     print("Test accuracy: ", accuracy(y_test, y_test_hat))
    Train accuracy: 0.8521436423598387
    Test accuracy: 0.8600390815828041
[]: import matplotlib.pyplot as plt
     from sklearn.metrics import confusion matrix, precision score, recall score,
     →f1_score, accuracy_score
     print(confusion_matrix(y_test, y_test_hat))
     print(precision_score(y_test, y_test_hat))
     print(recall_score(y_test, y_test_hat))
     print(f1_score(y_test, y_test_hat))
     print(accuracy_score(y_test, y_test_hat))
    [[2935 112]
     [ 461 586]]
    0.839541547277937
    0.559694364851958
    0.6716332378223496
    0.8600390815828041
```

0.2 Guassian Naive Bayes Model

• Guassian Distribution:

```
[]: from collections import Counter
     class Guassian_Naive_Bayes():
         Ostaticmethod
         def transfer(X, y):
             set_label = sorted(set(y))
             data_dict = {1:X[y == 1] for 1 in set_label}
             return data_dict
         Ostaticmethod
         def get mean(X):
             return X.mean(axis=0)
         @staticmethod
         def get_var(X):
             return X.var(axis=0) + 1e-6
         def fit(self, X, y):
             data_dict = self.transfer(X, y)
             model = {x:{"mean":self.get_mean(data_dict[x]), "var":self.
      →get_var(data_dict[x])} for x in data_dict.keys()}
             total_sum = len(y)
             for i in data_dict.keys():
                 model[i]["cnt"] = np.log(data_dict[i].shape[0] / total_sum)
             self.model = model
         def cal_guassian(self, X_test, y=0):
             mean = self.model[y]["mean"]
             var = self.model[y]["var"]
             return (-((X_test - mean) ** 2) / (2 * var) - np.log(np.sqrt(2 * np.
     →math.pi * var))).sum(axis=1)
         def predict(self, X_test):
             likehoods = []
             labels = np.array([])
             for idx, label in enumerate(self.model.keys()):
                 likehood = self.cal_guassian(X_test, y=label) + self.
     →model[label]["cnt"]
                 likehoods.append(likehood)
                 labels = np.append(labels, label)
```

```
return labels[np.argmax(np.array(likehoods), axis=0)]
[]: guassian_nb = Guassian_Naive_Bayes()
     guassian_nb.fit(X_train, y_train)
[]: y_train_hat = guassian_nb.predict(X_train)
     y_test_hat = guassian_nb.predict(X_test)
     print("Train accuracy: ", accuracy(y_train, y_train_hat))
     print("Test accuracy: ", accuracy(y_test, y_test_hat))
    Train accuracy: 0.8231342372053255
    Test accuracy: 0.8270639960918417
[]: import matplotlib.pyplot as plt
     from sklearn.metrics import confusion_matrix, precision_score, recall_score, __
     →f1_score, accuracy_score
     print(confusion_matrix(y_test, y_test_hat))
     print(precision_score(y_test, y_test_hat))
     print(recall_score(y_test, y_test_hat))
     print(f1_score(y_test, y_test_hat))
     print(accuracy_score(y_test, y_test_hat))
    [[2743 304]
     [ 404 643]]
    0.6789862724392819
    0.6141356255969437
    0.6449348044132397
    0.8270639960918417
Г1:
```