simcausal R Package: Simplifying Simulation Studies of Causal Effects with Structural Equation Models

September 14, 2016

simcausal

- Simulations conducted with the package can help evaluate:
 - asymptotic properties of an estimator
 - ▶ finite sample bias
 - relative efficiency of two estimators

simcausal

- Relies on the logic of NPSEM for model specification
- A single pipeline for conducting a "typical" simulation study:
 - Define the distribution of the observed data using the SEM
 - 2 Specify interventions (static, dynamic or stochastic)
 - 3 Simulate observed data or intervention-specific (counterfactual) data
 - Evaluate the "gold standard" defined by various causal effects:
 - ★ Treatment-specific means
 - ★ The average treatment effects (ATE)
 - ★ Coefficients from working marginal structural models

simcausal Installation

Preferred installation route:

```
devtools::install_github('osofr/simcausal', build_vignettes = FALSE)
```

• Can also install directly from CRAN (might not be the latest version):

```
install.packages("simcausal")
```

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library(simcausal)
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- The **node** function consists of the following arguments:
 - ▶ node name: CVD (cardiovascular disease)
 - node distribution: distr = "rcat.b1"
 - ▶ parameters of node distribution: probs = c(0.5, 0.25, 0.25)

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 - Normally distributed: rnorm
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- Proceed to add Bernoulli treatment TI (treatment intensification) and Bernoulli outcome Y (risk of heart attack within a year):

```
D <- D +
node("TI", distr="rbern", prob = plogis(-0.5 - 0.3*CVD + 0.2*A1C)) +
node("Y", distr="rbern", prob = plogis(-3 + 1.2*TI + 0.1*CVD + 0.3*A1C))</pre>
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```

Finish defining the SEM by calling set.DAG() (checks and locks the DAG object):

```
setD <- set.DAG(D)
```

simcausal Visualization

plotDAG displays this data generating distribution (SEM):

```
plotDAG(setD, vertex_attrs = list(size = 15, label.cex = 1.5))
                          A1C
```

- Arrows denote node dependencies in the previously defined SEM

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- We define time-varying nodes for TI and Y in a similar manner, where Y is treated as survival outcome (code not shown)

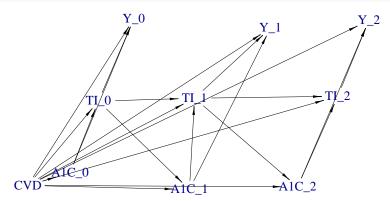
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```
plotDAG(setD1, tmax = 2, xjitter = 0.36, yjitter = 0.08,
  edge_attrs = list(width = 0.5, arrow.width = 0.4, arrow.size = 0.8),
  vertex_attrs = list(size = 19, label.cex = 1.5))
```



simcausal Simulating data

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simcausal Simulating data - long format

 Flag wide = FALSE can be used to structure simulated data in a long format:

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Odat_1 <- sim(setD1, n = 5000, wide = FALSE, rndseed = 3)</pre>
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- For example, start by defining a new distribution for TI, using the node function:

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    prob = ifelse(TI[t-1]==1,1,ifelse(A1C[t] >= theta,1,0)))
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 Next, we define two actions (dynamic interventions) based on TI above, where each action is indexed by a value of theta:

```
setDl <- setDl +
  action("early.switch", nodes = c(newTRTp), theta = 4) +
  action("late.switch", nodes = c(newTRTp), theta = 10)</pre>
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 Use the same sim function with argument actions = "early.switch" to simulate counterfactual data for that intervention or a collection of interventions

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- To define the causal target as the counterfactual mean of Y over time under intervention "early.switch":

```
1DAG <- set.targetE(setD1, outcome="Y", t=0:7, param="early.switch")</pre>
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- To evaluate a previously defined causal quantity use **eval.target**:

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eval.target(1DAG, n = 5000)$res
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- Coefficients of a working marginal structural model are defined with set.targetMSM:
 - ► MSMs can be linear, logistic, or any other type
 - ► For survival can model hazard or survival function

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simcausal Causal effects (survival)

• Counterfactual survival curves for two dynamic interventions:

