

Project 1

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Name of the company:

Visa Inc.

Visa Inc. operates as a payments technology company worldwide which serves consumers, merchants, financial institutions, and government entities. Visa Inc. was founded in 1958 and is headquartered in San Francisco, California. Its website is: <https://usa.visa.com> and its telephone number is 650 432 3200

The company operates VisaNet, a transaction processing network that enables authorization, clearing and settlement of payment transactions.

It also offers credit, debit, and prepaid card products; tap to pay, tokenization, click to pay; Visa Direct, a real-time payments network; Visa B2B Connect, a multilateral B2B cross-border payments network; Visa Treasury as a Service, a cross-border consumer payments business; and Visa DPS that provides a range of value added services, including fraud mitigation, dispute management, data analytics, campaign management, a suite of digital solutions, and contact center services.

Further, the company provides Cybersource, a payment management platform; and risk and identity solutions, such as Visa Advanced Authorization, Visa Secure, Visa Advanced Identity Score, and Visa Consumer Authentication Service; and Visa Consulting and Analytics, a payments consulting advisory services.

The most influential executives in the company are:

Name	Title	Pay (\$)
Mr. Alfred Francis Kelly Jr.	Exec. Chairman	8M
Mr. Ryan M. McInerney	Pres, CEO & Director	4.65M
Mr. Vasant M. Prabhu	Vice Chair & CFO	4.65M
Mr. Rajat Taneja	Pres of Technology	4.65M
Ms. Kelly Mahon Tullier	Vice Chair, Chief People & Corp. Affairs Officer and Corp. Sec.	3.26M
Mr. Peter Andreski	Sr. VP, Global Corp. Controller & Chief Accounting Officer	N/A
Ms. Jennifer Como	Head of Investor Relations	N/A
Ms. Julie B. Rottenberg	Gen. Counsel	N/A
Mr. Frank Cooper III	Chief Marketing Officer	N/A
Mr. Oliver Jenkyn	Group Pres of Global Markets	N/A

This is the overall evolution of the stock price from the beginning:



Visa Inc.'s ISS Governance QualityScore as of March 1, 2023 is 4.

98.70% of the shares are held by institutions, more precisely the top institutional holders are:

Holder	Shares	% out	Value (\$)
Vanguard Group, Inc. (The)	147,356,830	9.07	32.424B
Blackrock Inc.	124,903,850	7.69	27.484B
State Street Corporation	70,324,953	4.33	15.474B
Morgan Stanley	51,122,866	3.15	11.249B
Price (T.Rowe) Associates Inc	51,100,136	3.14	11.244B
FMR, LLC	48,538,399	2.99	10.68B
Geode Capital Management, LLC	32,221,146	1.98	7.09B
Bank of America Corporation	26,482,036	1.63	5.827B
AllianceBernstein, L.P.	26,184,849	1.61	5.762B
Massachusetts Financial Services Co.	23,231,725	1.43	5.112B

Some useful statistics on the company Visa Inc. are:

Feature	Value
Market Cap	456.91B\$
Profit Margin	50.28%
Revenue	30.19B\$
Revenue per share	14.55\$/share
Quarterly Revenue Growth	12.40%
Gross Profit	28.57B\$
Total Cash	16.12B\$
Total Cash per share	7.84\$/share
Total Debt	20.49B\$
Forward Annual Dividend Yield	0.83%

Analysis of two call options prices:

All the data was taken in the day 23/03/2023

The current price of the stock is **s=220.04 USD**.

We will analyze two call option during this report:

Both will have strike price at the money, i.e. equal or very close to the current price of the stock.

What will vary between the two will be the maturity time, either T=3 months or T=6 months.

I'm going to indicate with "**_1**" the former and with "**_2**" the latter.

Strike prices:

K_1=220.00 USD that expires on 16/06/2023

K_2=220.00 USD that expires on 15/09/2023

Our target price, that we hope to predict with a binomial model, is given by the average between asking and bidding price of the option calls.

$$t_1 = (12.80 + 13) / 2 = 12.90 \text{ USD}$$

$$t_2 = (18.55 + 19) / 2 = 18.78 \text{ USD}$$

We proceed now to download the daily historical data of our stock prices in the previous 3/6 months while considering the adjusted close price as our official daily price.

This data is used to calculate the daily returns of our stock with the formula:

$$\text{return}(t) = (s(t) - s(t-1)) / (s(t-1)) \quad \text{where } s(t) \text{ is the price of the stock at time } t$$

After doing so we can calculate the daily volatility σ_d by computing the standard deviation of our daily return. Since we are estimating it from a set of observation we will need to use the formula

$$\sigma_d = \sqrt{\sum((\text{return}(t) - \mu)^2) / (m-1)}$$

where we are summing over all the $\text{return}(t)$ that we calculated earlier, μ is the mean of our aforementioned returns ($\mu = (1/m) * \sum(\text{return}(t))$) and m the number of daily returns we calculated.

$$\sigma_{d_1} = 0.010914$$

$$\sigma_{d_2} = 0.014968$$

Then we can compute the yearly volatility by **multiplying** the **previous result** by the **sqrt(252)** (This is because there are 252 working days in a year)

$$\sigma_{y_1} = 0.173253$$

$$\sigma_{y_2} = 0.237612$$

We can now start to build our binomial model with $T=1/4$ or $1/2$ and $n=1$ time steps.

First of all we estimate the parameters u, d with the following formula:

$$u = \exp(\sigma_y * \sqrt{T})$$

$$d = \exp(-\sigma_y * \sqrt{T})$$

where u, d represent the two possible price movements that we allow in our model between time 0 and time 1. (i.e. if s is the initial price, su and sd are the two possible final prices)

Thus we get the following results:

$$u_1 = 1.090489$$

$$d_1 = 0.917019$$

$$u_2 = 1.182957$$

$$d_2 = 0.84534$$

We need to be careful because our stock produces dividends.

According to Yahoo finance the dividend yield is 0.83% annually and thus I'll add $0.0083/4$ to both u and d in the 3 month contract and similarly I'll add $0.0083/2$ in the 6 month contract.

(More precisely $su + s * \text{yeld} * T = s * (u + \text{yeld} * T) = s * \tilde{u}$ and similarly for \tilde{d})

$$\tilde{u}_1 = 1.092564$$

$$\tilde{d}_1 = 0.919094$$

$$\tilde{u}_2 = 1.187107$$

$$\tilde{d}_2 = 0.84949$$

Interest rates need to be considered while computing the starting price of an option and thus we need to visits www.global-rates.com in order to get the LIBOR rate corresponding to both time frames.

Libor_1=5.01771% (USD LIBOR 3 months)

Libor_2=5.00657% (USD LIBOR 6 months)

We can now calculate the capitalization and actualization factor. We are required to use the simple interest formula and thus we will get:

$cap=(1+Libor*T)$, $act=1/(1+Libor*T)$

cap_1=1.012544

act_1=0.987611

cap_2=1.025033

act_2=0.975578

We can calculate now the risk neutral probability weight q of our model by using the formula:

$q=(cap-d)/(\bar{u}-d)$ where q represents the probability that the market goes up to \bar{u}

q_1=0.538709

q_2=0.519948

We are finally able now to compute the price of an option call. In order to do this we need to actualize the expected value of our payoff. The payoff is **220 \bar{u} -220** if the price goes up and **0** if it goes down.

(This is because the payoff of a call option is the **positive part of (final price-strike price)**). Thus:

price=act*(q*220* \bar{u} -1+(1-q)*0)

We get:

price_1=10.83446 USD

price_2=20.88016 USD

Conclusion:

Our model didn't precisely predicts the price of both call option.

We made the following errors:

Contract	T=1/4	T=1/2
Absolute Error	2.06554	2.10016
Relative Error	0.16012	0.11183
% Relative Error	16.01%	11.18%

This imprecision can be explained by the simplicity of our model which can't fully emulate the ones used in the real world.