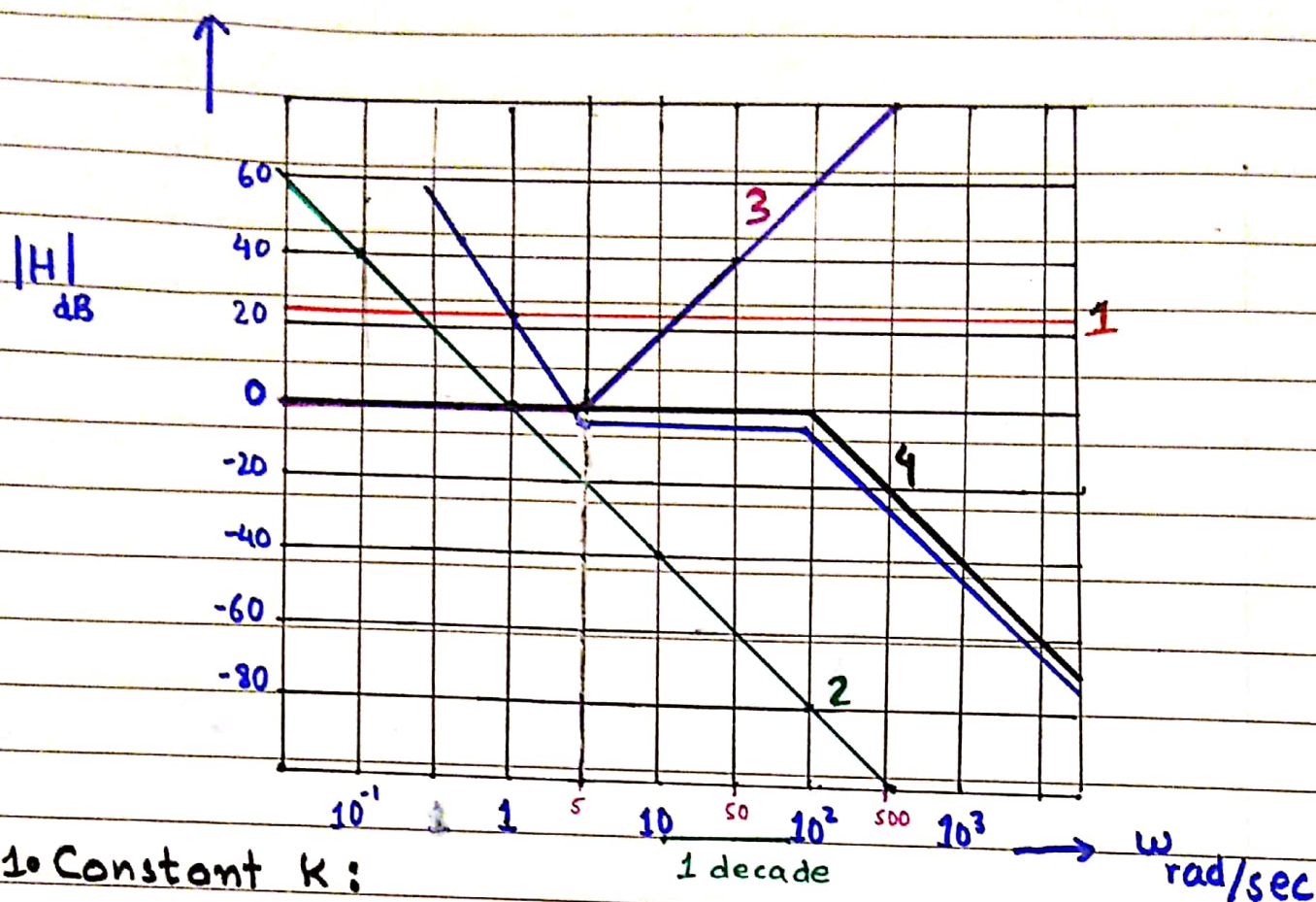


Day / Date Q4



1. Constant K :

— at $20 \log_{10}(25) = 27.9 \approx 28$

Constant Phase 0°
at (+) K

2. Real System Pole $(\frac{1}{j\omega})^n$:

— at $20 \log_{10}(1) = 0$

3. Conjugate terms

from Quadratic zero:

— at meaningful frequency = 5

By comparing;

$$\frac{j^2 \omega^2}{\omega_o^2} + 2 \zeta \frac{\omega}{\omega_o} + 1$$

Quadratic = $\left\{ \left(\frac{j\omega}{5} \right)^2 + j^2 \frac{3}{5} \cdot \frac{\omega}{5} + 1 \right\}$

Zero in
numerator

$(\frac{1}{j\omega})^2$ -20 dB/decades
Square so,
-20 x 2 = -40 dB/dec
decay (-) slope

rise Per decade by
40 decibels. NOTE:

Here,

$5 \times 10 = 50$ next
decade

Sunny

Day / Date

when 50 decades passess our quadratic zero rises 40 decibels (by imaginary axis).

Then further, $50 \times 10 = 500$ decades later, slope rise to 60 dB, and so on.

4. Complex Conjugate pole:

1 Quadratic Pole:

— at meaningful frequency = 100

By comparison,

In denominator, we have a quadratic Pole

$$\left\{ \left(\frac{j\omega}{100} \right)^2 + j2 \cdot \frac{8}{10} \frac{\omega}{100} + 1 \right\}$$

So a straight line, uptill 100ω (rad/sec), then decays by -40 dB/dec to 10^3 and so on.

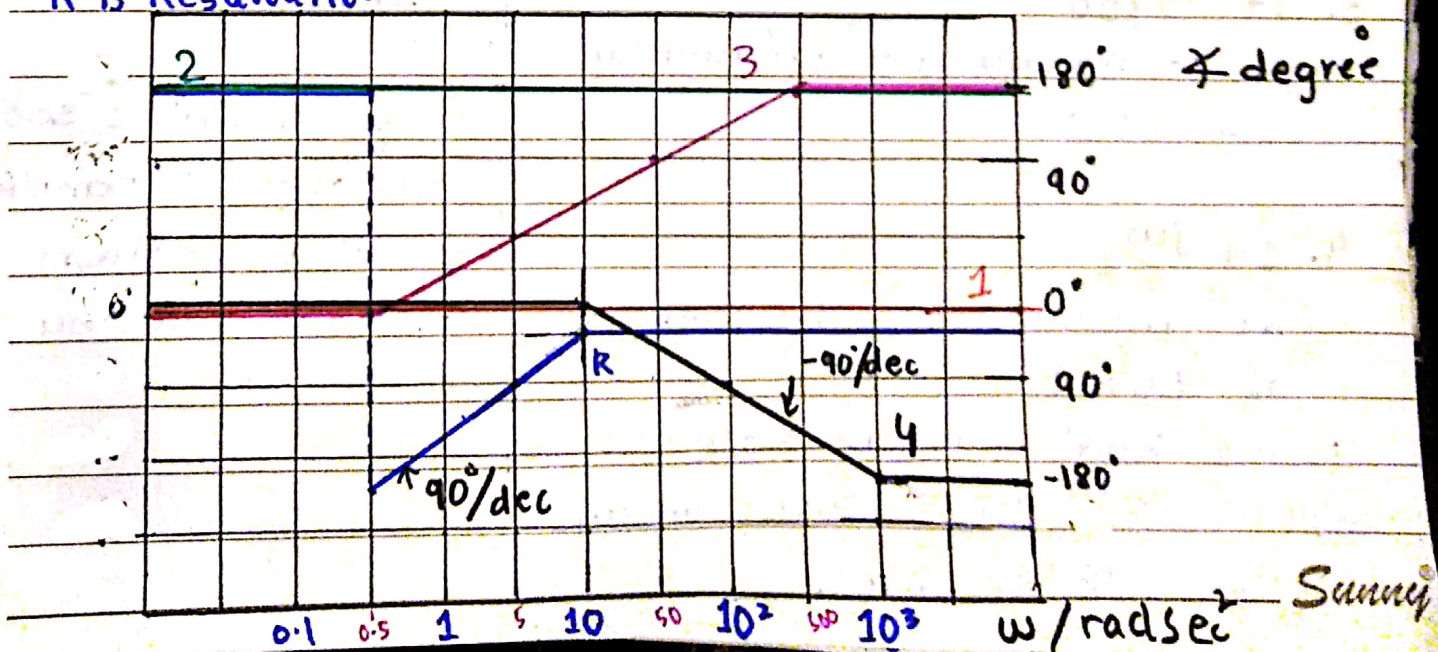
Now,

Notice Red and green line are intersecting both are non-zero dBs so add them: Red line will give a 7 dB off set to green line each time.

Blue (-) line is resultant.

PHASE PLOT:

R is Resultant.



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Q5:

$$H(s) = \frac{10s(s+300)}{(s+1)(s^2+6s+400)}$$

$$H(j\omega) = \frac{10(j\omega)300 \left(1 + \frac{j\omega}{300}\right)}{(j\omega+1)400 \left(\frac{j\omega}{20}\right)^2 + j\frac{6}{20}\frac{\omega}{20} + 1}$$

$$H(j\omega) = \frac{30j\omega \left(1 + \frac{j\omega}{300}\right)}{4 \left(1 + \frac{j\omega}{1}\right) \left(1 + \frac{6}{20} \left(\frac{j\omega}{20}\right) + \left(\frac{j\omega}{20}\right)^2\right)}$$

$$H(j\omega) = \frac{7.5j\omega \left(1 + \frac{j\omega}{300}\right)}{(1+j\omega) \left(1 + \frac{6}{20} \left(\frac{j\omega}{20}\right) + \left(\frac{j\omega}{20}\right)^2\right)}$$

1. k Constant :

— at $20 \log_{10}(7.5) = 17.5$

SLOPES

Constant phase 0°
at (+)k value

2. $j\omega$: Real System Zero ($j\omega$) :

— at $20 \log_{10}(1) = 0$

$j\omega = +20 \text{ dB/dec}$
rise slope from zero.

3. $1 + j\omega/300$

— at meaningful frequency
 $\omega = 300$

Slope remains 300°
constant (0° parallel
to ω axis) then
slope will rise by
 20 dB/dec

4. $1 + \frac{j\omega}{1}$

— at meaningful frequency
of $\omega = 1$

Being Real System Pole
after $\omega > 1$ the slope decays
by -20 dB/decades .

Sunny

Day / Date **Quadratic Pole:**

— at meaningful frequency $\omega = 20$
Slope decays by -40 dB/decades , after $\omega > 20$.

— Resultant Plotting:

