

# Machine Learning Techniques in the Searches for Resonant Signatures at the LHC

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# The CMS Experiment overview

## CMS DETECTOR

Total weight : 14,000 tonnes  
Overall diameter : 15.0 m  
Overall length : 28.7 m  
Magnetic field : 3.8 T

STEEL RETURN YOKE  
12,500 tonnes

SILICON TRACKERS  
Pixel ( $100 \times 150 \mu\text{m}$ )  $\sim 1\text{m}^2 \sim 66\text{M}$  channels  
Microstrips ( $80 \times 180 \mu\text{m}$ )  $\sim 200\text{m}^2 \sim 9.6\text{M}$  channels

SUPERCONDUCTING SOLENOID  
Niobium titanium coil carrying  $\sim 18,000\text{A}$

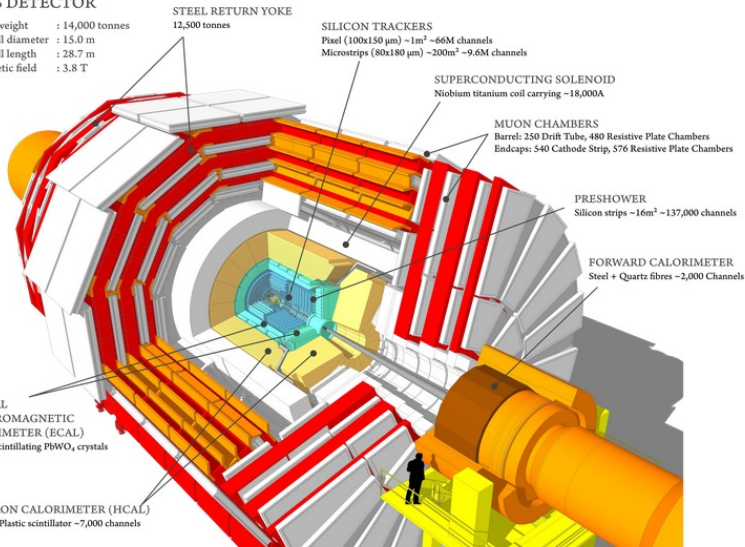
MUON CHAMBERS  
Barrel: 250 Drift Tube, 480 Resistive Plate Chambers  
Endcaps: 540 Cathode Strip, 576 Resistive Plate Chambers

PRESHOWER  
Silicon strips  $\sim 16\text{m}^2 \sim 137,000$  channels

FORWARD CALORIMETER  
Steel + Quartz fibres  $\sim 2,000$  Channels

CRYSTAL  
ELECTROMAGNETIC  
CALORIMETER (ECAL)  
 $\sim 76,000$  scintillating  $\text{PbWO}_4$  crystals

HADRON CALORIMETER (HCAL)  
Brass + Plastic scintillator  $\sim 7,000$  channels



# Coordinates at the CMS

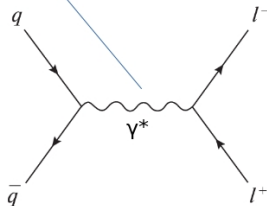
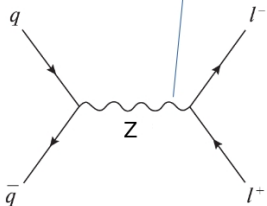
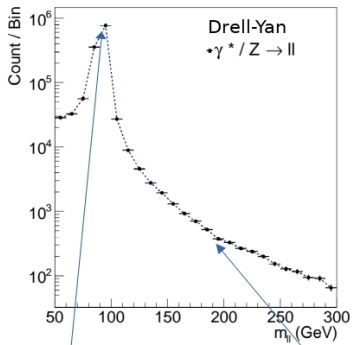
Given the solenoid geometry of the CMS detector, it is more convenient to use a spherical type of coordinates

$$\begin{aligned}p_x &= P_T \cos \phi \\p_y &= P_T \sin \phi \\p_z &= P_T \sinh \eta \\|\vec{P}| &= P_T \cosh \eta\end{aligned}\tag{1}$$

$\phi \in [0, 2\pi]$  the azimuthal angle, and  $\eta \in [-\infty, +\infty]$  is defined as:

$$\eta \equiv -\ln \left[ \tan \left( \frac{\theta}{2} \right) \right]\tag{2}$$

# Resonances



# Calibration and energy scale uncertainties

## Why are resonances important?

- ▶ They provide a way to probe and study the nature of particles produced at the LHC
- ▶ We can calibrate the energy scale and resolution of the detector

## How do we calibrate the detector?

- ▶ Calibration process adjusts energy scale and resolution to match well-known resonances (Z boson, J/psi meson) in data and simulation
- ▶ Imperfect agreement due to subdetector complexities and nonlinear effects

# Calibration and energy scale uncertainties

How do analysis techniques respond to energy scale uncertainties?

Our work will focus on the effects that energy scale uncertainties have on a traditional fit-based analysis and a more modern Boosted Decision Tree-based analysis, using the generic diobject production process as the working example.

# Calibration and energy scale uncertainties

In our case:

- ▶ Signal: a resonant decay  $Y \rightarrow XX$
- ▶ Background: a non-resonant process

How to separate them?

- ▶ Boosted Decision Trees
- ▶ Fit-based analysis

# Searches for $Y \rightarrow XX$

Search for heavy  $Y \rightarrow XX$

- ▶ Mass range from 100GeV up to 300GeV

Search for light  $Y \rightarrow XX$

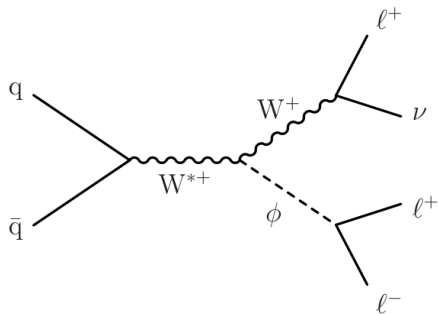
- ▶ Mass range from 50GeV up to 70GeV



# Methodology

The specific characteristics(mass etc.) of each dataset is different but the main idea is the same

- ▶ Background  $\rightarrow$  Drell-Yan
- ▶ Signal  $\rightarrow W\phi \rightarrow //$



# Methodology

The specific characteristics(mass etc.) of each dataset is different but the main idea is the same

- ▶ Background  $\rightarrow$  Drell-Yan
- ▶ Signal  $\rightarrow W\Phi \rightarrow //$
- ▶ Separate signal from background
- ▶ Apply energy scale uncertainties to signal
- ▶ Separate again
- ▶ Compare the nominal case with the smeared cases

# Statistical interpretation of results

Are the signal events we counted, statistically significant?

- We use the following metric:

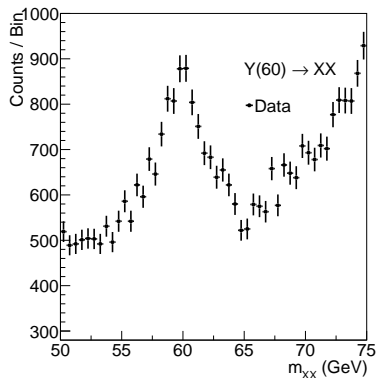
$$\text{Significance} = \frac{\text{Signal}}{\sqrt{\text{Background}}} \quad (3)$$

# Search for light $Y \rightarrow XX$

We will study the following smearing cases:

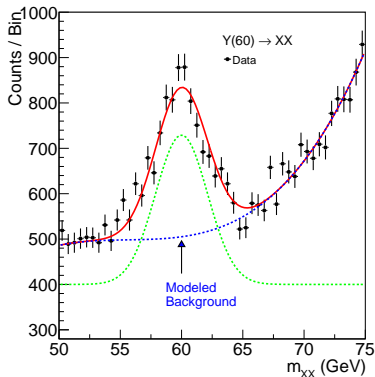
- ▶ 0%(Nominal case)
- ▶ 5%
- ▶ 7%
- ▶ 10%
- ▶ 12%

The working mass range is quite small  $\rightarrow$  smearing has a significant effect real quick.



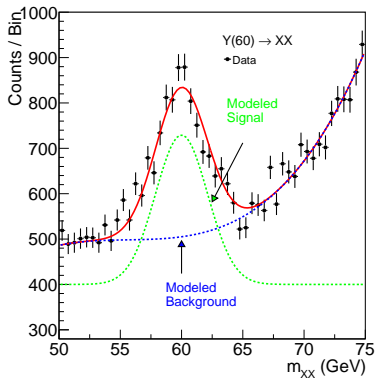
# Fit based signal from background separation

To fit the mass spectrum we use a background component. . .



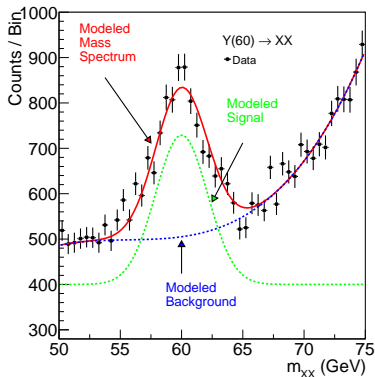
# Fit based signal from background separation

... and a signal component ...



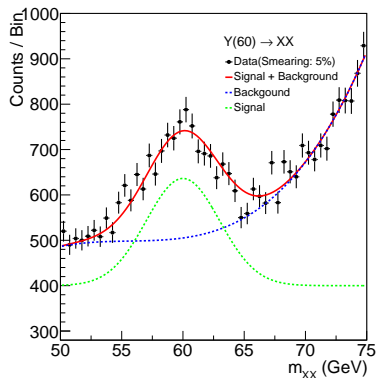
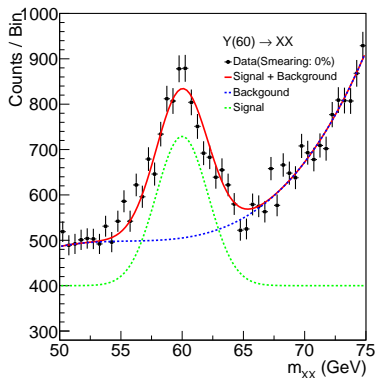
# Fit based signal from background separation

... Signal + Background = Mass spectrum



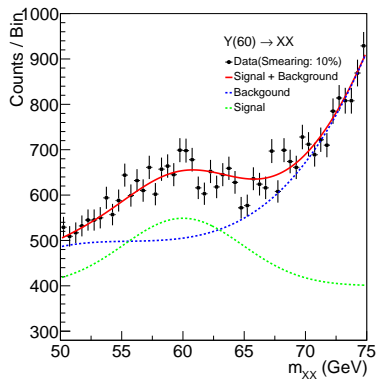
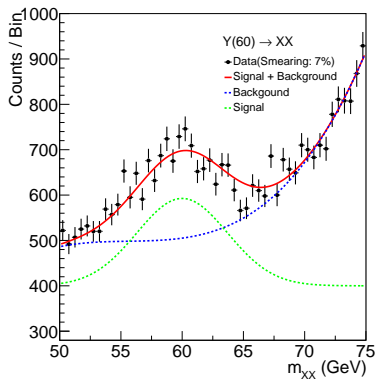
# Fit based approach: Fitting

Then we proceed with the fits!



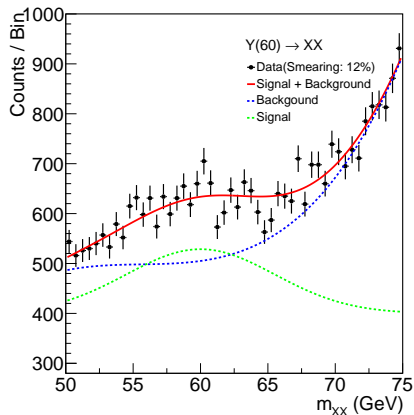


# Fit based approach: Fitting



# Fit based approach: Fitting

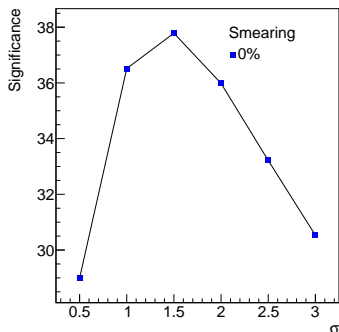
Any further smearing will make the signal indistinguishable!



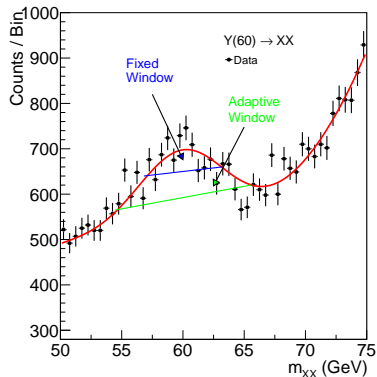
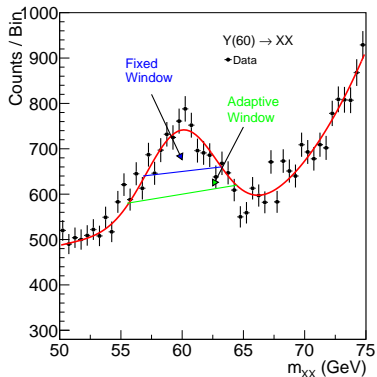
# Fit based approach: Signal from background separation

Working in the nominal case, we find the region that yields the best significance, by scanning the ranges.

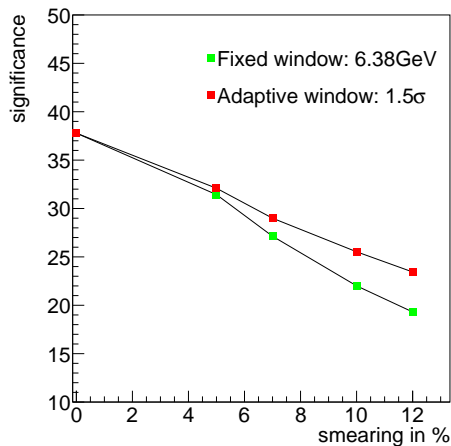
$$m = \pm \frac{n}{2} \sigma, \quad n = 1, 2, 3, 4, 5, 6$$



# Fit based approach: Signal from background separation

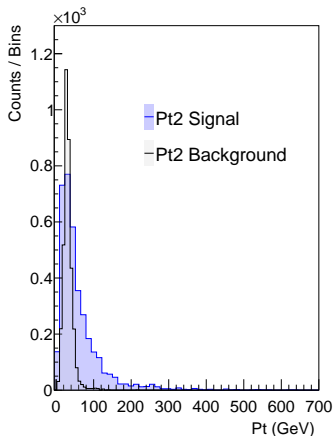
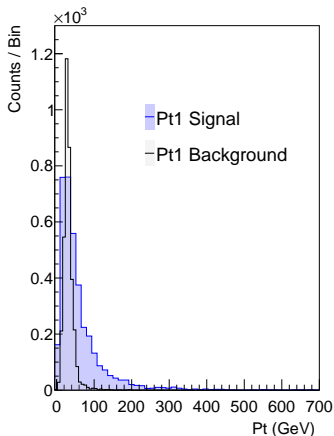


# Fit based approach: Signal from background separation

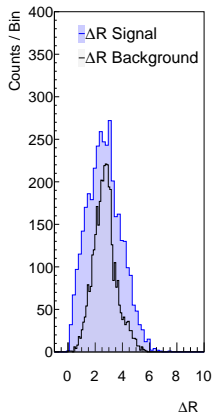
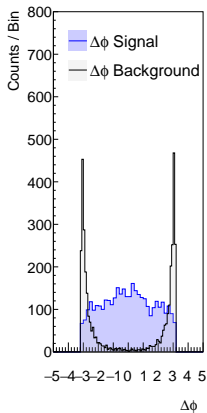
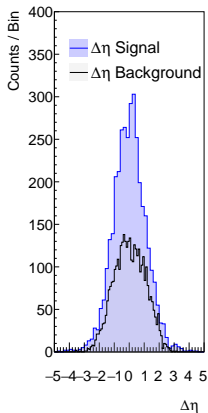


# BDT approach: Feature space

What features of the dataset are best for the classification task?

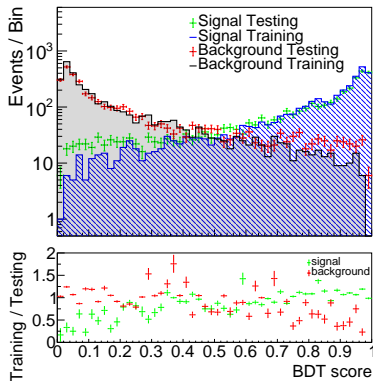


# BDT approach: Feature space



# BDT approach: The model

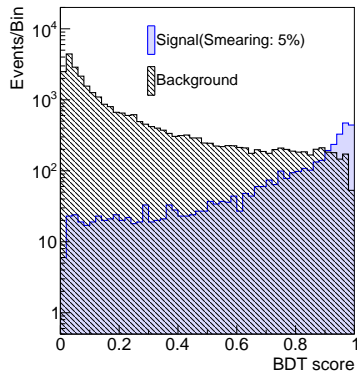
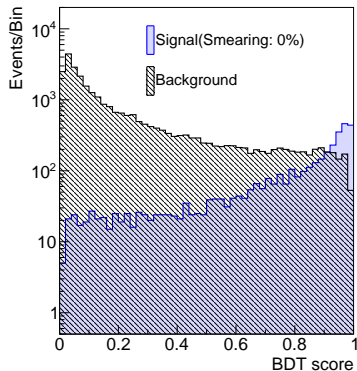
- ▶ Trained with approximately 3K events.
- ▶ To examine overfitting we compare the ratio of training events to testing for each bdt score



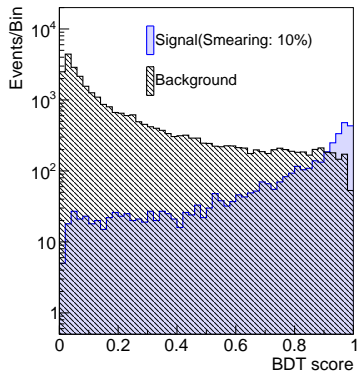
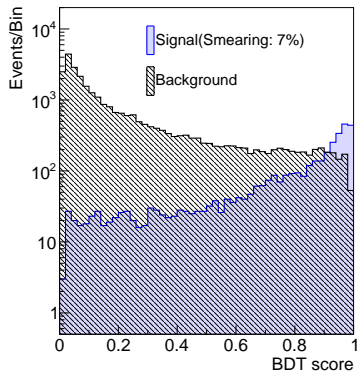


# BDT approach: Application

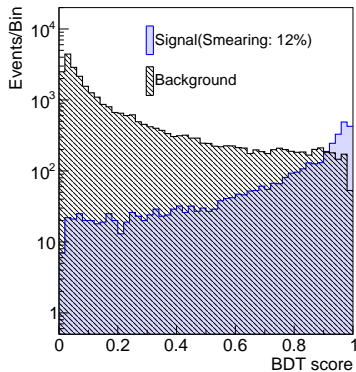
Feed the application set to the BDT  $\rightarrow$  BDT plots



# BDT approach: Application



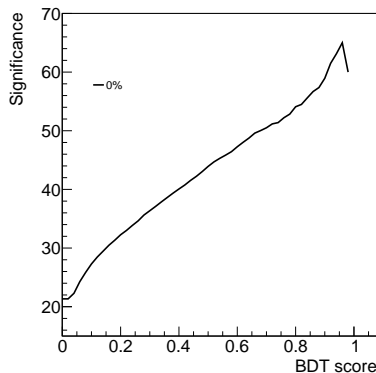
# BDT approach: Application



# BDT approach: Signal from background separation

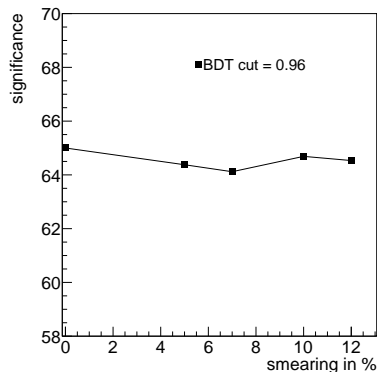
Where should we place the cut?

- ▶ Same philosophy as in the fit based search
- ▶ We scan the bdt range to find the best region of interest
- ▶ Best cut  $\rightarrow$  BDT score = 0.96.



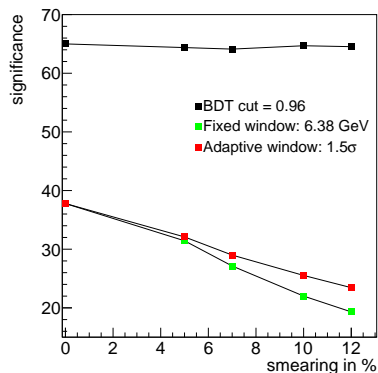
# BDT approach: Signal from background separation

- ▶ The performance of the BDT remains invariant under energy scale uncertainties!



# Synopsis

- ▶ BDT performs better than the fit-based.
- ▶ Remains invariant under smearing.
- ▶ Performance of the fit drops.



# Search for heavy $Y \rightarrow XX$

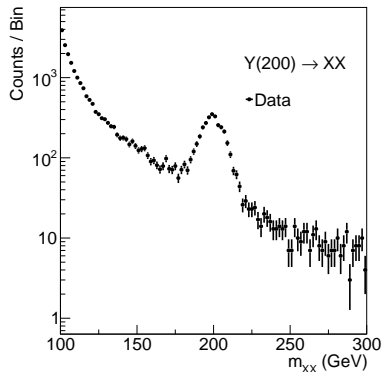
We will study the following smearing cases:

Medium to extreme cases

- ▶ 0% (Nominal case)
- ▶ 5%
- ▶ 10%
- ▶ 15%
- ▶ 20%

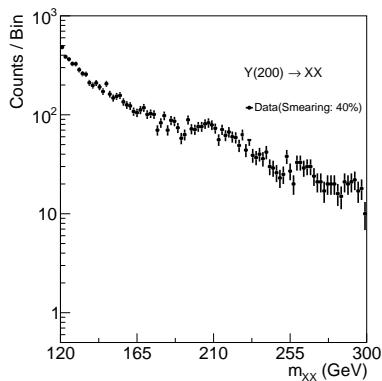
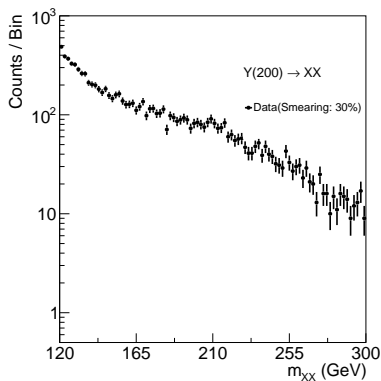
Plus some really extreme cases

- ▶ 30%
- ▶ 40%
- ▶ 50%



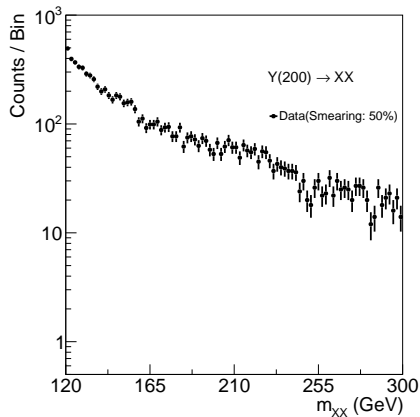
# Fit based approach: Signal Fitting

There is no point in trying to fit the really extreme smearing cases





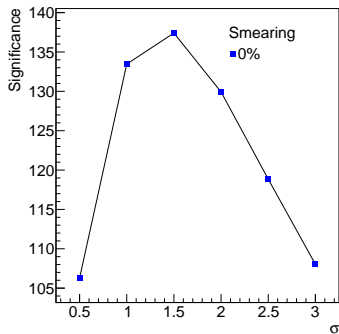
# Fit based approach: Signal Fitting



# Fit based approach: Signal from background separation

Working in the nominal case, we scan the ranges

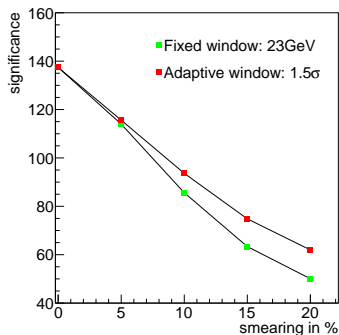
$$m = \pm \frac{n}{2}\sigma, \quad n = 1, 2, 3, 4, 5, 6$$



# Fit based approach: Signal from background separation

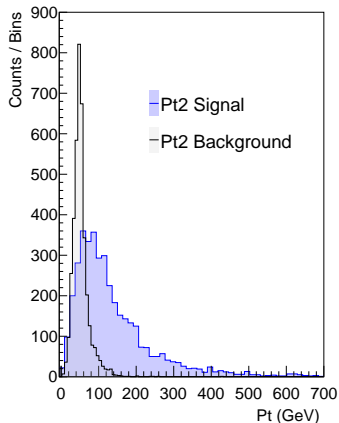
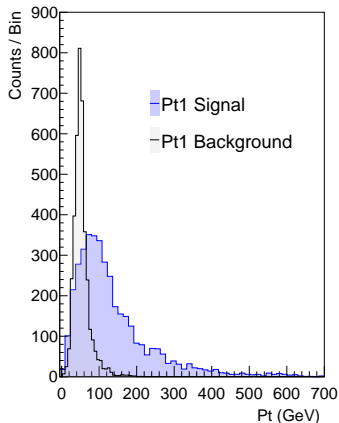
The best significance is in the  $\pm 1.5\sigma$  range.

- ▶ fixed window
- ▶ adaptive window

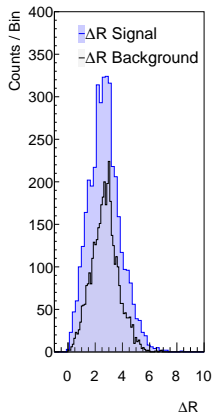
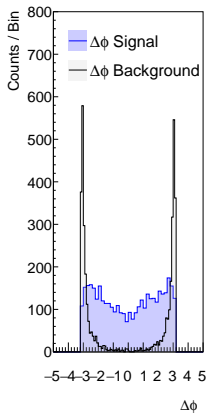
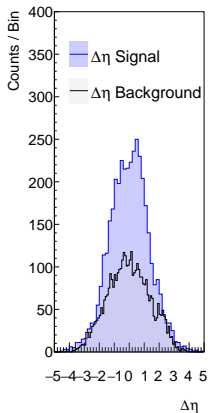


# BDT approach: Feature space

We use the same feature space as with the light mass search

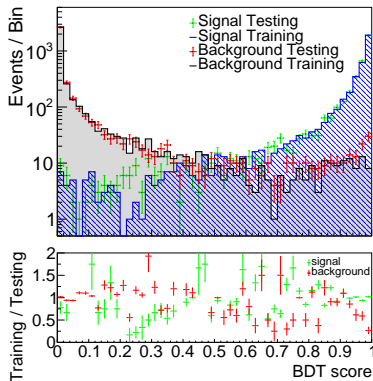


# BDT approach: Feature space



# BDT approach: The model

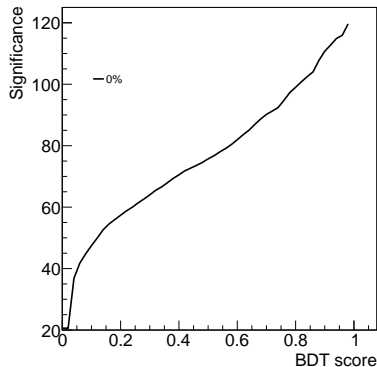
- ▶ Trained with approximately 3K events
- ▶ To examine overfitting we compare the ratio of training events to testing for each BDT score



# BDT approach: Signal from background separation

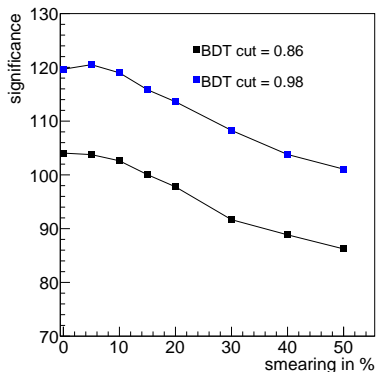
Where should we place the cut?

- ▶ We scan the whole BDT range to find the best region of interest
- ▶ Best cut  $\rightarrow$  BDT score = 0.98.
- ▶ This is rather tight, let's see what happens if we place a more relaxed cut at 0.86



# BDT approach: Signal from background separation

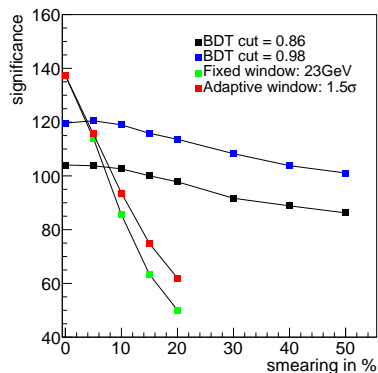
- ▶ The performance of the more relaxed cut is not as good as the best cut
- ▶ The BDT model is rather robust





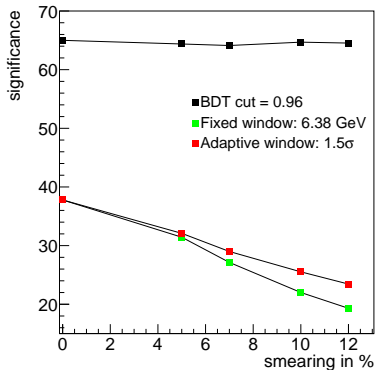
# Synopsis

- ▶ The performance of the BDT and Fit are comparable when smearing is mild
- ▶ Fit performance drops dramatically
- ▶ BDT is more robust

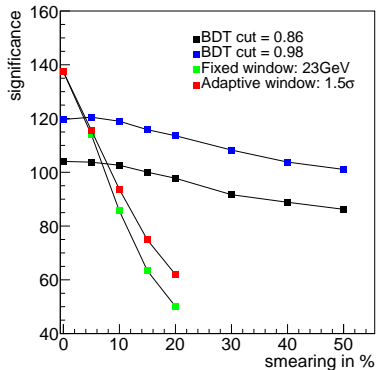


# Results

## ► Light $Y \rightarrow XX$



## ► Heavy $Y \rightarrow XX$



# Results

Overall, the BDT is more robust as it learns features that do not get affected by energy scale uncertainties

So is the BDT better?

- ▶ No: A more careful event selection can improve the performance of the fit based analysis
- ▶ yes: In the presence of energy scale uncertainties, the fit based analysis reaches a "breaking point"

# Backup

Welcome to the backup slides!

# Supervised Learning

- ▶ The model is trained using training data
- ▶ The trained model is tested using testing data
- ▶ If we like the resulting model, we apply it!

... but what is this model?

- ▶ A function that given the input features  $x$ , it returns the probability  $x$  being class A
- ▶ The goal of the training is to minimize the difference between the predicted output  $y_i \in [0, 1]$  and the real output  $\hat{y}_i = 0$  class B, or  $\hat{y}_i = 1$  class A

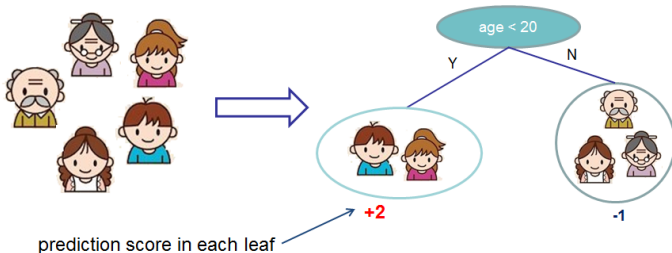
# BDT 1a: Boosted decision trees

In this study the model of choice is Boosted Decision Trees(BDT).

- It classifies data using decision tree models

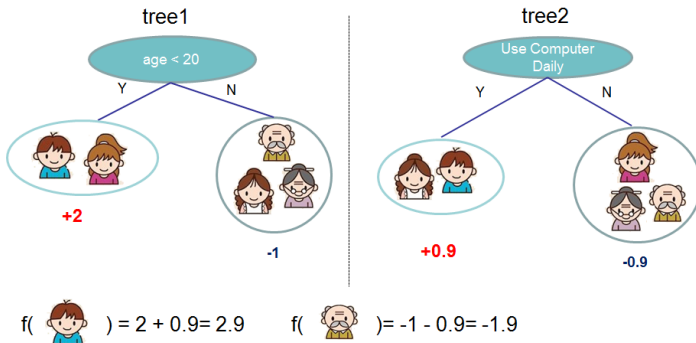
Input: age, gender, occupation, ...

Like the computer game X



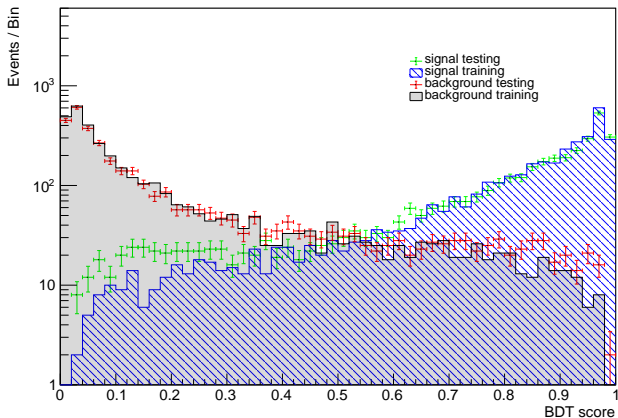
# BDT 2b: Boosted Decision Trees

Usually only one tree is not powerful enough  $\rightarrow$  Use more trees in additive manner (Boosting)



# BDT 3: Signal from background separation

Where should we place the cut in order to accept most of the signal while rejecting most of the background?





# Fit based signal from background separation

We can count the signal and background events, in a region of interest  $I$ :

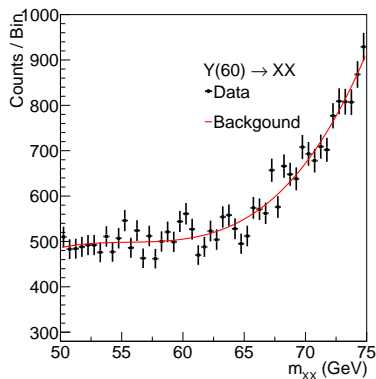
$$O = \int_I \text{observation}(x) dx \quad (4)$$

$$B = \int_I \text{bkg}(x) dx \quad (5)$$

$$S = O - B \quad (6)$$

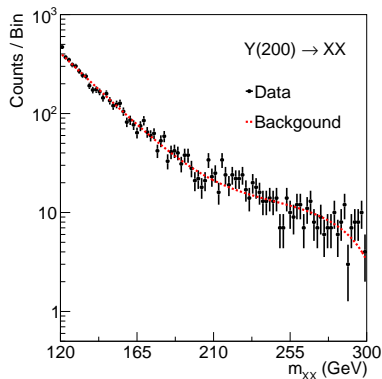
# Fit based approach: Background Fitting light

- ▶ To simplify things a bit, we fit the background separately
- ▶ The background shape is kept constant throughout the fits
- ▶ Shape:  
 $\alpha + \beta x + \gamma x^2 + \delta x^3$



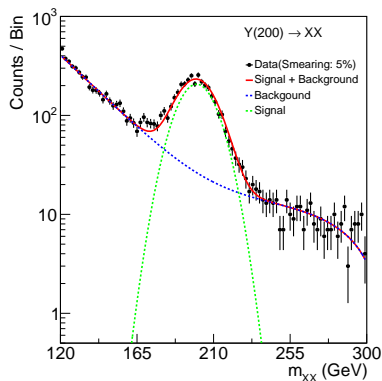
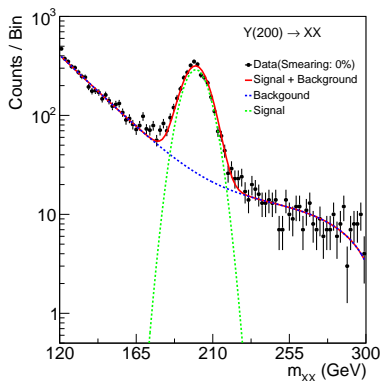
# Fit based approach: Background Fitting

- ▶ The background shape is kept constant
- ▶ Shape:  
 $\alpha + \beta x^{-1/2} + \gamma x^{-1} + \delta x^{3/2}$

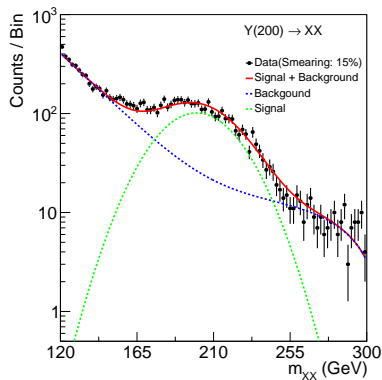
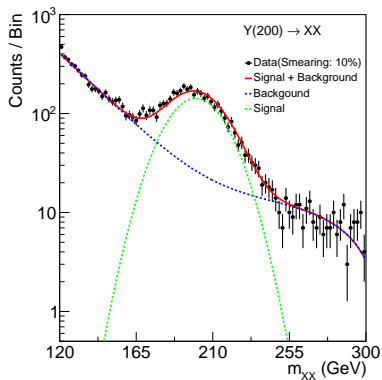


# Fit based approach: Signal Fitting

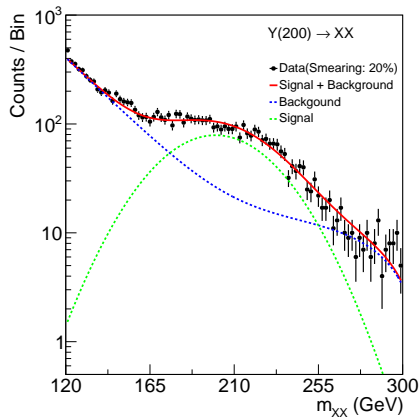
Then we proceed and fit the signal



# Fit based approach: Signal Fitting

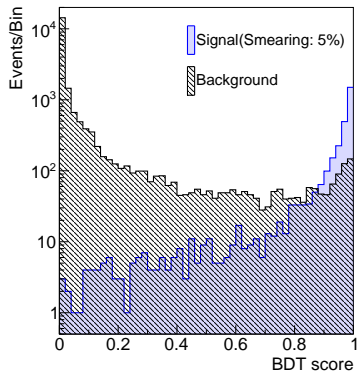
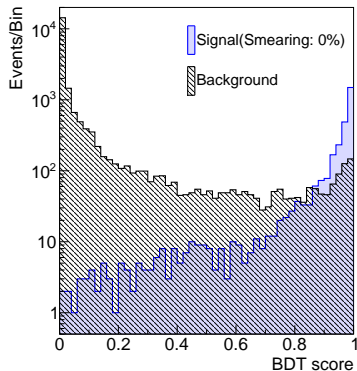


# Fit based approach: Signal Fitting

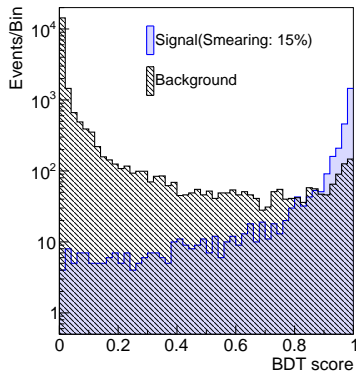
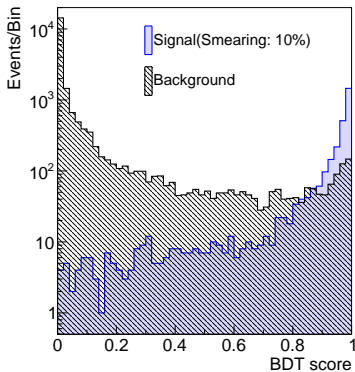


# BDT approach: Application

Feed the application set to the BDT  $\rightarrow$  BDT plots

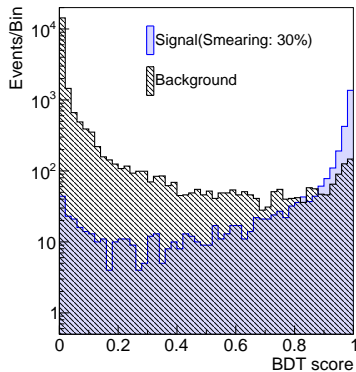
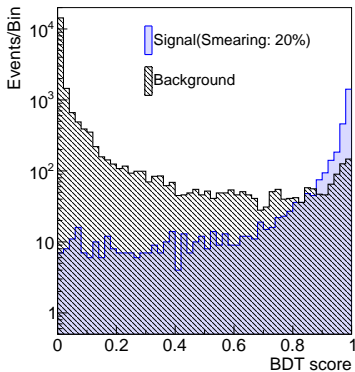


# BDT approach: Application





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