Planar data classification with one hidden layer

• use *sklearn*'s built-in functions to do logistic linear regression

```
clf = sklearn.linear_model.LogisticRegressionCV();
clf.fit(X.T, Y.T);
LR_predictions = clf.predict(X.T)
```

- np.tanh()
- np.squeeze()

```
cost = -((np.dot(Y, np.log(A2).T) + np.dot(1 - Y, np.log(1 - A2).T))/m)
type(cost)
print(cost)
```

```
<class 'numpy.ndarray'>
[[0.69291989]]
```

```
cost = -((np.dot(Y, np.log(A2).T) + np.dot(1 - Y, np.log(1 - A2).T))/m)
cost = np.squeeze(cost)
type(cost)
print(cost)
```

```
<class 'numpy.ndarray'>
0.6929198937761264
```

assert(isinstance(cost, float))

```
cost = -((np.dot(Y, np.log(A2).T) + np.dot(1 - Y, np.log(1 - A2).T))/m)
cost = np.squeeze(cost)
print(cost.dtype)
assert(isinstance(cost, float))
```

```
float64
AssertionError
```

```
<class 'numpy.float64'>
float64
0.6929198937761266
```

```
\circ cost = -((np.dot(Y, np.log(A2).T) + np.dot(1 - Y, np.log(1 - A2).T))/m)
   cost = np.squeeze(cost)
   cost = np.float64(cost)
   print(type(cost))
   print(cost.dtype)
   assert(isinstance(cost, float))
```

```
<class 'numpy.float64'>
float64
0.6929198937761264
```

• $g^{[1]'}(Z^{[1]})$

```
 \begin{array}{l} \circ \ \ {\rm since} \ a = g^{[1]}(z) = tanh(z) \\ \circ \ \ g^{[1]'}(z) = 1 - a^2 \end{array}
```

$$\circ \ g^{[1]'}(z) = 1 - a^2$$

predictions

```
A2, cache = forward_propagation(X, parameters)
   predictions = np.round(A2)
```