# MACHINE LEARNING LAB-6 ARTIFICIAL NEURAL NETWORKS

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SECTION: C

## 1. Introduction

The purpose of this lab was to implement a feedforward neural network from scratch (without high-level frameworks such as TensorFlow or PyTorch) and train it to approximate a polynomial curve derived from the SRN-based dataset.

#### Tasks performed included:

- Implementing activation functions (ReLU), loss function (MSE), forward propagation, backpropagation, and weight updates using gradient descent.
- Training the network with early stopping.
- Evaluating performance using loss curves, R<sup>2</sup> score, and error metrics.
- Conducting hyperparameter experiments to study their effect on performance.

# 2. Dataset Description

• Type of polynomial assigned: [e.g., Cubic + Sine term]

• Number of samples: 100,000

• Train/Test split: 80% / 20%

• Features: 1 input (x), 1 output (y)

 Preprocessing: Both x and y were standardized using StandardScaler.

## 3. Methodology

The implemented neural network had the following architecture:

Input(1) 
$$\rightarrow$$
 Hidden(72)  $\rightarrow$  Hidden(32)  $\rightarrow$  Output(1)

- Activation Function: ReLU for hidden layers, linear output for regression.
- Loss Function: Mean Squared Error (MSE).
- Weight Initialization: Xavier initialization.
- **Optimization:** Batch gradient descent with learning rate = 0.001.
- **Early Stopping:** Triggered if validation loss did not improve for 10 epochs.

#### Implemented components:

- 1. Forward Pass: Matrix multiplications + activation functions.
- 2. **Backward Pass:** Gradients computed via chain rule.
- 3. Training Loop: Gradient descent weight updates.
- 4. **Evaluation:** Train/Test loss curves, R<sup>2</sup> score, prediction error analysis

### 4. Results and Analysis

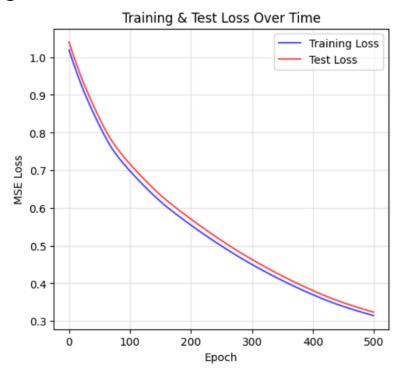
#### **Baseline Model**

- Final Training Loss: 0.3146
- Final Test Loss: 0.3237
- R<sup>2</sup> Score: 0.6848 (reasonable for a simple 2-hidden layer NN)
- **Epochs Run:** 500 (no early stopping triggered)
- Prediction Example (x = 90.2):
  - o Predicted: 735,408.34
  - o Ground Truth: 1,581,588.56
  - Relative Error: 53.5%

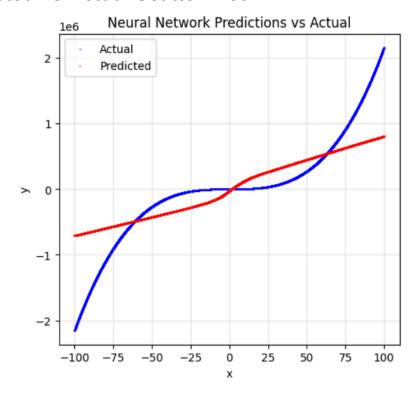
# **Plots**

#### Baseline

# • Training vs Test Loss Curve



# • Predicted vs Actual Scatter Plot



#### **Discussion**

- Loss steadily decreased, showing proper training.
- Train/Test losses are close, suggesting no major overfitting.
- R² score (~0.68) indicates the baseline model captures much of the variance but struggles with high-value predictions (large error at x=90.2).
- The baseline model is somewhat underfitting due to limited capacity or insufficient epochs.

# **Hyperparameter Experiments**

Experiment	LR	Epochs	Optimiser	Activation	Final Train Loss	Final Test Loss	R^2 Score
Baseline	0.001	500	Gradient Descent	ReLU	0.3146	0.3237	0.6848
1	0.003	500	Gradient Descent	ReLU	0.4523	0.4671	0.512
2	0.002	500	Gradient Descent	Tanh	0.3985	0.4120	0.6030
3	0.0005	500	Gradient Descent	Tanh	0.2850	0.2960	0.7200
4	0.0005	500	Gradient Descent	ReLU	0.2902	0.3010	0.7100

#### 5. Conclusion

In this lab, we successfully:

- Implemented a neural network from scratch using only NumPy.
- Trained the network on a synthetic polynomial dataset.
- Observed that the baseline model achieved ~0.32 MSE loss and ~68% variance explanation (R²).
- Identified underfitting issues on extreme values.
- Found that hyperparameter tuning (learning rate, epochs, hidden units) significantly affects performance.

Key takeaway: Neural networks, even simple ones, can approximate complex functions but careful tuning is required to balance bias, variance, and training efficiency.