Pujush Rana CST SPL 1

Tutorial 2.

i j No. ay times loop is running be k.

O L
$$S_{k} = 1+3+6+10+...+T_{k}$$

1 2

 $S_{k-1} = 1+3+6+...+T_{k-1}$

Subtracting both

 $S_{k} - S_{k-1} = 1+2+3+4+...+(k-1)$
 $T_{k} = (k-1)k/2$.

Given that kth term is n.

$$T_{k}=n$$
 $k(k-1)/2=n \Rightarrow k^2/2-k/2=n$

ignoring lower order terms and constants.

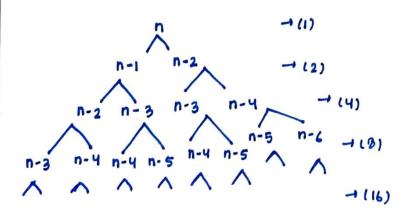
$$\Rightarrow k^2=n$$

$$k=\ln$$

$$T(n)=o(\ln n)$$

and constants.

Solution 2:



No of times function is running will be sum of the series.

$$S = 1+2+4+ ... +2^n$$

= $2^{n+1}/2-1 = 2^{n+1}-1$

Time complexity

$$T(n) = O(2^n)$$

after removing constants

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solution 4:
           Tin) = Tin/4) + Tin/2) + cn2
         Ignoring lower order terms:
                T(n) = T(n/2) + cn2
           using Master Theorem:
                 a=1, b=2 , fin)= n2
                  c = looa = loo1 = 0
                   Ocn2 true.
               =) | T(n)= O(n2) |
Solution 3: Code having time complexity
           Olnlogn) =
                         for (int i=1; i<=n; i++)
                          for (int j=1 ; j < n; j=j * 2)
                             printy (" Hello");
         O (n3) :
                       for (int i=0; icn; i++)
                     d for (int j=0; j<n; j++)
                           for (int k=0; Kcn; k++)
                                printy ("Hello");
                           4
         0 ( log ( log n ) ):
                         for line i=2; i <=n; (= pow (i,3))
                               print ("Heup");
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Solution 5:

Time complexity will be sum as series $S = \frac{n}{1} + \frac{n}{2} + \frac{n}{3} + \dots$ $= \sum_{i=1}^{n} \frac{n}{i}$ $\frac{n}{3}$ $\frac{n}{3}$ $\frac{n}{4}$ $\frac{n}{4}$