



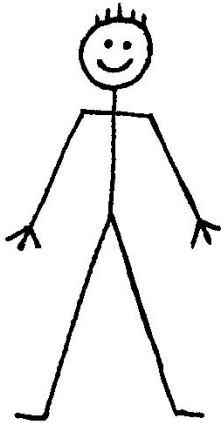
# Exploiting problem symmetry for faster quantum machine learning

F. Mrcarica, M. Hanisch, P. Uriarte Vicani, V. Mohr

## The team:

# CQC

Filip M.



Maurice H.



Paul U. V.

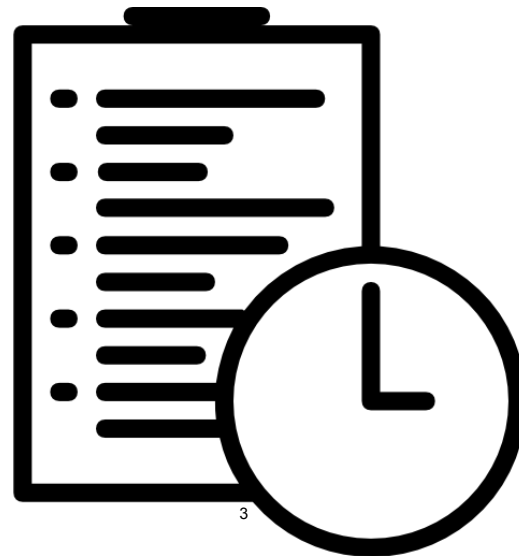


Vinícius M.



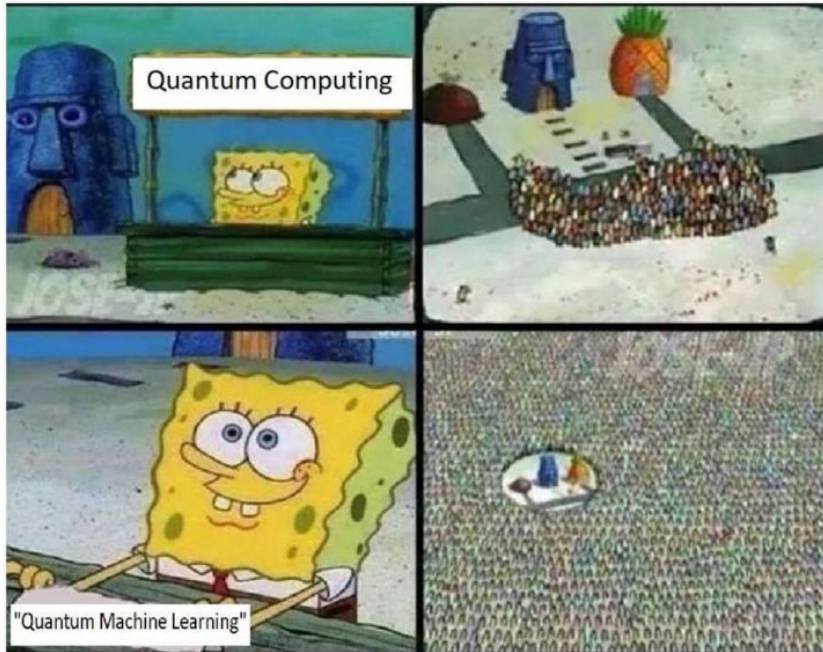
# Agenda

- Introduction/Background
- Tic-Tac-Toe problem
- Results & Layering
- Practical application: Maze
- Conclusion



# Introduction/Background

## Quantum machine learning summarized:



Source: Arthur Pesah,  
<https://arthurpesah.me/assets/pdf/qml-talk-vannes-2020.pdf>

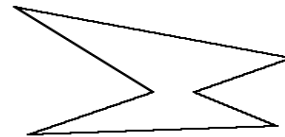
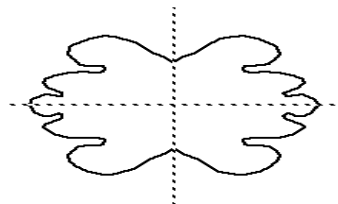
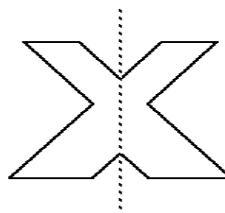
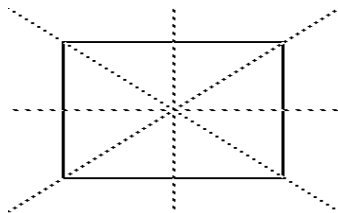
# Introduction/Background

## Symmetries:

-Usual in **physics**.

-For **ML**:

- 1) Reduce the number of parameters: **Expressivity** (less overfitting, still in right solution space)
- 2) Fewer data to achieve better validation err.: **Generalization**

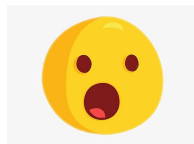


# Introduction/Background

## What we did:

- **Analyzed paper** that showed accuracy increase through use of symmetry ✓

- **Simulated Q. ML** with our laptops

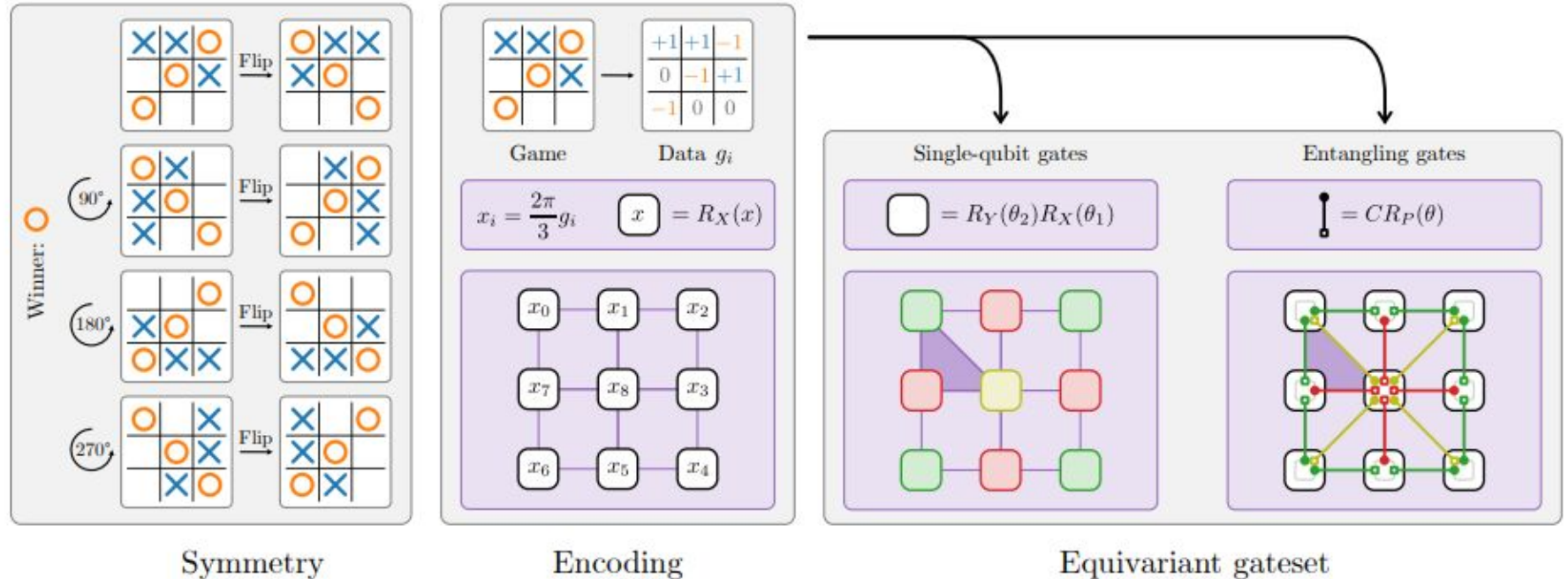


- Showed **symmetry advantage** for completely **new**, very **generalizable** problem

- **Learned a lot!**



# Tic-Tac-Toe: Classification Problem

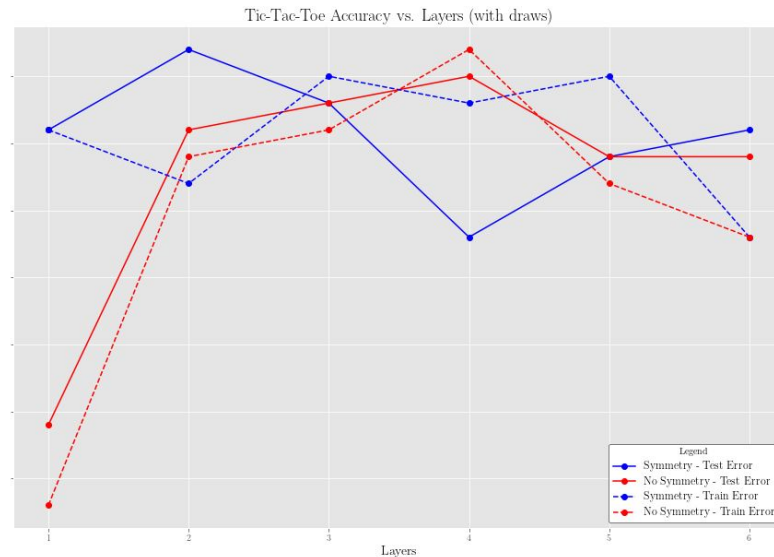
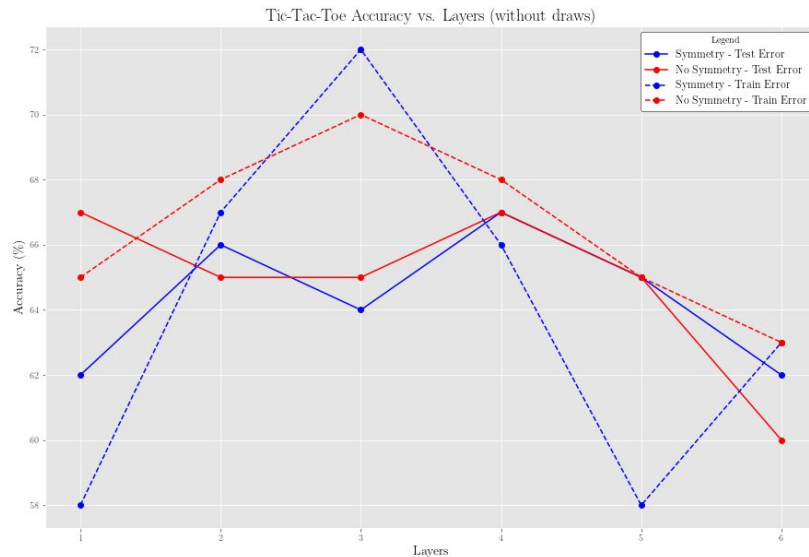


## Tic-Tac-Toe: Classification accuracy for simple optimization algorithm with one layer

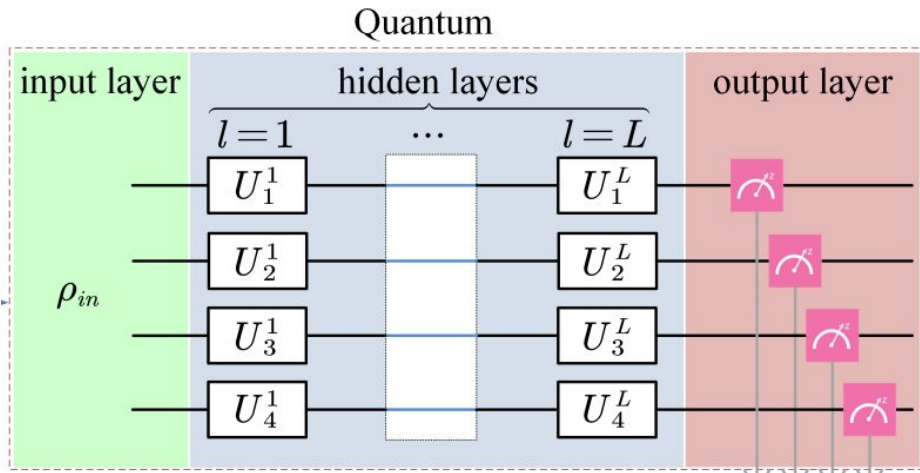
	No draws	Draws
Symmetries	62 % Test / 58 % Train	43 % Test / 43 % Train
No Symmetries	67 % Test / 65 % Train	32 % Test / 29 % Train



# Tic-Tac-Toe: Accuracy for additional layers



## Potential Problems with layering: More Parameters to fit



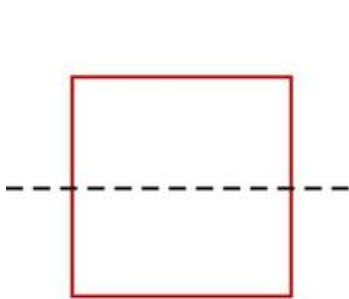
- More calculations to execute
- Lose generalization
- More risk of overfitting
- More gates to execute  
→ Can lead to more noise

# Practical Application: Can you use Quantum Machine Learning to escape a maze?

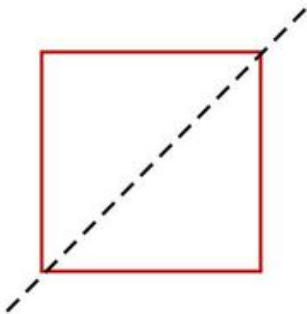


## Practical Application: Can you use Quantum Machine Learning to escape a maze?

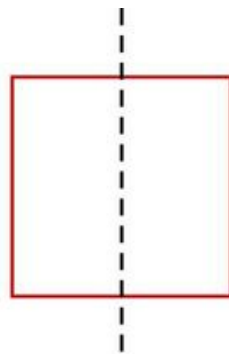
Answer: **Yes!** But using **symmetries** even better!



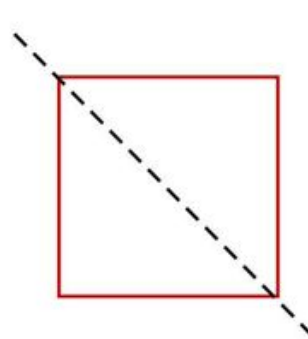
M1 reflection



M2 reflection



M3 reflection



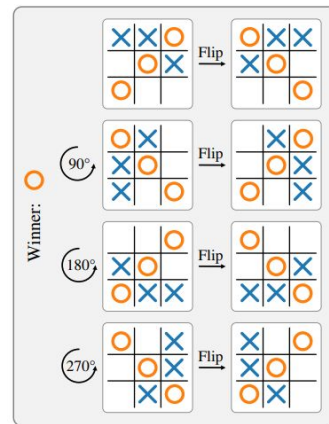
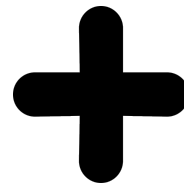
M4 reflection

# Practical Application: Can you use Quantum Machine Learning to escape a maze?

Verity AG: ETH Spin-off

## Why a maze?

- Great **generalization**
- With **same symmetry** group as TTT (Dihedral D4)
- **Scalability** (not like TTT)

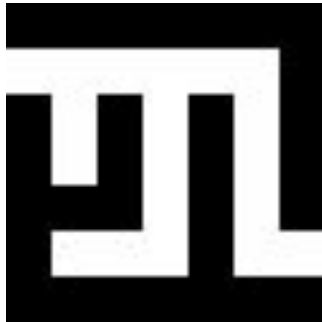


# Practical Application: Can you use Quantum Machine Learning to escape a maze?

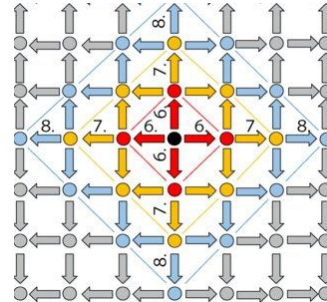
How did we do it?

- Classical **Generation**:

All possible combinations



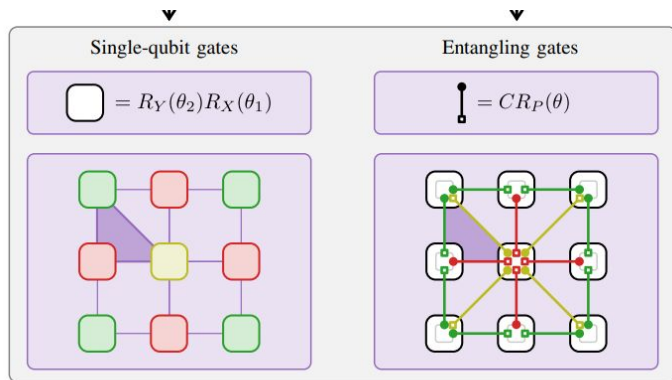
Check: Iterative steps



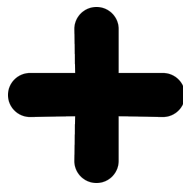
# Practical Application: Can you use Quantum Machine Learning to escape a maze?

How did we do it?

- Quantum **Simulation**:

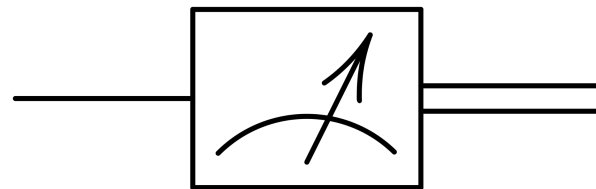


Equivariant gateset



Single qubit measurement

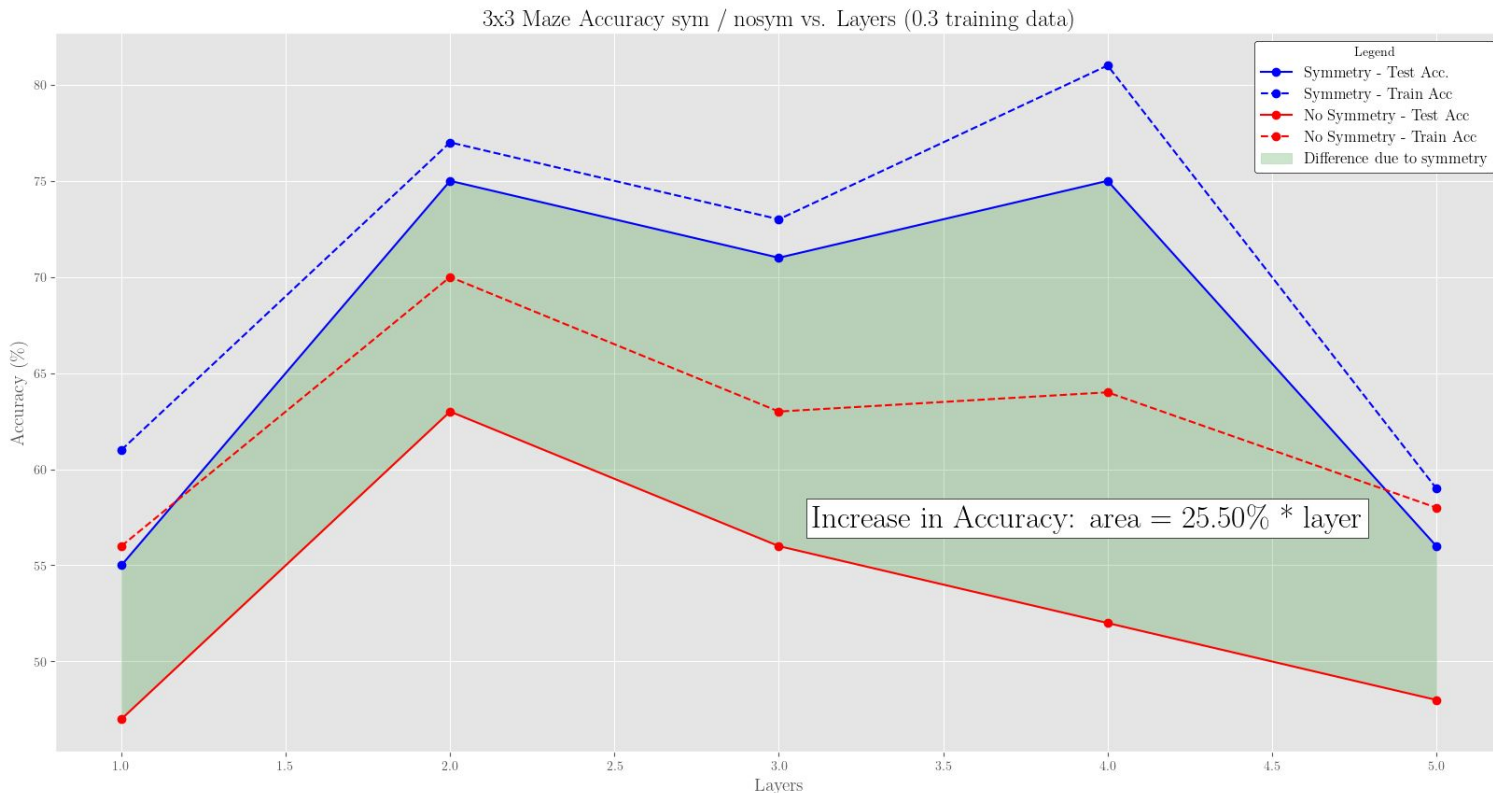
$$y = (\langle Z_8 \rangle + 1)/2$$



# Practical Application: Can you use Quantum Machine Learning to escape a maze?

**Results!!**

Significant  
increase in  
accuracy using  
symmetries

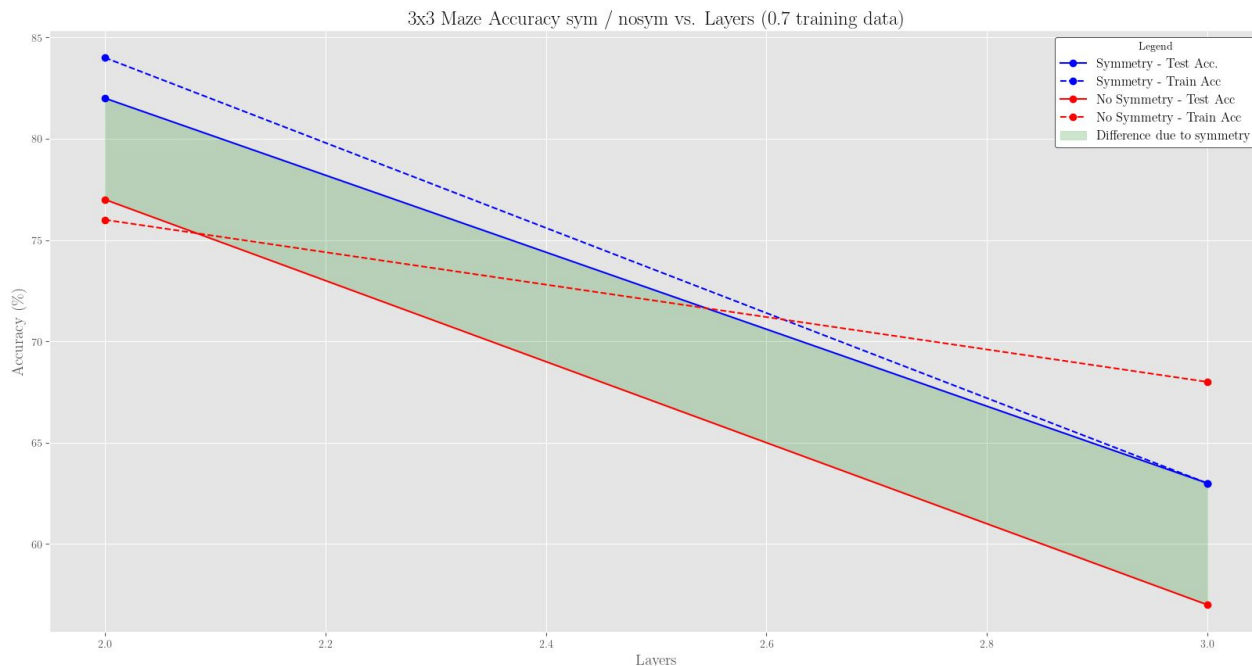




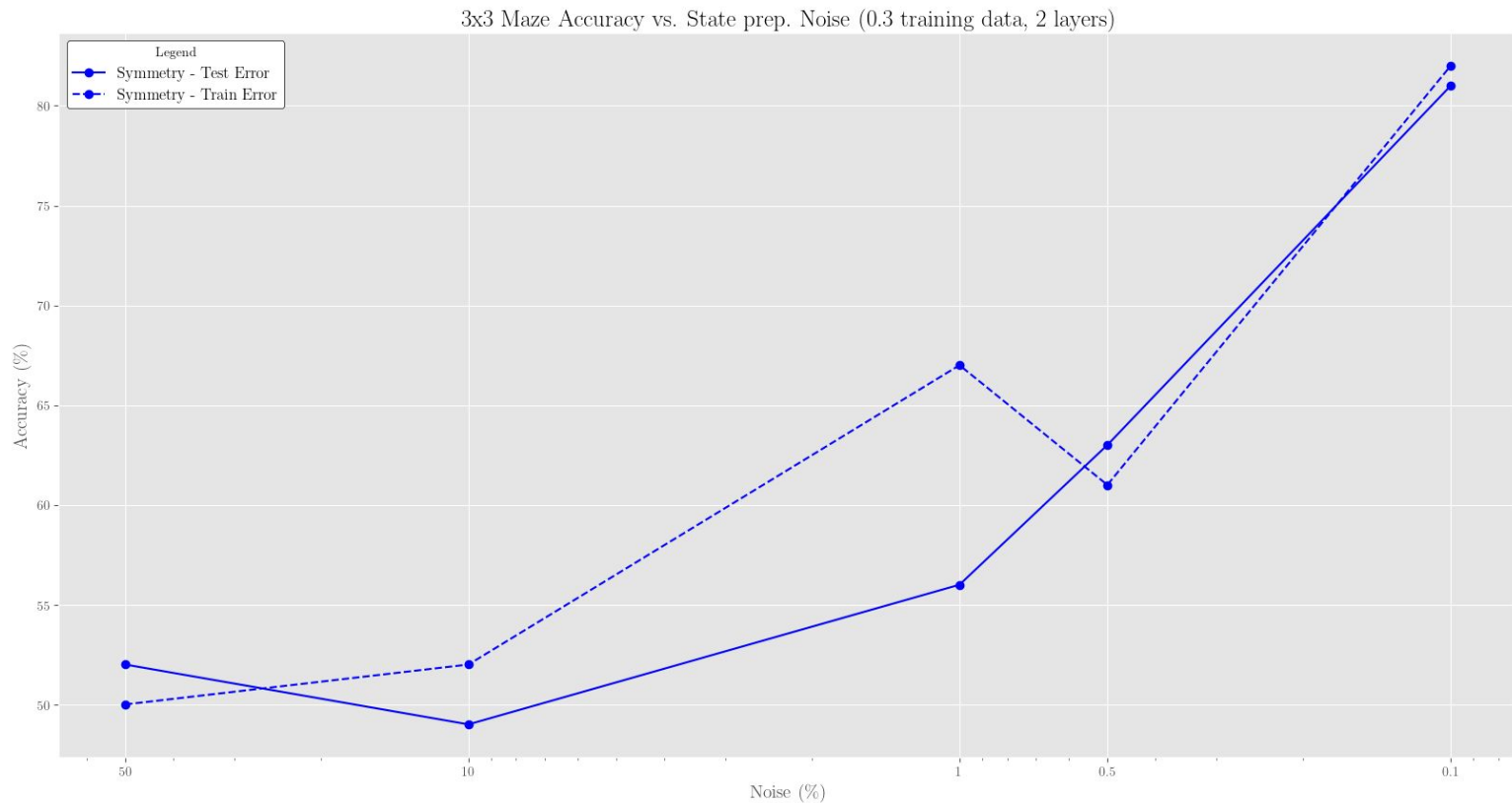
# Practical Application: Can you use Quantum Machine Learning to escape a maze?

## Results!!

(also consistent for **more training data**)



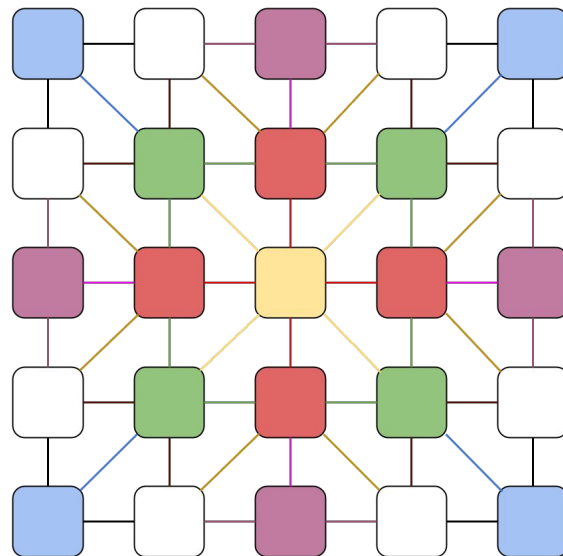
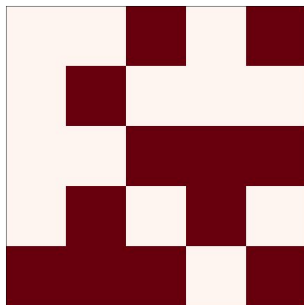
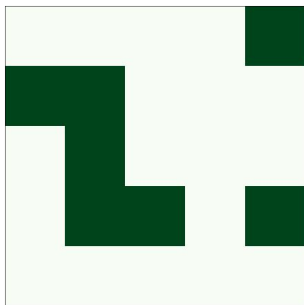
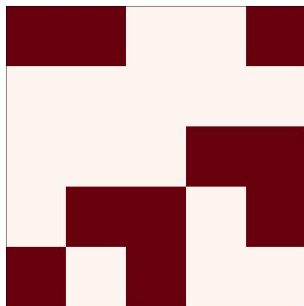
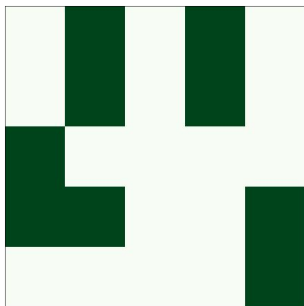
## Further steps: Noise in 3x3



## Further steps: 5x5 Maze

(only managed to train **5/100** iterative steps in **7h30** on EULER)

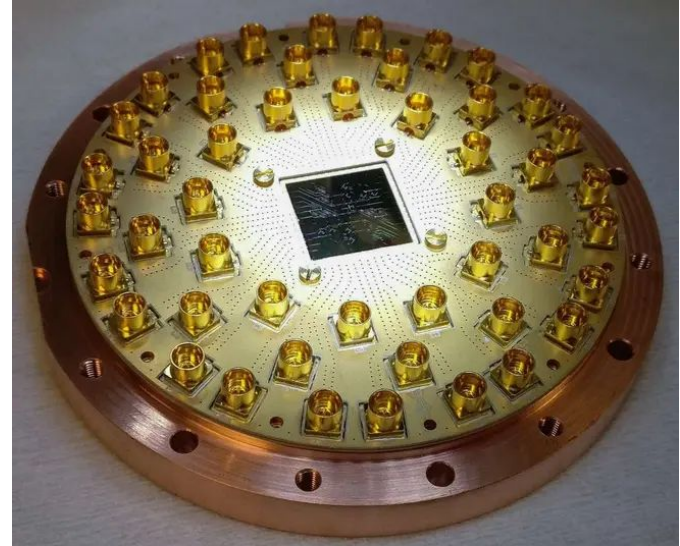
```
[mhanisc@eu-login-43 ~]$ squeue
      JOBID PARTITION    NAME    USER  ST       TIME  NODES NODELIST(REASON)
     16197709 normal.24 script_u  mhanisc  R        7:30:52      1 eu-g5-001-2
```



# Outlook

- Introduce further noise analysis
- Generalization to real-life problems
- Look at larger quantum systems with more qubits

→ Run the codes on an actual quantum computer



## Conclusion: What we learned

- Basics of quantum machine learning
- Importance of symmetries
- Implementing quantum neural networks
- Application to real-world problems
- Open-end: Only limiting factor was our creativity...  
... and number of qubits