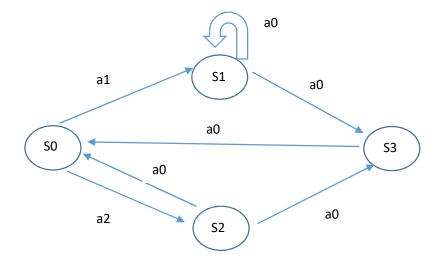
ROB311 - TP2 – 21 Septembre 2020



In the figure above, the states are depicted by circles (S0, S1, S2, and S3) and the associated actions are indicated on the arrows: a0, a1, and a2. The transition functions for all the actions are shown below.

Each of the parameters x and y are in the interval [0, 1], and the discounted factor $\gamma \in [0,1)$

The reward is:

$$R(s) = \begin{cases} 10, for state S3\\ 1, for state S2\\ 0, otherwise \end{cases}$$

Question 1:

Enumerate all the possible policies

Question 2:

Write the equation for each optimal value function for each state

$$(V^*(s0), V^*(s1), V^*(s2), V^*(s3))$$

Reminder:

$$V^{*}(S) = R(s) + \max_{a} \gamma \sum_{S'} T(S, a, S') V^{*}(S')$$

Question 3:

Is there exist a value for x, that for all $\gamma \in [0,1)$, and $y \in [0,1]$, $\pi^*(s0) = a2$. Justify your answer.

Reminder:

$$\pi^*(s) = \arg\max_{a} \sum_{S'} T(S, a, S') V^*(S')$$

Question 4:

Is there exist a value for y, that for all x > 0, and $y \in [0,1]$, $\pi^*(s0) = a1$. Justify your answer.

Question 5:

Using x=y=0.25 and γ = 0.9 , calculate the π^* and V^* for all states.

Implement value iteration.