Al LAB 4 – 9763-Harsh Parmar – Batch D

Water Jug problem using BFS:

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Code:
from collections import deque
class State:
  def__init__(self, jugs):
    self.jugs = jugs
  def__eq__(self, other):
    return self.jugs == other.jugs
  def__hash__(self):
    return hash(tuple(self.jugs))
def successors(state, jug_sizes):
  successors = []
  for i in range(len(state.jugs)):
    for j in range(len(state.jugs)):
       if i != j:
         pour_amount = min(state.jugs[i], jug_sizes[j] - state.jugs[j])
         if pour_amount > 0:
           new_jugs = list(state.jugs)
           new_jugs[i] -= pour_amount
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new_jugs[j] += pour_amount
           successors.append(State(tuple(new jugs)))
  return successors
def bfs(initial_state, goal, jug_sizes):
  queue = deque([(initial_state, [])])
  visited = set()
  while queue:
    state, actions = queue.popleft()
    if state == goal:
       return actions
    if state not in visited:
       visited.add(state)
       for successor in successors(state, jug_sizes):
         queue.append((successor, actions + [successor]))
  return None
def main():
  jug_sizes = (5, 3) # Jug sizes (e.g., (5, 3) represents jugs of size 5 and 3)
  initial_state = State((0, 0)) # Initial state of the jugs
  goal_state = State((4, 0)) # Goal state to reach
  solution = bfs(initial_state, goal_state, jug_sizes)
  if solution:
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print("Solution:")
    for action in solution:
      print(action)
  else:
    print("No solution found.")
if__name__== "__main__":
  main()
Missionaries and Cannibals:
Code:
from collections import deque
class State:
  def init (self, missionaries, cannibals, boat):
    self.missionaries = missionaries
    self.cannibals = cannibals
    self.boat = boat
  def__eq__(self, other):
    return self.missionaries == other.missionaries and self.cannibals ==
other.cannibals and self.boat == other.boat
  def__hash__(self):
    return hash((self.missionaries, self.cannibals, self.boat))
```

```
def successors(state):
  successors = []
  if state.boat == 'left':
    for m in range(3):
      for c in range(3):
         if 1 \le m + c \le 2:
           new state = State(state.missionaries - m, state.cannibals - c, 'right')
           if 0 <= new_state.missionaries <= 3 and 0 <= new_state.cannibals <=
3 and (new state.missionaries >= new state.cannibals or
new_state.missionaries == 0) and ((3 - new_state.missionaries) >= (3 -
new state.cannibals) or new state.missionaries == 3):
             successors.append(new_state)
  else:
    for m in range(3):
      for c in range(3):
         if 1 \le m + c \le 2:
           new_state = State(state.missionaries + m, state.cannibals + c, 'left')
           if 0 <= new state.missionaries <= 3 and 0 <= new state.cannibals <=
3 and (new state.missionaries >= new state.cannibals or
new state.missionaries == 0) and ((3 - new state.missionaries) >= (3 -
new_state.cannibals) or new_state.missionaries == 3):
             successors.append(new_state)
  return successors
def bfs(initial_state, goal_state):
  queue = deque([(initial state, [])])
  visited = set()
```

```
state, actions = queue.popleft()
    if state == goal state:
       return actions
    if state not in visited:
       visited.add(state)
       for successor in successors(state):
         queue.append((successor, actions + [successor]))
  return None
def main():
  initial state = State(3, 3, 'left') # Initial state of the missionaries and
cannibals
  goal state = State(0, 0, 'right') # Goal state to reach
  solution = bfs(initial state, goal state)
  if solution:
    print("Solution:")
    for action in solution:
       print(f"Move {action.missionaries} missionaries and {action.cannibals}
cannibals to the {action.boat}.")
  else:
    print("No solution found.")
if___name___== "__main___":
```

while queue:

main()

OUTPUT:

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Move 3 missionaries and 1 carnibals to the right.

Move 3 missionaries and 2 carnibals to the left.

Move 3 missionaries and 1 carnibals to the left.

Move 1 missionaries and 1 carnibals to the left.

Move 1 missionaries and 1 carnibals to the left.

Move 2 missionaries and 2 carnibals to the left.

Move 0 missionaries and 2 carnibals to the left.

Move 0 missionaries and 3 carnibals to the right.

Move 0 missionaries and 3 carnibals to the left.

Move 0 missionaries and 2 carnibals to the left.

Move 0 missionaries and 2 carnibals to the left.

Move 0 missionaries and 2 carnibals to the left.

Move 0 missionaries and 2 carnibals to the left.

Move 0 missionaries and 2 carnibals to the right.
```

The time complexity of Water Jug Problem depends on the algorithm used to solve it. Generally when solving the water Jug Problem Using a brute trofone approach the time complexity can be a copontential in worst case. This is because the seauch space grown expoentially with the number of atlas equired to reach the goal state.

Therefore the time complexity can be expressed as (o(b'd) b is bracking factor & d is the depth of a slaych tree.

DES is not usually used for solving the water Jug Problem because it does not gurantee finding the shortest Path to the goal state. DES explores the search space depth first meaning it explores one branch of the search tree has far as possible before backtracking. While & DES may find a solution for the water Jug Problem it may not find the optimal colution. Addition DES may get stuck in infinite loops if the search space contains where Therefore BES or A* are used for water Jug Problem.