

HYPERBOLIC METABOLITE-DISEASE ASSOCIATION PREDICTION

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MOTIVATION

- In biomarker research, there is a growing demand for computational methods to identify new metabolite-disease associations (MDAs).
- However, current solutions overlook the geometry of the MDA space.

OBJECTIVES

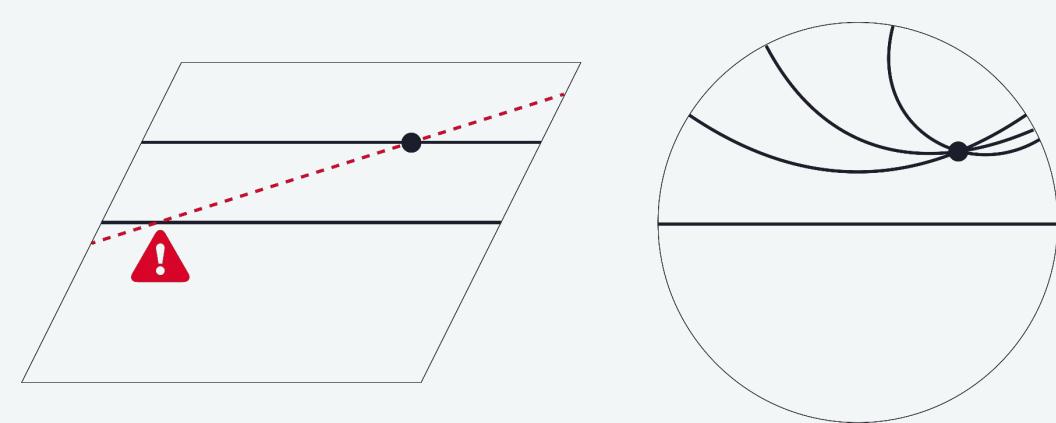
- Investigate the underlying geometry of the MDA network.
- Compare Euclidean (\mathcal{E}) and hyperbolic (\mathcal{H}) representation learning methods.
- Explain the differences between these approaches.

CONCLUSIONS

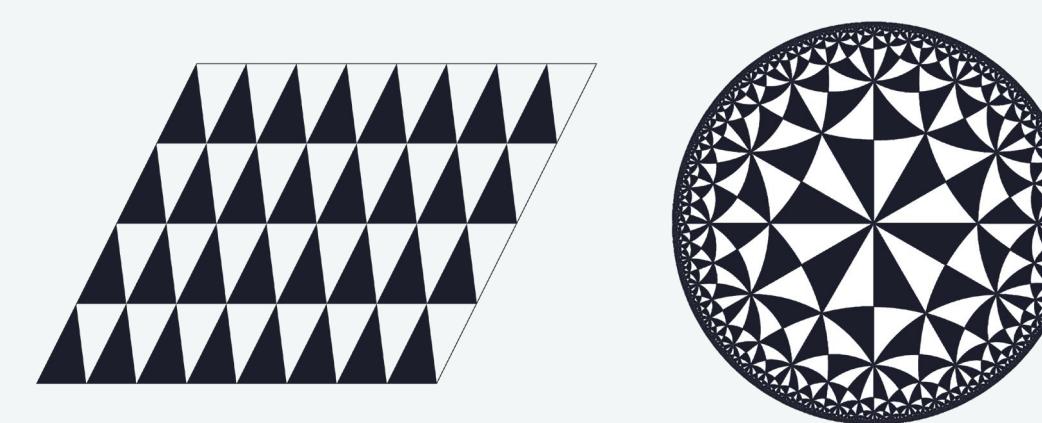
- I. The MDA network is scale-free, indicating hyperbolic geometry.
- II. Non-Euclidean classifiers require lower dimensionality.
- III. Hyperbolic embedding norm captures degree centrality.

HYPERBOLIC GEOMETRY

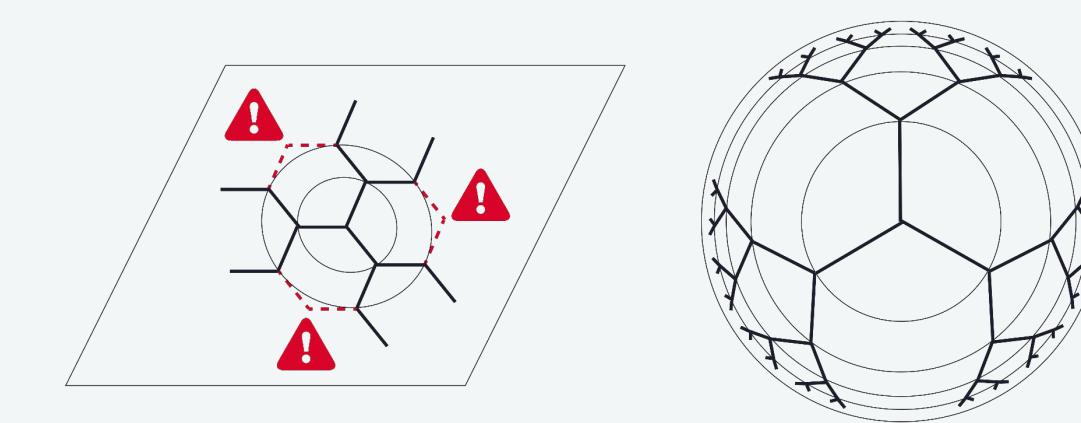
- In \mathcal{E} , there is exactly one; **in \mathcal{H} , there are at least two parallels** through any external point to a given line.



- In \mathcal{H} , the area grows exponentially;** in \mathcal{E} , it grows only polynomially with respect to the radius.

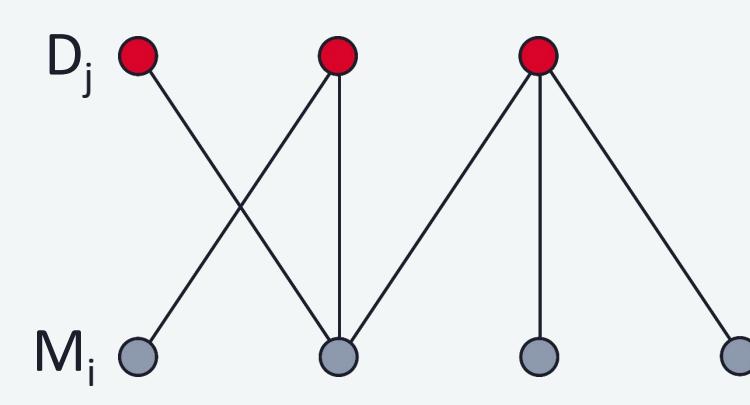


- \mathcal{H} is, therefore, suitable for embedding trees / scale-free networks** with many leaves / small degree nodes.

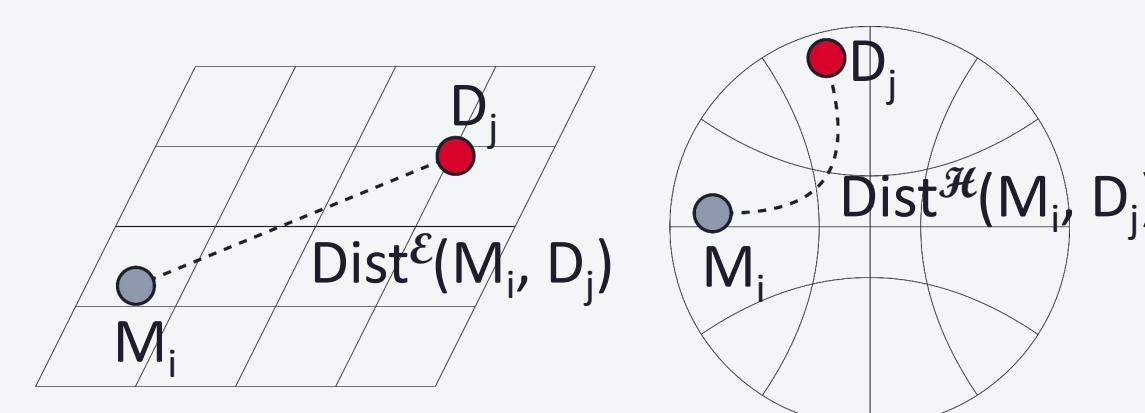


METHODS

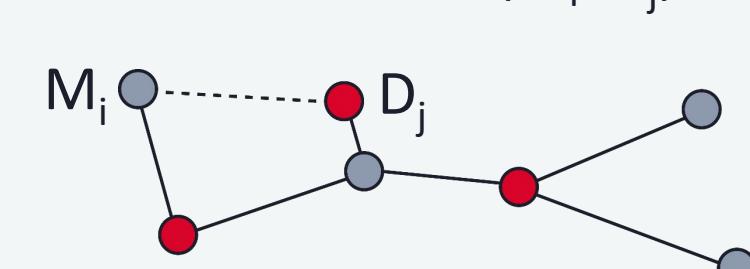
- Data: **MDA network** with 2.583 metabolites, 656 diseases, and 7.650 known associations.



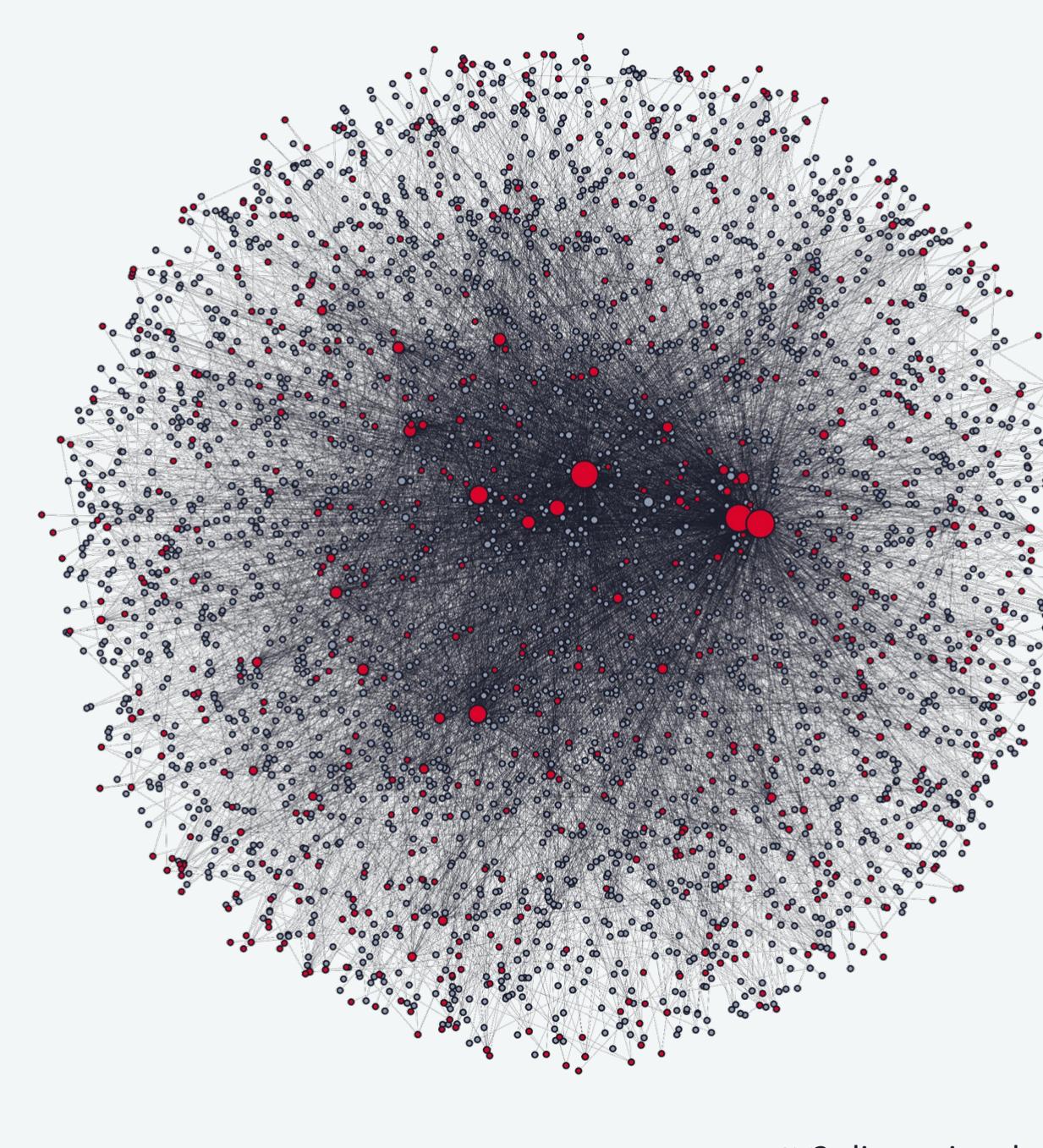
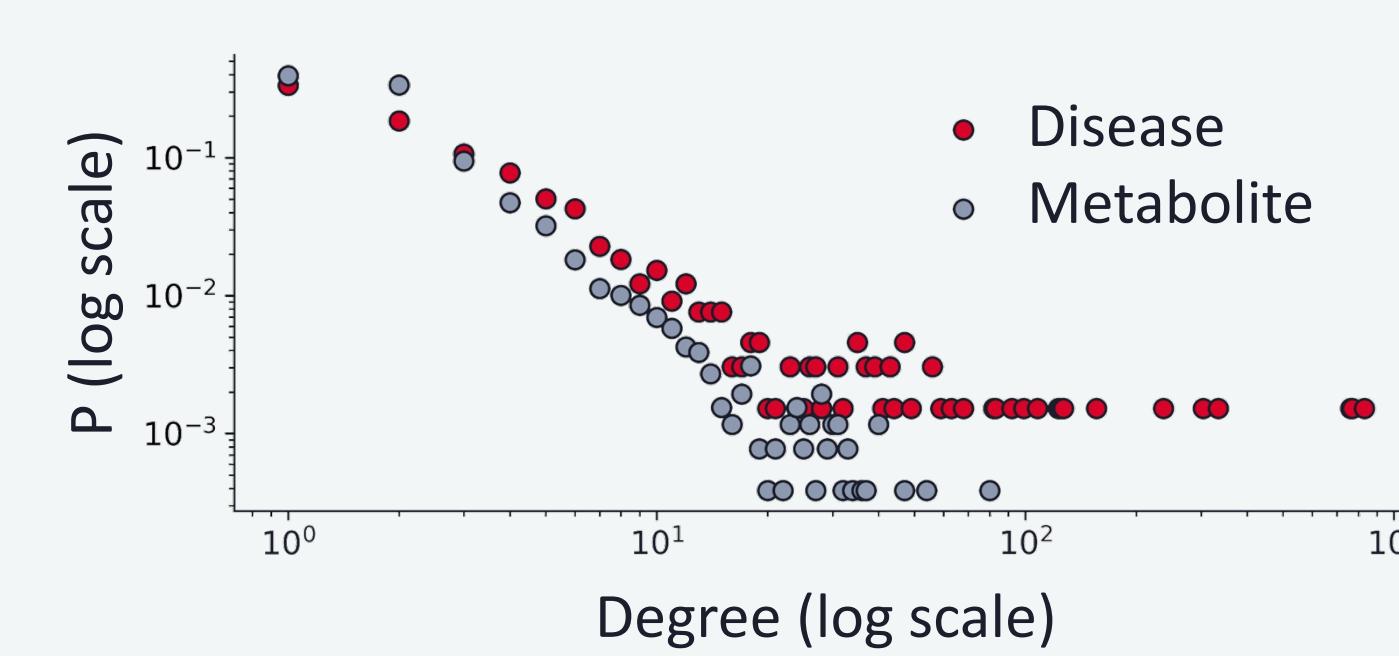
- Model: **Shallow node embeddings in \mathcal{E} and \mathcal{H}** , placing associating nodes in close proximity.



- Task: Binary classification formulation of **link prediction** based on manifold distances: $P(\text{link}_{i,j}) = \frac{1}{1 + \text{Dist}(M_i, D_j)}$

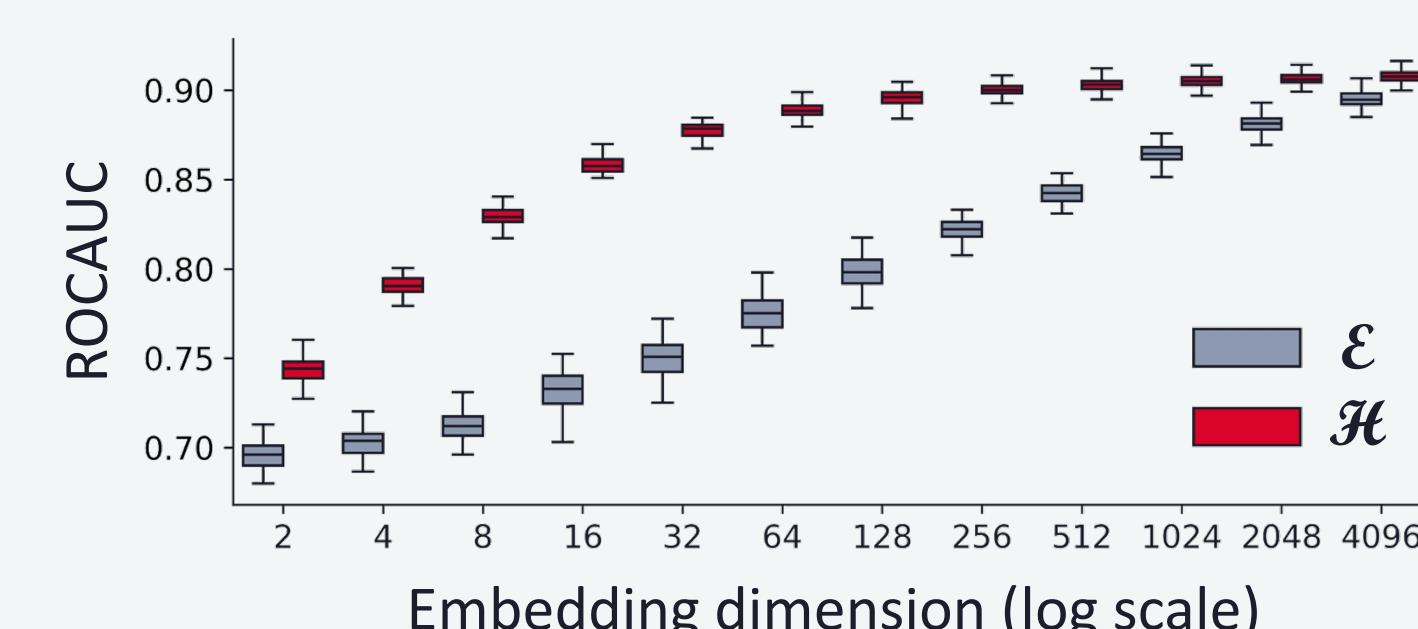


- The MDA degree distribution follows a power law**, some hub nodes have a lot, while most have few connections.

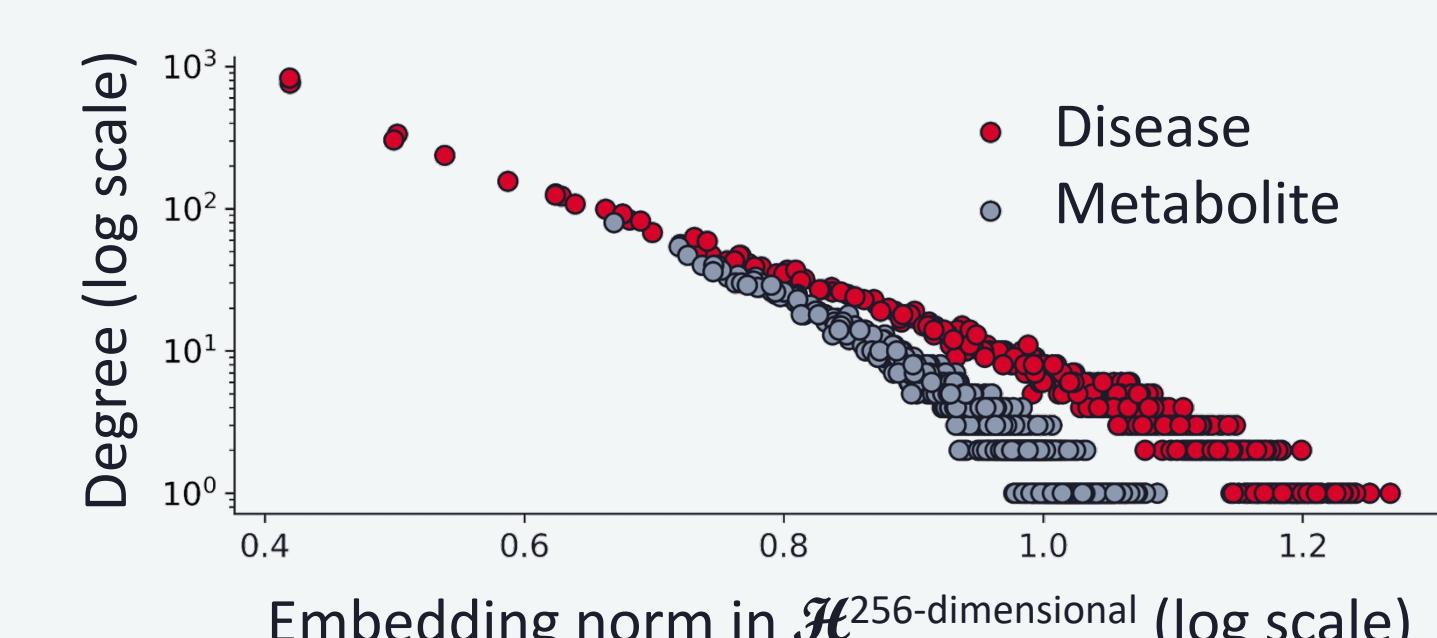


MDA network embedded into \mathcal{H}^2 -dimensional

- Embeddings in \mathcal{H} require orders of magnitude lower dimensionality** than in \mathcal{E} , as shown by the cross-validation results on classification performance.



- Embedding norm in \mathcal{H} encode degree centrality** by placing the few large-degree hub nodes near the origin and the low-degree nodes towards the exponentially growing periphery.



Scan for more details!



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