

# Assignment 3

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Download all python codes from

[https://github.com/pranav-159/ai1103\\_Probability\\_and\\_Random\\_variables/blob/main/Assignment\\_3/codes/experimental\\_verification\\_gate46.py](https://github.com/pranav-159/ai1103_Probability_and_Random_variables/blob/main/Assignment_3/codes/experimental_verification_gate46.py)

and latex-tikz codes from

[https://github.com/pranav-159/ai1103\\_Probability\\_and\\_Random\\_variables/blob/main/Assignment\\_3/Assignment3.tex](https://github.com/pranav-159/ai1103_Probability_and_Random_variables/blob/main/Assignment_3/Assignment3.tex)

## 1 PROBLEM(GATE46)

Consider the random process

$$X(t) = U + Vt,$$

where  $U$  is a zero-mean Gaussian random variable and  $V$  is a random variable distributed between 0 and 2. Assume that  $U$  and  $V$  are statistically independent. The mean value of the random process at  $t=2$  is.....

## 2 SOLUTION(GATE46)

Here  $U$  is a gaussian random variable of mean 0 and Let us consider  $V$  is uniformly distributed random variable in  $(0, 2)$ .

Random Variable	U	V	X(t)
Expected Value	0	1	$0+t*1$

$$E(X(t)) = E(U + Vt) \quad (2.0.1)$$

$$E(X(2)) = E(U + V * 2) \quad (2.0.2)$$

$$E(X(2)) = E(U) + 2 * E(V) \quad (2.0.3)$$

$$E(X(2)) = 0 + 2 * 1 \quad (2.0.4)$$

$$E(X(2)) = 2 \quad (2.0.5)$$

$\therefore$  mean of random process  $X(t)$  at 2 is 2.