

Bresenham's mid-point line drawing algorithm (Generalized version):

A generalized version of the Bresenham's mid-point line drawing algorithm will work for any straight line (its starting and ending points can be in any octant).

Pseudocode:

Procedure Bresenham_line (x_s, y_s, x_e, y_e) //Starting and ending points of line are passed as arguments
Begin

$x = x_s, y = y_s$ // Initialization of starting point

$dx = \text{Abs}(x_e - x_s), dy = \text{Abs}(y_e - y_s)$

$s1 = \text{Sign}(x_e - x_s), s2 = \text{Sign}(y_e - y_s)$

 If($dy > dx$)

 Temp=dx

 dx=dy

 dy=Temp

 Swap=1

 Else

 Swap=0

 EndIf

$d = 2dy - dx$ // Initialization of decision variable d

 Steps=1

 SetPixel(x ,y)

 While($\text{Steps} \leq dx$)

 Begin

 If($d > 0$)

$x = x + s1$

$y = y + s2$

$d = d + 2(dy - dx)$

 Else

 If(Swap=1)

$y = y + s2$

 Else

$x = x + s1$

 EndIf

$d = d + 2dy$

 EndIf

 SetPixel(x ,y)

 Steps=Steps+1

 EndWhile

End

Functions used:

SetPixel(x, y) is used to plot the corresponding pixel defined by co-ordinate (x, y) on the screen.

Abs(k) returns absolute value of its argument k.

Sign() returns -1, 0, 1 as its argument (say, k) <0, =0 or >0 i.e. $\text{Sign}(k) = k / \text{Abs}(k)$.

Q. Find plotted pixels or plotted points of straight line P (4, 2), Q(6, 14) using Bresenham's mid-point line drawing algorithm.

Answer:

$$dx = 2, dy = 12$$

$$s1 = \text{Sign}(6-4) = \text{Sign}(2) = 1, s1 = \text{Sign}(14-2) = \text{Sign}(12) = 1$$

$$d = -8$$

As, $dy > dx$, so swap them. Hence, $dx = 12, dy = 2$

Steps = 1

Initialize, $x = 4, y = 2$

Now 1st point (4, 2) is plotted

Next points will be:

Steps	d	x	y	Plotted point
1	-4	4	3	(4,3)
2	0	4	4	(4,4)
3	4	4	5	(4,5)
4	-16	5	6	(5,6)
5	-12	5	7	(5,7)
6	-8	5	8	(5,8)
7	-4	5	9	(5,9)
8	0	5	10	(5,10)
9	4	5	11	(5,11)
10	-16	6	12	(6,12)
11	-12	6	13	(6,13)
12	-8	6	14	(6,14)

Hence, the plotted points / pixels are: (4,3), (4,4), (4,5), (5,6), (5,7), (5,8), (5,9), (5,10), (5,11), (6,12), (6,13), (6,14).

HW. Find plotted pixels or plotted points of straight line P (4, -6), Q(2, 1) using Bresenham's mid-point line drawing algorithm.