

PROPERTIES OF SCHEDULER

① integrity-preserving.

if $\alpha_c(t_s) = t'_s$ then $\forall t \in t'_s. t \in t_s$

that is the scheduler does not modify tasks

② for TSNI: eventual progress

if $|t_s| > 1$ then $\alpha_{\text{step}}(\alpha_{\text{step}}(t_s)) \neq \alpha_{\text{step}}(t_s)$

③ non-interfering

\Rightarrow can't make decision on high data when less sensitive threads exist. However, it's ok to use public information to schedule public/secret threads.

how to accommodate for this?

① modify configurations to track label on the current label:

$\langle \Sigma, e \rangle^i$
 \downarrow
 $\alpha @ e'$ ← label on l

- 1st thread label on C_L is \perp

- modify I-Sandbox:

$$t_{new} = \langle \Sigma', e \rangle_{l \in e}^{i'}$$

$$\Sigma; \langle \Sigma, E[\text{sandbox } e]_{\perp} \rangle_{l \in e'}^{i'} \dots \xrightarrow{\alpha} \Sigma'; \mathcal{K}_{\text{sandbox}}(t_1, \dots, t_{new})$$

- define erasure for threadpools (only for scheduler Π)

$$\mathcal{E}_{l_A}(\langle \Sigma', e \rangle_{l \in e'}^{i'}) = \begin{cases} \langle \bullet \rangle^{i'} & \text{if } l' \neq l_A \\ \langle \Sigma', e \rangle_{l \in e'}^{i'} & \text{otherwise} \end{cases}$$

↑
apply \mathcal{E}_{l_A} homomorphically

Def with this in place we say that
Scheduler $\mathcal{K}_C: t_S \rightarrow t_S$ is non-interferent

if $\mathcal{E}_l(t_{s_1}) = \mathcal{E}_l(t_{s_2})$

$$\mathcal{K}_C(t_{s_1}) = t_{s'_1}, \quad \mathcal{K}_C(t_{s_2}) = t_{s'_2}$$

$$\text{and } \mathcal{E}_l(t_{s'_1}) = \mathcal{E}_l(t_{s'_2})$$

where $l = \prod \text{label on label of all task in } t$



