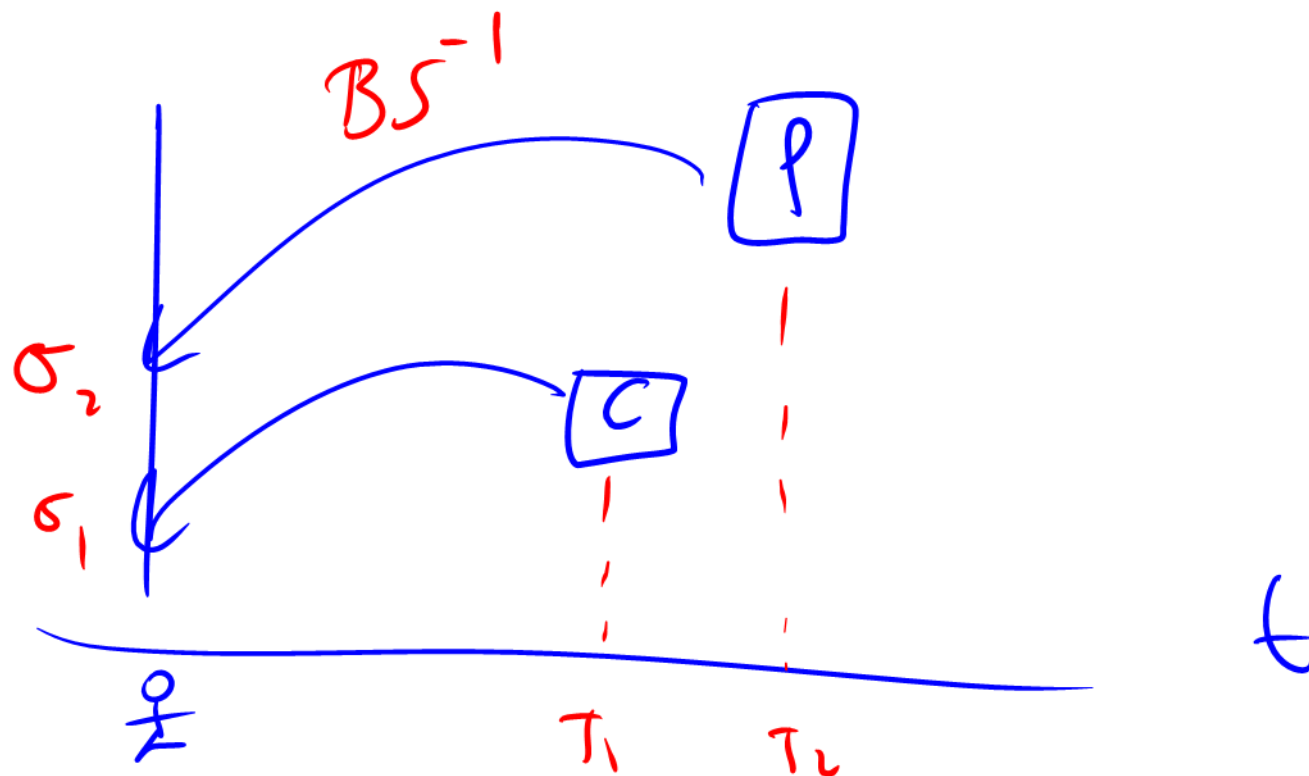
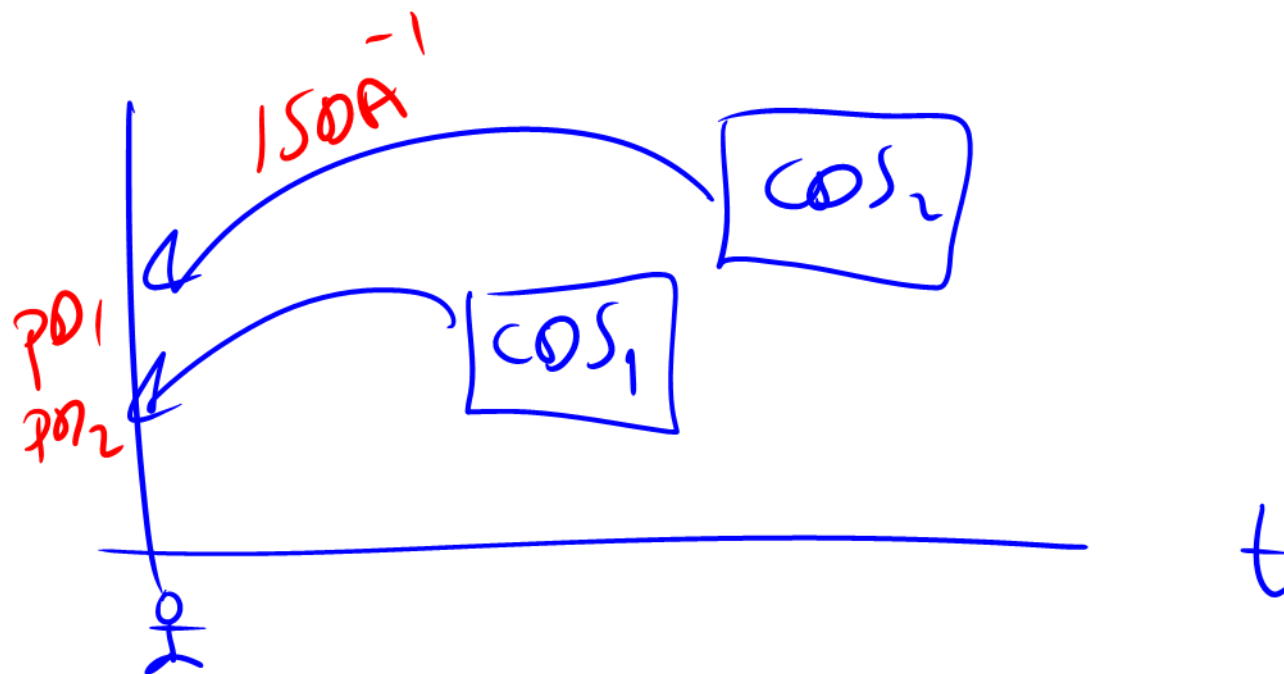
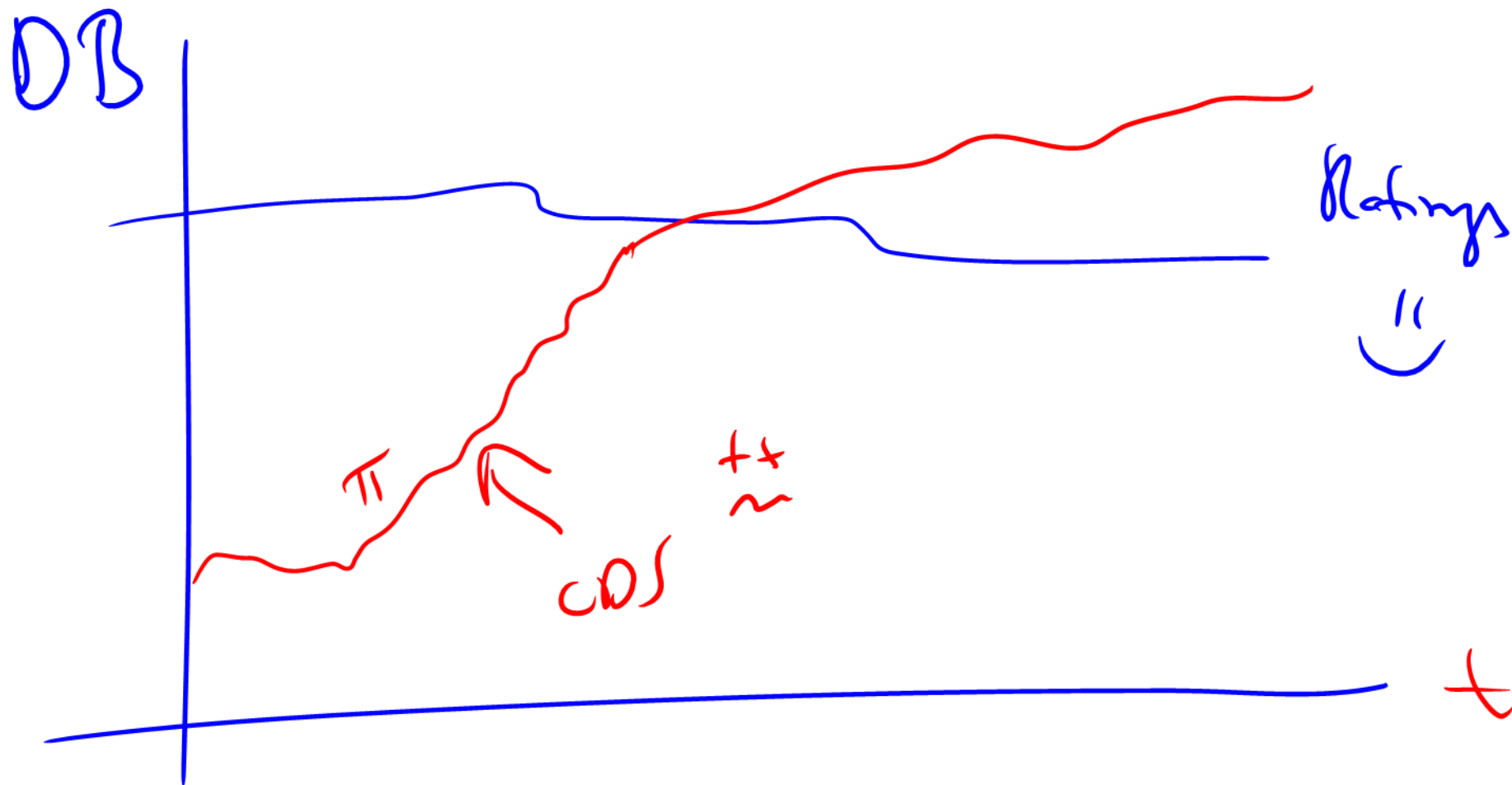


EQ



CR





Models:

CR

1960's

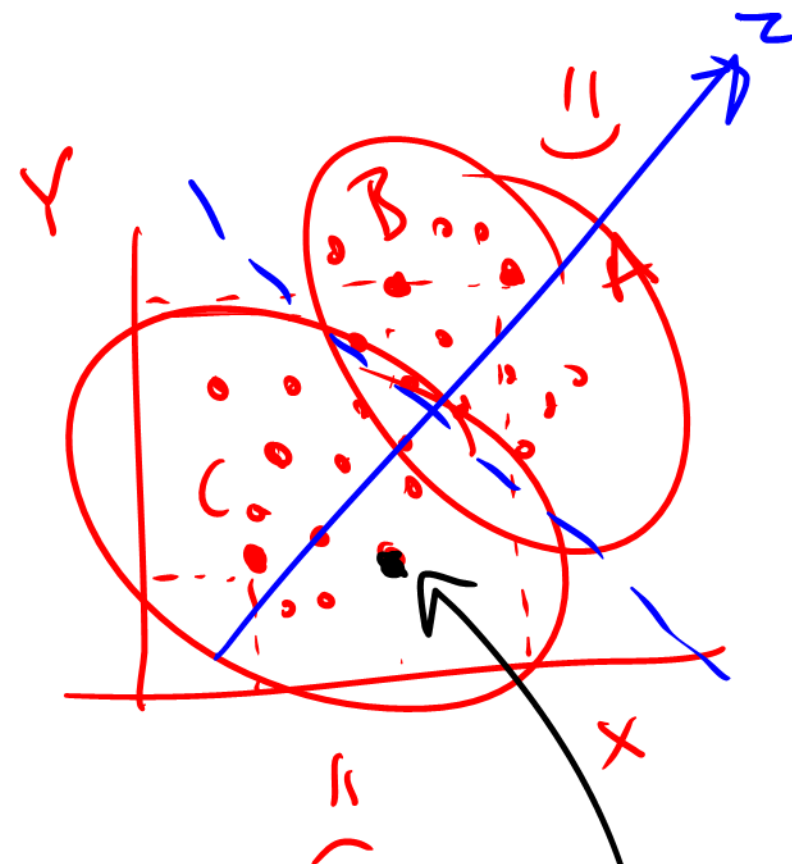
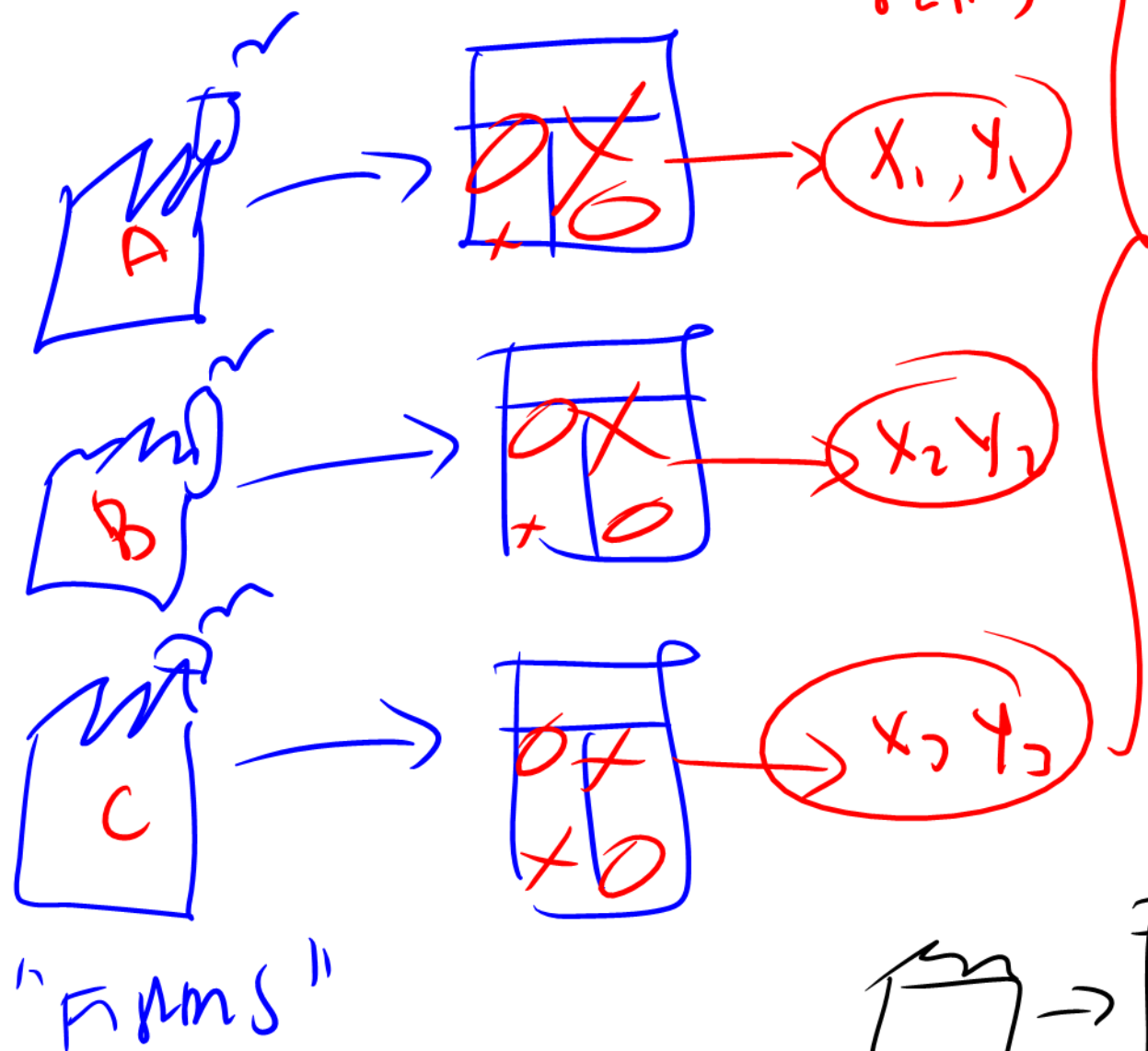
Altman: Scoring Model

1970's

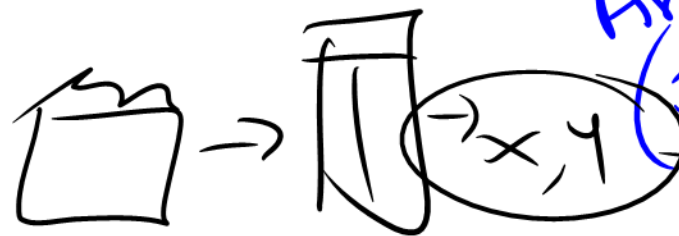
Nelson
Bluh-Cox...
...

1990's: Jarrow Turnbull
Intensity Model.

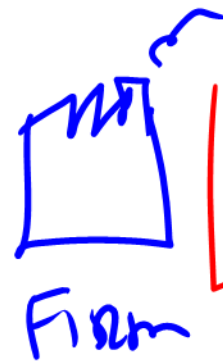
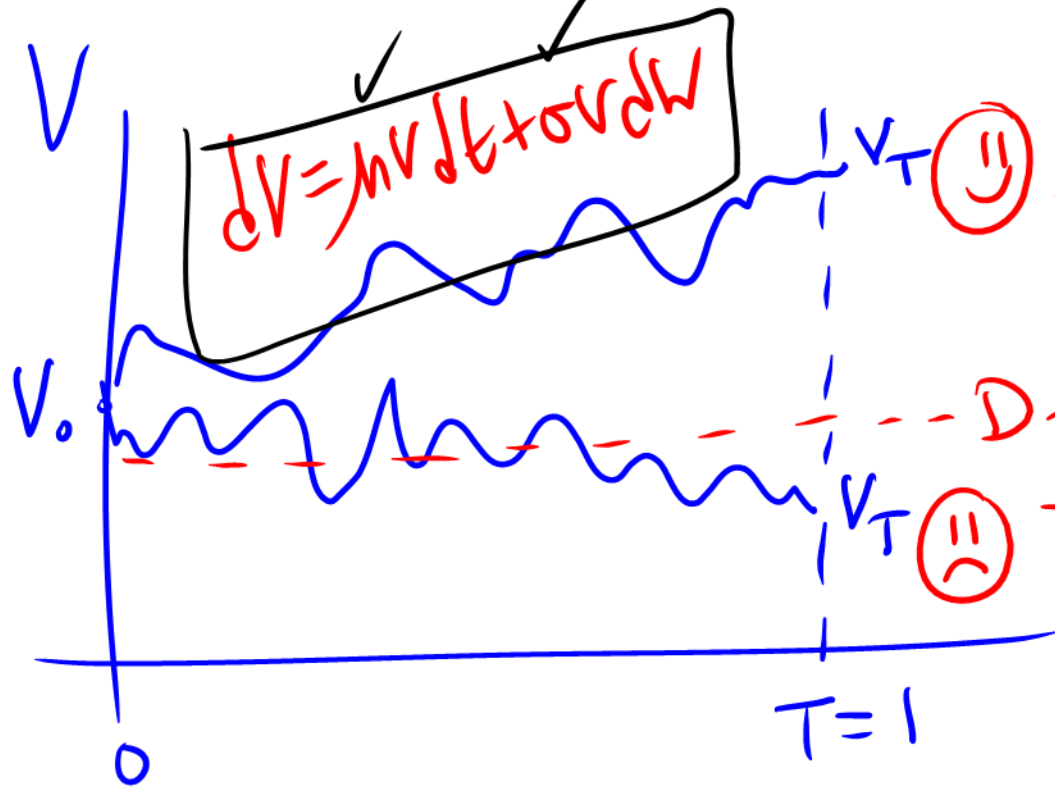
Altman z-score



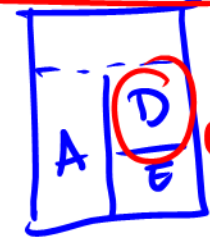
Linear
Discriminant
Anderson
(Fisher)



Merton (Stochastic Models) (1974)



$$V(t) = E(t) + D(t)$$



if $V_T > D$
 $E_T = V_T - D_T$

$$E_T = V_T - D$$

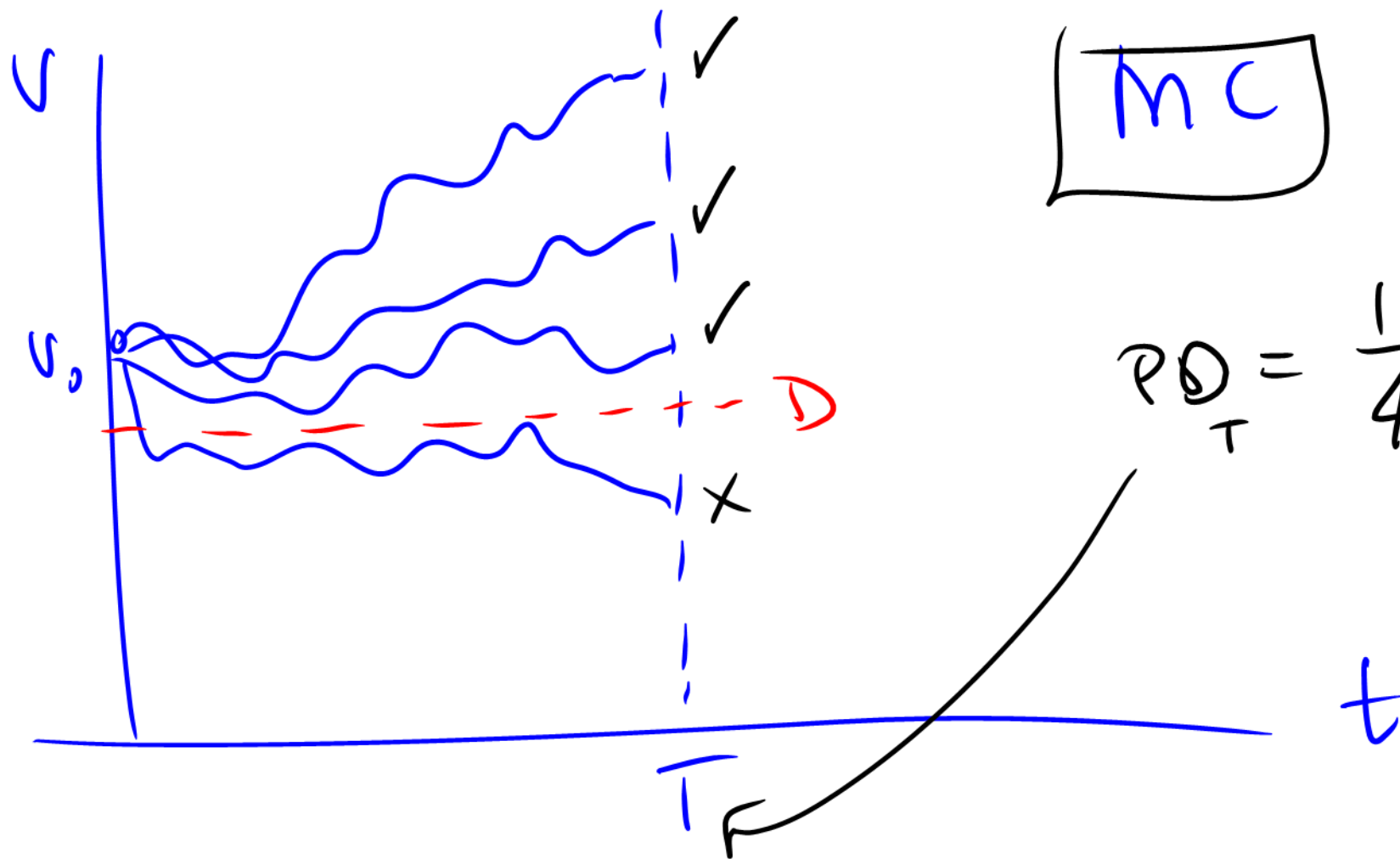
$D_T = D$ if $V_T < D$

$$E_T = 0$$

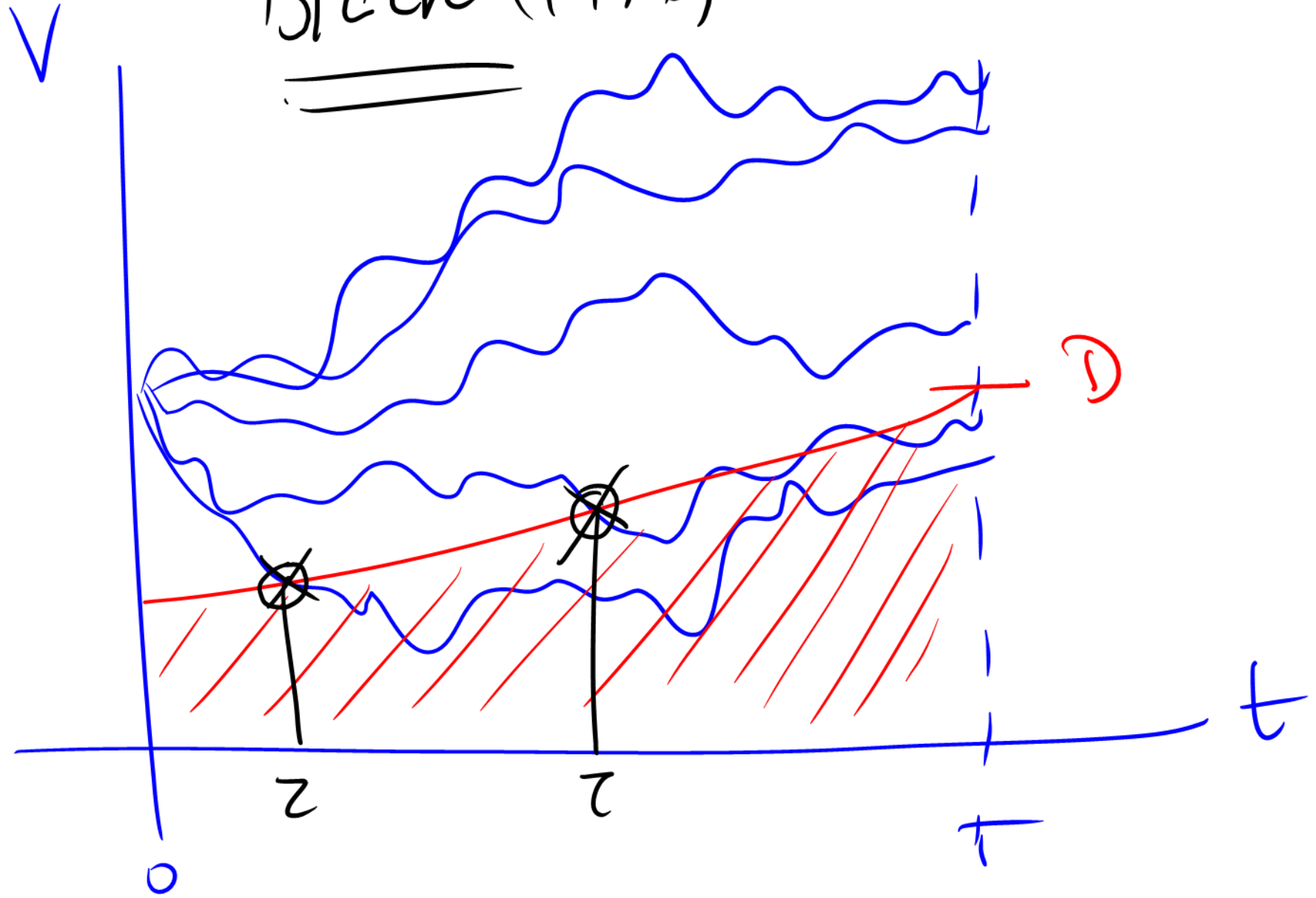
t $\underbrace{\hspace{2cm}}$

$$E_T = \max(V_T - D, 0)$$

Call Option



Block (1976)



Integrity Models

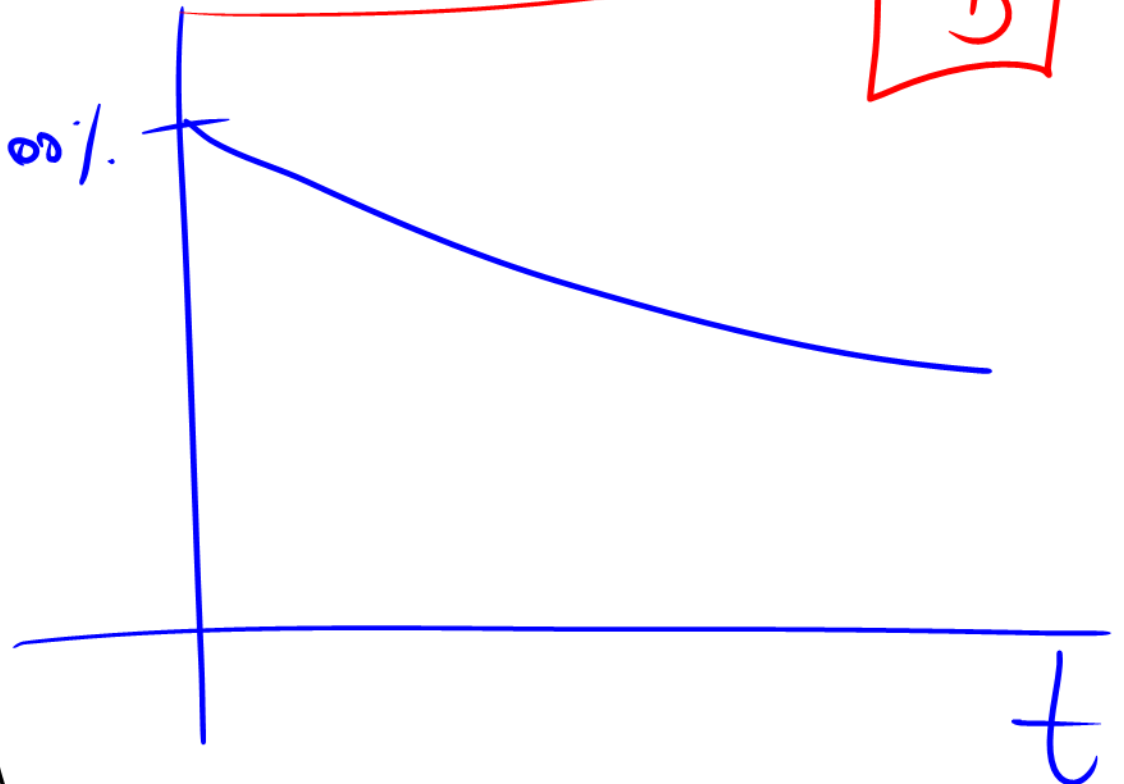


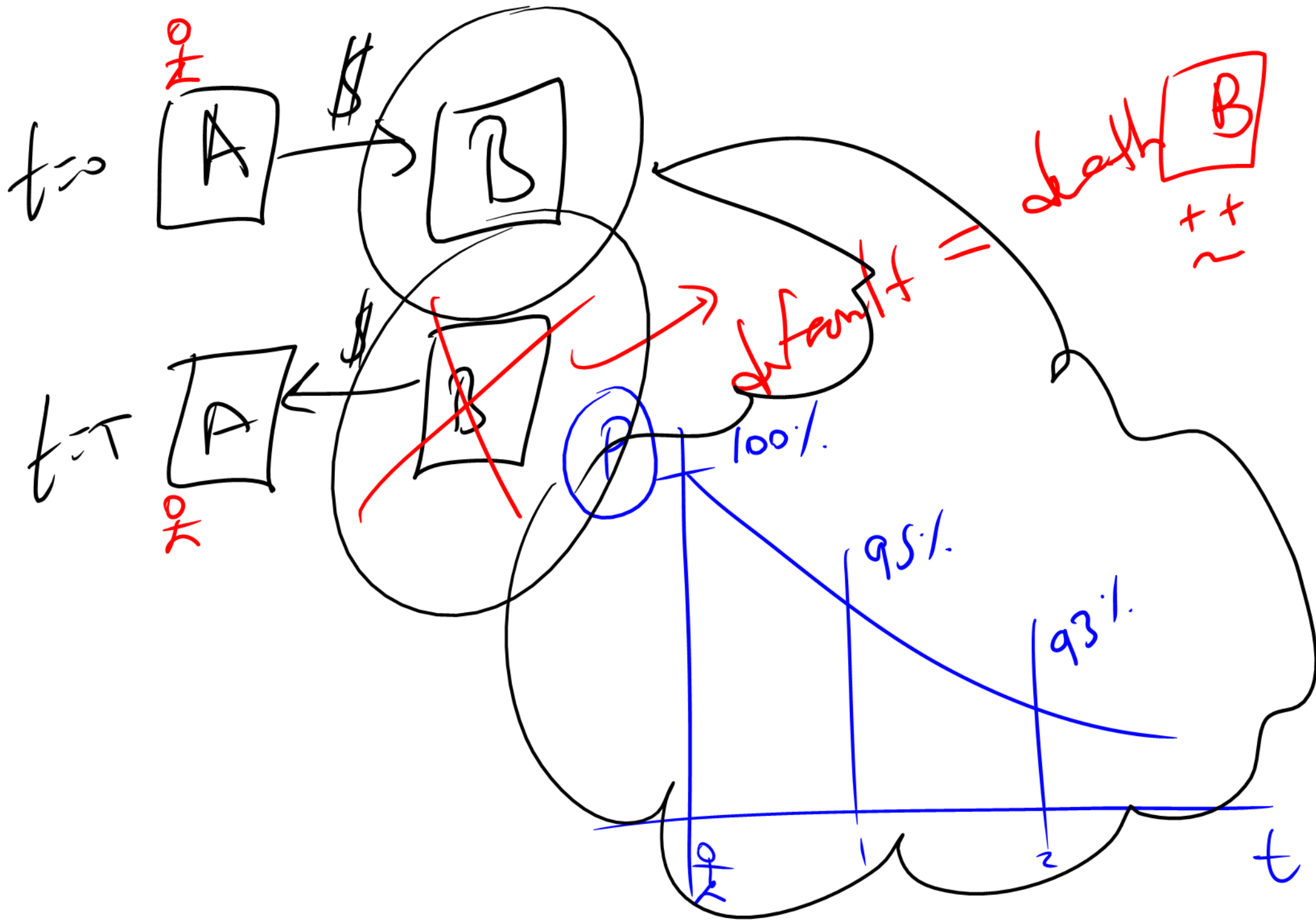
~~default~~ \leftrightarrow prob.
event

Survival probability

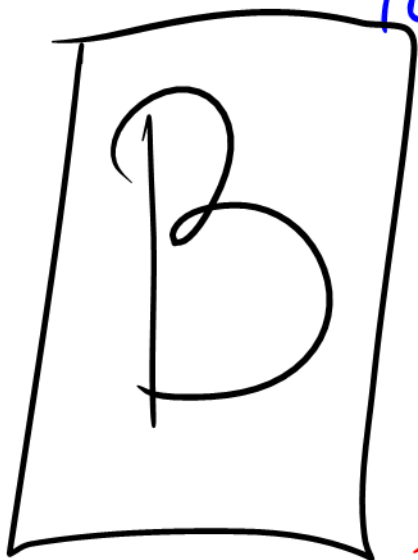
3

100%





Survival $P(t, T)$



100%

$PD_1 = 5\%$

$PD_2 = 9\%$

$PD_3 = 12\%$

95%

91%

88%

$PD_{0,1} = 5\%$

$PD_{1,2} = 4\%$

$PD_{2,3} = 3\%$

maturity



$t=0$

0

2

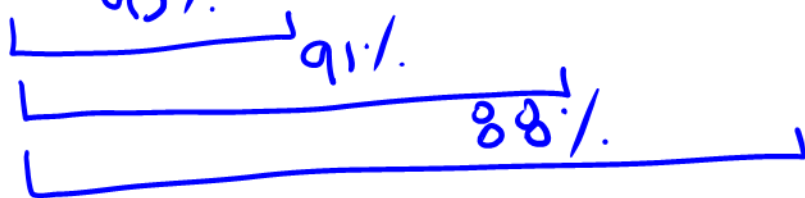
3

95%

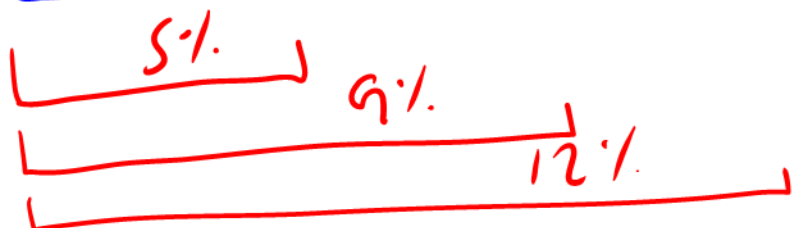
91%

88%

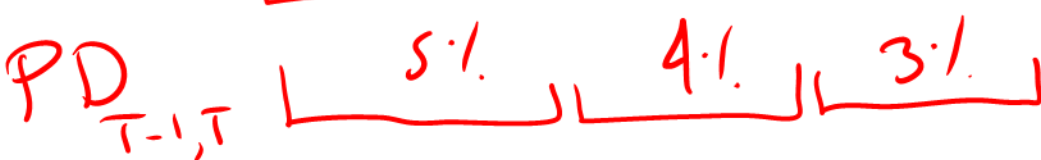
Cumulative Survival P_T



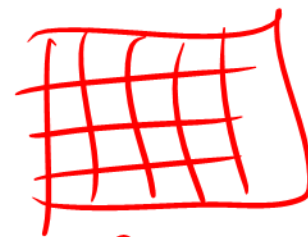
Cumulative prob. of default PD_T

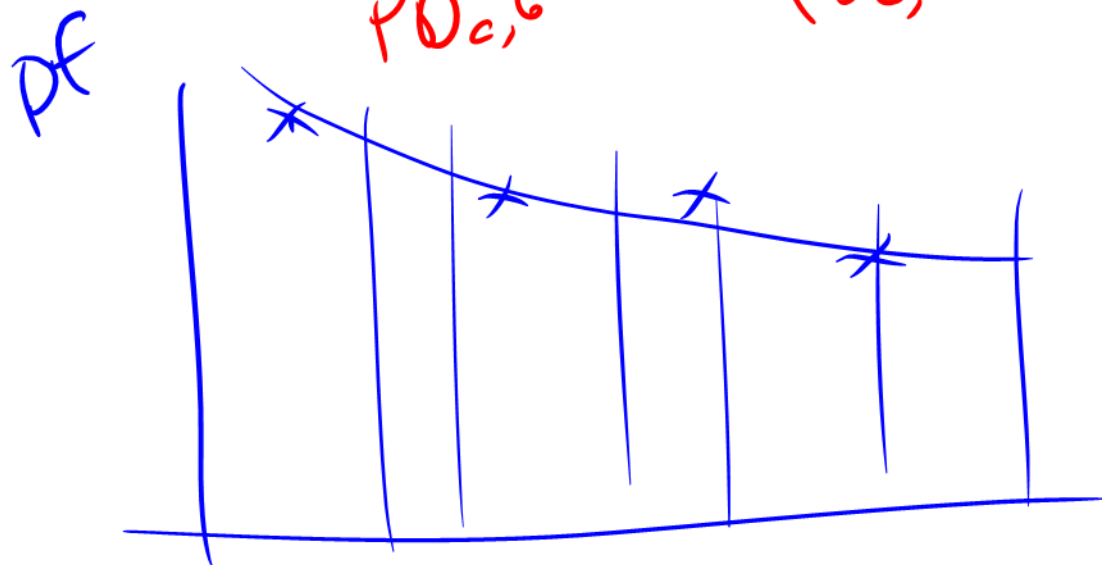
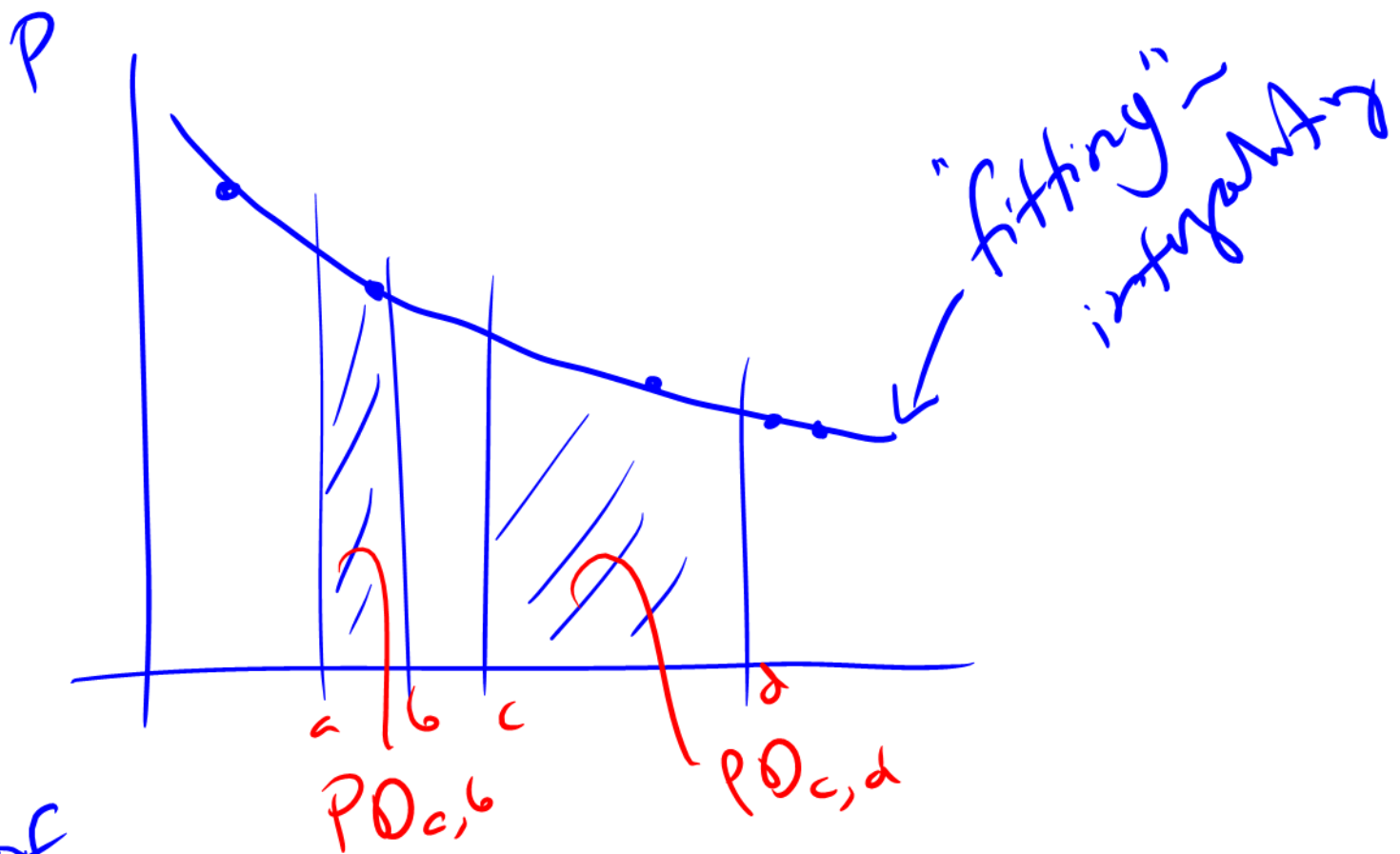


period / fwd $PD_{T-1, T}$



rotating...

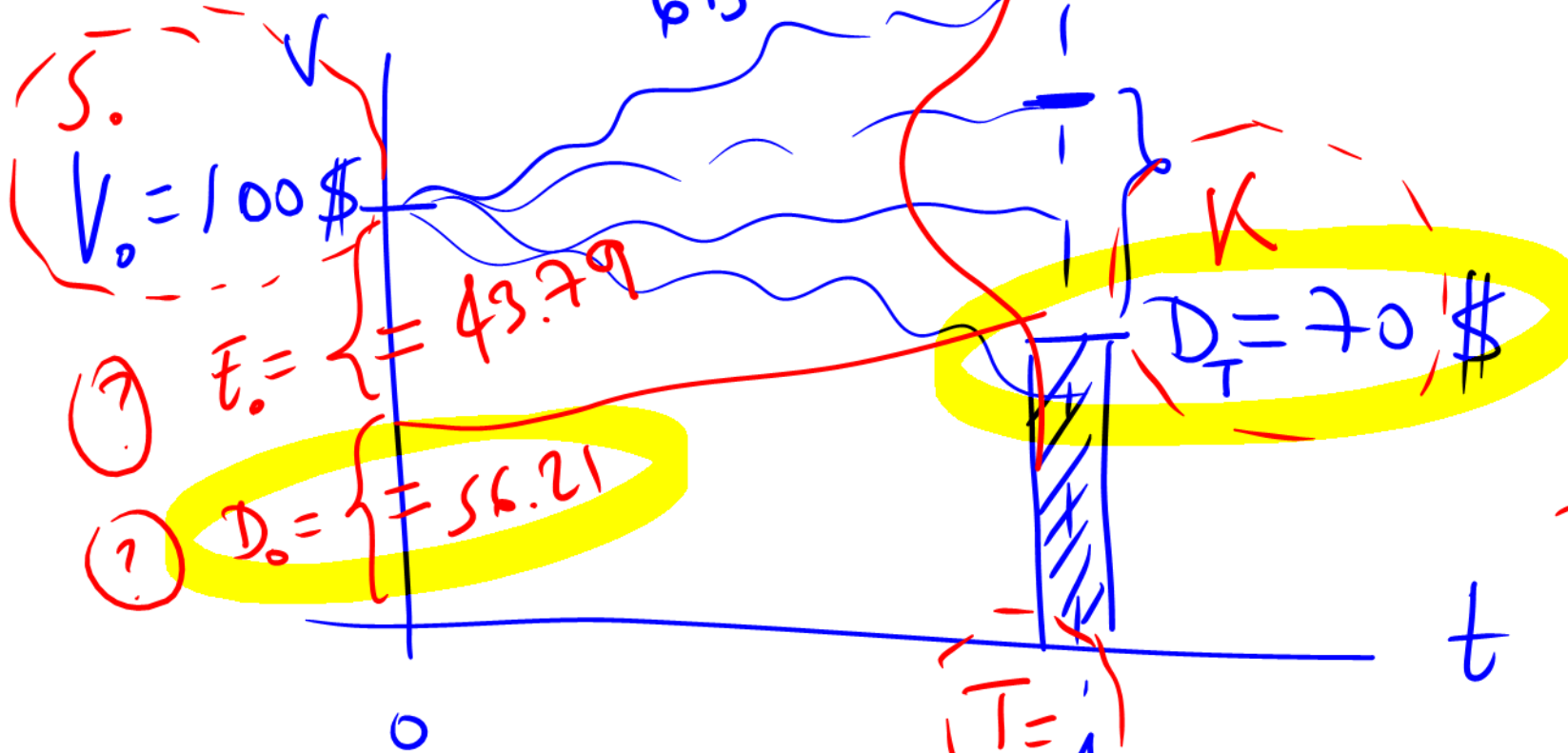






Black-Scholes.

GBM



- ⑦ $E_0 = 43.79$
- ⑦ $D_0 = 56.21$

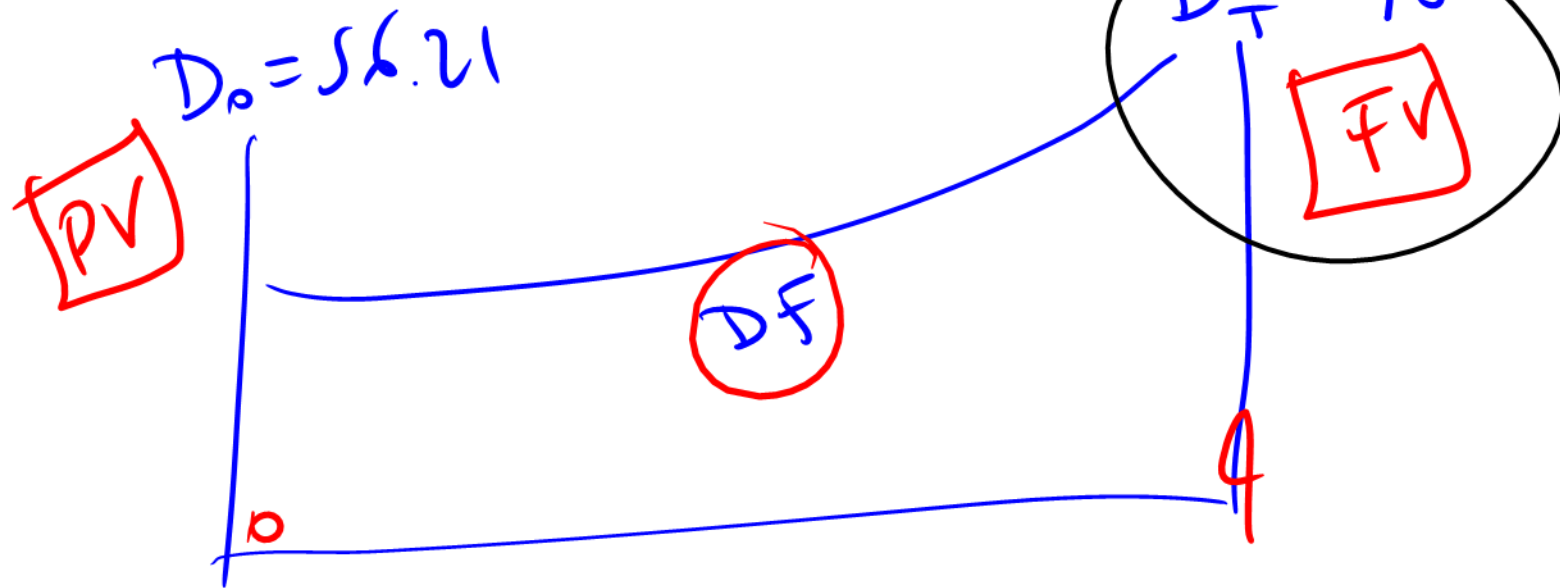
$$\pi = f(s_0, K, T, \delta, \sigma)$$

$$E_0 = \pi = \frac{BS - qn}{f(V_0, D, T, r, \sigma)}$$

$$dV = rVdt + \sigma VdW$$

$r = 5\%$

$$\sigma = 20\% \text{ p.a.}$$



$$PV = DF \times FV$$

$$PV = \exp(-yT) \times FV$$

$$56.21 = \exp(-y \cdot 4) \times 70$$

$$\rightarrow y = 5.49$$

if $r = 5\%$ risk free
then spread \therefore 0.49 bps
credit