

Chandigarh

Mid-Term Examination (22231)

Programme: B.Tech (ECE)
Course Name: Control Systems

Maximum Marks: 25

Year/Semester: 3rd/5th
Course Code: EC1352
Time allowed: 1.5 Hours

Notes

All questions are compulsory.

• Unless stated otherwise, the symbols have their usual meanings in context with subject. Assume suitably and state, additional data required, if any.

 The candidates, before starting to write the solutions, should please check the question paper for any discrepancy, and also ensure that they have been delivered the question paper of right course code

| Q. No | | Marks |
|-------------------|---|-------|
| Out of o system v | open loop control system and closed loop control system, which type of control would you select out and why? the organ-system components, and describe the operation of the biological | 2 |
| diagram | system consisting of a human being reaching for an object. Also draw the block of system. | |
| R(3) | o convert the following control system shown below into a unity feedback | 4 |

| _ | _ | | - |
|---|----|---|---|
| 3 | a) | Decide whether the servomechanism is stable for K=6, for its output $c(t)$ which is related to its input $r(t)$ by: $ [s^4+2s^3+2s^2+(K+3)s+K] \ C(s)=K(s+1)R(s) $ where K is a positive gain. Also evaluate the limiting positive values of K for stability. | 3 |
| | b) | Predict the type of system, error coefficients and the steady state error of the unity feedback system having: $G(s) = 5(s+1)/s^2(s+3)(s+10)$ for the input $r(t) = 1+3t+(t^2/2)$. | 3 |
| | c) | Identify by what factor should the amplifier gain of unit step response of the unity feedback open loop system be reduced so that the peak overshoot is reduced from 75% to 25%: G(s)=K/s(Ts+1) where K and T are positive constants. | 3 |
| | d) | Evaluate angle of asymptotes, breakaway points, if any, centroid and intersection point of root locus with imaginary axis for the open loop transfer function of a system expressed below: $G(s)H(s)=K/s(s+6)$ | 3 |
| | e) | Measure the sensitivity of a unity feedback transfer function with $G(s) = K/s(s+a)$ to changes in the parameter 'a'. Explain how would you reduce the sensitivity? | 1 |



Year/Semester: 5th

Course Code: EC 1352

Time allowed: 3 Hours

Punjab Engineering College (Deemed to be University) Chandigarh

End-Term Examination (22231)

Programme: B.Tech. (ECE)
Course Name: Control Systems

Maximum Marks:50

Notes

All questions are compulsory.

 Unless stated otherwise, the symbols have their usual meanings in context with subject. Assume suitably and state, additional data required, if any.

 The candidates, before starting to write the solutions, should please check the question paper for any discrepancy, and also ensure that they have been delivered the question paper of right course code

| Q. No | Questions | Marks |
|-------|--|-------|
| l a | In a nuclear power generating plant, heat from a reactor is used to generate steam for turbines. The rate of fission reaction determines the amount of heat generated and this rate is controlled by rods inserted into the radioactive core. The rods regulate the flow of neutrons. If the rods are lowered in to the core, the rate of fission will diminish, if the rods are raised, the fission rate will increase. By automating controlling the position of rods, the amount of heat generated by the reactor can be regulated. Draw a functional block diagram for the nuclear reactor control system. | 2 |
| b | A continuous time linear time invariant system is represented by the signal flow graph given below. (a) Formulate the transfer function of the system by Mason's Gain formula. (b) Construct the state space representation of the system by defining the output of each integrator as a state variable. | 4 |
| c | Demonstrate the state space representation in phase variable form for the transfer function $\frac{C(s)}{R(s)} = \frac{s^3 + 5s^2 + 6s + 1}{s^3 + 4s^2 + 3s + 3}$ | 3 |
| d | $\overline{R(s)} = \overline{s^3 + 4s^2 + 3s + 3}$ State the advantages of state space approach over the classical design methods? | 1 |

| | | a unit step input given below: Time(s) 0 0.05 0.1 0.15 0.2 0.25 0.3 0.36 0.4 0.45 0.5 | | | | | | | | | | | | |
|------|---|--|-------------------------|-------------------------------------|---|----------------------------------|--------------------------------------|-----------------------|--|--|---------------------------|--------------------------------|---|----------|
| | | Time(s) | 0 | 0.05 | 0.1 | 0.15 | 0,2 | 0.25 | 0.3 | 0.36 | 0.4 | 0.45 | 0.5 | |
| | | c(1) | 0 | 0.25 | 0.8 | 1.12 | | 0.98 | | - | 1.0 | 1.0 | 1.0 | |
| | | Evaluate the frequency. | e free | quency | / resp | onse p | aramet | ers of | the sy | stem: F | Resona | int peak | and resonan | t |
| 1 | b | Consider a system whose loop transfer function is given by $G(s)H(s) = \frac{k}{s(s)}$. Construct the root locus. For designing a controller, following two modifications | | | | | | | | | | 0 (0 1 0) | | |
| | | | oper | 1 loop | pole i | is add | ed at s | = -3 (| ii) an | open lo | op ze | ro is ad | ded at s = -3 | |
| (| С | A unity feedback system with $G(s) = \frac{K(s+\alpha)}{5(s+\beta)^{\bullet}}$ is to be designed to meet the following requirements: The steady state error for unit ramp input equals 1/10; the closed loop poles will be located at -1±j1. Design the system by selecting the appropriate values of K, α , β in order to meet the specifications. | | | | | | | | | | | p | |
| 4 | a | Describe the impact of PD (Proportional plus derivative) controller and PI (Proportional plus Integral) controller on system performance? Draw the block diagrams representing PD and PI control actions. Design a PD (Proportional plus derivative controller) for making the unity feedback system with undermentioned open loop transfer function critically damped | | | | | | | | | | | k s | |
| | b | An uncon following sketching | npens trans the g | sated fer fun ain an on sy | systen ection. d pha stem | n wa State se cui perfo | G(s) = s comp and everyes of ormance | pensate aluate the co | ed or the ty mpen mpare perfor | impro pe of the sator. Very this | he nety What i comp | work in s effect ensator | rporating the corporated by of using thi with othe | y 6 s |
| 1000 | a | For the un K for stabi | 10000 | | Marie Control of the | | | | (s+2) | (s+10)] | , Exan | nine the | range of gain | n 5 |
| | b | The experplot and as Evaluate the | ymp | totical insfer | ly app | roxin | | show | | 7. | ns pres | sented of | on Bode | 5 |

| 5 | a | Given $T(z) = N(z)/D(z)$, where $D(z) = z^3 - z^2 - 0.5z + 0.3$, use the Routh-Hurwitz criterion to evaluate the number of z-plane poles of $T(z)$ inside, outside, and on the unit circle. Is the system stable? | 1.5 |
|---|---|---|-----|
| | ь | Demonstrate the block diagram representation of a computer in a digital control system? Analyse the region of stability in z plane. | 1.5 |
| | c | Given a zero order hold in cascade with $G(s)=8/(s+4)$, Solve $G(z)$. The sampling period is 0.25 second. | 2 |

