Function implementation in R software to determine an optimal cut-point for a continuous covariate with competing risks

See our application in: Giannelli V et al. Impact of cardiac function, refractory ascites and beta blockers on the outcome of patients with cirrhosis listed for liver transplan-tation. J Hepatol (2019)

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A first step consisted in the research of an optimal cut-point for the continuous covariate in presence of competing risks. We used maximally selected Gray's statistic (described in Contal C et al. and Woo S et al.).

We worked with a primary event: death on the waiting list and a competing risk: transplantation, in a sample of 584 observations with 353 possible unique values of LVWSI, denoted Z.

For each possible value of the continuous covariate Z fixed μ , we calculated with k=74 times of death on the waiting list:

$$U_{\mu} = \sum_{i=1}^{k} \left(d_{i}^{+} - d_{i} \cdot \frac{r_{i}^{*+}}{r_{i}^{*}} \right)$$

With:

- d_i^+ : The number of deaths in the group Z > μ at the ith time
- $lack d_i:$ The total number of deaths at the ith time
- r_i^{*+} : The number at risk in the group Z > μ at the ith time & the number of patients in the group Z> μ which had observed the competing event before the ith time.
- r_i^* : The total number at risk at the ith time & the total number of patients which had observed the competing event before the ith time.

And we calculated the standardized statistic Q as:

$$Q_{\mu} = \frac{U_{\mu}}{\sigma\sqrt{D-1}}$$

Where $\sigma = \sqrt{\frac{1}{D-1} \cdot \sum_{i=1}^{D} \left(1 - \sum_{j=1}^{i} \frac{1}{D+1-j}\right)^2}$, with D=102 the total number of deaths.

Then, the optimal cut-point was determined by the maximum value of Q associated to the μ value: μ =64.1.

Bibliography

- Woo, S., Kim, S. & Kim, J. Determining cutoff values of prognostic factors in survival data with competing risks. Comput Stat 31, 369–386 (2016) doi:10.1007/s00180-015-0582-x
- Contal, C., O'Quigley, J. An application of changepoint methods in studying the effect of age on survival in breast cancer. Computational Statistics & Data Analysis. 30, 253-270 (1999) doi:10.1016/S0167-9473(98)00096-6



