

# NTRU+

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## Abstract

In this section, ..

**Keywords:** Post Quantum Signature, Pseudorandom Generator

## 1 Introduction

**Definition 1.1** (RLWE problem). Let  $n, q, p$  be positive integers such that  $q > p$ . Let  $\mathcal{R}_q$  and  $\mathcal{R}_p$  be polynomial rings constructed by  $\Phi_{3n}(x)$ , and  $\mathcal{D}_s$  be a distribution over  $\mathcal{R}_q$ . A decisional RLWR *problem*  $\text{RLWR}_{n,1,q,p}(\Phi_{3n})$  is to distinguish uniformly random  $(a, u) \in \mathcal{R}_q \times \mathcal{R}_p$  and

$(a, b = \frac{p}{q}a \cdot s) \in \mathcal{R}_q \times \mathcal{R}_p$  where  $s$  is sampled from  $\mathcal{D}_s$ . Then, the advantage of an adversary  $\mathcal{A}$  in solving the decisional RLWR problem  $\text{RLWR}_{n,1,q,p}(\mathcal{D}_s)$  is defined as follows:

$$\mathcal{RLWR}_{n,1,q,p}(\mathcal{A}) = \Pr[\mathcal{A}(a, b) = 1] - \Pr[\mathcal{A}(a, u) = 1].$$

## 2 Base Encryption Scheme

**KeyGen:**

- $f' \leftarrow \mathcal{R}$
- $f = 3f' + 1$
- if  $f$  is not invertible in  $R_q$ , restart
- $g \leftarrow \mathcal{R}$
- $h = 3g/f$
- **return**( $sk = f, pk = h$ )

**Encrypt:**

- $c = hr + m$

**Decrypt:**

- $m = (cf \bmod^{\pm} q) \bmod^{\pm} 3$

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