partial RDA

Pablo E. Gutiérrez-Fonseca

11/17/2021

```
library(ggplot2)
library(dplyr)
library(vegan)
```

Primer paso: cargar las librerias que necesitas.

```
species=read.csv("data/RDA_species.csv", header=T, row.names=NULL, sep=",")
env=read.csv("data/RDA_environmetal_standart.csv", header=T, row.names=NULL, sep=",")
```

Segundo paso: cargar los datos.

```
species_1 <- select(species, -site)
env_1 <- select(env, -site)</pre>
```

Remover la columna de sitos.

Transformar datos. Hellinger es una transformacion recomendada por Legendre & Callagher (2001) en datos de abundancia y con una respuesta lineal

```
species.hel <- decostand(species_1, method = "hellinger")</pre>
```

Partial RDA

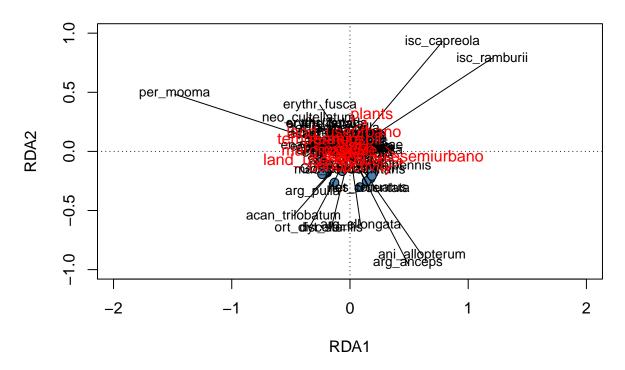
Basic formula: $rda(Y \sim X + Condition(Z))$ Partial RDA is a special case of RDA in which the response variables Y are related to explanatory variables X in the presence of additional explanatory variables, W, called covariables.

Partial RDA is thus a powerful tool when users what to assess the effect of environmental variables on species composition while taking into account the species variation due to other environmental variables with no interest.

More information: Borcard et al (2012). page 172

```
#Construct the triplots
#Scaling 1
plot(partial_rda, scaling=1, main="Triplot partial RDA - scaling 1", type="none", xlab=c("RDA1"), ylab=
points(scores(partial_rda, display="sites", choices=c(1,2), scaling=1),
      pch=21, col="black", bg="steelblue", cex=1.2)
arrows(0,0,
       scores(partial_rda, display="species", choices=c(1), scaling=1),
       scores(partial_rda, display="species", choices=c(2), scaling=1),
       col="black",length=0)
text(scores(partial_rda, display="species", choices=c(1), scaling=1),
     scores(partial_rda, display="species", choices=c(2), scaling=1),
     labels=rownames(scores(partial_rda, display="species", scaling=1)),
     col="black", cex=0.8)
arrows(0,0,
      scores(partial_rda, display="bp", choices=c(1), scaling=1),
      scores(partial_rda, display="bp", choices=c(2), scaling=1),
text(scores(partial rda, display="bp", choices=c(1), scaling=1)+0.05,
     scores(partial_rda, display="bp", choices=c(2), scaling=1)+0.05,
     labels=rownames(scores(partial_rda, display="bp", choices=c(2), scaling=1)),
     col="red", cex=1)
```

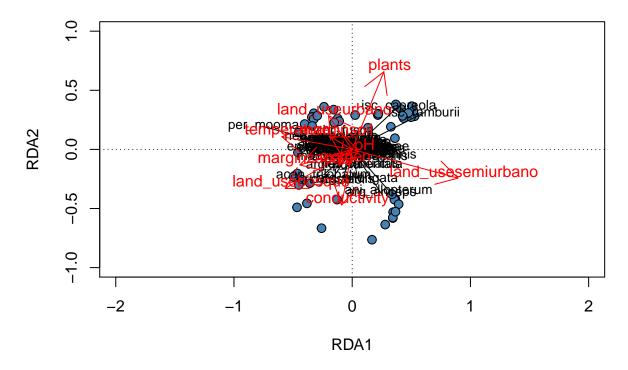
Triplot partial RDA - scaling 1



Plot the results

```
#Scaling 2
plot(partial_rda, scaling=2, main="Triplot partial RDA - scaling 2", type="none", xlab=c("RDA1"), ylab=
points(scores(partial_rda, display="sites", choices=c(1,2), scaling=2),
       pch=21, col="black", bg="steelblue", cex=1.2)
arrows(0,0,
       scores(partial_rda, display="species", choices=c(1), scaling=2),
       scores(partial_rda, display="species", choices=c(2), scaling=2),
       col="black",length=0)
text(scores(partial_rda, display="species", choices=c(1), scaling=2),
     scores(partial_rda, display="species", choices=c(2), scaling=2),
     labels=rownames(scores(partial rda, display="species", scaling=2)),
     col="black", cex=0.8)
arrows(0,0,
       scores(partial_rda, display="bp", choices=c(1), scaling=2),
       scores(partial_rda, display="bp", choices=c(2), scaling=2),
       col="red")
text(scores(partial_rda, display="bp", choices=c(1), scaling=2)+0.05,
     scores(partial_rda, display="bp", choices=c(2), scaling=2)+0.05,
     labels=rownames(scores(partial_rda, display="bp", choices=c(2), scaling=2)),
     col="red", cex=1)
```





Variation partitioning by partial RDA

Variation partitioning is a type of analysis that combines RDA and partial RDA to divide the variation of a response variable among two, three or four explanatory data sets. Variation partitioning are generally represented by Venn diagram in which the percentage of explained variance by each explanatory data set (or combination of data stets) is reported.

Vamos a correr un RDA con las matrices (diferentes factores) separadas.

```
##
## Partition of variance in RDA
##
## Call: varpart(Y = species.hel, X = ~temperature + oxygen + pH +
## conductivity, ~plants + land_use + margin, ~season, data = env_1)
##
## Explanatory tables:
## X1: ~temperature + oxygen + pH + conductivity
## X2: ~plants + land_use + margin
```

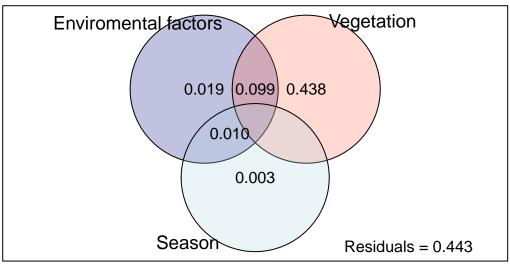
```
## X3: ~season
##
## No. of explanatory tables: 3
## Total variation (SS): 34.967
               Variance: 0.61346
## No. of observations: 58
## Partition table:
##
                          Df R.square Adj.R.square Testable
## [a+d+f+g] = X1
                              0.18350
                                            0.12188
                                                        TRUE
## [b+d+e+g] = X2
                           6
                              0.57493
                                            0.52492
                                                        TRUE
## [c+e+f+g] = X3
                              0.01788
                                            0.00034
                                                        TRUE
                           1
## [a+b+d+e+f+g] = X1+X2 10
                              0.63213
                                            0.55386
                                                        TRUE
## [a+c+d+e+f+g] = X1+X3
                              0.19602
                                            0.11871
                                                        TRUE
## [b+c+d+e+f+g] = X2+X3
                          7
                              0.59442
                                            0.53764
                                                        TRUE
## [a+b+c+d+e+f+g] = All 11
                              0.64231
                                            0.55678
                                                        TRUE
## Individual fractions
## [a] = X1 | X2+X3
                           4
                                            0.01914
                                                        TRUE
## [b] = X2 | X1+X3
                           6
                                            0.43807
                                                        TRUE
## [c] = X3 | X1+X2
                           1
                                            0.00292
                                                        TRUE
## [d]
                           0
                                            0.09923
                                                       FALSE
## [e]
                           0
                                           -0.00608
                                                       FALSE
## [f]
                           0
                                                       FALSE
                                            0.00980
## [g]
                                           -0.00630
                                                       FALSE
## [h] = Residuals
                                            0.44322
                                                       FALSE
## Controlling 1 table X
## [a+d] = X1 | X3
                                            0.11837
                                                        TRUE
## [a+f] = X1 | X2
                           4
                                            0.02894
                                                        TRUE
                           6
## [b+d] = X2 | X3
                                                        TRUE
                                            0.53730
## [b+e] = X2 | X1
                           6
                                            0.43198
                                                        TRUE
## [c+e] = X3 | X1
                           1
                                           -0.00316
                                                        TRUE
## [c+f] = X3 | X2
                           1
                                            0.01272
                                                        TRUE
## Use function 'rda' to test significance of fractions of interest
```

Legendre (2008) [doi: 10.1093/jpe/rtm001] argued that "Negative values of Ra2 are interpreted as zeros; they correspond to cases where the explanatory variables explain less variation than random normal variables would."

Plot the results The plot shows the adjusted R2 values associated with each partition or for overlapping partitions.

```
plot(varp, digits = 2, Xnames = c('Environmental factors', 'Vegetation', "Season"), bg = c('navy', 'tomat
title('Variation partitioning by partial RDA')
```

Variation partitioning by partial RDA



Values < 0 not shown

```
## Show values for all partitions by putting 'cutoff' low enough: #plot(varp, cutoff = -Inf, cex = 0.7, bg=2:5)
```

Then we can test the significance of each individual component.

```
anova(rda(species.hel ~ plants + land_use + margin +
          Condition(temperature + oxygen + pH + conductivity) +
          Condition(season), data=env 1))
## Permutation test for rda under reduced model
## Permutation: free
## Number of permutations: 999
##
## Model: rda(formula = species.hel ~ plants + land_use + margin + Condition(temperature + oxygen + pH
           Df Variance
                            F Pr(>F)
##
            6 0.27378 9.5659 0.001 ***
## Model
## Residual 46 0.21943
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
# Significance of partition from Season
anova(rda(species.hel ~ season +
          Condition(plants + land_use + margin) +
          Condition(temperature + oxygen + pH + conductivity),
          data=env_1))
## Permutation test for rda under reduced model
## Permutation: free
## Number of permutations: 999
## Model: rda(formula = species.hel ~ season + Condition(plants + land_use + margin) + Condition(temper
##
           Df Variance
                            F Pr(>F)
            1 0.006247 1.3096 0.182
## Model
```

Physicochemical and Physical characteriscs are all statistically significant in their contributions to Odonata community composition, even though the amount of variation explained by Physicochemistry is small. There was no statistically significant of season in Odonata composition independent of these other measured drivers.

Referecens https://wiki.qcbs.ca/r workshop10

Residual 46 0.219425

Significance of partition from Physical characteristics

 $http://rstudio-pubs-static.s3.amazonaws.com/161192_62db20511abe4a33a09a2f4043d6a868.html \\$

Legendre, P. (2008). Studying beta diversity: ecological variation partitioning by multiple regression and canonical analysis. Journal of plant ecology, 1(1), 3-8.