## Assn2\_Parth\_Dethaliya\_24-27-29

## October 8, 2024

```
[1]: # Name: Parth Jilubhai Dethaliya
     # Reg No: 24-27-29
     # Programme: M. Tech. Data Science
     # Assignment Number: 2
[2]: import numpy as np
     def print_var_info(var):
        print(f"values : \n{var}")
        print(f"Shape
                          : {var.shape}")
        print(f"Dimension : {var.ndim}")
[3]: ## Q1
     # a
     var1 = np.arange(31) # including 0 and 30 as well, total 31 values
    print_var_info(var1)
    values
    [ 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23
     24 25 26 27 28 29 30]
    Shape
             : (31,)
    Dimension: 1
[4]: # b
     # Since 31 values are present in var1 (5,6) or (6,5) shapes may not work so,
     var2 = var1.reshape(31,1)
    print_var_info(var2)
    values
    [[ 0]]
     [ 1]
     Γ 21
     [ 3]
     Γ 41
     [5]
     [ 6]
     [7]
     [8]
```

```
[ 9]
     [10]
     [11]
     [12]
     [13]
     [14]
     [15]
     [16]
     [17]
     [18]
     [19]
     [20]
     [21]
     [22]
     [23]
     [24]
     [25]
     [26]
     [27]
     [28]
     [29]
     [30]]
             : (31, 1)
    Shape
    Dimension: 2
[5]: # c
     # Similarly 3d shape
     var3 = var2.reshape(1,31,1) # or var1.reshape() both would result in same
     print_var_info(var3)
    values
    [[ 0]]
      [ 1]
      [ 2]
      [ 3]
      [ 4]
      [5]
      [ 6]
      [7]
      [8]
      [ 9]
      [10]
      [11]
      [12]
      [13]
      [14]
      [15]
```

```
[16]
       [17]
       [18]
       [19]
       [20]
       [21]
       [22]
       [23]
       [24]
       [25]
       [26]
       [27]
       [28]
       [29]
       [30]]]
     Shape
               : (1, 31, 1)
     Dimension: 3
[6]: # d
      var2[1,0] = -1
      print(var1)
      print(var3)
     [ \ 0 \ -1 \ \ 2 \ \ 3 \ \ 4 \ \ 5 \ \ 6 \ \ 7 \ \ 8 \ \ 9 \ 10 \ 11 \ 12 \ 13 \ 14 \ 15 \ 16 \ 17 \ 18 \ 19 \ 20 \ 21 \ 22 \ 23
      24 25 26 27 28 29 30]
     [[ 0]]
       [-1]
       [ 2]
       [ 3]
       [ 4]
       [ 5]
       [ 6]
       [7]
       [8]
       [ 9]
       [10]
       [11]
       [12]
       [13]
       [14]
       [15]
       [16]
       [17]
       [18]
       [19]
       [20]
```

```
[21]
[22]
[23]
[24]
[25]
[26]
[27]
[28]
[29]
[30]]]
```

The values in var1 as well as var3 changes because reshapes doesn't returns copy rather it returns view (in most of the cases).

```
[7]: # e i) Sum var3 over its second dimension
     print(f"Shape
                    : {var3.shape}")
     sum_var3_ax1 = np.sum(var3, axis=1)
     print("Sum over second dimension:", sum_var3_ax1) # Second dimension contains ∪
      ⇔all the 31 values so it sums over it
     # e ii) Sum var3 over its 3rd dimension
     sum var3 ax2 = np.sum(var3, axis=2)
     print("Sum over second dimension:", sum_var3_ax2) # it will sum between columns_
     ⇔but since we only have 31 rows and
     \# single column so it will be same thing but with dimension 2 (as it has \sqcup
      ⇒reduced that 2nd axis by summin over it)
     # e iii) Sum var3 over its 1st & 3rd dimension
     sum_var3_ax1_3 = np.sum(var3, axis=(0,2))
     print("Sum over second dimension:", sum_var3_ax1_3) # it willfirst sum over_
      ⇔axis 0 which is between the depth, but since
     # there exists only one depth so the output information may not change, only |
     ⇔axis 0 will be reduces
     # then it sums over axis 2, again same thing will happen as mention in "e (ii)"_{	t L}
      →and the dimension will be 1 now
             : (1, 31, 1)
    Shape
    Sum over second dimension: [[463]]
    Sum over second dimension: [[ 0 -1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16
    17 18 19 20 21 22 23
```

```
Snape : (1, 31, 1)
Sum over second dimension: [[463]]
Sum over second dimension: [[0-1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23
24 25 26 27 28 29 30]]
Sum over second dimension: [0-1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23
24 25 26 27 28 29 30]
```

Conclusion regarding output shape: if an array is of shape (a,b,c), any\_operation(axis=0) returns (b,c) (eliminates the given axis) example: i) any\_operation(axis=1) returns (a,c) ii) any\_operation(axis=(0,1) returns (b) likewise...

```
[8]: # f i)
     print("Second row")
     print(var2[1,:])
     # f ii)
     print("\nLast column")
     print(var2[:,-1]) # Only 1 column exists so the output will with full data but |
     # f iii) Top right 2x2
     # Since it's not possible with shape (31,1) so creating new variable with (5,6)_{\sqcup}
     ⇔shape to do this
     var4 = np.arange(30).reshape(5,6)
     print("\nvar4: ")
     print_var_info(var4)
     print("\n")
     print("Top right 2x2: \n")
    print(var4[:2,-2:])
    Second row
    [-1]
    Last column
    [ 0 -1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23
     24 25 26 27 28 29 30]
    var4:
    values
    [[0 1 2 3 4 5]
     [67891011]
     [12 13 14 15 16 17]
     [18 19 20 21 22 23]
     [24 25 26 27 28 29]]
             : (5, 6)
    Shape
    Dimension: 2
    Top right 2x2:
    [[ 4 5]
     [10 11]]
```

```
[9]: # 02
     # a
     arr = np.arange(10)
     print("original array : ", arr)
     arr2 = arr + 1
     print("Broadcasted + 1 : ",arr2)
     original array : [0 1 2 3 4 5 6 7 8 9]
     Broadcasted + 1 : [ 1 2 3 4 5 6 7 8 9 10]
[10]: # b 10x10 matrix
     column vector = arr2.reshape(10,1)
     arr3 = column_vector + arr2
[11]: arr3
[11]: array([[ 2, 3, 4, 5, 6, 7, 8, 9, 10, 11],
             [3, 4, 5, 6, 7, 8, 9, 10, 11, 12],
             [4, 5, 6, 7, 8, 9, 10, 11, 12, 13],
             [5, 6, 7, 8, 9, 10, 11, 12, 13, 14],
             [6, 7, 8, 9, 10, 11, 12, 13, 14, 15],
             [7, 8, 9, 10, 11, 12, 13, 14, 15, 16],
             [8, 9, 10, 11, 12, 13, 14, 15, 16, 17],
             [ 9, 10, 11, 12, 13, 14, 15, 16, 17, 18],
             [10, 11, 12, 13, 14, 15, 16, 17, 18, 19],
             [11, 12, 13, 14, 15, 16, 17, 18, 19, 20]])
[12]: # c
     import numpy.random as npr
     data = np.exp(npr.randn ( 50 , 5 ) )
     print(data)
     [[0.42091235 1.81489674 1.2949665 0.58422979 2.38532519]
      [0.61188755 0.87601509 1.64796024 1.64762384 2.18702232]
      [0.33631897 0.69952875 0.83422619 0.51233697 0.59033491]
      [0.52212359 2.00099907 0.61464681 1.14010647 0.75440642]
      [2.46580777 1.04810113 1.31750982 0.41296156 0.22908517]
      [0.15316116 1.12689728 1.90409151 0.39081889 1.22615262]
      Γ1.327881
                  3.58721671 0.2343564 1.57593254 0.22931869]
      [1.27292078 0.35139919 2.41428525 0.57429689 1.34286326]
      [0.8927045  0.28857607  1.36392418  1.00525404  0.20494896]
      [0.21936135 0.42803847 1.19286316 0.36689174 1.80378151]
      [0.49875248 0.75926858 1.20437877 1.70210154 1.19371655]
      [0.34186869 0.9234617 3.1882551 5.83969796 1.05176531]
      [2.26950066 2.25961792 6.92050537 0.93378732 0.23326291]
      [4.19662721 0.25796419 0.81361865 3.55083127 1.8957381 ]
      [3.77087997 9.74062167 1.61211074 1.69601021 1.08735038]
```

```
[1.6023097 2.81675301 0.4551519 0.55495611 1.26641427]
      [0.68729947 1.17787661 0.3874774 1.0668792 0.12699152]
      [0.38451703 1.29694607 3.05392167 4.48615237 3.09838709]
      [0.19579052 0.43897576 0.33713382 1.14525335 0.99551986]
      [3.01026952 1.03755039 3.80318382 7.62871862 3.20092983]
      [0.47207691 2.47544979 0.94739815 1.15578457 0.95687394]
      [3.9254264 1.30836942 0.69063721 1.28162544 0.93707013]
      [0.77278342 1.15420957 1.44249057 1.45725718 0.23187154]
      [1.17028233 7.60871501 0.92776427 3.97459831 1.14967504]
      [1.18317739 0.06685034 0.58067847 0.91948932 2.56007873]
      [0.26090828 0.27392161 0.63837938 0.72388201 0.43173133]
      [0.60456112 0.19076568 6.26034424 4.02307158 0.36005
      [4.68000551 0.64653731 0.43333346 2.55122262 0.335259 ]
      [4.65988911 4.56541545 0.31655695 2.41463032 2.98149856]
      [1.54400665 3.29375977 0.60260571 4.02791774 0.65478625]
      [0.67765205 0.52881606 0.495344
                                        0.21218031 1.03136661]
      [0.39715672 1.66253289 0.4273032 1.21164467 0.90588554]
      [1.75600092 5.08004171 1.77893088 0.32118667 0.66727983]
      [0.22915325 3.07957824 0.77967188 1.39811072 0.1613056 ]
      [0.52959561 0.93140499 0.27303201 0.4277564 1.12831673]
      [4.58957364 1.46960084 1.98922323 0.2830903 0.0883134 ]
      [4.37604175 0.89960079 0.39855598 2.22630584 0.55176236]
      [0.36958557 0.90848496 2.20429381 0.68811048 3.12624859]
      [0.43176793 1.43469277 1.91701947 1.99636105 1.58885266]
      [1.32049741 1.25574995 1.7315332 1.23882423 5.74420062]
      [2.18711746 0.86557516 1.04966168 1.70370909 0.89403645]
      [0.96797475 1.10828932 0.52764718 2.2731851 0.86323126]
      [0.61447571 0.23135699 2.7875905 2.71122411 1.87639708]
      [0.62374627 0.81194585 1.06122462 1.32569027 1.09096522]
      [0.94855639 0.64871491 2.04571813 0.10269383 1.80556829]
      [1.20292213 1.3547615 0.64283624 0.2042067 0.18870633]
      [0.47721508 0.15987833 1.046163 0.41480417 0.44217532]
      [2.32501727 0.25149159 0.197126
                                        2.86407459 0.39751699]
      [0.97200968 0.23312634 0.6376289 0.14782383 0.4919565 ]]
[13]: std = np.std(data,axis=0)# for each column that means we have to compute_
      ⇔between rows
      mean = np.mean(data,axis=0)
      print(std)
      print(mean)
     [1.34713926 1.83227701 1.34099051 1.53082909 1.13968739]
     [1.39606209 1.60299376 1.41880132 1.63910482 1.25817761]
[14]: normalized = (data-mean)/std
     print(normalized)
     [[-0.72386707 0.11565008 -0.09234579 -0.68908739 0.98899714]
```

[0.35303374 2.71934653 1.51480657 0.85993871 4.16258598]

```
[-0.58210355 - 0.39676243 \ 0.1708878 \ 0.00556497 \ 0.81499954]
 \begin{bmatrix} -0.7866619 & -0.4930832 & -0.43592787 & -0.73605071 & -0.58598763 \end{bmatrix} 
[-0.64873657 \quad 0.21721896 \quad -0.59967204 \quad -0.32596607 \quad -0.44202577]
[ 0.79408693 -0.3028432 -0.07553484 -0.80096678 -0.90296028]
[-0.92262246 -0.2598387
                         0.36188936 -0.81543128 -0.0280998 ]
[-0.09140949 - 0.68308152 \quad 0.74234972 - 0.69557597 \quad 0.07430603]
[-0.37364927 -0.71736844 -0.04092284 -0.41405718 -0.9241382 ]
[-0.87348115 -0.64125418 -0.16848602 -0.83106147 0.47873118]
[-0.66608527 -0.46047906 -0.15989864 0.04115203 -0.05656031]
[-0.78254227 -0.37086754 1.31951253 2.74399876 -0.18111309]
[ 0.64836546  0.35836511  4.10271662  -0.46074216  -0.89929459]
[ 2.07889801 -0.73407545 -0.45129527 1.24881769 0.55941698]
[ 1.76285997  4.44126509  0.1441542
                                     0.03717292 -0.14988956]
[-0.77425429 0.60927074 0.07159279 -0.50898308 2.54842546]
[0.15310044 \quad 0.66243218 \quad -0.71861017 \quad -0.70821015 \quad 0.00722712]
[-0.52612424 - 0.23201577 - 0.76907623 - 0.37380111 - 0.99254068]
[-0.75088381 -0.16703134 1.21933775 1.85980758 1.61466161]
[-0.8909781 -0.63528495 -0.80661831 -0.32260392 -0.23046473]
[ 1.19824837 -0.30860146 1.7780756
                                     3.91266003 1.70463605
[-0.68588691 \quad 0.47615946 \quad -0.35153356 \quad -0.3157245 \quad -0.26437396]
[ 1.87758191 -0.16079683 -0.54300468 -0.23352011 -0.2817505 ]
[-0.46266833 -0.2449325
                         0.01766548 -0.11879029 -0.90051542]
[-0.16759942 3.27773652 -0.36617489 1.5256396 -0.0952038 ]
[-0.15802725 -0.83837947 -0.62500282 -0.47008219 1.14233177]
[-0.84264029 -0.72536639 -0.58197425 -0.59786086 -0.72515173]
[-0.58754206 - 0.77075031 \ 3.61042295 \ 1.55730432 - 0.78804734]
[ 2.43771637 -0.52200429 -0.73488057  0.59583255 -0.8097998 ]
[ 0.10982128  0.92276768  -0.6086513  1.56047003  -0.52943585]
[-0.53328566 -0.5862529 -0.68863823 -0.93212528 -0.1990116 ]
[-0.7415012 \quad 0.03249461 \quad -0.73937744 \quad -0.2792344 \quad -0.3091129 \ ]
[ 0.26718754 1.897665
                         0.26855489 -0.86091789 -0.51847357]
[-0.64318999 -0.36653234 -0.85442015 -0.79130219 -0.1139443 ]
[ 2.37058754 -0.07280172  0.42537356 -0.88580399 -1.02647816]
[ 2.21207989 -0.38389009 -0.76081474  0.38358366 -0.61983247]
[-0.76196764 - 0.37904138 \ 0.58575544 - 0.62122829 \ 1.63910822]
[-0.71580882 -0.09185346 0.37152996 0.23337434 0.2901454 ]
[-0.0560927 -0.18951491 0.23320961 -0.26147961 3.93618728]
[ 0.58721128 -0.40246022 -0.27527387  0.04220215 -0.31950969]
[-0.31777512 -0.26999435 -0.66454918 0.4142071 -0.34653919]
[-0.58018232 -0.74859684 1.02072995 0.70035205 0.54244652]
[-0.57330066 -0.43172943 -0.26665118 -0.20473516 -0.14671778]
[-0.33218964 -0.52081582  0.46750279 -1.00364632  0.48029897]
[-0.14337045 -0.13547748 -0.57865069 -0.93733397 -0.93839003]
[-0.68207278 -0.78760768 -0.2778829 -0.79976312 -0.71598782]
[0.6895762 -0.737608 -0.91102459 0.80020022 -0.75517254]
```

```
[-0.31477994 -0.74763118 -0.58253389 -0.97416556 -0.67230815]]
```

```
[15]: std = np.std(normalized,axis=0)
     mean = np.mean(normalized,axis=0)
     print("Standard Deviation : ",std)
     print("Mean
                              : ",mean)
     # Mean O, Std = 1
     Standard Deviation: [1. 1. 1. 1.]
                       : [ 7.54951657e-17 -9.54791801e-17 -1.11022302e-17
     Mean
     -1.35447209e-16
       2.22044605e-16]
[16]: # 3 Vandermonde matrix
     N = 12
     def vandermonde(N):
         vec = np.arange (N) +1
         vector = np.arange(N) + 1
         v2 = np.arange(N) # Power Vector
         output = vector.reshape(N,1)**v2
         return output
     def printMat(Mat):
         for row in Mat:
             print(" ".join(f"{elem}" for elem in row))
     Vector = vandermonde(N)
     printMat(Vector)
     1 1 1 1 1 1 1 1 1 1 1 1
     1 2 4 8 16 32 64 128 256 512 1024 2048
     1 3 9 27 81 243 729 2187 6561 19683 59049 177147
     1 4 16 64 256 1024 4096 16384 65536 262144 1048576 4194304
     1 5 25 125 625 3125 15625 78125 390625 1953125 9765625 48828125
     1 6 36 216 1296 7776 46656 279936 1679616 10077696 60466176 362797056
     1 7 49 343 2401 16807 117649 823543 5764801 40353607 282475249 1977326743
     1 8 64 512 4096 32768 262144 2097152 16777216 134217728 1073741824 0
     1 9 81 729 6561 59049 531441 4782969 43046721 387420489 -808182895 1316288537
     1215752192
     1 11 121 1331 14641 161051 1771561 19487171 214358881 -1937019605 167620825
     1843829075
     1 12 144 1728 20736 248832 2985984 35831808 429981696 864813056 1787822080
     -20971520
[17]: # b
     x = np.ones(12)
```

```
b = np.dot(Vector,x)
      print(b)
     [1.20000000e+01 4.09500000e+03 2.65720000e+05 5.59240500e+06
      6.10351560e+07 4.35356467e+08 2.30688120e+09 1.22713351e+09
      9.43953692e+08 3.73692871e+09 3.10225064e+08 3.10073456e+09]
[18]: # c naive solution
      Vector_inv = np.linalg.inv(Vector)
      Sol = np.dot(Vector_inv,b)
      print(Sol)
      # The result is almost ones(12) with slight variation maybe due to floating
       →points instability while inversing Vector
     [1.00158882 0.99722672 1.00127029 0.99991608 1.00000095 0.99999905
      1.00000018 0.99999999 1.
                                                  1.
                                                             1.
                                       1.
[19]: # d solve using numpy
      Sol_inbuilt = np.linalg.solve(Vector,b)
      print(Sol_inbuilt)
     [1.0000114 0.99997033 1.00002961 0.99998507 1.00000423 0.9999993
      1.00000007 1.
                            1.
                                       1.
                                                  1.
                                                             1.
                                                                       1
[20]: # The solution using .solve() seems more accurate but let's verify that using
      ⇔some statistics
      Diff solve = x - Sol
      Diff_solve_inbuilt = x - Sol_inbuilt
      print(np.std(Diff_solve) , np.std(Diff_solve_inbuilt) )
      # clearly the inbuilt function method's solution is more closer to ones(12)
     0.0009931496457600455 1.3316958977450673e-05
[21]: #https://qithub.com/PARTH1D/Parth_24-27-29/blob/main/
       Assn2_Parth_Dethaliya_24-27-29.ipynb
 []:
```