

# Práctica 2

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2022-2023

## 1 Ejercicios

1. Consider the language over the alphabet  $\{a, b\}$  that only contains the string  $a$ .

a) Build a DFA that recognizes this language and rejects all those strings that do not belong to the language.

DFA (Autómata finito determinista), está compuesto por:

$(K, \Sigma, \delta, s, F)$

$K \rightarrow$  Conjunto de estados vacíos

$\Sigma \rightarrow$  Alfabeto

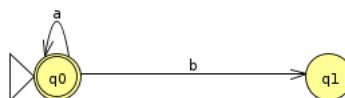
$s \in K \rightarrow$  Estado inicial

$F \subseteq K \rightarrow$  Conjunto de estados finales

$\delta : K \times \Sigma \rightarrow K \rightarrow$  Función de transición

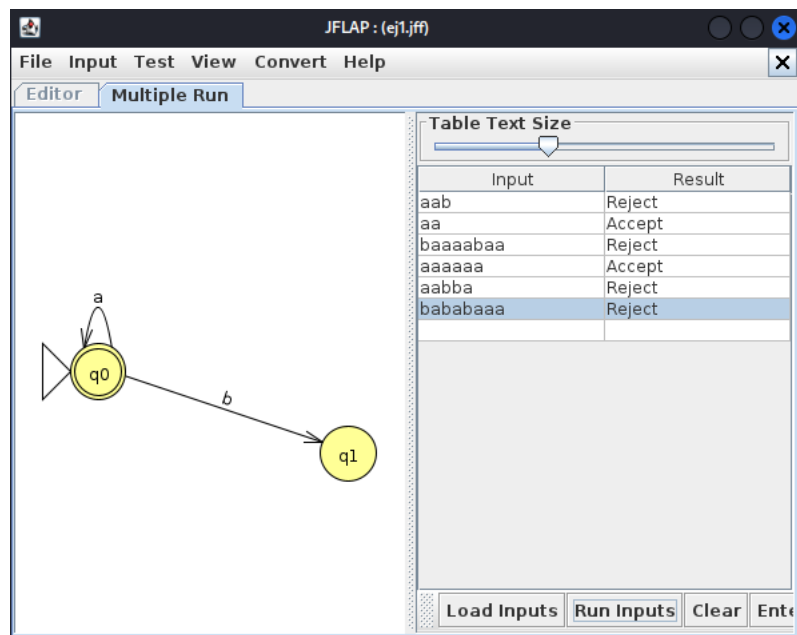
Un ejemplo reconocedor del lenguaje puede ser el siguiente:

$M = (\{q_0, q_1\}, \{a, b\}, \delta, q_0, \{q_0\})$



b) Test the automaton that you have created by introducing 6 chains.

Podemos ver como acepta o rechaza las cadenas introducidas de texto:



## 2. Finite automaton in Octave:

a) Open the Octave **finiteautomata.m** script and test it with the given example (see script help) in the GitHub repository.

```
finiteautomata(automatonname, string, formatoption)

Computation for a given finite automaton and string.
The automaton can be either DFA or NFA, and it is defined
in a JSON file, like this:

{
  "K" : ["q0", "q1", "q2"],
  "A" : ["a", "b"],
  "s" : "q0",
  "F" : ["q2"],
  "t" : [{"q0", "a", "q1"},
         {"q1", "a", "q1"},
         {"q1", "b", "q2"},
         {"q2", "b", "q2"}]
}

(a transition consuming the empty string: ["q1", "", "q2"])

formatoption is either undefined or "LaTeX" for LaTeX-formatted output.

For example:

>> finiteautomaton("aa*bb*", "ab")

M = ( {q0, q1, q2}, {a, b}, {(q0, a, q1), (q1, a, q1), (q1, b, q2), (q2,
b, q2)}, q0, {q0, q1, q2} )

x = ab

(q0, ab) ⊢ (q1, b) ⊢ (q2, ε)

x ∈ L(M)

>> finiteautomaton("aa*bb*", "ab", "LaTeX")
```

b) Specify in **finiteautomata.json** the automaton created in Activity 1 and test it with the script!

```
{
  "K" : ["q0", "q1", "q2"],
  "A" : ["a", "b"],
  "s" : "q0",
  "F" : ["q1"],
  "t" :
    ["q0", "a", "q1"],
    ["q0", "b", "q2"],
    ["q1", "a", "q2"],
    ["q1", "b", "q2"],
    ["q2", "a", "q2"],
    ["q2", "b", "q2"]
}
```

3. Test the Free Context Pumping Condition for the first three examples.

Al no ser lenguajes libres de contexto, vamos a ver que no tenemos una partición de  $w$ .

4. Build an NPDA that recognizes the language  $L = \{0^n 1^{2n} : n > 0\}$ .

