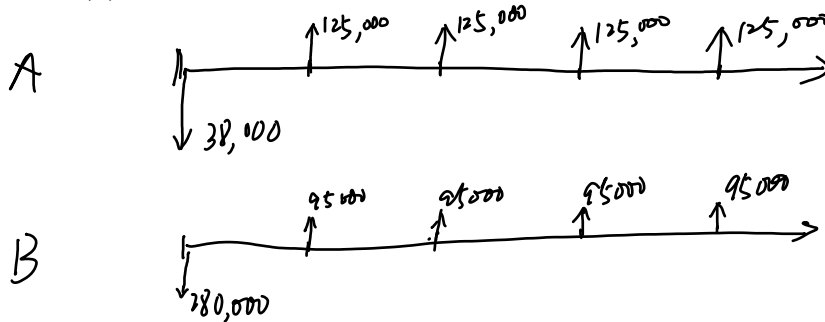


**Instructions:**

*Please attempt every problem. You must support every solution with an appropriate amount of work and/or description. Unsupported answers may receive a score of 0. Good luck!*

1. (14 pts) The engineering team at Manuel's Manufacturing, Inc., is planning to purchase an enterprise resource planning (ERP) system. The software and installation from Vendor A costs \$380,000 initially and is expected to increase revenue \$125,000 per year every year. The software and installation from Vendor B costs \$280,000 and is expected to increase revenue \$95,000 per year. Manuel's uses a 4-year planning horizon and a 10% per year MARR.

- (a) What is the present worth of each investment?



The present worth of alternative A is

$$PW_A = -380000 + 125000 \left[ \frac{(1 + 0.1)^4 - 1}{0.1 \times (1 + 0.1)^4} \right] = 16233.1808.$$

+5

The present worth of alternative B is

$$PW_B = -280000 + 95000 \times \left[ \frac{(1 + 0.1)^4 - 1}{0.1 \times (1 + 0.1)^4} \right] = 21137.2174.$$

+5

- (b) What is the decision rule for determining the preferred investment based on present worth ranking?

We choose the alternative with the largest present worth.

+2

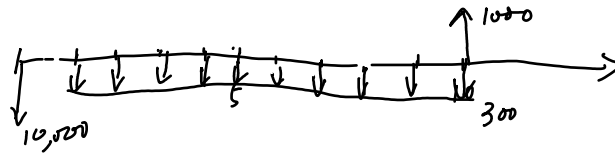
(c) Which ERP system should Manuel purchase?

Since  $PW_B$  is the largest, Manuel should purchase ERP system from Vendor B. +2

2. (14 pts) DelRay Foods must purchase a new gumbdrop machine. Two machines are available. Machine 7745 has a first cost of \$10,000, an estimated life of 10 years, a salvage value of \$1,000, and annual operating costs estimated at \$0.01 per 1,000 gumbdrops. Machine A37Y has a first cost of \$8,000, a life of 10 years, and no salvage value. Its annual operating costs will be \$300 regardless of the number of gumbdrops produced. MARR is 6%/year, and 30 million gumbdrops are produced each year.

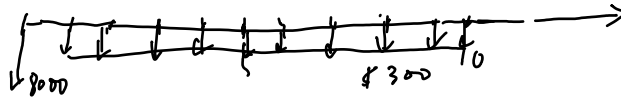
(a) What is the present worth of each machine?

M 7745



$$\frac{30,000,000}{1,000} \times 0.01$$

300



The present worth of Machine 7745 is

$$PW_1 = -10000 - \frac{30,000,000}{1000} \times 0.01 \times \left[ \frac{(1 + 0.06)^{10} - 1}{0.06 \times (1 + 0.06)^{10}} \right] + 1000 \times (1 + 0.06)^{-10}$$

$$= -11649.6313.$$

+5

The present worth of Machine A37Y is

$$PW_2 = -8000 - 300 \times \left[ \frac{(1 + 0.06)^{10} - 1}{0.06 \times (1 + 0.06)^{10}} \right] = -10208.0261.$$

+5

(b) What is the decision rule for determining the preferred machine based on present worth ranking?

We choose the alternative with the largest present worth. +2

(c) Which machine should be recommended?

Since  $PW_2 > PW_1$ , Machine A37X should be recommended. +2