

# zkEVM

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# Abstraction

- Challenges of zkEVM
- High-level design of zkEVM
- Backend of zkEVM (Halo2)

# Design Challenges of zkEVM

- EVM word size is 256-bits (mismatch with prime field)
- EVM has lots of “non-traditional” opcodes
- EVM storage relies on Keccak and MPT
- EVM is too-large

“Hard to design, too-big, and slow for proving”

# How do we handle it?

- Modular SNARK (PLONK + PCS)
- Custom gates (TurboPLONK)
- Lookup arguments
- Hardware acceleration

# What zkEVM wants to prove?

- Correct execution of program(=smart contract)
- How does smart contract executed on EVM?

# What zkEVM wants to prove?

- First, load the bytecode from EVM storage
- Second, execute the bytecode
- Finally, write the execution result back to memory/storage

# What zkEVM wants to prove?

- First, load the bytecode from EVM storage
  - > prove that loaded correctly
- Second, execute the bytecode
- Finally, write the execution result back to memory/storage

# What zkEVM wants to prove?

- cryptographic accumulator
- Use merkle tree
- Use lookup table! (Plookup)



# What zkEVM wants to prove?

- First, load the bytecode from EVM storage
- Second, execute the bytecode

-> How to prove the execution of bytecode in static circuit?

- Finally, write the execution result back to memory/storage

# What zkEVM wants to prove?

- How can we handle JUMP opcodes? (for-loop, while, if-else)
- Prover has to prove real execution trace (="unrolled" bytecode)
- How can prover prove correctly unrolled?

# What zkEVM wants to prove?

- We label each opcode with program counter and check the consistency

```
1
2 def execution_proof(execution_opcodes):
3     program_counter = 0
4
5     for i, opcode in execution_opcodes:
6         assert(program_counter == i)
7         # execute the current opcode and get the next one to execute
8         next_opcode = execute(opcode)
9         program_counter = next_opcode
```

Brought from Barry Whitehat's hackmd: <https://hackmd.io/5vKFGDcITKuNPHSRT8H9jA>

# What zkEVM wants to prove?

- First, load the bytecode from EVM storage
  - Second, execute the bytecode
  - Finally, write the execution result back to memory/storage
- > How to prove execution results of opcodes are correct?

# What zkEVM wants to prove?

- We have to read/execute/write per opcode
- Prover have to prove about EVM stack in ADD opcode

ADD -> POP, POP, PUSH

# What zkEVM wants to prove?

- We separates the proof into 2 parts - state proof, EVM proof
- State proof proves about R/W
- EVM proof proves about correctness of execution result of opcode

# What zkEVM wants to prove?

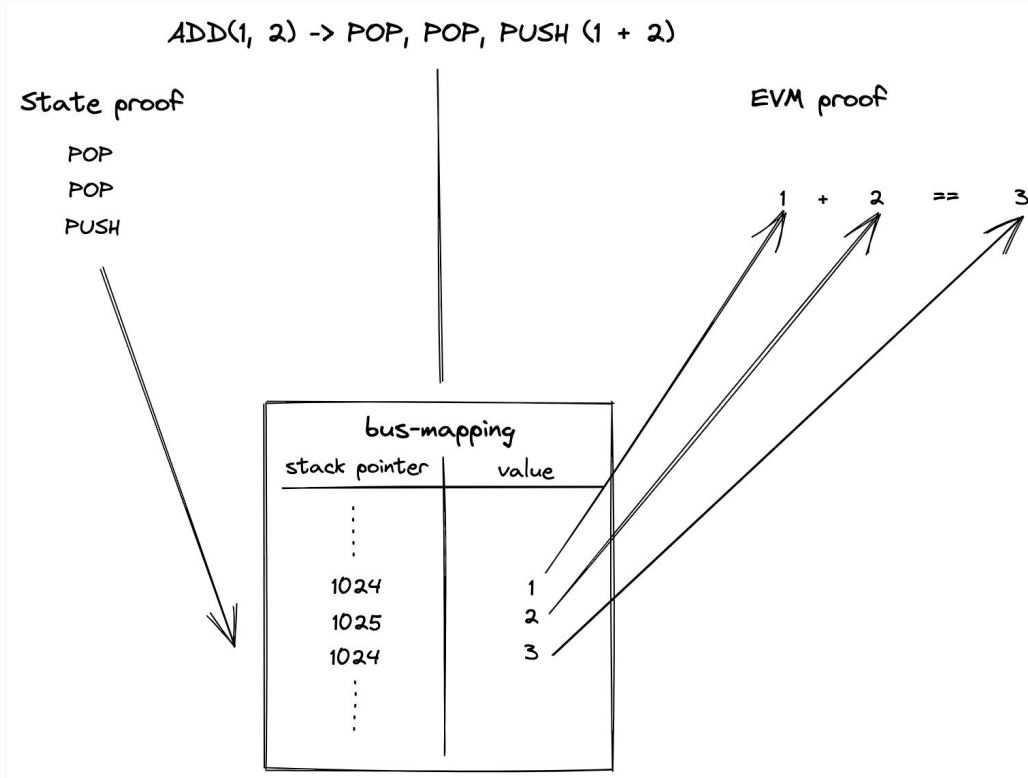
- State proof proves the opcode behaviour (R/W)
- "bus-mapping" is generated during state proof
- In traditional computer Bus is used to transfer data from memory and storage to CPU
- "bus-mapping" is shared to EVM proof

# What zkEVM wants to prove?

- "bus-mapping" is consisted of lookup tables of R/W access records
- State proof does not prove about the execution result
- In EVM proof, prover will lookup the W access of execution result in "bus-mapping"



# What zkEVM wants to prove?



# zkEVM backend - Halo2

- zkEVM uses Halo2 as proving system
- Halo2 uses PLONKish arithmetization
- Halo2 also supports lookup argument

# zkEVM backend - Halo2

| $A$               | $B$               | $C$               | $S$               | $P$               | $Z$               |
|-------------------|-------------------|-------------------|-------------------|-------------------|-------------------|
| $A(\omega^0)$     | $B(\omega^0)$     | $C(\omega^0)$     | $S(\omega^0)$     | $P(\omega^0)$     | $Z(\omega^0)$     |
| $A(\omega^1)$     | $B(\omega^1)$     | $C(\omega^1)$     | $S(\omega^1)$     | $P(\omega^1)$     | $Z(\omega^1)$     |
| $A(\omega^2)$     | $B(\omega^2)$     | $C(\omega^2)$     | $S(\omega^2)$     | $P(\omega^2)$     | $Z(\omega^2)$     |
| $\vdots$          | $\vdots$          | $\vdots$          | $\vdots$          | $\vdots$          | $\vdots$          |
| $A(\omega^{n-3})$ | $B(\omega^{n-3})$ | $C(\omega^{n-3})$ | $S(\omega^{n-3})$ | $P(\omega^{n-3})$ | $Z(\omega^{n-3})$ |
| $A(\omega^{n-2})$ | $B(\omega^{n-2})$ | $C(\omega^{n-2})$ | $S(\omega^{n-2})$ | $P(\omega^{n-2})$ | $Z(\omega^{n-2})$ |
| $A(\omega^{n-1})$ | $B(\omega^{n-1})$ | $C(\omega^{n-1})$ | $S(\omega^{n-1})$ | $P(\omega^{n-1})$ | $Z(\omega^{n-1})$ |

# Q & A