

$n_{ped} : int = 0$

$n_{carNorth} : int = 0$

$n_{carSouth} : int = 0$

$South\_car : VC = False$

$north\_car : VC = False$

$ped : VC = False$

Manuel Pablo  
Bejarano Galano

El invariante es:

$$INV \equiv \{ n_{ped} \geq 0 \wedge n_{carNorth} \geq 0 \wedge n_{carSouth} \geq 0 \wedge \\ \wedge n_{ped} > 0 \rightarrow (n_{carNorth} = 0 \wedge n_{carSouth} = 0) \wedge \\ \wedge n_{carNorth} > 0 \rightarrow (n_{ped} = 0 \wedge n_{carSouth} = 0) \wedge \\ \wedge n_{carSouth} > 0 \rightarrow (n_{ped} = 0 \wedge n_{carNorth} = 0) \}$$

wants\_enter\_pedestrian():

{INV}

ped\_wait(  $n_{carNorth} == 0 \wedge n_{carSouth} == 0$  )

$n_{ped} = n_{ped} + 1$

{INV  $\wedge n_{ped} > 0$ }

leaves\_pedestrian():

{INV  $\wedge n_{ped} > 0$ }

$n_{ped} = n_{ped} - 1$

{INV}

if (  $n_{ped} == 0$  ):

north\_car.notify()

south\_car.notify()

{INV}

wants\_enter\_car( direction ) { direction }  $\begin{cases} 1 \rightarrow NORTH \\ 0 \rightarrow SOUTH \end{cases}$

{INV}

if ( direction == 1 ) : # NORTH

! north\_car.wait(  $n_{ped} == 0 \wedge n_{carSouth} == 0$  )

!  $n_{carNorth} = n_{carNorth} + 1$

else: # SOUTH  $\wedge n_{carNorth} > 0$

south\_car.wait(  $n_{ped} == 0 \wedge n_{carNorth} == 0$  )

$n_{carSouth} = n_{carSouth} + 1$

{INV  $\wedge n_{carSouth} > 0$ }

leaves-car (direction):

```
if (direction == 1): # NORTH
    INV? near North > 0
    near North = near North - 1
    INV?
    if (near North == 0):
        south-car.notify()
        ped.notify()
    INV?
else: # SOUTH
    INV? near South > 0
    near South = near South - 1
    INV?
    if (near South == 0):
        ped.notify()
        INV? north-car.notify()
```

car (monitor, direction):

```
monitor.wants_enter_car(direction)
if (direction == 1): # NORTH
    operaciones para pasar car NORTH
else: # SOUTH
    operaciones para pasar car SOUTH
monitor.leaves-car(direction)
```

pedestrian (monitor):

```
monitor.wants_enter_pedestrian()
operaciones para pasar peatón
monitor.leaves-pedestrian().
```

- Teremos garantizada la seguridad ya que en el invariante se cumple que si uno de los grupos está pasando por el puente, el resto no lo hace. Además dicho invariante hemos comprobado que se cumple durante toda la ejecución.

## Práctica 2

Manuel Pablo Bejarano Galeano:

(2)

Monitor\_CP: (Sin inicialización)

$n_{ped} : int = 0$

$n_{carNorth} : int = 0$

$n_{carSouth} : int = 0$

$n_{ped\_waiting} : int = 0$

$n_{carNorth\_waiting} : int = 0$

$n_{carSouth\_waiting} : int = 0$

$south\_car : VC = False$

$north\_car : VC = False$

$ped : VC = False$

$turn : int = -1$

El invariant es:

$$\begin{aligned} INV \equiv & \{ 0 \leq n_{ped} \wedge 0 \leq n_{carNorth} \wedge 0 \leq n_{carSouth} \wedge \\ & \wedge 0 \leq n_{ped\_waiting} \wedge 0 \leq n_{carNorth\_waiting} \wedge 0 \leq n_{carSouth\_waiting} \wedge \\ & \wedge -1 \leq turn \leq 2 \wedge n_{ped} > 0 \rightarrow (n_{carNorth} = 0 \wedge n_{carSouth} = 0) \wedge \\ & \wedge n_{carNorth} > 0 \rightarrow (n_{ped} = 0 \wedge n_{carSouth} = 0) \wedge \\ & \wedge n_{carSouth} > 0 \rightarrow (n_{ped} = 0 \wedge n_{carNorth} = 0) \} \end{aligned}$$

$wants\_enter\_pedestrean() :$

$\{ INV \wedge (turn = 0 \vee turn = -1) \}$

$n_{ped\_waiting} = n_{ped\_waiting} + 1$

$\{ INV \wedge n_{ped\_waiting} > 0 \wedge (turn = 0 \vee turn = -1) \}$

$ped\_wait ( (n_{carNorth} = 0 \wedge n_{carSouth} = 0) \wedge ((n_{carSouth\_waiting} \leq 5 \wedge$

$\wedge n_{carNorth\_waiting} \leq 5) \vee (turn = 0) \vee turn = -1) )$

$n_{ped\_waiting} = n_{ped\_waiting} - 1$

$\{ INV \wedge (turn = 0 \vee turn = -1) \}$

if  $turn == -1 :$

$turn = 0$

$\{ INV \wedge n_{ped} > 0 \wedge turn = 0 \}$

$n_{ped} = n_{ped} + 1$

$\{ INV \wedge n_{ped} > 0 \wedge turn = 0 \}$

```

leaves_pedestrian();
1 INV n nped > 0?
nped = nped - 1
1 INV?
if turn == 0:
    if nearNorth_waiting != 0:
        turn = 1
        2 INV n turn = 1?
    elif nearSouth_waiting != 0:
        turn = 2
        2 INV n turn = 2?
    else:
        turn = -1
        2 INV n turn = -1?
if nped == 0:
    north-car.notify()
    south-car.notify()
1 INV n turn != 0?

```

---

```

wants_enter_car(direction): direction > 1: SOUTH
                                0: NORTH
1 INV n (turn == 1 v turn == 4 v turn == 2)?
if direction == 0:
    1 INV n (turn == -1 v turn == 1)?
    nearNorth_waiting = nearNorth_waiting + 1
    2 INV n (turn == -1 v turn == 1) n nearNorth_waiting > 0?
    north-car.wait ( (nped == 0 n nearSouth == 0) n
        ^(((nearSouth_waiting <= 5 n nped_waiting <= 5) v
            v turn == 1) v turn == -1))
    nearNorth_waiting = nearNorth_waiting - 1
    2 INV n (turn == 1 v turn == -1)?
    if turn == -1:
        turn = 1
    else:
        nearNorth = nearNorth + 1
        2 INV n (turn == -1 v turn == 2)?
        nearSouth_waiting = nearSouth_waiting + 1
        2 INV n (turn == -1 v turn == 2) n nearSouth_waiting > 0?
        south-car.wait ( (nped == 0 n nearNorth == 0) n
            ^(((nearNorth_waiting <= 5 n nped_waiting <= 5) v
                v turn == 2) v turn == -1))
        nearSouth_waiting = nearSouth_waiting - 1
        2 INV n (turn == -1 v turn == 2)?
        if turn == -1:
            turn = 2
            2 INV n turn == 2?
        nearSouth = nearSouth + 1
        2 INV n nearSouth > 0?

```



leaves\_car (direction):

$n_{car North} + n_{car South} > 0?$

if (direction == 1): ~~# NORTH~~  
 $n_{car North} = n_{car North} - 1$

if (turn == 1):

if (n\_car South\_waiting != 0):

turn = 2  
 elif (n\_ped\_waiting != 0):

turn = 0  
 else: turn = 0

turn = -1

if n\_car North == 0:

South\_car\_notify()

ped\_notify()

else: ~~# SOUTH~~  
 $n_{car South} = n_{car South} - 1$

if turn == 2:

if (n\_ped\_waiting != 0):

turn = 0  
 elif (n\_car North\_waiting != 0):

turn = 1  
 else: turn = 1

turn = -1

if (n\_car South == 0):

north\_car\_notify()

ped\_notify()

car(direction, monitor):

monitor.wants\_enter\_car(direction)

if (direction == 1): ~~# NORTH~~  
 operaciones para pasar car North

else:

operaciones para pasar car South

monitor.leaves\_car(direction)

pedestrian(monitor):

monitor.wants\_enter\_pedestrian()

operaciones para pasar peatón

monitor.leaves\_pedestrian()

• La seguridad en este programa "ampliado" se cumple ya que en el invariante se especifica  $nped > 0 \rightarrow (nearNorth = 0 \wedge nearSouth = 0) \wedge nearNorth > 0 \rightarrow (nped = 0 \wedge nearSouth = 0) \wedge nearSouth > 0 \rightarrow (nped = 0 \wedge nearNorth = 0)$  y el invariante se cumple durante toda la ejecución.

• La ausencia de deadlock se garantiza ya que si por ejemplo los peatones se encuentran en el puente y dejan de tener su turno, ya sea porque cuando sale uno de los peatones hay algún coche esperando o porque el puente queda libre, el turno pasará a ser del coche o al turno "neutro" (-1). Por lo tanto nunca habrá nadie esperando a que otro termine de esperar y por tanto no habrá deadlock.

• La ausencia de inanición se demuestra por cómo se ha definido el turno y cómo pasa de uno a otro:

El turno toma los valores:

-1	→ neutro
0	→ peatón
1	→ coche Norte
2	→ coche Sur

Cuando sale un peatón (peatón o coche) sale se verifica si sigue teniendo el turno, si es así pasa el turno a aquel grupo que tenga algún miembro esperando, si no hay nadie esperando, el turno pasa a ser -1 hasta que pase el siguiente peatón y lo cambie por el suyo.

El cambio de turno tiene prioridades, así se verifica que no haya inanición. El peatón revisa primero que no haya esperando coches N y luego coches S, los coches N revisa primero coches S y luego peatones y, finalmente, los coches S revisan primero los peatones y luego los coches N.

