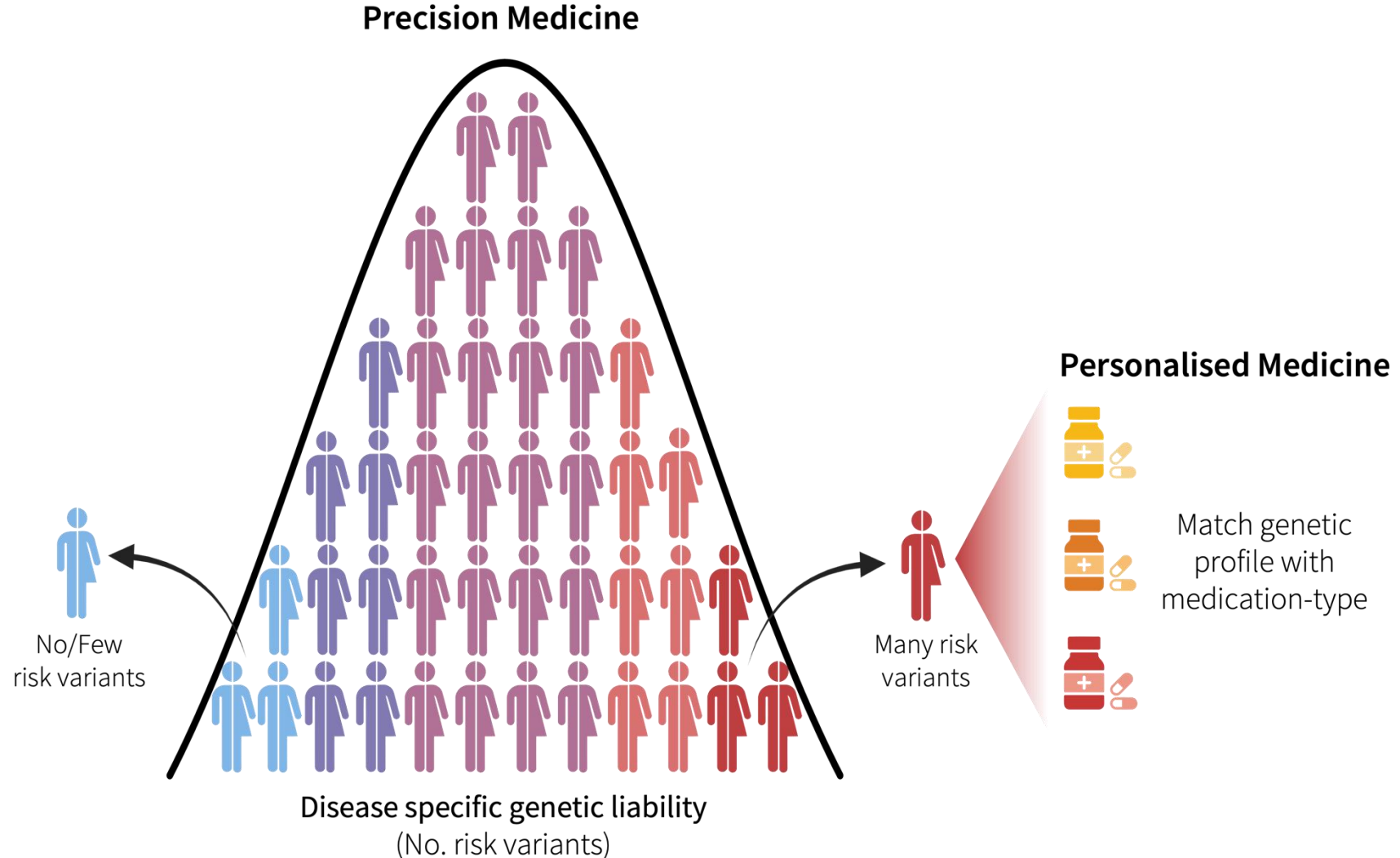


Polygenic Scores (PGS)

#7



LETS GET STARTED



AGENDA

08:15 – 08:45	Recap [<i>GWAS + R exercise from last</i>]
08:45 – 08:50	Break
08:50 – 09:20	Lecture [<i>PGS</i>]
09:20 – 09:30	Break
09:30 – 10:30	Exercise 1 + 2 [<i>+ joint discussion</i>]
10:30 – 10:40	Break
10:40 – 11:30	Group work
11:30 – 11:55	Presentation of group work
11:55 – 12:00	Evaluation at Moodle

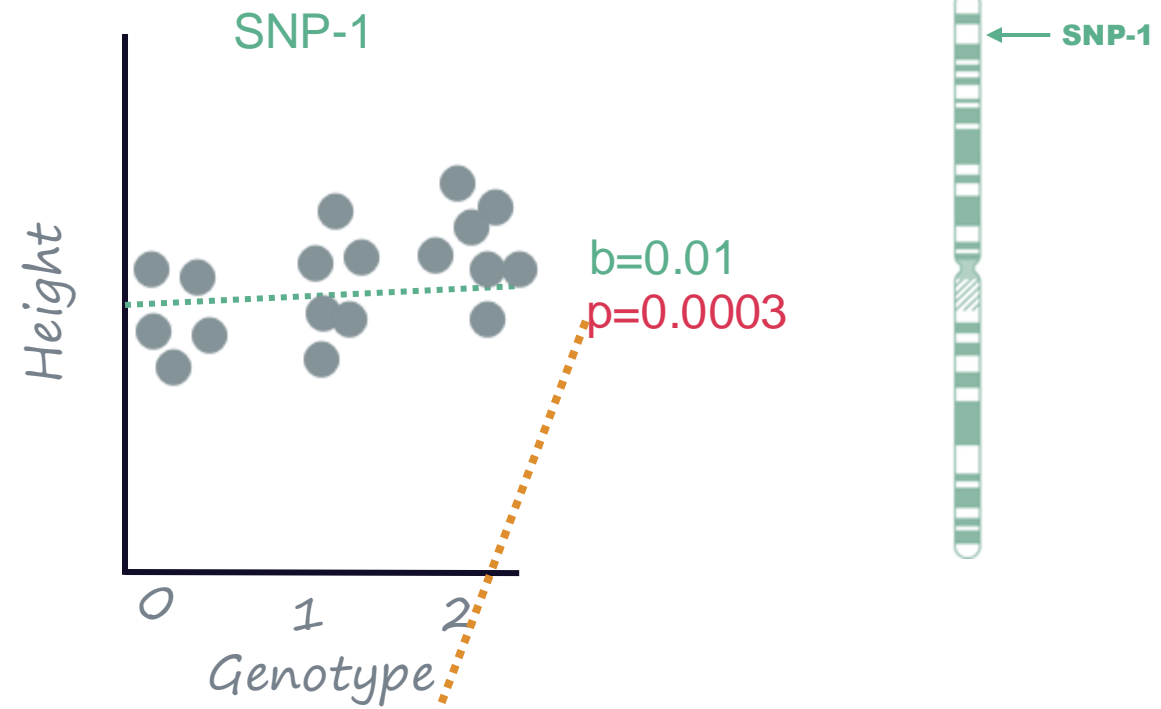
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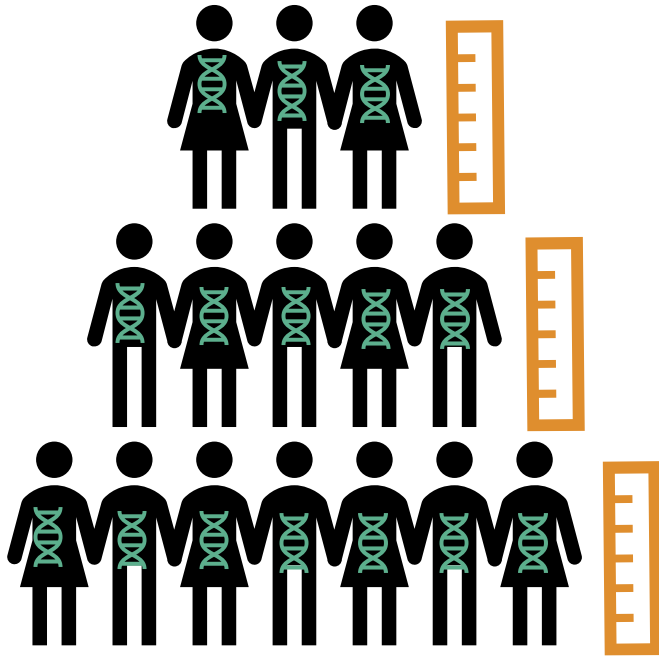
GWAS RECAP



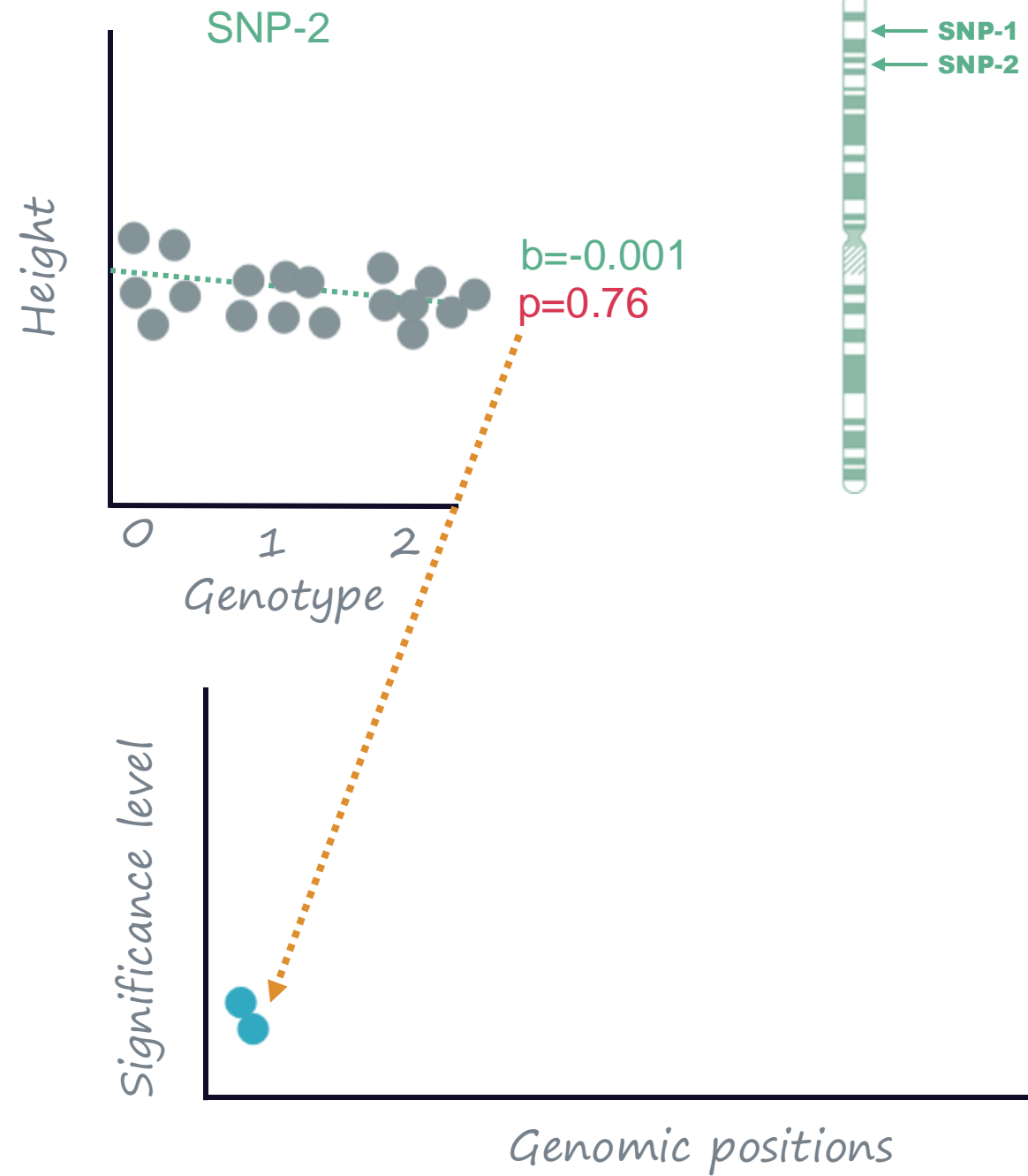
Which SNPs associate with height?



GWAS RECAP



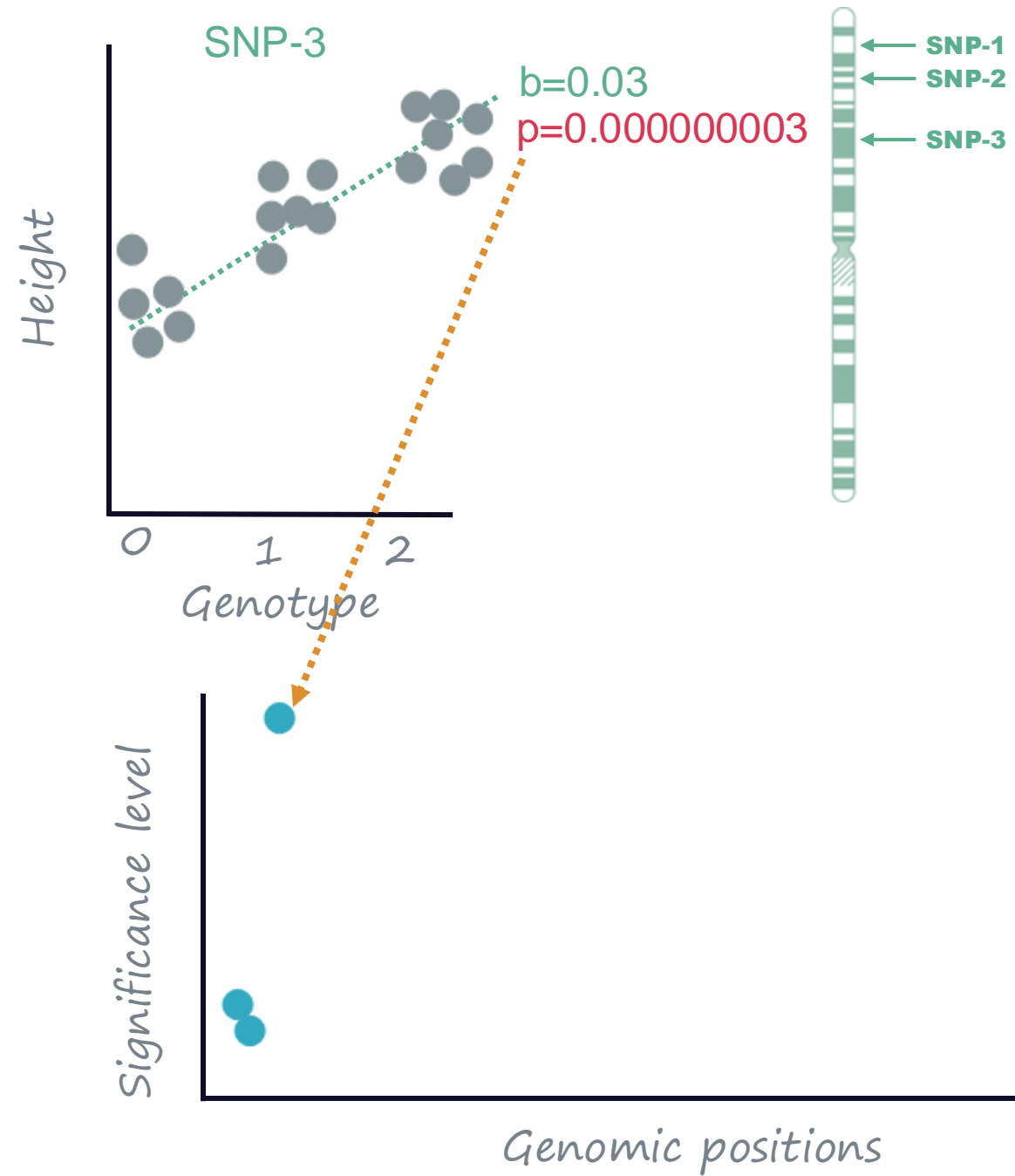
Which SNPs associate with height?



GWAS RECAP



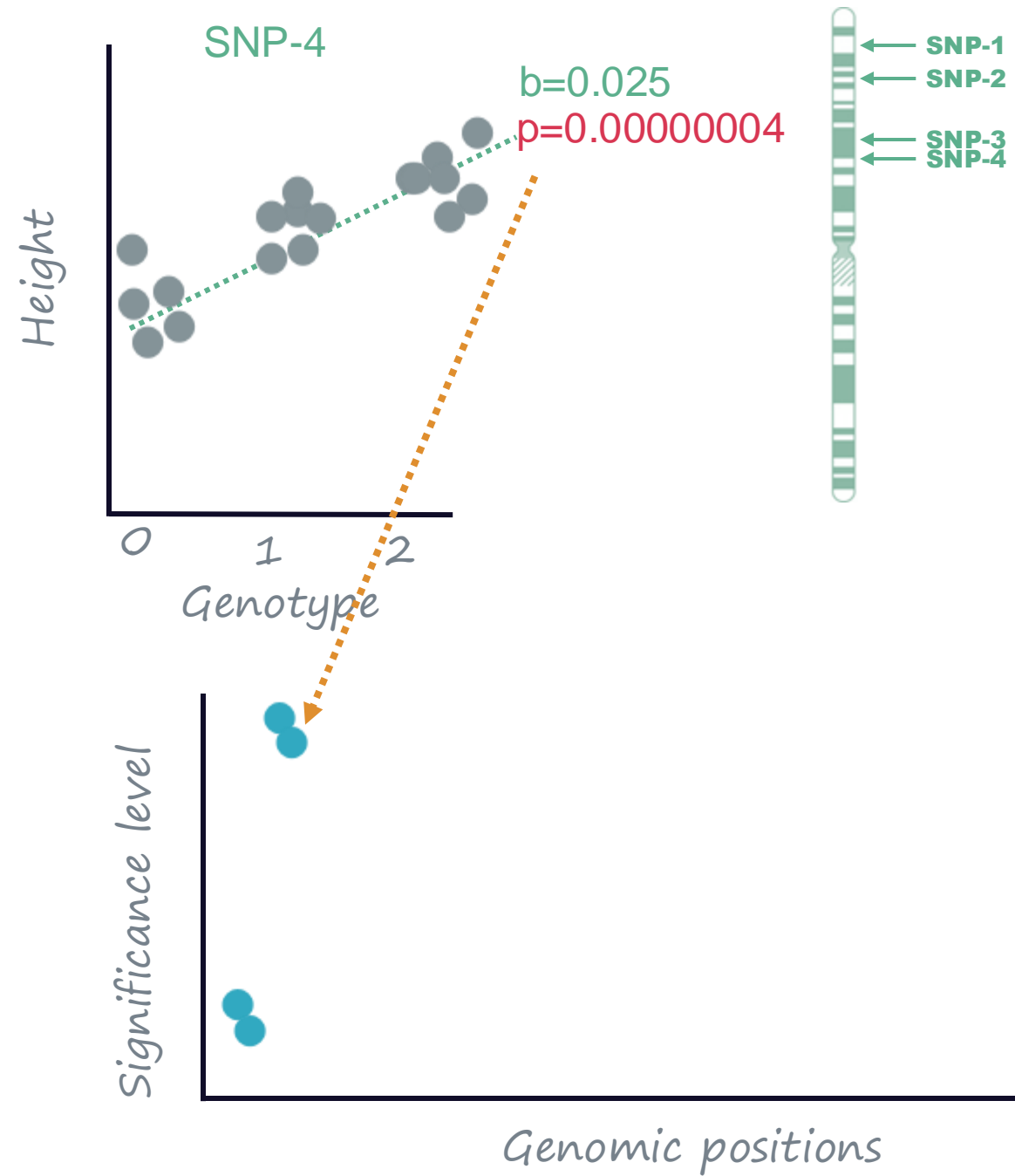
Which SNPs associate with height?



GWAS RECAP



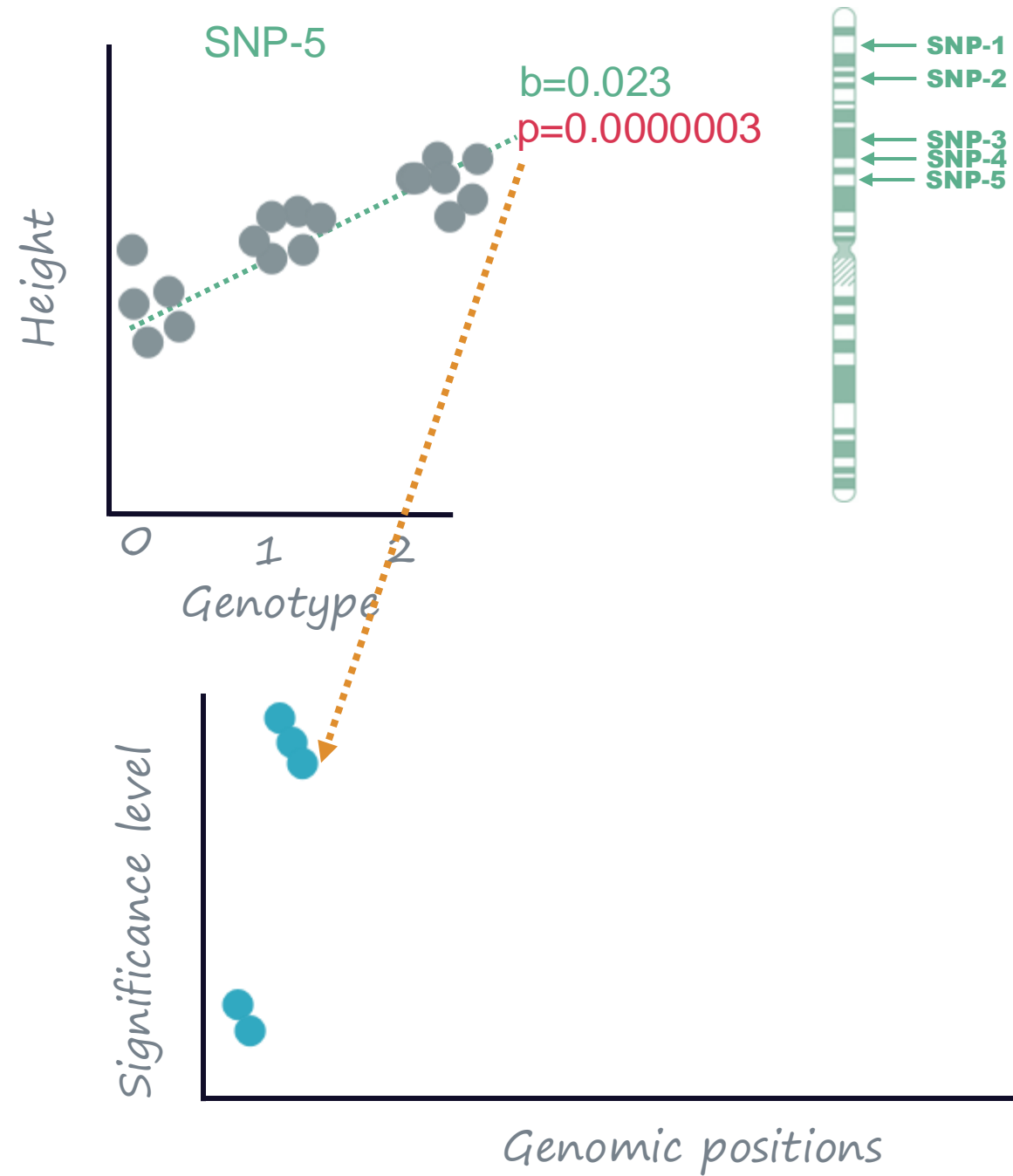
Which SNPs associate with height?



GWAS RECAP



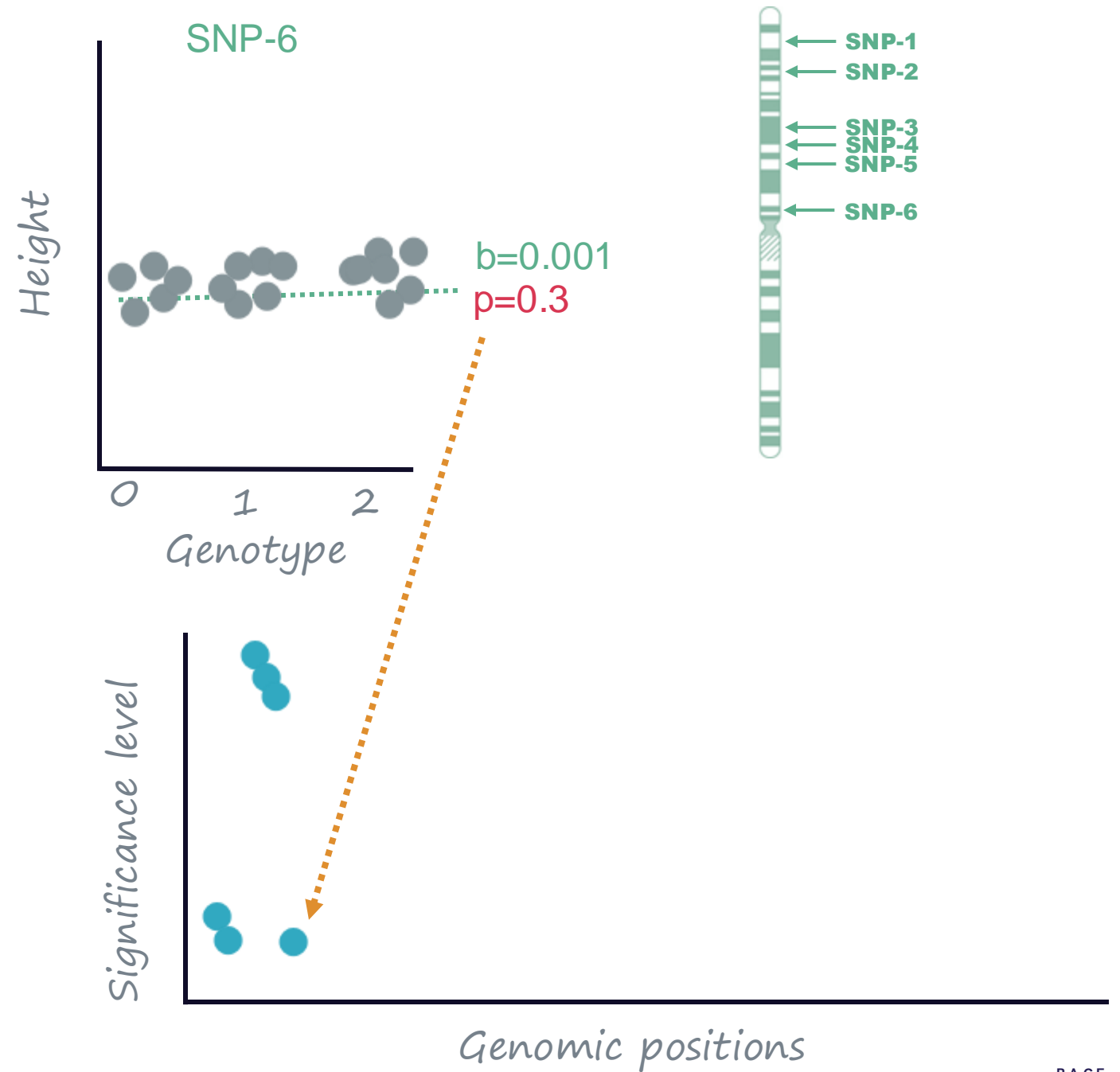
Which SNPs associate with height?



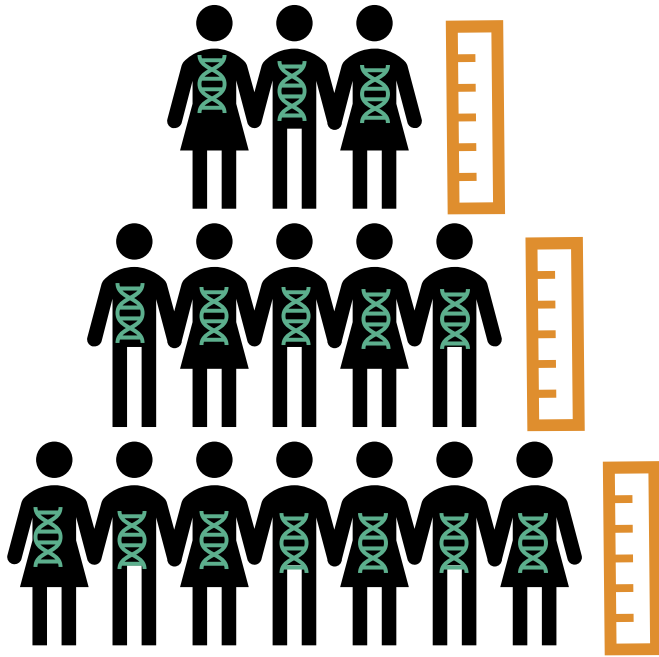
GWAS RECAP



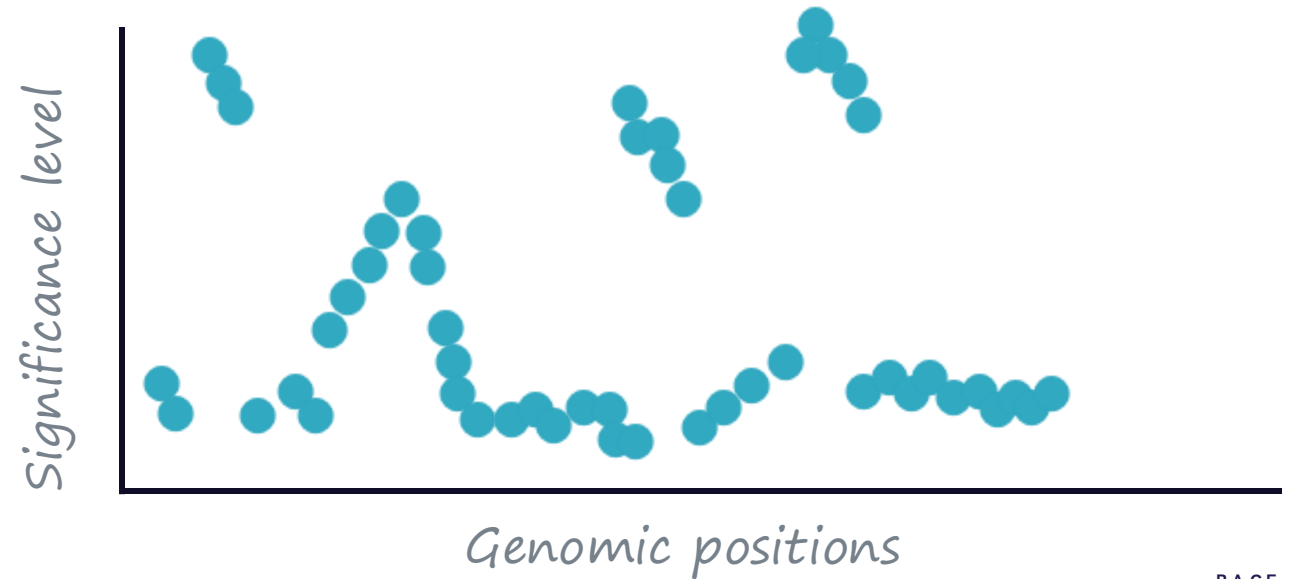
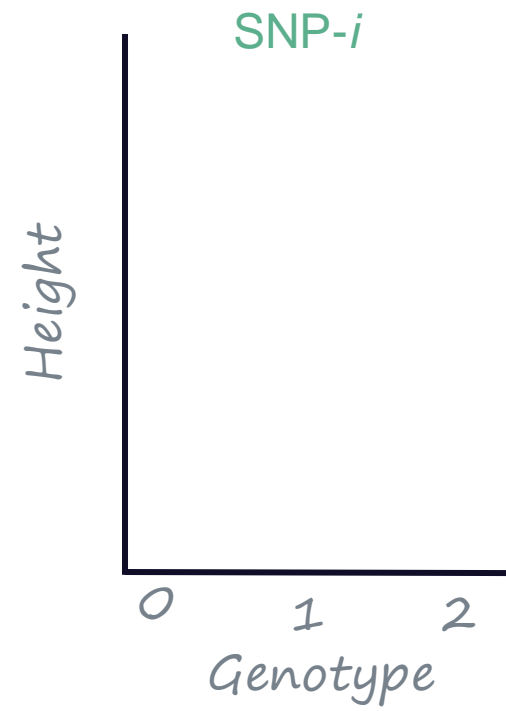
Which SNPs associate with height?



GWAS RECAP



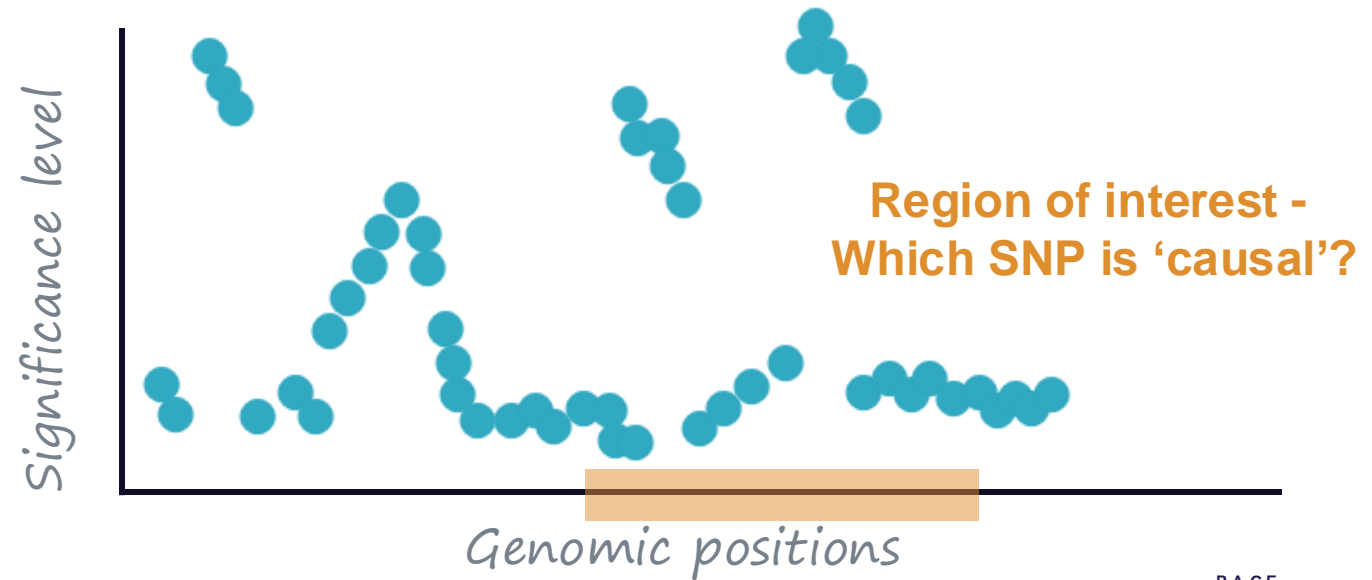
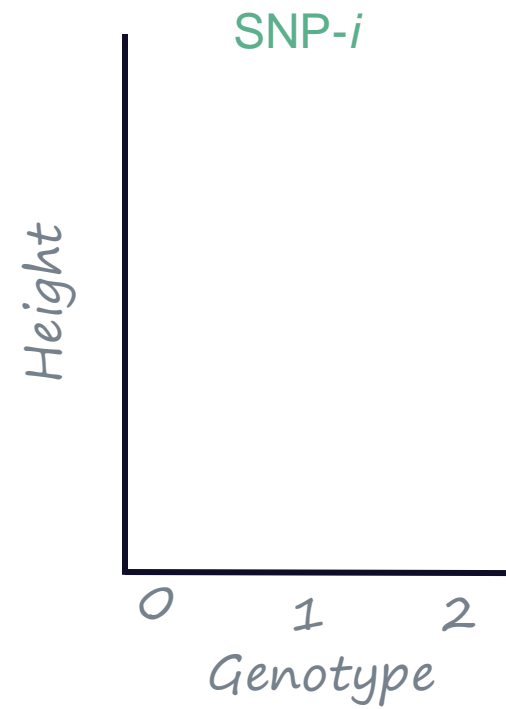
Which SNPs associate with height?



GWAS RECAP



Which SNPs associate with height?



Linkage disequilibrium (LD)

- what is it?

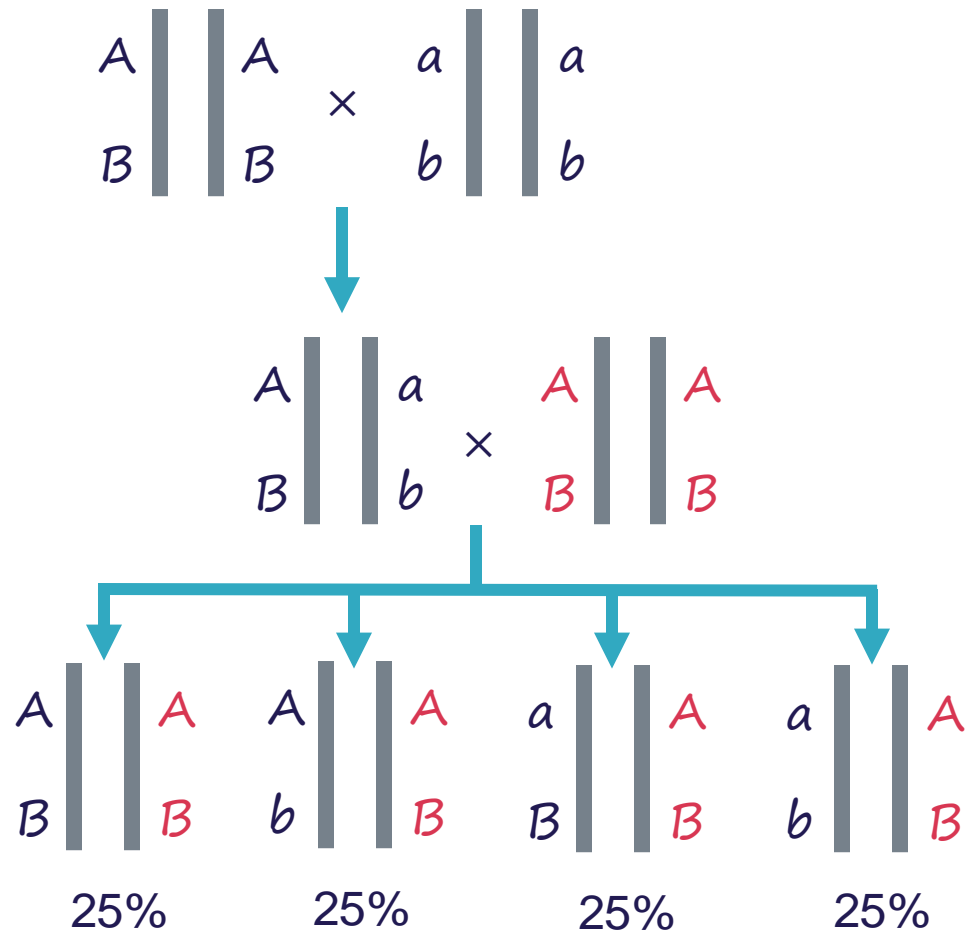


LD REVISITED

Mendel's law of independent assortment

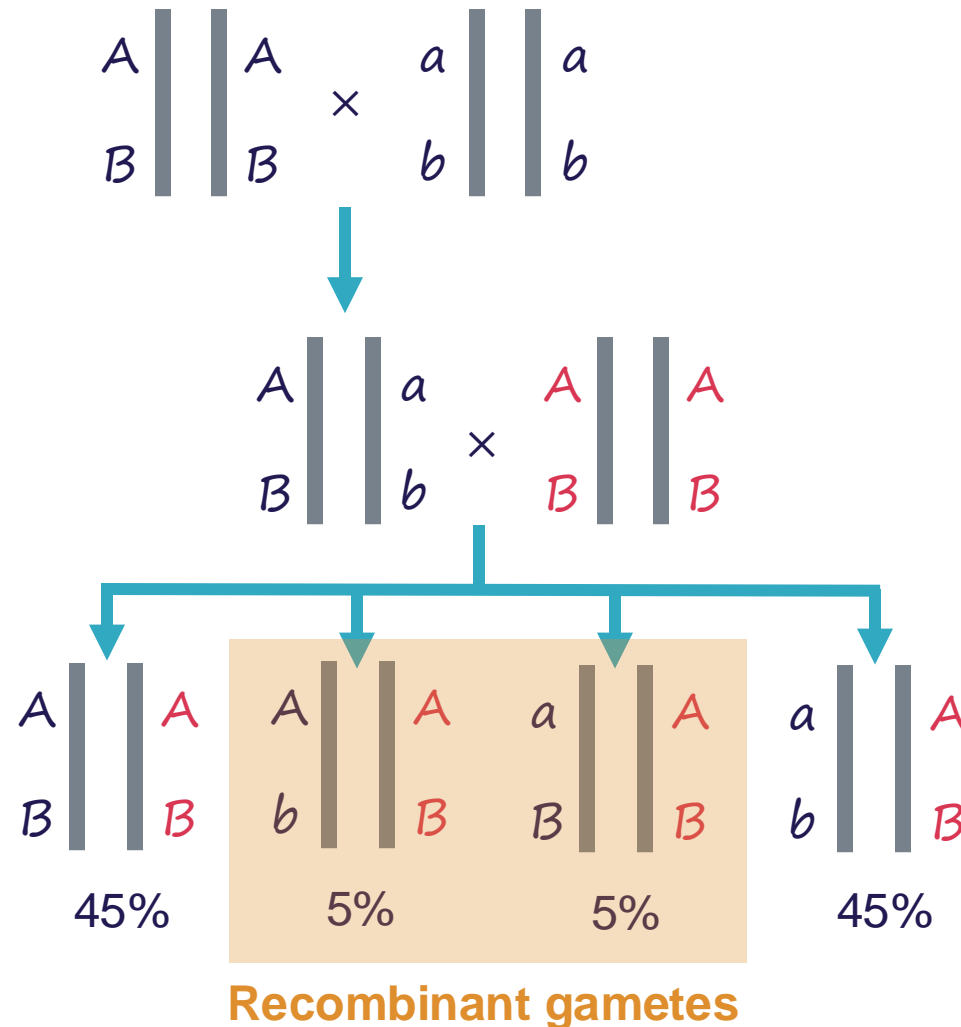
- Genes do not influence each other with regard to sorting of alleles into gametes
- Every possible combination of alleles for every gene is equally likely to occur

INDEPENDENT ASSORTMENT



Independent assortment

NON-INDEPENDENT ASSORTMENT



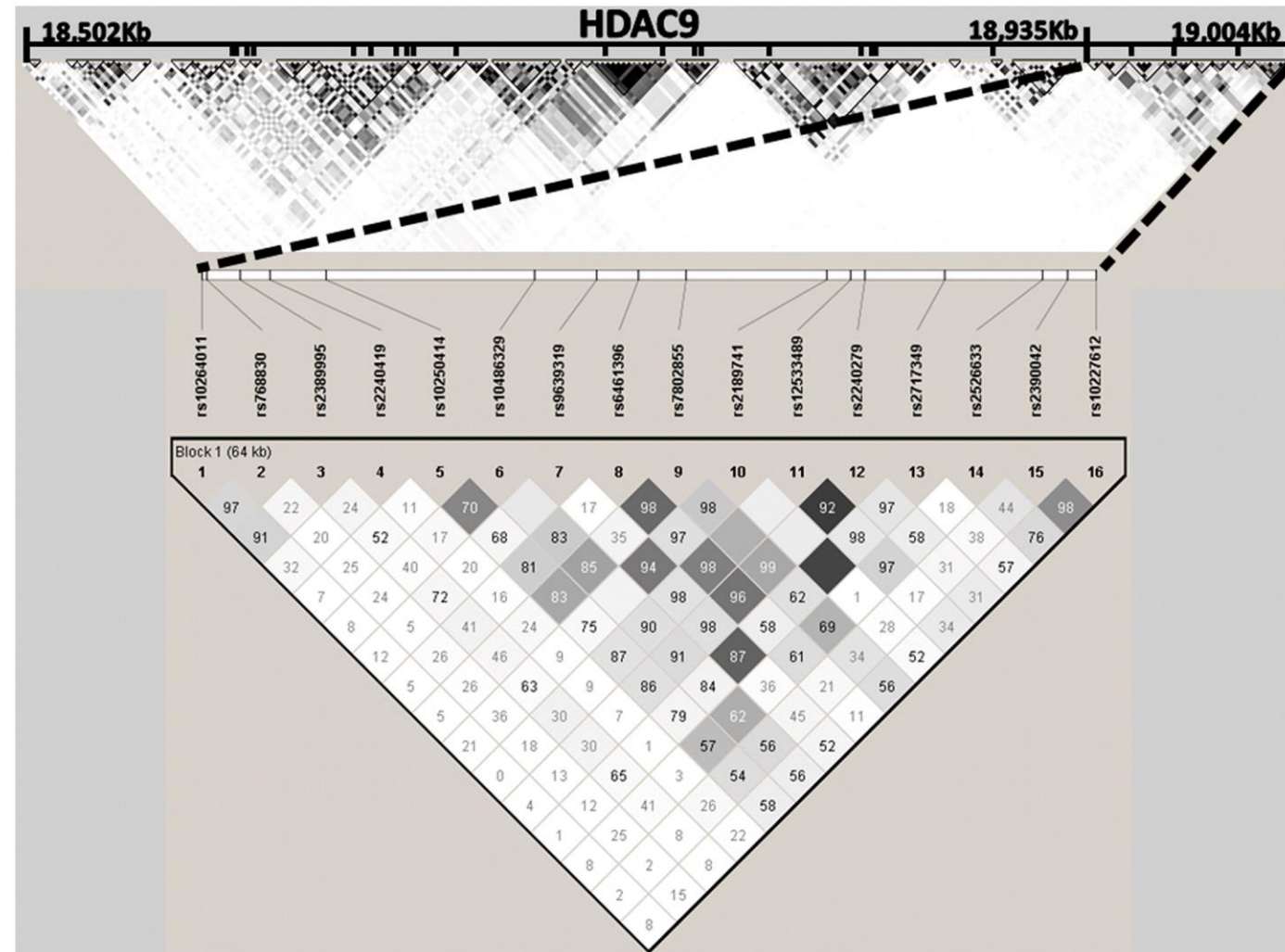
Non-independent assortment

LD REVISITED

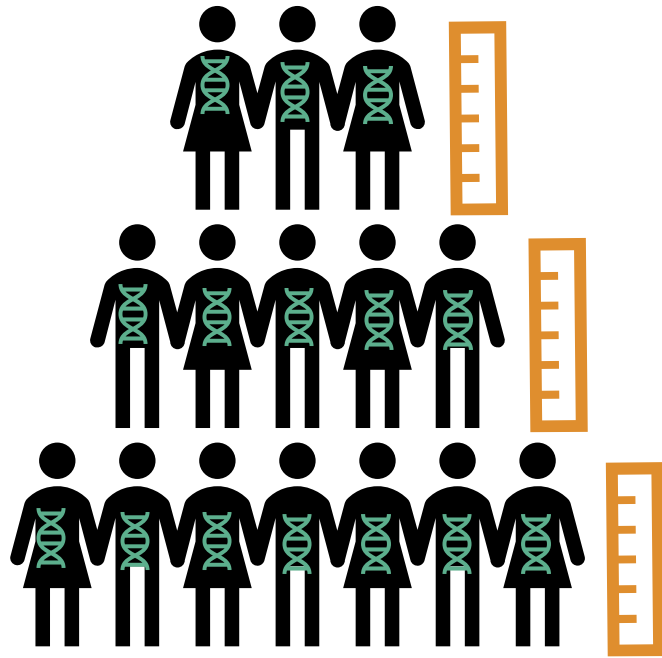
Non-independent assortment /
Non-random association of loci
within the population

Parameter of the entire population

LD can be “measured” between
pairs of SNPs (correlation or D)



GWAS RECAP

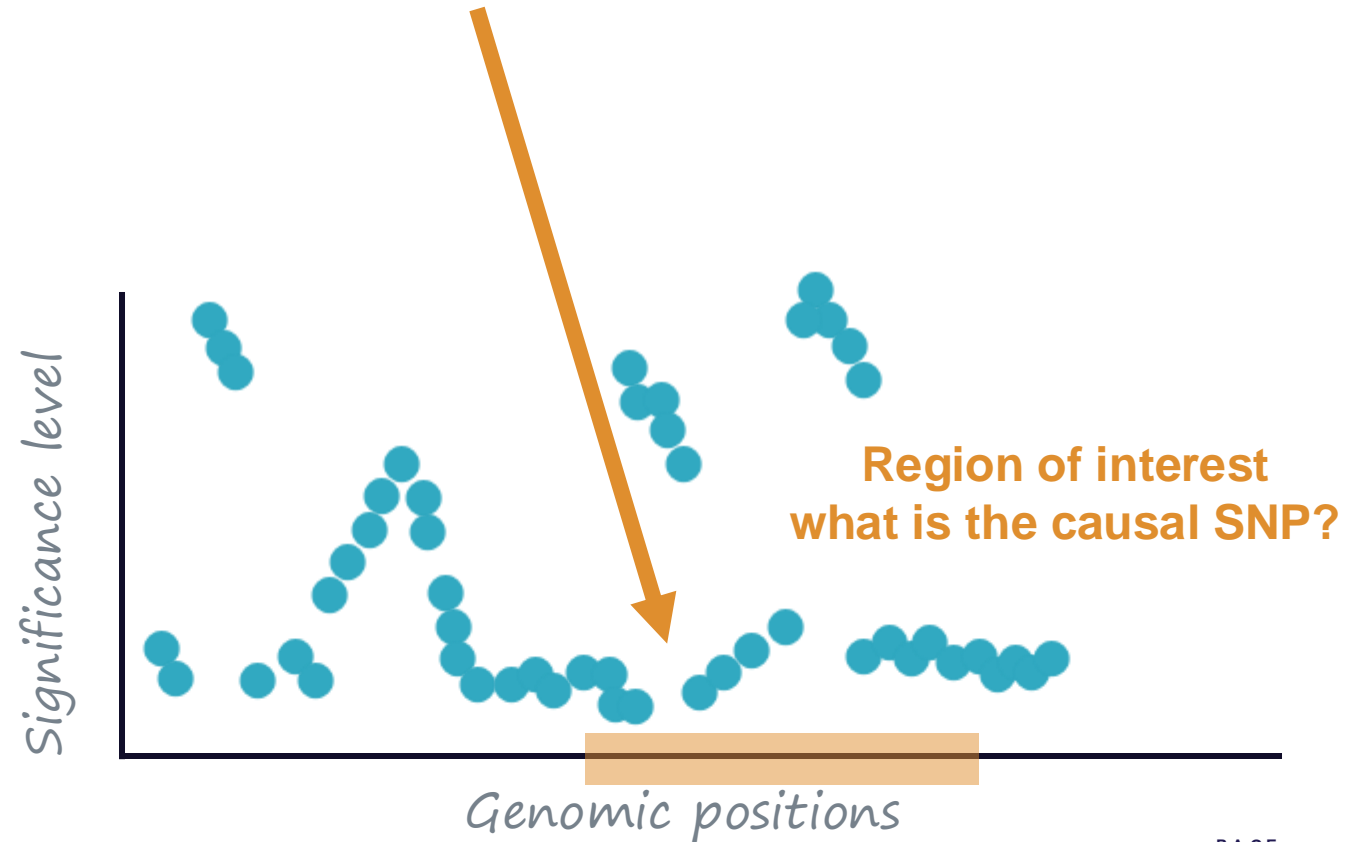


Which SNPs associate with height?

Quantitative trait loci (QTL)

→ not the causal variant

→ a variant LINKED to the causal (un-measured variant)







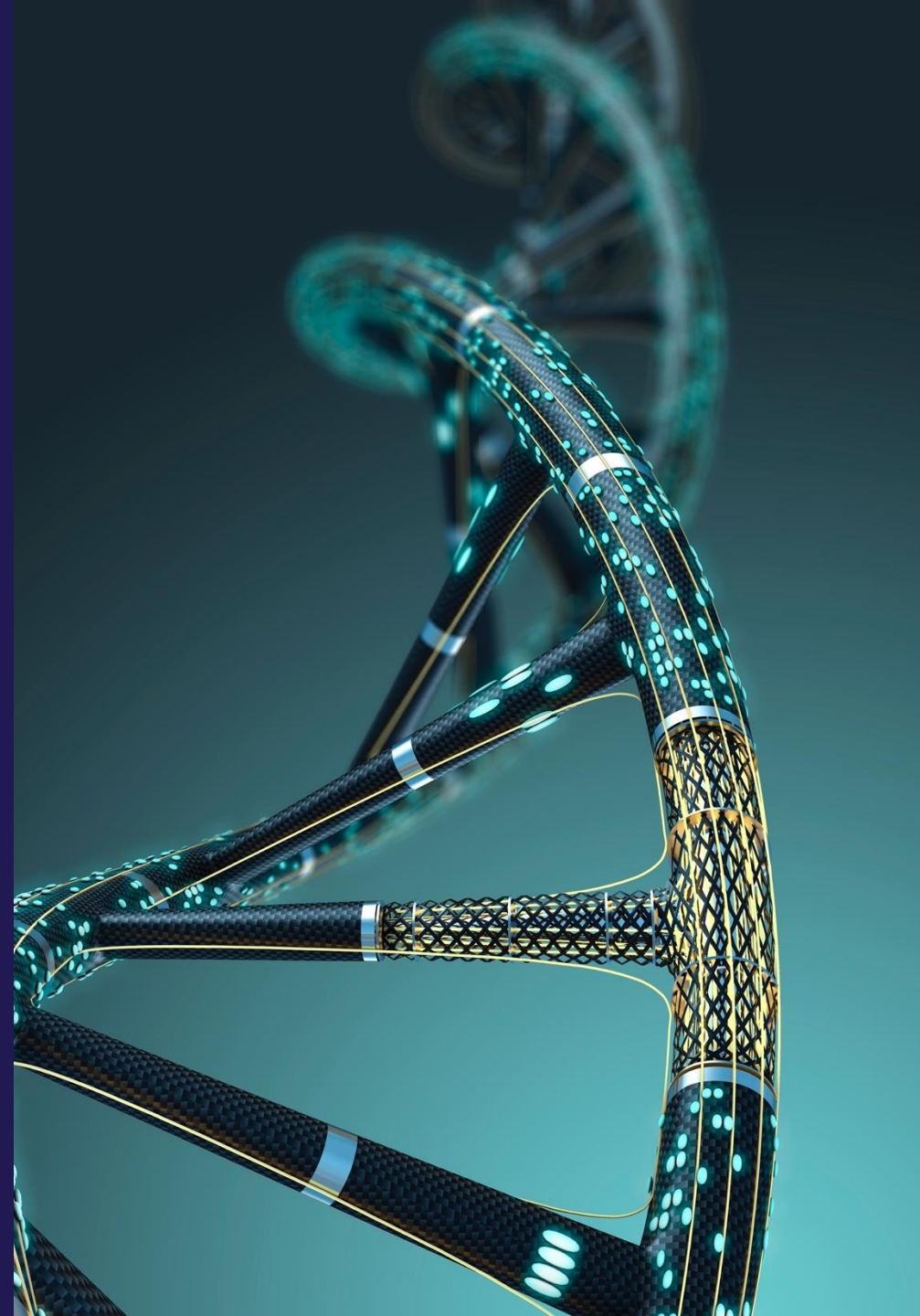
BREAK

AGENDA

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PREDICTING DISEASE RISK FROM GENETIC DATA?

A “polygenic score” is one way by which people can learn about their risk of developing a disease, based on the total number of changes (i.e., SNPs) related to the disease (NHI)



DIFFERENT NAMES

– BUT THE SAME

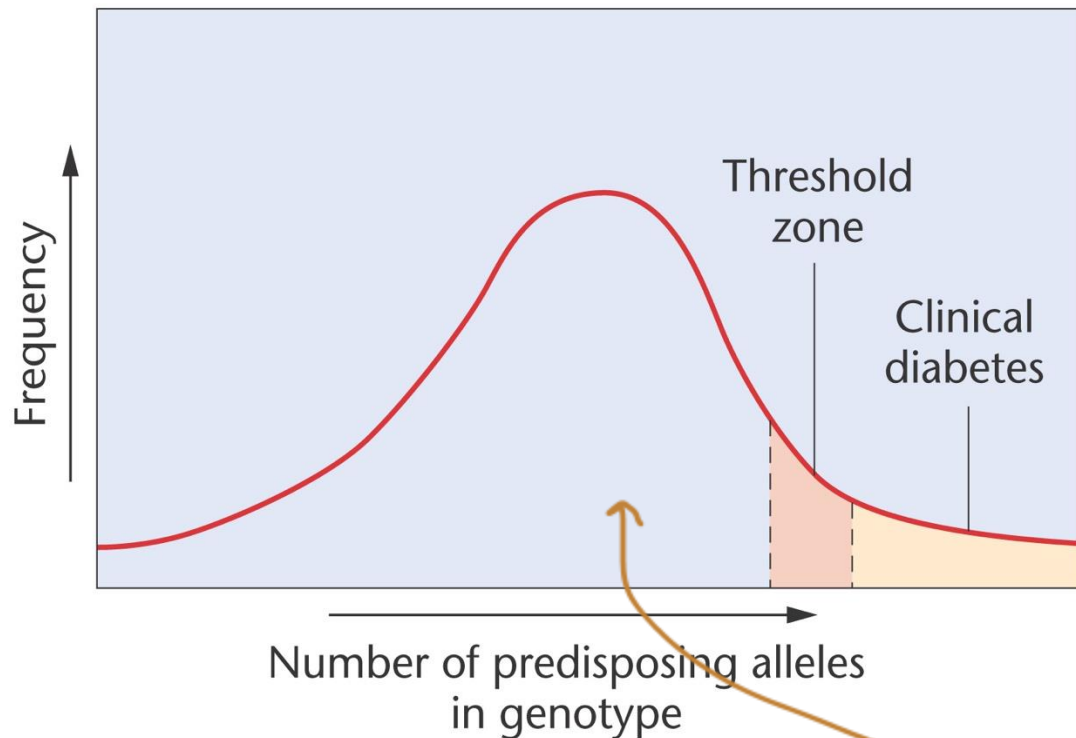
- ▶ Polygenic risk score (PRS)
- ▶ Polygenic score (PGS)
- ▶ Genetic score (GS)
- ▶ Genetic risk score (GRS)
- ▶ Genetic value
- ▶ Genetic liability
- ▶ ...

DIFFERENT NAMES

– BUT THE SAME

- ▶ Polygenic risk score (PRS)
- ▶ **Polygenic score (PGS)**
- ▶ Genetic score (GS)
- ▶ Genetic risk score (GRS)
- ▶ Genetic value
- ▶ Genetic liability
- ▶ ...

WHAT IS A PGS?



SNP1	A	G
SNP2	T	T
SNP3	A	C
SNP4	T	A
SNP5	C	C

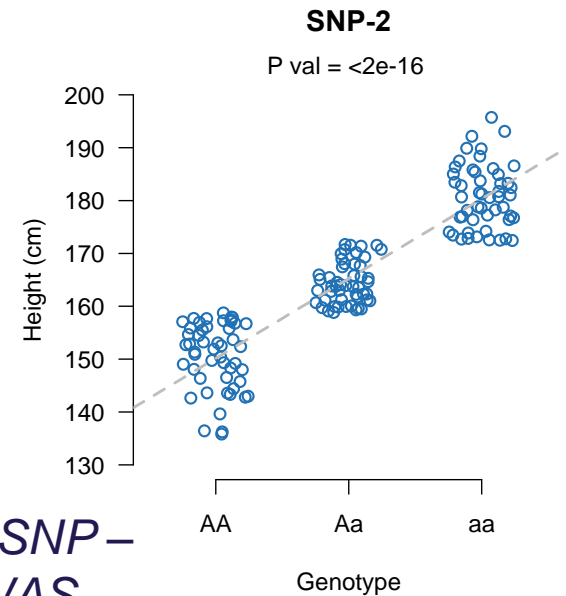


PGS = 7

WHAT IS A PGS?

“A PGS combines information from large numbers of markers across the genome (hundreds to millions) to give a single numerical score for an individual’s risk for developing a specific disease on the basis of the DNA variants they have inherited.”

b is the slope (effect size) from regression



The effect size of the SNP – obtain from the GWAS

$$PGS = \sum X_i b_i$$

The genotype of the individual for SNP i
(0, 1, 2 – counting the number of the alternative allele)

AA = 0
Aa = 1
aa = 2

$$PGS = \sum X_i b_i$$

HOW TO COMPUTE A (simple) PGS?

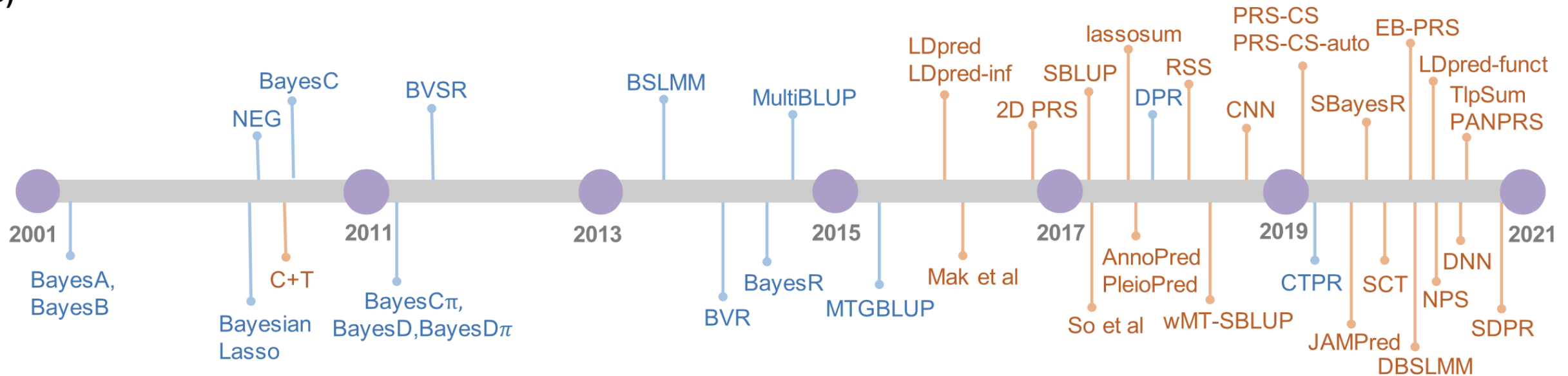
SNPs	Adams Genotypes	Ref allele	Alt allele	X	b	Xb
SNP-1	TC	T	C	1	0.04	0.04
SNP-2	GG	G	T	0	0.02	0.00
SNP-3	CC	A	C	2	0.05	0.10
SNP-4	TG	T	G	1	0.02	0.02
SNP-5	AA	A	G	0	0.06	0.00



PGS = 0.16

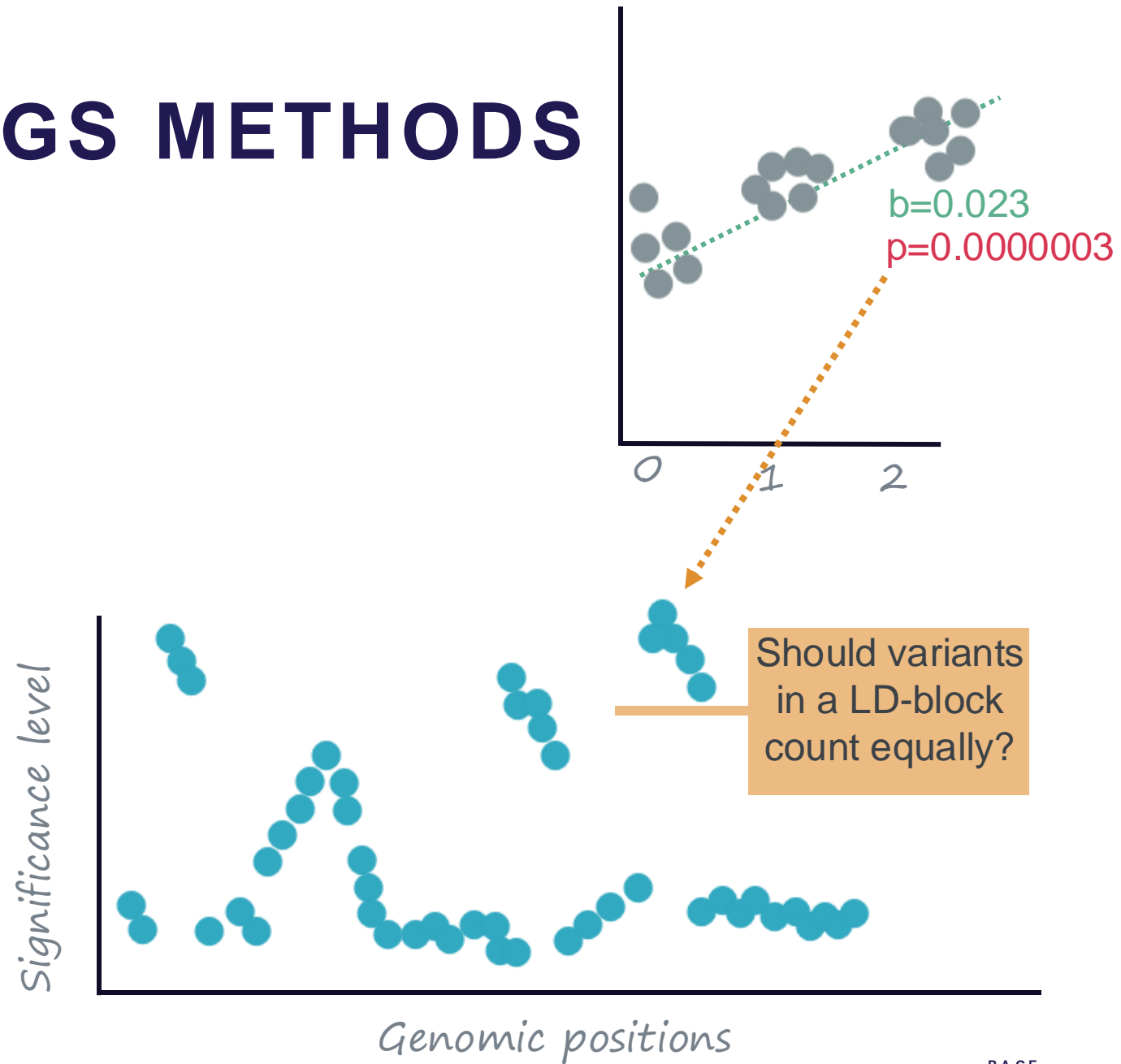
A LARGE PALETTE OF PGS METHODS

(B)



WHY DIFFERENT PGS METHODS

$$PGS = \sum X_i b_i$$



CLUMPING AND THRESHOLDING (C+T)

0: Set LD (=0.8) and P values (0.01)

SNP	b	p
1	0.21	0.005
2	0.22	0.0048
3	0.25	0.0003
4	0.1	0.04
5	0.05	0.15
6	0.02	0.49
7	0.03	0.87
8	0.12	0.003
9	0.14	0.0034
10	0.18	0.0004
11	0.21	0.00003
12	0.12	0.15
13	0.14	0.12
14	0.03	0.84
15	0.02	0.32

1: Sort by P-value

SNP	b	p
11	0.21	0.00003
3	0.25	0.0003
10	0.18	0.0004
8	0.12	0.003
9	0.14	0.0034
2	0.22	0.0048
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13	0.14	0.12
5	0.05	0.15
12	0.12	0.15
15	0.02	0.32
6	0.02	0.49
14	0.03	0.84
7	0.03	0.87

2: Compute LD and select variants based of thresholds

SNP	b	p	r^2
11	0.21	0.00003	
3	0.25	0.0003	0.96
10	0.18	0.0004	0.93
8	0.12	0.003	0.88
9	0.14	0.0034	0.74
2	0.22	0.0048	0.4
1	0.21	0.005	0.03
4	0.1	0.04	0.04
13	0.14	0.12	0.05
5	0.05	0.15	0.03
12	0.12	0.15	0.04
15	0.02	0.32	0.01
6	0.02	0.49	0.01
14	0.03	0.84	0.01
7	0.03	0.87	0.01

1st variant in LD-pair

Have $LD > r^2$ – ignore those

CLUMPING AND THRESHOLDING (C+T)

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10	0.18	0.0004	
8	0.12	0.003	
9	0.14	0.0034	
2	0.22	0.0048	0.98
1	0.21	0.005	0.96
4	0.1	0.04	0.96
13	0.14	0.12	0.52
5	0.05	0.15	0.34
12	0.12	0.15	0.10
15	0.02	0.32	0.04
6	0.02	0.49	0.01
14	0.03	0.84	0.01
7	0.03	0.87	0.01

1st variant in LD-pair

Have $LD > r^2$ – ignore those

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2	0.22	0.0048	
1	0.21	0.005	
4	0.1	0.04	
13	0.14	0.12	1st variant in LD-pair
5	0.05	0.15	0.86
12	0.12	0.15	0.82
15	0.02	0.32	0.81
6	0.02	0.49	0.85
14	0.03	0.84	0.85
7	0.03	0.87	0.81

Have $LD > r^2$ – ignore those

CLUMPING AND THRESHOLDING (C+T)

0: Set LD (=0.8) and P values (0.01)

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12	0.12	0.15
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7	0.03	0.87

2: Compute LD and select variants based on LD

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3	0.25	0.0003	
10	0.18	0.0004	
8	0.12	0.003	
9	0.14	0.0034	
2	0.22	0.0048	
1	0.21	0.005	
4	0.1	0.04	
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5	0.05	0.15	
12	0.12	0.15	
15	0.02	0.32	
6	0.02	0.49	
14	0.03	0.84	
7	0.03	0.87	

3: Compute PGS based on effect sizes (b) and P -values

$$PGS = \sum X_i b_i$$

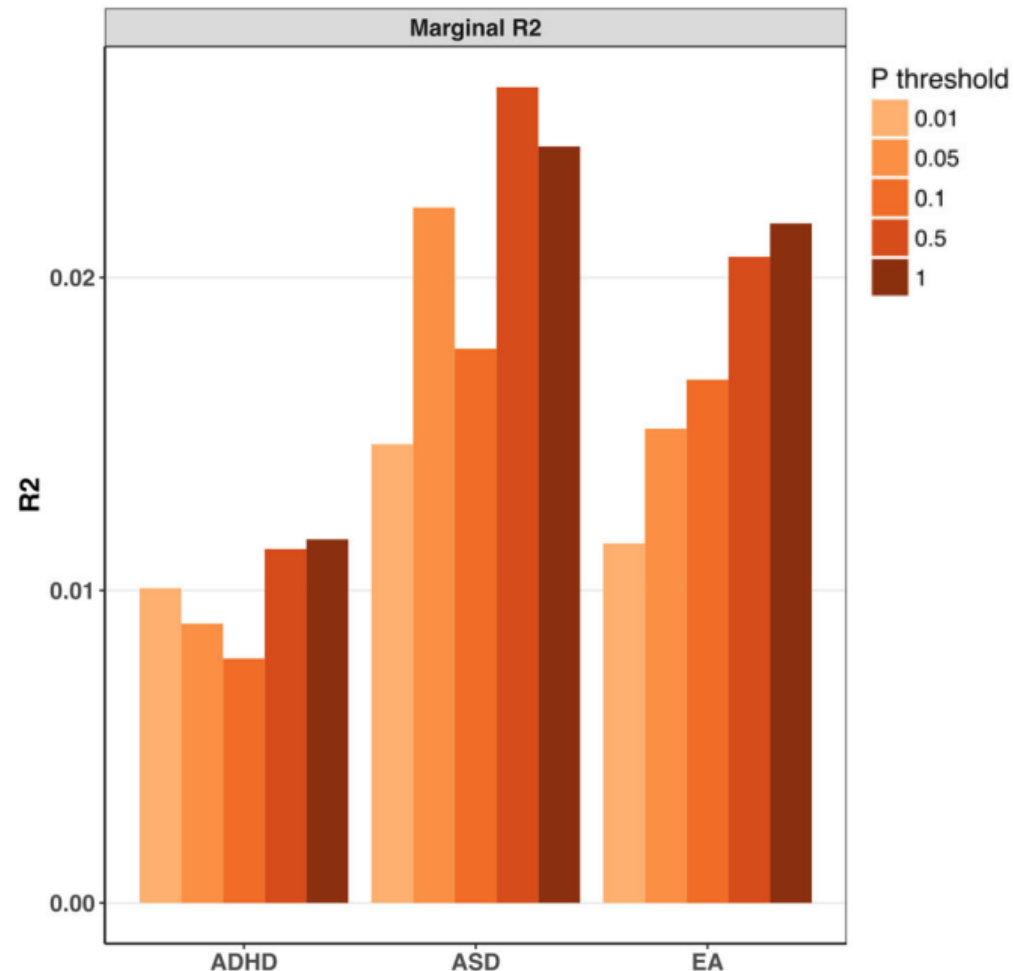
$$= X_{11} \times 0.21 + X_9 \times 0.14$$

CLUMPING AND THRESHOLDING (C+T)

Repeat for other P -value cutoffs (and LD values)

How does the PGS associate with the disease

$$y_{disease} = PGS + \varepsilon$$



SCHRINKAGE METHODS

Clumping and thresholding (C+T)

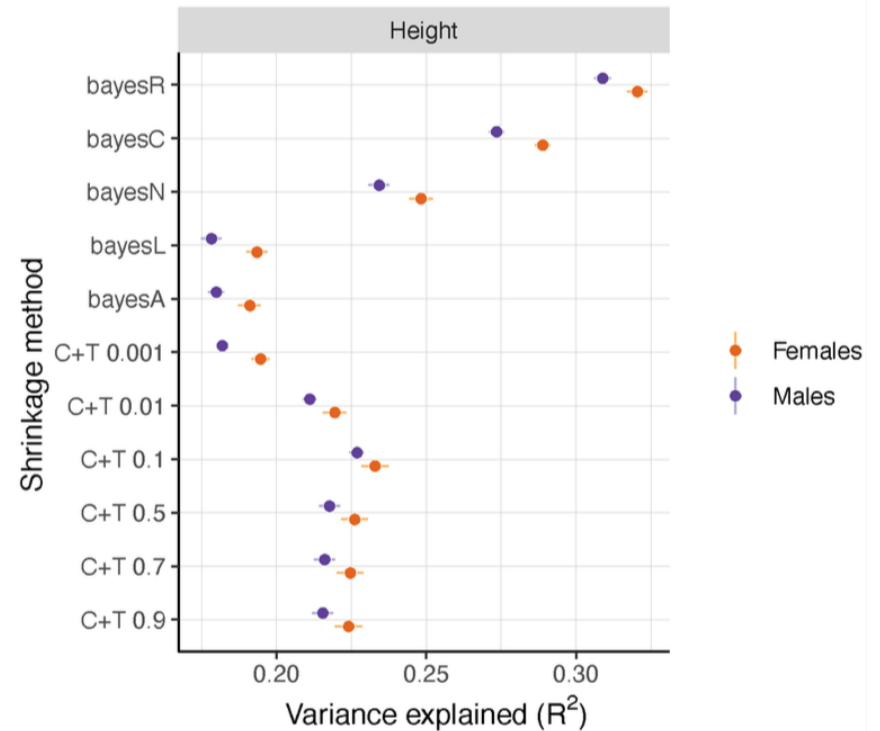
Bayes-N; $\beta \sim N(0, \sigma_\beta^2)$

Bayes-L; $f(\beta_j | \tau_j^2, \sigma_e^2) \sim N(\beta_j | 0, \tau_j^2 \times \sigma_e^2)$

Bayes-A; $\beta_j \sim N(0, \sigma_{\beta_j}^2)$

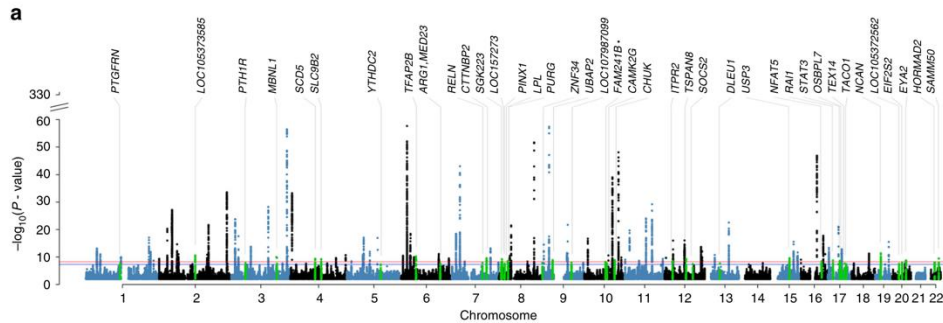
Bayes-C; $\beta_j \sim N(0, \sigma_{\beta_j}^2)$ with probability π , and $\beta_j = 0$ with probability $(1 - \pi)$, where π is assumed to follow a beta-distribution.

Bayes-R; $\beta_j \sim N(0, \gamma_C \sigma_{\beta_j}^2)$, where C defines number of classes (e.g., $C=4, \gamma = (0, 0.01, 0.1, 1.0)$)



WHAT DO YOU NEED?

1. A large well-powered GWAS for your trait of interest



2. An independent cohort that has been genotyped



(3. That some individuals in the cohort has the phenotype)



BREAK

AGENDA

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BREAK

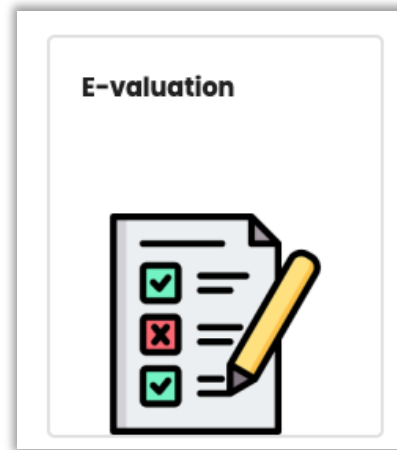
GROUP WORK













- 1) Make three groups
 - ☐ Within each group discuss the questions you get, and prepare to briefly present your thoughts in plenum
- 2) Plenum discuss [7 min pr group]



YOUR OPINION MATTERS

MOODLE EVALUATION



List the two most important things you learned today   	What did you find difficult?   	What did you find easy?   	Improvements for next session?   
<div>+</div>	<div>+</div>	<div>+</div>	<div>+</div>