

Total No. of Questions : 4]

SEAT No. :

P-5054

[Total No. of Pages : 3

[6187]-457

T.E. (Information Technology) (Insem)

THEORY OF COMPUTATION

(2019 Pattern) (Semester - I) (314441)

Time : 1 Hour]

[Max. Marks : 30

Instructions to the candidates:

- 1) Attempt Q.1 or Q.2, Q.3 or Q.4.
- 2) Neat diagrams must be drawn wherever necessary.
- 3) Figures to the right indicate full marks.
- 4) Assume suitable data, if necessary.

Q1) a) Design a Mealy machine to find 2's complement of any binary number.
Write the definition of a Mealy Machine. [4]

b) Find the final DFA by performing the DFA minimization process. A is initial state and final states are B, C, D, E, F, G. [5]

Q/Σ	0	1
A	B	-
B	C	C
C	D	E
D	C	C
E	B	G
F	E	-
G	B	G

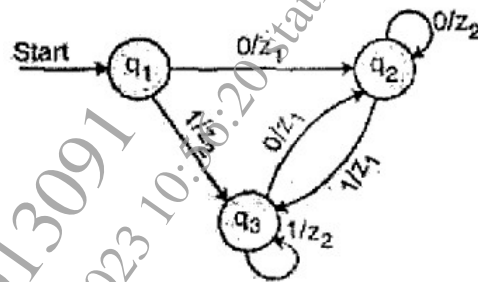
c) Write the formal definitions for the following : [6]

- i) NFA (Non-Deterministic Finite Automata)
- ii) Mealy Machine
- iii) Moore Machine

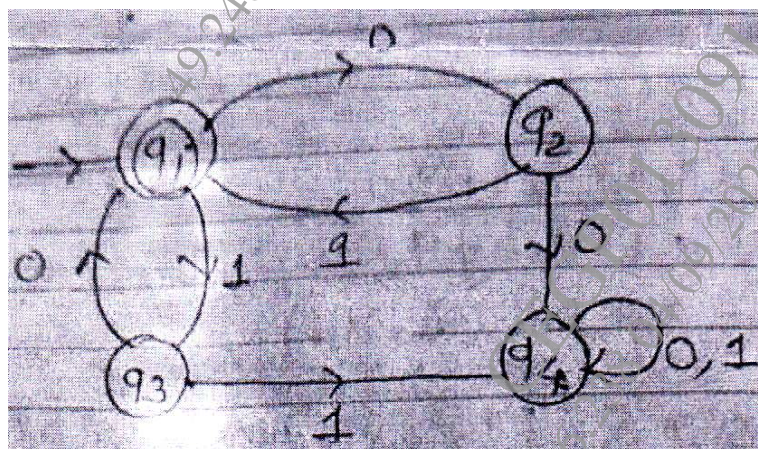
OR

P.T.O.

- Q2) a)** Construct a Moore machine equivalent to the Mealy machine represented by the following Transition Diagram : [5]



- b) Design a DFA (Deterministic Finite Automata) that reads strings made up of the letters in the word 'UNIVERSITY' and recognizes those strings that contain the word 'UNITY' as a substring. [5]
- c) Justify that there can be the equivalent Mealy machine for any Moore machine by suitable example. [5]
- Q3) a)** For the following regular expressions, draw the FA (Finite Automata) recognizing the corresponding language. [5]
- $1(01 + 10)^* + 0(11 + 10)^*$
 - $(01 + 10)^* 00 (01 + 11)^*$
- b) State and explain Pumping Lemma for a regular language. [5]
- c) Find the regular Expression for the FA (Finite Automata) using Arden's Theorem. [5]



OR

- Q4)** a) Use pumping lemma to check whether the language, $L = \{0^n \mid n \text{ is prime}\}$ is regular or not. [5]
- b) Find the regular expression for the language over inputs $\{a, b\}$. [5]
- i) The set of all strings ending neither in 'b' nor in 'ba'
 - ii) The set of all strings containing at least one 'a' and at least one 'b'
- c) Prove that "Regular language is closed under Kleene Star". [5]

