

The following question will ask you about the following logical sentences.

- 1. If Hermione is in the library, then Harry is in the library.
- 2. Hermione is in the library.
- 3. Ron is in the library and Ron is not in the library.
- 4. Harry is in the library.
- 5. Harry is not in the library or Hermione is in the library.
- 6. Ron is in the library or Hermione is in the library.

Which of the following logical entailments is true? \*

1/1

☒ Sentence 2 entails Sentence 5

☐ Sentence 5 entails Sentence 6

☐ Sentence 1 entails Sentence 4

☐ Sentence 6 entails Sentence 2

☐ Sentence 1 entails Sentence 2

☐ Sentence 6 entails Sentence 3

There are other logical connectives that exist, other than the ones discussed in lecture. One of the most common is "Exclusive Or" (represented using the symbol  $\oplus$ ). The expression  $A \oplus B$  represents the sentence "A or B, but not both." Which of the following is logically equivalent to  $A \oplus B$ ?

\* 1/1

☐  $(A \vee B) \wedge \neg (A \vee B)$

☐  $(A \vee B) \wedge (A \wedge B)$

☐  $(A \wedge B) \vee \neg (A \vee B)$

☒  $(A \vee B) \wedge \neg (A \wedge B)$

Let propositional variable R be that "It is raining," the variable C be that "It is cloudy," and the variable S be that "It is sunny." Which of the following a propositional logic representation of the sentence "If it is raining, then it is cloudy and not sunny."? \*

\* 1/1

- ☐  $(R \rightarrow C) \wedge \neg S$
- ☐  $R \rightarrow C \rightarrow \neg S$
- ☐  $R \wedge C \wedge \neg S$
- ☒  $R \rightarrow (C \wedge \neg S)$
- ☐  $(C \vee \neg S) \rightarrow R$

Consider, in first-order logic, the following predicate symbols. Student(x) <sup>\*1/1</sup> represents the predicate that "x is a student." Course(x) represents the predicate that "x is a course." Enrolled(x, y) represents the predicate that "x is enrolled in y." Which of the following is a first-order logic translation of the sentence "There is a course that Harry and Hermione are both enrolled in."?

- ☐  $\forall x. \text{Enrolled}(\text{Harry}, x) \vee \text{Enrolled}(\text{Hermione}, x)$
- ☒  $\exists x. \text{Course}(x) \wedge \text{Enrolled}(\text{Harry}, x) \wedge \text{Enrolled}(\text{Hermione}, x)$
- ☐  $\forall x. \text{Enrolled}(\text{Harry}, x) \wedge \forall y. \text{Enrolled}(\text{Hermione}, y)$
- ☐  $\exists x. \text{Enrolled}(\text{Harry}, x) \vee \text{Enrolled}(\text{Hermione}, x)$
- ☐  $\exists x. \text{Enrolled}(\text{Harry}, x) \wedge \exists y. \text{Enrolled}(\text{Hermione}, y)$
- ☐  $\forall x. \text{Course}(x) \wedge \text{Enrolled}(\text{Harry}, x) \wedge \text{Enrolled}(\text{Hermione}, x)$

Comments, if any

.....

此表单是在 CS50 内部创建的。