

# Can Complex Collective Behaviour Be Generated Through Randomness, Memory and a Pinch of Luck?

Introduction to Research

MEFT - 2017

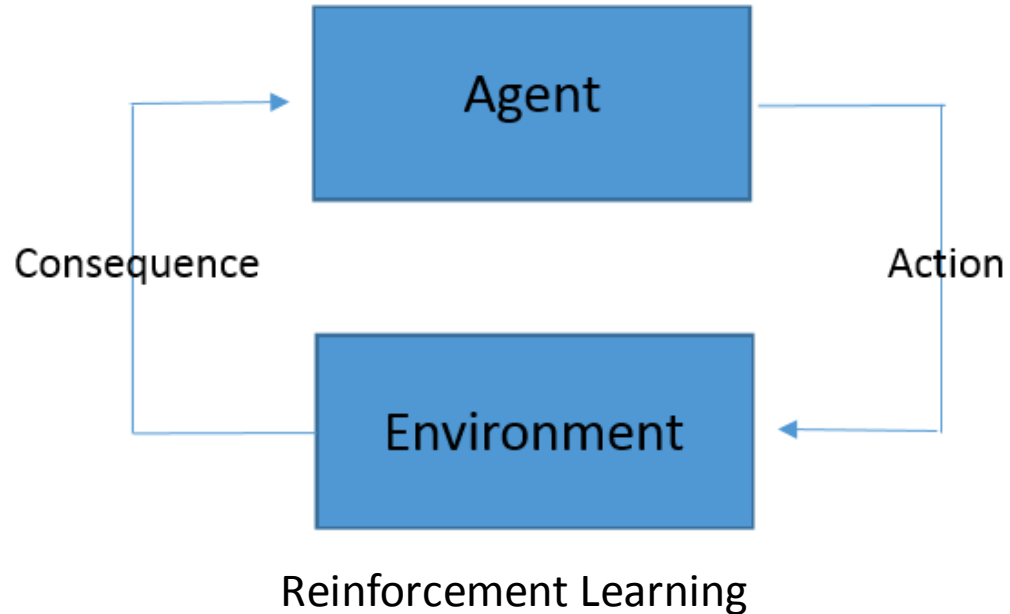
Pedro M. Pereira (N.78889)



# Structure of Presentation

- Motivation
- Setup
- Model
- Results
- Conclusions

# Motivation



NATURE | ARTICLE

日本語要約



## Mastering the game of Go with deep neural networks and tree search

David Silver, Aja Huang, Chris J. Maddison, Arthur Guez, Laurent Sifre, George van den Driessche, Julian Schrittwieser, Ioannis Antonoglou, Veda Panneershelvam, Marc Lanctot, Sander Dieleman, Dominik Grewe, John Nham, Nal Kalchbrenner, Ilya Sutskever, Timothy Lillicrap, Madeleine Leach, Koray Kavukcuoglu, Thore Graepel & Demis Hassabis

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## Playing Atari with Deep Reinforcement Learning

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Volodymyr Mnih   Koray Kavukcuoglu   David Silver   Alex Graves   Ioannis Antonoglou

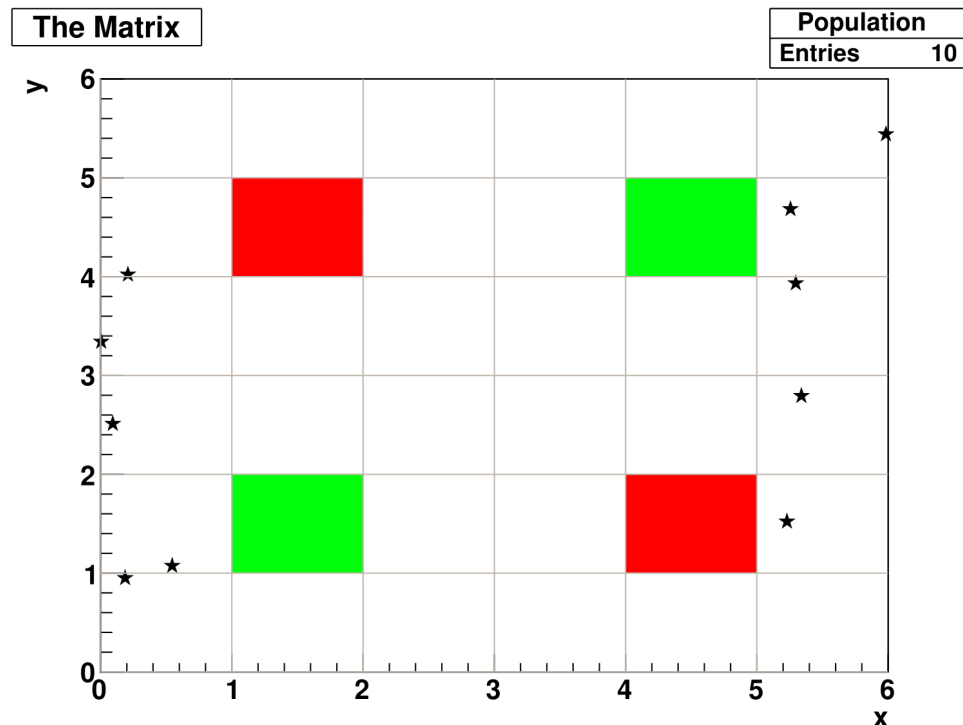
Daan Wierstra   Martin Riedmiller

DeepMind Technologies

"Evolution forged the entirety of sentient life on this planet using only one tool: the mistake." - Dr. Robert Ford, HBO's Westworld

# SETUP

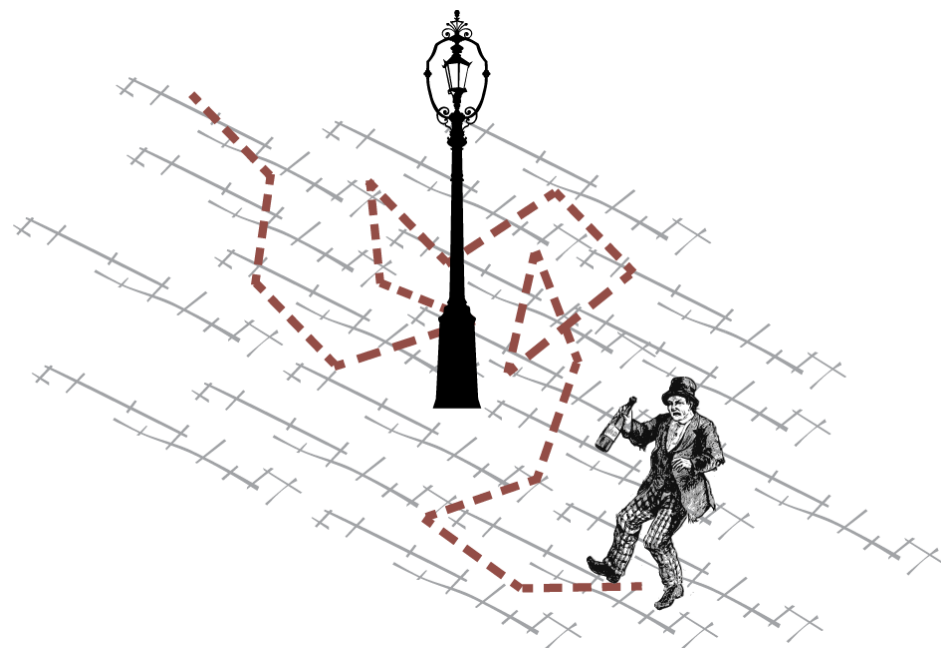
Name	Label	Meaning
Maximum Age	<i>maxage</i>	Number of days a cell can live before dying of "old age"
Maximum Days Without Food	<i>maxswof</i>	Number of days a cell can live without reaching a food site.
Minimum Age for Reproduction	<i>minagerep</i>	Minimum age for a cell to start reproducing.
Daily Food Limit	<i>dailyflimit</i>	Maximum number of cells who can feed on a food site daily.



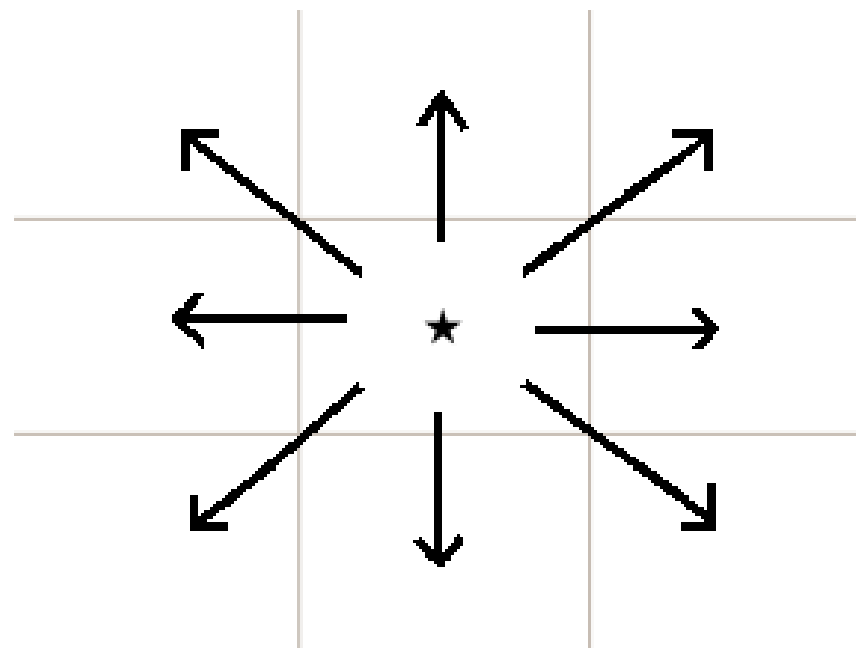
- $L=6$
- $N=10$
- Symmetric population distribution
- symmetric death and food sites distribution

# Model

At  $t=0$  :



Random Walker



Possible Moves

Source: Theoretical Systems  
Biology, Imperial College  
London

# Model

If one cell has many options for reproduction it will choose at random one of the highest generation possible.



If many cells are in the same food site, the ones from higher generations and with lower age have priority to eat.



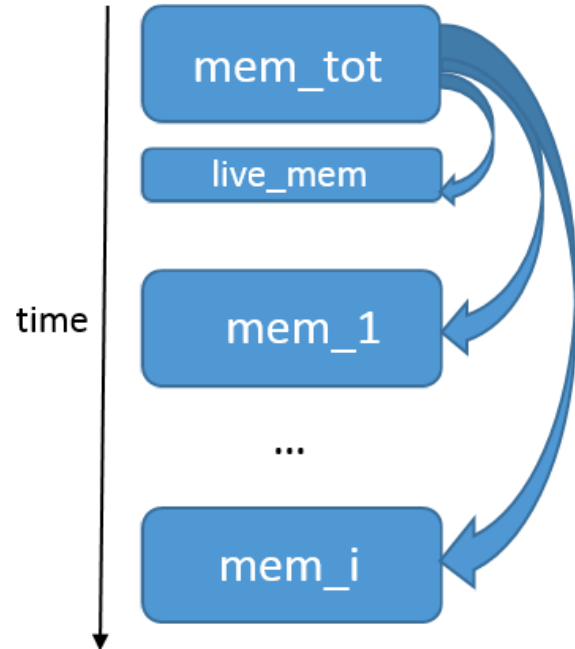
Cells Reproduce

$$gen_C = \max(gen_A, gen_B) + 1$$

Replication of  
what  
happens in  
nature.

Source: National  
Geographic Magazine

# Model



Time Evolution of Memory  
Creation

## Weights

Death Event in P

- $6 \times P$

Feeding Event in P

- $0 \times P$
- $1 \times P-1$
- $2 \times \text{NOT}(P \text{ AND } P-1)$

live\_mem

Effect of Communication is not  
negligible for generation 0

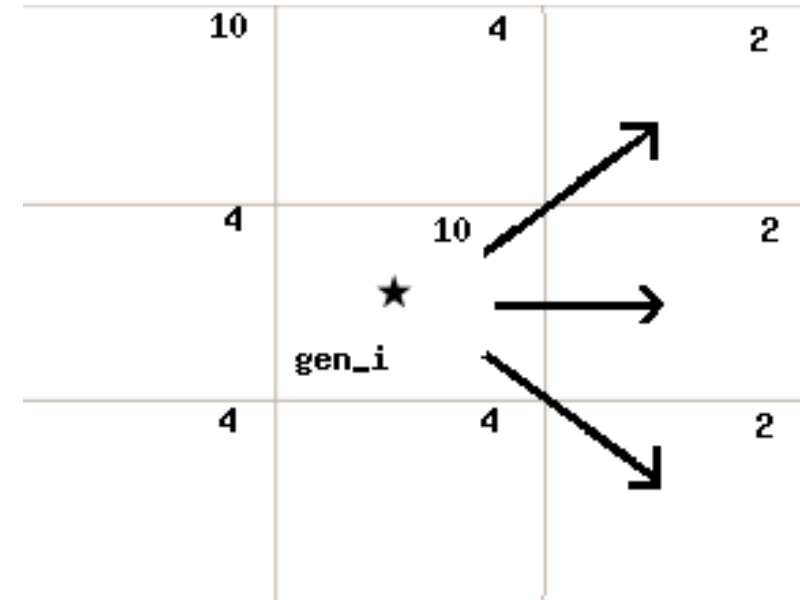
```
mem_4.txt x
4,0
4,0
4,1
4,1
4,2
4,2
4,3
4,5
```

Part of the memory from a  
generation 4

# Model

$$P_{moving}(s) = \begin{cases} P_i & , w_{tot} = 0 \\ P_i \cdot e^{(P_i - \frac{w(s)}{w_{tot}})} & , w_{tot} > 0 \end{cases}$$

- Depends on the ratio of the weight of  $s$  with the total sum of weights in the available sites!
- Can be bigger than  $P_i$  !



Available moves with  
Memory



# Model

Can Somebody die of hunger in a food Site?  
No... Unless the food site becomes saturated!  
(because of dailyflimit)

After this happens, different information is stored for a certain food site  $P'$  :

Death Event in  $P'$

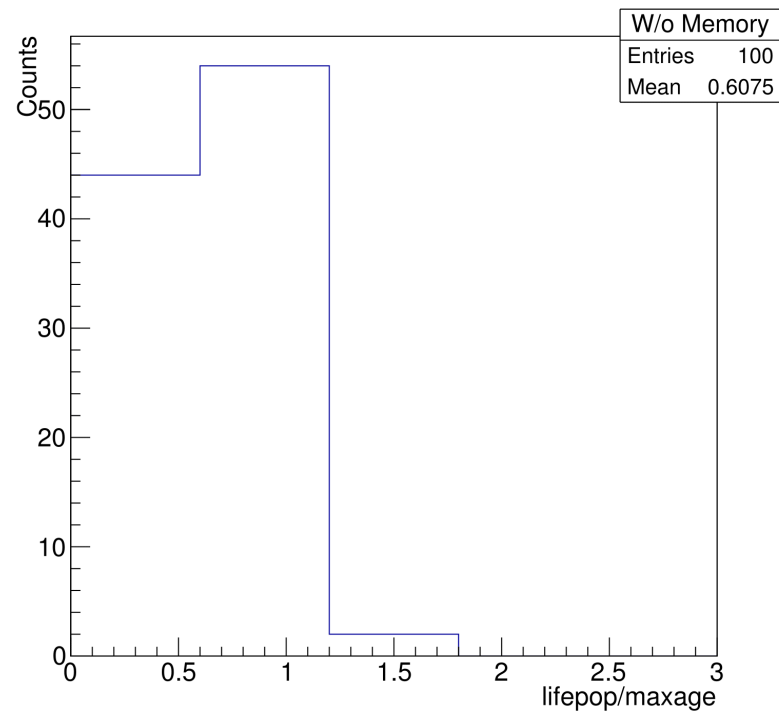
- $6 \times P'$

Feeding Event in  $P'$

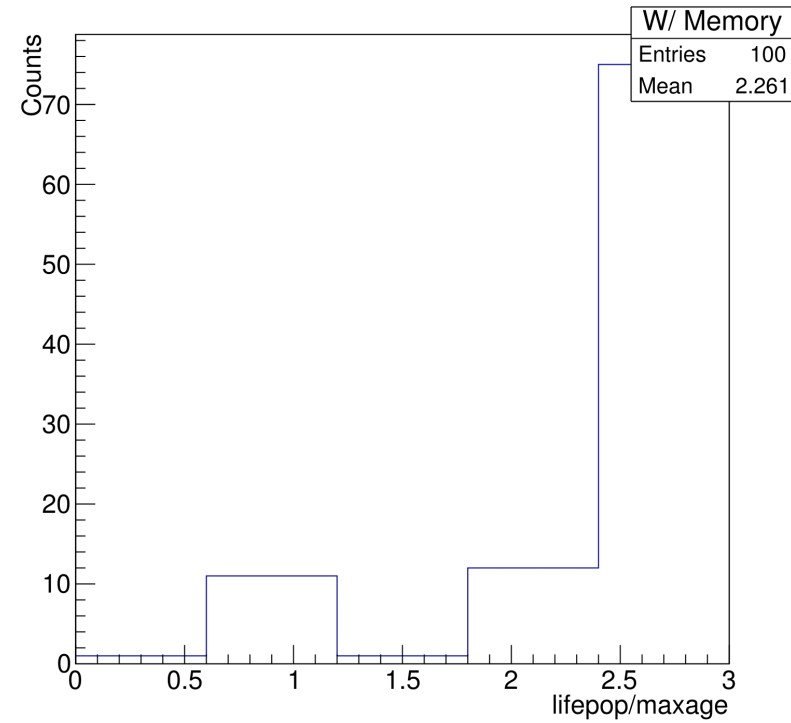
- $0 \times P'$
- $2 \times P' - 1$
- $1 \times \text{NOT}(P' \text{ AND } P' - 1)$

- This 'Inversion' occurs when weight of  $P'$  equals the weight of the nearby sites - Population reaches  $Neq$  (Equilibrium Population Number).
- Reverts to the old weights if Population Number gets below the  $Neq$ .

# Results

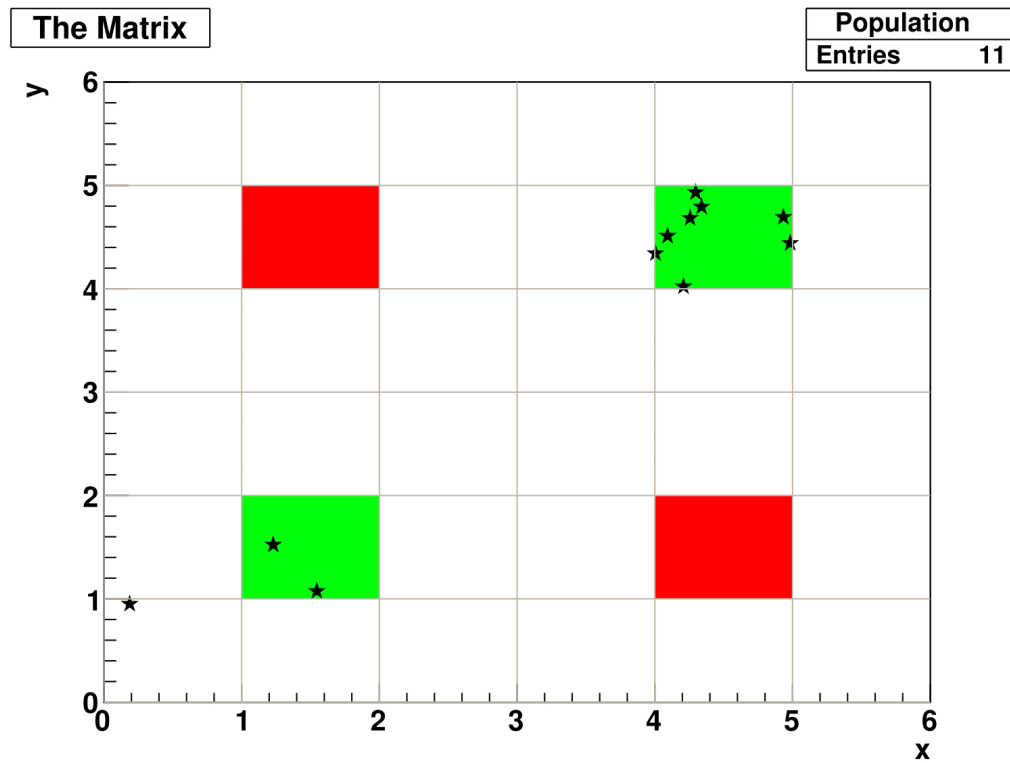


Pure Random Walker

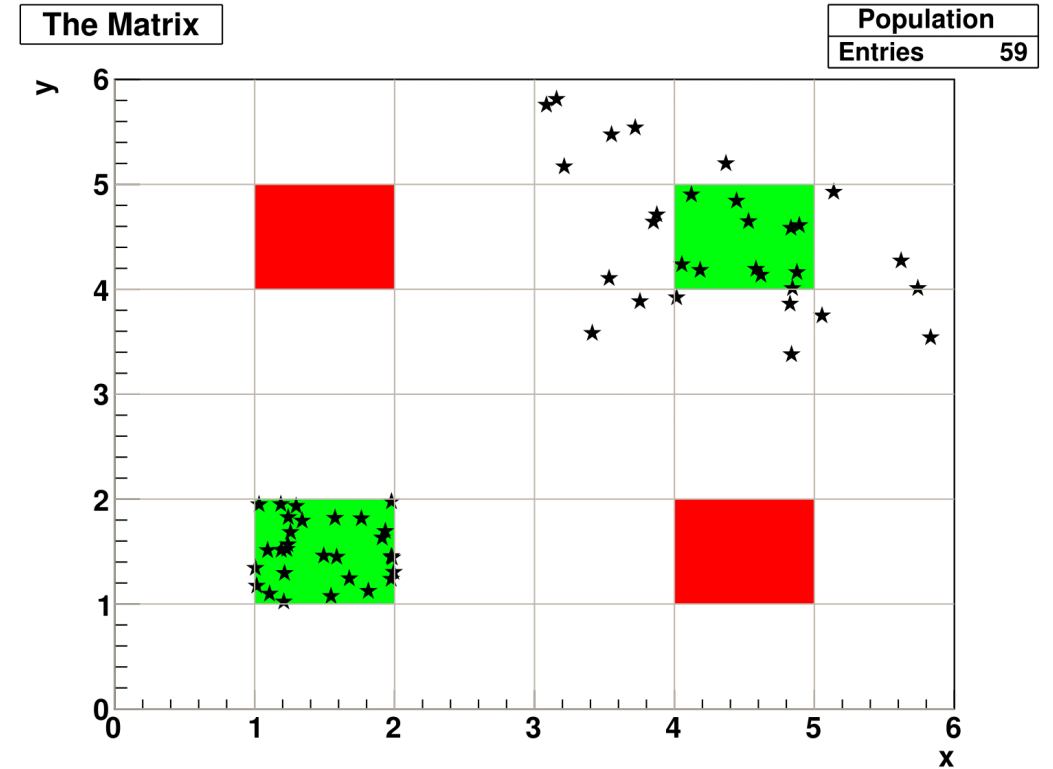


Model With Memory

# Results – 'Lucky' evolution

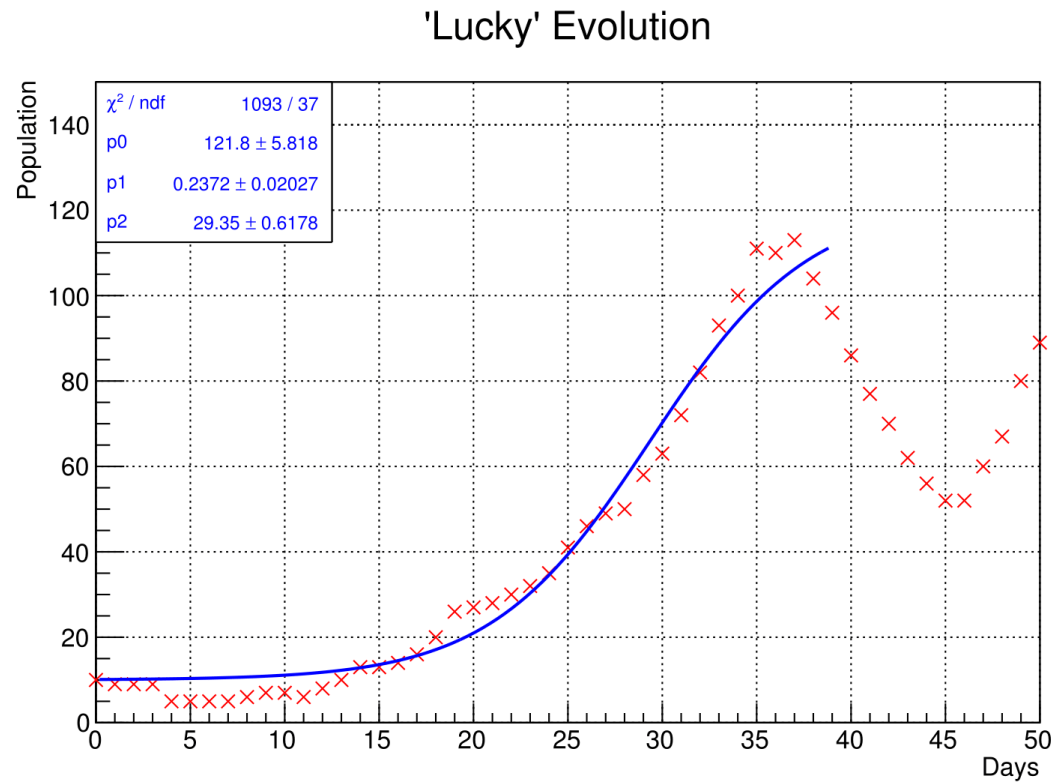


Day 5



Day 99

# Results – 'Lucky' fit to logistic function



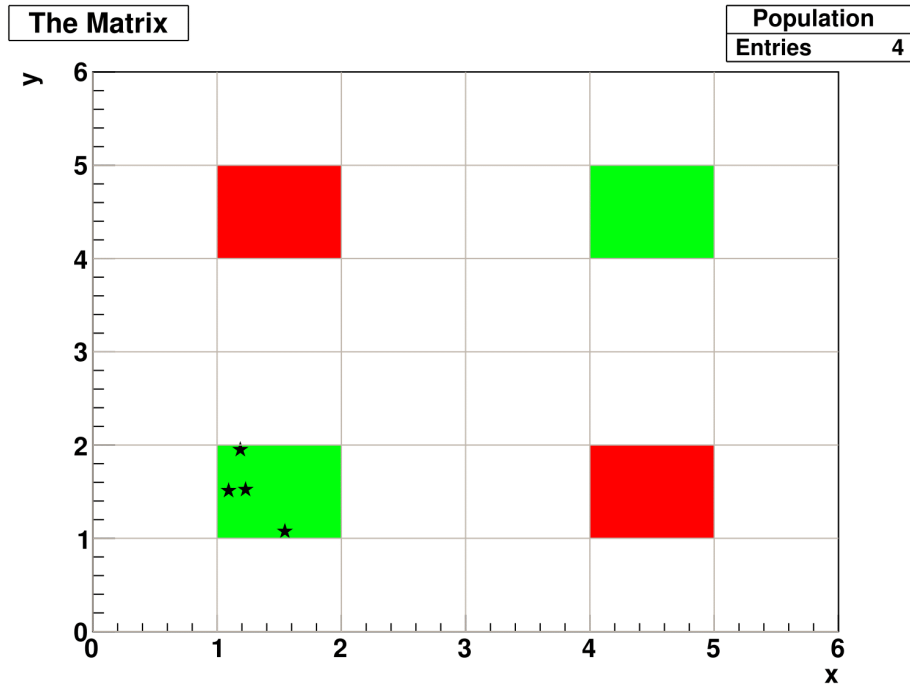
$$N(d) = N_i + \frac{N_{eq} - N_i}{1 + e^{-k(d-d_0)}}$$

p0=Neq

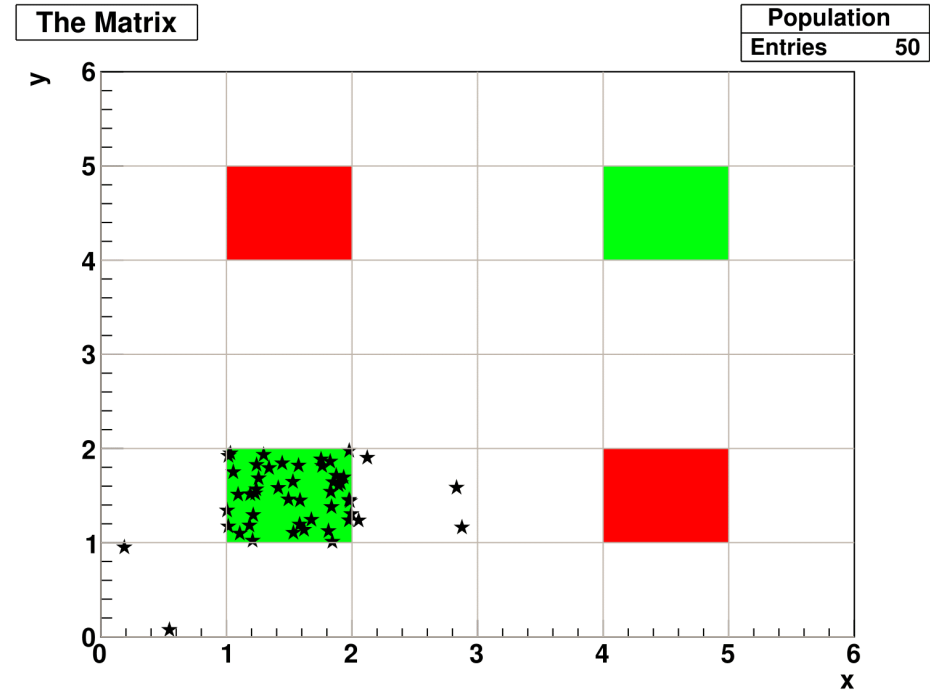
p1=k

p2=d

# Results – 'Adventurous' evolution I

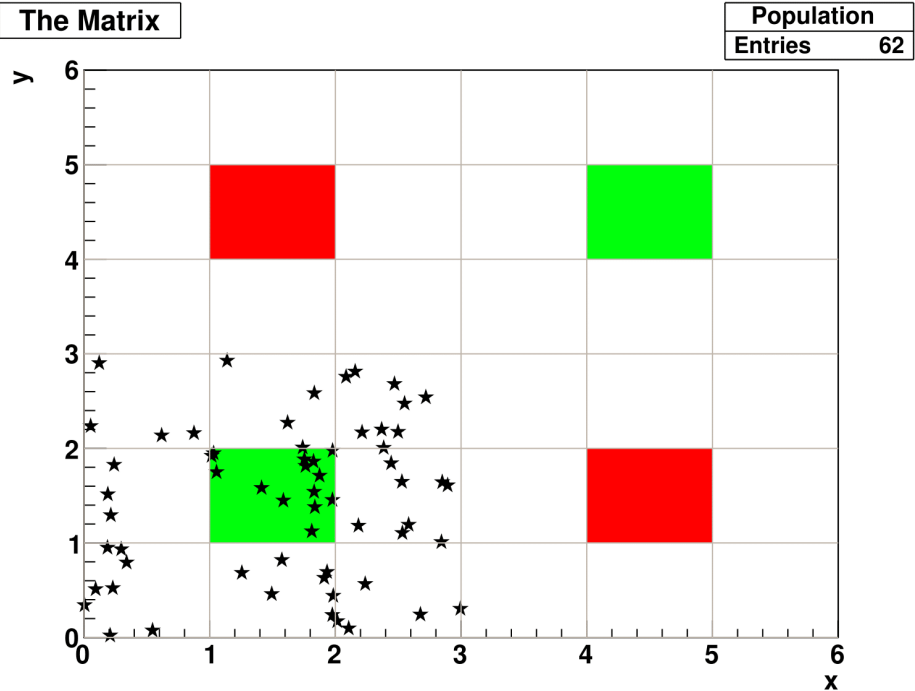


Day 4

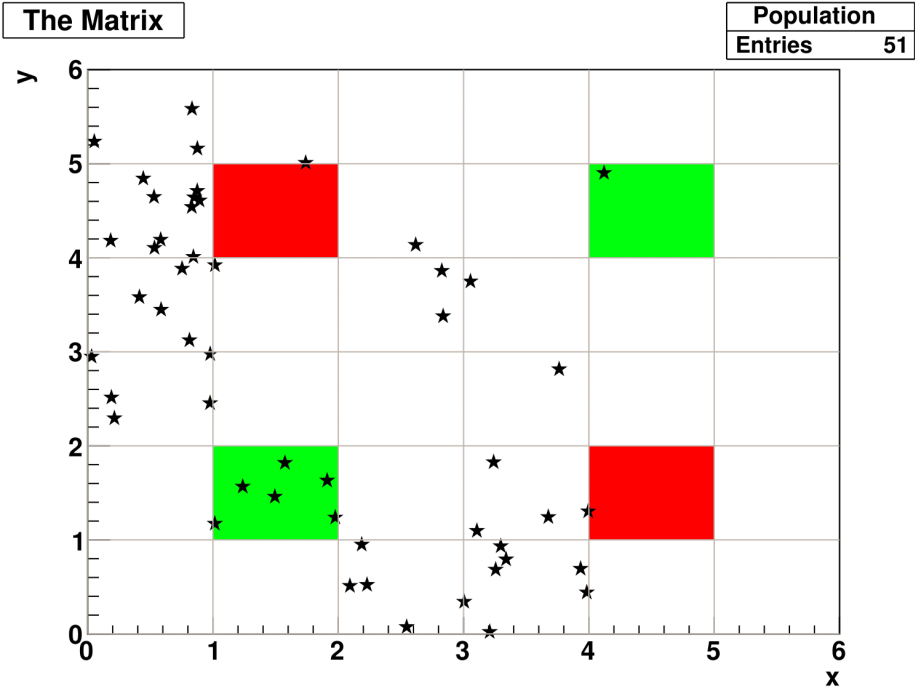


Day 18

# RESULTS – 'ADVENTUROUS' EVOLUTION II

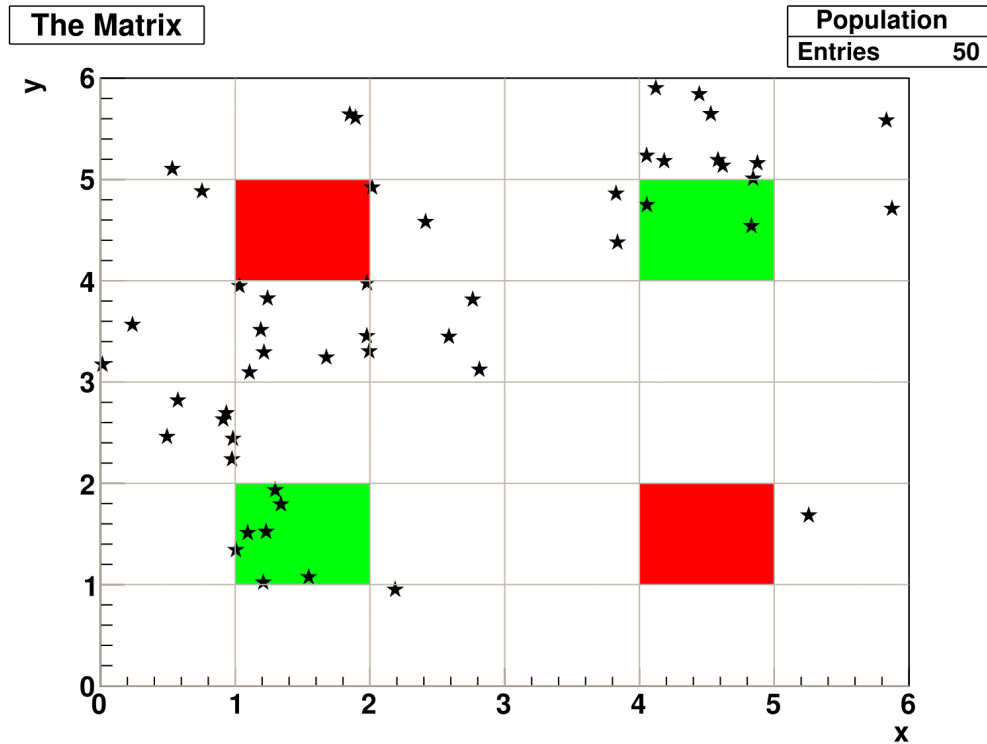


Day 23

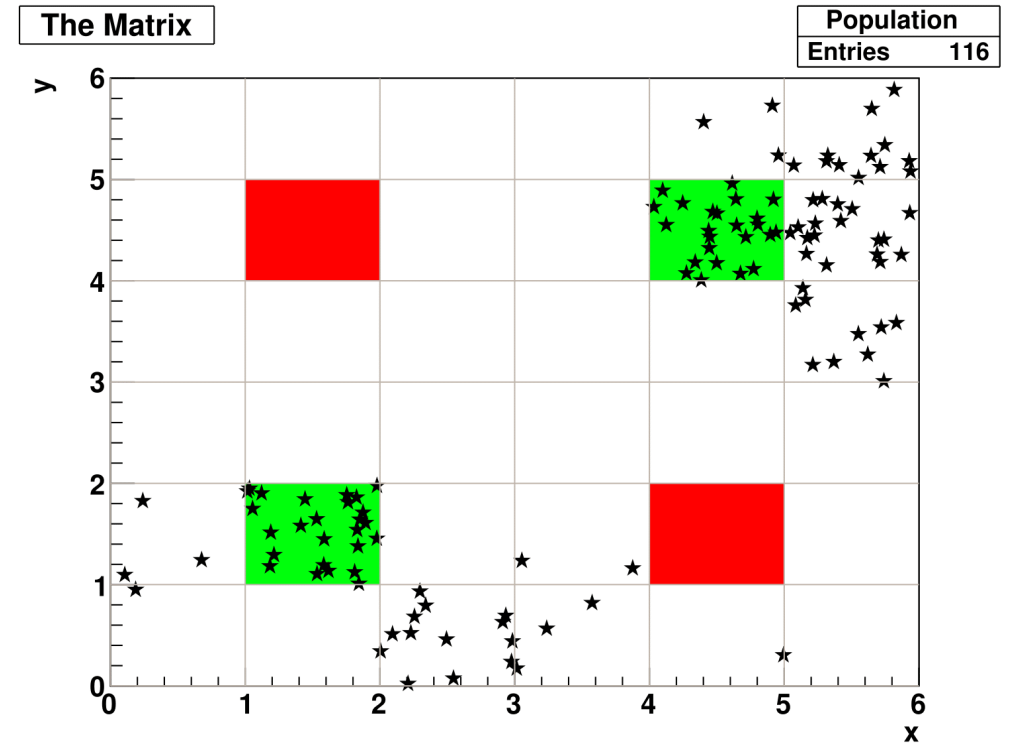


Day 45

# RESULTS – 'ADVENTUROUS' EVOLUTION III

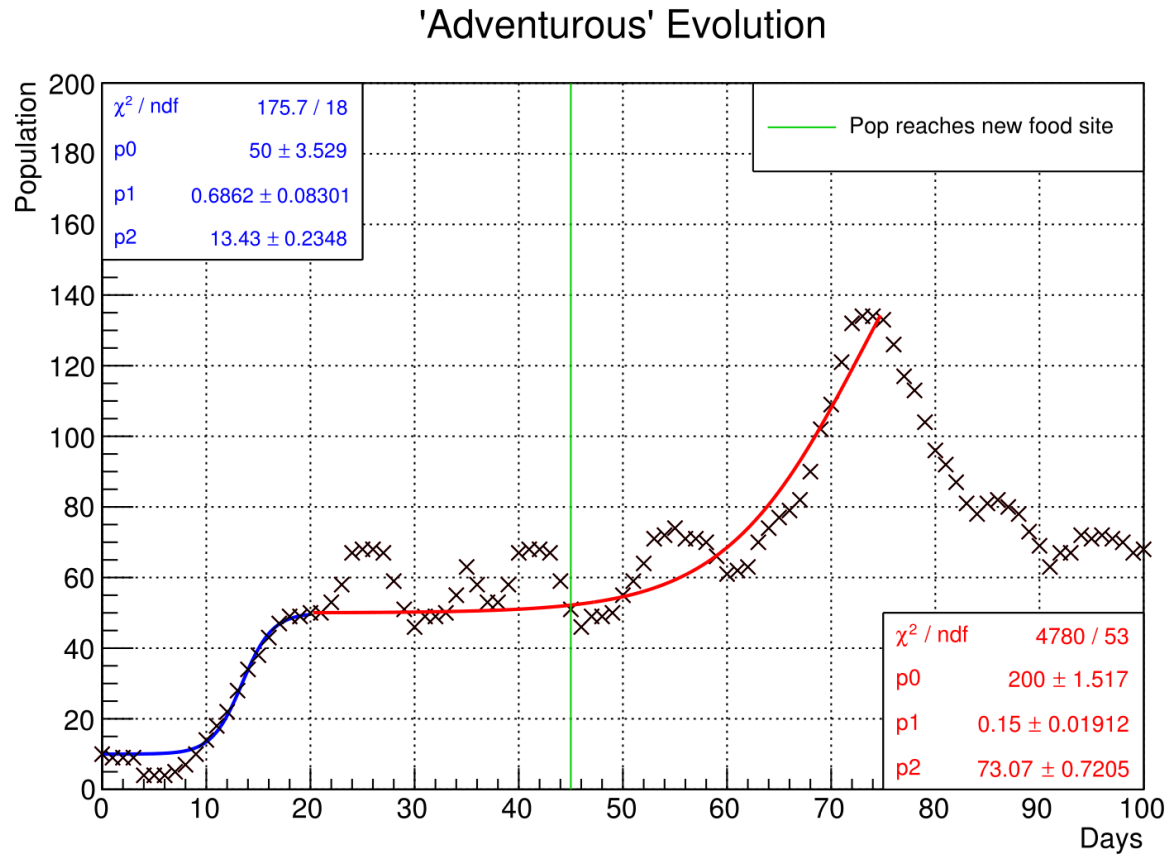


Day 51



Day 70

# Results – 'Adventurous' fit to logistic function



$$N(d) = N_i + \frac{N_{eq} - N_i}{1 + e^{-k(d-d_0)}}$$

p0=Neq

p1=k

p2=d0

Ni=10 for Blue

Ni=50 for Red



# Conclusions

- The model fulfilled its purpose of generating interesting collective behaviour having only three available tools: initial randomness, memory of deaths and good zones and a tuning of the initial conditions.

# Conclusions

The breakthroughs that distinguished the memoryless case from the 'intelligent' one were:

- The correct definition of the probability distribution;
- Gifting generation 0 with a live memory that emulates their only way of sharing information – communication.
- Redefinition of the weights given in an eating event when food source saturates.

# Conclusions

- Obvious improvement: Introducing mutations - randomly generated information added to the memory of some generations that can contribute in a good or bad way to the development.
- Interesting test: Introducing a concurrent population with a different mem\_tot and observe if both populations tend to merge and add their memories.

# Conclusions

- This model can be compared to the behaviour of unicellular organisms but also of humans around major cities, correctly predicting their migration when deaths start to increase abruptly (war zones and/or zones with a food shortage).

## **Megacities, not nations, are the world's dominant, enduring social structures**



Source: Quartz  
(qz.com)

The end

