

$$\frac{95 \times 1920}{95 \times 1080} = \frac{100}{x}$$

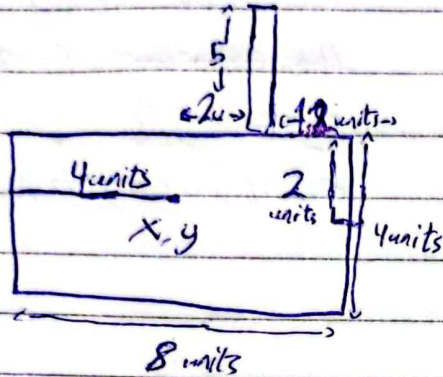
$$x = 56,25$$

player:



actions:

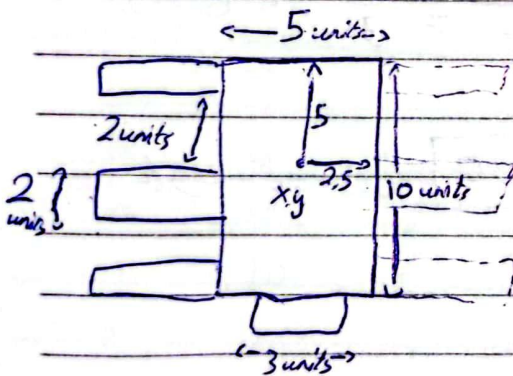
- move
- rotate
- shoot



Enemy

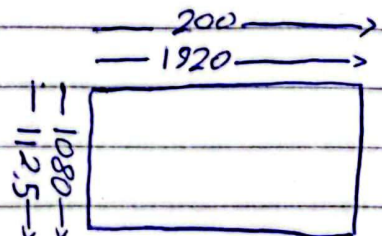


actions: - move



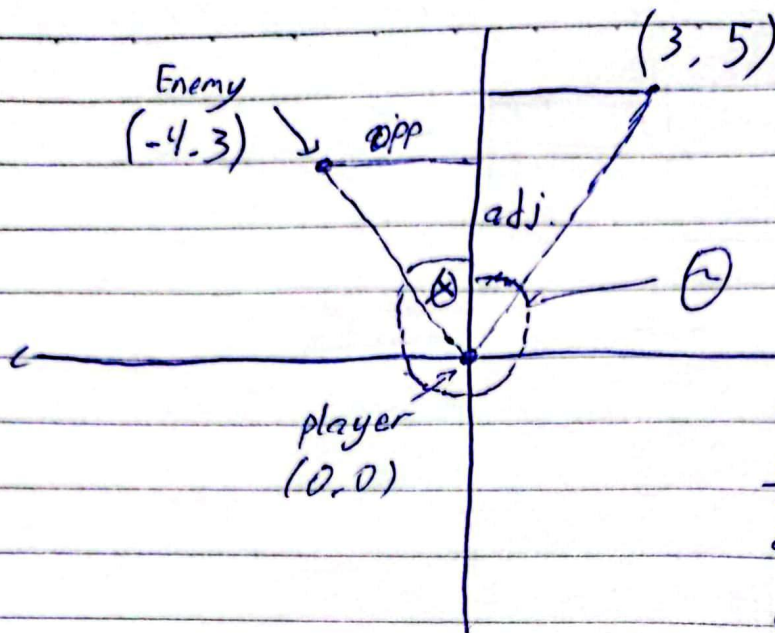
Converting from Local coordinates to world coordinates

$$\therefore \frac{200}{1920} = \frac{112,5}{1080} = \frac{\text{World coordinates}}{\text{Local coordinates}}$$



$$\text{Word coordinates} = \frac{(200 \times \text{Local coordinate})}{1920}$$

"Assuming machine resolution is 1920×1080 "



we DON'T need the angle inside the right triangle

But we NEED the exterior of that angle $360 - (\text{that angle})$ or it's negative

$$\therefore \tan(\theta) = \frac{\text{opposite}}{\text{adjacent}} \neq$$

$$\therefore \text{opposite} = x_{\text{player}} - x_{\text{enemy}} \quad \& \quad \text{adjacent} = y_{\text{enemy}} - y_{\text{player}}$$

$$\therefore \tan(\theta) = \frac{x_{\text{player}} - x_{\text{enemy}}}{y_{\text{enemy}} - y_{\text{player}}} = \frac{0 - -4}{3 - 0} = \frac{4}{3} \quad \therefore \theta = 53^\circ$$

$$\tan \theta = \frac{0 - 3}{5 - 0} = \frac{-3}{5} \quad \therefore \theta = \boxed{-30} \text{ desired angle}$$