

**Національний Технічний Університет України “КПІ”**  
**Навчально-науковий комплекс**  
**«Інститут прикладного системного аналізу»**

**ЛАБОРАТОРНА РОБОТА № 3**  
**З дисципліни: Основи системного аналізу**

**Виконали:**  
**Барзій Ілля**  
**Лесніков Богдан**  
**Шрам Владислав**  
**(Бригада 1)**  
**група КА-41**

**Київ 2017**

## Задание

1. Построить по заданной дискретной выборке (тестовая выборка приведена в таблице) и для реальной физической задачи оценивания составляющих солнечных бурь **Dst** в мультипликативной форме приближающие функции  $\Phi_i(x_1, x_2, x_3)$ ,  $i = \overline{1, m}$  (аналитически и графически представленные функциональные зависимости), которые с практически приемлемой погрешностью в смысле Чебышевского приближения характеризуют истинные функциональные зависимости  $y_i = f_i(x_1, x_2, x_3)$ ,  $i = \overline{1, m}$ .

Для функций  $\Phi_i$  известны границы интервалов, определяемые следующими условиями:

$$\beta^- \min_k \Phi_{ik}(x_k) \leq \Phi_i \leq \beta^+ \max_k \Phi_{ik}(x_k);$$

$$0 < \beta^- \leq 1; 1 < \beta^+ \leq M_0; M_0 \neq \infty.$$

Для функций  $\Phi_{ik}$  известны границы интервалов, определяемые следующими условиями:

$$\Psi_k^- \leq \Phi_{ik}(x_k) \leq \Psi_k^+;$$

$$\Psi_k^+ = \alpha^+ \max_j \Psi_{kj}(x_{kj_k}), \quad \Psi_k^- = \alpha^- \min_j \Psi_{kj}(x_{kj});$$

$$0 < \alpha^- \leq 1; 1 < \alpha^+ \leq N_0; N_0 \neq \infty$$

2. Построить прогнозные значения
3. Предложить свой вариант дискретной выборки  $X_j$  и  $Y_i$  (для реальной задачи) и построить в мультипликативной форме приближающие функции  $\Phi_i(x_1, x_2, x_3)$ ,  $i = \overline{1, m}$ .
4. Предложить свой вариант структуры функций  $\Phi_i$ ,  $\varphi_{p_k}(x_{j_k})$  и построить в мультипликативной форме приближающие функции  $\Phi_i(x_1, x_2, x_3)$ ,  $i = \overline{1, m}$
5. Провести обзор и привести имеющуюся литературу по данному вопросу,

**Таблица №1** тестовых исходных данных для всех вариантов

$q_0$	$X_{11}$	$X_{12}$	$X_{21}$	$X_{22}$	$X_{31}$	$X_{32}$	$X_{33}$	$Y_1$	$Y_2$	$Y_3$	$Y_4$
<b>1</b>	5,05	8,65	7,75	6,975	4,879	3,501	5,967	254,621	98,145	119,406	117,683
<b>2</b>	5,052	8,7	7,78	6,955	4,886	3,553	5,978	198,163	73,368	92,651	90,123
<b>3</b>	5,055	8,745	7,80	6,95	4,897	3,611	5,984	187,411	91,084	87,691	83,576
<b>4</b>	5,06	8,75	7,82	6,945	4,916	3,652	5,987	167,197	123,567	78,793	74,789
<b>5</b>	5,063	9,8	7,845	6,925	4,938	3,723	5,996	166,547	163,813	79,497	74,316
<b>6</b>	5064	10,25	7,851	6,895	4,947	3,758	5,999	153,789	261,378	77,082	72,817
<b>7</b>	5,067	11,85	7,852	6,865	4,954	3,784	5,976	110,926	355,579	67,758	77,425
<b>8</b>	5,07	12,87	7,853	6,854	4,967	3,809	5,964	151,381	440,432	51,956	89,519
<b>9</b>	5,075	14,90	8,854	6,856	4,978	3,825	5,958	187,364	336,283	91,123	121,374
<b>10</b>	5,08	16,91	8,855	6,855	4,984	3,845	5,937	236,123	223,657	112,859	149,173
<b>11</b>	5,085	18,92	9,856	6,856	4,987	3,851	5,916	292,341	118,624	153,717	184,136
<b>12</b>	5,09	15,92	10,86	6,865	4,996	3,8534	5,874	344,324	91,324	117,965	179,152
<b>13</b>	5,095	12,93	11,85	7,859	4,999	3,8536	5,842	426,939	68,926	155,912	201,239
<b>14</b>	5,1	11,93	12,87	7,876	4,976	3,854	5,814	477,128	44,675	169,359	225,482
<b>15</b>	5,125	9,935	11,89	7,895	4,964	3,856	5,756	505,327	29,367	192,924	240,976
<b>16</b>	5,135	8,941	9,925	7,925	4,958	3,859	5,718	558,386	18,567	218,549	275,846
<b>17</b>	5,15	7,945	8,945	7,945	4,937	3,867	5,671	618,859	23,932	247,354	316,124
<b>18</b>	5,153	6,951	7,945	7,951	4,916	3,879	5,629	895,737	35,124	284,167	363,928
<b>19</b>	5,157	5,965	6,95	6,955	4,874	3,886	5,567	906,168	61,946	316,375	403,153
<b>20</b>	5,2	4,965	5,965	6,975	4,842	3,897	5,486	885,761	121,387	341,326	431,195
<b>21</b>	5,25	3,974	4,975	7,001	4,814	3,916	5,452	790,639	310,519	375,651	471,588
<b>22</b>	5,3	2,981	5,000	7,125	4,756	3,938	5,501	723,784	485,142	446,856	436,847
<b>23</b>	5,315	3,985	6,975	7,145	4,718	3,947	5,554	731,438	588,125	548,314	441,842
<b>24</b>	5,325	4990	7,955	7,165	4,671	3,954	5,621	721,321	683,435	644,716	439,425
<b>25</b>	5,35	5,995	8,945	7,195	4,629	3,967	5,658	691,845	772,834	729,942	422,147
<b>26</b>	5,353	7,997	9,935	7,209	4,567	3,978	5,712	508,614	880,562	849,316	435,954
<b>27</b>	5,357	9,001	10,92	7,225	4,482	3,984	5,753	429,956	687,987	748,231	450,492
<b>28</b>	5,4	10,94	11,89	7,25	4,452	3,987	5,781	330,129	488,951	647,987	454,897
<b>29</b>	5,425	12,90	12,86	7,975	4,364	3,996	5,802	127,152	385,494	442,967	458,289
<b>30</b>	5,445	10,88	14,85	7,955	4,326	3,999	5,825	78,654	211,209	232,856	172,164
<b>31</b>	5,465	8,944	15,85	7,95	4,264	3,976	5,845	52,145	196,197	115,632	153,356
<b>32</b>	5,475	6,780	12,85	7,945	4,184	3,964	5,851	86,243	87,325	93,135	127,168
<b>33</b>	5485	6,764	10,85	7,925	4,156	3,958	5,854	126,345	64,615	77,824	106,123
<b>34</b>	5,495	6,568	8,865	7,895	4,136	3,937	5,856	132,879	52,534	63,453	82,659
<b>35</b>	5,497	6,437	6,859	7,865	4,129	3,916	5,854	167,156	32,178	52,167	93,834
<b>36</b>	5,5	5325	4,876	7,854	4,116	3,874	5,856	170,531	66,176	42,836	91,345
<b>37</b>	5515	5,206	2,895	7,853	4,098	3,842	5,859	184,243	70,364	37,192	96,841
<b>38</b>	5,525	5,149	1,925	7,855	4,0816	3,814	5,867	191,956	76,428	25,834	93,952
<b>39</b>	5,545	5,089	3,945	7,856	4,0686	3,756	5,879	216,829	83,475	50,985	109,463
<b>40</b>	5,575	4,933	4,953	7,865	4,0486	3,718	5,886	383,329	104,924	98,591	133,415
<b>41</b>	5,6	4,889	5,955	7,859	4,0246	3,671	5,005	279,421	184,183	102,861	108,613
<b>42</b>	5,65	3,935	6,975	7,876	4,0126	3,629	5,027	225,356	286,324	105,817	107,319
<b>43</b>	5,7	3,941	7,001	7,895	4,0114	3,567	5,049	176,578	366,457	78,473	82,263
<b>44</b>	5,745	2,945	7,125	7,925	4,0026	3,484	5,095	170,948	265,814	81,417	84,132
<b>45</b>	5,75	3,95	7,145	7,945	4,0019	3,452	5,189	158,334	184,549	78,653	81,953

**Таблица № 2**(В соответствии с нашим вариантом)

Данные с 21 по 22 апреля 1997 года за каждый час

N	Y1=Dst (k)	Y2=Dst( k+1)	X1=[Bx, By ]		X2=[V/1000, Bz]		X3=[Dst(k-1), Dst(k-2)]	
			X11=Bx	X12=By	X21=V/1000	X22=Bz	X31=Dst(k-1)	X32=Dst(k-2)
1	-20	-22	2.1	-1.1	0.3680	-0.9	-19	-20
2	-22	-23	2.0	-0.9	0.3720	-1.1	-20	-19
3	-23	-20	2.8	-0.5	0.3700	-0.9	-22	-20
4	-20	-18	2.5	-0.7	0.3680	-1.0	-23	-22
5	-18	-14	3.3	-0.8	0.3680	-0.3	-20	-23
6	-14	-11	2.6	0.2	0.3680	1.5	-18	-20
7	-11	-11	2.9	0.0	0.3660	1.6	-14	-18
8	-11	-4	3.6	1.7	0.3650	0.5	-11	-14
9	-4	-1	3.3	0.9	0.3730	1.7	-11	-11
10	-1	-8	-1.7	-1.5	0.3810	-3.0	-4	-11
11	-8	-12	-0.8	-4.0	0.3890	-3.3	-1	-4
12	-12	-6	0.4	-2.8	0.3970	-2.2	-8	-1
13	-6	-14	-0.9	-1.5	0.3910	-1.6	-12	-8
14	-14	-20	-5.7	3.5	0.3890	-5.7	-6	-12
15	-20	-24	-4.8	4.6	0.3950	-5.9	-14	-6
16	-24	-24	-4.9	3.8	0.3990	-5.0	-20	-14
17	-24	-37	-3.5	0.7	0.3880	-7.9	-24	-20
18	-37	-57	-0.9	-3.6	0.4020	-9.4	-24	-24
19	-57	-78	-0.2	-6.3	0.4050	-9.5	-37	-24
20	-78	-84	2.4	-5.5	0.4040	-8.5	-57	-37
21	-84	-92	3.5	-6.5	0.4110	-7.2	-78	-57
22	-92	-102	1.5	-4.9	0.4220	-9.5	-84	-78
23	-102	-107	3.7	-5.8	0.4090	-9.6	-92	-84
24	-107	-93	5.9	-6.7	0.3890	-4.0	-102	-92
25	-93	-76	7.1	-7.7	0.3770	8.2	-107	-102
26	-76	-74	6.7	-9.0	0.3820	0.4	-93	-107
27	-74	-80	2.6	-7.9	0.3940	-8.5	-76	-93
28	-80	-79	5.7	-8.7	0.3800	-7.0	-74	-76
29	-79	-73	5.9	11.0	0.3800	-4.2	-80	-74
30	-73	-68	7.8	-9.9	0.3710	-3.0	-79	-80
31	-68	-63	7.8	-11.3	0.3690	-1.2	-73	-79
32	-63	-55	7.5	-11.6	0.3670	1.5	-68	-73
33	-55	-46	7.9	-9.9	0.3660	3.4	-63	-68
34	-46	-45	7.9	-9.3	0.3610	1.4	-55	-63
35	-45	-47	7.2	-8.8	0.3600	0.8	-46	-55
36	-47	-46	9.4	-7.3	0.3490	1.0	-45	-46
37	-46	-43	11.0	-3.6	0.3380	1.2	-47	-45
38	-43	-40	10.8	-2.7	0.3390	0.5	-46	-47
39	-40	-37	10.9	-3.3	0.3390	1.7	-43	-46
40	-37	-33	11.5	-1.7	0.3310	-0.3	-40	-43
41	-33	-35	11.4	-3.6	0.3350	-2.7	-37	-40
42	-35	-36	11.6	-2.7	0.3320	-2.5	-33	-37
43	-36	-39	10.7	-4.6	0.3390	-2.7	-35	-33
44	-39	-37	10.4	-4.8	0.3380	-1.2	-36	-35
45	-37	-35	11.0	-3.8	0.3280	0.2	-39	-36
46	-35	-36	9.7	-4.6	0.3320	-3.9	-37	-39
47	-36	-34	8.9	-4.4	0.3280	-1.4	-35	-37
48	-34	-34	8.9	-4.7	0.3220	0.1	-36	-35

## Структура функций $\Phi_i$ (варианты 1-8)

$$\Phi_i(x) = \exp \left\{ \sum_{k=1}^{K_0} L_{ik} \ln [1 + c_{ik} \Phi_{ik}(x_k)] \right\} - 1 \quad i = \overline{1, m}; \quad k = \overline{1, K_0};$$

$$\Phi_{ik}(x_k) = \frac{1}{c_{ik}} \left\langle \exp \sum_{j_k=1}^{n_k} N_{kj_k} \ln [1 + a_{ikj_k} \Psi_{kj_k}(x_{kj_k})] - 1 \right\rangle; \quad x_k = \langle x_{kj_k}, j_k = \overline{1, n_k} \rangle;$$

$$\Psi_{kj_k}(x_{kj_k}) = \frac{1}{a_{ikj_k}} \left\langle \exp \left\{ \varphi_{0j_k} + \sum_{p_{jk}=1}^{P_{kj_k}} V_{kj_k} \ln [1 + \lambda_{kj_k} \varphi_{p_{jk}}(x_{kj_k})] \right\} - 1 \right\rangle.$$

### Вариант 1

$$[1 + a_{ikj_k} \Psi_{kj_k}(x_{kj_k})] = \prod_{p_{jk}=1}^{P_{kj_k}} [1 + \lambda_{kj_k} T_{p_{jk}}^*(x_{kj_k})]^{V_{kj_k}}$$

$$\Psi_{kj_k}(x_{kj_k}) = \frac{1}{a_{ikj_k}} \left\langle \exp \left\{ \lambda_{0j_k} \ln 1,5 + \sum_{p_{jk}=1}^{P_{kj_k}} V_{kj_k} \ln [1 + \lambda_{kj_k} T_{p_{jk}}^*(x_{kj_k})] \right\} - 1 \right\rangle$$

Варианты функций  $\varphi_{p_k}(x_{j_k})$ .

$$\varphi_{p_k}(x_{j_k}) \Rightarrow T_n(x); \quad \varphi_{0j_k} = \lambda_{0j_k} \ln(1 + T_0) = \lambda_{0j_k} \ln 1,5; \quad k = \overline{1, K_0}; \quad j_k = \overline{1, n_k}$$

$$\varphi_{p_k}(x_{j_k}) \Rightarrow U_n^*(x); \quad \varphi_{0j_k} = \lambda_{0j_k} \ln(1 + U_0^*) = \lambda_{0j_k} \ln 1,5; \quad k = \overline{1, K_0}; \quad j_k = \overline{1, n_k}$$

Сначала построим по заданной дискретной выборке в мультипликативной форме приближающие функции  $\Phi_i(x_1, x_2, x_3)$

# 1)Полином Чебышева 1го рода:

System Analysis - Lab 3
?
X

Дані

Розмір вибірки
45

E:/Uni/sys-an-labs-master/data\_u.txt

E:/Uni/sys-an-labs-master/l2/ololo.xlsx

Типи поліномів

☒ Чебишев I  
☐ Чебишев I зміщ.  
☐ Чебишев II зміщ.  
☐ Власний тип

Поліноми

Порядки

X1 10  
X2 11  
X3 10

Розмірності

X1 2 Y 4  
X2 2 X3 3

Виконання

Графіки
Ок

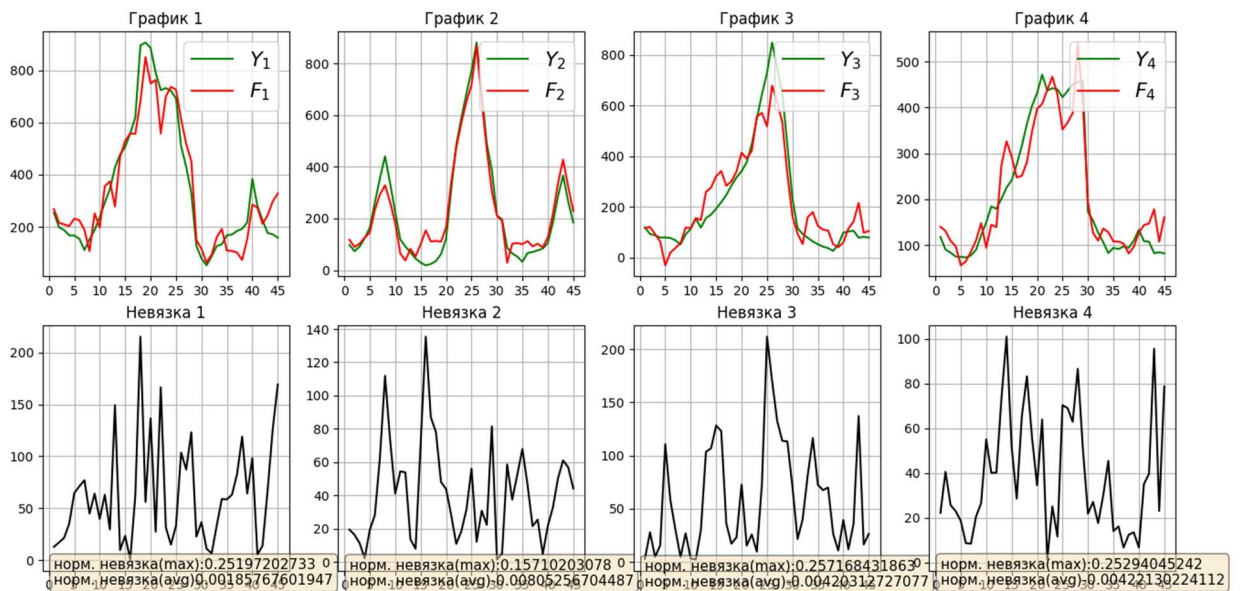
Додатково

☐ Триблоковий лямбда-вираз

Ваги Scaled

Введенные данные: X

5.05	8.65	7.75	6.975	4.879	3.501	5.967
5.052	8.7	7.78	6.955	4.886	3.553	5.978
5.055	8.745	7.8	6.95	4.897	3.611	5.984
5.06	8.75	7.82	6.945	4.916	3.652	5.987
5.063	9.8	7.845	6.925	4.938	3.723	5.996
5.064	10.25	7.851	6.895	4.947	3.758	5.999
5.067	11.85	7.852	6.865	4.954	3.784	5.976
5.07	12.87	7.853	6.854	4.967	3.809	5.964
5.075	14.9	8.854	6.856	4.978	3.825	5.958
5.08	16.91	8.855	6.855	4.984	3.845	5.937
5.085	18.92	9.856	6.856	4.987	3.851	5.916
5.09	15.92	10.86	6.865	4.996	3.8534	5.874
5.095	12.93	11.85	7.859	4.999	3.8536	5.842
5.1	11.93	12.87	7.876	4.976	3.854	5.814
5.125	9.935	11.89	7.895	4.964	3.856	5.756
5.135	8.941	9.925	7.925	4.958	3.859	5.718
5.15	7.945	8.945	7.945	4.937	3.867	5.671
5.153	6.951	7.945	7.951	4.916	3.879	5.629
5.157	5.965	6.95	6.955	4.874	3.886	5.567



Нормализованная невязка(max) (Y - Φ)

-----  
0.251972 0.157102 0.257168 0.25294  
-----

Нормализованная невязка(avg) (Y - Φ)

-----  
0.00185768 -0.00805257 -0.00420313 -0.0042213  
-----

Невязка(max) (Y<sub>-</sub> - Φ<sub>-</sub>)

-----  
215.19 135.421 211.774 100.865  
-----

Невязка(avg) (Y<sub>-</sub> - Φ<sub>-</sub>)

-----  
1.5865 -6.94127 -3.4612 -1.68333  
-----

$$\text{Psi}^1_{[1,1]} = (1 + T_0(x_{11}))^{(0.011989)} * (1 + T_1(x_{11}))^{(0.000456)} * (1 + T_2(x_{11}))^{(-0.020132)} * (1 + T_3(x_{11}))^{(0.006322)} * (1 + T_4(x_{11}))^{(0.011489)} * (1 + T_5(x_{11}))^{(0.000719)} * (1 + T_6(x_{11}))^{(-0.029013)} * (1 + T_7(x_{11}))^{(-0.031599)} * (1 + T_8(x_{11}))^{(-0.055491)} * (1 + T_9(x_{11}))^{(-0.004599)} * (1 + T_{10}(x_{11}))^{(0.045000)} - 1$$

$$\text{Psi}^1_{[1,2]} = (1 + T_0(x_{12}))^{(0.011989)} * (1 + T_1(x_{12}))^{(0.005448)} * (1 + T_2(x_{12}))^{(-0.017285)} * (1 + T_3(x_{12}))^{(-0.007633)} * (1 + T_4(x_{12}))^{(0.042330)} * (1 + T_5(x_{12}))^{(-0.009240)} * (1 + T_6(x_{12}))^{(-0.021696)} * (1 + T_7(x_{12}))^{(-0.020105)} * (1 + T_8(x_{12}))^{(-0.002344)} * (1 + T_9(x_{12}))^{(-0.005456)} * (1 + T_{10}(x_{12}))^{(0.016784)} - 1$$

$$\text{Psi}^1_{[2,1]} = (1 + T_0(x_{21}))^{(0.011989)} * (1 + T_1(x_{21}))^{(0.015813)} * (1 + T_2(x_{21}))^{(0.005018)} * (1 + T_3(x_{21}))^{(-0.014722)} * (1 + T_4(x_{21}))^{(-0.011917)} * (1 + T_5(x_{21}))^{(0.021785)} * (1 + T_6(x_{21}))^{(-0.003513)} * (1 + T_7(x_{21}))^{(-0.006964)} * (1 + T_8(x_{21}))^{(0.012070)} * (1 + T_9(x_{21}))^{(0.005804)} * (1 + T_{10}(x_{21}))^{(-0.007771)} * (1 + T_{11}(x_{21}))^{(-0.006673)} - 1$$

$$\text{Psi}^1_{[2,2]} = (1 + T_0(x_{22}))^{(0.011989)} * (1 + T_1(x_{22}))^{(0.020774)} * (1 + T_2(x_{22}))^{(0.037566)} * (1 + T_3(x_{22}))^{(0.002427)} * (1 + T_4(x_{22}))^{(0.003598)} * (1 + T_5(x_{22}))^{(0.016174)} * (1 + T_6(x_{22}))^{(-0.016447)} * (1 + T_7(x_{22}))^{(-0.004341)} * (1 + T_8(x_{22}))^{(0.001658)} * (1 + T_9(x_{22}))^{(0.031753)} * (1 + T_{10}(x_{22}))^{(-0.020912)} * (1 + T_{11}(x_{22}))^{(0.018086)} - 1$$

$$\text{Psi}^1_{[3,1]} = (1 + T_0(x_{31}))^{(0.011989)} * (1 + T_1(x_{31}))^{(0.018646)} * (1 + T_2(x_{31}))^{(0.030581)} * (1 + T_3(x_{31}))^{(-0.000432)} * (1 + T_4(x_{31}))^{(0.019520)} * (1 + T_5(x_{31}))^{(-0.026302)} * (1 + T_6(x_{31}))^{(-0.031226)} * (1 + T_7(x_{31}))^{(-0.003066)} * (1 + T_8(x_{31}))^{(-0.010330)} * (1 + T_9(x_{31}))^{(0.015036)} * (1 + T_{10}(x_{31}))^{(0.031109)} - 1$$

$$\text{Psi}^1_{[3,2]}=(1 + \text{T0}(\text{x32}))^{(0.011989)} * (1 + \text{T1}(\text{x32}))^{(0.012022)} * (1 + \text{T2}(\text{x32}))^{(0.020976)} * (1 + \text{T3}(\text{x32}))^{(-0.017082)} * (1 + \text{T4}(\text{x32}))^{(-0.010274)} * (1 + \text{T5}(\text{x32}))^{(-0.009948)} * (1 + \text{T6}(\text{x32}))^{(0.002097)} * (1 + \text{T7}(\text{x32}))^{(0.015102)} * (1 + \text{T8}(\text{x32}))^{(0.003948)} * (1 + \text{T9}(\text{x32}))^{(-0.001462)} * (1 + \text{T10}(\text{x32}))^{(-0.046617)} - 1$$

$$\text{Psi}^1_{[3,3]}=(1 + \text{T0}(\text{x33}))^{(0.011989)} * (1 + \text{T1}(\text{x33}))^{(0.001356)} * (1 + \text{T2}(\text{x33}))^{(-0.005897)} * (1 + \text{T3}(\text{x33}))^{(-0.034691)} * (1 + \text{T4}(\text{x33}))^{(-0.008254)} * (1 + \text{T5}(\text{x33}))^{(-0.041351)} * (1 + \text{T6}(\text{x33}))^{(0.030763)} * (1 + \text{T7}(\text{x33}))^{(-0.034884)} * (1 + \text{T8}(\text{x33}))^{(-0.002625)} * (1 + \text{T9}(\text{x33}))^{(0.052755)} * (1 + \text{T10}(\text{x33}))^{(-0.031647)} - 1$$

$$\text{Psi}^2_{[1,1]}=(1 + \text{T0}(\text{x11}))^{(0.012474)} * (1 + \text{T1}(\text{x11}))^{(0.007675)} * (1 + \text{T2}(\text{x11}))^{(0.000978)} * (1 + \text{T3}(\text{x11}))^{(-0.010712)} * (1 + \text{T4}(\text{x11}))^{(0.002087)} * (1 + \text{T5}(\text{x11}))^{(0.008622)} * (1 + \text{T6}(\text{x11}))^{(-0.004950)} * (1 + \text{T7}(\text{x11}))^{(-0.012421)} * (1 + \text{T8}(\text{x11}))^{(-0.033800)} * (1 + \text{T9}(\text{x11}))^{(0.009942)} * (1 + \text{T10}(\text{x11}))^{(-0.000750)} - 1$$

$$\text{Psi}^2_{[1,2]}=(1 + \text{T0}(\text{x12}))^{(0.012474)} * (1 + \text{T1}(\text{x12}))^{(0.007012)} * (1 + \text{T2}(\text{x12}))^{(0.000357)} * (1 + \text{T3}(\text{x12}))^{(-0.008942)} * (1 + \text{T4}(\text{x12}))^{(-0.019006)} * (1 + \text{T5}(\text{x12}))^{(0.002792)} * (1 + \text{T6}(\text{x12}))^{(0.000136)} * (1 + \text{T7}(\text{x12}))^{(0.002025)} * (1 + \text{T8}(\text{x12}))^{(0.006705)} * (1 + \text{T9}(\text{x12}))^{(0.014623)} * (1 + \text{T10}(\text{x12}))^{(-0.008371)} - 1$$

$$\text{Psi}^2_{[2,1]}=(1 + \text{T0}(\text{x21}))^{(0.012474)} * (1 + \text{T1}(\text{x21}))^{(0.007538)} * (1 + \text{T2}(\text{x21}))^{(-0.016162)} * (1 + \text{T3}(\text{x21}))^{(-0.009792)} * (1 + \text{T4}(\text{x21}))^{(-0.004875)} * (1 + \text{T5}(\text{x21}))^{(0.029202)} * (1 + \text{T6}(\text{x21}))^{(0.011400)} * (1 + \text{T7}(\text{x21}))^{(-0.002755)} * (1 + \text{T8}(\text{x21}))^{(-0.003935)} * (1 + \text{T9}(\text{x21}))^{(0.008604)} * (1 + \text{T10}(\text{x21}))^{(-0.000663)} * (1 + \text{T11}(\text{x21}))^{(0.000687)} - 1$$

$$\text{Psi}^2_{[2,2]}=(1 + \text{T0}(\text{x22}))^{(0.012474)} * (1 + \text{T1}(\text{x22}))^{(0.008522)} * (1 + \text{T2}(\text{x22}))^{(-0.019856)} * (1 + \text{T3}(\text{x22}))^{(-0.004095)} * (1 + \text{T4}(\text{x22}))^{(0.008386)} * (1 + \text{T5}(\text{x22}))^{(0.008427)} * (1 + \text{T6}(\text{x22}))^{(-0.005219)} * (1 + \text{T7}(\text{x22}))^{(0.007856)} * (1 + \text{T8}(\text{x22}))^{(0.000872)} * (1 + \text{T9}(\text{x22}))^{(0.012910)} * (1 + \text{T10}(\text{x22}))^{(0.015970)} * (1 + \text{T11}(\text{x22}))^{(0.013857)} - 1$$

$$\text{Psi}^2_{[3,1]}=(1 + \text{T0}(\text{x31}))^{(0.012474)} * (1 + \text{T1}(\text{x31}))^{(0.006443)} * (1 + \text{T2}(\text{x31}))^{(-0.023161)} * (1 + \text{T3}(\text{x31}))^{(-0.043670)} * (1 + \text{T4}(\text{x31}))^{(0.022094)} * (1 + \text{T5}(\text{x31}))^{(-0.023738)} * (1 + \text{T6}(\text{x31}))^{(0.025172)} * (1 + \text{T7}(\text{x31}))^{(0.002629)} * (1 + \text{T8}(\text{x31}))^{(0.005875)} * (1 + \text{T9}(\text{x31}))^{(0.015555)} * (1 + \text{T10}(\text{x31}))^{(-0.012409)} - 1$$

$$\text{Psi}^2_{[3,2]}=(1 + \text{T0}(\text{x32}))^{(0.012474)} * (1 + \text{T1}(\text{x32}))^{(0.010334)} * (1 + \text{T2}(\text{x32}))^{(0.011133)} * (1 + \text{T3}(\text{x32}))^{(0.002333)} * (1 + \text{T4}(\text{x32}))^{(-0.001091)} * (1 + \text{T5}(\text{x32}))^{(0.021630)} * (1 + \text{T6}(\text{x32}))^{(0.002459)} * (1 + \text{T7}(\text{x32}))^{(-0.000054)} * (1 + \text{T8}(\text{x32}))^{(-0.006401)} * (1 + \text{T9}(\text{x32}))^{(-0.013634)} * (1 + \text{T10}(\text{x32}))^{(-0.009610)} - 1$$

$$\text{Psi}^2_{[3,3]}=(1 + \text{T0}(\text{x33}))^{(0.012474)} * (1 + \text{T1}(\text{x33}))^{(0.006555)} * (1 + \text{T2}(\text{x33}))^{(-0.013379)} * (1 + \text{T3}(\text{x33}))^{(0.004800)} * (1 + \text{T4}(\text{x33}))^{(-0.017369)} * (1 + \text{T5}(\text{x33}))^{(-0.022727)} * (1 + \text{T6}(\text{x33}))^{(0.014967)} * (1 + \text{T7}(\text{x33}))^{(0.021525)} * (1 + \text{T8}(\text{x33}))^{(0.004877)} * (1 + \text{T9}(\text{x33}))^{(-0.004815)} * (1 + \text{T10}(\text{x33}))^{(-0.001058)} - 1$$

$$\text{Psi}^3_{[1,1]}=(1 + \text{T0}(\text{x11}))^{(0.011492)} * (1 + \text{T1}(\text{x11}))^{(0.005950)} * (1 + \text{T2}(\text{x11}))^{(-0.013531)} * (1 + \text{T3}(\text{x11}))^{(-0.016092)} * (1 + \text{T4}(\text{x11}))^{(0.005559)} * (1 + \text{T5}(\text{x11}))^{(0.005107)} * (1 + \text{T6}(\text{x11}))^{(-0.005802)} * (1 + \text{T7}(\text{x11}))^{(-0.016289)} * (1 + \text{T8}(\text{x11}))^{(-0.037437)} * (1 + \text{T9}(\text{x11}))^{(0.014042)} * (1 + \text{T10}(\text{x11}))^{(0.016929)} - 1$$

$$\text{Psi}^3_{[1,2]}=(1 + \text{T0}(\text{x12}))^{(0.011492)} * (1 + \text{T1}(\text{x12}))^{(0.006779)} * (1 + \text{T2}(\text{x12}))^{(0.000197)} * (1 + \text{T3}(\text{x12}))^{(-0.006818)} * (1 + \text{T4}(\text{x12}))^{(0.022956)} * (1 + \text{T5}(\text{x12}))^{(0.004508)} * (1 + \text{T6}(\text{x12}))^{(-0.007905)} * (1 + \text{T7}(\text{x12}))^{(-0.005586)} * (1 + \text{T8}(\text{x12}))^{(0.005008)} * (1 + \text{T9}(\text{x12}))^{(0.005183)} * (1 + \text{T10}(\text{x12}))^{(0.002435)} - 1$$

$$\text{Psi}^3_{[2,1]}=(1 + \text{T0}(\text{x21}))^{(0.011492)} * (1 + \text{T1}(\text{x21}))^{(0.008775)} * (1 + \text{T2}(\text{x21}))^{(-0.010015)} * (1 + \text{T3}(\text{x21}))^{(-0.011133)} * (1 + \text{T4}(\text{x21}))^{(-0.016565)} * (1 + \text{T5}(\text{x21}))^{(0.025998)} * (1 + \text{T6}(\text{x21}))^{(0.007423)} * (1 + \text{T7}(\text{x21}))^{(0.004280)} * (1 + \text{T8}(\text{x21}))^{(0.008388)} * (1 + \text{T9}(\text{x21}))^{(0.005493)} * (1 + \text{T10}(\text{x21}))^{(-0.000419)} * (1 + \text{T11}(\text{x21}))^{(-0.002982)} - 1$$

$$\text{Psi}^3_{[2,2]}=(1 + \text{T0}(\text{x22}))^{(0.011492)} * (1 + \text{T1}(\text{x22}))^{(0.011235)} * (1 + \text{T2}(\text{x22}))^{(-0.002489)} * (1 + \text{T3}(\text{x22}))^{(-0.000777)} * (1 + \text{T4}(\text{x22}))^{(0.011005)} * (1 + \text{T5}(\text{x22}))^{(0.018658)} * (1 + \text{T6}(\text{x22}))^{(0.002302)} * (1 + \text{T7}(\text{x22}))^{(0.004578)} * (1 + \text{T8}(\text{x22}))^{(0.010325)} * (1 + \text{T9}(\text{x22}))^{(0.020942)} * (1 + \text{T10}(\text{x22}))^{(0.000469)} * (1 + \text{T11}(\text{x22}))^{(0.016513)} - 1$$

$$\text{Psi}^3_{[3,1]}=(1 + \text{T0}(\text{x31}))^{(0.011492)} * (1 + \text{T1}(\text{x31}))^{(0.009223)} * (1 + \text{T2}(\text{x31}))^{(-0.000724)} * (1 + \text{T3}(\text{x31}))^{(-0.036952)} * (1 + \text{T4}(\text{x31}))^{(0.010950)} * (1 + \text{T5}(\text{x31}))^{(-0.018826)} * (1 + \text{T6}(\text{x31}))^{(-0.004285)} * (1 + \text{T7}(\text{x31}))^{(0.001947)} * (1 + \text{T8}(\text{x31}))^{(0.002410)} * (1 + \text{T9}(\text{x31}))^{(0.014206)} * (1 + \text{T10}(\text{x31}))^{(0.003243)} - 1$$

$$\text{Psi}^3_{[3,2]}=(1 + \text{T0}(\text{x32}))^{(0.011492)} * (1 + \text{T1}(\text{x32}))^{(0.010151)} * (1 + \text{T2}(\text{x32}))^{(0.004538)} * (1 + \text{T3}(\text{x32}))^{(-0.002205)} * (1 + \text{T4}(\text{x32}))^{(0.007181)} * (1 + \text{T5}(\text{x32}))^{(0.014733)} * (1 + \text{T6}(\text{x32}))^{(-0.002745)} * (1 + \text{T7}(\text{x32}))^{(0.016500)} * (1 + \text{T8}(\text{x32}))^{(0.003339)} * (1 + \text{T9}(\text{x32}))^{(-0.009565)} * (1 + \text{T10}(\text{x32}))^{(0.000448)} - 1$$



$$\text{Psi}^3_{[3,3]}=(1 + \text{T0}(\text{x33}))^{(0.011492)} * (1 + \text{T1}(\text{x33}))^{(0.005811)} * (1 + \text{T2}(\text{x33}))^{(-0.009380)} * (1 + \text{T3}(\text{x33}))^{(-0.016411)} * (1 + \text{T4}(\text{x33}))^{(-0.024442)} * (1 + \text{T5}(\text{x33}))^{(-0.041848)} * (1 + \text{T6}(\text{x33}))^{(0.017722)} * (1 + \text{T7}(\text{x33}))^{(-0.003854)} * (1 + \text{T8}(\text{x33}))^{(-0.000921)} * (1 + \text{T9}(\text{x33}))^{(0.015736)} * (1 + \text{T10}(\text{x33}))^{(-0.010408)} - 1$$

$$\text{Psi}^4_{[1,1]}=(1 + \text{T0}(\text{x11}))^{(0.017461)} * (1 + \text{T1}(\text{x11}))^{(0.008723)} * (1 + \text{T2}(\text{x11}))^{(-0.008132)} * (1 + \text{T3}(\text{x11}))^{(-0.029567)} * (1 + \text{T4}(\text{x11}))^{(0.002454)} * (1 + \text{T5}(\text{x11}))^{(-0.000819)} * (1 + \text{T6}(\text{x11}))^{(-0.014527)} * (1 + \text{T7}(\text{x11}))^{(-0.020127)} * (1 + \text{T8}(\text{x11}))^{(-0.059333)} * (1 + \text{T9}(\text{x11}))^{(0.018439)} * (1 + \text{T10}(\text{x11}))^{(0.023213)} - 1$$

$$\text{Psi}^4_{[1,2]}=(1 + \text{T0}(\text{x12}))^{(0.017461)} * (1 + \text{T1}(\text{x12}))^{(0.010490)} * (1 + \text{T2}(\text{x12}))^{(0.006561)} * (1 + \text{T3}(\text{x12}))^{(0.001335)} * (1 + \text{T4}(\text{x12}))^{(0.042378)} * (1 + \text{T5}(\text{x12}))^{(-0.007318)} * (1 + \text{T6}(\text{x12}))^{(-0.009870)} * (1 + \text{T7}(\text{x12}))^{(-0.006980)} * (1 + \text{T8}(\text{x12}))^{(-0.000597)} * (1 + \text{T9}(\text{x12}))^{(0.012192)} * (1 + \text{T10}(\text{x12}))^{(0.004587)} - 1$$

$$\text{Psi}^4_{[2,1]}=(1 + \text{T0}(\text{x21}))^{(0.017461)} * (1 + \text{T1}(\text{x21}))^{(0.015579)} * (1 + \text{T2}(\text{x21}))^{(-0.018050)} * (1 + \text{T3}(\text{x21}))^{(-0.020867)} * (1 + \text{T4}(\text{x21}))^{(-0.035650)} * (1 + \text{T5}(\text{x21}))^{(0.031723)} * (1 + \text{T6}(\text{x21}))^{(-0.001525)} * (1 + \text{T7}(\text{x21}))^{(0.003557)} * (1 + \text{T8}(\text{x21}))^{(0.012224)} * (1 + \text{T9}(\text{x21}))^{(0.012749)} * (1 + \text{T10}(\text{x21}))^{(0.012766)} * (1 + \text{T11}(\text{x21}))^{(0.004165)} - 1$$

$$\text{Psi}^4_{[2,2]}=(1 + \text{T0}(\text{x22}))^{(0.017461)} * (1 + \text{T1}(\text{x22}))^{(0.019854)} * (1 + \text{T2}(\text{x22}))^{(0.008930)} * (1 + \text{T3}(\text{x22}))^{(0.017660)} * (1 + \text{T4}(\text{x22}))^{(0.022019)} * (1 + \text{T5}(\text{x22}))^{(0.031975)} * (1 + \text{T6}(\text{x22}))^{(0.011165)} * (1 + \text{T7}(\text{x22}))^{(0.003959)} * (1 + \text{T8}(\text{x22}))^{(0.024203)} * (1 + \text{T9}(\text{x22}))^{(0.023413)} * (1 + \text{T10}(\text{x22}))^{(-0.018664)} * (1 + \text{T11}(\text{x22}))^{(0.007153)} - 1$$

$$\text{Psi}^4_{[3,1]}=(1 + \text{T0}(\text{x31}))^{(0.017461)} * (1 + \text{T1}(\text{x31}))^{(0.015684)} * (1 + \text{T2}(\text{x31}))^{(0.011377)} * (1 + \text{T3}(\text{x31}))^{(-0.026640)} * (1 + \text{T4}(\text{x31}))^{(0.009559)} * (1 + \text{T5}(\text{x31}))^{(-0.034058)} * (1 + \text{T6}(\text{x31}))^{(-0.025135)} * (1 + \text{T7}(\text{x31}))^{(0.005292)} * (1 + \text{T8}(\text{x31}))^{(-0.004991)} * (1 + \text{T9}(\text{x31}))^{(0.013604)} * (1 + \text{T10}(\text{x31}))^{(0.007894)} - 1$$

$$\text{Psi}^4_{[3,2]}=(1 + \text{T0}(\text{x32}))^{(0.017461)} * (1 + \text{T1}(\text{x32}))^{(0.017841)} * (1 + \text{T2}(\text{x32}))^{(0.029553)} * (1 + \text{T3}(\text{x32}))^{(-0.008269)} * (1 + \text{T4}(\text{x32}))^{(0.004631)} * (1 + \text{T5}(\text{x32}))^{(0.018628)} * (1 + \text{T6}(\text{x32}))^{(-0.008118)} * (1 + \text{T7}(\text{x32}))^{(0.034720)} * (1 + \text{T8}(\text{x32}))^{(0.018054)} * (1 + \text{T9}(\text{x32}))^{(0.000204)} * (1 + \text{T10}(\text{x32}))^{(-0.006904)} - 1$$

$$\text{Psi}^4_{[3,3]}=(1 + \text{T0}(\text{x33}))^{(0.017461)} * (1 + \text{T1}(\text{x33}))^{(0.007332)} * (1 + \text{T2}(\text{x33}))^{(-0.010541)} * (1 + \text{T3}(\text{x33}))^{(-0.044189)} * (1 + \text{T4}(\text{x33}))^{(-0.017285)} * (1 + \text{T5}(\text{x33}))^{(-0.070810)} * (1 + \text{T6}(\text{x33}))^{(0.030443)} * (1 + \text{T7}(\text{x33}))^{(-0.023842)} * (1 + \text{T8}(\text{x33}))^{(-0.009086)} * (1 + \text{T9}(\text{x33}))^{(0.030224)} * (1 + \text{T10}(\text{x33}))^{(-0.024266)} - 1$$

$$\text{Phi}^1_{[1]}=(1 + \text{T0}(\text{x11}))^{(0.011953)} * (1 + \text{T1}(\text{x11}))^{(0.000455)} * (1 + \text{T2}(\text{x11}))^{(-0.020072)} * (1 + \text{T3}(\text{x11}))^{(0.006303)} * (1 + \text{T4}(\text{x11}))^{(0.011455)} * (1 + \text{T5}(\text{x11}))^{(0.000717)} * (1 + \text{T6}(\text{x11}))^{(-0.028925)} * (1 + \text{T7}(\text{x11}))^{(-0.031504)} * (1 + \text{T8}(\text{x11}))^{(-0.055324)} * (1 + \text{T9}(\text{x11}))^{(-0.004585)} * (1 + \text{T10}(\text{x11}))^{(0.044864)} * (1 + \text{T0}(\text{x12}))^{(0.013582)} * (1 + \text{T1}(\text{x12}))^{(0.006172)} * (1 + \text{T2}(\text{x12}))^{(-0.019582)} * (1 + \text{T3}(\text{x12}))^{(-0.008647)} * (1 + \text{T4}(\text{x12}))^{(0.047954)} * (1 + \text{T5}(\text{x12}))^{(-0.010468)} * (1 + \text{T6}(\text{x12}))^{(-0.024579)} * (1 + \text{T7}(\text{x12}))^{(-0.022776)} * (1 + \text{T8}(\text{x12}))^{(-0.002655)} * (1 + \text{T9}(\text{x12}))^{(-0.006181)} * (1 + \text{T10}(\text{x12}))^{(0.019014)} - 1$$

$$\text{Phi}^1_{[2]}=(1 + \text{T0}(\text{x21}))^{(0.033193)} * (1 + \text{T1}(\text{x21}))^{(0.043782)} * (1 + \text{T2}(\text{x21}))^{(0.013893)} * (1 + \text{T3}(\text{x21}))^{(-0.040759)} * (1 + \text{T4}(\text{x21}))^{(-0.032995)} * (1 + \text{T5}(\text{x21}))^{(0.060315)} * (1 + \text{T6}(\text{x21}))^{(-0.009727)} * (1 + \text{T7}(\text{x21}))^{(-0.019280)} * (1 + \text{T8}(\text{x21}))^{(0.033419)} * (1 + \text{T9}(\text{x21}))^{(0.016070)} * (1 + \text{T10}(\text{x21}))^{(-0.021514)} * (1 + \text{T11}(\text{x21}))^{(-0.018475)} * (1 + \text{T0}(\text{x22}))^{(-0.011358)} * (1 + \text{T1}(\text{x22}))^{(-0.019681)} * (1 + \text{T2}(\text{x22}))^{(-0.035590)} * (1 + \text{T3}(\text{x22}))^{(-0.002300)} * (1 + \text{T4}(\text{x22}))^{(-0.003409)} * (1 + \text{T5}(\text{x22}))^{(-0.015323)} * (1 + \text{T6}(\text{x22}))^{(0.015581)} * (1 + \text{T7}(\text{x22}))^{(0.004112)} * (1 + \text{T8}(\text{x22}))^{(-0.001571)} * (1 + \text{T9}(\text{x22}))^{(-0.030083)} * (1 + \text{T10}(\text{x22}))^{(0.019811)} * (1 + \text{T11}(\text{x22}))^{(-0.017135)} - 1$$

$$\text{Phi}^1_{[3]}=(1 + \text{T0}(\text{x31}))^{(0.008825)} * (1 + \text{T1}(\text{x31}))^{(0.013725)} * (1 + \text{T2}(\text{x31}))^{(0.022510)} * (1 + \text{T3}(\text{x31}))^{(-0.000318)} * (1 + \text{T4}(\text{x31}))^{(0.014368)} * (1 + \text{T5}(\text{x31}))^{(-0.019361)} * (1 + \text{T6}(\text{x31}))^{(-0.022985)} * (1 + \text{T7}(\text{x31}))^{(-0.002257)} * (1 + \text{T8}(\text{x31}))^{(-0.007604)} * (1 + \text{T9}(\text{x31}))^{(0.011068)} * (1 + \text{T10}(\text{x31}))^{(0.022899)} * (1 + \text{T0}(\text{x32}))^{(0.011856)} * (1 + \text{T1}(\text{x32}))^{(0.011888)} * (1 + \text{T2}(\text{x32}))^{(0.020743)} * (1 + \text{T3}(\text{x32}))^{(-0.016892)} * (1 + \text{T4}(\text{x32}))^{(-0.010160)} * (1 + \text{T5}(\text{x32}))^{(-0.009838)} * (1 + \text{T6}(\text{x32}))^{(0.002074)} * (1 + \text{T7}(\text{x32}))^{(0.014934)} * (1 + \text{T8}(\text{x32}))^{(0.003904)} * (1 + \text{T9}(\text{x32}))^{(-0.001446)} * (1 + \text{T10}(\text{x32}))^{(-0.046099)} * (1 + \text{T0}(\text{x33}))^{(0.020135)} * (1 + \text{T1}(\text{x33}))^{(0.002278)} * (1 + \text{T2}(\text{x33}))^{(-0.009904)} * (1 + \text{T3}(\text{x33}))^{(-0.058264)} * (1 + \text{T4}(\text{x33}))^{(-0.013862)} * (1 + \text{T5}(\text{x33}))^{(-0.069450)} * (1 + \text{T6}(\text{x33}))^{(0.051667)} * (1 + \text{T7}(\text{x33}))^{(-0.058587)} * (1 + \text{T8}(\text{x33}))^{(-0.004409)} * (1 + \text{T9}(\text{x33}))^{(0.088603)} * (1 + \text{T10}(\text{x33}))^{(-0.053152)} - 1$$

$$\text{Phi}^2_{[1]}=(1 + \text{T0}(\text{x11}))^{(0.029518)} * (1 + \text{T1}(\text{x11}))^{(0.018161)} * (1 + \text{T2}(\text{x11}))^{(0.002315)} * (1 + \text{T3}(\text{x11}))^{(-0.025347)} * (1 + \text{T4}(\text{x11}))^{(0.004939)} * (1 + \text{T5}(\text{x11}))^{(0.020403)} * (1 + \text{T6}(\text{x11}))^{(-0.011712)} * (1 + \text{T7}(\text{x11}))^{(-0.029392)} * (1 + \text{T8}(\text{x11}))^{(-0.079980)} * (1 + \text{T9}(\text{x11}))^{(0.023526)} * (1 + \text{T10}(\text{x11}))^{(-0.001775)} * (1 +$$

$$T0(x_{12})^{(0.022885)} * (1 + T1(x_{12}))^{(0.012864)} * (1 + T2(x_{12}))^{(0.000655)} * (1 + T3(x_{12}))^{(-0.016405)} * (1 + T4(x_{12}))^{(-0.034868)} * (1 + T5(x_{12}))^{(0.005122)} * (1 + T6(x_{12}))^{(0.000249)} * (1 + T7(x_{12}))^{(0.003715)} * (1 + T8(x_{12}))^{(0.012301)} * (1 + T9(x_{12}))^{(0.026827)} * (1 + T10(x_{12}))^{(-0.015356)} - 1$$

$$\text{Phi}^2_{[2]} = (1 + T0(x_{21}))^{(0.023120)} * (1 + T1(x_{21}))^{(0.013972)} * (1 + T2(x_{21}))^{(-0.029955)} * (1 + T3(x_{21}))^{(-0.018149)} * (1 + T4(x_{21}))^{(-0.009035)} * (1 + T5(x_{21}))^{(0.054124)} * (1 + T6(x_{21}))^{(0.021129)} * (1 + T7(x_{21}))^{(-0.005105)} * (1 + T8(x_{21}))^{(-0.007294)} * (1 + T9(x_{21}))^{(0.015948)} * (1 + T10(x_{21}))^{(-0.001228)} * (1 + T11(x_{21}))^{(0.001273)} * (1 + T0(x_{22}))^{(0.009593)} * (1 + T1(x_{22}))^{(0.006554)} * (1 + T2(x_{22}))^{(-0.015269)} * (1 + T3(x_{22}))^{(-0.003149)} * (1 + T4(x_{22}))^{(0.006449)} * (1 + T5(x_{22}))^{(0.006481)} * (1 + T6(x_{22}))^{(-0.004013)} * (1 + T7(x_{22}))^{(0.006041)} * (1 + T8(x_{22}))^{(0.000670)} * (1 + T9(x_{22}))^{(0.009928)} * (1 + T10(x_{22}))^{(0.012281)} * (1 + T11(x_{22}))^{(0.010656)} - 1$$

$$\text{Phi}^2_{[3]} = (1 + T0(x_{31}))^{(0.013909)} * (1 + T1(x_{31}))^{(0.007184)} * (1 + T2(x_{31}))^{(-0.025825)} * (1 + T3(x_{31}))^{(-0.048694)} * (1 + T4(x_{31}))^{(0.024636)} * (1 + T5(x_{31}))^{(-0.026468)} * (1 + T6(x_{31}))^{(0.028068)} * (1 + T7(x_{31}))^{(0.002931)} * (1 + T8(x_{31}))^{(0.006550)} * (1 + T9(x_{31}))^{(0.017345)} * (1 + T10(x_{31}))^{(-0.013836)} * (1 + T0(x_{32}))^{(0.011234)} * (1 + T1(x_{32}))^{(0.009307)} * (1 + T2(x_{32}))^{(0.010026)} * (1 + T3(x_{32}))^{(0.002101)} * (1 + T4(x_{32}))^{(-0.000982)} * (1 + T5(x_{32}))^{(0.019479)} * (1 + T6(x_{32}))^{(0.002214)} * (1 + T7(x_{32}))^{(-0.000049)} * (1 + T8(x_{32}))^{(-0.005765)} * (1 + T9(x_{32}))^{(-0.012278)} * (1 + T10(x_{32}))^{(-0.008655)} * (1 + T0(x_{33}))^{(0.018731)} * (1 + T1(x_{33}))^{(0.009843)} * (1 + T2(x_{33}))^{(-0.020090)} * (1 + T3(x_{33}))^{(0.007207)} * (1 + T4(x_{33}))^{(-0.026081)} * (1 + T5(x_{33}))^{(-0.034126)} * (1 + T6(x_{33}))^{(0.022474)} * (1 + T7(x_{33}))^{(0.032321)} * (1 + T8(x_{33}))^{(0.007324)} * (1 + T9(x_{33}))^{(-0.007231)} * (1 + T10(x_{33}))^{(-0.001588)} - 1$$

$$\text{Phi}^3_{[1]} = (1 + T0(x_{11}))^{(0.020798)} * (1 + T1(x_{11}))^{(0.010767)} * (1 + T2(x_{11}))^{(-0.024488)} * (1 + T3(x_{11}))^{(-0.029121)} * (1 + T4(x_{11}))^{(0.010060)} * (1 + T5(x_{11}))^{(0.009243)} * (1 + T6(x_{11}))^{(-0.010500)} * (1 + T7(x_{11}))^{(-0.029478)} * (1 + T8(x_{11}))^{(-0.067750)} * (1 + T9(x_{11}))^{(0.025412)} * (1 + T10(x_{11}))^{(0.030636)} * (1 + T0(x_{12}))^{(0.011548)} * (1 + T1(x_{12}))^{(0.006812)} * (1 + T2(x_{12}))^{(0.000198)} * (1 + T3(x_{12}))^{(-0.006851)} * (1 + T4(x_{12}))^{(0.023068)} * (1 + T5(x_{12}))^{(0.004530)} * (1 + T6(x_{12}))^{(-0.007943)} * (1 + T7(x_{12}))^{(-0.005614)} * (1 + T8(x_{12}))^{(0.005033)} * (1 + T9(x_{12}))^{(0.005208)} * (1 + T10(x_{12}))^{(0.002446)} - 1$$

$$\text{Phi}^3_{[2]} = (1 + T0(x_{21}))^{(0.027992)} * (1 + T1(x_{21}))^{(0.021372)} * (1 + T2(x_{21}))^{(-0.024394)} * (1 + T3(x_{21}))^{(-0.027117)} * (1 + T4(x_{21}))^{(-0.040347)} * (1 + T5(x_{21}))^{(0.063324)} * (1 + T6(x_{21}))^{(0.018081)} * (1 + T7(x_{21}))^{(0.010424)} * (1 + T8(x_{21}))^{(0.020429)} * (1 + T9(x_{21}))^{(0.013379)} * (1 + T10(x_{21}))^{(-0.001021)} * (1 + T11(x_{21}))^{(-0.007264)} * (1 + T0(x_{22}))^{(0.007922)} * (1 + T1(x_{22}))^{(0.007744)} * (1 + T2(x_{22}))^{(-0.001716)} * (1 + T3(x_{22}))^{(-0.000535)} * (1 + T4(x_{22}))^{(0.007586)} * (1 + T5(x_{22}))^{(0.012861)} * (1 + T6(x_{22}))^{(0.001587)} * (1 + T7(x_{22}))^{(0.003156)} * (1 + T8(x_{22}))^{(0.007117)} * (1 + T9(x_{22}))^{(0.014436)} * (1 + T10(x_{22}))^{(0.000323)} * (1 + T11(x_{22}))^{(0.011383)} - 1$$

$$\text{Phi}^3_{[3]} = (1 + T0(x_{31}))^{(0.015377)} * (1 + T1(x_{31}))^{(0.012340)} * (1 + T2(x_{31}))^{(-0.000969)} * (1 + T3(x_{31}))^{(-0.049444)} * (1 + T4(x_{31}))^{(0.014651)} * (1 + T5(x_{31}))^{(-0.025189)} * (1 + T6(x_{31}))^{(-0.005733)} * (1 + T7(x_{31}))^{(0.002605)} * (1 + T8(x_{31}))^{(0.003224)} * (1 + T9(x_{31}))^{(0.019008)} * (1 + T10(x_{31}))^{(0.004340)} * (1 + T0(x_{32}))^{(-0.003722)} * (1 + T1(x_{32}))^{(-0.003288)} * (1 + T2(x_{32}))^{(-0.001470)} * (1 + T3(x_{32}))^{(0.000714)} * (1 + T4(x_{32}))^{(-0.002326)} * (1 + T5(x_{32}))^{(-0.004772)} * (1 + T6(x_{32}))^{(0.000889)} * (1 + T7(x_{32}))^{(-0.005344)} * (1 + T8(x_{32}))^{(-0.001082)} * (1 + T9(x_{32}))^{(0.003098)} * (1 + T10(x_{32}))^{(-0.000145)} * (1 + T0(x_{33}))^{(0.016328)} * (1 + T1(x_{33}))^{(0.008256)} * (1 + T2(x_{33}))^{(-0.013327)} * (1 + T3(x_{33}))^{(-0.023316)} * (1 + T4(x_{33}))^{(-0.034727)} * (1 + T5(x_{33}))^{(-0.059457)} * (1 + T6(x_{33}))^{(0.025179)} * (1 + T7(x_{33}))^{(-0.005475)} * (1 + T8(x_{33}))^{(-0.001309)} * (1 + T9(x_{33}))^{(0.022358)} * (1 + T10(x_{33}))^{(-0.014788)} - 1$$

$$\text{Phi}^4_{[1]} = (1 + T0(x_{11}))^{(0.032814)} * (1 + T1(x_{11}))^{(0.016394)} * (1 + T2(x_{11}))^{(-0.015283)} * (1 + T3(x_{11}))^{(-0.055565)} * (1 + T4(x_{11}))^{(0.004612)} * (1 + T5(x_{11}))^{(-0.001540)} * (1 + T6(x_{11}))^{(-0.027301)} * (1 + T7(x_{11}))^{(-0.037826)} * (1 + T8(x_{11}))^{(-0.111507)} * (1 + T9(x_{11}))^{(0.034652)} * (1 + T10(x_{11}))^{(0.043626)} * (1 + T0(x_{12}))^{(-0.004846)} * (1 + T1(x_{12}))^{(-0.002911)} * (1 + T2(x_{12}))^{(-0.001821)} * (1 + T3(x_{12}))^{(-0.000370)} * (1 + T4(x_{12}))^{(-0.011762)} * (1 + T5(x_{12}))^{(0.002031)} * (1 + T6(x_{12}))^{(0.002739)} * (1 + T7(x_{12}))^{(0.001937)} * (1 + T8(x_{12}))^{(0.000166)} * (1 + T9(x_{12}))^{(-0.003384)} * (1 + T10(x_{12}))^{(-0.001273)} - 1$$

$$\text{Phi}^4_{[2]} = (1 + T0(x_{21}))^{(0.039936)} * (1 + T1(x_{21}))^{(0.035633)} * (1 + T2(x_{21}))^{(-0.041285)} * (1 + T3(x_{21}))^{(-0.047727)} * (1 + T4(x_{21}))^{(-0.081538)} * (1 + T5(x_{21}))^{(0.072557)} * (1 + T6(x_{21}))^{(-0.003487)} * (1 + T7(x_{21}))^{(0.008136)} * (1 + T8(x_{21}))^{(0.027958)} * (1 + T9(x_{21}))^{(0.029160)} * (1 + T10(x_{21}))^{(0.029199)} * (1 + T11(x_{21}))^{(0.009526)} * (1 + T0(x_{22}))^{(0.014601)} * (1 + T1(x_{22}))^{(0.016602)} * (1 + T2(x_{22}))^{(0.007467)} * (1 + T3(x_{22}))^{(0.014767)} * (1 + T4(x_{22}))^{(0.018413)} * (1 + T5(x_{22}))^{(0.026738)} * (1 + T6(x_{22}))^{(0.009336)} * (1 + T7(x_{22}))^{(0.003311)} * (1 + T8(x_{22}))^{(0.020239)} * (1 + T9(x_{22}))^{(0.019578)} * (1 + T10(x_{22}))^{(-0.015607)} * (1 + T11(x_{22}))^{(0.005981)} - 1$$

$$\text{Phi}^4_{[3]} = (1 + T_0(x_{31}))^{(0.023592)} * (1 + T_1(x_{31}))^{(0.021191)} * (1 + T_2(x_{31}))^{(0.015372)} * (1 + T_3(x_{31}))^{(-0.035994)} * (1 + T_4(x_{31}))^{(0.012916)} * (1 + T_5(x_{31}))^{(-0.046017)} * (1 + T_6(x_{31}))^{(-0.033961)} * (1 + T_7(x_{31}))^{(0.007151)} * (1 + T_8(x_{31}))^{(-0.006743)} * (1 + T_9(x_{31}))^{(0.018381)} * (1 + T_{10}(x_{31}))^{(0.010666)} * (1 + T_0(x_{32}))^{(0.003273)} * (1 + T_1(x_{32}))^{(0.003344)} * (1 + T_2(x_{32}))^{(0.005539)} * (1 + T_3(x_{32}))^{(-0.001550)} * (1 + T_4(x_{32}))^{(0.000868)} * (1 + T_5(x_{32}))^{(0.003491)} * (1 + T_6(x_{32}))^{(-0.001522)} * (1 + T_7(x_{32}))^{(0.006508)} * (1 + T_8(x_{32}))^{(0.003384)} * (1 + T_9(x_{32}))^{(0.000038)} * (1 + T_{10}(x_{32}))^{(-0.001294)} * (1 + T_0(x_{33}))^{(0.025652)} * (1 + T_1(x_{33}))^{(0.010771)} * (1 + T_2(x_{33}))^{(-0.015486)} * (1 + T_3(x_{33}))^{(-0.064919)} * (1 + T_4(x_{33}))^{(-0.025394)} * (1 + T_5(x_{33}))^{(-0.104028)} * (1 + T_6(x_{33}))^{(0.044724)} * (1 + T_7(x_{33}))^{(-0.035027)} * (1 + T_8(x_{33}))^{(-0.013348)} * (1 + T_9(x_{33}))^{(0.044403)} * (1 + T_{10}(x_{33}))^{(-0.035650)} - 1$$

F<sup>1</sup> в особом базисе:

$$(1 + T_0(x_{11}))^{(0.008819)} * (1 + T_1(x_{11}))^{(0.000336)} * (1 + T_2(x_{11}))^{(-0.014809)} * (1 + T_3(x_{11}))^{(0.004650)} * (1 + T_4(x_{11}))^{(0.008451)} * (1 + T_5(x_{11}))^{(0.000529)} * (1 + T_6(x_{11}))^{(-0.021341)} * (1 + T_7(x_{11}))^{(-0.023244)} * (1 + T_8(x_{11}))^{(-0.040819)} * (1 + T_9(x_{11}))^{(-0.003383)} * (1 + T_{10}(x_{11}))^{(0.033102)} * (1 + T_0(x_{12}))^{(0.010021)} * (1 + T_1(x_{12}))^{(0.004554)} * (1 + T_2(x_{12}))^{(-0.014448)} * (1 + T_3(x_{12}))^{(-0.006380)} * (1 + T_4(x_{12}))^{(0.035381)} * (1 + T_5(x_{12}))^{(-0.007724)} * (1 + T_6(x_{12}))^{(-0.018135)} * (1 + T_7(x_{12}))^{(-0.016804)} * (1 + T_8(x_{12}))^{(-0.001959)} * (1 + T_9(x_{12}))^{(-0.004561)} * (1 + T_{10}(x_{12}))^{(0.014029)} * (1 + T_0(x_{21}))^{(0.010414)} * (1 + T_1(x_{21}))^{(0.013737)} * (1 + T_2(x_{21}))^{(0.004359)} * (1 + T_3(x_{21}))^{(-0.012788)} * (1 + T_4(x_{21}))^{(-0.010352)} * (1 + T_5(x_{21}))^{(0.018924)} * (1 + T_6(x_{21}))^{(-0.003052)} * (1 + T_7(x_{21}))^{(-0.006049)} * (1 + T_8(x_{21}))^{(0.010485)} * (1 + T_9(x_{21}))^{(0.005042)} * (1 + T_{10}(x_{21}))^{(-0.006750)} * (1 + T_{11}(x_{21}))^{(-0.005796)} * (1 + T_0(x_{22}))^{(-0.003564)} * (1 + T_1(x_{22}))^{(-0.006175)} * (1 + T_2(x_{22}))^{(-0.011166)} * (1 + T_3(x_{22}))^{(-0.000721)} * (1 + T_4(x_{22}))^{(-0.001070)} * (1 + T_5(x_{22}))^{(-0.004808)} * (1 + T_6(x_{22}))^{(0.004889)} * (1 + T_7(x_{22}))^{(0.001290)} * (1 + T_8(x_{22}))^{(-0.000493)} * (1 + T_9(x_{22}))^{(-0.009438)} * (1 + T_{10}(x_{22}))^{(0.006216)} * (1 + T_{11}(x_{22}))^{(-0.005376)} * (1 + T_0(x_{31}))^{(0.006507)} * (1 + T_1(x_{31}))^{(0.010121)} * (1 + T_2(x_{31}))^{(0.016599)} * (1 + T_3(x_{31}))^{(-0.000234)} * (1 + T_4(x_{31}))^{(0.010595)} * (1 + T_5(x_{31}))^{(-0.014276)} * (1 + T_6(x_{31}))^{(-0.016949)} * (1 + T_7(x_{31}))^{(-0.001664)} * (1 + T_8(x_{31}))^{(-0.005607)} * (1 + T_9(x_{31}))^{(0.008161)} * (1 + T_{10}(x_{31}))^{(0.016885)} * (1 + T_0(x_{32}))^{(0.008742)} * (1 + T_1(x_{32}))^{(0.008766)} * (1 + T_2(x_{32}))^{(0.015296)} * (1 + T_3(x_{32}))^{(-0.012456)} * (1 + T_4(x_{32}))^{(-0.007492)} * (1 + T_5(x_{32}))^{(-0.007254)} * (1 + T_6(x_{32}))^{(0.001529)} * (1 + T_7(x_{32}))^{(0.011012)} * (1 + T_8(x_{32}))^{(0.002879)} * (1 + T_9(x_{32}))^{(-0.001066)} * (1 + T_{10}(x_{32}))^{(-0.033993)} * (1 + T_0(x_{33}))^{(0.014848)} * (1 + T_1(x_{33}))^{(0.001680)} * (1 + T_2(x_{33}))^{(-0.007303)} * (1 + T_3(x_{33}))^{(-0.042963)} * (1 + T_4(x_{33}))^{(-0.010222)} * (1 + T_5(x_{33}))^{(-0.051211)} * (1 + T_6(x_{33}))^{(0.038099)} * (1 + T_7(x_{33}))^{(-0.043202)} * (1 + T_8(x_{33}))^{(-0.003251)} * (1 + T_9(x_{33}))^{(0.065334)} * (1 + T_{10}(x_{33}))^{(-0.039193)} - 1$$

F<sup>2</sup> в особом базисе:

$$(1 + T_0(x_{11}))^{(0.011183)} * (1 + T_1(x_{11}))^{(0.006880)} * (1 + T_2(x_{11}))^{(0.000877)} * (1 + T_3(x_{11}))^{(-0.009603)} * (1 + T_4(x_{11}))^{(0.001871)} * (1 + T_5(x_{11}))^{(0.007730)} * (1 + T_6(x_{11}))^{(-0.004437)} * (1 + T_7(x_{11}))^{(-0.011135)} * (1 + T_8(x_{11}))^{(-0.030300)} * (1 + T_9(x_{11}))^{(0.008913)} * (1 + T_{10}(x_{11}))^{(-0.000672)} * (1 + T_0(x_{12}))^{(0.008670)} * (1 + T_1(x_{12}))^{(0.004873)} * (1 + T_2(x_{12}))^{(0.000248)} * (1 + T_3(x_{12}))^{(-0.006215)} * (1 + T_4(x_{12}))^{(-0.013210)} * (1 + T_5(x_{12}))^{(0.001941)} * (1 + T_6(x_{12}))^{(0.000094)} * (1 + T_7(x_{12}))^{(0.001408)} * (1 + T_8(x_{12}))^{(0.004660)} * (1 + T_9(x_{12}))^{(0.010163)} * (1 + T_{10}(x_{12}))^{(-0.005818)} * (1 + T_0(x_{21}))^{(0.017498)} * (1 + T_1(x_{21}))^{(0.010574)} * (1 + T_2(x_{21}))^{(-0.022670)} * (1 + T_3(x_{21}))^{(-0.013736)} * (1 + T_4(x_{21}))^{(-0.006838)} * (1 + T_5(x_{21}))^{(0.040962)} * (1 + T_6(x_{21}))^{(0.015991)} * (1 + T_7(x_{21}))^{(-0.003864)} * (1 + T_8(x_{21}))^{(-0.005520)} * (1 + T_9(x_{21}))^{(0.012069)} * (1 + T_{10}(x_{21}))^{(-0.000929)} * (1 + T_{11}(x_{21}))^{(0.000964)} * (1 + T_0(x_{22}))^{(0.007260)} * (1 + T_1(x_{22}))^{(0.004960)} * (1 + T_2(x_{22}))^{(-0.011556)} * (1 + T_3(x_{22}))^{(-0.002383)} * (1 + T_4(x_{22}))^{(0.004881)} * (1 + T_5(x_{22}))^{(0.004905)} * (1 + T_6(x_{22}))^{(-0.003037)} * (1 + T_7(x_{22}))^{(0.004572)} * (1 + T_8(x_{22}))^{(0.000507)} * (1 + T_9(x_{22}))^{(0.007514)} * (1 + T_{10}(x_{22}))^{(0.009294)} * (1 + T_{11}(x_{22}))^{(0.008065)} * (1 + T_0(x_{31}))^{(0.011452)} * (1 + T_1(x_{31}))^{(0.005915)} * (1 + T_2(x_{31}))^{(-0.021262)} * (1 + T_3(x_{31}))^{(-0.040090)} * (1 + T_4(x_{31}))^{(0.020283)} * (1 + T_5(x_{31}))^{(-0.021792)} * (1 + T_6(x_{31}))^{(0.023108)} * (1 + T_7(x_{31}))^{(0.002413)} * (1 + T_8(x_{31}))^{(0.005393)} * (1 + T_9(x_{31}))^{(0.014280)} * (1 + T_{10}(x_{31}))^{(-0.011391)} * (1 + T_0(x_{32}))^{(0.009249)} * (1 + T_1(x_{32}))^{(0.007662)} * (1 + T_2(x_{32}))^{(0.008254)} * (1 + T_3(x_{32}))^{(0.001730)} * (1 + T_4(x_{32}))^{(-0.000809)} * (1 + T_5(x_{32}))^{(0.016038)} * (1 + T_6(x_{32}))^{(0.001823)} * (1 + T_7(x_{32}))^{(-0.000040)} * (1 + T_8(x_{32}))^{(-0.004746)} * (1 + T_9(x_{32}))^{(-0.010109)} * (1 + T_{10}(x_{32}))^{(-0.007125)} * (1 + T_0(x_{33}))^{(0.015422)} * (1 + T_1(x_{33}))^{(0.008104)} * (1 + T_2(x_{33}))^{(-0.016540)} * (1 + T_3(x_{33}))^{(0.005934)} * (1 + T_4(x_{33}))^{(-0.021473)} * (1 + T_5(x_{33}))^{(-0.028097)} * (1 + T_6(x_{33}))^{(0.018504)} * (1 + T_7(x_{33}))^{(0.026610)} * (1 + T_8(x_{33}))^{(0.006030)} * (1 + T_9(x_{33}))^{(-0.005953)} * (1 + T_{10}(x_{33}))^{(-0.001308)} - 1$$

F<sup>3</sup> в особом базисе:

$$(1 + T_0(x_{11}))^{(0.009647)} * (1 + T_1(x_{11}))^{(0.004994)} * (1 + T_2(x_{11}))^{(-0.011358)} * (1 + T_3(x_{11}))^{(-0.013508)} * (1 + T_4(x_{11}))^{(0.004666)} * (1 + T_5(x_{11}))^{(0.004287)} * (1 + T_6(x_{11}))^{(-0.004870)} * (1 + T_7(x_{11}))^{(-0.013673)} * (1 + T_8(x_{11}))^{(-0.031425)} * (1 + T_9(x_{11}))^{(0.011787)} * (1 + T_{10}(x_{11}))^{(0.014210)} * (1 + T_0(x_{12}))^{(0.005357)} * (1 + T_1(x_{12}))^{(0.003160)} * (1 + T_2(x_{12}))^{(0.000092)} * (1 + T_3(x_{12}))^{(-0.003178)} * (1 + T_4(x_{12}))^{(0.010700)} * (1 + T_5(x_{12}))^{(0.002101)} * (1 + T_6(x_{12}))^{(-0.003684)} * (1 + T_7(x_{12}))^{(-0.002604)} * (1 + T_8(x_{12}))^{(0.002334)} * (1 + T_9(x_{12}))^{(0.002416)} * (1 + T_{10}(x_{12}))^{(0.001135)} * (1 + T_0(x_{21}))^{(0.010962)} * (1 + T_1(x_{21}))^{(0.008370)} * (1 + T_2(x_{21}))^{(-0.009553)} * (1 + T_3(x_{21}))^{(-0.010619)} * (1 + T_4(x_{21}))^{(-0.015801)} * (1 + T_5(x_{21}))^{(0.024799)} * (1 + T_6(x_{21}))^{(0.007081)} * (1 + T_7(x_{21}))^{(0.004082)} * (1 + T_8(x_{21}))^{(0.008000)} * (1 + T_9(x_{21}))^{(0.005239)} * (1 +$$

$$T10(x21))^{(-0.000400)} * (1 + T11(x21))^{(-0.002845)} * (1 + T0(x22))^{(0.003102)} * (1 + T1(x22))^{(0.003033)} * (1 + T2(x22))^{(-0.000672)} * (1 + T3(x22))^{(-0.000210)} * (1 + T4(x22))^{(0.002971)} * (1 + T5(x22))^{(0.005037)} * (1 + T6(x22))^{(0.000621)} * (1 + T7(x22))^{(0.001236)} * (1 + T8(x22))^{(0.002787)} * (1 + T9(x22))^{(0.005653)} * (1 + T10(x22))^{(0.000127)} * (1 + T11(x22))^{(0.004458)} * (1 + T0(x31))^{(0.010363)} * (1 + T1(x31))^{(0.008316)} * (1 + T2(x31))^{(-0.000653)} * (1 + T3(x31))^{(-0.033320)} * (1 + T4(x31))^{(0.009873)} * (1 + T5(x31))^{(-0.016975)} * (1 + T6(x31))^{(-0.003863)} * (1 + T7(x31))^{(0.001755)} * (1 + T8(x31))^{(0.002173)} * (1 + T9(x31))^{(0.012809)} * (1 + T10(x31))^{(0.002924)} * (1 + T0(x32))^{(-0.002509)} * (1 + T1(x32))^{(-0.002216)} * (1 + T2(x32))^{(-0.000991)} * (1 + T3(x32))^{(0.000481)} * (1 + T4(x32))^{(-0.001568)} * (1 + T5(x32))^{(-0.003216)} * (1 + T6(x32))^{(0.000599)} * (1 + T7(x32))^{(-0.003601)} * (1 + T8(x32))^{(-0.000729)} * (1 + T9(x32))^{(0.002088)} * (1 + T10(x32))^{(-0.000098)} * (1 + T0(x33))^{(0.011003)} * (1 + T1(x33))^{(0.005563)} * (1 + T2(x33))^{(-0.008981)} * (1 + T3(x33))^{(-0.015712)} * (1 + T4(x33))^{(-0.023402)} * (1 + T5(x33))^{(-0.040068)} * (1 + T6(x33))^{(0.016968)} * (1 + T7(x33))^{(-0.003690)} * (1 + T8(x33))^{(-0.000882)} * (1 + T9(x33))^{(0.015067)} * (1 + T10(x33))^{(-0.009965)} - 1$$

F<sup>4</sup> в особом базисе:

$$(1 + T0(x11))^{(0.013711)} * (1 + T1(x11))^{(0.006850)} * (1 + T2(x11))^{(-0.006386)} * (1 + T3(x11))^{(-0.023217)} * (1 + T4(x11))^{(0.001927)} * (1 + T5(x11))^{(-0.000643)} * (1 + T6(x11))^{(-0.011407)} * (1 + T7(x11))^{(-0.015805)} * (1 + T8(x11))^{(-0.046590)} * (1 + T9(x11))^{(0.014479)} * (1 + T10(x11))^{(0.018228)} * (1 + T0(x12))^{(-0.002025)} * (1 + T1(x12))^{(-0.001216)} * (1 + T2(x12))^{(-0.000761)} * (1 + T3(x12))^{(-0.000155)} * (1 + T4(x12))^{(-0.004914)} * (1 + T5(x12))^{(0.000849)} * (1 + T6(x12))^{(0.001145)} * (1 + T7(x12))^{(0.000809)} * (1 + T8(x12))^{(0.000069)} * (1 + T9(x12))^{(-0.001414)} * (1 + T10(x12))^{(-0.000532)} * (1 + T0(x21))^{(0.013853)} * (1 + T1(x21))^{(0.012360)} * (1 + T2(x21))^{(-0.014321)} * (1 + T3(x21))^{(-0.016555)} * (1 + T4(x21))^{(-0.028284)} * (1 + T5(x21))^{(0.025168)} * (1 + T6(x21))^{(-0.001210)} * (1 + T7(x21))^{(0.002822)} * (1 + T8(x21))^{(0.009698)} * (1 + T9(x21))^{(0.010115)} * (1 + T10(x21))^{(0.010128)} * (1 + T11(x21))^{(0.003304)} * (1 + T0(x22))^{(0.005065)} * (1 + T1(x22))^{(0.005759)} * (1 + T2(x22))^{(0.002590)} * (1 + T3(x22))^{(0.005122)} * (1 + T4(x22))^{(0.006387)} * (1 + T5(x22))^{(0.009275)} * (1 + T6(x22))^{(0.003239)} * (1 + T7(x22))^{(0.001148)} * (1 + T8(x22))^{(0.007020)} * (1 + T9(x22))^{(0.006791)} * (1 + T10(x22))^{(-0.005414)} * (1 + T11(x22))^{(0.002075)} * (1 + T0(x31))^{(0.015486)} * (1 + T1(x31))^{(0.013910)} * (1 + T2(x31))^{(0.010090)} * (1 + T3(x31))^{(-0.023627)} * (1 + T4(x31))^{(0.008478)} * (1 + T5(x31))^{(-0.030206)} * (1 + T6(x31))^{(-0.022292)} * (1 + T7(x31))^{(0.004694)} * (1 + T8(x31))^{(-0.004426)} * (1 + T9(x31))^{(0.012066)} * (1 + T10(x31))^{(0.007001)} * (1 + T0(x32))^{(0.002148)} * (1 + T1(x32))^{(0.002195)} * (1 + T2(x32))^{(0.003636)} * (1 + T3(x32))^{(-0.001017)} * (1 + T4(x32))^{(0.000570)} * (1 + T5(x32))^{(0.002292)} * (1 + T6(x32))^{(-0.000999)} * (1 + T7(x32))^{(0.004272)} * (1 + T8(x32))^{(0.002221)} * (1 + T9(x32))^{(0.000025)} * (1 + T10(x32))^{(-0.000849)} * (1 + T0(x33))^{(0.016838)} * (1 + T1(x33))^{(0.007071)} * (1 + T2(x33))^{(-0.010165)} * (1 + T3(x33))^{(-0.042613)} * (1 + T4(x33))^{(-0.016669)} * (1 + T5(x33))^{(-0.068285)} * (1 + T6(x33))^{(0.029357)} * (1 + T7(x33))^{(-0.022992)} * (1 + T8(x33))^{(-0.008762)} * (1 + T9(x33))^{(0.029147)} * (1 + T10(x33))^{(-0.023401)} - 1$$

F<sup>1</sup> в обычном базисе:

$$1.02287778 * (1.0 + 1.0(x11)^1)^{(0.000336)} * (0.5 + 2.0(x11)^2)^{(-0.014809)} * (1.0 + -2.0(x11)^1 + 4.0(x11)^3)^{(0.004650)} * (1.5 + -6.0(x11)^2 + 8.0(x11)^4)^{(0.008451)} * (1.0 + 3.0(x11)^1 + -16.0(x11)^3 + 16.0(x11)^5)^{(0.000529)} * (0.5 + 12.0(x11)^2 + -40.0(x11)^4 + 32.0(x11)^6)^{(-0.021341)} * (1.0 + -4.0(x11)^1 + 40.0(x11)^3 + -96.0(x11)^5 + 64.0(x11)^7)^{(-0.023244)} * (1.5 + -20.0(x11)^2 + 120.0(x11)^4 + -224.0(x11)^6 + 128.0(x11)^8)^{(-0.040819)} * (1.0 + 5.0(x11)^1 + -80.0(x11)^3 + 336.0(x11)^5 + -512.0(x11)^7 + 256.0(x11)^9)^{(-0.003383)} * (0.5 + 30.0(x11)^2 + -280.0(x11)^4 + 896.0(x11)^6 + -1152.0(x11)^8 + 512.0(x11)^10)^{(0.033102)} * (1.0 + 1.0(x12)^1)^{(0.004554)} * (0.5 + 2.0(x12)^2)^{(-0.014448)} * (1.0 + -2.0(x12)^1 + 4.0(x12)^3)^{(-0.006380)} * (1.5 + -6.0(x12)^2 + 8.0(x12)^4)^{(0.035381)} * (1.0 + 3.0(x12)^1 + -16.0(x12)^3 + 16.0(x12)^5)^{(-0.007724)} * (0.5 + 12.0(x12)^2 + -40.0(x12)^4 + 32.0(x12)^6)^{(-0.018135)} * (1.0 + -4.0(x12)^1 + 40.0(x12)^3 + -96.0(x12)^5 + 64.0(x12)^7)^{(-0.016804)} * (1.5 + -20.0(x12)^2 + 120.0(x12)^4 + -224.0(x12)^6 + 128.0(x12)^8)^{(-0.001959)} * (1.0 + 5.0(x12)^1 + -80.0(x12)^3 + 336.0(x12)^5 + -512.0(x12)^7 + 256.0(x12)^9)^{(-0.004561)} * (0.5 + 30.0(x12)^2 + -280.0(x12)^4 + 896.0(x12)^6 + -1152.0(x12)^8 + 512.0(x12)^10)^{(0.014029)} * (1.0 + 1.0(x21)^1)^{(0.013737)} * (0.5 + 2.0(x21)^2)^{(0.004359)} * (1.0 + -2.0(x21)^1 + 4.0(x21)^3)^{(-0.012788)} * (1.5 + -6.0(x21)^2 + 8.0(x21)^4)^{(-0.010352)} * (1.0 + 3.0(x21)^1 + -16.0(x21)^3 + 16.0(x21)^5)^{(0.018924)} * (0.5 + 12.0(x21)^2 + -40.0(x21)^4 + 32.0(x21)^6)^{(-0.003052)} * (1.0 + -4.0(x21)^1 + 40.0(x21)^3 + -96.0(x21)^5 + 64.0(x21)^7)^{(-0.006049)} * (1.5 + -20.0(x21)^2 + 120.0(x21)^4 + -224.0(x21)^6 + 128.0(x21)^8)^{(0.010485)} * (1.0 + 5.0(x21)^1 + -80.0(x21)^3 + 336.0(x21)^5 + -512.0(x21)^7 + 256.0(x21)^9)^{(0.005042)} * (0.5 + 30.0(x21)^2 + -280.0(x21)^4 + 896.0(x21)^6 + -1152.0(x21)^8 + 512.0(x21)^10)^{(-0.006750)} * (1.0 + -6.0(x21)^1 + 140.0(x21)^3 + -896.0(x21)^5 + 2304.0(x21)^7 + -2560.0(x21)^9 + 1024.0(x21)^11)^{(-0.005796)} * (1.0 + 1.0(x22)^1)^{(-0.006175)} * (0.5 + 2.0(x22)^2)^{(-0.011166)} * (1.0 + -2.0(x22)^1 + 4.0(x22)^3)^{(-0.000721)} * (1.5 + -6.0(x22)^2 + 8.0(x22)^4)^{(-0.001070)} * (1.0 + 3.0(x22)^1 + -16.0(x22)^3 + 16.0(x22)^5)^{(-0.004808)} * (0.5 + 12.0(x22)^2 + -40.0(x22)^4 + 32.0(x22)^6)^{(0.004889)} * (1.0 + -4.0(x22)^1 + 40.0(x22)^3 + -96.0(x22)^5 + 64.0(x22)^7)^{(0.001290)} * (1.5 + -20.0(x22)^2 + 120.0(x22)^4 + -224.0(x22)^6 + 128.0(x22)^8)^{(-0.000493)} * (1.0 + 5.0(x22)^1 + -80.0(x22)^3 + 336.0(x22)^5 + -512.0(x22)^7 + 256.0(x22)^9)^{(-0.009438)} * (0.5 + 30.0(x22)^2 + -280.0(x22)^4 + 896.0(x22)^6 + -1152.0(x22)^8 + 512.0(x22)^10)^{(0.006216)} * (1.0 + -6.0(x22)^1 + 140.0(x22)^3 + -896.0(x22)^5 + 2304.0(x22)^7 + -2560.0(x22)^9 + 1024.0(x22)^11)^{(-0.005376)} * (1.0 + 1.0(x31)^1)^{(0.010121)} * (0.5 + 2.0(x31)^2)^{(0.016599)} * (1.0 + -2.0(x31)^1 + 4.0(x31)^3)^{(-0.000234)} * (1.5 + -6.0(x31)^2 + 8.0(x31)^4)^{(0.010595)} * (1.0 + 3.0(x31)^1 + -$$

$$\begin{aligned}
& 16.0(x_{31})^3 + 16.0(x_{31})^5 \wedge (-0.014276) * (0.5 + 12.0(x_{31})^2 + -40.0(x_{31})^4 + 32.0(x_{31})^6 \wedge (-0.016949) * (1.0 + - \\
& 4.0(x_{31})^1 + 40.0(x_{31})^3 + -96.0(x_{31})^5 + 64.0(x_{31})^7 \wedge (-0.001664) * (1.5 + -20.0(x_{31})^2 + 120.0(x_{31})^4 + - \\
& 224.0(x_{31})^6 + 128.0(x_{31})^8 \wedge (-0.005607) * (1.0 + 5.0(x_{31})^1 + -80.0(x_{31})^3 + 336.0(x_{31})^5 + -512.0(x_{31})^7 + \\
& 256.0(x_{31})^9 \wedge (0.008161) * (0.5 + 30.0(x_{31})^2 + -280.0(x_{31})^4 + 896.0(x_{31})^6 + -1152.0(x_{31})^8 + \\
& 512.0(x_{31})^{10} \wedge (0.016885) * (1.0 + 1.0(x_{32})^1 \wedge (0.008766) * (0.5 + 2.0(x_{32})^2 \wedge (0.015296) * (1.0 + -2.0(x_{32})^1 + \\
& 4.0(x_{32})^3 \wedge (-0.012456) * (1.5 + -6.0(x_{32})^2 + 8.0(x_{32})^4 \wedge (-0.007492) * (1.0 + 3.0(x_{32})^1 + -16.0(x_{32})^3 + \\
& 16.0(x_{32})^5 \wedge (-0.007254) * (0.5 + 12.0(x_{32})^2 + -40.0(x_{32})^4 + 32.0(x_{32})^6 \wedge (0.001529) * (1.0 + -4.0(x_{32})^1 + \\
& 40.0(x_{32})^3 + -96.0(x_{32})^5 + 64.0(x_{32})^7 \wedge (0.011012) * (1.5 + -20.0(x_{32})^2 + 120.0(x_{32})^4 + -224.0(x_{32})^6 + \\
& 128.0(x_{32})^8 \wedge (0.002879) * (1.0 + 5.0(x_{32})^1 + -80.0(x_{32})^3 + 336.0(x_{32})^5 + -512.0(x_{32})^7 + 256.0(x_{32})^9 \wedge (- \\
& 0.001066) * (0.5 + 30.0(x_{32})^2 + -280.0(x_{32})^4 + 896.0(x_{32})^6 + -1152.0(x_{32})^8 + 512.0(x_{32})^{10} \wedge (-0.033993) * \\
& (1.0 + 1.0(x_{33})^1 \wedge (0.001680) * (0.5 + 2.0(x_{33})^2 \wedge (-0.007303) * (1.0 + -2.0(x_{33})^1 + 4.0(x_{33})^3 \wedge (-0.042963) * \\
& (1.5 + -6.0(x_{33})^2 + 8.0(x_{33})^4 \wedge (-0.010222) * (1.0 + 3.0(x_{33})^1 + -16.0(x_{33})^3 + 16.0(x_{33})^5 \wedge (-0.051211) * (0.5 \\
& + 12.0(x_{33})^2 + -40.0(x_{33})^4 + 32.0(x_{33})^6 \wedge (0.038099) * (1.0 + -4.0(x_{33})^1 + 40.0(x_{33})^3 + -96.0(x_{33})^5 + \\
& 64.0(x_{33})^7 \wedge (-0.043202) * (1.5 + -20.0(x_{33})^2 + 120.0(x_{33})^4 + -224.0(x_{33})^6 + 128.0(x_{33})^8 \wedge (-0.003251) * (1.0 \\
& + 5.0(x_{33})^1 + -80.0(x_{33})^3 + 336.0(x_{33})^5 + -512.0(x_{33})^7 + 256.0(x_{33})^9 \wedge (0.065334) * (0.5 + 30.0(x_{33})^2 + - \\
& 280.0(x_{33})^4 + 896.0(x_{33})^6 + -1152.0(x_{33})^8 + 512.0(x_{33})^{10} \wedge (-0.039193) - 1
\end{aligned}$$

F^2 в обычном базисе:

$$\begin{aligned}
& 1.0332763562 * (1.0 + 1.0(x_{11})^1 \wedge (0.006880) * (0.5 + 2.0(x_{11})^2 \wedge (0.000877) * (1.0 + -2.0(x_{11})^1 + 4.0(x_{11})^3 \wedge (- \\
& 0.009603) * (1.5 + -6.0(x_{11})^2 + 8.0(x_{11})^4 \wedge (0.001871) * (1.0 + 3.0(x_{11})^1 + -16.0(x_{11})^3 + \\
& 16.0(x_{11})^5 \wedge (0.007730) * (0.5 + 12.0(x_{11})^2 + -40.0(x_{11})^4 + 32.0(x_{11})^6 \wedge (-0.004437) * (1.0 + -4.0(x_{11})^1 + \\
& 40.0(x_{11})^3 + -96.0(x_{11})^5 + 64.0(x_{11})^7 \wedge (-0.011135) * (1.5 + -20.0(x_{11})^2 + 120.0(x_{11})^4 + -224.0(x_{11})^6 + \\
& 128.0(x_{11})^8 \wedge (-0.030300) * (1.0 + 5.0(x_{11})^1 + -80.0(x_{11})^3 + 336.0(x_{11})^5 + -512.0(x_{11})^7 + \\
& 256.0(x_{11})^9 \wedge (0.008913) * (0.5 + 30.0(x_{11})^2 + -280.0(x_{11})^4 + 896.0(x_{11})^6 + -1152.0(x_{11})^8 + \\
& 512.0(x_{11})^{10} \wedge (-0.000672) * (1.0 + 1.0(x_{12})^1 \wedge (0.004873) * (0.5 + 2.0(x_{12})^2 \wedge (0.000248) * (1.0 + -2.0(x_{12})^1 + \\
& 4.0(x_{12})^3 \wedge (-0.006215) * (1.5 + -6.0(x_{12})^2 + 8.0(x_{12})^4 \wedge (-0.013210) * (1.0 + 3.0(x_{12})^1 + -16.0(x_{12})^3 + \\
& 16.0(x_{12})^5 \wedge (0.001941) * (0.5 + 12.0(x_{12})^2 + -40.0(x_{12})^4 + 32.0(x_{12})^6 \wedge (0.000094) * (1.0 + -4.0(x_{12})^1 + \\
& 40.0(x_{12})^3 + -96.0(x_{12})^5 + 64.0(x_{12})^7 \wedge (0.001408) * (1.5 + -20.0(x_{12})^2 + 120.0(x_{12})^4 + -224.0(x_{12})^6 + \\
& 128.0(x_{12})^8 \wedge (0.004660) * (1.0 + 5.0(x_{12})^1 + -80.0(x_{12})^3 + 336.0(x_{12})^5 + -512.0(x_{12})^7 + \\
& 256.0(x_{12})^9 \wedge (0.010163) * (0.5 + 30.0(x_{12})^2 + -280.0(x_{12})^4 + 896.0(x_{12})^6 + -1152.0(x_{12})^8 + \\
& 512.0(x_{12})^{10} \wedge (-0.005818) * (1.0 + 1.0(x_{21})^1 \wedge (0.010574) * (0.5 + 2.0(x_{21})^2 \wedge (-0.022670) * (1.0 + -2.0(x_{21})^1 + \\
& 4.0(x_{21})^3 \wedge (-0.013736) * (1.5 + -6.0(x_{21})^2 + 8.0(x_{21})^4 \wedge (-0.006838) * (1.0 + 3.0(x_{21})^1 + -16.0(x_{21})^3 + \\
& 16.0(x_{21})^5 \wedge (0.040962) * (0.5 + 12.0(x_{21})^2 + -40.0(x_{21})^4 + 32.0(x_{21})^6 \wedge (0.015991) * (1.0 + -4.0(x_{21})^1 + \\
& 40.0(x_{21})^3 + -96.0(x_{21})^5 + 64.0(x_{21})^7 \wedge (-0.003864) * (1.5 + -20.0(x_{21})^2 + 120.0(x_{21})^4 + -224.0(x_{21})^6 + \\
& 128.0(x_{21})^8 \wedge (-0.005520) * (1.0 + 5.0(x_{21})^1 + -80.0(x_{21})^3 + 336.0(x_{21})^5 + -512.0(x_{21})^7 + \\
& 256.0(x_{21})^9 \wedge (0.012069) * (0.5 + 30.0(x_{21})^2 + -280.0(x_{21})^4 + 896.0(x_{21})^6 + -1152.0(x_{21})^8 + \\
& 512.0(x_{21})^{10} \wedge (-0.000929) * (1.0 + -6.0(x_{21})^1 + 140.0(x_{21})^3 + -896.0(x_{21})^5 + 2304.0(x_{21})^7 + -2560.0(x_{21})^9 + \\
& 1024.0(x_{21})^{11} \wedge (0.000964) * (1.0 + 1.0(x_{22})^1 \wedge (0.004960) * (0.5 + 2.0(x_{22})^2 \wedge (-0.011556) * (1.0 + - \\
& 2.0(x_{22})^1 + 4.0(x_{22})^3 \wedge (-0.002383) * (1.5 + -6.0(x_{22})^2 + 8.0(x_{22})^4 \wedge (0.004881) * (1.0 + 3.0(x_{22})^1 + - \\
& 16.0(x_{22})^3 + 16.0(x_{22})^5 \wedge (0.004905) * (0.5 + 12.0(x_{22})^2 + -40.0(x_{22})^4 + 32.0(x_{22})^6 \wedge (-0.003037) * (1.0 + - \\
& 4.0(x_{22})^1 + 40.0(x_{22})^3 + -96.0(x_{22})^5 + 64.0(x_{22})^7 \wedge (0.004572) * (1.5 + -20.0(x_{22})^2 + 120.0(x_{22})^4 + - \\
& 224.0(x_{22})^6 + 128.0(x_{22})^8 \wedge (0.000507) * (1.0 + 5.0(x_{22})^1 + -80.0(x_{22})^3 + 336.0(x_{22})^5 + -512.0(x_{22})^7 + \\
& 256.0(x_{22})^9 \wedge (0.007514) * (0.5 + 30.0(x_{22})^2 + -280.0(x_{22})^4 + 896.0(x_{22})^6 + -1152.0(x_{22})^8 + \\
& 512.0(x_{22})^{10} \wedge (0.009294) * (1.0 + -6.0(x_{22})^1 + 140.0(x_{22})^3 + -896.0(x_{22})^5 + 2304.0(x_{22})^7 + -2560.0(x_{22})^9 + \\
& 1024.0(x_{22})^{11} \wedge (0.008065) * (1.0 + 1.0(x_{31})^1 \wedge (0.005915) * (0.5 + 2.0(x_{31})^2 \wedge (-0.021262) * (1.0 + - \\
& 2.0(x_{31})^1 + 4.0(x_{31})^3 \wedge (-0.040090) * (1.5 + -6.0(x_{31})^2 + 8.0(x_{31})^4 \wedge (0.020283) * (1.0 + 3.0(x_{31})^1 + - \\
& 16.0(x_{31})^3 + 16.0(x_{31})^5 \wedge (-0.021792) * (0.5 + 12.0(x_{31})^2 + -40.0(x_{31})^4 + 32.0(x_{31})^6 \wedge (0.023108) * (1.0 + - \\
& 4.0(x_{31})^1 + 40.0(x_{31})^3 + -96.0(x_{31})^5 + 64.0(x_{31})^7 \wedge (0.002413) * (1.5 + -20.0(x_{31})^2 + 120.0(x_{31})^4 + - \\
& 224.0(x_{31})^6 + 128.0(x_{31})^8 \wedge (0.005393) * (1.0 + 5.0(x_{31})^1 + -80.0(x_{31})^3 + 336.0(x_{31})^5 + -512.0(x_{31})^7 + \\
& 256.0(x_{31})^9 \wedge (0.014280) * (0.5 + 30.0(x_{31})^2 + -280.0(x_{31})^4 + 896.0(x_{31})^6 + -1152.0(x_{31})^8 + \\
& 512.0(x_{31})^{10} \wedge (-0.011391) * (1.0 + 1.0(x_{32})^1 \wedge (0.007662) * (0.5 + 2.0(x_{32})^2 \wedge (0.008254) * (1.0 + -2.0(x_{32})^1 + \\
& 4.0(x_{32})^3 \wedge (0.001730) * (1.5 + -6.0(x_{32})^2 + 8.0(x_{32})^4 \wedge (-0.000809) * (1.0 + 3.0(x_{32})^1 + -16.0(x_{32})^3 + \\
& 16.0(x_{32})^5 \wedge (0.016038) * (0.5 + 12.0(x_{32})^2 + -40.0(x_{32})^4 + 32.0(x_{32})^6 \wedge (0.001823) * (1.0 + -4.0(x_{32})^1 + \\
& 40.0(x_{32})^3 + -96.0(x_{32})^5 + 64.0(x_{32})^7 \wedge (-0.000040) * (1.5 + -20.0(x_{32})^2 + 120.0(x_{32})^4 + -224.0(x_{32})^6 + \\
& 128.0(x_{32})^8 \wedge (-0.004746) * (1.0 + 5.0(x_{32})^1 + -80.0(x_{32})^3 + 336.0(x_{32})^5 + -512.0(x_{32})^7 + 256.0(x_{32})^9 \wedge (- \\
& 0.010109) * (0.5 + 30.0(x_{32})^2 + -280.0(x_{32})^4 + 896.0(x_{32})^6 + -1152.0(x_{32})^8 + 512.0(x_{32})^{10} \wedge (-0.007125) * \\
& (1.0 + 1.0(x_{33})^1 \wedge (0.008104) * (0.5 + 2.0(x_{33})^2 \wedge (-0.016540) * (1.0 + -2.0(x_{33})^1 + 4.0(x_{33})^3 \wedge (0.005934) * \\
& (1.5 + -6.0(x_{33})^2 + 8.0(x_{33})^4 \wedge (-0.021473) * (1.0 + 3.0(x_{33})^1 + -16.0(x_{33})^3 + 16.0(x_{33})^5 \wedge (-0.028097) * (0.5 \\
& + 12.0(x_{33})^2 + -40.0(x_{33})^4 + 32.0(x_{33})^6 \wedge (0.018504) * (1.0 + -4.0(x_{33})^1 + 40.0(x_{33})^3 + -96.0(x_{33})^5 + \\
& 64.0(x_{33})^7 \wedge (0.026610) * (1.5 + -20.0(x_{33})^2 + 120.0(x_{33})^4 + -224.0(x_{33})^6 + 128.0(x_{33})^8 \wedge (0.006030) * (1.0 \\
& + 5.0(x_{33})^1 + -80.0(x_{33})^3 + 336.0(x_{33})^5 + -512.0(x_{33})^7 + 256.0(x_{33})^9 \wedge (-0.005953) * (0.5 + 30.0(x_{33})^2 + - \\
& 280.0(x_{33})^4 + 896.0(x_{33})^6 + -1152.0(x_{33})^8 + 512.0(x_{33})^{10} \wedge (-0.001308) - 1
\end{aligned}$$

F<sup>3</sup> в обычном базисе:

$$\begin{aligned} & 1.0196220772 * (1.0 + 1.0(x_{11})^1)^{(0.004994)} * (0.5 + 2.0(x_{11})^2)^{(-0.011358)} * (1.0 + -2.0(x_{11})^1 + \\ & 4.0(x_{11})^3)^{(-0.013508)} * (1.5 + -6.0(x_{11})^2 + 8.0(x_{11})^4)^{(0.004666)} * (1.0 + 3.0(x_{11})^1 + -16.0(x_{11})^3 + \\ & 16.0(x_{11})^5)^{(0.004287)} * (0.5 + 12.0(x_{11})^2 + -40.0(x_{11})^4 + 32.0(x_{11})^6)^{(-0.004870)} * (1.0 + -4.0(x_{11})^1 + \\ & 40.0(x_{11})^3 + -96.0(x_{11})^5 + 64.0(x_{11})^7)^{(-0.013673)} * (1.5 + -20.0(x_{11})^2 + 120.0(x_{11})^4 + -224.0(x_{11})^6 + \\ & 128.0(x_{11})^8)^{(-0.031425)} * (1.0 + 5.0(x_{11})^1 + -80.0(x_{11})^3 + 336.0(x_{11})^5 + -512.0(x_{11})^7 + \\ & 256.0(x_{11})^9)^{(0.011787)} * (0.5 + 30.0(x_{11})^2 + -280.0(x_{11})^4 + 896.0(x_{11})^6 + -1152.0(x_{11})^8 + \\ & 512.0(x_{11})^{10})^{(0.014210)} * (1.0 + 1.0(x_{12})^1)^{(0.003160)} * (0.5 + 2.0(x_{12})^2)^{(0.000092)} * (1.0 + -2.0(x_{12})^1 + \\ & 4.0(x_{12})^3)^{(-0.003178)} * (1.5 + -6.0(x_{12})^2 + 8.0(x_{12})^4)^{(0.010700)} * (1.0 + 3.0(x_{12})^1 + -16.0(x_{12})^3 + \\ & 16.0(x_{12})^5)^{(0.002101)} * (0.5 + 12.0(x_{12})^2 + -40.0(x_{12})^4 + 32.0(x_{12})^6)^{(-0.003684)} * (1.0 + -4.0(x_{12})^1 + \\ & 40.0(x_{12})^3 + -96.0(x_{12})^5 + 64.0(x_{12})^7)^{(-0.002604)} * (1.5 + -20.0(x_{12})^2 + 120.0(x_{12})^4 + -224.0(x_{12})^6 + \\ & 128.0(x_{12})^8)^{(0.002334)} * (1.0 + 5.0(x_{12})^1 + -80.0(x_{12})^3 + 336.0(x_{12})^5 + -512.0(x_{12})^7 + \\ & 256.0(x_{12})^9)^{(0.002416)} * (0.5 + 30.0(x_{12})^2 + -280.0(x_{12})^4 + 896.0(x_{12})^6 + -1152.0(x_{12})^8 + \\ & 512.0(x_{12})^{10})^{(0.001135)} * (1.0 + 1.0(x_{21})^1)^{(0.008370)} * (0.5 + 2.0(x_{21})^2)^{(-0.009553)} * (1.0 + -2.0(x_{21})^1 + \\ & 4.0(x_{21})^3)^{(-0.010619)} * (1.5 + -6.0(x_{21})^2 + 8.0(x_{21})^4)^{(-0.015801)} * (1.0 + 3.0(x_{21})^1 + -16.0(x_{21})^3 + \\ & 16.0(x_{21})^5)^{(0.024799)} * (0.5 + 12.0(x_{21})^2 + -40.0(x_{21})^4 + 32.0(x_{21})^6)^{(0.007081)} * (1.0 + -4.0(x_{21})^1 + \\ & 40.0(x_{21})^3 + -96.0(x_{21})^5 + 64.0(x_{21})^7)^{(0.004082)} * (1.5 + -20.0(x_{21})^2 + 120.0(x_{21})^4 + -224.0(x_{21})^6 + \\ & 128.0(x_{21})^8)^{(0.008000)} * (1.0 + 5.0(x_{21})^1 + -80.0(x_{21})^3 + 336.0(x_{21})^5 + -512.0(x_{21})^7 + \\ & 256.0(x_{21})^9)^{(0.005239)} * (0.5 + 30.0(x_{21})^2 + -280.0(x_{21})^4 + 896.0(x_{21})^6 + -1152.0(x_{21})^8 + \\ & 512.0(x_{21})^{10})^{(-0.000400)} * (1.0 + -6.0(x_{21})^1 + 140.0(x_{21})^3 + -896.0(x_{21})^5 + 2304.0(x_{21})^7 + -2560.0(x_{21})^9 + \\ & 1024.0(x_{21})^{11})^{(-0.002845)} * (1.0 + 1.0(x_{22})^1)^{(0.003033)} * (0.5 + 2.0(x_{22})^2)^{(-0.000672)} * (1.0 + - \\ & 2.0(x_{22})^1 + 4.0(x_{22})^3)^{(-0.000210)} * (1.5 + -6.0(x_{22})^2 + 8.0(x_{22})^4)^{(0.002971)} * (1.0 + 3.0(x_{22})^1 + - \\ & 16.0(x_{22})^3 + 16.0(x_{22})^5)^{(0.005037)} * (0.5 + 12.0(x_{22})^2 + -40.0(x_{22})^4 + 32.0(x_{22})^6)^{(0.000621)} * (1.0 + - \\ & 4.0(x_{22})^1 + 40.0(x_{22})^3 + -96.0(x_{22})^5 + 64.0(x_{22})^7)^{(0.001236)} * (1.5 + -20.0(x_{22})^2 + 120.0(x_{22})^4 + - \\ & 224.0(x_{22})^6 + 128.0(x_{22})^8)^{(0.002787)} * (1.0 + 5.0(x_{22})^1 + -80.0(x_{22})^3 + 336.0(x_{22})^5 + -512.0(x_{22})^7 + \\ & 256.0(x_{22})^9)^{(0.005653)} * (0.5 + 30.0(x_{22})^2 + -280.0(x_{22})^4 + 896.0(x_{22})^6 + -1152.0(x_{22})^8 + \\ & 512.0(x_{22})^{10})^{(0.000127)} * (1.0 + -6.0(x_{22})^1 + 140.0(x_{22})^3 + -896.0(x_{22})^5 + 2304.0(x_{22})^7 + -2560.0(x_{22})^9 + \\ & 1024.0(x_{22})^{11})^{(0.004458)} * (1.0 + 1.0(x_{31})^1)^{(0.008316)} * (0.5 + 2.0(x_{31})^2)^{(-0.000653)} * (1.0 + - \\ & 2.0(x_{31})^1 + 4.0(x_{31})^3)^{(-0.033320)} * (1.5 + -6.0(x_{31})^2 + 8.0(x_{31})^4)^{(0.009873)} * (1.0 + 3.0(x_{31})^1 + - \\ & 16.0(x_{31})^3 + 16.0(x_{31})^5)^{(-0.016975)} * (0.5 + 12.0(x_{31})^2 + -40.0(x_{31})^4 + 32.0(x_{31})^6)^{(-0.003863)} * (1.0 + - \\ & 4.0(x_{31})^1 + 40.0(x_{31})^3 + -96.0(x_{31})^5 + 64.0(x_{31})^7)^{(0.001755)} * (1.5 + -20.0(x_{31})^2 + 120.0(x_{31})^4 + - \\ & 224.0(x_{31})^6 + 128.0(x_{31})^8)^{(0.002173)} * (1.0 + 5.0(x_{31})^1 + -80.0(x_{31})^3 + 336.0(x_{31})^5 + -512.0(x_{31})^7 + \\ & 256.0(x_{31})^9)^{(0.012809)} * (0.5 + 30.0(x_{31})^2 + -280.0(x_{31})^4 + 896.0(x_{31})^6 + -1152.0(x_{31})^8 + \\ & 512.0(x_{31})^{10})^{(0.002924)} * (1.0 + 1.0(x_{32})^1)^{(-0.002216)} * (0.5 + 2.0(x_{32})^2)^{(-0.000991)} * (1.0 + -2.0(x_{32})^1 + \\ & 4.0(x_{32})^3)^{(0.000481)} * (1.5 + -6.0(x_{32})^2 + 8.0(x_{32})^4)^{(-0.001568)} * (1.0 + 3.0(x_{32})^1 + -16.0(x_{32})^3 + \\ & 16.0(x_{32})^5)^{(-0.003216)} * (0.5 + 12.0(x_{32})^2 + -40.0(x_{32})^4 + 32.0(x_{32})^6)^{(0.000599)} * (1.0 + -4.0(x_{32})^1 + \\ & 40.0(x_{32})^3 + -96.0(x_{32})^5 + 64.0(x_{32})^7)^{(-0.003601)} * (1.5 + -20.0(x_{32})^2 + 120.0(x_{32})^4 + -224.0(x_{32})^6 + \\ & 128.0(x_{32})^8)^{(-0.000729)} * (1.0 + 5.0(x_{32})^1 + -80.0(x_{32})^3 + 336.0(x_{32})^5 + -512.0(x_{32})^7 + \\ & 256.0(x_{32})^9)^{(0.002088)} * (0.5 + 30.0(x_{32})^2 + -280.0(x_{32})^4 + 896.0(x_{32})^6 + -1152.0(x_{32})^8 + \\ & 512.0(x_{32})^{10})^{(-0.000098)} * (1.0 + 1.0(x_{33})^1)^{(0.005563)} * (0.5 + 2.0(x_{33})^2)^{(-0.008981)} * (1.0 + -2.0(x_{33})^1 + \\ & 4.0(x_{33})^3)^{(-0.015712)} * (1.5 + -6.0(x_{33})^2 + 8.0(x_{33})^4)^{(-0.023402)} * (1.0 + 3.0(x_{33})^1 + -16.0(x_{33})^3 + \\ & 16.0(x_{33})^5)^{(-0.040068)} * (0.5 + 12.0(x_{33})^2 + -40.0(x_{33})^4 + 32.0(x_{33})^6)^{(0.016968)} * (1.0 + -4.0(x_{33})^1 + \\ & 40.0(x_{33})^3 + -96.0(x_{33})^5 + 64.0(x_{33})^7)^{(-0.003690)} * (1.5 + -20.0(x_{33})^2 + 120.0(x_{33})^4 + -224.0(x_{33})^6 + \\ & 128.0(x_{33})^8)^{(-0.000882)} * (1.0 + 5.0(x_{33})^1 + -80.0(x_{33})^3 + 336.0(x_{33})^5 + -512.0(x_{33})^7 + \\ & 256.0(x_{33})^9)^{(0.015067)} * (0.5 + 30.0(x_{33})^2 + -280.0(x_{33})^4 + 896.0(x_{33})^6 + -1152.0(x_{33})^8 + \\ & 512.0(x_{33})^{10})^{(-0.009965)} - 1 \end{aligned}$$

F<sup>4</sup> в обычном базисе:

$$\begin{aligned} & 1.02673711432 * (1.0 + 1.0(x_{11})^1)^{(0.006850)} * (0.5 + 2.0(x_{11})^2)^{(-0.006386)} * (1.0 + -2.0(x_{11})^1 + \\ & 4.0(x_{11})^3)^{(-0.023217)} * (1.5 + -6.0(x_{11})^2 + 8.0(x_{11})^4)^{(0.001927)} * (1.0 + 3.0(x_{11})^1 + -16.0(x_{11})^3 + \\ & 16.0(x_{11})^5)^{(-0.000643)} * (0.5 + 12.0(x_{11})^2 + -40.0(x_{11})^4 + 32.0(x_{11})^6)^{(-0.011407)} * (1.0 + -4.0(x_{11})^1 + \\ & 40.0(x_{11})^3 + -96.0(x_{11})^5 + 64.0(x_{11})^7)^{(-0.015805)} * (1.5 + -20.0(x_{11})^2 + 120.0(x_{11})^4 + -224.0(x_{11})^6 + \\ & 128.0(x_{11})^8)^{(-0.046590)} * (1.0 + 5.0(x_{11})^1 + -80.0(x_{11})^3 + 336.0(x_{11})^5 + -512.0(x_{11})^7 + \\ & 256.0(x_{11})^9)^{(0.014479)} * (0.5 + 30.0(x_{11})^2 + -280.0(x_{11})^4 + 896.0(x_{11})^6 + -1152.0(x_{11})^8 + \\ & 512.0(x_{11})^{10})^{(0.018228)} * (1.0 + 1.0(x_{12})^1)^{(-0.001216)} * (0.5 + 2.0(x_{12})^2)^{(-0.000761)} * (1.0 + -2.0(x_{12})^1 + \\ & 4.0(x_{12})^3)^{(-0.000155)} * (1.5 + -6.0(x_{12})^2 + 8.0(x_{12})^4)^{(-0.004914)} * (1.0 + 3.0(x_{12})^1 + -16.0(x_{12})^3 + \\ & 16.0(x_{12})^5)^{(0.000849)} * (0.5 + 12.0(x_{12})^2 + -40.0(x_{12})^4 + 32.0(x_{12})^6)^{(0.001145)} * (1.0 + -4.0(x_{12})^1 + \\ & 40.0(x_{12})^3 + -96.0(x_{12})^5 + 64.0(x_{12})^7)^{(0.000809)} * (1.5 + -20.0(x_{12})^2 + 120.0(x_{12})^4 + -224.0(x_{12})^6 + \\ & 128.0(x_{12})^8)^{(0.000069)} * (1.0 + 5.0(x_{12})^1 + -80.0(x_{12})^3 + 336.0(x_{12})^5 + -512.0(x_{12})^7 + 256.0(x_{12})^9)^{(- \\ & 0.001414)} * (0.5 + 30.0(x_{12})^2 + -280.0(x_{12})^4 + 896.0(x_{12})^6 + -1152.0(x_{12})^8 + 512.0(x_{12})^{10})^{(-0.000532)} * \\ & (1.0 + 1.0(x_{21})^1)^{(0.012360)} * (0.5 + 2.0(x_{21})^2)^{(-0.014321)} * (1.0 + -2.0(x_{21})^1 + 4.0(x_{21})^3)^{(-0.016555)} * \\ & (1.5 + -6.0(x_{21})^2 + 8.0(x_{21})^4)^{(-0.028284)} * (1.0 + 3.0(x_{21})^1 + -16.0(x_{21})^3 + 16.0(x_{21})^5)^{(0.025168)} * (0.5 \\ & + 12.0(x_{21})^2 + -40.0(x_{21})^4 + 32.0(x_{21})^6)^{(-0.001210)} * (1.0 + -4.0(x_{21})^1 + 40.0(x_{21})^3 + -96.0(x_{21})^5 + \end{aligned}$$

$$\begin{aligned}
& 64.0(x_{21})^7)^{(0.002822)} * (1.5 + -20.0(x_{21})^2 + 120.0(x_{21})^4 + -224.0(x_{21})^6 + 128.0(x_{21})^8)^{(0.009698)} * (1.0 \\
& + 5.0(x_{21})^1 + -80.0(x_{21})^3 + 336.0(x_{21})^5 + -512.0(x_{21})^7 + 256.0(x_{21})^9)^{(0.010115)} * (0.5 + 30.0(x_{21})^2 + - \\
& 280.0(x_{21})^4 + 896.0(x_{21})^6 + -1152.0(x_{21})^8 + 512.0(x_{21})^{10})^{(0.010128)} * (1.0 + -6.0(x_{21})^1 + 140.0(x_{21})^3 + \\
& -896.0(x_{21})^5 + 2304.0(x_{21})^7 + -2560.0(x_{21})^9 + 1024.0(x_{21})^{11})^{(0.003304)} * (1.0 + 1.0(x_{22})^1)^{(0.005759)} * \\
& (0.5 + 2.0(x_{22})^2)^{(0.002590)} * (1.0 + -2.0(x_{22})^1 + 4.0(x_{22})^3)^{(0.005122)} * (1.5 + -6.0(x_{22})^2 + \\
& 8.0(x_{22})^4)^{(0.006387)} * (1.0 + 3.0(x_{22})^1 + -16.0(x_{22})^3 + 16.0(x_{22})^5)^{(0.009275)} * (0.5 + 12.0(x_{22})^2 + - \\
& 40.0(x_{22})^4 + 32.0(x_{22})^6)^{(0.003239)} * (1.0 + -4.0(x_{22})^1 + 40.0(x_{22})^3 + -96.0(x_{22})^5 + \\
& 64.0(x_{22})^7)^{(0.001148)} * (1.5 + -20.0(x_{22})^2 + 120.0(x_{22})^4 + -224.0(x_{22})^6 + 128.0(x_{22})^8)^{(0.007020)} * (1.0 \\
& + 5.0(x_{22})^1 + -80.0(x_{22})^3 + 336.0(x_{22})^5 + -512.0(x_{22})^7 + 256.0(x_{22})^9)^{(0.006791)} * (0.5 + 30.0(x_{22})^2 + - \\
& 280.0(x_{22})^4 + 896.0(x_{22})^6 + -1152.0(x_{22})^8 + 512.0(x_{22})^{10})^{(-0.005414)} * (1.0 + -6.0(x_{22})^1 + 140.0(x_{22})^3 \\
& + -896.0(x_{22})^5 + 2304.0(x_{22})^7 + -2560.0(x_{22})^9 + 1024.0(x_{22})^{11})^{(0.002075)} * (1.0 + 1.0(x_{31})^1)^{(0.013910)} \\
& * (0.5 + 2.0(x_{31})^2)^{(0.010090)} * (1.0 + -2.0(x_{31})^1 + 4.0(x_{31})^3)^{(-0.023627)} * (1.5 + -6.0(x_{31})^2 + \\
& 8.0(x_{31})^4)^{(0.008478)} * (1.0 + 3.0(x_{31})^1 + -16.0(x_{31})^3 + 16.0(x_{31})^5)^{(-0.030206)} * (0.5 + 12.0(x_{31})^2 + - \\
& 40.0(x_{31})^4 + 32.0(x_{31})^6)^{(-0.022292)} * (1.0 + -4.0(x_{31})^1 + 40.0(x_{31})^3 + -96.0(x_{31})^5 + \\
& 64.0(x_{31})^7)^{(0.004694)} * (1.5 + -20.0(x_{31})^2 + 120.0(x_{31})^4 + -224.0(x_{31})^6 + 128.0(x_{31})^8)^{(-0.004426)} * (1.0 \\
& + 5.0(x_{31})^1 + -80.0(x_{31})^3 + 336.0(x_{31})^5 + -512.0(x_{31})^7 + 256.0(x_{31})^9)^{(0.012066)} * (0.5 + 30.0(x_{31})^2 + - \\
& 280.0(x_{31})^4 + 896.0(x_{31})^6 + -1152.0(x_{31})^8 + 512.0(x_{31})^{10})^{(0.007001)} * (1.0 + 1.0(x_{32})^1)^{(0.002195)} * (0.5 \\
& + 2.0(x_{32})^2)^{(0.003636)} * (1.0 + -2.0(x_{32})^1 + 4.0(x_{32})^3)^{(-0.001017)} * (1.5 + -6.0(x_{32})^2 + \\
& 8.0(x_{32})^4)^{(0.000570)} * (1.0 + 3.0(x_{32})^1 + -16.0(x_{32})^3 + 16.0(x_{32})^5)^{(0.002292)} * (0.5 + 12.0(x_{32})^2 + - \\
& 40.0(x_{32})^4 + 32.0(x_{32})^6)^{(-0.000999)} * (1.0 + -4.0(x_{32})^1 + 40.0(x_{32})^3 + -96.0(x_{32})^5 + \\
& 64.0(x_{32})^7)^{(0.004272)} * (1.5 + -20.0(x_{32})^2 + 120.0(x_{32})^4 + -224.0(x_{32})^6 + 128.0(x_{32})^8)^{(0.002221)} * (1.0 \\
& + 5.0(x_{32})^1 + -80.0(x_{32})^3 + 336.0(x_{32})^5 + -512.0(x_{32})^7 + 256.0(x_{32})^9)^{(0.000025)} * (0.5 + 30.0(x_{32})^2 + - \\
& 280.0(x_{32})^4 + 896.0(x_{32})^6 + -1152.0(x_{32})^8 + 512.0(x_{32})^{10})^{(-0.000849)} * (1.0 + 1.0(x_{33})^1)^{(0.007071)} * \\
& (0.5 + 2.0(x_{33})^2)^{(-0.010165)} * (1.0 + -2.0(x_{33})^1 + 4.0(x_{33})^3)^{(-0.042613)} * (1.5 + -6.0(x_{33})^2 + 8.0(x_{33})^4)^{(- \\
& 0.016669)} * (1.0 + 3.0(x_{33})^1 + -16.0(x_{33})^3 + 16.0(x_{33})^5)^{(-0.068285)} * (0.5 + 12.0(x_{33})^2 + -40.0(x_{33})^4 + \\
& 32.0(x_{33})^6)^{(0.029357)} * (1.0 + -4.0(x_{33})^1 + 40.0(x_{33})^3 + -96.0(x_{33})^5 + 64.0(x_{33})^7)^{(-0.022992)} * (1.5 + - \\
& 20.0(x_{33})^2 + 120.0(x_{33})^4 + -224.0(x_{33})^6 + 128.0(x_{33})^8)^{(-0.008762)} * (1.0 + 5.0(x_{33})^1 + -80.0(x_{33})^3 + \\
& 336.0(x_{33})^5 + -512.0(x_{33})^7 + 256.0(x_{33})^9)^{(0.029147)} * (0.5 + 30.0(x_{33})^2 + -280.0(x_{33})^4 + 896.0(x_{33})^6 + \\
& -1152.0(x_{33})^8 + 512.0(x_{33})^{10})^{(-0.023401)} - 1
\end{aligned}$$

F^1 в стандартном базисе денормированный:

$$\begin{aligned}
& 873.561150309 * (-6.21428571429 + 1.4285714285714282(x_{11})^1)^{(0.000336)} * (104.591836735 + - \\
& 41.224489795918345(x_{11})^1 + 4.081632653061222(x_{11})^2)^{(-0.014809)} * (-1486.46793003 + \\
& 889.3586005830896(x_{11})^1 + -176.67638483964998(x_{11})^2 + 11.661807580174916(x_{11})^3)^{(0.004650)} * \\
& (21359.4454394 + -17040.85797584338(x_{11})^1 + 5086.130778842144(x_{11})^2 + -673.0528946272378(x_{11})^3 + \\
& 33.31945022907118(x_{11})^4)^{(0.008451)} * (-306683.387696 + 306010.007734872(x_{11})^1 + - \\
& 121897.09049800663(x_{11})^2 + 24231.332183018945(x_{11})^3 + -2403.7603379544203(x_{11})^4 + \\
& 95.19842922591762(x_{11})^5)^{(0.000529)} * (4403660.14845 + -5274487.504186172(x_{11})^1 + \\
& 2628029.054220601(x_{11})^2 + -697227.8557403791(x_{11})^3 + 103881.88594888165(x_{11})^4 + - \\
& 8241.464015843723(x_{11})^5 + 271.9955120740503(x_{11})^6)^{(-0.021341)} * (-63231825.1829 + \\
& 88379192.97682074(x_{11})^1 + -52866772.13235972(x_{11})^2 + 17544425.02698702(x_{11})^3 + - \\
& 3488543.0390398493(x_{11})^4 + 415622.74222475244(x_{11})^5 + -27471.54671947907(x_{11})^6 + \\
& 777.1300344972863(x_{11})^7)^{(-0.023244)} * (907941262.49 + -1450573371.6838248(x_{11})^1 + \\
& 1012675948.7893144(x_{11})^2 + -403491682.1975286(x_{11})^3 + 100357739.18301755(x_{11})^4 + - \\
& 15955866.785340864(x_{11})^5 + 1583596.7277968451(x_{11})^6 + -89703.00969625816(x_{11})^7 + \\
& 2220.371527135103(x_{11})^8)^{(-0.040819)} * (-13037063517.2 + 23435440202.718193(x_{11})^1 + - \\
& 18703095836.63867(x_{11})^2 + 8697623986.07825(x_{11})^3 + -2597363642.880295(x_{11})^4 + \\
& 516541138.5406006(x_{11})^5 + -68409757.76960887(x_{11})^6 + 5818071.232145354(x_{11})^7 + - \\
& 288331.10259511543(x_{11})^8 + 6343.918648957435(x_{11})^9)^{(-0.003383)} * (187198260930.0 + - \\
& 373938102462.3129(x_{11})^1 + 335804678844.7634(x_{11})^2 + -178528213935.89908(x_{11})^3 + \\
& 62226243354.02765(x_{11})^4 + -14858033826.101307(x_{11})^5 + 2461303304.0639896(x_{11})^6 + - \\
& 279313204.11014056(x_{11})^7 + 20781046.20061768(x_{11})^8 + -915336.8336352868(x_{11})^9 + \\
& 18125.481854164096(x_{11})^{10})^{(0.033102)} * (0.815649452269 + 0.0625978090766823(x_{12})^1)^{(0.004554)} * \\
& (0.567970248897 + -0.04615976156014507(x_{12})^1 + 0.007836971402401539(x_{12})^2)^{(-0.014448)} * \\
& (1.34364039023 + -0.09966688617315292(x_{12})^1 + -0.00866849982350142(x_{12})^2 + \\
& 0.0009811544791739014(x_{12})^3)^{(-0.006380)} * (1.30532916278 + 0.12592932275130037(x_{12})^1 + - \\
& 0.01711874344533628(x_{12})^2 + -0.0014470109251541229(x_{12})^3 + 0.0001228362415241191(x_{12})^4)^{(0.035381)} \\
& * (0.543784412973 + 0.09146248019829284(x_{12})^1 + 0.030745998690207606(x_{12})^2 + - \\
& 0.0025908316335723214(x_{12})^3 + -0.00022644928406167803(x_{12})^4 + 1.5378559189248082e-05(x_{12})^5)^{(- \\
& 0.007724)} * (0.862878023925 + -0.21676783182312154(x_{12})^1 + 0.017233361793459155(x_{12})^2 + \\
& 0.006251517698372035(x_{12})^3 + -0.00036370491032044816(x_{12})^4 + -3.4020549718186366e-05(x_{12})^5 + \\
& 1.9253282240060193e-06(x_{12})^6)^{(-0.018135)} * (1.50677260982 + -0.02870701370135134(x_{12})^1 + - \\
& 0.06423834076280338(x_{12})^2 + 0.0024434315924772997(x_{12})^3 + 0.0011432103055659978(x_{12})^4 + -
\end{aligned}$$

4.836940631292749e-05(x12)^5 + -4.969094377199885e-06(x12)^6 + 2.410426571525532e-07(x12)^7)^(-  
 0.016804) \* (0.950274359685 + 0.2907978493715803(x12)^1 + 0.002857392490748005(x12)^2 + -  
 0.015194772384149693(x12)^3 + 0.0002481089469508627(x12)^4 + 0.00019497932369722475(x12)^5 + -  
 6.148855406738266e-06(x12)^6 + -7.109815339610834e-07(x12)^7 + 3.017748446354343e-08(x12)^8)^(-  
 0.001959) \* (0.511561288239 + -0.08473590419715649(x12)^1 + 0.09959143353104469(x12)^2 +  
 0.0035166306500352294(x12)^3 + -0.0031370072674339134(x12)^4 + 7.5424690562809614e-06(x12)^5 +  
 3.1646741058898655e-05(x12)^6 + -7.487127403103468e-07(x12)^7 + -1.0013824421987088e-07(x12)^8 +  
 3.778088821726877e-09(x12)^9)^(-0.004561) \* (1.22981352841 + -0.32070601511812513(x12)^1 + -  
 0.050185427037988437(x12)^2 + 0.02636659789484652(x12)^3 + 0.0013487758170714348(x12)^4 + -  
 0.0005904998042987471(x12)^5 + -4.575048613565411e-06(x12)^6 + 4.9490660509078915e-06(x12)^7 + -  
 8.699195846452337e-08(x12)^8 + -1.3929854873221473e-08(x12)^9 + 4.730001654744132e-  
 10(x12)^10)^((0.014029) \* (0.861759425494 + 0.0718132854578097(x21)^1)^((0.013737) \* (0.53822091288 + -  
 0.03971003935548544(x21)^1 + 0.010314295936489724(x21)^2)^((0.004359) \* (1.2659137871 + -  
 0.12715795495311105(x21)^1 + -0.008555125175329(x21)^2 + 0.0014814069567669263(x21)^3)^(-0.012788) \*  
 (1.38825893772 + 0.11305910224784164(x21)^1 + -0.026212226132626564(x21)^2 + -  
 0.001638324390248522(x21)^3 + 0.00021276940133097686(x21)^4)^(-0.010352) \* (0.62673993568 +  
 0.15166354430990084(x21)^1 + 0.032040602741310736(x21)^2 + -0.004793213302389642(x21)^3 + -  
 0.0002941336427735228(x21)^4 + 3.055933950893743e-05(x21)^5)^((0.018924) \* (0.71494043374 + -  
 0.2086012763399221(x21)^1 + 0.03913651827379393(x21)^2 + 0.0075654394133595855(x21)^3 + -  
 0.0008198797841030571(x21)^4 + -5.0694487802977e-05(x21)^5 + 4.389133143114892e-06(x21)^6)^(-0.003052)  
 \* (1.45207366074 + -0.13493135175059312(x21)^1 + -0.07282179829132515(x21)^2 +  
 0.008322555837840518(x21)^3 + 0.0016074130679452243(x21)^4 + -0.00013429979122632724(x21)^5 + -  
 8.494588022042825e-06(x21)^6 + 6.303961426376865e-07(x21)^7)^(-0.006049) \* (1.1600697211 +  
 0.3108370412025545(x21)^1 + -0.03838239116999389(x21)^2 + -0.020325614390618918(x21)^3 +  
 0.0015708005283825485(x21)^4 + 0.00031869307538730804(x21)^5 + -2.1329558174913074e-05(x21)^6 + -  
 1.3943411987964626e-06(x21)^7 + 9.05416362854846e-08(x21)^8)^((0.010485) \* (0.503670078852 +  
 0.07198103459247376(x21)^1 + 0.12807826424533486(x21)^2 + -0.008215637844023987(x21)^3 + -  
 0.004961008099579743(x21)^4 + 0.0002717958570449242(x21)^5 + 6.01646023666052e-05(x21)^6 + -  
 3.3083783856868605e-06(x21)^7 + -2.2529750070319865e-07(x21)^8 + 1.3004184744773372e-  
 08(x21)^9)^((0.005042) \* (0.977156145787 + -0.40202460497116715(x21)^1 + 0.013309554677384025(x21)^2 +  
 0.04099252528398784(x21)^3 + -0.0013791592001718466(x21)^4 + -0.0011063720878671964(x21)^5 +  
 4.373228671914419e-05(x21)^6 + 1.0950280984656775e-05(x21)^7 + -5.034221672489608e-07(x21)^8 + -  
 3.595411940206641e-08(x21)^9 + 1.8677464624450084e-09(x21)^10)^(-0.006750) \* (1.50264581621 +  
 0.035890205674158515(x21)^1 + -0.18949952065109882(x21)^2 + -0.0012064169486930877(x21)^3 +  
 0.011229935459625511(x21)^4 + -0.00016398873762337937(x21)^5 + -0.000231160184384781(x21)^6 +  
 6.561950496807845e-06(x21)^7 + 1.9372355483313534e-06(x21)^8 + -7.536834810563272e-08(x21)^9 + -  
 5.6803635680104925e-09(x21)^10 + 2.6825801974075527e-10(x21)^11)^(-0.005796) \* (-5.1141837645 +  
 0.8920606601248888(x22)^1)^(-0.006175) \* (75.2664862121 + -21.816891220324674(x22)^1 +  
 1.5915444426849048(x22)^2)^(-0.011166) \* (-901.043704723 + 398.3933249530028(x22)^1 + -  
 58.38597115162716(x22)^2 + 2.8395083723191887(x22)^3)^(-0.000721) \* (10957.2554624 + -  
 6459.238512796057(x22)^1 + 1423.1555942303848(x22)^2 + -138.8902079134753(x22)^3 +  
 5.0660274260824085(x22)^4)^(-0.001070) \* (-133074.074831 + 98134.83812743264(x22)^1 + -  
 28868.548829296407(x22)^2 + 4234.643237870938(x22)^3 + -309.74622639044463(x22)^4 +  
 9.03840753984373(x22)^5)^(-0.004808) \* (1616335.66851 + -1430991.7077065432(x22)^1 +  
 526676.5264814706(x22)^2 + -103148.87710995243(x22)^3 + 11337.74195393172(x22)^4 + -  
 663.149815644128(x22)^5 + 16.12561559294154(x22)^6)^((0.004889) \* (-19632058.3016 +  
 20284294.837401465(x22)^1 + -8964588.40069888(x22)^2 + 2196762.556036143(x22)^3 + -  
 322362.4401468486(x22)^4 + 28328.10840843978(x22)^5 + -1380.3296787121315(x22)^6 +  
 28.77005458151926(x22)^7)^((0.001290) \* (238451702.822 + -281638796.1908684(x22)^1 +  
 145285248.06904328(x22)^2 + -42753584.32497856(x22)^3 + 7849919.565454891(x22)^4 + -  
 920877.073517621(x22)^5 + 67403.83518071883(x22)^6 + -2814.4864100158165(x22)^7 +  
 51.329267763638306(x22)^8)^(-0.000493) \* (-2896242987.5 + 3849125180.478653(x22)^1 + -  
 2270114602.4219446(x22)^2 + 779816288.3493102(x22)^3 + -171946920.3905515(x22)^4 +  
 25237704.054561533(x22)^5 + -2465814.9599667257(x22)^6 + 154644.42358496756(x22)^7 + -  
 5649.0583608702855(x22)^8 + 91.57764096991673(x22)^9)^(-0.009438) \* (35177872015.8 + -  
 51954127440.200645(x22)^1 + 34481816742.08023(x22)^2 + -13543286456.296108(x22)^3 +  
 3486067084.3705864(x22)^4 + -614469210.3136659(x22)^5 + 75112613.63167652(x22)^6 + -  
 6287547.403363571(x22)^7 + 344931.84573736135(x22)^8 + -11198.450512182153(x22)^9 +  
 163.38562171260796(x22)^10)^((0.006216) \* (-427271704895.0 + 694226631268.9722(x22)^1 + -  
 512078680028.1198(x22)^2 + 226352212460.1499(x22)^3 + -66619828730.9424(x22)^4 +  
 13708284243.956959(x22)^5 + -2012326449.349003(x22)^6 + 210741811.48066217(x22)^7 + -  
 15430051.698191226(x22)^8 + 752247.4509903559(x22)^9 + -21977.333743800842(x22)^10 +  
 291.49977111972885(x22)^11)^(-0.005376) \* (-3.01353926387 + 1.0029084344599342(x31)^1)^((0.010121) \*



$$\begin{aligned}
& (32.7169948452 + -16.100849519066138(x31)^1 + 2.011650655821752(x31)^2)^{(0.016599)} * (-249.581269022 + \\
& 191.85835831015183(x31)^1 + -48.44303335392482(x31)^2 + 4.035002819820987(x31)^3)^{(-0.000234)} * \\
& (1980.71852917 + -2026.5813952775952(x31)^1 + 771.6771137393716(x31)^2 + -129.55713797726696(x31)^3 + \\
& 8.09347672213617(x31)^4)^{(0.010595)} * (-15639.7748274 + 20046.622465948196(x31)^1 + - \\
& 10210.820905571334(x31)^2 + 2583.7732896495336(x31)^3 + -324.8348660547262(x31)^4 + \\
& 16.23403213747101(x31)^5)^{(-0.014276)} * (123571.009245 + -190261.7613465286(x31)^1 + \\
& 121401.23763494007(x31)^2 + -41091.63077380652(x31)^3 + 7781.95755148756(x31)^4 + - \\
& 781.8711047350749(x31)^5 + 32.56249551192662(x31)^6)^{(-0.016949)} * (-976264.393057 + \\
& 1755058.2857237733(x31)^1 + -1345916.6973730277(x31)^2 + 570770.6241201118(x31)^3 + - \\
& 144563.83567672857(x31)^4 + 21869.088454126413(x31)^5 + -1829.6719597317308(x31)^6 + \\
& 65.31440279194992(x31)^7)^{(-0.001664)} * (7712989.96473 + -15855938.512838645(x31)^1 + \\
& 14202703.29940426(x31)^2 + -7240191.406111769(x31)^3 + 2297504.6498395707(x31)^4 + - \\
& 464731.59948256233(x31)^5 + 58519.744534428566(x31)^6 + -4194.270721622377(x31)^7 + \\
& 131.00873090352007(x31)^8)^{(-0.005607)} * (-60936501.7103 + 140992648.66294384(x31)^1 + - \\
& 144464406.9346089(x31)^2 + 86034836.21074694(x31)^3 + -32820184.46299894(x31)^4 + \\
& 8316941.537980212(x31)^5 + -1400079.3946030852(x31)^6 + 150982.31679826952(x31)^7 + - \\
& 9464.556337027732(x31)^8 + 262.77952242206425(x31)^9)^{(0.008161)} * (481429104.496 + - \\
& 1238130589.2067034(x31)^1 + 1428229868.7085295(x31)^2 + -973137339.3659215(x31)^3 + \\
& 433722819.1155249(x31)^4 + -132127290.87337264(x31)^5 + 27862289.135702863(x31)^6 + - \\
& 4016055.5100387437(x31)^7 + 378684.6061591193(x31)^8 + -21093.51861961407(x31)^9 + \\
& 527.0875988808832(x31)^10)^{(0.016885)} * (-5.31078610603 + 1.8281535648994511(x32)^1)^{(0.008766)} * \\
& (80.1520425522 + -46.14834446824793(x32)^1 + 6.684290913709144(x32)^2)^{(0.015296)} * (-991.712434699 + \\
& 870.0406861301196(x32)^1 + -253.09878136150593(x32)^2 + 24.439820525444762(x32)^3)^{(-0.012456)} * \\
& (12451.4396378 + -14564.794555788374(x32)^1 + 6368.95621873908(x32)^2 + -1233.875838447317(x32)^3 + \\
& 89.35949003818924(x32)^4)^{(-0.007492)} * (-156150.410526 + 228483.19677053724(x32)^1 + - \\
& 133386.50422732468(x32)^2 + 38835.87320711337(x32)^3 + -5639.2862817519035(x32)^4 + \\
& 326.7257405418253(x32)^5)^{(-0.007254)} * (1958426.86433 + -3440189.8883614694(x32)^1 + \\
& 2512583.1803928213(x32)^2 + -976637.9286890845(x32)^3 + 213083.17963874032(x32)^4 + - \\
& 24742.75516673595(x32)^5 + 1194.609654631902(x32)^6)^{(0.001529)} * (-24562261.0581 + \\
& 50352728.35334101(x32)^1 + -44157754.36260077(x32)^2 + 21474646.065467626(x32)^3 + - \\
& 6254693.6746031325(x32)^4 + 1091063.294275227(x32)^5 + -105544.96414817283(x32)^6 + \\
& 4367.8597975572275(x32)^7)^{(0.011012)} * (308055939.394 + -721897580.9849375(x32)^1 + \\
& 738932741.912985(x32)^2 + -431521470.2270512(x32)^3 + 157248886.21779314(x32)^4 + - \\
& 36615272.478621975(x32)^5 + 5320211.27888182(x32)^6 + -441034.06277638156(x32)^7 + \\
& 15970.236919770481(x32)^8)^{(0.002879)} * (-3863588008.74 + 10187476843.689968(x32)^1 + - \\
& 11921814479.891735(x32)^2 + 8126769804.160367(x32)^3 + -3556248507.2426653(x32)^4 + \\
& 1036001466.1901712(x32)^5 + -200920567.69882077(x32)^6 + 25014501.842527438(x32)^7 + - \\
& 1814125.486740143(x32)^8 + 58392.09111433447(x32)^9)^{(-0.001066)} * (48456499125.2 + - \\
& 141986541446.99756(x32)^1 + 186981653833.1372(x32)^2 + -145730905746.7869(x32)^3 + \\
& 74442164829.18274(x32)^4 + -26042088817.214745(x32)^5 + 6318552790.134283(x32)^6 + - \\
& 1049908611.4919784(x32)^7 + 114341847.03092083(x32)^8 + -7369999.946130988(x32)^9 + \\
& 213499.41906520826(x32)^10)^{(-0.033993)} * (-4.03521126761 + 1.006036217303823(x33)^1)^{(0.001680)} * \\
& (51.2067050188 + -20.262419587950244(x33)^1 + 2.0242177410539703(x33)^2)^{(-0.007303)} * (-499.567522373 \\
& + 304.0646178199929(x33)^1 + -61.154183867053064(x33)^2 + 4.072872718418452(x33)^3)^{(-0.042963)} * \\
& (4991.71975268 + -4048.9748732932285(x33)^1 + 1225.6242894512873(x33)^2 + -164.06219682643345(x33)^3 + \\
& 8.194914926395278(x33)^4)^{(-0.010222)} * (-49757.0891419 + 50512.51283391542(x33)^1 + - \\
& 20428.231011297783(x33)^2 + 4114.147619369282(x33)^3 + -412.631279744551(x33)^4 + \\
& 16.488762427354686(x33)^5)^{(-0.051211)} * (496095.262451 + -604750.2522407618(x33)^1 + \\
& 306130.1283171098(x33)^2 + -82370.22320808511(x33)^3 + 12425.139440185798(x33)^4 + - \\
& 996.292828357065(x33)^5 + 33.17658436087463(x33)^6)^{(0.038099)} * (-4946119.75104 + \\
& 7037755.645951524(x33)^1 + -4279232.8242561(x33)^2 + 1441344.7969954717(x33)^3 + - \\
& 290448.6284913119(x33)^4 + 35016.88155168314(x33)^5 + -2338.7155595236272(x33)^6 + \\
& 66.75369086695098(x33)^7)^{(-0.043202)} * (49313432.6107 + -80220376.02346255(x33)^1 + \\
& 56948026.67521068(x33)^2 + -23042707.30841855(x33)^3 + 5812605.409039671(x33)^4 + - \\
& 936042.1793195023(x33)^5 + 93975.17940577774(x33)^6 + -5377.902982520558(x33)^7 + \\
& 134.31326130171223(x33)^8)^{(-0.003251)} * (-491660971.23 + 900037523.2435844(x33)^1 + - \\
& 730620665.632267(x33)^2 + 345192008.83247244(x33)^3 + -104608540.06499381(x33)^4 + \\
& 21086706.491755724(x33)^5 + -2827415.7155177807(x33)^6 + 243175.86971616157(x33)^7 + - \\
& 12173.321640514343(x33)^8 + 270.24801066742907(x33)^9)^{(0.065334)} * (4901920303.81 + - \\
& 9972795269.980133(x33)^1 + 9111651479.829985(x33)^2 + -4923248378.886333(x33)^3 + \\
& 1742190919.455682(x33)^4 + -421895961.9579667(x33)^5 + 70807276.62727877(x33)^6 + - \\
& 8132471.077796494(x33)^7 + 611743.643533338(x33)^8 + -27215.116567212932(x33)^9 + \\
& 543.7585727714871(x33)^10)^{(-0.039193)} + -801.878
\end{aligned}$$

F<sup>2</sup> в стандартном базисе денормированный:

$$\begin{aligned} & 890.679052659 * (-6.21428571429 + 1.4285714285714282(x_{11})^1)^{(0.006880)} * (104.591836735 + - \\ & 41.224489795918345(x_{11})^1 + 4.081632653061222(x_{11})^2)^{(0.000877)} * (-1486.46793003 + \\ & 889.3586005830896(x_{11})^1 + -176.67638483964998(x_{11})^2 + 11.661807580174916(x_{11})^3)^{(-0.009603)} * \\ & (21359.4454394 + -17040.85797584338(x_{11})^1 + 5086.130778842144(x_{11})^2 + -673.0528946272378(x_{11})^3 + \\ & 33.31945022907118(x_{11})^4)^{(0.001871)} * (-306683.387696 + 306010.007734872(x_{11})^1 + - \\ & 121897.09049800663(x_{11})^2 + 24231.332183018945(x_{11})^3 + -2403.7603379544203(x_{11})^4 + \\ & 95.19842922591762(x_{11})^5)^{(0.007730)} * (4403660.14845 + -5274487.504186172(x_{11})^1 + \\ & 2628029.054220601(x_{11})^2 + -697227.8557403791(x_{11})^3 + 103881.88594888165(x_{11})^4 + - \\ & 8241.464015843723(x_{11})^5 + 271.9955120740503(x_{11})^6)^{(-0.004437)} * (-63231825.1829 + \\ & 88379192.97682074(x_{11})^1 + -52866772.13235972(x_{11})^2 + 17544425.02698702(x_{11})^3 + - \\ & 3488543.0390398493(x_{11})^4 + 415622.74222475244(x_{11})^5 + -27471.54671947907(x_{11})^6 + \\ & 777.1300344972863(x_{11})^7)^{(-0.011135)} * (907941262.49 + -1450573371.6838248(x_{11})^1 + \\ & 1012675948.7893144(x_{11})^2 + -403491682.1975286(x_{11})^3 + 100357739.18301755(x_{11})^4 + - \\ & 15955866.785340864(x_{11})^5 + 1583596.7277968451(x_{11})^6 + -89703.00969625816(x_{11})^7 + \\ & 2220.371527135103(x_{11})^8)^{(-0.030300)} * (-13037063517.2 + 23435440202.718193(x_{11})^1 + - \\ & 18703095836.63867(x_{11})^2 + 8697623986.07825(x_{11})^3 + -2597363642.880295(x_{11})^4 + \\ & 516541138.5406006(x_{11})^5 + -68409757.76960887(x_{11})^6 + 5818071.232145354(x_{11})^7 + - \\ & 288331.10259511543(x_{11})^8 + 6343.918648957435(x_{11})^9)^{(0.008913)} * (187198260930.0 + - \\ & 373938102462.3129(x_{11})^1 + 335804678844.7634(x_{11})^2 + -178528213935.89908(x_{11})^3 + \\ & 62226243354.02765(x_{11})^4 + -14858033826.101307(x_{11})^5 + 2461303304.0639896(x_{11})^6 + - \\ & 279313204.11014056(x_{11})^7 + 20781046.20061768(x_{11})^8 + -915336.8336352868(x_{11})^9 + \\ & 18125.481854164096(x_{11})^{10})^{(-0.000672)} * (0.815649452269 + 0.0625978090766823(x_{12})^1)^{(0.004873)} * \\ & (0.567970248897 + -0.04615976156014507(x_{12})^1 + 0.007836971402401539(x_{12})^2)^{(0.000248)} * \\ & (1.34364039023 + -0.09966688617315292(x_{12})^1 + -0.00866849982350142(x_{12})^2 + \\ & 0.0009811544791739014(x_{12})^3)^{(-0.006215)} * (1.30532916278 + 0.12592932275130037(x_{12})^1 + - \\ & 0.01711874344533628(x_{12})^2 + -0.0014470109251541229(x_{12})^3 + 0.0001228362415241191(x_{12})^4)^{(- \\ & 0.013210)} * (0.543784412973 + 0.09146248019829284(x_{12})^1 + 0.030745998690207606(x_{12})^2 + - \\ & 0.0025908316335723214(x_{12})^3 + -0.00022644928406167803(x_{12})^4 + 1.5378559189248082e- \\ & 05(x_{12})^5)^{(0.001941)} * (0.862878023925 + -0.21676783182312154(x_{12})^1 + 0.017233361793459155(x_{12})^2 + \\ & 0.006251517698372035(x_{12})^3 + -0.00036370491032044816(x_{12})^4 + -3.4020549718186366e-05(x_{12})^5 + \\ & 1.9253282240060193e-06(x_{12})^6)^{(0.000094)} * (1.50677260982 + -0.02870701370135134(x_{12})^1 + - \\ & 0.06423834076280338(x_{12})^2 + 0.0024434315924772997(x_{12})^3 + 0.0011432103055659978(x_{12})^4 + - \\ & 4.836940631292749e-05(x_{12})^5 + -4.969094377199885e-06(x_{12})^6 + 2.410426571525532e- \\ & 07(x_{12})^7)^{(0.001408)} * (0.950274359685 + 0.2907978493715803(x_{12})^1 + 0.002857392490748005(x_{12})^2 + - \\ & 0.015194772384149693(x_{12})^3 + 0.0002481089469508627(x_{12})^4 + 0.00019497932369722475(x_{12})^5 + - \\ & 6.148855406738266e-06(x_{12})^6 + -7.109815339610834e-07(x_{12})^7 + 3.0177484463543434e- \\ & 08(x_{12})^8)^{(0.004660)} * (0.511561288239 + -0.08473590419715649(x_{12})^1 + 0.09959143353104469(x_{12})^2 + \\ & 0.0035166306500352294(x_{12})^3 + -0.0031370072674339134(x_{12})^4 + 7.5424690562809614e-06(x_{12})^5 + \\ & 3.1646741058898655e-05(x_{12})^6 + -7.487127403103468e-07(x_{12})^7 + -1.0013824421987088e-07(x_{12})^8 + \\ & 3.778088821726877e-09(x_{12})^9)^{(0.010163)} * (1.22981352841 + -0.32070601511812513(x_{12})^1 + - \\ & 0.050185427037988437(x_{12})^2 + 0.02636659789484652(x_{12})^3 + 0.0013487758170714348(x_{12})^4 + - \\ & 0.0005904998042987471(x_{12})^5 + -4.575048613565411e-06(x_{12})^6 + 4.9490660509078915e-06(x_{12})^7 + - \\ & 8.699195846452337e-08(x_{12})^8 + -1.3929854873221473e-08(x_{12})^9 + 4.730001654744132e-10(x_{12})^{10})^{(- \\ & 0.005818)} * (0.861759425494 + 0.0718132854578097(x_{21})^1)^{(0.010574)} * (0.53822091288 + - \\ & 0.03971003935548544(x_{21})^1 + 0.010314295936489724(x_{21})^2)^{(-0.022670)} * (1.2659137871 + - \\ & 0.12715795495311105(x_{21})^1 + -0.008555125175329(x_{21})^2 + 0.0014814069567669263(x_{21})^3)^{(-0.013736)} * \\ & (1.38825893772 + 0.11305910224784164(x_{21})^1 + -0.026212226132626564(x_{21})^2 + - \\ & 0.001638324390248522(x_{21})^3 + 0.00021276940133097686(x_{21})^4)^{(-0.006838)} * (0.62673993568 + \\ & 0.15166354430990084(x_{21})^1 + 0.032040602741310736(x_{21})^2 + -0.004793213302389642(x_{21})^3 + - \\ & 0.0002941336427735228(x_{21})^4 + 3.055933950893743e-05(x_{21})^5)^{(0.040962)} * (0.71494043374 + - \\ & 0.2086012763399221(x_{21})^1 + 0.03913651827379393(x_{21})^2 + 0.0075654394133595855(x_{21})^3 + - \\ & 0.0008198797841030571(x_{21})^4 + -5.0694487802977e-05(x_{21})^5 + 4.389133143114892e-06(x_{21})^6)^{(0.015991)} \\ & * (1.45207366074 + -0.13493135175059312(x_{21})^1 + -0.07282179829132515(x_{21})^2 + \\ & 0.008322555837840518(x_{21})^3 + 0.0016074130679452243(x_{21})^4 + -0.00013429979122632724(x_{21})^5 + - \\ & 8.494588022042825e-06(x_{21})^6 + 6.303961426376865e-07(x_{21})^7)^{(-0.003864)} * (1.1600697211 + \\ & 0.3108370412025545(x_{21})^1 + -0.03838239116999389(x_{21})^2 + -0.020325614390618918(x_{21})^3 + \\ & 0.0015708005283825485(x_{21})^4 + 0.00031869307538730804(x_{21})^5 + -2.1329558174913074e-05(x_{21})^6 + - \\ & 1.3943411987964626e-06(x_{21})^7 + 9.05416362854846e-08(x_{21})^8)^{(-0.005520)} * (0.503670078852 + \\ & 0.07198103459247376(x_{21})^1 + 0.12807826424533486(x_{21})^2 + -0.008215637844023987(x_{21})^3 + - \\ & 0.004961008099579743(x_{21})^4 + 0.0002717958570449242(x_{21})^5 + 6.01646023666052e-05(x_{21})^6 + - \\ & 3.3083783856868605e-06(x_{21})^7 + -2.2529750070319865e-07(x_{21})^8 + 1.3004184744773372e- \\ \end{aligned}$$

$$\begin{aligned}
& 08(x_{21})^9 \wedge (0.012069) * (0.977156145787 + -0.40202460497116715(x_{21})^1 + 0.013309554677384025(x_{21})^2 + \\
& 0.04099252528398784(x_{21})^3 + -0.0013791592001718466(x_{21})^4 + -0.0011063720878671964(x_{21})^5 + \\
& 4.373228671914419e-05(x_{21})^6 + 1.0950280984656775e-05(x_{21})^7 + -5.034221672489608e-07(x_{21})^8 + - \\
& 3.595411940206641e-08(x_{21})^9 + 1.8677464624450084e-09(x_{21})^{10} \wedge (-0.000929) * (1.50264581621 + \\
& 0.035890205674158515(x_{21})^1 + -0.18949952065109882(x_{21})^2 + -0.0012064169486930877(x_{21})^3 + \\
& 0.011229935459625511(x_{21})^4 + -0.00016398873762337937(x_{21})^5 + -0.000231160184384781(x_{21})^6 + \\
& 6.561950496807845e-06(x_{21})^7 + 1.9372355483313534e-06(x_{21})^8 + -7.536834810563272e-08(x_{21})^9 + - \\
& 5.6803635680104925e-09(x_{21})^{10} + 2.6825801974075527e-10(x_{21})^{11} \wedge (0.000964) * (-5.1141837645 + \\
& 0.8920606601248888(x_{22})^1 \wedge (0.004960) * (75.2664862121 + -21.816891220324674(x_{22})^1 + \\
& 1.5915444426849048(x_{22})^2 \wedge (-0.011556) * (-901.043704723 + 398.3933249530028(x_{22})^1 + - \\
& 58.38597115162716(x_{22})^2 + 2.8395083723191887(x_{22})^3 \wedge (-0.002383) * (10957.2554624 + - \\
& 6459.238512796057(x_{22})^1 + 1423.1555942303848(x_{22})^2 + -138.8902079134753(x_{22})^3 + \\
& 5.0660274260824085(x_{22})^4 \wedge (0.004881) * (-133074.074831 + 98134.83812743264(x_{22})^1 + - \\
& 28868.548829296407(x_{22})^2 + 4234.643237870938(x_{22})^3 + -309.74622639044463(x_{22})^4 + \\
& 9.03840753984373(x_{22})^5 \wedge (0.004905) * (1616335.66851 + -1430991.7077065432(x_{22})^1 + \\
& 526676.5264814706(x_{22})^2 + -103148.87710995243(x_{22})^3 + 11337.74195393172(x_{22})^4 + - \\
& 663.149815644128(x_{22})^5 + 16.12561559294154(x_{22})^6 \wedge (-0.003037) * (-19632058.3016 + \\
& 20284294.837401465(x_{22})^1 + -8964588.40069888(x_{22})^2 + 2196762.556036143(x_{22})^3 + - \\
& 322362.4401468486(x_{22})^4 + 28328.10840843978(x_{22})^5 + -1380.3296787121315(x_{22})^6 + \\
& 28.77005458151926(x_{22})^7 \wedge (0.004572) * (238451702.822 + -281638796.1908684(x_{22})^1 + \\
& 145285248.06904328(x_{22})^2 + -42753584.32497856(x_{22})^3 + 7849919.565454891(x_{22})^4 + - \\
& 920877.073517621(x_{22})^5 + 67403.83518071883(x_{22})^6 + -2814.4864100158165(x_{22})^7 + \\
& 51.329267763638306(x_{22})^8 \wedge (0.000507) * (-2896242987.5 + 3849125180.478653(x_{22})^1 + - \\
& 2270114602.4219446(x_{22})^2 + 779816288.3493102(x_{22})^3 + -171946920.3905515(x_{22})^4 + \\
& 25237704.054561533(x_{22})^5 + -2465814.9599667257(x_{22})^6 + 154644.42358496756(x_{22})^7 + - \\
& 5649.0583608702855(x_{22})^8 + 91.57764096991673(x_{22})^9 \wedge (0.007514) * (35177872015.8 + - \\
& 51954127440.200645(x_{22})^1 + 34481816742.08023(x_{22})^2 + -13543286456.296108(x_{22})^3 + \\
& 3486067084.3705864(x_{22})^4 + -614469210.3136659(x_{22})^5 + 75112613.63167652(x_{22})^6 + - \\
& 6287547.403363571(x_{22})^7 + 344931.84573736135(x_{22})^8 + -11198.450512182153(x_{22})^9 + \\
& 163.38562171260796(x_{22})^{10} \wedge (0.009294) * (-427271704895.0 + 694226631268.9722(x_{22})^1 + - \\
& 512078680028.1198(x_{22})^2 + 226352212460.1499(x_{22})^3 + -66619828730.9424(x_{22})^4 + \\
& 13708284243.956959(x_{22})^5 + -2012326449.349003(x_{22})^6 + 210741811.48066217(x_{22})^7 + - \\
& 15430051.698191226(x_{22})^8 + 752247.4509903559(x_{22})^9 + -21977.333743800842(x_{22})^{10} + \\
& 291.49977111972885(x_{22})^{11} \wedge (0.008065) * (-3.01353926387 + 1.0029084344599342(x_{31})^1 \wedge (0.005915) * \\
& (32.7169948452 + -16.100849519066138(x_{31})^1 + 2.011650655821752(x_{31})^2 \wedge (-0.021262) * (-249.581269022 + \\
& 191.85835831015183(x_{31})^1 + -48.44303335392482(x_{31})^2 + 4.035002819820987(x_{31})^3 \wedge (-0.040090) * \\
& (1980.71852917 + -2026.5813952775952(x_{31})^1 + 771.6771137393716(x_{31})^2 + -129.55713797726696(x_{31})^3 + \\
& 8.09347672213617(x_{31})^4 \wedge (0.020283) * (-15639.7748274 + 20046.622465948196(x_{31})^1 + - \\
& 10210.820905571334(x_{31})^2 + 2583.7732896495336(x_{31})^3 + -324.8348660547262(x_{31})^4 + \\
& 16.23403213747101(x_{31})^5 \wedge (-0.021792) * (123571.009245 + -190261.7613465286(x_{31})^1 + \\
& 121401.23763494007(x_{31})^2 + -41091.63077380652(x_{31})^3 + 7781.95755148756(x_{31})^4 + - \\
& 781.8711047350749(x_{31})^5 + 32.56249551192662(x_{31})^6 \wedge (0.023108) * (-976264.393057 + \\
& 1755058.2857237733(x_{31})^1 + -1345916.6973730277(x_{31})^2 + 570770.6241201118(x_{31})^3 + - \\
& 144563.83567672857(x_{31})^4 + 21869.088454126413(x_{31})^5 + -1829.6719597317308(x_{31})^6 + \\
& 65.31440279194992(x_{31})^7 \wedge (0.002413) * (7712989.96473 + -15855938.512838645(x_{31})^1 + \\
& 14202703.29940426(x_{31})^2 + -7240191.406111769(x_{31})^3 + 2297504.6498395707(x_{31})^4 + - \\
& 464731.59948256233(x_{31})^5 + 58519.744534428566(x_{31})^6 + -4194.270721622377(x_{31})^7 + \\
& 131.00873090352007(x_{31})^8 \wedge (0.005393) * (-60936501.7103 + 140992648.66294384(x_{31})^1 + - \\
& 144464406.9346089(x_{31})^2 + 86034836.21074694(x_{31})^3 + -32820184.46299894(x_{31})^4 + \\
& 8316941.537980212(x_{31})^5 + -1400079.3946030852(x_{31})^6 + 150982.31679826952(x_{31})^7 + - \\
& 9464.556337027732(x_{31})^8 + 262.77952242206425(x_{31})^9 \wedge (0.014280) * (481429104.496 + - \\
& 1238130589.2067034(x_{31})^1 + 1428229868.7085295(x_{31})^2 + -973137339.3659215(x_{31})^3 + \\
& 433722819.1155249(x_{31})^4 + -132127290.87337264(x_{31})^5 + 27862289.135702863(x_{31})^6 + - \\
& 4016055.5100387437(x_{31})^7 + 378684.6061591193(x_{31})^8 + -21093.51861961407(x_{31})^9 + \\
& 527.0875988808832(x_{31})^{10} \wedge (-0.011391) * (-5.31078610603 + 1.8281535648994511(x_{32})^1 \wedge (0.007662) * \\
& (80.1520425522 + -46.14834446824793(x_{32})^1 + 6.684290913709144(x_{32})^2 \wedge (0.008254) * (-991.712434699 + \\
& 870.0406861301196(x_{32})^1 + -253.09878136150593(x_{32})^2 + 24.439820525444762(x_{32})^3 \wedge (0.001730) * \\
& (12451.4396378 + -14564.794555788374(x_{32})^1 + 6368.95621873908(x_{32})^2 + -1233.875838447317(x_{32})^3 + \\
& 89.35949003818924(x_{32})^4 \wedge (-0.000809) * (-156150.410526 + 228483.19677053724(x_{32})^1 + - \\
& 133386.50422732468(x_{32})^2 + 38835.87320711337(x_{32})^3 + -5639.2862817519035(x_{32})^4 + \\
& 326.7257405418253(x_{32})^5 \wedge (0.016038) * (1958426.86433 + -3440189.8883614694(x_{32})^1 + \\
& 2512583.1803928213(x_{32})^2 + -976637.9286890845(x_{32})^3 + 213083.17963874032(x_{32})^4 + - \\
& 24742.75516673595(x_{32})^5 + 1194.609654631902(x_{32})^6 \wedge (0.001823) * (-24562261.0581 +
\end{aligned}$$

$$\begin{aligned}
& 50352728.35334101(x32)^{\wedge}1 + -44157754.36260077(x32)^{\wedge}2 + 21474646.065467626(x32)^{\wedge}3 + - \\
& 6254693.6746031325(x32)^{\wedge}4 + 1091063.294275227(x32)^{\wedge}5 + -105544.96414817283(x32)^{\wedge}6 + \\
& 4367.8597975572275(x32)^{\wedge}7 \wedge (-0.000040) * (308055939.394 + -721897580.9849375(x32)^{\wedge}1 + \\
& 738932741.912985(x32)^{\wedge}2 + -431521470.2270512(x32)^{\wedge}3 + 157248886.21779314(x32)^{\wedge}4 + - \\
& 36615272.478621975(x32)^{\wedge}5 + 5320211.27888182(x32)^{\wedge}6 + -441034.06277638156(x32)^{\wedge}7 + \\
& 15970.236919770481(x32)^{\wedge}8 \wedge (-0.004746) * (-3863588008.74 + 10187476843.689968(x32)^{\wedge}1 + - \\
& 11921814479.891735(x32)^{\wedge}2 + 8126769804.160367(x32)^{\wedge}3 + -3556248507.2426653(x32)^{\wedge}4 + - \\
& 1036001466.1901712(x32)^{\wedge}5 + -200920567.69882077(x32)^{\wedge}6 + 25014501.842527438(x32)^{\wedge}7 + - \\
& 1814125.486740143(x32)^{\wedge}8 + 58392.09111433447(x32)^{\wedge}9 \wedge (-0.010109) * (48456499125.2 + - \\
& 141986541446.99756(x32)^{\wedge}1 + 186981653833.1372(x32)^{\wedge}2 + -145730905746.7869(x32)^{\wedge}3 + \\
& 74442164829.18274(x32)^{\wedge}4 + -26042088817.214745(x32)^{\wedge}5 + 6318552790.134283(x32)^{\wedge}6 + - \\
& 1049908611.4919784(x32)^{\wedge}7 + 114341847.03092083(x32)^{\wedge}8 + -7369999.946130988(x32)^{\wedge}9 + \\
& 213499.41906520826(x32)^{\wedge}10 \wedge (-0.007125) * (-4.03521126761 + 1.006036217303823(x33)^{\wedge}1) \wedge (0.008104) * \\
& (51.2067050188 + -20.262419587950244(x33)^{\wedge}1 + 2.0242177410539703(x33)^{\wedge}2) \wedge (-0.016540) * (-499.567522373 \\
& + 304.0646178199929(x33)^{\wedge}1 + -61.154183867053064(x33)^{\wedge}2 + 4.072872718418452(x33)^{\wedge}3) \wedge (0.005934) * \\
& (4991.71975268 + -4048.9748732932285(x33)^{\wedge}1 + 1225.6242894512873(x33)^{\wedge}2 + -164.06219682643345(x33)^{\wedge}3 + \\
& 8.194914926395278(x33)^{\wedge}4) \wedge (-0.021473) * (-49757.0891419 + 50512.51283391542(x33)^{\wedge}1 + - \\
& 20428.231011297783(x33)^{\wedge}2 + 4114.147619369282(x33)^{\wedge}3 + -412.631279744551(x33)^{\wedge}4 + \\
& 16.488762427354686(x33)^{\wedge}5) \wedge (-0.028097) * (496095.262451 + -604750.2522407618(x33)^{\wedge}1 + \\
& 306130.1283171098(x33)^{\wedge}2 + -82370.22320808511(x33)^{\wedge}3 + 12425.139440185798(x33)^{\wedge}4 + - \\
& 996.292828357065(x33)^{\wedge}5 + 33.17658436087463(x33)^{\wedge}6) \wedge (0.018504) * (-4946119.75104 + \\
& 7037755.645951524(x33)^{\wedge}1 + -4279232.8242561(x33)^{\wedge}2 + 1441344.7969954717(x33)^{\wedge}3 + - \\
& 290448.6284913119(x33)^{\wedge}4 + 35016.88155168314(x33)^{\wedge}5 + -2338.7155595236272(x33)^{\wedge}6 + \\
& 66.75369086695098(x33)^{\wedge}7) \wedge (0.026610) * (49313432.6107 + -80220376.02346255(x33)^{\wedge}1 + \\
& 56948026.67521068(x33)^{\wedge}2 + -23042707.30841855(x33)^{\wedge}3 + 5812605.409039671(x33)^{\wedge}4 + - \\
& 936042.1793195023(x33)^{\wedge}5 + 93975.17940577774(x33)^{\wedge}6 + -5377.902982520558(x33)^{\wedge}7 + \\
& 134.31326130171223(x33)^{\wedge}8) \wedge (0.006030) * (-491660971.23 + 900037523.2435844(x33)^{\wedge}1 + - \\
& 730620665.632267(x33)^{\wedge}2 + 345192008.83247244(x33)^{\wedge}3 + -104608540.06499381(x33)^{\wedge}4 + \\
& 21086706.491755724(x33)^{\wedge}5 + -2827415.7155177807(x33)^{\wedge}6 + 243175.86971616157(x33)^{\wedge}7 + - \\
& 12173.321640514343(x33)^{\wedge}8 + 270.24801066742907(x33)^{\wedge}9) \wedge (-0.005953) * (4901920303.81 + - \\
& 9972795269.980133(x33)^{\wedge}1 + 9111651479.829985(x33)^{\wedge}2 + -4923248378.886333(x33)^{\wedge}3 + \\
& 1742190919.455682(x33)^{\wedge}4 + -421895961.9579667(x33)^{\wedge}5 + 70807276.62727877(x33)^{\wedge}6 + - \\
& 8132471.077796494(x33)^{\wedge}7 + 611743.643533338(x33)^{\wedge}8 + -27215.116567212932(x33)^{\wedge}9 + \\
& 543.7585727714871(x33)^{\wedge}10) \wedge (-0.001308) + -843.428
\end{aligned}$$

F^3 в стандартном базисе денормированный:

$$\begin{aligned}
& 839.64042738 * (-6.21428571429 + 1.4285714285714282(x11)^{\wedge}1) \wedge (0.004994) * (104.591836735 + - \\
& 41.224489795918345(x11)^{\wedge}1 + 4.081632653061222(x11)^{\wedge}2) \wedge (-0.011358) * (-1486.46793003 + \\
& 889.3586005830896(x11)^{\wedge}1 + -176.67638483964998(x11)^{\wedge}2 + 11.661807580174916(x11)^{\wedge}3) \wedge (-0.013508) * \\
& (21359.4454394 + -17040.85797584338(x11)^{\wedge}1 + 5086.130778842144(x11)^{\wedge}2 + -673.0528946272378(x11)^{\wedge}3 + \\
& 33.31945022907118(x11)^{\wedge}4) \wedge (0.004666) * (-306683.387696 + 306010.007734872(x11)^{\wedge}1 + - \\
& 121897.09049800663(x11)^{\wedge}2 + 24231.332183018945(x11)^{\wedge}3 + -2403.7603379544203(x11)^{\wedge}4 + \\
& 95.19842922591762(x11)^{\wedge}5) \wedge (0.004287) * (4403660.14845 + -5274487.504186172(x11)^{\wedge}1 + \\
& 2628029.054220601(x11)^{\wedge}2 + -697227.8557403791(x11)^{\wedge}3 + 103881.88594888165(x11)^{\wedge}4 + - \\
& 8241.464015843723(x11)^{\wedge}5 + 271.9955120740503(x11)^{\wedge}6) \wedge (-0.004870) * (-63231825.1829 + \\
& 88379192.97682074(x11)^{\wedge}1 + -52866772.13235972(x11)^{\wedge}2 + 17544425.02698702(x11)^{\wedge}3 + - \\
& 3488543.0390398493(x11)^{\wedge}4 + 415622.74222475244(x11)^{\wedge}5 + -27471.54671947907(x11)^{\wedge}6 + \\
& 777.1300344972863(x11)^{\wedge}7) \wedge (-0.013673) * (907941262.49 + -1450573371.6838248(x11)^{\wedge}1 + \\
& 1012675948.7893144(x11)^{\wedge}2 + -403491682.1975286(x11)^{\wedge}3 + 100357739.18301755(x11)^{\wedge}4 + - \\
& 15955866.785340864(x11)^{\wedge}5 + 1583596.7277968451(x11)^{\wedge}6 + -89703.00969625816(x11)^{\wedge}7 + \\
& 2220.371527135103(x11)^{\wedge}8) \wedge (-0.031425) * (-13037063517.2 + 23435440202.718193(x11)^{\wedge}1 + - \\
& 18703095836.63867(x11)^{\wedge}2 + 8697623986.07825(x11)^{\wedge}3 + -2597363642.880295(x11)^{\wedge}4 + \\
& 516541138.5406006(x11)^{\wedge}5 + -68409757.76960887(x11)^{\wedge}6 + 5818071.232145354(x11)^{\wedge}7 + - \\
& 288331.10259511543(x11)^{\wedge}8 + 6343.918648957435(x11)^{\wedge}9) \wedge (0.011787) * (187198260930.0 + - \\
& 373938102462.3129(x11)^{\wedge}1 + 335804678844.7634(x11)^{\wedge}2 + -178528213935.89908(x11)^{\wedge}3 + \\
& 62226243354.02765(x11)^{\wedge}4 + -14858033826.101307(x11)^{\wedge}5 + 2461303304.0639896(x11)^{\wedge}6 + - \\
& 279313204.11014056(x11)^{\wedge}7 + 20781046.20061768(x11)^{\wedge}8 + -915336.8336352868(x11)^{\wedge}9 + \\
& 18125.481854164096(x11)^{\wedge}10) \wedge (0.014210) * (0.815649452269 + 0.0625978090766823(x12)^{\wedge}1) \wedge (0.003160) * \\
& (0.567970248897 + -0.04615976156014507(x12)^{\wedge}1 + 0.007836971402401539(x12)^{\wedge}2) \wedge (0.000092) * \\
& (1.34364039023 + -0.09966688617315292(x12)^{\wedge}1 + -0.00866849982350142(x12)^{\wedge}2 + \\
& 0.0009811544791739014(x12)^{\wedge}3) \wedge (-0.003178) * (1.30532916278 + 0.12592932275130037(x12)^{\wedge}1 + - \\
& 0.01711874344533628(x12)^{\wedge}2 + -0.0014470109251541229(x12)^{\wedge}3 + 0.0001228362415241191(x12)^{\wedge}4) \wedge (0.010700) \\
& * (0.543784412973 + 0.09146248019829284(x12)^{\wedge}1 + 0.030745998690207606(x12)^{\wedge}2 + -
\end{aligned}$$

$$\begin{aligned}
& 0.0025908316335723214(x_{12})^3 + -0.00022644928406167803(x_{12})^4 + 1.5378559189248082e- \\
& 05(x_{12})^5 \wedge (0.002101) * (0.862878023925 + -0.21676783182312154(x_{12})^1 + 0.017233361793459155(x_{12})^2 + \\
& 0.006251517698372035(x_{12})^3 + -0.00036370491032044816(x_{12})^4 + -3.4020549718186366e-05(x_{12})^5 + \\
& 1.9253282240060193e-06(x_{12})^6 \wedge (-0.003684) * (1.50677260982 + -0.02870701370135134(x_{12})^1 + - \\
& 0.06423834076280338(x_{12})^2 + 0.0024434315924772997(x_{12})^3 + 0.0011432103055659978(x_{12})^4 + - \\
& 4.836940631292749e-05(x_{12})^5 + -4.969094377199885e-06(x_{12})^6 + 2.410426571525532e-07(x_{12})^7 \wedge (- \\
& 0.002604) * (0.950274359685 + 0.2907978493715803(x_{12})^1 + 0.002857392490748005(x_{12})^2 + - \\
& 0.015194772384149693(x_{12})^3 + 0.0002481089469508627(x_{12})^4 + 0.00019497932369722475(x_{12})^5 + - \\
& 6.148855406738266e-06(x_{12})^6 + -7.109815339610834e-07(x_{12})^7 + 3.0177484463543434e- \\
& 08(x_{12})^8 \wedge (0.002334) * (0.511561288239 + -0.08473590419715649(x_{12})^1 + 0.09959143353104469(x_{12})^2 + \\
& 0.0035166306500352294(x_{12})^3 + -0.0031370072674339134(x_{12})^4 + 7.5424690562809614e-06(x_{12})^5 + \\
& 3.1646741058898655e-05(x_{12})^6 + -7.487127403103468e-07(x_{12})^7 + -1.0013824421987088e-07(x_{12})^8 + \\
& 3.778088821726877e-09(x_{12})^9 \wedge (0.002416) * (1.22981352841 + -0.32070601511812513(x_{12})^1 + - \\
& 0.050185427037988437(x_{12})^2 + 0.02636659789484652(x_{12})^3 + 0.0013487758170714348(x_{12})^4 + - \\
& 0.0005904998042987471(x_{12})^5 + -4.575048613565411e-06(x_{12})^6 + 4.9490660509078915e-06(x_{12})^7 + - \\
& 8.699195846452337e-08(x_{12})^8 + -1.3929854873221473e-08(x_{12})^9 + 4.730001654744132e- \\
& 10(x_{12})^{10} \wedge (0.001135) * (0.861759425494 + 0.0718132854578097(x_{21})^1 \wedge (0.008370) * (0.53822091288 + - \\
& 0.03971003935548544(x_{21})^1 + 0.010314295936489724(x_{21})^2 \wedge (-0.009553) * (1.2659137871 + - \\
& 0.12715795495311105(x_{21})^1 + -0.008555125175329(x_{21})^2 + 0.0014814069567669263(x_{21})^3 \wedge (-0.010619) * \\
& (1.38825893772 + 0.11305910224784164(x_{21})^1 + -0.026212226132626564(x_{21})^2 + - \\
& 0.001638324390248522(x_{21})^3 + 0.00021276940133097686(x_{21})^4 \wedge (-0.015801) * (0.62673993568 + \\
& 0.15166354430990084(x_{21})^1 + 0.032040602741310736(x_{21})^2 + -0.004793213302389642(x_{21})^3 + - \\
& 0.0002941336427735228(x_{21})^4 + 3.055933950893743e-05(x_{21})^5 \wedge (0.024799) * (0.71494043374 + - \\
& 0.2086012763399221(x_{21})^1 + 0.03913651827379393(x_{21})^2 + 0.0075654394133595855(x_{21})^3 + - \\
& 0.0008198797841030571(x_{21})^4 + -5.0694487802977e-05(x_{21})^5 + 4.389133143114892e-06(x_{21})^6 \wedge (0.007081) \\
& * (1.45207366074 + -0.13493135175059312(x_{21})^1 + -0.07282179829132515(x_{21})^2 + \\
& 0.008322555837840518(x_{21})^3 + 0.0016074130679452243(x_{21})^4 + -0.00013429979122632724(x_{21})^5 + - \\
& 8.494588022042825e-06(x_{21})^6 + 6.303961426376865e-07(x_{21})^7 \wedge (0.004082) * (1.1600697211 + \\
& 0.3108370412025545(x_{21})^1 + -0.03838239116999389(x_{21})^2 + -0.020325614390618918(x_{21})^3 + \\
& 0.0015708005283825485(x_{21})^4 + 0.00031869307538730804(x_{21})^5 + -2.1329558174913074e-05(x_{21})^6 + - \\
& 1.3943411987964626e-06(x_{21})^7 + 9.05416362854846e-08(x_{21})^8 \wedge (0.008000) * (0.503670078852 + \\
& 0.07198103459247376(x_{21})^1 + 0.12807826424533486(x_{21})^2 + -0.008215637844023987(x_{21})^3 + - \\
& 0.004961008099579743(x_{21})^4 + 0.0002717958570449242(x_{21})^5 + 6.01646023666052e-05(x_{21})^6 + - \\
& 3.3083783856868605e-06(x_{21})^7 + -2.2529750070319865e-07(x_{21})^8 + 1.3004184744773372e- \\
& 08(x_{21})^9 \wedge (0.005239) * (0.977156145787 + -0.40202460497116715(x_{21})^1 + 0.013309554677384025(x_{21})^2 + \\
& 0.04099252528398784(x_{21})^3 + -0.0013791592001718466(x_{21})^4 + -0.0011063720878671964(x_{21})^5 + \\
& 4.373228671914419e-05(x_{21})^6 + 1.0950280984656775e-05(x_{21})^7 + -5.034221672489608e-07(x_{21})^8 + - \\
& 3.595411940206641e-08(x_{21})^9 + 1.8677464624450084e-09(x_{21})^{10} \wedge (-0.000400) * (1.50264581621 + \\
& 0.035890205674158515(x_{21})^1 + -0.18949952065109882(x_{21})^2 + -0.0012064169486930877(x_{21})^3 + \\
& 0.011229935459625511(x_{21})^4 + -0.00016398873762337937(x_{21})^5 + -0.000231160184384781(x_{21})^6 + \\
& 6.561950496807845e-06(x_{21})^7 + 1.9372355483313534e-06(x_{21})^8 + -7.536834810563272e-08(x_{21})^9 + - \\
& 5.6803635680104925e-09(x_{21})^{10} + 2.6825801974075527e-10(x_{21})^{11} \wedge (-0.002845) * (-5.1141837645 + \\
& 0.8920606601248888(x_{22})^1 \wedge (0.003033) * (75.2664862121 + -21.816891220324674(x_{22})^1 + \\
& 1.5915444426849048(x_{22})^2 \wedge (-0.000672) * (-901.043704723 + 398.3933249530028(x_{22})^1 + - \\
& 58.38597115162716(x_{22})^2 + 2.8395083723191887(x_{22})^3 \wedge (-0.000210) * (10957.2554624 + - \\
& 6459.238512796057(x_{22})^1 + 1423.1555942303848(x_{22})^2 + -138.8902079134753(x_{22})^3 + \\
& 5.0660274260824085(x_{22})^4 \wedge (0.002971) * (-133074.074831 + 98134.83812743264(x_{22})^1 + - \\
& 28868.548829296407(x_{22})^2 + 4234.643237870938(x_{22})^3 + -309.74622639044463(x_{22})^4 + \\
& 9.03840753984373(x_{22})^5 \wedge (0.005037) * (1616335.66851 + -1430991.7077065432(x_{22})^1 + \\
& 526676.5264814706(x_{22})^2 + -103148.87710995243(x_{22})^3 + 11337.74195393172(x_{22})^4 + - \\
& 663.149815644128(x_{22})^5 + 16.12561559294154(x_{22})^6 \wedge (0.000621) * (-19632058.3016 + \\
& 20284294.837401465(x_{22})^1 + -8964588.40069888(x_{22})^2 + 2196762.556036143(x_{22})^3 + - \\
& 322362.4401468486(x_{22})^4 + 28328.10840843978(x_{22})^5 + -1380.3296787121315(x_{22})^6 + \\
& 28.77005458151926(x_{22})^7 \wedge (0.001236) * (238451702.822 + -281638796.1908684(x_{22})^1 + \\
& 145285248.06904328(x_{22})^2 + -42753584.32497856(x_{22})^3 + 7849919.565454891(x_{22})^4 + - \\
& 920877.073517621(x_{22})^5 + 67403.83518071883(x_{22})^6 + -2814.4864100158165(x_{22})^7 + \\
& 51.329267763638306(x_{22})^8 \wedge (0.002787) * (-2896242987.5 + 3849125180.478653(x_{22})^1 + - \\
& 2270114602.4219446(x_{22})^2 + 779816288.3493102(x_{22})^3 + -171946920.3905515(x_{22})^4 + \\
& 25237704.054561533(x_{22})^5 + -2465814.9599667257(x_{22})^6 + 154644.42358496756(x_{22})^7 + - \\
& 5649.0583608702855(x_{22})^8 + 91.57764096991673(x_{22})^9 \wedge (0.005653) * (35177872015.8 + - \\
& 51954127440.200645(x_{22})^1 + 34481816742.08023(x_{22})^2 + -13543286456.296108(x_{22})^3 + \\
& 3486067084.3705864(x_{22})^4 + -614469210.3136659(x_{22})^5 + 75112613.63167652(x_{22})^6 + - \\
& 6287547.403363571(x_{22})^7 + 344931.84573736135(x_{22})^8 + -11198.450512182153(x_{22})^9 +
\end{aligned}$$

$$\begin{aligned}
& 163.38562171260796(x22)^{10} \wedge (0.000127) * (-427271704895.0 + 694226631268.9722(x22)^1 + - \\
& 512078680028.1198(x22)^2 + 226352212460.1499(x22)^3 + -66619828730.9424(x22)^4 + - \\
& 13708284243.956959(x22)^5 + -2012326449.349003(x22)^6 + 210741811.48066217(x22)^7 + - \\
& 15430051.698191226(x22)^8 + 752247.4509903559(x22)^9 + -21977.333743800842(x22)^{10} + - \\
& 291.49977111972885(x22)^{11} \wedge (0.004458) * (-3.01353926387 + 1.0029084344599342(x31)^1 \wedge (0.008316) * \\
& (32.7169948452 + -16.100849519066138(x31)^1 + 2.011650655821752(x31)^2 \wedge (-0.000653) * (-249.581269022 + \\
& 191.85835831015183(x31)^1 + -48.44303335392482(x31)^2 + 4.035002819820987(x31)^3 \wedge (-0.033320) * \\
& (1980.71852917 + -2026.5813952775952(x31)^1 + 771.6771137393716(x31)^2 + -129.55713797726696(x31)^3 + \\
& 8.09347672213617(x31)^4 \wedge (0.009873) * (-15639.7748274 + 20046.622465948196(x31)^1 + - \\
& 10210.820905571334(x31)^2 + 2583.7732896495336(x31)^3 + -324.8348660547262(x31)^4 + - \\
& 16.23403213747101(x31)^5 \wedge (-0.016975) * (123571.009245 + -190261.7613465286(x31)^1 + - \\
& 121401.23763494007(x31)^2 + -41091.63077380652(x31)^3 + 7781.95755148756(x31)^4 + - \\
& 781.8711047350749(x31)^5 + 32.56249551192662(x31)^6 \wedge (-0.003863) * (-976264.393057 + - \\
& 1755058.2857237733(x31)^1 + -1345916.6973730277(x31)^2 + 570770.6241201118(x31)^3 + - \\
& 144563.83567672857(x31)^4 + 21869.088454126413(x31)^5 + -1829.6719597317308(x31)^6 + - \\
& 65.31440279194992(x31)^7 \wedge (0.001755) * (7712989.96473 + -15855938.512838645(x31)^1 + - \\
& 14202703.29940426(x31)^2 + -7240191.406111769(x31)^3 + 2297504.6498395707(x31)^4 + - \\
& 464731.59948256233(x31)^5 + 58519.744534428566(x31)^6 + -4194.270721622377(x31)^7 + - \\
& 131.00873090352007(x31)^8 \wedge (0.002173) * (-60936501.7103 + 140992648.66294384(x31)^1 + - \\
& 144464406.9346089(x31)^2 + 86034836.21074694(x31)^3 + -32820184.46299894(x31)^4 + - \\
& 8316941.537980212(x31)^5 + -1400079.3946030852(x31)^6 + 150982.31679826952(x31)^7 + - \\
& 9464.556337027732(x31)^8 + 262.77952242206425(x31)^9 \wedge (0.012809) * (481429104.496 + - \\
& 1238130589.2067034(x31)^1 + 1428229868.7085295(x31)^2 + -973137339.3659215(x31)^3 + - \\
& 433722819.1155249(x31)^4 + -132127290.87337264(x31)^5 + 27862289.135702863(x31)^6 + - \\
& 4016055.5100387437(x31)^7 + 378684.6061591193(x31)^8 + -21093.51861961407(x31)^9 + - \\
& 527.0875988808832(x31)^{10} \wedge (0.002924) * (-5.31078610603 + 1.8281535648994511(x32)^1 \wedge (-0.002216) * \\
& (80.1520425522 + -46.14834446824793(x32)^1 + 6.684290913709144(x32)^2 \wedge (-0.000991) * (-991.712434699 + \\
& 870.0406861301196(x32)^1 + -253.09878136150593(x32)^2 + 24.439820525444762(x32)^3 \wedge (0.000481) * \\
& (12451.4396378 + -14564.794555788374(x32)^1 + 6368.95621873908(x32)^2 + -1233.875838447317(x32)^3 + - \\
& 89.35949003818924(x32)^4 \wedge (-0.001568) * (-156150.410526 + 228483.19677053724(x32)^1 + - \\
& 133386.50422732468(x32)^2 + 38835.87320711337(x32)^3 + -5639.2862817519035(x32)^4 + - \\
& 326.7257405418253(x32)^5 \wedge (-0.003216) * (1958426.86433 + -3440189.8883614694(x32)^1 + - \\
& 2512583.1803928213(x32)^2 + -976637.9286890845(x32)^3 + 213083.17963874032(x32)^4 + - \\
& 24742.75516673595(x32)^5 + 1194.609654631902(x32)^6 \wedge (0.000599) * (-24562261.0581 + - \\
& 50352728.35334101(x32)^1 + -44157754.36260077(x32)^2 + 21474646.065467626(x32)^3 + - \\
& 6254693.6746031325(x32)^4 + 1091063.294275227(x32)^5 + -105544.96414817283(x32)^6 + - \\
& 4367.8597975572275(x32)^7 \wedge (-0.003601) * (308055939.394 + -721897580.9849375(x32)^1 + - \\
& 738932741.912985(x32)^2 + -431521470.2270512(x32)^3 + 157248886.21779314(x32)^4 + - \\
& 36615272.478621975(x32)^5 + 5320211.27888182(x32)^6 + -441034.06277638156(x32)^7 + - \\
& 15970.236919770481(x32)^8 \wedge (-0.000729) * (-3863588008.74 + 10187476843.689968(x32)^1 + - \\
& 11921814479.891735(x32)^2 + 8126769804.160367(x32)^3 + -3556248507.2426653(x32)^4 + - \\
& 1036001466.1901712(x32)^5 + -200920567.69882077(x32)^6 + 25014501.842527438(x32)^7 + - \\
& 1814125.486740143(x32)^8 + 58392.09111433447(x32)^9 \wedge (0.002088) * (48456499125.2 + - \\
& 141986541446.99756(x32)^1 + 186981653833.1372(x32)^2 + -145730905746.7869(x32)^3 + - \\
& 74442164829.18274(x32)^4 + -26042088817.214745(x32)^5 + 6318552790.134283(x32)^6 + - \\
& 1049908611.4919784(x32)^7 + 114341847.03092083(x32)^8 + -7369999.946130988(x32)^9 + - \\
& 213499.41906520826(x32)^{10} \wedge (-0.000098) * (-4.03521126761 + 1.006036217303823(x33)^1 \wedge (0.005563) * \\
& (51.2067050188 + -20.262419587950244(x33)^1 + 2.0242177410539703(x33)^2 \wedge (-0.008981) * (-499.567522373 \\
& + 304.0646178199929(x33)^1 + -61.154183867053064(x33)^2 + 4.072872718418452(x33)^3 \wedge (-0.015712) * \\
& (4991.71975268 + -4048.9748732932285(x33)^1 + 1225.6242894512873(x33)^2 + -164.06219682643345(x33)^3 + - \\
& 8.194914926395278(x33)^4 \wedge (-0.023402) * (-49757.0891419 + 50512.51283391542(x33)^1 + - \\
& 20428.231011297783(x33)^2 + 4114.147619369282(x33)^3 + -412.631279744551(x33)^4 + - \\
& 16.488762427354686(x33)^5 \wedge (-0.040068) * (496095.262451 + -604750.2522407618(x33)^1 + - \\
& 306130.1283171098(x33)^2 + -82370.22320808511(x33)^3 + 12425.139440185798(x33)^4 + - \\
& 996.292828357065(x33)^5 + 33.17658436087463(x33)^6 \wedge (0.016968) * (-4946119.75104 + - \\
& 7037755.645951524(x33)^1 + -4279232.8242561(x33)^2 + 1441344.7969954717(x33)^3 + - \\
& 290448.6284913119(x33)^4 + 35016.88155168314(x33)^5 + -2338.7155595236272(x33)^6 + - \\
& 66.75369086695098(x33)^7 \wedge (-0.003690) * (49313432.6107 + -80220376.02346255(x33)^1 + - \\
& 56948026.67521068(x33)^2 + -23042707.30841855(x33)^3 + 5812605.409039671(x33)^4 + - \\
& 936042.1793195023(x33)^5 + 93975.17940577774(x33)^6 + -5377.902982520558(x33)^7 + - \\
& 134.31326130171223(x33)^8 \wedge (-0.000882) * (-491660971.23 + 900037523.2435844(x33)^1 + - \\
& 730620665.632267(x33)^2 + 345192008.83247244(x33)^3 + -104608540.06499381(x33)^4 + - \\
& 21086706.491755724(x33)^5 + -2827415.7155177807(x33)^6 + 243175.86971616157(x33)^7 + -
\end{aligned}$$

$$\begin{aligned}
& 12173.321640514343(x_{33})^8 + 270.24801066742907(x_{33})^9 \wedge (0.015067) * (4901920303.81 + - \\
& 9972795269.980133(x_{33})^1 + 9111651479.829985(x_{33})^2 + -4923248378.886333(x_{33})^3 + \\
& 1742190919.455682(x_{33})^4 + -421895961.9579667(x_{33})^5 + 70807276.62727877(x_{33})^6 + - \\
& 8132471.077796494(x_{33})^7 + 611743.643533338(x_{33})^8 + -27215.116567212932(x_{33})^9 + \\
& 543.7585727714871(x_{33})^{10} \wedge (-0.009965) + -797.648
\end{aligned}$$

F^4 в стандартном базисе денормированный:

$$\begin{aligned}
& 409.432985814 * (-6.21428571429 + 1.4285714285714282(x_{11})^1) \wedge (0.006850) * (104.591836735 + - \\
& 41.224489795918345(x_{11})^1 + 4.081632653061222(x_{11})^2 \wedge (-0.006386) * (-1486.46793003 + \\
& 889.3586005830896(x_{11})^1 + -176.67638483964998(x_{11})^2 + 11.661807580174916(x_{11})^3 \wedge (-0.023217) * \\
& (21359.4454394 + -17040.85797584338(x_{11})^1 + 5086.130778842144(x_{11})^2 + -673.0528946272378(x_{11})^3 + \\
& 33.31945022907118(x_{11})^4 \wedge (0.001927) * (-306683.387696 + 306010.007734872(x_{11})^1 + - \\
& 121897.09049800663(x_{11})^2 + 24231.332183018945(x_{11})^3 + -2403.7603379544203(x_{11})^4 + \\
& 95.19842922591762(x_{11})^5 \wedge (-0.000643) * (4403660.14845 + -5274487.504186172(x_{11})^1 + \\
& 2628029.054220601(x_{11})^2 + -697227.8557403791(x_{11})^3 + 103881.88594888165(x_{11})^4 + - \\
& 8241.464015843723(x_{11})^5 + 271.9955120740503(x_{11})^6 \wedge (-0.011407) * (-63231825.1829 + \\
& 88379192.97682074(x_{11})^1 + -52866772.13235972(x_{11})^2 + 17544425.02698702(x_{11})^3 + - \\
& 3488543.0390398493(x_{11})^4 + 415622.74222475244(x_{11})^5 + -27471.54671947907(x_{11})^6 + \\
& 777.1300344972863(x_{11})^7 \wedge (-0.015805) * (907941262.49 + -1450573371.6838248(x_{11})^1 + \\
& 1012675948.7893144(x_{11})^2 + -403491682.1975286(x_{11})^3 + 100357739.18301755(x_{11})^4 + - \\
& 15955866.785340864(x_{11})^5 + 1583596.7277968451(x_{11})^6 + -89703.00969625816(x_{11})^7 + \\
& 2220.371527135103(x_{11})^8 \wedge (-0.046590) * (-13037063517.2 + 23435440202.718193(x_{11})^1 + - \\
& 18703095836.63867(x_{11})^2 + 8697623986.07825(x_{11})^3 + -2597363642.880295(x_{11})^4 + \\
& 516541138.5406006(x_{11})^5 + -68409757.76960887(x_{11})^6 + 5818071.232145354(x_{11})^7 + - \\
& 288331.10259511543(x_{11})^8 + 6343.918648957435(x_{11})^9 \wedge (0.014479) * (187198260930.0 + - \\
& 373938102462.3129(x_{11})^1 + 335804678844.7634(x_{11})^2 + -178528213935.89908(x_{11})^3 + \\
& 62226243354.02765(x_{11})^4 + -14858033826.101307(x_{11})^5 + 2461303304.0639896(x_{11})^6 + - \\
& 279313204.11014056(x_{11})^7 + 20781046.20061768(x_{11})^8 + -915336.8336352868(x_{11})^9 + \\
& 18125.481854164096(x_{11})^{10} \wedge (0.018228) * (0.815649452269 + 0.0625978090766823(x_{12})^1 \wedge (-0.001216) * \\
& (0.567970248897 + -0.04615976156014507(x_{12})^1 + 0.007836971402401539(x_{12})^2 \wedge (-0.000761) * \\
& (1.3436439023 + -0.09966688617315292(x_{12})^1 + -0.00866849982350142(x_{12})^2 + \\
& 0.0009811544791739014(x_{12})^3 \wedge (-0.000155) * (1.30532916278 + 0.12592932275130037(x_{12})^1 + - \\
& 0.01711874344533628(x_{12})^2 + -0.0014470109251541229(x_{12})^3 + 0.0001228362415241191(x_{12})^4 \wedge (- \\
& 0.004914) * (0.543784412973 + 0.09146248019829284(x_{12})^1 + 0.030745998690207606(x_{12})^2 + - \\
& 0.0025908316335723214(x_{12})^3 + -0.00022644928406167803(x_{12})^4 + 1.5378559189248082e- \\
& 05(x_{12})^5 \wedge (0.000849) * (0.862878023925 + -0.21676783182312154(x_{12})^1 + 0.017233361793459155(x_{12})^2 + \\
& 0.006251517698372035(x_{12})^3 + -0.00036370491032044816(x_{12})^4 + -3.4020549718186366e-05(x_{12})^5 + \\
& 1.9253282240060193e-06(x_{12})^6 \wedge (0.001145) * (1.50677260982 + -0.02870701370135134(x_{12})^1 + - \\
& 0.06423834076280338(x_{12})^2 + 0.0024434315924772997(x_{12})^3 + 0.0011432103055659978(x_{12})^4 + - \\
& 4.836940631292749e-05(x_{12})^5 + -4.969094377199885e-06(x_{12})^6 + 2.410426571525532e- \\
& 07(x_{12})^7 \wedge (0.000809) * (0.950274359685 + 0.2907978493715803(x_{12})^1 + 0.002857392490748005(x_{12})^2 + - \\
& 0.015194772384149693(x_{12})^3 + 0.0002481089469508627(x_{12})^4 + 0.00019497932369722475(x_{12})^5 + - \\
& 6.148855406738266e-06(x_{12})^6 + -7.109815339610834e-07(x_{12})^7 + 3.0177484463543434e- \\
& 08(x_{12})^8 \wedge (0.000069) * (0.511561288239 + -0.08473590419715649(x_{12})^1 + 0.09959143353104469(x_{12})^2 + \\
& 0.0035166306500352294(x_{12})^3 + -0.0031370072674339134(x_{12})^4 + 7.5424690562809614e-06(x_{12})^5 + \\
& 3.1646741058898655e-05(x_{12})^6 + -7.487127403103468e-07(x_{12})^7 + -1.0013824421987088e-07(x_{12})^8 + \\
& 3.778088821726877e-09(x_{12})^9 \wedge (-0.001414) * (1.22981352841 + -0.32070601511812513(x_{12})^1 + - \\
& 0.050185427037988437(x_{12})^2 + 0.02636659789484652(x_{12})^3 + 0.0013487758170714348(x_{12})^4 + - \\
& 0.0005904998042987471(x_{12})^5 + -4.575048613565411e-06(x_{12})^6 + 4.9490660509078915e-06(x_{12})^7 + - \\
& 8.699195846452337e-08(x_{12})^8 + -1.3929854873221473e-08(x_{12})^9 + 4.730001654744132e-10(x_{12})^{10} \wedge (- \\
& 0.000532) * (0.861759425494 + 0.0718132854578097(x_{21})^1 \wedge (0.012360) * (0.53822091288 + - \\
& 0.03971003935548544(x_{21})^1 + 0.010314295936489724(x_{21})^2 \wedge (-0.014321) * (1.2659137871 + - \\
& 0.12715795495311105(x_{21})^1 + -0.008555125175329(x_{21})^2 + 0.0014814069567669263(x_{21})^3 \wedge (-0.016555) * \\
& (1.38825893772 + 0.11305910224784164(x_{21})^1 + -0.026212226132626564(x_{21})^2 + - \\
& 0.001638324390248522(x_{21})^3 + 0.00021276940133097686(x_{21})^4 \wedge (-0.028284) * (0.62673993568 + \\
& 0.15166354430990084(x_{21})^1 + 0.032040602741310736(x_{21})^2 + -0.004793213302389642(x_{21})^3 + - \\
& 0.0002941336427735228(x_{21})^4 + 3.055933950893743e-05(x_{21})^5 \wedge (0.025168) * (0.71494043374 + - \\
& 0.2086012763399221(x_{21})^1 + 0.03913651827379393(x_{21})^2 + 0.0075654394133595855(x_{21})^3 + - \\
& 0.0008198797841030571(x_{21})^4 + -5.0694487802977e-05(x_{21})^5 + 4.389133143114892e-06(x_{21})^6 \wedge (-0.001210) \\
& * (1.45207366074 + -0.13493135175059312(x_{21})^1 + -0.07282179829132515(x_{21})^2 + \\
& 0.008322555837840518(x_{21})^3 + 0.0016074130679452243(x_{21})^4 + -0.00013429979122632724(x_{21})^5 + - \\
& 8.494588022042825e-06(x_{21})^6 + 6.303961426376865e-07(x_{21})^7 \wedge (0.002822) * (1.1600697211 + \\
& 0.3108370412025545(x_{21})^1 + -0.03838239116999389(x_{21})^2 + -0.020325614390618918(x_{21})^3 +
\end{aligned}$$

$$\begin{aligned}
& 0.0015708005283825485(x_{21})^4 + 0.00031869307538730804(x_{21})^5 + -2.1329558174913074e-05(x_{21})^6 + - \\
& 1.3943411987964626e-06(x_{21})^7 + 9.05416362854846e-08(x_{21})^8 \wedge (0.009698) * (0.503670078852 + \\
& 0.07198103459247376(x_{21})^1 + 0.12807826424533486(x_{21})^2 + -0.008215637844023987(x_{21})^3 + - \\
& 0.004961008099579743(x_{21})^4 + 0.0002717958570449242(x_{21})^5 + 6.01646023666052e-05(x_{21})^6 + - \\
& 3.3083783856868605e-06(x_{21})^7 + -2.2529750070319865e-07(x_{21})^8 + 1.3004184744773372e- \\
& 08(x_{21})^9 \wedge (0.010115) * (0.977156145787 + -0.40202460497116715(x_{21})^1 + 0.013309554677384025(x_{21})^2 + \\
& 0.04099252528398784(x_{21})^3 + -0.0013791592001718466(x_{21})^4 + -0.0011063720878671964(x_{21})^5 + - \\
& 4.373228671914419e-05(x_{21})^6 + 1.0950280984656775e-05(x_{21})^7 + -5.034221672489608e-07(x_{21})^8 + - \\
& 3.595411940206641e-08(x_{21})^9 + 1.8677464624450084e-09(x_{21})^{10} \wedge (0.010128) * (1.50264581621 + \\
& 0.035890205674158515(x_{21})^1 + -0.18949952065109882(x_{21})^2 + -0.0012064169486930877(x_{21})^3 + \\
& 0.011229935459625511(x_{21})^4 + -0.00016398873762337937(x_{21})^5 + -0.000231160184384781(x_{21})^6 + \\
& 6.561950496807845e-06(x_{21})^7 + 1.9372355483313534e-06(x_{21})^8 + -7.536834810563272e-08(x_{21})^9 + - \\
& 5.6803635680104925e-09(x_{21})^{10} + 2.6825801974075527e-10(x_{21})^{11} \wedge (0.003304) * (-5.1141837645 + \\
& 0.8920606601248888(x_{22})^1 \wedge (0.005759) * (75.2664862121 + -21.816891220324674(x_{22})^1 + \\
& 1.5915444426849048(x_{22})^2 \wedge (0.002590) * (-901.043704723 + 398.3933249530028(x_{22})^1 + - \\
& 58.38597115162716(x_{22})^2 + 2.8395083723191887(x_{22})^3 \wedge (0.005122) * (10957.2554624 + - \\
& 6459.238512796057(x_{22})^1 + 1423.1555942303848(x_{22})^2 + -138.8902079134753(x_{22})^3 + \\
& 5.0660274260824085(x_{22})^4 \wedge (0.006387) * (-133074.074831 + 98134.83812743264(x_{22})^1 + - \\
& 28868.548829296407(x_{22})^2 + 4234.643237870938(x_{22})^3 + -309.74622639044463(x_{22})^4 + \\
& 9.03840753984373(x_{22})^5 \wedge (0.009275) * (1616335.66851 + -1430991.7077065432(x_{22})^1 + \\
& 526676.5264814706(x_{22})^2 + -103148.87710995243(x_{22})^3 + 11337.74195393172(x_{22})^4 + - \\
& 663.149815644128(x_{22})^5 + 16.12561559294154(x_{22})^6 \wedge (0.003239) * (-19632058.3016 + \\
& 20284294.837401465(x_{22})^1 + -8964588.40069888(x_{22})^2 + 2196762.556036143(x_{22})^3 + - \\
& 322362.4401468486(x_{22})^4 + 28328.10840843978(x_{22})^5 + -1380.3296787121315(x_{22})^6 + \\
& 28.77005458151926(x_{22})^7 \wedge (0.001148) * (238451702.822 + -281638796.1908684(x_{22})^1 + \\
& 145285248.06904328(x_{22})^2 + -42753584.32497856(x_{22})^3 + 7849919.565454891(x_{22})^4 + - \\
& 920877.073517621(x_{22})^5 + 67403.83518071883(x_{22})^6 + -2814.4864100158165(x_{22})^7 + \\
& 51.329267763638306(x_{22})^8 \wedge (0.007020) * (-2896242987.5 + 3849125180.478653(x_{22})^1 + - \\
& 2270114602.4219446(x_{22})^2 + 779816288.3493102(x_{22})^3 + -171946920.3905515(x_{22})^4 + \\
& 25237704.054561533(x_{22})^5 + -2465814.9599667257(x_{22})^6 + 154644.42358496756(x_{22})^7 + - \\
& 5649.0583608702855(x_{22})^8 + 91.57764096991673(x_{22})^9 \wedge (0.006791) * (35177827015.8 + - \\
& 51954127440.200645(x_{22})^1 + 34481816742.08023(x_{22})^2 + -13543286456.296108(x_{22})^3 + \\
& 3486067084.3705864(x_{22})^4 + -614469210.3136659(x_{22})^5 + 75112613.63167652(x_{22})^6 + - \\
& 6287547.403363571(x_{22})^7 + 344931.84573736135(x_{22})^8 + -11198.450512182153(x_{22})^9 + \\
& 163.38562171260796(x_{22})^{10} \wedge (-0.005414) * (-427271704895.0 + 694226631268.9722(x_{22})^1 + - \\
& 512078680028.1198(x_{22})^2 + 226352212460.1499(x_{22})^3 + -66619828730.9424(x_{22})^4 + \\
& 13708284243.956959(x_{22})^5 + -2012326449.349003(x_{22})^6 + 210741811.48066217(x_{22})^7 + - \\
& 15430051.698191226(x_{22})^8 + 752247.4509903559(x_{22})^9 + -21977.333743800842(x_{22})^{10} + \\
& 291.49977111972885(x_{22})^{11} \wedge (0.002075) * (-3.01353926387 + 1.0029084344599342(x_{31})^1 \wedge (0.013910) * \\
& (32.7169948452 + -16.100849519066138(x_{31})^1 + 2.011650655821752(x_{31})^2 \wedge (0.010090) * (-249.581269022 + \\
& 191.85835831015183(x_{31})^1 + -48.44303335392482(x_{31})^2 + 4.035002819820987(x_{31})^3 \wedge (-0.023627) * \\
& (1980.71852917 + -2026.5813952775952(x_{31})^1 + 771.6771137393716(x_{31})^2 + -129.55713797726696(x_{31})^3 + \\
& 8.09347672213617(x_{31})^4 \wedge (0.008478) * (-15639.7748274 + 20046.622465948196(x_{31})^1 + - \\
& 10210.820905571334(x_{31})^2 + 2583.7732896495336(x_{31})^3 + -324.8348660547262(x_{31})^4 + \\
& 16.23403213747101(x_{31})^5 \wedge (-0.030206) * (123571.009245 + -190261.7613465286(x_{31})^1 + \\
& 121401.23763494007(x_{31})^2 + -41091.63077380652(x_{31})^3 + 7781.95755148756(x_{31})^4 + - \\
& 781.8711047350749(x_{31})^5 + 32.56249551192662(x_{31})^6 \wedge (-0.022292) * (-976264.393057 + \\
& 1755058.2857237733(x_{31})^1 + -1345916.6973730277(x_{31})^2 + 570770.6241201118(x_{31})^3 + - \\
& 144563.83567672857(x_{31})^4 + 21869.088454126413(x_{31})^5 + -1829.6719597317308(x_{31})^6 + \\
& 65.31440279194992(x_{31})^7 \wedge (0.004694) * (7712989.96473 + -15855938.512838645(x_{31})^1 + \\
& 14202703.29940426(x_{31})^2 + -7240191.406111769(x_{31})^3 + 2297504.6498395707(x_{31})^4 + - \\
& 464731.59948256233(x_{31})^5 + 58519.744534428566(x_{31})^6 + -4194.270721622377(x_{31})^7 + \\
& 131.00873090352007(x_{31})^8 \wedge (-0.004426) * (-60936501.7103 + 140992648.66294384(x_{31})^1 + - \\
& 144464406.9346089(x_{31})^2 + 86034836.21074694(x_{31})^3 + -32820184.46299894(x_{31})^4 + \\
& 8316941.537980212(x_{31})^5 + -1400079.3946030852(x_{31})^6 + 150982.31679826952(x_{31})^7 + - \\
& 9464.556337027732(x_{31})^8 + 262.77952242206425(x_{31})^9 \wedge (0.012066) * (481429104.496 + - \\
& 1238130589.2067034(x_{31})^1 + 1428229868.7085295(x_{31})^2 + -973137339.3659215(x_{31})^3 + \\
& 433722819.1155249(x_{31})^4 + -132127290.87337264(x_{31})^5 + 27862289.135702863(x_{31})^6 + - \\
& 4016055.5100387437(x_{31})^7 + 378684.6061591193(x_{31})^8 + -21093.51861961407(x_{31})^9 + \\
& 527.0875988808832(x_{31})^{10} \wedge (0.007001) * (-5.31078610603 + 1.8281535648994511(x_{32})^1 \wedge (0.002195) * \\
& (80.1520425522 + -46.14834446824793(x_{32})^1 + 6.684290913709144(x_{32})^2 \wedge (0.003636) * (-991.712434699 + \\
& 870.0406861301196(x_{32})^1 + -253.09878136150593(x_{32})^2 + 24.439820525444762(x_{32})^3 \wedge (-0.001017) * \\
& (12451.4396378 + -14564.794555788374(x_{32})^1 + 6368.95621873908(x_{32})^2 + -1233.875838447317(x_{32})^3 +
\end{aligned}$$



$$\begin{aligned}
& 89.35949003818924(x_{32})^4 \wedge (0.000570) * (-156150.410526 + 228483.19677053724(x_{32})^1 + - \\
& 133386.50422732468(x_{32})^2 + 38835.87320711337(x_{32})^3 + -5639.2862817519035(x_{32})^4 + \\
& 326.7257405418253(x_{32})^5 \wedge (0.002292) * (1958426.86433 + -3440189.8883614694(x_{32})^1 + \\
& 2512583.1803928213(x_{32})^2 + -976637.9286890845(x_{32})^3 + 213083.17963874032(x_{32})^4 + - \\
& 24742.75516673595(x_{32})^5 + 1194.609654631902(x_{32})^6 \wedge (-0.000999) * (-24562261.0581 + \\
& 50352728.35334101(x_{32})^1 + -44157754.36260077(x_{32})^2 + 21474646.065467626(x_{32})^3 + - \\
& 6254693.6746031325(x_{32})^4 + 1091063.294275227(x_{32})^5 + -105544.96414817283(x_{32})^6 + \\
& 4367.8597975572275(x_{32})^7 \wedge (0.004272) * (308055939.394 + -721897580.9849375(x_{32})^1 + \\
& 738932741.912985(x_{32})^2 + -431521470.2270512(x_{32})^3 + 157248886.21779314(x_{32})^4 + - \\
& 36615272.478621975(x_{32})^5 + 5320211.27888182(x_{32})^6 + -441034.06277638156(x_{32})^7 + \\
& 15970.236919770481(x_{32})^8 \wedge (0.002221) * (-3863588008.74 + 10187476843.689968(x_{32})^1 + - \\
& 11921814479.891735(x_{32})^2 + 8126769804.160367(x_{32})^3 + -3556248507.2426653(x_{32})^4 + \\
& 1036001466.1901712(x_{32})^5 + -200920567.69882077(x_{32})^6 + 25014501.842527438(x_{32})^7 + - \\
& 1814125.486740143(x_{32})^8 + 58392.09111433447(x_{32})^9 \wedge (0.000025) * (48456499125.2 + - \\
& 141986541446.99756(x_{32})^1 + 186981653833.1372(x_{32})^2 + -145730905746.7869(x_{32})^3 + \\
& 74442164829.18274(x_{32})^4 + -2604208817.214745(x_{32})^5 + 6318552790.134283(x_{32})^6 + - \\
& 1049908611.4919784(x_{32})^7 + 114341847.03092083(x_{32})^8 + -7369999.946130988(x_{32})^9 + \\
& 213499.41906520826(x_{32})^{10} \wedge (-0.000849) * (-4.03521126761 + 1.006036217303823(x_{33})^1 \wedge (0.007071) * \\
& (51.2067050188 + -20.262419587950244(x_{33})^1 + 2.0242177410539703(x_{33})^2 \wedge (-0.010165) * (-499.567522373 \\
& + 304.0646178199929(x_{33})^1 + -61.154183867053064(x_{33})^2 + 4.072872718418452(x_{33})^3 \wedge (-0.042613) * \\
& (4991.71975268 + -4048.9748732932285(x_{33})^1 + 1225.6242894512873(x_{33})^2 + -164.06219682643345(x_{33})^3 + \\
& 8.194914926395278(x_{33})^4 \wedge (-0.016669) * (-49757.0891419 + 50512.51283391542(x_{33})^1 + - \\
& 20428.231011297783(x_{33})^2 + 4114.147619369282(x_{33})^3 + -412.631279744551(x_{33})^4 + \\
& 16.488762427354686(x_{33})^5 \wedge (-0.068285) * (496095.262451 + -604750.2522407618(x_{33})^1 + \\
& 306130.1283171098(x_{33})^2 + -82370.22320808511(x_{33})^3 + 12425.139440185798(x_{33})^4 + - \\
& 996.292828357065(x_{33})^5 + 33.17658436087463(x_{33})^6 \wedge (0.029357) * (-4946119.75104 + \\
& 7037755.645951524(x_{33})^1 + -4279232.8242561(x_{33})^2 + 1441344.7969954717(x_{33})^3 + - \\
& 290448.6284913119(x_{33})^4 + 35016.88155168314(x_{33})^5 + -2338.7155595236272(x_{33})^6 + \\
& 66.75369086695098(x_{33})^7 \wedge (-0.022992) * (49313432.6107 + -80220376.02346255(x_{33})^1 + \\
& 56948026.67521068(x_{33})^2 + -23042707.30841855(x_{33})^3 + 5812605.409039671(x_{33})^4 + - \\
& 936042.1793195023(x_{33})^5 + 93975.17940577774(x_{33})^6 + -5377.902982520558(x_{33})^7 + \\
& 134.31326130171223(x_{33})^8 \wedge (-0.008762) * (-491660971.23 + 900037523.2435844(x_{33})^1 + - \\
& 730620665.632267(x_{33})^2 + 345192008.83247244(x_{33})^3 + -104608540.06499381(x_{33})^4 + \\
& 21086706.491755724(x_{33})^5 + -2827415.7155177807(x_{33})^6 + 243175.86971616157(x_{33})^7 + - \\
& 12173.321640514343(x_{33})^8 + 270.24801066742907(x_{33})^9 \wedge (0.029147) * (4901920303.81 + - \\
& 9972795269.980133(x_{33})^1 + 9111651479.829985(x_{33})^2 + -4923248378.886333(x_{33})^3 + \\
& 1742190919.455682(x_{33})^4 + -421895961.9579667(x_{33})^5 + 70807276.62727877(x_{33})^6 + - \\
& 8132471.077796494(x_{33})^7 + 611743.643533338(x_{33})^8 + -27215.116567212932(x_{33})^9 + \\
& 543.7585727714871(x_{33})^{10} \wedge (-0.023401) + -325.954
\end{aligned}$$

**2)Смещенный полином Чебышева 1го рода:**

System Analysis - Lab 3
?
X

Дані

Розмір вибірки
45

E:/Uni/sys-an-labs-master/data\_u.txt
...

E:/Uni/sys-an-labs-master/I2/ololo.xlsx
...

Типи поліномів

☐ Чебишев I

☒ Чебишев I зміщ.

☐ Чебишев II зміщ.

☐ Власний тип

Поліноми

Порядки

X1
10

X2
11

X3
10

☐ Триблоковий лямбда-вираз

Розмірності

X1
2
Y
4

X2
2
X3
3

Виконання

Графіки

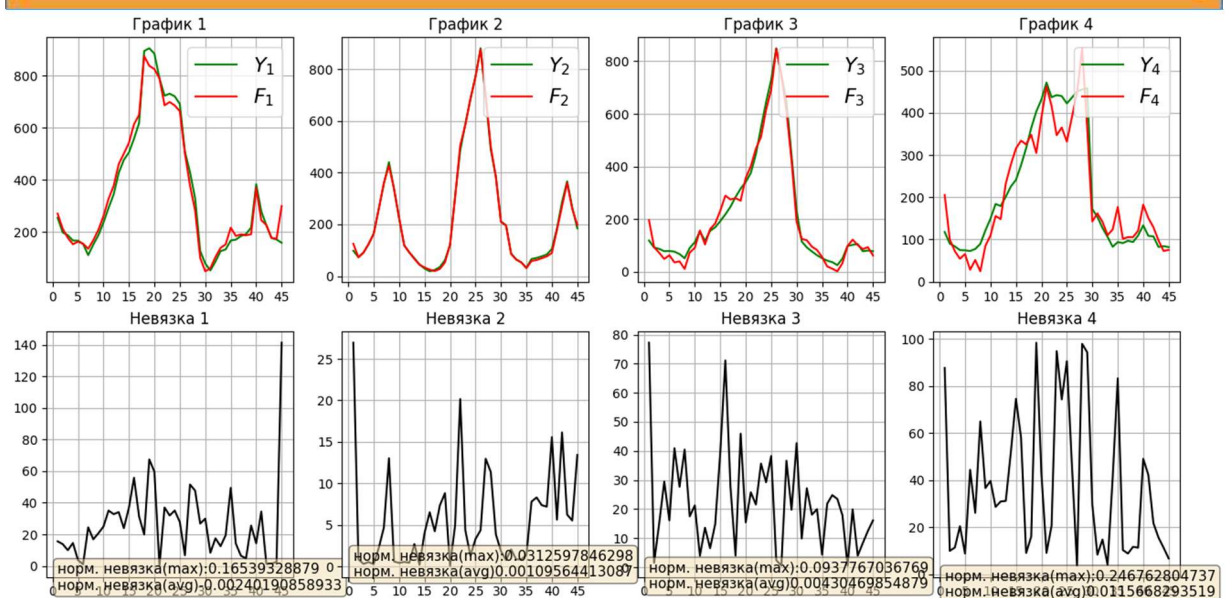
Ок

Додатково

Ваги
Scaled

Введенные данные: X

5.05	8.65	7.75	6.975	4.879	3.501	5.967
5.052	8.7	7.78	6.955	4.886	3.553	5.978
5.055	8.745	7.8	6.95	4.897	3.611	5.984
5.06	8.75	7.82	6.945	4.916	3.652	5.987
5.063	9.8	7.845	6.925	4.938	3.723	5.996
5.064	10.25	7.851	6.895	4.947	3.758	5.999
5.067	11.85	7.852	6.865	4.954	3.784	5.976
5.07	12.87	7.853	6.854	4.967	3.809	5.964
5.075	14.9	8.854	6.856	4.978	3.825	5.958
5.08	16.91	8.855	6.855	4.984	3.845	5.937
5.085	18.92	9.856	6.856	4.987	3.851	5.916
5.09	15.92	10.86	6.865	4.996	3.8534	5.874
5.095	12.93	11.85	7.859	4.999	3.8536	5.842
5.1	11.93	12.87	7.876	4.976	3.854	5.814
5.125	9.935	11.89	7.895	4.964	3.856	5.756
5.135	8.941	9.925	7.925	4.958	3.859	5.718
5.15	7.945	8.945	7.945	4.937	3.867	5.671
5.153	6.951	7.945	7.951	4.916	3.879	5.629
5.157	5.965	6.95	6.955	4.874	3.886	5.567



Нормализованная невязка(max) (Y - Φ)

-----  
0.165393 0.0312598 0.0937767 0.246763  
-----

Нормализованная невязка(avg) (Y - Φ)

-----  
-0.00240191 0.00109564 0.0043047 0.0115668  
-----

Невязка(max) (Y\_ - Φ\_)

-----  
141.25 26.9458 77.2234 98.4019  
-----

Невязка(avg) (Y\_ - Φ\_)

-----  
-2.05129 0.94444 3.54484 4.61252  
-----

$$\text{Psi}^1_{[1,1]} = (1 + T^0(x_{11}))^{(0.009843)} * (1 + T^1(x_{11}))^{(-0.006828)} * (1 + T^2(x_{11}))^{(0.017423)} * (1 + T^3(x_{11}))^{(0.012034)} * (1 + T^4(x_{11}))^{(-0.017325)} * (1 + T^5(x_{11}))^{(-0.007009)} * (1 + T^6(x_{11}))^{(-0.012596)} * (1 + T^7(x_{11}))^{(0.013968)} * (1 + T^8(x_{11}))^{(0.006093)} * (1 + T^9(x_{11}))^{(-0.020336)} * (1 + T^{10}(x_{11}))^{(-0.002654)} - 1$$

$$\text{Psi}^1_{[1,2]} = (1 + T^0(x_{12}))^{(0.009843)} * (1 + T^1(x_{12}))^{(-0.021553)} * (1 + T^2(x_{12}))^{(0.006423)} * (1 + T^3(x_{12}))^{(0.001038)} * (1 + T^4(x_{12}))^{(-0.022285)} * (1 + T^5(x_{12}))^{(0.020023)} * (1 + T^6(x_{12}))^{(-0.016468)} * (1 + T^7(x_{12}))^{(-0.010531)} * (1 + T^8(x_{12}))^{(-0.006479)} * (1 + T^9(x_{12}))^{(0.000047)} * (1 + T^{10}(x_{12}))^{(-0.000819)} - 1$$

$$\text{Psi}^1_{[2,1]} = (1 + T^0(x_{21}))^{(0.009843)} * (1 + T^1(x_{21}))^{(0.008260)} * (1 + T^2(x_{21}))^{(-0.013434)} * (1 + T^3(x_{21}))^{(-0.004539)} * (1 + T^4(x_{21}))^{(-0.000575)} * (1 + T^5(x_{21}))^{(0.009442)} * (1 + T^6(x_{21}))^{(0.009704)} * (1 + T^7(x_{21}))^{(0.000614)} * (1 + T^8(x_{21}))^{(-0.009476)} * (1 + T^9(x_{21}))^{(-0.003690)} * (1 + T^{10}(x_{21}))^{(0.002571)} * (1 + T^{11}(x_{21}))^{(-0.010343)} - 1$$

$$\text{Psi}^1_{[2,2]} = (1 + T^0(x_{22}))^{(0.009843)} * (1 + T^1(x_{22}))^{(-0.008874)} * (1 + T^2(x_{22}))^{(-0.001945)} * (1 + T^3(x_{22}))^{(0.009774)} * (1 + T^4(x_{22}))^{(-0.000361)} * (1 + T^5(x_{22}))^{(-0.001805)} * (1 + T^6(x_{22}))^{(-0.002686)} * (1 + T^7(x_{22}))^{(0.007471)} * (1 + T^8(x_{22}))^{(-0.012886)} * (1 + T^9(x_{22}))^{(0.003686)} * (1 + T^{10}(x_{22}))^{(0.000684)} * (1 + T^{11}(x_{22}))^{(-0.012901)} - 1$$

$$\text{Psi}^1_{[3,1]} = (1 + T^0(x_{31}))^{(0.009843)} * (1 + T^1(x_{31}))^{(0.015101)} * (1 + T^2(x_{31}))^{(-0.016357)} * (1 + T^3(x_{31}))^{(-0.007953)} * (1 + T^4(x_{31}))^{(-0.013367)} * (1 + T^5(x_{31}))^{(-0.018029)} * (1 + T^6(x_{31}))^{(-0.007557)} * (1 + T^7(x_{31}))^{(0.016695)} * (1 + T^8(x_{31}))^{(-0.003821)} * (1 + T^9(x_{31}))^{(0.016661)} * (1 + T^{10}(x_{31}))^{(-0.020777)} - 1$$

$$\text{Psi}^1_{[3,2]} = (1 + T^0(x_{32}))^{(0.009843)} * (1 + T^1(x_{32}))^{(0.013182)} * (1 + T^2(x_{32}))^{(0.000388)} * (1 + T^3(x_{32}))^{(-0.026194)} * (1 + T^4(x_{32}))^{(-0.030604)} * (1 + T^5(x_{32}))^{(-0.003153)} * (1 + T^6(x_{32}))^{(-0.010368)} * (1 + T^7(x_{32}))^{(-0.008135)} * (1 + T^8(x_{32}))^{(-0.007827)} * (1 + T^9(x_{32}))^{(0.005153)} * (1 + T^{10}(x_{32}))^{(0.004667)} - 1$$

$$\text{Psi}^1_{[3,3]} = (1 + T^0(x_{33}))^{(0.009843)} * (1 + T^1(x_{33}))^{(0.014892)} * (1 + T^2(x_{33}))^{(-0.035765)} * (1 + T^3(x_{33}))^{(-0.014163)} * (1 + T^4(x_{33}))^{(0.003257)} * (1 + T^5(x_{33}))^{(0.006563)} * (1 + T^6(x_{33}))^{(0.008086)} * (1 + T^7(x_{33}))^{(-0.010329)} * (1 + T^8(x_{33}))^{(0.008182)} * (1 + T^9(x_{33}))^{(0.005228)} * (1 + T^{10}(x_{33}))^{(0.005534)} - 1$$

$$\text{Psi}^2_{[1,1]} = (1 + T^0(x_{11}))^{(0.012492)} * (1 + T^1(x_{11}))^{(0.008855)} * (1 + T^2(x_{11}))^{(0.006646)} * (1 + T^3(x_{11}))^{(0.009400)} * (1 + T^4(x_{11}))^{(0.009743)} * (1 + T^5(x_{11}))^{(-0.026569)} * (1 + T^6(x_{11}))^{(0.001192)} * (1 + T^7(x_{11}))^{(0.002109)} * (1 + T^8(x_{11}))^{(-0.014020)} * (1 + T^9(x_{11}))^{(-0.004211)} * (1 + T^{10}(x_{11}))^{(-0.010040)} - 1$$

$$\text{Psi}^2_{[1,2]} = (1 + T^0(x_{12}))^{(0.012492)} * (1 + T^1(x_{12}))^{(-0.019877)} * (1 + T^2(x_{12}))^{(-0.002279)} * (1 + T^3(x_{12}))^{(-0.007078)} * (1 + T^4(x_{12}))^{(-0.018701)} * (1 + T^5(x_{12}))^{(0.024684)} * (1 + T^6(x_{12}))^{(-0.018545)} *$$

$$(1 + T^7(x_{12}))^{(-0.008250)} * (1 + T^8(x_{12}))^{(-0.022081)} * (1 + T^9(x_{12}))^{(0.004183)} * (1 + T^{10}(x_{12}))^{(0.021464)} - 1$$

$$\text{Psi}^2_{[2,1]} = (1 + T^0(x_{21}))^{(0.012492)} * (1 + T^1(x_{21}))^{(0.012955)} * (1 + T^2(x_{21}))^{(-0.012649)} * (1 + T^3(x_{21}))^{(-0.002394)} * (1 + T^4(x_{21}))^{(0.007986)} * (1 + T^5(x_{21}))^{(0.004695)} * (1 + T^6(x_{21}))^{(0.008703)} * (1 + T^7(x_{21}))^{(-0.006279)} * (1 + T^8(x_{21}))^{(0.004504)} * (1 + T^9(x_{21}))^{(0.000861)} * (1 + T^{10}(x_{21}))^{(-0.001858)} * (1 + T^{11}(x_{21}))^{(-0.004583)} - 1$$

$$\text{Psi}^2_{[2,2]} = (1 + T^0(x_{22}))^{(0.012492)} * (1 + T^1(x_{22}))^{(-0.025324)} * (1 + T^2(x_{22}))^{(0.003997)} * (1 + T^3(x_{22}))^{(-0.001769)} * (1 + T^4(x_{22}))^{(0.012612)} * (1 + T^5(x_{22}))^{(-0.001276)} * (1 + T^6(x_{22}))^{(-0.000660)} * (1 + T^7(x_{22}))^{(0.012417)} * (1 + T^8(x_{22}))^{(-0.018414)} * (1 + T^9(x_{22}))^{(0.020722)} * (1 + T^{10}(x_{22}))^{(0.008261)} * (1 + T^{11}(x_{22}))^{(-0.017156)} - 1$$

$$\text{Psi}^2_{[3,1]} = (1 + T^0(x_{31}))^{(0.012492)} * (1 + T^1(x_{31}))^{(-0.019349)} * (1 + T^2(x_{31}))^{(-0.041284)} * (1 + T^3(x_{31}))^{(-0.003444)} * (1 + T^4(x_{31}))^{(0.019401)} * (1 + T^5(x_{31}))^{(-0.012643)} * (1 + T^6(x_{31}))^{(0.001267)} * (1 + T^7(x_{31}))^{(-0.000252)} * (1 + T^8(x_{31}))^{(-0.015138)} * (1 + T^9(x_{31}))^{(0.014048)} * (1 + T^{10}(x_{31}))^{(-0.003543)} - 1$$

$$\text{Psi}^2_{[3,2]} = (1 + T^0(x_{32}))^{(0.012492)} * (1 + T^1(x_{32}))^{(0.011221)} * (1 + T^2(x_{32}))^{(-0.003526)} * (1 + T^3(x_{32}))^{(0.018023)} * (1 + T^4(x_{32}))^{(-0.017757)} * (1 + T^5(x_{32}))^{(0.004371)} * (1 + T^6(x_{32}))^{(-0.005382)} * (1 + T^7(x_{32}))^{(-0.007694)} * (1 + T^8(x_{32}))^{(-0.009790)} * (1 + T^9(x_{32}))^{(-0.003738)} * (1 + T^{10}(x_{32}))^{(0.003294)} - 1$$

$$\text{Psi}^2_{[3,3]} = (1 + T^0(x_{33}))^{(0.012492)} * (1 + T^1(x_{33}))^{(0.006866)} * (1 + T^2(x_{33}))^{(-0.014019)} * (1 + T^3(x_{33}))^{(-0.020565)} * (1 + T^4(x_{33}))^{(-0.007935)} * (1 + T^5(x_{33}))^{(0.012617)} * (1 + T^6(x_{33}))^{(0.004894)} * (1 + T^7(x_{33}))^{(-0.007969)} * (1 + T^8(x_{33}))^{(0.003336)} * (1 + T^9(x_{33}))^{(0.010983)} * (1 + T^{10}(x_{33}))^{(-0.006623)} - 1$$

$$\text{Psi}^3_{[1,1]} = (1 + T^0(x_{11}))^{(0.009930)} * (1 + T^1(x_{11}))^{(0.002620)} * (1 + T^2(x_{11}))^{(-0.000929)} * (1 + T^3(x_{11}))^{(0.013620)} * (1 + T^4(x_{11}))^{(-0.001511)} * (1 + T^5(x_{11}))^{(-0.017130)} * (1 + T^6(x_{11}))^{(0.000921)} * (1 + T^7(x_{11}))^{(0.006329)} * (1 + T^8(x_{11}))^{(0.003092)} * (1 + T^9(x_{11}))^{(-0.012764)} * (1 + T^{10}(x_{11}))^{(-0.000674)} - 1$$

$$\text{Psi}^3_{[1,2]} = (1 + T^0(x_{12}))^{(0.009930)} * (1 + T^1(x_{12}))^{(-0.017169)} * (1 + T^2(x_{12}))^{(-0.007174)} * (1 + T^3(x_{12}))^{(-0.000843)} * (1 + T^4(x_{12}))^{(-0.015996)} * (1 + T^5(x_{12}))^{(0.018118)} * (1 + T^6(x_{12}))^{(-0.014768)} * (1 + T^7(x_{12}))^{(-0.010252)} * (1 + T^8(x_{12}))^{(-0.024526)} * (1 + T^9(x_{12}))^{(0.004070)} * (1 + T^{10}(x_{12}))^{(0.009460)} - 1$$

$$\text{Psi}^3_{[2,1]} = (1 + T^0(x_{21}))^{(0.009930)} * (1 + T^1(x_{21}))^{(0.018648)} * (1 + T^2(x_{21}))^{(-0.012828)} * (1 + T^3(x_{21}))^{(-0.011720)} * (1 + T^4(x_{21}))^{(0.000951)} * (1 + T^5(x_{21}))^{(0.009070)} * (1 + T^6(x_{21}))^{(0.009347)} * (1 + T^7(x_{21}))^{(-0.000967)} * (1 + T^8(x_{21}))^{(-0.003339)} * (1 + T^9(x_{21}))^{(0.002770)} * (1 + T^{10}(x_{21}))^{(-0.002255)} * (1 + T^{11}(x_{21}))^{(-0.015214)} - 1$$

$$\text{Psi}^3_{[2,2]} = (1 + T^0(x_{22}))^{(0.009930)} * (1 + T^1(x_{22}))^{(-0.017951)} * (1 + T^2(x_{22}))^{(-0.000028)} * (1 + T^3(x_{22}))^{(0.003346)} * (1 + T^4(x_{22}))^{(0.014879)} * (1 + T^5(x_{22}))^{(0.000049)} * (1 + T^6(x_{22}))^{(0.004696)} * (1 + T^7(x_{22}))^{(0.012805)} * (1 + T^8(x_{22}))^{(-0.010544)} * (1 + T^9(x_{22}))^{(0.011018)} * (1 + T^{10}(x_{22}))^{(0.013352)} * (1 + T^{11}(x_{22}))^{(-0.012206)} - 1$$

$$\text{Psi}^3_{[3,1]} = (1 + T^0(x_{31}))^{(0.009930)} * (1 + T^1(x_{31}))^{(-0.004283)} * (1 + T^2(x_{31}))^{(-0.040008)} * (1 + T^3(x_{31}))^{(-0.004138)} * (1 + T^4(x_{31}))^{(0.004360)} * (1 + T^5(x_{31}))^{(-0.019162)} * (1 + T^6(x_{31}))^{(-0.002666)} * (1 + T^7(x_{31}))^{(0.013516)} * (1 + T^8(x_{31}))^{(-0.009035)} * (1 + T^9(x_{31}))^{(0.013067)} * (1 + T^{10}(x_{31}))^{(-0.007175)} - 1$$

$$\text{Psi}^3_{[3,2]} = (1 + T^0(x_{32}))^{(0.009930)} * (1 + T^1(x_{32}))^{(0.008304)} * (1 + T^2(x_{32}))^{(0.001024)} * (1 + T^3(x_{32}))^{(0.001185)} * (1 + T^4(x_{32}))^{(-0.024888)} * (1 + T^5(x_{32}))^{(0.003076)} * (1 + T^6(x_{32}))^{(-0.014224)} * (1 + T^7(x_{32}))^{(-0.006155)} * (1 + T^8(x_{32}))^{(-0.005286)} * (1 + T^9(x_{32}))^{(-0.003254)} * (1 + T^{10}(x_{32}))^{(0.004225)} - 1$$

$$\text{Psi}^3_{[3,3]} = (1 + T^0(x_{33}))^{(0.009930)} * (1 + T^1(x_{33}))^{(0.016632)} * (1 + T^2(x_{33}))^{(-0.021368)} * (1 + T^3(x_{33}))^{(-0.022882)} * (1 + T^4(x_{33}))^{(-0.000946)} * (1 + T^5(x_{33}))^{(0.013761)} * (1 + T^6(x_{33}))^{(0.008602)} * (1 + T^7(x_{33}))^{(-0.014258)} * (1 + T^8(x_{33}))^{(0.012751)} * (1 + T^9(x_{33}))^{(0.011085)} * (1 + T^{10}(x_{33}))^{(-0.000461)} - 1$$

$$\text{Psi}^4_{[1,1]} = (1 + T^0(x_{11}))^{(0.014006)} * (1 + T^1(x_{11}))^{(0.003047)} * (1 + T^2(x_{11}))^{(-0.010609)} * (1 + T^3(x_{11}))^{(0.016976)} * (1 + T^4(x_{11}))^{(-0.010131)} * (1 + T^5(x_{11}))^{(-0.018346)} * (1 + T^6(x_{11}))^{(0.000623)} * (1 + T^7(x_{11}))^{(0.003816)} * (1 + T^8(x_{11}))^{(-0.002970)} * (1 + T^9(x_{11}))^{(-0.018758)} * (1 + T^{10}(x_{11}))^{(-0.004271)} - 1$$

$$\text{Psi}^4_{[1,2]} = (1 + T^0(x_{12}))^{(0.014006)} * (1 + T^1(x_{12}))^{(-0.011027)} * (1 + T^2(x_{12}))^{(0.002792)} * (1 + T^3(x_{12}))^{(-0.008128)} * (1 + T^4(x_{12}))^{(-0.021409)} * (1 + T^5(x_{12}))^{(0.027243)} * (1 + T^6(x_{12}))^{(-0.019940)} * (1 + T^7(x_{12}))^{(-0.019946)} * (1 + T^8(x_{12}))^{(-0.027825)} * (1 + T^9(x_{12}))^{(0.005405)} * (1 + T^{10}(x_{12}))^{(0.021836)} - 1$$

$$\text{Psi}^4_{[2,1]} = (1 + T^0(x_{21}))^{(0.014006)} * (1 + T^1(x_{21}))^{(0.013473)} * (1 + T^2(x_{21}))^{(-0.012696)} * (1 + T^3(x_{21}))^{(-0.024505)} * (1 + T^4(x_{21}))^{(0.000379)} * (1 + T^5(x_{21}))^{(0.007243)} * (1 + T^6(x_{21}))^{(0.014725)} * (1 + T^7(x_{21}))^{(0.012223)} * (1 + T^8(x_{21}))^{(-0.003259)} * (1 + T^9(x_{21}))^{(0.009758)} * (1 + T^{10}(x_{21}))^{(-0.006377)} * (1 + T^{11}(x_{21}))^{(-0.015418)} - 1$$

$$\text{Psi}^4_{[2,2]} = (1 + T^0(x_{22}))^{(0.014006)} * (1 + T^1(x_{22}))^{(-0.024251)} * (1 + T^2(x_{22}))^{(0.009854)} * (1 + T^3(x_{22}))^{(0.002203)} * (1 + T^4(x_{22}))^{(0.018781)} * (1 + T^5(x_{22}))^{(0.014977)} * (1 + T^6(x_{22}))^{(0.007329)} * (1 + T^7(x_{22}))^{(0.004733)} * (1 + T^8(x_{22}))^{(-0.015800)} * (1 + T^9(x_{22}))^{(0.005920)} * (1 + T^{10}(x_{22}))^{(0.010465)} * (1 + T^{11}(x_{22}))^{(-0.009581)} - 1$$

$$\text{Psi}^4_{[3,1]} = (1 + T^0(x_{31}))^{(0.014006)} * (1 + T^1(x_{31}))^{(-0.003010)} * (1 + T^2(x_{31}))^{(-0.044802)} * (1 + T^3(x_{31}))^{(-0.003247)} * (1 + T^4(x_{31}))^{(0.003828)} * (1 + T^5(x_{31}))^{(-0.034785)} * (1 + T^6(x_{31}))^{(-0.007569)} * (1 + T^7(x_{31}))^{(0.032865)} * (1 + T^8(x_{31}))^{(-0.023169)} * (1 + T^9(x_{31}))^{(0.023923)} * (1 + T^{10}(x_{31}))^{(-0.016927)} - 1$$

$$\text{Psi}^4_{[3,2]} = (1 + T^0(x_{32}))^{(0.014006)} * (1 + T^1(x_{32}))^{(0.012118)} * (1 + T^2(x_{32}))^{(-0.007684)} * (1 + T^3(x_{32}))^{(-0.010097)} * (1 + T^4(x_{32}))^{(-0.049344)} * (1 + T^5(x_{32}))^{(0.006419)} * (1 + T^6(x_{32}))^{(-0.009423)} * (1 + T^7(x_{32}))^{(-0.007953)} * (1 + T^8(x_{32}))^{(-0.004519)} * (1 + T^9(x_{32}))^{(-0.011012)} * (1 + T^{10}(x_{32}))^{(0.009116)} - 1$$

$$\text{Psi}^4_{[3,3]} = (1 + T^0(x_{33}))^{(0.014006)} * (1 + T^1(x_{33}))^{(0.017552)} * (1 + T^2(x_{33}))^{(-0.041517)} * (1 + T^3(x_{33}))^{(-0.033216)} * (1 + T^4(x_{33}))^{(-0.000951)} * (1 + T^5(x_{33}))^{(0.017211)} * (1 + T^6(x_{33}))^{(0.014161)} * (1 + T^7(x_{33}))^{(-0.012824)} * (1 + T^8(x_{33}))^{(0.030370)} * (1 + T^9(x_{33}))^{(0.019330)} * (1 + T^{10}(x_{33}))^{(-0.000840)} - 1$$

$$\text{Phi}^1_{[1]} = (1 + T^0(x_{11}))^{(0.018580)} * (1 + T^1(x_{11}))^{(-0.012889)} * (1 + T^2(x_{11}))^{(0.032889)} * (1 + T^3(x_{11}))^{(0.022717)} * (1 + T^4(x_{11}))^{(-0.032704)} * (1 + T^5(x_{11}))^{(-0.013232)} * (1 + T^6(x_{11}))^{(-0.023778)} * (1 + T^7(x_{11}))^{(0.026367)} * (1 + T^8(x_{11}))^{(0.011502)} * (1 + T^9(x_{11}))^{(-0.038388)} * (1 + T^{10}(x_{11}))^{(-0.005010)} * (1 + T^0(x_{12}))^{(0.015972)} * (1 + T^1(x_{12}))^{(-0.034975)} * (1 + T^2(x_{12}))^{(0.010423)} * (1 + T^3(x_{12}))^{(0.001684)} * (1 + T^4(x_{12}))^{(-0.036162)} * (1 + T^5(x_{12}))^{(0.032492)} * (1 + T^6(x_{12}))^{(-0.026723)} * (1 + T^7(x_{12}))^{(-0.017089)} * (1 + T^8(x_{12}))^{(-0.010513)} * (1 + T^9(x_{12}))^{(0.000077)} * (1 + T^{10}(x_{12}))^{(-0.001329)} - 1$$

$$\text{Phi}^1_{[2]} = (1 + T^0(x_{21}))^{(0.029757)} * (1 + T^1(x_{21}))^{(0.024971)} * (1 + T^2(x_{21}))^{(-0.040615)} * (1 + T^3(x_{21}))^{(-0.013722)} * (1 + T^4(x_{21}))^{(-0.001737)} * (1 + T^5(x_{21}))^{(0.028545)} * (1 + T^6(x_{21}))^{(0.029336)} * (1 + T^7(x_{21}))^{(0.001855)} * (1 + T^8(x_{21}))^{(-0.028647)} * (1 + T^9(x_{21}))^{(-0.011155)} * (1 + T^{10}(x_{21}))^{(0.007774)} * (1 + T^{11}(x_{21}))^{(-0.031270)} * (1 + T^0(x_{22}))^{(0.027968)} * (1 + T^1(x_{22}))^{(-0.025214)} * (1 + T^2(x_{22}))^{(-0.005525)} * (1 + T^3(x_{22}))^{(0.027772)} * (1 + T^4(x_{22}))^{(-0.001025)} * (1 + T^5(x_{22}))^{(-0.005130)} * (1 + T^6(x_{22}))^{(-0.007632)} * (1 + T^7(x_{22}))^{(0.021229)} * (1 + T^8(x_{22}))^{(-0.036615)} * (1 + T^9(x_{22}))^{(0.010474)} * (1 + T^{10}(x_{22}))^{(0.001942)} * (1 + T^{11}(x_{22}))^{(-0.036658)} - 1$$

$$\text{Phi}^1_{[3]} = (1 + T^0(x_{31}))^{(0.013012)} * (1 + T^1(x_{31}))^{(0.019963)} * (1 + T^2(x_{31}))^{(-0.021623)} * (1 + T^3(x_{31}))^{(-0.010514)} * (1 + T^4(x_{31}))^{(-0.017670)} * (1 + T^5(x_{31}))^{(-0.023834)} * (1 + T^6(x_{31}))^{(-0.009990)} * (1 + T^7(x_{31}))^{(0.022070)} * (1 + T^8(x_{31}))^{(-0.005051)} * (1 + T^9(x_{31}))^{(0.022025)} * (1 + T^{10}(x_{31}))^{(-0.027467)} * (1 + T^0(x_{32}))^{(0.018374)} * (1 + T^1(x_{32}))^{(0.024607)} * (1 + T^2(x_{32}))^{(0.000724)} * (1 + T^3(x_{32}))^{(-0.048896)} * (1 + T^4(x_{32}))^{(-0.057129)} * (1 + T^5(x_{32}))^{(-0.005886)} * (1 + T^6(x_{32}))^{(-0.019354)} * (1 + T^7(x_{32}))^{(-0.015186)} * (1 + T^8(x_{32}))^{(-0.014611)} * (1 + T^9(x_{32}))^{(0.009618)} * (1 + T^{10}(x_{32}))^{(0.008712)} * (1 + T^0(x_{33}))^{(0.013198)} * (1 + T^1(x_{33}))^{(0.019968)} * (1 + T^2(x_{33}))^{(-0.047956)} * (1 + T^3(x_{33}))^{(-0.018990)} * (1 + T^4(x_{33}))^{(0.004367)} * (1 + T^5(x_{33}))^{(0.008801)} * (1 + T^6(x_{33}))^{(0.010842)} * (1 + T^7(x_{33}))^{(-0.013850)} * (1 + T^8(x_{33}))^{(0.010971)} * (1 + T^9(x_{33}))^{(0.007010)} * (1 + T^{10}(x_{33}))^{(0.007421)} - 1$$

$$\text{Phi}^2_{[1]} = (1 + T^0(x_{11}))^{(0.019442)} * (1 + T^1(x_{11}))^{(0.013782)} * (1 + T^2(x_{11}))^{(0.010343)} * (1 + T^3(x_{11}))^{(0.014629)} * (1 + T^4(x_{11}))^{(0.015164)} * (1 + T^5(x_{11}))^{(-0.041350)} * (1 + T^6(x_{11}))^{(0.001855)} * (1 + T^7(x_{11}))^{(0.003282)} * (1 + T^8(x_{11}))^{(-0.021820)} * (1 + T^9(x_{11}))^{(-0.006554)} * (1 + T^{10}(x_{11}))^{(-0.015626)} * (1 + T^0(x_{12}))^{(0.016635)} * (1 + T^1(x_{12}))^{(-0.026470)} * (1 + T^2(x_{12}))^{(-0.003035)} * (1 + T^3(x_{12}))^{(-0.009426)} * (1 + T^4(x_{12}))^{(-0.024903)} * (1 + T^5(x_{12}))^{(0.032871)} * (1 + T^6(x_{12}))^{(-0.024696)} * (1 + T^7(x_{12}))^{(-0.010986)} * (1 + T^8(x_{12}))^{(-0.029405)} * (1 + T^9(x_{12}))^{(0.005570)} * (1 + T^{10}(x_{12}))^{(0.028583)} - 1$$

$$\text{Phi}^2_{[2]} = (1 + T^0(x_{21}))^{(0.018504)} * (1 + T^1(x_{21}))^{(0.019190)} * (1 + T^2(x_{21}))^{(-0.018737)} * (1 + T^3(x_{21}))^{(-0.003546)} * (1 + T^4(x_{21}))^{(0.011830)} * (1 + T^5(x_{21}))^{(0.006955)} * (1 + T^6(x_{21}))^{(0.012891)} * (1 + T^7(x_{21}))^{(-0.009300)} * (1 + T^8(x_{21}))^{(0.006671)} * (1 + T^9(x_{21}))^{(0.001275)} * (1 + T^{10}(x_{21}))^{(-0.002752)} * (1 + T^{11}(x_{21}))^{(-0.006789)} * (1 + T^0(x_{22}))^{(0.017574)} * (1 + T^1(x_{22}))^{(-0.035626)} * (1 + T^2(x_{22}))^{(0.005623)} * (1 + T^3(x_{22}))^{(-0.002489)} * (1 + T^4(x_{22}))^{(0.017743)} * (1 + T^5(x_{22}))^{(-0.001795)} * (1 + T^6(x_{22}))^{(-0.000928)} * (1 + T^7(x_{22}))^{(0.017468)} * (1 + T^8(x_{22}))^{(-0.025905)} * (1 + T^9(x_{22}))^{(0.029152)} * (1 + T^{10}(x_{22}))^{(0.011621)} * (1 + T^{11}(x_{22}))^{(-0.024135)} - 1$$

$$\text{Phi}^2_{[3]} = (1 + T^0(x_{31}))^{(0.018293)} * (1 + T^1(x_{31}))^{(-0.028334)} * (1 + T^2(x_{31}))^{(-0.060455)} * (1 + T^3(x_{31}))^{(-0.005043)} * (1 + T^4(x_{31}))^{(0.028410)} * (1 + T^5(x_{31}))^{(-0.018513)} * (1 + T^6(x_{31}))^{(0.001855)} * (1 + T^7(x_{31}))^{(-0.000369)} * (1 + T^8(x_{31}))^{(-0.022167)} * (1 + T^9(x_{31}))^{(0.020571)} * (1 + T^{10}(x_{31}))^{(-0.005188)} * (1 + T^0(x_{32}))^{(0.017586)} * (1 + T^1(x_{32}))^{(0.015796)} * (1 + T^2(x_{32}))^{(-0.004964)} * (1 + T^3(x_{32}))^{(0.025372)} * (1 + T^4(x_{32}))^{(-0.024998)} * (1 + T^5(x_{32}))^{(0.006153)} * (1 + T^6(x_{32}))^{(-0.007576)} * (1 + T^7(x_{32}))^{(-0.010831)} * (1 + T^8(x_{32}))^{(-0.013782)} * (1 + T^9(x_{32}))^{(-0.005262)} * (1 + T^{10}(x_{32}))^{(0.004637)} * (1 + T^0(x_{33}))^{(0.018733)} * (1 + T^1(x_{33}))^{(0.010296)} * (1 + T^2(x_{33}))^{(-0.021023)} * (1 + T^3(x_{33}))^{(-0.030840)} * (1 + T^4(x_{33}))^{(-0.011899)} * (1 + T^5(x_{33}))^{(0.018920)} * (1 + T^6(x_{33}))^{(0.007339)} * (1 + T^7(x_{33}))^{(-0.011951)} * (1 + T^8(x_{33}))^{(0.005003)} * (1 + T^9(x_{33}))^{(0.016471)} * (1 + T^{10}(x_{33}))^{(-0.009932)} - 1$$

$$\text{Phi}^3_{[1]} = (1 + T^0(x_{11}))^{(0.024825)} * (1 + T^1(x_{11}))^{(0.006551)} * (1 + T^2(x_{11}))^{(-0.002323)} * (1 + T^3(x_{11}))^{(0.034049)} * (1 + T^4(x_{11}))^{(-0.003777)} * (1 + T^5(x_{11}))^{(-0.042825)} * (1 + T^6(x_{11}))^{(0.002301)} * (1 + T^7(x_{11}))^{(0.015821)} * (1 + T^8(x_{11}))^{(0.007731)} * (1 + T^9(x_{11}))^{(-0.031909)} * (1 + T^{10}(x_{11}))^{(-0.001685)} * (1 + T^0(x_{12}))^{(0.016075)} * (1 + T^1(x_{12}))^{(-0.027794)} * (1 + T^2(x_{12}))^{(-0.011614)} * (1 + T^3(x_{12}))^{(-0.001364)} * (1 + T^4(x_{12}))^{(-0.025895)} * (1 + T^5(x_{12}))^{(0.029330)} * (1 + T^6(x_{12}))^{(-0.023907)} * (1 + T^7(x_{12}))^{(-0.016596)} * (1 + T^8(x_{12}))^{(-0.039704)} * (1 + T^9(x_{12}))^{(0.006589)} * (1 + T^{10}(x_{12}))^{(0.015314)} - 1$$

$$\text{Phi}^3_{[2]} = (1 + T^0(x_{21}))^{(0.020710)} * (1 + T^1(x_{21}))^{(0.038892)} * (1 + T^2(x_{21}))^{(-0.026754)} * (1 + T^3(x_{21}))^{(-0.024443)} * (1 + T^4(x_{21}))^{(0.001983)} * (1 + T^5(x_{21}))^{(0.018916)} * (1 + T^6(x_{21}))^{(0.019494)} * (1 + T^7(x_{21}))^{(-0.002016)} * (1 + T^8(x_{21}))^{(-0.006963)} * (1 + T^9(x_{21}))^{(0.005778)} * (1 + T^{10}(x_{21}))^{(-0.004703)} * (1 + T^{11}(x_{21}))^{(-0.031729)} * (1 + T^0(x_{22}))^{(0.010937)} * (1 + T^1(x_{22}))^{(-0.019772)} * (1 + T^2(x_{22}))^{(-0.000031)} * (1 + T^3(x_{22}))^{(0.003686)} * (1 + T^4(x_{22}))^{(0.016389)} * (1 + T^5(x_{22}))^{(0.000054)} * (1 + T^6(x_{22}))^{(0.005172)} * (1 + T^7(x_{22}))^{(0.014104)} * (1 + T^8(x_{22}))^{(-0.011614)} * (1 + T^9(x_{22}))^{(0.012136)} * (1 + T^{10}(x_{22}))^{(0.014706)} * (1 + T^{11}(x_{22}))^{(-0.013445)} - 1$$

$$\text{Phi}^3_{[3]} = (1 + T^0(x_{31}))^{(0.015946)} * (1 + T^1(x_{31}))^{(-0.006877)} * (1 + T^2(x_{31}))^{(-0.064249)} * (1 + T^3(x_{31}))^{(-0.006646)} * (1 + T^4(x_{31}))^{(0.007001)} * (1 + T^5(x_{31}))^{(-0.030772)} * (1 + T^6(x_{31}))^{(-0.004282)} * (1 + T^7(x_{31}))^{(0.021705)} * (1 + T^8(x_{31}))^{(-0.014510)} * (1 + T^9(x_{31}))^{(0.020984)} * (1 + T^{10}(x_{31}))^{(-0.011523)} * (1 + T^0(x_{32}))^{(0.017657)} * (1 + T^1(x_{32}))^{(0.014766)} * (1 + T^2(x_{32}))^{(0.001821)} * (1 + T^3(x_{32}))^{(0.002108)} * (1 + T^4(x_{32}))^{(-0.044257)} * (1 + T^5(x_{32}))^{(0.005470)} * (1 + T^6(x_{32}))^{(-0.025294)} * (1 + T^7(x_{32}))^{(-0.010945)} * (1 + T^8(x_{32}))^{(-0.009400)} * (1 + T^9(x_{32}))^{(-0.005786)} * (1 + T^{10}(x_{32}))^{(0.007514)} * (1 + T^0(x_{33}))^{(0.014675)} * (1 + T^1(x_{33}))^{(0.024581)} * (1 + T^2(x_{33}))^{(-0.031580)} * (1 + T^3(x_{33}))^{(-0.033817)} * (1 + T^4(x_{33}))^{(-0.001398)} * (1 + T^5(x_{33}))^{(0.020338)} * (1 + T^6(x_{33}))^{(0.012713)} * (1 + T^7(x_{33}))^{(-0.021071)} * (1 + T^8(x_{33}))^{(0.018845)} * (1 + T^9(x_{33}))^{(0.016383)} * (1 + T^{10}(x_{33}))^{(-0.000681)} - 1$$

$$\text{Phi}^4_{[1]} = (1 + T^0(x_{11}))^{(0.037383)} * (1 + T^1(x_{11}))^{(0.008132)} * (1 + T^2(x_{11}))^{(-0.028315)} * (1 + T^3(x_{11}))^{(0.045311)} * (1 + T^4(x_{11}))^{(-0.027040)} * (1 + T^5(x_{11}))^{(-0.048968)} * (1 + T^6(x_{11}))^{(0.001663)} * (1 + T^7(x_{11}))^{(0.010184)} * (1 + T^8(x_{11}))^{(-0.007928)} * (1 + T^9(x_{11}))^{(-0.050068)} * (1 + T^{10}(x_{11}))^{(-0.011398)} * (1 + T^0(x_{12}))^{(0.015275)} * (1 + T^1(x_{12}))^{(-0.012026)} * (1 + T^2(x_{12}))^{(0.003045)} * (1 + T^3(x_{12}))^{(-0.008865)} * (1 + T^4(x_{12}))^{(-0.023349)} * (1 + T^5(x_{12}))^{(0.029712)} * (1 + T^6(x_{12}))^{(-0.021746)} * (1 + T^7(x_{12}))^{(-0.021753)} * (1 + T^8(x_{12}))^{(-0.030347)} * (1 + T^9(x_{12}))^{(0.005895)} * (1 + T^{10}(x_{12}))^{(0.023814)} - 1$$

$$\text{Phi}^4_{[2]} = (1 + T^0(x_{21}))^{(0.036110)} * (1 + T^1(x_{21}))^{(0.034735)} * (1 + T^2(x_{21}))^{(-0.032733)} * (1 + T^3(x_{21}))^{(-0.063179)} * (1 + T^4(x_{21}))^{(0.000976)} * (1 + T^5(x_{21}))^{(0.018673)} * (1 + T^6(x_{21}))^{(0.037963)} * (1 + T^7(x_{21}))^{(0.031513)} * (1 + T^8(x_{21}))^{(-0.008403)} * (1 + T^9(x_{21}))^{(0.025157)} * (1 + T^{10}(x_{21}))^{(-0.016442)} * (1 + T^{11}(x_{21}))^{(-0.039750)} * (1 + T^0(x_{22}))^{(0.003124)} * (1 + T^1(x_{22}))^{(-0.005409)} * (1 + T^2(x_{22}))^{(0.002198)} * (1 + T^3(x_{22}))^{(0.000491)} * (1 + T^4(x_{22}))^{(0.004189)} * (1 + T^5(x_{22}))^{(0.003341)} * (1 + T^6(x_{22}))^{(0.001635)} * (1 + T^7(x_{22}))^{(0.001056)} * (1 + T^8(x_{22}))^{(-0.003524)} * (1 + T^9(x_{22}))^{(0.001321)} * (1 + T^{10}(x_{22}))^{(0.002334)} * (1 + T^{11}(x_{22}))^{(-0.002137)} - 1$$

$$\text{Phi}^4_{[3]} = (1 + T^0(x_{31}))^{(0.018318)} * (1 + T^1(x_{31}))^{(-0.003936)} * (1 + T^2(x_{31}))^{(-0.058596)} * (1 + T^3(x_{31}))^{(-0.004247)} * (1 + T^4(x_{31}))^{(0.005006)} * (1 + T^5(x_{31}))^{(-0.045495)} * (1 + T^6(x_{31}))^{(-0.009900)} * (1 + T^7(x_{31}))^{(0.042984)} * (1 + T^8(x_{31}))^{(-0.030303)} * (1 + T^9(x_{31}))^{(0.031288)} * (1 + T^{10}(x_{31}))^{(-0.022138)} * (1 + T^0(x_{32}))^{(0.023571)} * (1 + T^1(x_{32}))^{(0.020394)} * (1 + T^2(x_{32}))^{(-0.012932)} * (1 + T^3(x_{32}))^{(-0.016993)} * (1 + T^4(x_{32}))^{(-0.083044)} * (1 + T^5(x_{32}))^{(0.010803)} * (1 + T^6(x_{32}))^{(-0.015858)} * (1 + T^7(x_{32}))^{(-0.013384)} * (1 + T^8(x_{32}))^{(-0.007605)} * (1 + T^9(x_{32}))^{(-0.018533)} * (1 + T^{10}(x_{32}))^{(0.015342)} * (1 + T^0(x_{33}))^{(0.016799)} * (1 + T^1(x_{33}))^{(0.021051)} * (1 + T^2(x_{33}))^{(-0.049794)} * (1 + T^3(x_{33}))^{(-0.039839)} * (1 + T^4(x_{33}))^{(-0.001141)} * (1 + T^5(x_{33}))^{(0.020642)} * (1 + T^6(x_{33}))^{(0.016985)} * (1 + T^7(x_{33}))^{(-0.015381)} * (1 + T^8(x_{33}))^{(0.036425)} * (1 + T^9(x_{33}))^{(0.023184)} * (1 + T^{10}(x_{33}))^{(-0.001007)} - 1$$

F<sup>1</sup> в особом базисе:

$$\begin{aligned} & (1 + T^0(x_{11}))^{(0.010083)} * (1 + T^1(x_{11}))^{(-0.006995)} * (1 + T^2(x_{11}))^{(0.017848)} * (1 + T^3(x_{11}))^{(0.012328)} * (1 + T^4(x_{11}))^{(-0.017748)} * (1 + T^5(x_{11}))^{(-0.007180)} * (1 + T^6(x_{11}))^{(-0.012904)} * (1 + T^7(x_{11}))^{(0.014308)} * (1 + T^8(x_{11}))^{(0.006242)} * (1 + T^9(x_{11}))^{(-0.020832)} * (1 + T^{10}(x_{11}))^{(-0.002719)} * \\ & (1 + T^0(x_{12}))^{(0.008668)} * (1 + T^1(x_{12}))^{(-0.018980)} * (1 + T^2(x_{12}))^{(0.005656)} * (1 + T^3(x_{12}))^{(0.000914)} * (1 + T^4(x_{12}))^{(-0.019624)} * (1 + T^5(x_{12}))^{(0.017633)} * (1 + T^6(x_{12}))^{(-0.014502)} * (1 + T^7(x_{12}))^{(-0.009274)} * (1 + T^8(x_{12}))^{(-0.005705)} * (1 + T^9(x_{12}))^{(0.000042)} * (1 + T^{10}(x_{12}))^{(-0.000721)} * (1 + T^0(x_{21}))^{(0.009422)} * (1 + T^1(x_{21}))^{(0.007907)} * (1 + T^2(x_{21}))^{(-0.012860)} * (1 + T^3(x_{21}))^{(-0.004345)} * \\ & (1 + T^4(x_{21}))^{(-0.000550)} * (1 + T^5(x_{21}))^{(0.009038)} * (1 + T^6(x_{21}))^{(0.009289)} * (1 + T^7(x_{21}))^{(0.000587)} * (1 + T^8(x_{21}))^{(-0.009070)} * (1 + T^9(x_{21}))^{(-0.003532)} * (1 + T^{10}(x_{21}))^{(0.002461)} * (1 + T^{11}(x_{21}))^{(-0.009901)} * (1 + T^0(x_{22}))^{(0.008855)} * (1 + T^1(x_{22}))^{(-0.007983)} * (1 + T^2(x_{22}))^{(-0.001750)} * (1 + T^3(x_{22}))^{(0.008793)} * (1 + T^4(x_{22}))^{(-0.000325)} * (1 + T^5(x_{22}))^{(-0.001624)} * (1 + T^6(x_{22}))^{(-0.002416)} * \\ & (1 + T^7(x_{22}))^{(0.006722)} * (1 + T^8(x_{22}))^{(-0.011593)} * (1 + T^9(x_{22}))^{(0.003316)} * (1 + T^{10}(x_{22}))^{(0.000615)} * (1 + T^{11}(x_{22}))^{(-0.011607)} * (1 + T^0(x_{31}))^{(0.008495)} * (1 + T^1(x_{31}))^{(0.013032)} * (1 + T^2(x_{31}))^{(-0.014116)} * (1 + T^3(x_{31}))^{(-0.006864)} * (1 + T^4(x_{31}))^{(-0.011536)} * (1 + T^5(x_{31}))^{(-0.015559)} * (1 + T^6(x_{31}))^{(-0.006522)} * (1 + T^7(x_{31}))^{(0.014408)} * (1 + T^8(x_{31}))^{(-0.003297)} * (1 + T^9(x_{31}))^{(0.014379)} * \\ & (1 + T^{10}(x_{31}))^{(-0.017931)} * (1 + T^0(x_{32}))^{(0.011995)} * (1 + T^1(x_{32}))^{(0.016064)} * (1 + T^2(x_{32}))^{(0.000473)} * (1 + T^3(x_{32}))^{(-0.031921)} * (1 + T^4(x_{32}))^{(-0.037296)} * (1 + T^5(x_{32}))^{(-0.003842)} * (1 + T^6(x_{32}))^{(-0.012635)} * (1 + T^7(x_{32}))^{(-0.009914)} * (1 + T^8(x_{32}))^{(-0.009538)} * (1 + T^9(x_{32}))^{(0.006279)} * (1 + T^{10}(x_{32}))^{(0.005687)} * (1 + T^0(x_{33}))^{(0.008616)} * (1 + T^1(x_{33}))^{(0.013036)} * (1 + T^2(x_{33}))^{(-0.031307)} * \\ & (1 + T^3(x_{33}))^{(-0.012398)} * (1 + T^4(x_{33}))^{(0.002851)} * (1 + T^5(x_{33}))^{(0.005745)} * (1 + T^6(x_{33}))^{(0.007078)} * (1 + T^7(x_{33}))^{(-0.009042)} * (1 + T^8(x_{33}))^{(0.007162)} * (1 + T^9(x_{33}))^{(0.004576)} * (1 + T^{10}(x_{33}))^{(0.004844)} - 1 \end{aligned}$$

F<sup>2</sup> в особом базисе:

$$\begin{aligned} & (1 + T^0(x_{11}))^{(0.013748)} * (1 + T^1(x_{11}))^{(0.009746)} * (1 + T^2(x_{11}))^{(0.007314)} * (1 + T^3(x_{11}))^{(0.010345)} * (1 + T^4(x_{11}))^{(0.010723)} * (1 + T^5(x_{11}))^{(-0.029241)} * (1 + T^6(x_{11}))^{(0.001311)} * (1 + T^7(x_{11}))^{(0.002321)} * (1 + T^8(x_{11}))^{(-0.015430)} * (1 + T^9(x_{11}))^{(-0.004635)} * (1 + T^{10}(x_{11}))^{(-0.011050)} * (1 + T^0(x_{12}))^{(0.011764)} * (1 + T^1(x_{12}))^{(-0.018718)} * (1 + T^2(x_{12}))^{(-0.002146)} * (1 + T^3(x_{12}))^{(-0.006665)} * \\ & (1 + T^4(x_{12}))^{(-0.017610)} * (1 + T^5(x_{12}))^{(0.023245)} * (1 + T^6(x_{12}))^{(-0.017464)} * (1 + T^7(x_{12}))^{(-0.007769)} * (1 + T^8(x_{12}))^{(-0.020793)} * (1 + T^9(x_{12}))^{(0.003939)} * (1 + T^{10}(x_{12}))^{(0.020212)} * (1 + T^0(x_{21}))^{(0.012793)} * (1 + T^1(x_{21}))^{(0.013267)} * (1 + T^2(x_{21}))^{(-0.012954)} * (1 + T^3(x_{21}))^{(-0.002452)} * (1 + T^4(x_{21}))^{(0.008179)} * (1 + T^5(x_{21}))^{(0.004808)} * (1 + T^6(x_{21}))^{(0.008912)} * (1 + T^7(x_{21}))^{(-0.006430)} * (1 + T^8(x_{21}))^{(0.004612)} * (1 + T^9(x_{21}))^{(0.000882)} * (1 + T^{10}(x_{21}))^{(-0.001902)} * (1 + T^{11}(x_{21}))^{(-0.004693)} * (1 + T^0(x_{22}))^{(0.012150)} * (1 + T^1(x_{22}))^{(-0.024630)} * (1 + T^2(x_{22}))^{(0.003887)} * (1 + T^3(x_{22}))^{(-0.001721)} * (1 + T^4(x_{22}))^{(0.012267)} * (1 + T^5(x_{22}))^{(-0.001241)} * (1 + T^6(x_{22}))^{(-0.000642)} * (1 + T^7(x_{22}))^{(0.012077)} * (1 + T^8(x_{22}))^{(-0.017909)} * (1 + T^9(x_{22}))^{(0.020155)} * (1 + T^{10}(x_{22}))^{(0.008035)} * (1 + T^{11}(x_{22}))^{(-0.016686)} * (1 + T^0(x_{31}))^{(0.012580)} * (1 + T^1(x_{31}))^{(-0.019485)} * (1 + T^2(x_{31}))^{(-0.041574)} * (1 + T^3(x_{31}))^{(-0.003468)} * (1 + T^4(x_{31}))^{(0.019537)} * (1 + T^5(x_{31}))^{(-0.012731)} * (1 + T^6(x_{31}))^{(0.001276)} * (1 + T^7(x_{31}))^{(-0.000254)} * (1 + T^8(x_{31}))^{(-0.015244)} * (1 + T^9(x_{31}))^{(0.014147)} * (1 + T^{10}(x_{31}))^{(-0.003568)} * (1 + T^0(x_{32}))^{(0.012093)} * (1 + T^1(x_{32}))^{(0.010863)} * (1 + T^2(x_{32}))^{(-0.003413)} * (1 + T^3(x_{32}))^{(0.017448)} * (1 + T^4(x_{32}))^{(-0.017191)} * (1 + T^5(x_{32}))^{(0.004231)} * (1 + T^6(x_{32}))^{(-0.005210)} * (1 + T^7(x_{32}))^{(-0.007448)} * (1 + T^8(x_{32}))^{(-0.009477)} * (1 + T^9(x_{32}))^{(-0.003618)} * (1 + T^{10}(x_{32}))^{(0.003189)} * (1 + T^0(x_{33}))^{(0.012883)} * (1 + T^1(x_{33}))^{(0.007080)} * (1 + T^2(x_{33}))^{(-0.014457)} \end{aligned}$$

$$\begin{aligned} & * (1 + T^3(x_{33}))^{(-0.021208)} * (1 + T^4(x_{33}))^{(-0.008183)} * (1 + T^5(x_{33}))^{(0.013011)} * (1 + \\ & T^6(x_{33}))^{(0.005047)} * (1 + T^7(x_{33}))^{(-0.008218)} * (1 + T^8(x_{33}))^{(0.003441)} * (1 + T^9(x_{33}))^{(0.011327)} * (1 \\ & + T^{10}(x_{33}))^{(-0.006830)} - 1 \end{aligned}$$

F<sup>3</sup> в особом базисе:

$$\begin{aligned} & (1 + T^0(x_{11}))^{(0.012734)} * (1 + T^1(x_{11}))^{(0.003360)} * (1 + T^2(x_{11}))^{(-0.001192)} * (1 + T^3(x_{11}))^{(0.017466)} \\ & * (1 + T^4(x_{11}))^{(-0.001937)} * (1 + T^5(x_{11}))^{(-0.021967)} * (1 + T^6(x_{11}))^{(0.001181)} * (1 + \\ & T^7(x_{11}))^{(0.008116)} * (1 + T^8(x_{11}))^{(0.003966)} * (1 + T^9(x_{11}))^{(-0.016368)} * (1 + T^{10}(x_{11}))^{(-0.000864)} * \\ & (1 + T^0(x_{12}))^{(0.008246)} * (1 + T^1(x_{12}))^{(-0.014257)} * (1 + T^2(x_{12}))^{(-0.005957)} * (1 + T^3(x_{12}))^{(-0.000700)} \\ & * (1 + T^4(x_{12}))^{(-0.013283)} * (1 + T^5(x_{12}))^{(0.015045)} * (1 + T^6(x_{12}))^{(-0.012263)} * (1 + T^7(x_{12}))^{(-0.008513)} \\ & * (1 + T^8(x_{12}))^{(-0.020366)} * (1 + T^9(x_{12}))^{(0.003380)} * (1 + T^{10}(x_{12}))^{(0.007855)} * (1 + \\ & T^0(x_{21}))^{(0.011759)} * (1 + T^1(x_{21}))^{(0.022084)} * (1 + T^2(x_{21}))^{(-0.015192)} * (1 + T^3(x_{21}))^{(-0.013879)} * \\ & (1 + T^4(x_{21}))^{(0.001126)} * (1 + T^5(x_{21}))^{(0.010741)} * (1 + T^6(x_{21}))^{(0.011069)} * (1 + T^7(x_{21}))^{(-0.001145)} \\ & * (1 + T^8(x_{21}))^{(-0.003954)} * (1 + T^9(x_{21}))^{(0.003281)} * (1 + T^{10}(x_{21}))^{(-0.002670)} * (1 + T^{11}(x_{21}))^{(-0.018017)} \\ & * (1 + T^0(x_{22}))^{(0.006211)} * (1 + T^1(x_{22}))^{(-0.011227)} * (1 + T^2(x_{22}))^{(-0.000018)} * (1 + \\ & T^3(x_{22}))^{(0.002093)} * (1 + T^4(x_{22}))^{(0.009306)} * (1 + T^5(x_{22}))^{(0.000031)} * (1 + T^6(x_{22}))^{(0.002937)} * (1 + \\ & T^7(x_{22}))^{(0.008009)} * (1 + T^8(x_{22}))^{(-0.006595)} * (1 + T^9(x_{22}))^{(0.006891)} * (1 + T^{10}(x_{22}))^{(0.008351)} \\ & * (1 + T^{11}(x_{22}))^{(-0.007634)} * (1 + T^0(x_{31}))^{(0.010014)} * (1 + T^1(x_{31}))^{(-0.004319)} * (1 + T^2(x_{31}))^{(-0.040347)} \\ & * (1 + T^3(x_{31}))^{(-0.004173)} * (1 + T^4(x_{31}))^{(0.004397)} * (1 + T^5(x_{31}))^{(-0.019325)} * (1 + \\ & T^6(x_{31}))^{(-0.002689)} * (1 + T^7(x_{31}))^{(0.013630)} * (1 + T^8(x_{31}))^{(-0.009112)} * (1 + T^9(x_{31}))^{(0.013178)} * \\ & (1 + T^{10}(x_{31}))^{(-0.007236)} * (1 + T^0(x_{32}))^{(0.011089)} * (1 + T^1(x_{32}))^{(0.009273)} * (1 + T^2(x_{32}))^{(0.001144)} \\ & * (1 + T^3(x_{32}))^{(0.001324)} * (1 + T^4(x_{32}))^{(-0.027793)} * (1 + T^5(x_{32}))^{(0.003435)} * (1 + T^6(x_{32}))^{(-0.015884)} \\ & * (1 + T^7(x_{32}))^{(-0.006873)} * (1 + T^8(x_{32}))^{(-0.005903)} * (1 + T^9(x_{32}))^{(-0.003634)} * (1 + \\ & T^{10}(x_{32}))^{(0.004719)} * (1 + T^0(x_{33}))^{(0.009216)} * (1 + T^1(x_{33}))^{(0.015436)} * (1 + T^2(x_{33}))^{(-0.019832)} * \\ & (1 + T^3(x_{33}))^{(-0.021237)} * (1 + T^4(x_{33}))^{(-0.000878)} * (1 + T^5(x_{33}))^{(0.012772)} * (1 + T^6(x_{33}))^{(0.007983)} \\ & * (1 + T^7(x_{33}))^{(-0.013233)} * (1 + T^8(x_{33}))^{(0.011835)} * (1 + T^9(x_{33}))^{(0.010288)} * (1 + T^{10}(x_{33}))^{(-0.000427)} - 1 \end{aligned}$$

F<sup>4</sup> в особом базисе:

$$\begin{aligned} & (1 + T^0(x_{11}))^{(0.017879)} * (1 + T^1(x_{11}))^{(0.003889)} * (1 + T^2(x_{11}))^{(-0.013542)} * (1 + T^3(x_{11}))^{(0.021671)} \\ & * (1 + T^4(x_{11}))^{(-0.012933)} * (1 + T^5(x_{11}))^{(-0.023420)} * (1 + T^6(x_{11}))^{(0.000795)} * (1 + \\ & T^7(x_{11}))^{(0.004871)} * (1 + T^8(x_{11}))^{(-0.003792)} * (1 + T^9(x_{11}))^{(-0.023946)} * (1 + T^{10}(x_{11}))^{(-0.005451)} * \\ & (1 + T^0(x_{12}))^{(0.007306)} * (1 + T^1(x_{12}))^{(-0.005752)} * (1 + T^2(x_{12}))^{(0.001456)} * (1 + T^3(x_{12}))^{(-0.004240)} \\ & * (1 + T^4(x_{12}))^{(-0.011167)} * (1 + T^5(x_{12}))^{(0.014210)} * (1 + T^6(x_{12}))^{(-0.010401)} * (1 + T^7(x_{12}))^{(-0.010404)} \\ & * (1 + T^8(x_{12}))^{(-0.014514)} * (1 + T^9(x_{12}))^{(0.002819)} * (1 + T^{10}(x_{12}))^{(0.011389)} * (1 + \\ & T^0(x_{21}))^{(0.014506)} * (1 + T^1(x_{21}))^{(0.013954)} * (1 + T^2(x_{21}))^{(-0.013149)} * (1 + T^3(x_{21}))^{(-0.025380)} * \\ & (1 + T^4(x_{21}))^{(0.000392)} * (1 + T^5(x_{21}))^{(0.007501)} * (1 + T^6(x_{21}))^{(0.015251)} * (1 + T^7(x_{21}))^{(0.012659)} \\ & * (1 + T^8(x_{21}))^{(-0.003376)} * (1 + T^9(x_{21}))^{(0.010106)} * (1 + T^{10}(x_{21}))^{(-0.006605)} * (1 + T^{11}(x_{21}))^{(-0.015968)} \\ & * (1 + T^0(x_{22}))^{(0.001255)} * (1 + T^1(x_{22}))^{(-0.002173)} * (1 + T^2(x_{22}))^{(0.000883)} * (1 + \\ & T^3(x_{22}))^{(0.000197)} * (1 + T^4(x_{22}))^{(0.001683)} * (1 + T^5(x_{22}))^{(0.001342)} * (1 + T^6(x_{22}))^{(0.000657)} * (1 + \\ & T^7(x_{22}))^{(0.000424)} * (1 + T^8(x_{22}))^{(-0.001416)} * (1 + T^9(x_{22}))^{(0.000530)} * (1 + T^{10}(x_{22}))^{(0.000938)} \\ & * (1 + T^{11}(x_{22}))^{(-0.000859)} * (1 + T^0(x_{31}))^{(0.012507)} * (1 + T^1(x_{31}))^{(-0.002688)} * (1 + T^2(x_{31}))^{(-0.040007)} \\ & * (1 + T^3(x_{31}))^{(-0.002900)} * (1 + T^4(x_{31}))^{(0.003418)} * (1 + T^5(x_{31}))^{(-0.031062)} * (1 + \\ & T^6(x_{31}))^{(-0.006759)} * (1 + T^7(x_{31}))^{(0.029348)} * (1 + T^8(x_{31}))^{(-0.020690)} * (1 + T^9(x_{31}))^{(0.021362)} * \\ & (1 + T^{10}(x_{31}))^{(-0.015115)} * (1 + T^0(x_{32}))^{(0.016094)} * (1 + T^1(x_{32}))^{(0.013925)} * (1 + T^2(x_{32}))^{(-0.008829)} \\ & * (1 + T^3(x_{32}))^{(-0.011602)} * (1 + T^4(x_{32}))^{(-0.056700)} * (1 + T^5(x_{32}))^{(0.007376)} * (1 + \\ & T^6(x_{32}))^{(-0.010827)} * (1 + T^7(x_{32}))^{(-0.009138)} * (1 + T^8(x_{32}))^{(-0.005192)} * (1 + T^9(x_{32}))^{(-0.012654)} * \\ & (1 + T^{10}(x_{32}))^{(0.010475)} * (1 + T^0(x_{33}))^{(0.011469)} * (1 + T^1(x_{33}))^{(0.014373)} * (1 + T^2(x_{33}))^{(-0.033998)} \\ & * (1 + T^3(x_{33}))^{(-0.027201)} * (1 + T^4(x_{33}))^{(-0.000779)} * (1 + T^5(x_{33}))^{(0.014094)} * (1 + \\ & T^6(x_{33}))^{(0.011597)} * (1 + T^7(x_{33}))^{(-0.010502)} * (1 + T^8(x_{33}))^{(0.024870)} * (1 + T^9(x_{33}))^{(0.015829)} * (1 \\ & + T^{10}(x_{33}))^{(-0.000688)} - 1 \end{aligned}$$

F<sup>1</sup> в обычном базисе:

$$\begin{aligned} & 0.0 * (2.5 + -8.0(x_{11})^1 + 8.0(x_{11})^2)^{(-0.006995)} * (-1.0 + 20.0(x_{11})^1 + -48.0(x_{11})^2 + 32.0(x_{11})^3)^{(0.017848)} \\ & * (3.5 + -40.0(x_{11})^1 + 168.0(x_{11})^2 + -256.0(x_{11})^3 + 128.0(x_{11})^4)^{(0.012328)} * (-2.0 + 70.0(x_{11})^1 + - \\ & 448.0(x_{11})^2 + 1152.0(x_{11})^3 + -1280.0(x_{11})^4 + 512.0(x_{11})^5)^{(-0.017748)} * (4.5 + -112.0(x_{11})^1 + \\ & 1008.0(x_{11})^2 + -3840.0(x_{11})^3 + 7040.0(x_{11})^4 + -6144.0(x_{11})^5 + 2048.0(x_{11})^6)^{(-0.007180)} * (-3.0 + \\ & 168.0(x_{11})^1 + -2016.0(x_{11})^2 + 10560.0(x_{11})^3 + -28160.0(x_{11})^4 + 39936.0(x_{11})^5 + -28672.0(x_{11})^6 + \\ & 8192.0(x_{11})^7)^{(-0.012904)} * (5.5 + -240.0(x_{11})^1 + 3696.0(x_{11})^2 + -25344.0(x_{11})^3 + 91520.0(x_{11})^4 + - \\ & 186368.0(x_{11})^5 + 215040.0(x_{11})^6 + -131072.0(x_{11})^7 + 32768.0(x_{11})^8)^{(0.014308)} * (-4.0 + 330.0(x_{11})^1 + - \\ & 6336.0(x_{11})^2 + 54912.0(x_{11})^3 + -256256.0(x_{11})^4 + 698880.0(x_{11})^5 + -1146880.0(x_{11})^6 + 1114112.0(x_{11})^7 \\ & + -589824.0(x_{11})^8 + 131072.0(x_{11})^9)^{(0.006242)} * (6.5 + -440.0(x_{11})^1 + 10296.0(x_{11})^2 + -109824.0(x_{11})^3 \\ & + 640640.0(x_{11})^4 + -2236416.0(x_{11})^5 + 4874240.0(x_{11})^6 + -6684672.0(x_{11})^7 + 5603328.0(x_{11})^8 + - \end{aligned}$$



$$\begin{aligned}
& 2621440.0(x11)^9 + 524288.0(x11)^{10} \wedge (-0.020832) * (-5.0 + 572.0(x11)^1 + -16016.0(x11)^2 + 205920.0(x11)^3 \\
& + -1464320.0(x11)^4 + 6336512.0(x11)^5 + -17547264.0(x11)^6 + 31752192.0(x11)^7 + -37355520.0(x11)^8 + \\
& 27525120.0(x11)^9 + -11534336.0(x11)^{10} + 2097152.0(x11)^{11} \wedge (-0.002719) * (2.5 + -8.0(x12)^1 + \\
& 8.0(x12)^2 \wedge (-0.018980) * (-1.0 + 20.0(x12)^1 + -48.0(x12)^2 + 32.0(x12)^3 \wedge (0.005656) * (3.5 + -40.0(x12)^1 + \\
& 168.0(x12)^2 + -256.0(x12)^3 + 128.0(x12)^4 \wedge (0.000914) * (-2.0 + 70.0(x12)^1 + -448.0(x12)^2 + 1152.0(x12)^3 \\
& + -1280.0(x12)^4 + 512.0(x12)^5 \wedge (-0.019624) * (4.5 + -112.0(x12)^1 + 1008.0(x12)^2 + -3840.0(x12)^3 + \\
& 7040.0(x12)^4 + -6144.0(x12)^5 + 2048.0(x12)^6 \wedge (0.017633) * (-3.0 + 168.0(x12)^1 + -2016.0(x12)^2 + \\
& 10560.0(x12)^3 + -28160.0(x12)^4 + 39936.0(x12)^5 + -28672.0(x12)^6 + 8192.0(x12)^7 \wedge (-0.014502) * (5.5 + - \\
& 240.0(x12)^1 + 3696.0(x12)^2 + -25344.0(x12)^3 + 91520.0(x12)^4 + -186368.0(x12)^5 + 215040.0(x12)^6 + - \\
& 131072.0(x12)^7 + 32768.0(x12)^8 \wedge (-0.009274) * (-4.0 + 330.0(x12)^1 + -6336.0(x12)^2 + 54912.0(x12)^3 + - \\
& 256256.0(x12)^4 + 698880.0(x12)^5 + -1146880.0(x12)^6 + 1114112.0(x12)^7 + -589824.0(x12)^8 + \\
& 131072.0(x12)^9 \wedge (-0.005705) * (6.5 + -440.0(x12)^1 + 10296.0(x12)^2 + -109824.0(x12)^3 + 640640.0(x12)^4 + - \\
& 2236416.0(x12)^5 + 4874240.0(x12)^6 + -6684672.0(x12)^7 + 5603328.0(x12)^8 + -2621440.0(x12)^9 + \\
& 524288.0(x12)^{10} \wedge (0.000042) * (-5.0 + 572.0(x12)^1 + -16016.0(x12)^2 + 205920.0(x12)^3 + -1464320.0(x12)^4 \\
& + 6336512.0(x12)^5 + -17547264.0(x12)^6 + 31752192.0(x12)^7 + -37355520.0(x12)^8 + 27525120.0(x12)^9 + - \\
& 11534336.0(x12)^{10} + 2097152.0(x12)^{11} \wedge (-0.000721) * (2.5 + -8.0(x21)^1 + 8.0(x21)^2 \wedge (0.007907) * (-1.0 + \\
& 20.0(x21)^1 + -48.0(x21)^2 + 32.0(x21)^3 \wedge (-0.012860) * (3.5 + -40.0(x21)^1 + 168.0(x21)^2 + -256.0(x21)^3 + \\
& 128.0(x21)^4 \wedge (-0.004345) * (-2.0 + 70.0(x21)^1 + -448.0(x21)^2 + 1152.0(x21)^3 + -1280.0(x21)^4 + \\
& 512.0(x21)^5 \wedge (-0.000550) * (4.5 + -112.0(x21)^1 + 1008.0(x21)^2 + -3840.0(x21)^3 + 7040.0(x21)^4 + - \\
& 6144.0(x21)^5 + 2048.0(x21)^6 \wedge (0.009038) * (-3.0 + 168.0(x21)^1 + -2016.0(x21)^2 + 10560.0(x21)^3 + - \\
& 28160.0(x21)^4 + 39936.0(x21)^5 + -28672.0(x21)^6 + 8192.0(x21)^7 \wedge (0.009289) * (5.5 + -240.0(x21)^1 + \\
& 3696.0(x21)^2 + -25344.0(x21)^3 + 91520.0(x21)^4 + -186368.0(x21)^5 + 215040.0(x21)^6 + -131072.0(x21)^7 + \\
& 32768.0(x21)^8 \wedge (0.000587) * (-4.0 + 330.0(x21)^1 + -6336.0(x21)^2 + 54912.0(x21)^3 + -256256.0(x21)^4 + \\
& 698880.0(x21)^5 + -1146880.0(x21)^6 + 1114112.0(x21)^7 + -589824.0(x21)^8 + 131072.0(x21)^9 \wedge (-0.009070) * \\
& (6.5 + -440.0(x21)^1 + 10296.0(x21)^2 + -109824.0(x21)^3 + 640640.0(x21)^4 + -2236416.0(x21)^5 + \\
& 4874240.0(x21)^6 + -6684672.0(x21)^7 + 5603328.0(x21)^8 + -2621440.0(x21)^9 + 524288.0(x21)^{10} \wedge (- \\
& 0.003532) * (-5.0 + 572.0(x21)^1 + -16016.0(x21)^2 + 205920.0(x21)^3 + -1464320.0(x21)^4 + 6336512.0(x21)^5 \\
& + -17547264.0(x21)^6 + 31752192.0(x21)^7 + -37355520.0(x21)^8 + 27525120.0(x21)^9 + -11534336.0(x21)^{10} + \\
& 2097152.0(x21)^{11} \wedge (0.002461) * (7.5 + -728.0(x21)^1 + 24024.0(x21)^2 + -366080.0(x21)^3 + 3111680.0(x21)^4 \\
& + -16293888.0(x21)^5 + 55566336.0(x21)^6 + -127008768.0(x21)^7 + 196116480.0(x21)^8 + -201850880.0(x21)^9 \\
& + 132644864.0(x21)^{10} + -50331648.0(x21)^{11} + 8388608.0(x21)^{12} \wedge (-0.009901) * (2.5 + -8.0(x22)^1 + \\
& 8.0(x22)^2 \wedge (-0.007983) * (-1.0 + 20.0(x22)^1 + -48.0(x22)^2 + 32.0(x22)^3 \wedge (-0.001750) * (3.5 + -40.0(x22)^1 + \\
& 168.0(x22)^2 + -256.0(x22)^3 + 128.0(x22)^4 \wedge (0.008793) * (-2.0 + 70.0(x22)^1 + -448.0(x22)^2 + 1152.0(x22)^3 + \\
& -1280.0(x22)^4 + 512.0(x22)^5 \wedge (-0.000325) * (4.5 + -112.0(x22)^1 + 1008.0(x22)^2 + -3840.0(x22)^3 + \\
& 7040.0(x22)^4 + -6144.0(x22)^5 + 2048.0(x22)^6 \wedge (-0.001624) * (-3.0 + 168.0(x22)^1 + -2016.0(x22)^2 + \\
& 10560.0(x22)^3 + -28160.0(x22)^4 + 39936.0(x22)^5 + -28672.0(x22)^6 + 8192.0(x22)^7 \wedge (-0.002416) * (5.5 + - \\
& 240.0(x22)^1 + 3696.0(x22)^2 + -25344.0(x22)^3 + 91520.0(x22)^4 + -186368.0(x22)^5 + 215040.0(x22)^6 + - \\
& 131072.0(x22)^7 + 32768.0(x22)^8 \wedge (0.006722) * (-4.0 + 330.0(x22)^1 + -6336.0(x22)^2 + 54912.0(x22)^3 + - \\
& 256256.0(x22)^4 + 698880.0(x22)^5 + -1146880.0(x22)^6 + 1114112.0(x22)^7 + -589824.0(x22)^8 + \\
& 131072.0(x22)^9 \wedge (-0.011593) * (6.5 + -440.0(x22)^1 + 10296.0(x22)^2 + -109824.0(x22)^3 + 640640.0(x22)^4 + - \\
& 2236416.0(x22)^5 + 4874240.0(x22)^6 + -6684672.0(x22)^7 + 5603328.0(x22)^8 + -2621440.0(x22)^9 + \\
& 524288.0(x22)^{10} \wedge (0.003316) * (-5.0 + 572.0(x22)^1 + -16016.0(x22)^2 + 205920.0(x22)^3 + -1464320.0(x22)^4 \\
& + 6336512.0(x22)^5 + -17547264.0(x22)^6 + 31752192.0(x22)^7 + -37355520.0(x22)^8 + 27525120.0(x22)^9 + - \\
& 11534336.0(x22)^{10} + 2097152.0(x22)^{11} \wedge (0.000615) * (7.5 + -728.0(x22)^1 + 24024.0(x22)^2 + - \\
& 366080.0(x22)^3 + 3111680.0(x22)^4 + -16293888.0(x22)^5 + 55566336.0(x22)^6 + -127008768.0(x22)^7 + \\
& 196116480.0(x22)^8 + -201850880.0(x22)^9 + 132644864.0(x22)^{10} + -50331648.0(x22)^{11} + \\
& 8388608.0(x22)^{12} \wedge (-0.011607) * (2.5 + -8.0(x31)^1 + 8.0(x31)^2 \wedge (0.013032) * (-1.0 + 20.0(x31)^1 + - \\
& 48.0(x31)^2 + 32.0(x31)^3 \wedge (-0.014116) * (3.5 + -40.0(x31)^1 + 168.0(x31)^2 + -256.0(x31)^3 + 128.0(x31)^4 \wedge (- \\
& 0.006864) * (-2.0 + 70.0(x31)^1 + -448.0(x31)^2 + 1152.0(x31)^3 + -1280.0(x31)^4 + 512.0(x31)^5 \wedge (-0.011536) * \\
& (4.5 + -112.0(x31)^1 + 1008.0(x31)^2 + -3840.0(x31)^3 + 7040.0(x31)^4 + -6144.0(x31)^5 + 2048.0(x31)^6 \wedge (- \\
& 0.015559) * (-3.0 + 168.0(x31)^1 + -2016.0(x31)^2 + 10560.0(x31)^3 + -28160.0(x31)^4 + 39936.0(x31)^5 + - \\
& 28672.0(x31)^6 + 8192.0(x31)^7 \wedge (-0.006522) * (5.5 + -240.0(x31)^1 + 3696.0(x31)^2 + -25344.0(x31)^3 + \\
& 91520.0(x31)^4 + -186368.0(x31)^5 + 215040.0(x31)^6 + -131072.0(x31)^7 + 32768.0(x31)^8 \wedge (0.014408) * (-4.0 \\
& + 330.0(x31)^1 + -6336.0(x31)^2 + 54912.0(x31)^3 + -256256.0(x31)^4 + 698880.0(x31)^5 + -1146880.0(x31)^6 + \\
& 1114112.0(x31)^7 + -589824.0(x31)^8 + 131072.0(x31)^9 \wedge (-0.003297) * (6.5 + -440.0(x31)^1 + 10296.0(x31)^2 + \\
& -109824.0(x31)^3 + 640640.0(x31)^4 + -2236416.0(x31)^5 + 4874240.0(x31)^6 + -6684672.0(x31)^7 + \\
& 5603328.0(x31)^8 + -2621440.0(x31)^9 + 524288.0(x31)^{10} \wedge (0.014379) * (-5.0 + 572.0(x31)^1 + -16016.0(x31)^2 \\
& + 205920.0(x31)^3 + -1464320.0(x31)^4 + 6336512.0(x31)^5 + -17547264.0(x31)^6 + 31752192.0(x31)^7 + - \\
& 37355520.0(x31)^8 + 27525120.0(x31)^9 + -11534336.0(x31)^{10} + 2097152.0(x31)^{11} \wedge (-0.017931) * (2.5 + - \\
& 8.0(x32)^1 + 8.0(x32)^2 \wedge (0.016064) * (-1.0 + 20.0(x32)^1 + -48.0(x32)^2 + 32.0(x32)^3 \wedge (0.000473) * (3.5 + - \\
& 40.0(x32)^1 + 168.0(x32)^2 + -256.0(x32)^3 + 128.0(x32)^4 \wedge (-0.031921) * (-2.0 + 70.0(x32)^1 + -448.0(x32)^2 + \\
& 1152.0(x32)^3 + -1280.0(x32)^4 + 512.0(x32)^5 \wedge (-0.037296) * (4.5 + -112.0(x32)^1 + 1008.0(x32)^2 + - \\
& 3840.0(x32)^3 + 7040.0(x32)^4 + -6144.0(x32)^5 + 2048.0(x32)^6 \wedge (-0.003842) * (-3.0 + 168.0(x32)^1 + -
\end{aligned}$$

$$\begin{aligned}
& 2016.0(x32)^2 + 10560.0(x32)^3 + -28160.0(x32)^4 + 39936.0(x32)^5 + -28672.0(x32)^6 + 8192.0(x32)^7 \wedge (- \\
& 0.012635) * (5.5 + -240.0(x32)^1 + 3696.0(x32)^2 + -25344.0(x32)^3 + 91520.0(x32)^4 + -186368.0(x32)^5 + \\
& 215040.0(x32)^6 + -131072.0(x32)^7 + 32768.0(x32)^8 \wedge (-0.009914) * (-4.0 + 330.0(x32)^1 + -6336.0(x32)^2 + \\
& 54912.0(x32)^3 + -256256.0(x32)^4 + 698880.0(x32)^5 + -1146880.0(x32)^6 + 1114112.0(x32)^7 + - \\
& 589824.0(x32)^8 + 131072.0(x32)^9 \wedge (-0.009538) * (6.5 + -440.0(x32)^1 + 10296.0(x32)^2 + -109824.0(x32)^3 + \\
& 640640.0(x32)^4 + -2236416.0(x32)^5 + 4874240.0(x32)^6 + -6684672.0(x32)^7 + 5603328.0(x32)^8 + - \\
& 2621440.0(x32)^9 + 524288.0(x32)^10 \wedge (0.006279) * (-5.0 + 572.0(x32)^1 + -16016.0(x32)^2 + 205920.0(x32)^3 + \\
& -1464320.0(x32)^4 + 6336512.0(x32)^5 + -17547264.0(x32)^6 + 31752192.0(x32)^7 + -37355520.0(x32)^8 + \\
& 27525120.0(x32)^9 + -11534336.0(x32)^10 + 2097152.0(x32)^11 \wedge (0.005687) * (2.5 + -8.0(x33)^1 + \\
& 8.0(x33)^2 \wedge (0.013036) * (-1.0 + 20.0(x33)^1 + -48.0(x33)^2 + 32.0(x33)^3 \wedge (-0.031307) * (3.5 + -40.0(x33)^1 + \\
& 168.0(x33)^2 + -256.0(x33)^3 + 128.0(x33)^4 \wedge (-0.012398) * (-2.0 + 70.0(x33)^1 + -448.0(x33)^2 + 1152.0(x33)^3 + \\
& -1280.0(x33)^4 + 512.0(x33)^5 \wedge (0.002851) * (4.5 + -112.0(x33)^1 + 1008.0(x33)^2 + -3840.0(x33)^3 + \\
& 7040.0(x33)^4 + -6144.0(x33)^5 + 2048.0(x33)^6 \wedge (0.005745) * (-3.0 + 168.0(x33)^1 + -2016.0(x33)^2 + \\
& 10560.0(x33)^3 + -28160.0(x33)^4 + 39936.0(x33)^5 + -28672.0(x33)^6 + 8192.0(x33)^7 \wedge (0.007078) * (5.5 + - \\
& 240.0(x33)^1 + 3696.0(x33)^2 + -25344.0(x33)^3 + 91520.0(x33)^4 + -186368.0(x33)^5 + 215040.0(x33)^6 + - \\
& 131072.0(x33)^7 + 32768.0(x33)^8 \wedge (-0.009042) * (-4.0 + 330.0(x33)^1 + -6336.0(x33)^2 + 54912.0(x33)^3 + - \\
& 256256.0(x33)^4 + 698880.0(x33)^5 + -1146880.0(x33)^6 + 1114112.0(x33)^7 + -589824.0(x33)^8 + \\
& 131072.0(x33)^9 \wedge (0.007162) * (6.5 + -440.0(x33)^1 + 10296.0(x33)^2 + -109824.0(x33)^3 + 640640.0(x33)^4 + - \\
& 2236416.0(x33)^5 + 4874240.0(x33)^6 + -6684672.0(x33)^7 + 5603328.0(x33)^8 + -2621440.0(x33)^9 + \\
& 524288.0(x33)^10 \wedge (0.004576) * (-5.0 + 572.0(x33)^1 + -16016.0(x33)^2 + 205920.0(x33)^3 + -1464320.0(x33)^4 + \\
& 6336512.0(x33)^5 + -17547264.0(x33)^6 + 31752192.0(x33)^7 + -37355520.0(x33)^8 + 27525120.0(x33)^9 + - \\
& 11534336.0(x33)^10 + 2097152.0(x33)^11 \wedge (0.004844) - 1
\end{aligned}$$

F^2 в обычном базисе:

$$\begin{aligned}
& 0.0 * (2.5 + -8.0(x11)^1 + 8.0(x11)^2 \wedge (0.009746) * (-1.0 + 20.0(x11)^1 + -48.0(x11)^2 + 32.0(x11)^3 \wedge (0.007314) \\
& * (3.5 + -40.0(x11)^1 + 168.0(x11)^2 + -256.0(x11)^3 + 128.0(x11)^4 \wedge (0.010345) * (-2.0 + 70.0(x11)^1 + - \\
& 448.0(x11)^2 + 1152.0(x11)^3 + -1280.0(x11)^4 + 512.0(x11)^5 \wedge (0.010723) * (4.5 + -112.0(x11)^1 + \\
& 1008.0(x11)^2 + -3840.0(x11)^3 + 7040.0(x11)^4 + -6144.0(x11)^5 + 2048.0(x11)^6 \wedge (-0.029241) * (-3.0 + \\
& 168.0(x11)^1 + -2016.0(x11)^2 + 10560.0(x11)^3 + -28160.0(x11)^4 + 39936.0(x11)^5 + -28672.0(x11)^6 + \\
& 8192.0(x11)^7 \wedge (0.001311) * (5.5 + -240.0(x11)^1 + 3696.0(x11)^2 + -25344.0(x11)^3 + 91520.0(x11)^4 + - \\
& 186368.0(x11)^5 + 215040.0(x11)^6 + -131072.0(x11)^7 + 32768.0(x11)^8 \wedge (0.002321) * (-4.0 + 330.0(x11)^1 + - \\
& 6336.0(x11)^2 + 54912.0(x11)^3 + -256256.0(x11)^4 + 698880.0(x11)^5 + -1146880.0(x11)^6 + 1114112.0(x11)^7 + \\
& -589824.0(x11)^8 + 131072.0(x11)^9 \wedge (-0.015430) * (6.5 + -440.0(x11)^1 + 10296.0(x11)^2 + -109824.0(x11)^3 + \\
& 640640.0(x11)^4 + -2236416.0(x11)^5 + 4874240.0(x11)^6 + -6684672.0(x11)^7 + 5603328.0(x11)^8 + - \\
& 2621440.0(x11)^9 + 524288.0(x11)^10 \wedge (-0.004635) * (-5.0 + 572.0(x11)^1 + -16016.0(x11)^2 + 205920.0(x11)^3 + \\
& -1464320.0(x11)^4 + 6336512.0(x11)^5 + -17547264.0(x11)^6 + 31752192.0(x11)^7 + -37355520.0(x11)^8 + \\
& 27525120.0(x11)^9 + -11534336.0(x11)^10 + 2097152.0(x11)^11 \wedge (-0.011050) * (2.5 + -8.0(x12)^1 + \\
& 8.0(x12)^2 \wedge (-0.018718) * (-1.0 + 20.0(x12)^1 + -48.0(x12)^2 + 32.0(x12)^3 \wedge (-0.002146) * (3.5 + -40.0(x12)^1 + \\
& 168.0(x12)^2 + -256.0(x12)^3 + 128.0(x12)^4 \wedge (-0.006665) * (-2.0 + 70.0(x12)^1 + -448.0(x12)^2 + 1152.0(x12)^3 + \\
& -1280.0(x12)^4 + 512.0(x12)^5 \wedge (-0.017610) * (4.5 + -112.0(x12)^1 + 1008.0(x12)^2 + -3840.0(x12)^3 + \\
& 7040.0(x12)^4 + -6144.0(x12)^5 + 2048.0(x12)^6 \wedge (0.023245) * (-3.0 + 168.0(x12)^1 + -2016.0(x12)^2 + \\
& 10560.0(x12)^3 + -28160.0(x12)^4 + 39936.0(x12)^5 + -28672.0(x12)^6 + 8192.0(x12)^7 \wedge (-0.017464) * (5.5 + - \\
& 240.0(x12)^1 + 3696.0(x12)^2 + -25344.0(x12)^3 + 91520.0(x12)^4 + -186368.0(x12)^5 + 215040.0(x12)^6 + - \\
& 131072.0(x12)^7 + 32768.0(x12)^8 \wedge (-0.007769) * (-4.0 + 330.0(x12)^1 + -6336.0(x12)^2 + 54912.0(x12)^3 + - \\
& 256256.0(x12)^4 + 698880.0(x12)^5 + -1146880.0(x12)^6 + 1114112.0(x12)^7 + -589824.0(x12)^8 + \\
& 131072.0(x12)^9 \wedge (-0.020793) * (6.5 + -440.0(x12)^1 + 10296.0(x12)^2 + -109824.0(x12)^3 + 640640.0(x12)^4 + - \\
& 2236416.0(x12)^5 + 4874240.0(x12)^6 + -6684672.0(x12)^7 + 5603328.0(x12)^8 + -2621440.0(x12)^9 + \\
& 524288.0(x12)^10 \wedge (0.003939) * (-5.0 + 572.0(x12)^1 + -16016.0(x12)^2 + 205920.0(x12)^3 + -1464320.0(x12)^4 + \\
& 6336512.0(x12)^5 + -17547264.0(x12)^6 + 31752192.0(x12)^7 + -37355520.0(x12)^8 + 27525120.0(x12)^9 + - \\
& 11534336.0(x12)^10 + 2097152.0(x12)^11 \wedge (0.020212) * (2.5 + -8.0(x21)^1 + 8.0(x21)^2 \wedge (0.013267) * (-1.0 + \\
& 20.0(x21)^1 + -48.0(x21)^2 + 32.0(x21)^3 \wedge (-0.012954) * (3.5 + -40.0(x21)^1 + 168.0(x21)^2 + -256.0(x21)^3 + \\
& 128.0(x21)^4 \wedge (-0.002452) * (-2.0 + 70.0(x21)^1 + -448.0(x21)^2 + 1152.0(x21)^3 + -1280.0(x21)^4 + \\
& 512.0(x21)^5 \wedge (0.008179) * (4.5 + -112.0(x21)^1 + 1008.0(x21)^2 + -3840.0(x21)^3 + 7040.0(x21)^4 + - \\
& 6144.0(x21)^5 + 2048.0(x21)^6 \wedge (0.004808) * (-3.0 + 168.0(x21)^1 + -2016.0(x21)^2 + 10560.0(x21)^3 + - \\
& 28160.0(x21)^4 + 39936.0(x21)^5 + -28672.0(x21)^6 + 8192.0(x21)^7 \wedge (0.008912) * (5.5 + -240.0(x21)^1 + \\
& 3696.0(x21)^2 + -25344.0(x21)^3 + 91520.0(x21)^4 + -186368.0(x21)^5 + 215040.0(x21)^6 + -131072.0(x21)^7 + \\
& 32768.0(x21)^8 \wedge (-0.006430) * (-4.0 + 330.0(x21)^1 + -6336.0(x21)^2 + 54912.0(x21)^3 + -256256.0(x21)^4 + \\
& 698880.0(x21)^5 + -1146880.0(x21)^6 + 1114112.0(x21)^7 + -589824.0(x21)^8 + 131072.0(x21)^9 \wedge (0.004612) * \\
& (6.5 + -440.0(x21)^1 + 10296.0(x21)^2 + -109824.0(x21)^3 + 640640.0(x21)^4 + -2236416.0(x21)^5 + \\
& 4874240.0(x21)^6 + -6684672.0(x21)^7 + 5603328.0(x21)^8 + -2621440.0(x21)^9 + 524288.0(x21)^10 \wedge (0.000882) \\
& * (-5.0 + 572.0(x21)^1 + -16016.0(x21)^2 + 205920.0(x21)^3 + -1464320.0(x21)^4 + 6336512.0(x21)^5 + - \\
& 17547264.0(x21)^6 + 31752192.0(x21)^7 + -37355520.0(x21)^8 + 27525120.0(x21)^9 + -11534336.0(x21)^10 + \\
& 2097152.0(x21)^11 \wedge (-0.001902) * (7.5 + -728.0(x21)^1 + 24024.0(x21)^2 + -366080.0(x21)^3 + 3111680.0(x21)^4
\end{aligned}$$

$$\begin{aligned}
& + -16293888.0(x21)^5 + 55566336.0(x21)^6 + -127008768.0(x21)^7 + 196116480.0(x21)^8 + -201850880.0(x21)^9 \\
& + 132644864.0(x21)^{10} + -50331648.0(x21)^{11} + 8388608.0(x21)^{12} \wedge (-0.004693) * (2.5 + -8.0(x22)^1 + \\
& 8.0(x22)^2 \wedge (-0.024630) * (-1.0 + 20.0(x22)^1 + -48.0(x22)^2 + 32.0(x22)^3 \wedge (0.003887) * (3.5 + -40.0(x22)^1 + \\
& 168.0(x22)^2 + -256.0(x22)^3 + 128.0(x22)^4 \wedge (-0.001721) * (-2.0 + 70.0(x22)^1 + -448.0(x22)^2 + 1152.0(x22)^3 \\
& + -1280.0(x22)^4 + 512.0(x22)^5 \wedge (0.012267) * (4.5 + -112.0(x22)^1 + 1008.0(x22)^2 + -3840.0(x22)^3 + \\
& 7040.0(x22)^4 + -6144.0(x22)^5 + 2048.0(x22)^6 \wedge (-0.001241) * (-3.0 + 168.0(x22)^1 + -2016.0(x22)^2 + \\
& 10560.0(x22)^3 + -28160.0(x22)^4 + 39936.0(x22)^5 + -28672.0(x22)^6 + 8192.0(x22)^7 \wedge (-0.000642) * (5.5 + - \\
& 240.0(x22)^1 + 3696.0(x22)^2 + -25344.0(x22)^3 + 91520.0(x22)^4 + -186368.0(x22)^5 + 215040.0(x22)^6 + - \\
& 131072.0(x22)^7 + 32768.0(x22)^8 \wedge (0.012077) * (-4.0 + 330.0(x22)^1 + -6336.0(x22)^2 + 54912.0(x22)^3 + - \\
& 256256.0(x22)^4 + 698880.0(x22)^5 + -1146880.0(x22)^6 + 1114112.0(x22)^7 + -589824.0(x22)^8 + \\
& 131072.0(x22)^9 \wedge (-0.017909) * (6.5 + -440.0(x22)^1 + 10296.0(x22)^2 + -109824.0(x22)^3 + 640640.0(x22)^4 + - \\
& 2236416.0(x22)^5 + 4874240.0(x22)^6 + -6684672.0(x22)^7 + 5603328.0(x22)^8 + -2621440.0(x22)^9 + \\
& 524288.0(x22)^{10} \wedge (0.020155) * (-5.0 + 572.0(x22)^1 + -16016.0(x22)^2 + 205920.0(x22)^3 + -1464320.0(x22)^4 \\
& + 6336512.0(x22)^5 + -17547264.0(x22)^6 + 31752192.0(x22)^7 + -37355520.0(x22)^8 + 27525120.0(x22)^9 + - \\
& 11534336.0(x22)^{10} + 2097152.0(x22)^{11} \wedge (0.008035) * (7.5 + -728.0(x22)^1 + 24024.0(x22)^2 + - \\
& 366080.0(x22)^3 + 3111680.0(x22)^4 + -16293888.0(x22)^5 + 55566336.0(x22)^6 + -127008768.0(x22)^7 + \\
& 196116480.0(x22)^8 + -201850880.0(x22)^9 + 132644864.0(x22)^{10} + -50331648.0(x22)^{11} + \\
& 8388608.0(x22)^{12} \wedge (-0.016686) * (2.5 + -8.0(x31)^1 + 8.0(x31)^2 \wedge (-0.019485) * (-1.0 + 20.0(x31)^1 + - \\
& 48.0(x31)^2 + 32.0(x31)^3 \wedge (-0.041574) * (3.5 + -40.0(x31)^1 + 168.0(x31)^2 + -256.0(x31)^3 + 128.0(x31)^4 \wedge (- \\
& 0.003468) * (-2.0 + 70.0(x31)^1 + -448.0(x31)^2 + 1152.0(x31)^3 + -1280.0(x31)^4 + 512.0(x31)^5 \wedge (0.019537) * \\
& (4.5 + -112.0(x31)^1 + 1008.0(x31)^2 + -3840.0(x31)^3 + 7040.0(x31)^4 + -6144.0(x31)^5 + 2048.0(x31)^6 \wedge (- \\
& 0.012731) * (-3.0 + 168.0(x31)^1 + -2016.0(x31)^2 + 10560.0(x31)^3 + -28160.0(x31)^4 + 39936.0(x31)^5 + - \\
& 28672.0(x31)^6 + 8192.0(x31)^7 \wedge (0.001276) * (5.5 + -240.0(x31)^1 + 3696.0(x31)^2 + -25344.0(x31)^3 + \\
& 91520.0(x31)^4 + -186368.0(x31)^5 + 215040.0(x31)^6 + -131072.0(x31)^7 + 32768.0(x31)^8 \wedge (-0.000254) * (-4.0 \\
& + 330.0(x31)^1 + -6336.0(x31)^2 + 54912.0(x31)^3 + -256256.0(x31)^4 + 698880.0(x31)^5 + -1146880.0(x31)^6 + \\
& 1114112.0(x31)^7 + -589824.0(x31)^8 + 131072.0(x31)^9 \wedge (-0.015244) * (6.5 + -440.0(x31)^1 + 10296.0(x31)^2 + \\
& -109824.0(x31)^3 + 640640.0(x31)^4 + -2236416.0(x31)^5 + 4874240.0(x31)^6 + -6684672.0(x31)^7 + \\
& 5603328.0(x31)^8 + -2621440.0(x31)^9 + 524288.0(x31)^{10} \wedge (0.014147) * (-5.0 + 572.0(x31)^1 + -16016.0(x31)^2 \\
& + 205920.0(x31)^3 + -1464320.0(x31)^4 + 6336512.0(x31)^5 + -17547264.0(x31)^6 + 31752192.0(x31)^7 + - \\
& 37355520.0(x31)^8 + 27525120.0(x31)^9 + -11534336.0(x31)^{10} + 2097152.0(x31)^{11} \wedge (-0.003568) * (2.5 + - \\
& 8.0(x32)^1 + 8.0(x32)^2 \wedge (0.010863) * (-1.0 + 20.0(x32)^1 + -48.0(x32)^2 + 32.0(x32)^3 \wedge (-0.003413) * (3.5 + - \\
& 40.0(x32)^1 + 168.0(x32)^2 + -256.0(x32)^3 + 128.0(x32)^4 \wedge (0.017448) * (-2.0 + 70.0(x32)^1 + -448.0(x32)^2 + \\
& 1152.0(x32)^3 + -1280.0(x32)^4 + 512.0(x32)^5 \wedge (-0.017191) * (4.5 + -112.0(x32)^1 + 1008.0(x32)^2 + - \\
& 3840.0(x32)^3 + 7040.0(x32)^4 + -6144.0(x32)^5 + 2048.0(x32)^6 \wedge (0.004231) * (-3.0 + 168.0(x32)^1 + - \\
& 2016.0(x32)^2 + 10560.0(x32)^3 + -28160.0(x32)^4 + 39936.0(x32)^5 + -28672.0(x32)^6 + 8192.0(x32)^7 \wedge (- \\
& 0.005210) * (5.5 + -240.0(x32)^1 + 3696.0(x32)^2 + -25344.0(x32)^3 + 91520.0(x32)^4 + -186368.0(x32)^5 + \\
& 215040.0(x32)^6 + -131072.0(x32)^7 + 32768.0(x32)^8 \wedge (-0.007448) * (-4.0 + 330.0(x32)^1 + -6336.0(x32)^2 + \\
& 54912.0(x32)^3 + -256256.0(x32)^4 + 698880.0(x32)^5 + -1146880.0(x32)^6 + 1114112.0(x32)^7 + - \\
& 589824.0(x32)^8 + 131072.0(x32)^9 \wedge (-0.009477) * (6.5 + -440.0(x32)^1 + 10296.0(x32)^2 + -109824.0(x32)^3 + \\
& 640640.0(x32)^4 + -2236416.0(x32)^5 + 4874240.0(x32)^6 + -6684672.0(x32)^7 + 5603328.0(x32)^8 + - \\
& 2621440.0(x32)^9 + 524288.0(x32)^{10} \wedge (-0.003618) * (-5.0 + 572.0(x32)^1 + -16016.0(x32)^2 + 205920.0(x32)^3 \\
& + -1464320.0(x32)^4 + 6336512.0(x32)^5 + -17547264.0(x32)^6 + 31752192.0(x32)^7 + -37355520.0(x32)^8 + \\
& 27525120.0(x32)^9 + -11534336.0(x32)^{10} + 2097152.0(x32)^{11} \wedge (0.003189) * (2.5 + -8.0(x33)^1 + \\
& 8.0(x33)^2 \wedge (0.007080) * (-1.0 + 20.0(x33)^1 + -48.0(x33)^2 + 32.0(x33)^3 \wedge (-0.014457) * (3.5 + -40.0(x33)^1 + \\
& 168.0(x33)^2 + -256.0(x33)^3 + 128.0(x33)^4 \wedge (-0.021208) * (-2.0 + 70.0(x33)^1 + -448.0(x33)^2 + 1152.0(x33)^3 \\
& + -1280.0(x33)^4 + 512.0(x33)^5 \wedge (-0.008183) * (4.5 + -112.0(x33)^1 + 1008.0(x33)^2 + -3840.0(x33)^3 + \\
& 7040.0(x33)^4 + -6144.0(x33)^5 + 2048.0(x33)^6 \wedge (0.013011) * (-3.0 + 168.0(x33)^1 + -2016.0(x33)^2 + \\
& 10560.0(x33)^3 + -28160.0(x33)^4 + 39936.0(x33)^5 + -28672.0(x33)^6 + 8192.0(x33)^7 \wedge (0.005047) * (5.5 + - \\
& 240.0(x33)^1 + 3696.0(x33)^2 + -25344.0(x33)^3 + 91520.0(x33)^4 + -186368.0(x33)^5 + 215040.0(x33)^6 + - \\
& 131072.0(x33)^7 + 32768.0(x33)^8 \wedge (-0.008218) * (-4.0 + 330.0(x33)^1 + -6336.0(x33)^2 + 54912.0(x33)^3 + - \\
& 256256.0(x33)^4 + 698880.0(x33)^5 + -1146880.0(x33)^6 + 1114112.0(x33)^7 + -589824.0(x33)^8 + \\
& 131072.0(x33)^9 \wedge (0.003441) * (6.5 + -440.0(x33)^1 + 10296.0(x33)^2 + -109824.0(x33)^3 + 640640.0(x33)^4 + - \\
& 2236416.0(x33)^5 + 4874240.0(x33)^6 + -6684672.0(x33)^7 + 5603328.0(x33)^8 + -2621440.0(x33)^9 + \\
& 524288.0(x33)^{10} \wedge (0.011327) * (-5.0 + 572.0(x33)^1 + -16016.0(x33)^2 + 205920.0(x33)^3 + -1464320.0(x33)^4 \\
& + 6336512.0(x33)^5 + -17547264.0(x33)^6 + 31752192.0(x33)^7 + -37355520.0(x33)^8 + 27525120.0(x33)^9 + - \\
& 11534336.0(x33)^{10} + 2097152.0(x33)^{11} \wedge (-0.006830) - 1
\end{aligned}$$

F^3 в обычном базисе:

$$\begin{aligned}
& 0.0 * (2.5 + -8.0(x11)^1 + 8.0(x11)^2 \wedge (0.003360) * (-1.0 + 20.0(x11)^1 + -48.0(x11)^2 + 32.0(x11)^3 \wedge (-0.001192) \\
& * (3.5 + -40.0(x11)^1 + 168.0(x11)^2 + -256.0(x11)^3 + 128.0(x11)^4 \wedge (0.017466) * (-2.0 + 70.0(x11)^1 + - \\
& 448.0(x11)^2 + 1152.0(x11)^3 + -1280.0(x11)^4 + 512.0(x11)^5 \wedge (-0.001937) * (4.5 + -112.0(x11)^1 + \\
& 1008.0(x11)^2 + -3840.0(x11)^3 + 7040.0(x11)^4 + -6144.0(x11)^5 + 2048.0(x11)^6 \wedge (-0.021967) * (-3.0 + \\
& 168.0(x11)^1 + -2016.0(x11)^2 + 10560.0(x11)^3 + -28160.0(x11)^4 + 39936.0(x11)^5 + -28672.0(x11)^6 +
\end{aligned}$$

$$\begin{aligned}
& 8192.0(x_{11})^7)^{(0.001181)} * (5.5 + -240.0(x_{11})^1 + 3696.0(x_{11})^2 + -25344.0(x_{11})^3 + 91520.0(x_{11})^4 + - \\
& 186368.0(x_{11})^5 + 215040.0(x_{11})^6 + -131072.0(x_{11})^7 + 32768.0(x_{11})^8)^{(0.008116)} * (-4.0 + 330.0(x_{11})^1 + - \\
& 6336.0(x_{11})^2 + 54912.0(x_{11})^3 + -256256.0(x_{11})^4 + 698880.0(x_{11})^5 + -1146880.0(x_{11})^6 + 1114112.0(x_{11})^7 \\
& + -589824.0(x_{11})^8 + 131072.0(x_{11})^9)^{(0.003966)} * (6.5 + -440.0(x_{11})^1 + 10296.0(x_{11})^2 + -109824.0(x_{11})^3 \\
& + 640640.0(x_{11})^4 + -2236416.0(x_{11})^5 + 4874240.0(x_{11})^6 + -6684672.0(x_{11})^7 + 5603328.0(x_{11})^8 + - \\
& 2621440.0(x_{11})^9 + 524288.0(x_{11})^{10})^{(-0.016368)} * (-5.0 + 572.0(x_{11})^1 + -16016.0(x_{11})^2 + 205920.0(x_{11})^3 \\
& + -1464320.0(x_{11})^4 + 6336512.0(x_{11})^5 + -17547264.0(x_{11})^6 + 31752192.0(x_{11})^7 + -37355520.0(x_{11})^8 + \\
& 27525120.0(x_{11})^9 + -11534336.0(x_{11})^{10} + 2097152.0(x_{11})^{11})^{(-0.000864)} * (2.5 + -8.0(x_{12})^1 + \\
& 8.0(x_{12})^2)^{(-0.014257)} * (-1.0 + 20.0(x_{12})^1 + -48.0(x_{12})^2 + 32.0(x_{12})^3)^{(-0.005957)} * (3.5 + -40.0(x_{12})^1 + \\
& 168.0(x_{12})^2 + -256.0(x_{12})^3 + 128.0(x_{12})^4)^{(-0.000700)} * (-2.0 + 70.0(x_{12})^1 + -448.0(x_{12})^2 + 1152.0(x_{12})^3 \\
& + -1280.0(x_{12})^4 + 512.0(x_{12})^5)^{(-0.013283)} * (4.5 + -112.0(x_{12})^1 + 1008.0(x_{12})^2 + -3840.0(x_{12})^3 + \\
& 7040.0(x_{12})^4 + -6144.0(x_{12})^5 + 2048.0(x_{12})^6)^{(0.015045)} * (-3.0 + 168.0(x_{12})^1 + -2016.0(x_{12})^2 + \\
& 10560.0(x_{12})^3 + -28160.0(x_{12})^4 + 39936.0(x_{12})^5 + -28672.0(x_{12})^6 + 8192.0(x_{12})^7)^{(-0.012263)} * (5.5 + - \\
& 240.0(x_{12})^1 + 3696.0(x_{12})^2 + -25344.0(x_{12})^3 + 91520.0(x_{12})^4 + -186368.0(x_{12})^5 + 215040.0(x_{12})^6 + - \\
& 131072.0(x_{12})^7 + 32768.0(x_{12})^8)^{(-0.008513)} * (-4.0 + 330.0(x_{12})^1 + -6336.0(x_{12})^2 + 54912.0(x_{12})^3 + - \\
& 256256.0(x_{12})^4 + 698880.0(x_{12})^5 + -1146880.0(x_{12})^6 + 1114112.0(x_{12})^7 + -589824.0(x_{12})^8 + \\
& 131072.0(x_{12})^9)^{(-0.020366)} * (6.5 + -440.0(x_{12})^1 + 10296.0(x_{12})^2 + -109824.0(x_{12})^3 + 640640.0(x_{12})^4 + - \\
& 2236416.0(x_{12})^5 + 4874240.0(x_{12})^6 + -6684672.0(x_{12})^7 + 5603328.0(x_{12})^8 + -2621440.0(x_{12})^9 + \\
& 524288.0(x_{12})^{10})^{(0.003380)} * (-5.0 + 572.0(x_{12})^1 + -16016.0(x_{12})^2 + 205920.0(x_{12})^3 + -1464320.0(x_{12})^4 \\
& + 6336512.0(x_{12})^5 + -17547264.0(x_{12})^6 + 31752192.0(x_{12})^7 + -37355520.0(x_{12})^8 + 27525120.0(x_{12})^9 + - \\
& 11534336.0(x_{12})^{10} + 2097152.0(x_{12})^{11})^{(0.007855)} * (2.5 + -8.0(x_{21})^1 + 8.0(x_{21})^2)^{(0.022084)} * (-1.0 + \\
& 20.0(x_{21})^1 + -48.0(x_{21})^2 + 32.0(x_{21})^3)^{(-0.015192)} * (3.5 + -40.0(x_{21})^1 + 168.0(x_{21})^2 + -256.0(x_{21})^3 + \\
& 128.0(x_{21})^4)^{(-0.013879)} * (-2.0 + 70.0(x_{21})^1 + -448.0(x_{21})^2 + 1152.0(x_{21})^3 + -1280.0(x_{21})^4 + \\
& 512.0(x_{21})^5)^{(0.001126)} * (4.5 + -112.0(x_{21})^1 + 1008.0(x_{21})^2 + -3840.0(x_{21})^3 + 7040.0(x_{21})^4 + - \\
& 6144.0(x_{21})^5 + 2048.0(x_{21})^6)^{(0.010741)} * (-3.0 + 168.0(x_{21})^1 + -2016.0(x_{21})^2 + 10560.0(x_{21})^3 + - \\
& 28160.0(x_{21})^4 + 39936.0(x_{21})^5 + -28672.0(x_{21})^6 + 8192.0(x_{21})^7)^{(0.011069)} * (5.5 + -240.0(x_{21})^1 + \\
& 3696.0(x_{21})^2 + -25344.0(x_{21})^3 + 91520.0(x_{21})^4 + -186368.0(x_{21})^5 + 215040.0(x_{21})^6 + -131072.0(x_{21})^7 + \\
& 32768.0(x_{21})^8)^{(-0.001145)} * (-4.0 + 330.0(x_{21})^1 + -6336.0(x_{21})^2 + 54912.0(x_{21})^3 + -256256.0(x_{21})^4 + \\
& 698880.0(x_{21})^5 + -1146880.0(x_{21})^6 + 1114112.0(x_{21})^7 + -589824.0(x_{21})^8 + 131072.0(x_{21})^9)^{(-0.003954)} * \\
& (6.5 + -440.0(x_{21})^1 + 10296.0(x_{21})^2 + -109824.0(x_{21})^3 + 640640.0(x_{21})^4 + -2236416.0(x_{21})^5 + \\
& 4874240.0(x_{21})^6 + -6684672.0(x_{21})^7 + 5603328.0(x_{21})^8 + -2621440.0(x_{21})^9 + 524288.0(x_{21})^{10})^{(0.003281)} \\
& * (-5.0 + 572.0(x_{21})^1 + -16016.0(x_{21})^2 + 205920.0(x_{21})^3 + -1464320.0(x_{21})^4 + 6336512.0(x_{21})^5 + - \\
& 17547264.0(x_{21})^6 + 31752192.0(x_{21})^7 + -37355520.0(x_{21})^8 + 27525120.0(x_{21})^9 + -11534336.0(x_{21})^{10} + \\
& 2097152.0(x_{21})^{11})^{(-0.002670)} * (7.5 + -728.0(x_{21})^1 + 24024.0(x_{21})^2 + -366080.0(x_{21})^3 + 3111680.0(x_{21})^4 \\
& + -16293888.0(x_{21})^5 + 55566336.0(x_{21})^6 + -127008768.0(x_{21})^7 + 196116480.0(x_{21})^8 + -201850880.0(x_{21})^9 \\
& + 132644864.0(x_{21})^{10} + -50331648.0(x_{21})^{11} + 8388608.0(x_{21})^{12})^{(-0.018017)} * (2.5 + -8.0(x_{22})^1 + \\
& 8.0(x_{22})^2)^{(-0.011227)} * (-1.0 + 20.0(x_{22})^1 + -48.0(x_{22})^2 + 32.0(x_{22})^3)^{(-0.000018)} * (3.5 + -40.0(x_{22})^1 + \\
& 168.0(x_{22})^2 + -256.0(x_{22})^3 + 128.0(x_{22})^4)^{(0.002093)} * (-2.0 + 70.0(x_{22})^1 + -448.0(x_{22})^2 + 1152.0(x_{22})^3 \\
& + -1280.0(x_{22})^4 + 512.0(x_{22})^5)^{(0.009306)} * (4.5 + -112.0(x_{22})^1 + 1008.0(x_{22})^2 + -3840.0(x_{22})^3 + \\
& 7040.0(x_{22})^4 + -6144.0(x_{22})^5 + 2048.0(x_{22})^6)^{(0.000031)} * (-3.0 + 168.0(x_{22})^1 + -2016.0(x_{22})^2 + \\
& 10560.0(x_{22})^3 + -28160.0(x_{22})^4 + 39936.0(x_{22})^5 + -28672.0(x_{22})^6 + 8192.0(x_{22})^7)^{(0.002937)} * (5.5 + - \\
& 240.0(x_{22})^1 + 3696.0(x_{22})^2 + -25344.0(x_{22})^3 + 91520.0(x_{22})^4 + -186368.0(x_{22})^5 + 215040.0(x_{22})^6 + - \\
& 131072.0(x_{22})^7 + 32768.0(x_{22})^8)^{(0.008009)} * (-4.0 + 330.0(x_{22})^1 + -6336.0(x_{22})^2 + 54912.0(x_{22})^3 + - \\
& 256256.0(x_{22})^4 + 698880.0(x_{22})^5 + -1146880.0(x_{22})^6 + 1114112.0(x_{22})^7 + -589824.0(x_{22})^8 + \\
& 131072.0(x_{22})^9)^{(-0.006595)} * (6.5 + -440.0(x_{22})^1 + 10296.0(x_{22})^2 + -109824.0(x_{22})^3 + 640640.0(x_{22})^4 + - \\
& 2236416.0(x_{22})^5 + 4874240.0(x_{22})^6 + -6684672.0(x_{22})^7 + 5603328.0(x_{22})^8 + -2621440.0(x_{22})^9 + \\
& 524288.0(x_{22})^{10})^{(0.006891)} * (-5.0 + 572.0(x_{22})^1 + -16016.0(x_{22})^2 + 205920.0(x_{22})^3 + -1464320.0(x_{22})^4 \\
& + 6336512.0(x_{22})^5 + -17547264.0(x_{22})^6 + 31752192.0(x_{22})^7 + -37355520.0(x_{22})^8 + 27525120.0(x_{22})^9 + - \\
& 11534336.0(x_{22})^{10} + 2097152.0(x_{22})^{11})^{(0.008351)} * (7.5 + -728.0(x_{22})^1 + 24024.0(x_{22})^2 + - \\
& 366080.0(x_{22})^3 + 3111680.0(x_{22})^4 + -16293888.0(x_{22})^5 + 55566336.0(x_{22})^6 + -127008768.0(x_{22})^7 + \\
& 196116480.0(x_{22})^8 + -201850880.0(x_{22})^9 + 132644864.0(x_{22})^{10} + -50331648.0(x_{22})^{11} + \\
& 8388608.0(x_{22})^{12})^{(-0.007634)} * (2.5 + -8.0(x_{31})^1 + 8.0(x_{31})^2)^{(-0.004319)} * (-1.0 + 20.0(x_{31})^1 + - \\
& 48.0(x_{31})^2 + 32.0(x_{31})^3)^{(-0.040347)} * (3.5 + -40.0(x_{31})^1 + 168.0(x_{31})^2 + -256.0(x_{31})^3 + 128.0(x_{31})^4)^{(- \\
& 0.004173)} * (-2.0 + 70.0(x_{31})^1 + -448.0(x_{31})^2 + 1152.0(x_{31})^3 + -1280.0(x_{31})^4 + 512.0(x_{31})^5)^{(0.004397)} * \\
& (4.5 + -112.0(x_{31})^1 + 1008.0(x_{31})^2 + -3840.0(x_{31})^3 + 7040.0(x_{31})^4 + -6144.0(x_{31})^5 + 2048.0(x_{31})^6)^{(- \\
& 0.019325)} * (-3.0 + 168.0(x_{31})^1 + -2016.0(x_{31})^2 + 10560.0(x_{31})^3 + -28160.0(x_{31})^4 + 39936.0(x_{31})^5 + - \\
& 28672.0(x_{31})^6 + 8192.0(x_{31})^7)^{(-0.002689)} * (5.5 + -240.0(x_{31})^1 + 3696.0(x_{31})^2 + -25344.0(x_{31})^3 + \\
& 91520.0(x_{31})^4 + -186368.0(x_{31})^5 + 215040.0(x_{31})^6 + -131072.0(x_{31})^7 + 32768.0(x_{31})^8)^{(0.013630)} * (-4.0 \\
& + 330.0(x_{31})^1 + -6336.0(x_{31})^2 + 54912.0(x_{31})^3 + -256256.0(x_{31})^4 + 698880.0(x_{31})^5 + -1146880.0(x_{31})^6 + \\
& 1114112.0(x_{31})^7 + -589824.0(x_{31})^8 + 131072.0(x_{31})^9)^{(-0.009112)} * (6.5 + -440.0(x_{31})^1 + 10296.0(x_{31})^2 + \\
& -109824.0(x_{31})^3 + 640640.0(x_{31})^4 + -2236416.0(x_{31})^5 + 4874240.0(x_{31})^6 + -6684672.0(x_{31})^7 + \\
& 5603328.0(x_{31})^8 + -2621440.0(x_{31})^9 + 524288.0(x_{31})^{10})^{(0.013178)} * (-5.0 + 572.0(x_{31})^1 + -16016.0(x_{31})^2 \\
& + 205920.0(x_{31})^3 + -1464320.0(x_{31})^4 + 6336512.0(x_{31})^5 + -17547264.0(x_{31})^6 + 31752192.0(x_{31})^7 + -
\end{aligned}$$

$$\begin{aligned}
& 37355520.0(x_{31})^8 + 27525120.0(x_{31})^9 + -11534336.0(x_{31})^{10} + 2097152.0(x_{31})^{11} \wedge (-0.007236) * (2.5 + - \\
& 8.0(x_{32})^1 + 8.0(x_{32})^2 \wedge (0.009273) * (-1.0 + 20.0(x_{32})^1 + -48.0(x_{32})^2 + 32.0(x_{32})^3 \wedge (0.001144) * (3.5 + - \\
& 40.0(x_{32})^1 + 168.0(x_{32})^2 + -256.0(x_{32})^3 + 128.0(x_{32})^4 \wedge (0.001324) * (-2.0 + 70.0(x_{32})^1 + -448.0(x_{32})^2 + \\
& 1152.0(x_{32})^3 + -1280.0(x_{32})^4 + 512.0(x_{32})^5 \wedge (-0.027793) * (4.5 + -112.0(x_{32})^1 + 1008.0(x_{32})^2 + - \\
& 3840.0(x_{32})^3 + 7040.0(x_{32})^4 + -6144.0(x_{32})^5 + 2048.0(x_{32})^6 \wedge (0.003435) * (-3.0 + 168.0(x_{32})^1 + - \\
& 2016.0(x_{32})^2 + 10560.0(x_{32})^3 + -28160.0(x_{32})^4 + 39936.0(x_{32})^5 + -28672.0(x_{32})^6 + 8192.0(x_{32})^7 \wedge (- \\
& 0.015884) * (5.5 + -240.0(x_{32})^1 + 3696.0(x_{32})^2 + -25344.0(x_{32})^3 + 91520.0(x_{32})^4 + -186368.0(x_{32})^5 + \\
& 215040.0(x_{32})^6 + -131072.0(x_{32})^7 + 32768.0(x_{32})^8 \wedge (-0.006873) * (-4.0 + 330.0(x_{32})^1 + -6336.0(x_{32})^2 + \\
& 54912.0(x_{32})^3 + -256256.0(x_{32})^4 + 698880.0(x_{32})^5 + -1146880.0(x_{32})^6 + 1114112.0(x_{32})^7 + - \\
& 589824.0(x_{32})^8 + 131072.0(x_{32})^9 \wedge (-0.005903) * (6.5 + -440.0(x_{32})^1 + 10296.0(x_{32})^2 + -109824.0(x_{32})^3 + \\
& 640640.0(x_{32})^4 + -2236416.0(x_{32})^5 + 4874240.0(x_{32})^6 + -6684672.0(x_{32})^7 + 5603328.0(x_{32})^8 + - \\
& 2621440.0(x_{32})^9 + 524288.0(x_{32})^{10} \wedge (-0.003634) * (-5.0 + 572.0(x_{32})^1 + -16016.0(x_{32})^2 + 205920.0(x_{32})^3 + \\
& -1464320.0(x_{32})^4 + 6336512.0(x_{32})^5 + -17547264.0(x_{32})^6 + 31752192.0(x_{32})^7 + -37355520.0(x_{32})^8 + \\
& 27525120.0(x_{32})^9 + -11534336.0(x_{32})^{10} + 2097152.0(x_{32})^{11} \wedge (0.004719) * (2.5 + -8.0(x_{33})^1 + \\
& 8.0(x_{33})^2 \wedge (0.015436) * (-1.0 + 20.0(x_{33})^1 + -48.0(x_{33})^2 + 32.0(x_{33})^3 \wedge (-0.019832) * (3.5 + -40.0(x_{33})^1 + \\
& 168.0(x_{33})^2 + -256.0(x_{33})^3 + 128.0(x_{33})^4 \wedge (-0.021237) * (-2.0 + 70.0(x_{33})^1 + -448.0(x_{33})^2 + 1152.0(x_{33})^3 + \\
& -1280.0(x_{33})^4 + 512.0(x_{33})^5 \wedge (-0.000878) * (4.5 + -112.0(x_{33})^1 + 1008.0(x_{33})^2 + -3840.0(x_{33})^3 + \\
& 7040.0(x_{33})^4 + -6144.0(x_{33})^5 + 2048.0(x_{33})^6 \wedge (0.012772) * (-3.0 + 168.0(x_{33})^1 + -2016.0(x_{33})^2 + \\
& 10560.0(x_{33})^3 + -28160.0(x_{33})^4 + 39936.0(x_{33})^5 + -28672.0(x_{33})^6 + 8192.0(x_{33})^7 \wedge (0.007983) * (5.5 + - \\
& 240.0(x_{33})^1 + 3696.0(x_{33})^2 + -25344.0(x_{33})^3 + 91520.0(x_{33})^4 + -186368.0(x_{33})^5 + 215040.0(x_{33})^6 + - \\
& 131072.0(x_{33})^7 + 32768.0(x_{33})^8 \wedge (-0.013233) * (-4.0 + 330.0(x_{33})^1 + -6336.0(x_{33})^2 + 54912.0(x_{33})^3 + - \\
& 256256.0(x_{33})^4 + 698880.0(x_{33})^5 + -1146880.0(x_{33})^6 + 1114112.0(x_{33})^7 + -589824.0(x_{33})^8 + \\
& 131072.0(x_{33})^9 \wedge (0.011835) * (6.5 + -440.0(x_{33})^1 + 10296.0(x_{33})^2 + -109824.0(x_{33})^3 + 640640.0(x_{33})^4 + - \\
& 2236416.0(x_{33})^5 + 4874240.0(x_{33})^6 + -6684672.0(x_{33})^7 + 5603328.0(x_{33})^8 + -2621440.0(x_{33})^9 + \\
& 524288.0(x_{33})^{10} \wedge (0.010288) * (-5.0 + 572.0(x_{33})^1 + -16016.0(x_{33})^2 + 205920.0(x_{33})^3 + -1464320.0(x_{33})^4 + \\
& 6336512.0(x_{33})^5 + -17547264.0(x_{33})^6 + 31752192.0(x_{33})^7 + -37355520.0(x_{33})^8 + 27525120.0(x_{33})^9 + - \\
& 11534336.0(x_{33})^{10} + 2097152.0(x_{33})^{11} \wedge (-0.000427) - 1
\end{aligned}$$

F^4 в обычном базисе:

$$\begin{aligned}
& 0.0 * (2.5 + -8.0(x_{11})^1 + 8.0(x_{11})^2 \wedge (0.003889) * (-1.0 + 20.0(x_{11})^1 + -48.0(x_{11})^2 + 32.0(x_{11})^3 \wedge (-0.013542) \\
& * (3.5 + -40.0(x_{11})^1 + 168.0(x_{11})^2 + -256.0(x_{11})^3 + 128.0(x_{11})^4 \wedge (0.021671) * (-2.0 + 70.0(x_{11})^1 + - \\
& 448.0(x_{11})^2 + 1152.0(x_{11})^3 + -1280.0(x_{11})^4 + 512.0(x_{11})^5 \wedge (-0.012933) * (4.5 + -112.0(x_{11})^1 + \\
& 1008.0(x_{11})^2 + -3840.0(x_{11})^3 + 7040.0(x_{11})^4 + -6144.0(x_{11})^5 + 2048.0(x_{11})^6 \wedge (-0.023420) * (-3.0 + \\
& 168.0(x_{11})^1 + -2016.0(x_{11})^2 + 10560.0(x_{11})^3 + -28160.0(x_{11})^4 + 39936.0(x_{11})^5 + -28672.0(x_{11})^6 + \\
& 8192.0(x_{11})^7 \wedge (0.000795) * (5.5 + -240.0(x_{11})^1 + 3696.0(x_{11})^2 + -25344.0(x_{11})^3 + 91520.0(x_{11})^4 + - \\
& 186368.0(x_{11})^5 + 215040.0(x_{11})^6 + -131072.0(x_{11})^7 + 32768.0(x_{11})^8 \wedge (0.004871) * (-4.0 + 330.0(x_{11})^1 + - \\
& 6336.0(x_{11})^2 + 54912.0(x_{11})^3 + -256256.0(x_{11})^4 + 698880.0(x_{11})^5 + -1146880.0(x_{11})^6 + 1114112.0(x_{11})^7 + \\
& -589824.0(x_{11})^8 + 131072.0(x_{11})^9 \wedge (-0.003792) * (6.5 + -440.0(x_{11})^1 + 10296.0(x_{11})^2 + -109824.0(x_{11})^3 + \\
& 640640.0(x_{11})^4 + -2236416.0(x_{11})^5 + 4874240.0(x_{11})^6 + -6684672.0(x_{11})^7 + 5603328.0(x_{11})^8 + - \\
& 2621440.0(x_{11})^9 + 524288.0(x_{11})^{10} \wedge (-0.023946) * (-5.0 + 572.0(x_{11})^1 + -16016.0(x_{11})^2 + 205920.0(x_{11})^3 + \\
& -1464320.0(x_{11})^4 + 6336512.0(x_{11})^5 + -17547264.0(x_{11})^6 + 31752192.0(x_{11})^7 + -37355520.0(x_{11})^8 + \\
& 27525120.0(x_{11})^9 + -11534336.0(x_{11})^{10} + 2097152.0(x_{11})^{11} \wedge (-0.005451) * (2.5 + -8.0(x_{12})^1 + \\
& 8.0(x_{12})^2 \wedge (-0.005752) * (-1.0 + 20.0(x_{12})^1 + -48.0(x_{12})^2 + 32.0(x_{12})^3 \wedge (0.001456) * (3.5 + -40.0(x_{12})^1 + \\
& 168.0(x_{12})^2 + -256.0(x_{12})^3 + 128.0(x_{12})^4 \wedge (-0.004240) * (-2.0 + 70.0(x_{12})^1 + -448.0(x_{12})^2 + 1152.0(x_{12})^3 + \\
& -1280.0(x_{12})^4 + 512.0(x_{12})^5 \wedge (-0.011167) * (4.5 + -112.0(x_{12})^1 + 1008.0(x_{12})^2 + -3840.0(x_{12})^3 + \\
& 7040.0(x_{12})^4 + -6144.0(x_{12})^5 + 2048.0(x_{12})^6 \wedge (0.014210) * (-3.0 + 168.0(x_{12})^1 + -2016.0(x_{12})^2 + \\
& 10560.0(x_{12})^3 + -28160.0(x_{12})^4 + 39936.0(x_{12})^5 + -28672.0(x_{12})^6 + 8192.0(x_{12})^7 \wedge (-0.010401) * (5.5 + - \\
& 240.0(x_{12})^1 + 3696.0(x_{12})^2 + -25344.0(x_{12})^3 + 91520.0(x_{12})^4 + -186368.0(x_{12})^5 + 215040.0(x_{12})^6 + - \\
& 131072.0(x_{12})^7 + 32768.0(x_{12})^8 \wedge (-0.010404) * (-4.0 + 330.0(x_{12})^1 + -6336.0(x_{12})^2 + 54912.0(x_{12})^3 + - \\
& 256256.0(x_{12})^4 + 698880.0(x_{12})^5 + -1146880.0(x_{12})^6 + 1114112.0(x_{12})^7 + -589824.0(x_{12})^8 + \\
& 131072.0(x_{12})^9 \wedge (-0.014514) * (6.5 + -440.0(x_{12})^1 + 10296.0(x_{12})^2 + -109824.0(x_{12})^3 + 640640.0(x_{12})^4 + - \\
& 2236416.0(x_{12})^5 + 4874240.0(x_{12})^6 + -6684672.0(x_{12})^7 + 5603328.0(x_{12})^8 + -2621440.0(x_{12})^9 + \\
& 524288.0(x_{12})^{10} \wedge (0.002819) * (-5.0 + 572.0(x_{12})^1 + -16016.0(x_{12})^2 + 205920.0(x_{12})^3 + -1464320.0(x_{12})^4 + \\
& 6336512.0(x_{12})^5 + -17547264.0(x_{12})^6 + 31752192.0(x_{12})^7 + -37355520.0(x_{12})^8 + 27525120.0(x_{12})^9 + - \\
& 11534336.0(x_{12})^{10} + 2097152.0(x_{12})^{11} \wedge (-0.011389) * (2.5 + -8.0(x_{21})^1 + 8.0(x_{21})^2 \wedge (0.013954) * (-1.0 + \\
& 20.0(x_{21})^1 + -48.0(x_{21})^2 + 32.0(x_{21})^3 \wedge (-0.013149) * (3.5 + -40.0(x_{21})^1 + 168.0(x_{21})^2 + -256.0(x_{21})^3 + \\
& 128.0(x_{21})^4 \wedge (-0.025380) * (-2.0 + 70.0(x_{21})^1 + -448.0(x_{21})^2 + 1152.0(x_{21})^3 + -1280.0(x_{21})^4 + \\
& 512.0(x_{21})^5 \wedge (0.000392) * (4.5 + -112.0(x_{21})^1 + 1008.0(x_{21})^2 + -3840.0(x_{21})^3 + 7040.0(x_{21})^4 + - \\
& 6144.0(x_{21})^5 + 2048.0(x_{21})^6 \wedge (0.007501) * (-3.0 + 168.0(x_{21})^1 + -2016.0(x_{21})^2 + 10560.0(x_{21})^3 + - \\
& 28160.0(x_{21})^4 + 39936.0(x_{21})^5 + -28672.0(x_{21})^6 + 8192.0(x_{21})^7 \wedge (0.015251) * (5.5 + -240.0(x_{21})^1 + \\
& 3696.0(x_{21})^2 + -25344.0(x_{21})^3 + 91520.0(x_{21})^4 + -186368.0(x_{21})^5 + 215040.0(x_{21})^6 + -131072.0(x_{21})^7 + \\
& 32768.0(x_{21})^8 \wedge (0.012659) * (-4.0 + 330.0(x_{21})^1 + -6336.0(x_{21})^2 + 54912.0(x_{21})^3 + -256256.0(x_{21})^4 + \\
& 698880.0(x_{21})^5 + -1146880.0(x_{21})^6 + 1114112.0(x_{21})^7 + -589824.0(x_{21})^8 + 131072.0(x_{21})^9 \wedge (-0.003376) *
\end{aligned}$$

$$\begin{aligned}
& (6.5 + -440.0(x_{21})^1 + 10296.0(x_{21})^2 + -109824.0(x_{21})^3 + 640640.0(x_{21})^4 + -2236416.0(x_{21})^5 + \\
& 4874240.0(x_{21})^6 + -6684672.0(x_{21})^7 + 5603328.0(x_{21})^8 + -2621440.0(x_{21})^9 + 524288.0(x_{21})^{10})^{(0.010106)} \\
& * (-5.0 + 572.0(x_{21})^1 + -16016.0(x_{21})^2 + 205920.0(x_{21})^3 + -1464320.0(x_{21})^4 + 6336512.0(x_{21})^5 + - \\
& 17547264.0(x_{21})^6 + 31752192.0(x_{21})^7 + -37355520.0(x_{21})^8 + 27525120.0(x_{21})^9 + -11534336.0(x_{21})^{10} + \\
& 2097152.0(x_{21})^{11})^{(-0.006605)} * (7.5 + -728.0(x_{21})^1 + 24024.0(x_{21})^2 + -366080.0(x_{21})^3 + 3111680.0(x_{21})^4 \\
& + -16293888.0(x_{21})^5 + 55566336.0(x_{21})^6 + -127008768.0(x_{21})^7 + 196116480.0(x_{21})^8 + -201850880.0(x_{21})^9 \\
& + 132644864.0(x_{21})^{10} + -50331648.0(x_{21})^{11} + 8388608.0(x_{21})^{12})^{(-0.015968)} * (2.5 + -8.0(x_{22})^1 + \\
& 8.0(x_{22})^2)^{(-0.002173)} * (-1.0 + 20.0(x_{22})^1 + -48.0(x_{22})^2 + 32.0(x_{22})^3)^{(0.000883)} * (3.5 + -40.0(x_{22})^1 + \\
& 168.0(x_{22})^2 + -256.0(x_{22})^3 + 128.0(x_{22})^4)^{(0.000197)} * (-2.0 + 70.0(x_{22})^1 + -448.0(x_{22})^2 + 1152.0(x_{22})^3 \\
& + -1280.0(x_{22})^4 + 512.0(x_{22})^5)^{(0.001683)} * (4.5 + -112.0(x_{22})^1 + 1008.0(x_{22})^2 + -3840.0(x_{22})^3 + \\
& 7040.0(x_{22})^4 + -6144.0(x_{22})^5 + 2048.0(x_{22})^6)^{(0.001342)} * (-3.0 + 168.0(x_{22})^1 + -2016.0(x_{22})^2 + \\
& 10560.0(x_{22})^3 + -28160.0(x_{22})^4 + 39936.0(x_{22})^5 + -28672.0(x_{22})^6 + 8192.0(x_{22})^7)^{(0.000657)} * (5.5 + - \\
& 240.0(x_{22})^1 + 3696.0(x_{22})^2 + -25344.0(x_{22})^3 + 91520.0(x_{22})^4 + -186368.0(x_{22})^5 + 215040.0(x_{22})^6 + - \\
& 131072.0(x_{22})^7 + 32768.0(x_{22})^8)^{(0.000424)} * (-4.0 + 330.0(x_{22})^1 + -6336.0(x_{22})^2 + 54912.0(x_{22})^3 + - \\
& 256256.0(x_{22})^4 + 698880.0(x_{22})^5 + -1146880.0(x_{22})^6 + 1114112.0(x_{22})^7 + -589824.0(x_{22})^8 + \\
& 131072.0(x_{22})^9)^{(-0.001416)} * (6.5 + -440.0(x_{22})^1 + 10296.0(x_{22})^2 + -109824.0(x_{22})^3 + 640640.0(x_{22})^4 + - \\
& 2236416.0(x_{22})^5 + 4874240.0(x_{22})^6 + -6684672.0(x_{22})^7 + 5603328.0(x_{22})^8 + -2621440.0(x_{22})^9 + \\
& 524288.0(x_{22})^{10})^{(0.000530)} * (-5.0 + 572.0(x_{22})^1 + -16016.0(x_{22})^2 + 205920.0(x_{22})^3 + -1464320.0(x_{22})^4 \\
& + 6336512.0(x_{22})^5 + -17547264.0(x_{22})^6 + 31752192.0(x_{22})^7 + -37355520.0(x_{22})^8 + 27525120.0(x_{22})^9 + - \\
& 11534336.0(x_{22})^{10} + 2097152.0(x_{22})^{11})^{(0.000938)} * (7.5 + -728.0(x_{22})^1 + 24024.0(x_{22})^2 + - \\
& 366080.0(x_{22})^3 + 3111680.0(x_{22})^4 + -16293888.0(x_{22})^5 + 55566336.0(x_{22})^6 + -127008768.0(x_{22})^7 + \\
& 196116480.0(x_{22})^8 + -201850880.0(x_{22})^9 + 132644864.0(x_{22})^{10} + -50331648.0(x_{22})^{11} + \\
& 8388608.0(x_{22})^{12})^{(-0.000859)} * (2.5 + -8.0(x_{31})^1 + 8.0(x_{31})^2)^{(-0.002688)} * (-1.0 + 20.0(x_{31})^1 + - \\
& 48.0(x_{31})^2 + 32.0(x_{31})^3)^{(-0.040007)} * (3.5 + -40.0(x_{31})^1 + 168.0(x_{31})^2 + -256.0(x_{31})^3 + 128.0(x_{31})^4)^{(- \\
& 0.002900)} * (-2.0 + 70.0(x_{31})^1 + -448.0(x_{31})^2 + 1152.0(x_{31})^3 + -1280.0(x_{31})^4 + 512.0(x_{31})^5)^{(0.003418)} * \\
& (4.5 + -112.0(x_{31})^1 + 1008.0(x_{31})^2 + -3840.0(x_{31})^3 + 7040.0(x_{31})^4 + -6144.0(x_{31})^5 + 2048.0(x_{31})^6)^{(- \\
& 0.031062)} * (-3.0 + 168.0(x_{31})^1 + -2016.0(x_{31})^2 + 10560.0(x_{31})^3 + -28160.0(x_{31})^4 + 39936.0(x_{31})^5 + - \\
& 28672.0(x_{31})^6 + 8192.0(x_{31})^7)^{(-0.006759)} * (5.5 + -240.0(x_{31})^1 + 3696.0(x_{31})^2 + -25344.0(x_{31})^3 + \\
& 91520.0(x_{31})^4 + -186368.0(x_{31})^5 + 215040.0(x_{31})^6 + -131072.0(x_{31})^7 + 32768.0(x_{31})^8)^{(0.029348)} * (-4.0 \\
& + 330.0(x_{31})^1 + -6336.0(x_{31})^2 + 54912.0(x_{31})^3 + -256256.0(x_{31})^4 + 698880.0(x_{31})^5 + -1146880.0(x_{31})^6 + \\
& 1114112.0(x_{31})^7 + -589824.0(x_{31})^8 + 131072.0(x_{31})^9)^{(-0.020690)} * (6.5 + -440.0(x_{31})^1 + 10296.0(x_{31})^2 + \\
& -109824.0(x_{31})^3 + 640640.0(x_{31})^4 + -2236416.0(x_{31})^5 + 4874240.0(x_{31})^6 + -6684672.0(x_{31})^7 + \\
& 5603328.0(x_{31})^8 + -2621440.0(x_{31})^9 + 524288.0(x_{31})^{10})^{(0.021362)} * (-5.0 + 572.0(x_{31})^1 + -16016.0(x_{31})^2 \\
& + 205920.0(x_{31})^3 + -1464320.0(x_{31})^4 + 6336512.0(x_{31})^5 + -17547264.0(x_{31})^6 + 31752192.0(x_{31})^7 + - \\
& 37355520.0(x_{31})^8 + 27525120.0(x_{31})^9 + -11534336.0(x_{31})^{10} + 2097152.0(x_{31})^{11})^{(-0.015115)} * (2.5 + - \\
& 8.0(x_{32})^1 + 8.0(x_{32})^2)^{(0.013925)} * (-1.0 + 20.0(x_{32})^1 + -48.0(x_{32})^2 + 32.0(x_{32})^3)^{(-0.008829)} * (3.5 + - \\
& 40.0(x_{32})^1 + 168.0(x_{32})^2 + -256.0(x_{32})^3 + 128.0(x_{32})^4)^{(-0.011602)} * (-2.0 + 70.0(x_{32})^1 + -448.0(x_{32})^2 + \\
& 1152.0(x_{32})^3 + -1280.0(x_{32})^4 + 512.0(x_{32})^5)^{(-0.056700)} * (4.5 + -112.0(x_{32})^1 + 1008.0(x_{32})^2 + - \\
& 3840.0(x_{32})^3 + 7040.0(x_{32})^4 + -6144.0(x_{32})^5 + 2048.0(x_{32})^6)^{(0.007376)} * (-3.0 + 168.0(x_{32})^1 + - \\
& 2016.0(x_{32})^2 + 10560.0(x_{32})^3 + -28160.0(x_{32})^4 + 39936.0(x_{32})^5 + -28672.0(x_{32})^6 + 8192.0(x_{32})^7)^{(- \\
& 0.010827)} * (5.5 + -240.0(x_{32})^1 + 3696.0(x_{32})^2 + -25344.0(x_{32})^3 + 91520.0(x_{32})^4 + -186368.0(x_{32})^5 + \\
& 215040.0(x_{32})^6 + -131072.0(x_{32})^7 + 32768.0(x_{32})^8)^{(-0.009138)} * (-4.0 + 330.0(x_{32})^1 + -6336.0(x_{32})^2 + \\
& 54912.0(x_{32})^3 + -256256.0(x_{32})^4 + 698880.0(x_{32})^5 + -1146880.0(x_{32})^6 + 1114112.0(x_{32})^7 + - \\
& 589824.0(x_{32})^8 + 131072.0(x_{32})^9)^{(-0.005192)} * (6.5 + -440.0(x_{32})^1 + 10296.0(x_{32})^2 + -109824.0(x_{32})^3 + \\
& 640640.0(x_{32})^4 + -2236416.0(x_{32})^5 + 4874240.0(x_{32})^6 + -6684672.0(x_{32})^7 + 5603328.0(x_{32})^8 + - \\
& 2621440.0(x_{32})^9 + 524288.0(x_{32})^{10})^{(-0.012654)} * (-5.0 + 572.0(x_{32})^1 + -16016.0(x_{32})^2 + 205920.0(x_{32})^3 \\
& + -1464320.0(x_{32})^4 + 6336512.0(x_{32})^5 + -17547264.0(x_{32})^6 + 31752192.0(x_{32})^7 + -37355520.0(x_{32})^8 + \\
& 27525120.0(x_{32})^9 + -11534336.0(x_{32})^{10} + 2097152.0(x_{32})^{11})^{(0.010475)} * (2.5 + -8.0(x_{33})^1 + \\
& 8.0(x_{33})^2)^{(0.014373)} * (-1.0 + 20.0(x_{33})^1 + -48.0(x_{33})^2 + 32.0(x_{33})^3)^{(-0.033998)} * (3.5 + -40.0(x_{33})^1 + \\
& 168.0(x_{33})^2 + -256.0(x_{33})^3 + 128.0(x_{33})^4)^{(-0.027201)} * (-2.0 + 70.0(x_{33})^1 + -448.0(x_{33})^2 + 1152.0(x_{33})^3 \\
& + -1280.0(x_{33})^4 + 512.0(x_{33})^5)^{(-0.000779)} * (4.5 + -112.0(x_{33})^1 + 1008.0(x_{33})^2 + -3840.0(x_{33})^3 + \\
& 7040.0(x_{33})^4 + -6144.0(x_{33})^5 + 2048.0(x_{33})^6)^{(0.014094)} * (-3.0 + 168.0(x_{33})^1 + -2016.0(x_{33})^2 + \\
& 10560.0(x_{33})^3 + -28160.0(x_{33})^4 + 39936.0(x_{33})^5 + -28672.0(x_{33})^6 + 8192.0(x_{33})^7)^{(0.011597)} * (5.5 + - \\
& 240.0(x_{33})^1 + 3696.0(x_{33})^2 + -25344.0(x_{33})^3 + 91520.0(x_{33})^4 + -186368.0(x_{33})^5 + 215040.0(x_{33})^6 + - \\
& 131072.0(x_{33})^7 + 32768.0(x_{33})^8)^{(-0.010502)} * (-4.0 + 330.0(x_{33})^1 + -6336.0(x_{33})^2 + 54912.0(x_{33})^3 + - \\
& 256256.0(x_{33})^4 + 698880.0(x_{33})^5 + -1146880.0(x_{33})^6 + 1114112.0(x_{33})^7 + -589824.0(x_{33})^8 + \\
& 131072.0(x_{33})^9)^{(0.024870)} * (6.5 + -440.0(x_{33})^1 + 10296.0(x_{33})^2 + -109824.0(x_{33})^3 + 640640.0(x_{33})^4 + - \\
& 2236416.0(x_{33})^5 + 4874240.0(x_{33})^6 + -6684672.0(x_{33})^7 + 5603328.0(x_{33})^8 + -2621440.0(x_{33})^9 + \\
& 524288.0(x_{33})^{10})^{(0.015829)} * (-5.0 + 572.0(x_{33})^1 + -16016.0(x_{33})^2 + 205920.0(x_{33})^3 + -1464320.0(x_{33})^4 \\
& + 6336512.0(x_{33})^5 + -17547264.0(x_{33})^6 + 31752192.0(x_{33})^7 + -37355520.0(x_{33})^8 + 27525120.0(x_{33})^9 + - \\
& 11534336.0(x_{33})^{10} + 2097152.0(x_{33})^{11})^{(-0.000688)} - 1
\end{aligned}$$

F<sup>1</sup> в стандартном базисе денормированный:

0.0 \* (476.581632653 + -176.3265306122448(x11)^1 + 16.326530612244888(x11)^2)^(-0.006995) \* (-  
14658.6618076 + 8155.685131195329(x11)^1 + -1511.3702623906693(x11)^2 +  
93.29446064139933(x11)^3)^(0.017848) \* (451880.697001 + -335254.31070387305(x11)^1 +  
93224.15660141598(x11)^2 + -11515.201999167(x11)^3 + 533.1112036651389(x11)^4)^(0.012328) \* (-  
13929055.7028 + 12919004.170881167(x11)^1 + -4790858.666032005(x11)^2 + 887942.4049503171(x11)^3 + -  
82251.44285119284(x11)^4 + 3046.349735229364(x11)^5)^(0.017748) \* (429359013.847 + -  
477902912.69249994(x11)^1 + 221561867.08599275(x11)^2 + -54764185.670936346(x11)^3 + -  
7611468.01077781(x11)^4 + -564009.8938367508(x11)^5 + 17407.712772739218(x11)^6)^(0.007180) \* (-  
13234863338.7 + 17187279518.035484(x11)^1 + -9562849112.516026(x11)^2 + 2955046170.2181864(x11)^3 + -  
547724108.1522145(x11)^4 + 60894790.43595769(x11)^5 + -3760065.9589116704(x11)^6 +  
99472.64441565264(x11)^7)^(0.012904) \* (407960709756.0 + -605500227013.5854(x11)^1 +  
393073665136.4685(x11)^2 + -145774369709.72467(x11)^3 + 33779567699.075752(x11)^4 + -  
5008327284.428368(x11)^5 + 463977715.79625976(x11)^6 + -24555532.79289253(x11)^7 +  
568415.1109465864(x11)^8)^(0.014308) \* (-1.25752670377e+13 + 20998023781216.914(x11)^1 + -  
15579568686604.707(x11)^2 + 6741360734223.96(x11)^3 + -1874789620376.0398(x11)^4 +  
347507876838.07214(x11)^5 + -42932279646.773476(x11)^6 + 3408915343.8006086(x11)^7 + -  
157856996.52573764(x11)^8 + 3248086.3482662067(x11)^9)^(0.006242) \* (3.87628850739e+14 + -  
719192188094420.5(x11)^1 + 600336610271334.0(x11)^2 + -296899463638370.75(x11)^3 +  
96338932913755.62(x11)^4 + -21431175417296.31(x11)^5 + 3310062804745.054(x11)^6 + -  
350492144486.04565(x11)^7 + 24349963727.97243(x11)^8 + -1002266644.607858(x11)^9 +  
18560493.418664034(x11)^10)^(0.020832) \* (-1.19485435558e+16 + 2.438624007021029e+16(x11)^1 + -  
2.2618762623082668e+16(x11)^2 + 1.2585222718800264e+16(x11)^3 + -4667437789651914.0(x11)^4 +  
1211465521649765.5(x11)^5 + -224560008079893.75(x11)^6 + 29726421855911.625(x11)^7 + -  
2754024706529.741(x11)^8 + 170066486821.39374(x11)^9 + -6299961766.106533(x11)^10 +  
106059962.39236589(x11)^11)^(0.002719) \* (4.24668537744 + -0.6854215188540387(x12)^1 + -  
0.031347885609606156(x12)^2)^(0.018980) \* (-6.51878256997 + 2.5640203148188214(x12)^1 + -  
0.25743531224564825(x12)^2 + 0.007849235833391211(x12)^3)^(0.005656) \* (18.3352465027 + -  
8.215970571719183(x12)^1 + 1.3153643186957134(x12)^2 + -0.08594606146959564(x12)^3 +  
0.0019653798643859055(x12)^4)^(0.000914) \* (-38.9347591867 + 24.266989332253758(x12)^1 + -  
5.400452884526826(x12)^2 + 0.5567753990866884(x12)^3 + -0.026900175733832753(x12)^4 +  
0.0004921138940559386(x12)^5)^(0.019624) \* (92.9822507889 + -68.21185291786222(x12)^1 +  
19.5440886997314(x12)^2 + -2.790398210215424(x12)^3 + 0.21108290064811858(x12)^4 + -  
0.00808268191063519(x12)^5 + 0.00012322100633638524(x12)^6)^(0.017633) \* (-210.857655649 +  
185.48783578533926(x12)^1 + -65.17922852459385(x12)^2 + 11.975335307119636(x12)^3 + -  
1.2496098766107004(x12)^4 + 0.07448674573314601(x12)^5 + -0.0023611381689909797(x12)^6 +  
3.085346011552681e-05(x12)^7)^(0.014502) \* (488.957359948 + -492.5902554695055(x12)^1 +  
205.3222027883341(x12)^2 + -46.311218508327116(x12)^3 + 6.2081209261227395(x12)^4 + -  
0.5087088609596794(x12)^5 + 0.024990992143119607(x12)^6 + -0.0006756666345424665(x12)^7 +  
7.725436022667119e-06(x12)^8)^(0.009274) \* (-1122.87789055 + 1285.1100553867395(x12)^1 + -  
620.2105022930507(x12)^2 + 166.20797589929543(x12)^3 + -27.34043720524569(x12)^4 +  
2.8725130786335358(x12)^5 + -0.1934254990928142(x12)^6 + 0.00807624328486228(x12)^7 + -  
0.00019032862944858207(x12)^8 + 1.934381476724161e-06(x12)^9)^(0.005705) \* (2589.54843997 + -  
3306.6820001964347(x12)^1 + 1814.2236805808093(x12)^2 + -563.9621333069088(x12)^3 +  
110.25067234978187(x12)^4 + -14.200320606935612(x12)^5 + 1.223744493920286(x12)^6 + -  
0.06986430927896514(x12)^7 + 0.0025355011120358996(x12)^8 + -5.2951800924661996e-05(x12)^9 +  
4.843521694457992e-07(x12)^10)^(0.000042) \* (-5961.02028035 + 8414.75834076277(x12)^1 + -  
5174.0135698562135(x12)^2 + 1831.8489137303977(x12)^3 + -415.6711706247132(x12)^4 +  
63.60527781591554(x12)^5 + -6.7120911924174536(x12)^6 + 0.48958536675897424(x12)^7 + -  
0.024243768443802775(x12)^8 + 0.0007778832524875366(x12)^9 + -1.4584533588013319e-05(x12)^10 +  
1.2127753851538006e-07(x12)^11)^(0.000721) \* (3.75880824757 + -0.7333464410844193(x21)^1 +  
0.041257183745958895(x21)^2)^(0.007907) \* (-4.76665229451 + 2.521055581387911(x21)^1 + -  
0.3159841038783853(x21)^2 + 0.01185125565413541(x21)^3)^(0.012860) \* (12.9632376461 + -  
7.359302398871534(x21)^1 + 1.4896194567156746(x21)^2 + -0.12102323547705963(x21)^3 +  
0.0034043104212956297(x21)^4)^(0.004345) \* (-23.7750423784 + 19.70344358302433(x21)^1 + -  
5.600940943283436(x21)^2 + 0.7250143707783362(x21)^3 + -0.043455380781709026(x21)^4 +  
0.0009778988642859979(x21)^5)^(0.000550) \* (52.2865114779 + -50.05955497205151(x21)^1 +  
18.46924767907057(x21)^2 + -3.338799001815838(x21)^3 + 0.3157982942396093(x21)^4 + -  
0.0149792335908225(x21)^5 + 0.0002809045211593531(x21)^6)^(0.009038) \* (-105.157487822 +  
122.82892447212576(x21)^1 + -55.93011649866736(x21)^2 + 13.104163024613786(x21)^3 + -  
1.7218462614072647(x21)^4 + 0.12797757195166926(x21)^5 + -0.0050199705630524245(x21)^6 +  
8.069070625762388e-05(x21)^7)^(0.009289) \* (220.729552584 + -294.01213021800686(x21)^1 +  
159.60122552855086(x21)^2 + -46.18173683442759(x21)^3 + 7.844222294017729(x21)^4 + -  
0.8063484309341974(x21)^5 + 0.04929685069055991(x21)^6 + -0.0016480026470138765(x21)^7 +

$$\begin{aligned}
& 2.3178658889084058e-05(x_{21})^8)^{(0.000587)} * (-453.803775688 + 690.8909634695492(x_{21})^1 + - \\
& 435.9817031359473(x_{21})^2 + 150.64202344419084(x_{21})^3 + -31.570006513461003(x_{21})^4 + - \\
& 4.183877070474302(x_{21})^5 + -0.3524591508578593(x_{21})^6 + 0.018287273161863238(x_{21})^7 + - \\
& 0.0005325681803635508(x_{21})^8 + 6.6581425893239664e-06(x_{21})^9)^{(-0.009070)} * (942.367339747 + - \\
& 1600.4502650491247(x_{21})^1 + 1151.9042251257488(x_{21})^2 + -463.63878352354516(x_{21})^3 + - \\
& 116.02520860941505(x_{21})^4 + -18.943515548182887(x_{21})^5 + 2.05234990657293(x_{21})^6 + - \\
& 0.1462837147200005(x_{21})^7 + 0.00658952449797822(x_{21})^8 + -0.0001699798700541953(x_{21})^9 + - \\
& 1.9125723775436886e-06(x_{21})^{10})^{(-0.003532)} * (-1947.47155128 + 3665.408949024765(x_{21})^1 + - \\
& 2964.520721525947(x_{21})^2 + 1363.8984185497075(x_{21})^3 + -397.81967392882893(x_{21})^4 + - \\
& 77.50680962076893(x_{21})^5 + -10.328697141522696(x_{21})^6 + 0.944713494133486(x_{21})^7 + - \\
& 0.05831069607695262(x_{21})^8 + 0.002320155672300407(x_{21})^9 + -5.370997689324664e-05(x_{21})^{10} + - \\
& 5.493924244290668e-07(x_{21})^{11})^{(0.002461)} * (4034.00706944 + -8316.9051635283(x_{21})^1 + - \\
& 7469.305645347966(x_{21})^2 + -3869.9103486521017(x_{21})^3 + 1291.3775262105992(x_{21})^4 + - \\
& 293.2033984721871(x_{21})^5 + 46.58049906033605(x_{21})^6 + -5.23248492316411(x_{21})^7 + - \\
& 0.41364740347829543(x_{21})^8 + -0.02250322073734903(x_{21})^9 + 0.0008016789800645783(x_{21})^{10} + - \\
& 1.6830937756656368e-05(x_{21})^{11} + 1.5781470001553086e-07(x_{21})^{12})^{(-0.009901)} * (350.479414964 + - \\
& 94.4040501622978(x_{22})^1 + 6.366177770739619(x_{22})^2)^{(-0.007983)} * (-9231.8559224 + - \\
& 3742.8661726763107(x_{22})^1 + -505.28483583745503(x_{22})^2 + 22.71606697855351(x_{22})^3)^{(-0.001750)} * \\
& (243922.743552 + -131874.6848337129(x_{22})^1 + 26717.275527824706(x_{22})^2 + -2403.971862444033(x_{22})^3 + - \\
& 81.05643881731854(x_{22})^4)^{(0.008793)} * (-6444139.08813 + 4355602.697616832(x_{22})^1 + - \\
& 1176907.4689010736(x_{22})^2 + 158912.25236091085(x_{22})^3 + -10722.443632667413(x_{22})^4 + - \\
& 289.22904127499936(x_{22})^5)^{(-0.000325)} * (170246986.245 + -138097407.34765923(x_{22})^1 + - \\
& 46652259.08766163(x_{22})^2 + -8401386.800772876(x_{22})^3 + 850637.2688968596(x_{22})^4 + - \\
& 45912.33669652417(x_{22})^5 + 1032.0393979482585(x_{22})^6)^{(-0.001624)} * (-4497735241.95 + - \\
& 4256733467.8599358(x_{22})^1 + -1725854608.5101414(x_{22})^2 + 388580932.60755754(x_{22})^3 + - \\
& 52472549.031866506(x_{22})^4 + 4249681.47330748(x_{22})^5 + -191130.7504464284(x_{22})^6 + - \\
& 3682.5669864344654(x_{22})^7)^{(-0.002416)} * (118825142699.0 + -128530182843.83707(x_{22})^1 + - \\
& 60802883736.12512(x_{22})^2 + -16430449401.170246(x_{22})^3 + 2773952743.2996383(x_{22})^4 + - \\
& 299621571.3946321(x_{22})^5 + 20219558.228193577(x_{22})^6 + -779429.5927470003(x_{22})^7 + - \\
& 13140.292547491406(x_{22})^8)^{(0.006722)} * (-3.13922758335e+12 + 3820229201925.5107(x_{22})^1 + - \\
& 2065546810174.1377(x_{22})^2 + 651266908170.3434(x_{22})^3 + -131965090399.64049(x_{22})^4 + - \\
& 17820895311.943783(x_{22})^5 + -1603874831.3461585(x_{22})^6 + 92765769.50657724(x_{22})^7 + - \\
& 3128843.1466204305(x_{22})^8 + 46887.752176597365(x_{22})^9)^{(-0.011593)} * (8.29348873168e+13 + - \\
& 112143787394431.69(x_{22})^1 + 68218326557697.1(x_{22})^2 + -24584337796105.168(x_{22})^3 + - \\
& 5812469832942.619(x_{22})^4 + -942066546814.1462(x_{22})^5 + 106002350464.82227(x_{22})^6 + - \\
& 8176514519.92617(x_{22})^7 + 413776608.20770043(x_{22})^8 + -12404968.36800647(x_{22})^9 + - \\
& 167306.87663371055(x_{22})^{10})^{(0.003316)} * (-2.19104711322e+15 + 3259070043600384.5(x_{22})^1 + - \\
& 2202924889073775.8(x_{22})^2 + 893189586426063.0(x_{22})^3 + -241369891724794.75(x_{22})^4 + - \\
& 45646486845262.93(x_{22})^5 + -6164394249470.424(x_{22})^6 + 594473219503.6956(x_{22})^7 + - \\
& 40119837014.06004(x_{22})^8 + 1804603410.8108366(x_{22})^9 + -48690330.79324575(x_{22})^{10} + - \\
& 596991.5312532047(x_{22})^{11})^{(0.000615)} * (5.78850180868e+16 + -9.393039662829485e+16(x_{22})^1 + - \\
& 6.984313451425552e+16(x_{22})^2 + -3.1466866429839308e+16(x_{22})^3 + 9567163974839866.0(x_{22})^4 + - \\
& 2067981282031230.2(x_{22})^5 + 325861483851003.25(x_{22})^6 + -37715698366766.71(x_{22})^7 + - \\
& 3182250812310.415(x_{22})^8 + -190888822519.6499(x_{22})^9 + 7727282714.452031(x_{22})^{10} + - \\
& 189533361.29071423(x_{22})^{11} + 2130210.637834808(x_{22})^{12})^{(-0.011607)} * (163.476293492 + - \\
& 72.42666555194403(x_{31})^1 + 8.046602623287008(x_{31})^2)^{(0.013032)} * (-2923.34544196 + - \\
& 1957.3919585793597(x_{31})^1 + -435.82388257112063(x_{31})^2 + 32.28002255856789(x_{31})^3)^{(-0.014116)} * \\
& (52635.1156001 + -46998.03800979724(x_{31})^1 + 15712.725841049603(x_{31})^2 + -2331.1543881048146(x_{31})^3 + - \\
& 129.49562755417872(x_{31})^4)^{(-0.006864)} * (-947339.244077 + 1057701.361471378(x_{31})^1 + - \\
& 471783.11111351347(x_{31})^2 + 105088.44851819333(x_{31})^3 + -11689.671989293027(x_{31})^4 + - \\
& 519.4890283990724(x_{31})^5)^{(-0.011536)} * (17050796.4359 + -22849290.5441211(x_{31})^1 + - \\
& 12745044.12455386(x_{31})^2 + -3787573.245360032(x_{31})^3 + 632494.0439267821(x_{31})^4 + - \\
& 56273.61904383367(x_{31})^5 + 2083.9997127633037(x_{31})^6)^{(-0.015559)} * (-306890397.477 + - \\
& 479868524.95569324(x_{31})^1 + -321292230.0248589(x_{31})^2 + 119404802.78258969(x_{31})^3 + - \\
& 26601813.749333825(x_{31})^4 + 3552787.7128675138(x_{31})^5 + -263374.00682434783(x_{31})^6 + - \\
& 8360.24355736959(x_{31})^7)^{(-0.006522)} * (5523596658.47 + -9871904301.326036(x_{31})^1 + - \\
& 7712972101.88315(x_{31})^2 + -3440872239.041332(x_{31})^3 + 958649164.6494007(x_{31})^4 + - \\
& 170803047.25833434(x_{31})^5 + 19005394.736141823(x_{31})^6 + -1207497.201653242(x_{31})^7 + - \\
& 33538.23511130114(x_{31})^8)^{(0.014408)} * (-99416991165.6 + 199907688873.00256(x_{31})^1 + - \\
& 178532381813.6862(x_{31})^2 + 92944262111.57593(x_{31})^3 + -31084519927.65165(x_{31})^4 + - \\
& 6925901584.699818(x_{31})^5 + -1028062274.3678777(x_{31})^6 + 98034666.60358801(x_{31})^7 + - \\
& 5449541.0765616195(x_{31})^8 + 134543.1154800969(x_{31})^9)^{(-0.003297)} * (1.78936637585e+12 + - \\
& 3998117463084.3667(x_{31})^1 + 4017495117784.414(x_{31})^2 + -2390795959507.938(x_{31})^3 + -
\end{aligned}$$



933104493228.1934(x31)^4 + -249570220779.89624(x31)^5 + 46325972831.635284(x31)^6 + -  
 5892935074.993697(x31)^7 + 491632508.2661415(x31)^8 + -24290625.376086753(x31)^9 + +  
 539737.7012540244(x31)^10^(0.014379) \* (-3.22060845881e+13 + 79161015438528.81(x31)^1 + -  
 88392938346968.73(x31)^2 + 59187580434516.3(x31)^3 + -26406328281423.312(x31)^4 + +  
 8242127526705.653(x31)^5 + -1836532644615.7307(x31)^6 + 292136776244.6016(x31)^7 + -  
 32510858138.474358(x31)^8 + 2410661779.178979(x31)^9 + -107189601.49912919(x31)^10 + +  
 2165229.971934709(x31)^11^(-0.017931) \* (371.594459057 + -199.21860639218733(x32)^1 +  
 26.737163654836575(x32)^2)^(0.016064) \* (-10081.5367987 + 8133.699284615288(x32)^1 + -  
 2185.2132328210673(x32)^2 + 195.5185642035581(x32)^3)^(0.000473) \* (274310.411709 + -  
 295118.02807365346(x32)^1 + 118983.94790757126(x32)^2 + -21306.161928785536(x32)^3 +  
 1429.7518406110278(x32)^4)^(0.031921) \* (-7462967.38327 + 10037728.277292417(x32)^1 + -  
 5397395.9641222805(x32)^2 + 1450335.0421177833(x32)^3 + -194754.6794221712(x32)^4 + +  
 10455.22369733841(x32)^5)^(0.037296) \* (203040417.087 + -327737972.1388575(x32)^1 + +  
 220325088.75139743(x32)^2 + -78959455.54580122(x32)^3 + 15910040.817117937(x32)^4 + -  
 1708999.0150391618(x32)^5 + 76455.01789644173(x32)^6)^(0.003842) \* (-5523996410.0 + +  
 10403331421.923018(x32)^1 + -8393572185.624094(x32)^2 + 3760805901.793566(x32)^3 + -  
 1010644825.649456(x32)^4 + 162892043.11375302(x32)^5 + -14580125.66151631(x32)^6 + +  
 559086.0540873251(x32)^7)^(0.012635) \* (150287991608.0 + -323486577372.45605(x32)^1 + +  
 304522523901.856(x32)^2 + -163756174531.70114(x32)^3 + 55018555770.88755(x32)^4 + -  
 11826438220.50776(x32)^5 + 1588298691.3494306(x32)^6 + -121850096.93615088(x32)^7 + +  
 4088380.651461243(x32)^8)^(0.009914) \* (-4.08879346415e+12 + 9901386325676.68(x32)^1 + -  
 10653290085356.023(x32)^2 + 6684328057862.07(x32)^3 + -2695353553025.4844(x32)^4 + +  
 724355947893.9185(x32)^5 + -129737851282.96776(x32)^6 + 14933636361.734283(x32)^7 + -  
 1002423100.9372556(x32)^8 + 29896750.65053925(x32)^9)^(0.009538) \* (1.11241302873e+14 + -  
 299321180482691.06(x32)^1 + 362329616698551.75(x32)^2 + -259841759473886.25(x32)^3 + +  
 122254800235150.56(x32)^4 + -39431988091244.05(x32)^5 + 8829814354680.605(x32)^6 + -  
 1355440223384.664(x32)^7 + 136508991138.73451(x32)^8 + -8144814957.848918(x32)^9 + +  
 218623405.12277326(x32)^10)^(0.006279) \* (-3.02647408663e+15 + 8958013500409862.0(x32)^1 + -  
 1.204916511937092e+16(x32)^2 + 9721798974454132.0(x32)^3 + -5228032381364267.0(x32)^4 + +  
 1967529186056349.0(x32)^5 + -528773088251873.4(x32)^6 + 101480546487222.69(x32)^7 + -  
 13629743243239.238(x32)^8 + 1220098068618.2751(x32)^9 + -65515879002.80663(x32)^10 + +  
 1598708629.7826195(x32)^11)^(0.005687) \* (245.608510216 + -89.09796809023156(x33)^1 + +  
 8.096870964215881(x33)^2)^(0.013036) \* (-5403.76870507 + 2955.032316493687(x33)^1 + -  
 537.8146967217198(x33)^2 + 32.58298174734762(x33)^3)^(0.031307) \* (119422.53803 + -  
 87087.38698328767(x33)^1 + 23791.053140531116(x33)^2 + -2885.659003201716(x33)^3 + +  
 131.11863882232444(x33)^4)^(0.012398) \* (-2638688.00289 + 2405802.8800063906(x33)^1 + -  
 876668.4684521311(x33)^2 + 159596.99036290846(x33)^3 + -14515.387340048876(x33)^4 + +  
 527.64039767535(x33)^5)^(0.002851) \* (58303383.864 + -63797888.26166082(x33)^1 + +  
 29067689.000903808(x33)^2 + -7058567.497652145(x33)^3 + 963493.2335054731(x33)^4 + -  
 70094.42578695636(x33)^5 + 2123.301399095976(x33)^6)^(0.005745) \* (-1288247477.07 + +  
 1644754615.9518125(x33)^1 + -899438474.9707172(x33)^2 + 273095643.94720614(x33)^3 + -  
 49722737.201791786(x33)^4 + 5428658.5333862575(x33)^5 + -329081.8112063679(x33)^6 + +  
 8544.472430969725(x33)^7)^(0.007078) \* (28464584442.5 + -41536553721.5509(x33)^1 + +  
 26503991084.603523(x33)^2 + -9658980498.772955(x33)^3 + 2198916362.0238976(x33)^4 + -  
 320216490.8960762(x33)^5 + 29129734.47986326(x33)^6 + -1513454.7224207781(x33)^7 + +  
 34384.19489323833(x33)^8)^(0.009042) \* (-628941706634.0 + 1032555257526.7192(x33)^1 + -  
 753070431420.5605(x33)^2 + 320240794854.4526(x33)^3 + -87505280573.17424(x33)^4 + +  
 15933193051.46303(x33)^5 + -1933225405.1275616(x33)^6 + 150722893.60653234(x33)^7 + -  
 6851656.188021632(x33)^8 + 138366.98146172368(x33)^9)^(0.007162) \* (1.38968363005e+13 + -  
 25351061971617.36(x33)^1 + 20802263699871.71(x33)^2 + -10111207356361.424(x33)^3 + +  
 3223937295179.4546(x33)^4 + -704588068186.4636(x33)^5 + 106891591514.91603(x33)^6 + -  
 11115197876.266323(x33)^7 + 758197832.9199051(x33)^8 + -30635618.994060513(x33)^9 + +  
 556808.7785180028(x33)^10)^(0.004576) \* (-3.07058757791e+14 + 616184262723654.8(x33)^1 + -  
 561842973223756.7(x33)^2 + 307261757493162.75(x33)^3 + -111982154093425.97(x33)^4 + +  
 28557832788201.566(x33)^5 + -5200101401160.392(x33)^6 + 676096400768.9019(x33)^7 + -  
 61509455599.311554(x33)^8 + 3729258045.9973154(x33)^9 + -135610385.8892015(x33)^10 + +  
 2240679.1892072554(x33)^11)^(0.004844) + -801.878

F^2 в стандартном базисе денормированный:

0.0 \* (476.581632653 + -176.3265306122448(x11)^1 + 16.326530612244888(x11)^2)^(0.009746) \* (-  
 14658.6618076 + 8155.685131195329(x11)^1 + -1511.3702623906693(x11)^2 + +  
 93.29446064139933(x11)^3)^(0.007314) \* (451880.697001 + -335254.31070387305(x11)^1 + +  
 93224.15660141598(x11)^2 + -11515.201999167(x11)^3 + 533.1112036651389(x11)^4)^(0.010345) \* (-

$$\begin{aligned}
& 13929055.7028 + 12919004.170881167(x11)^1 + -4790858.666032005(x11)^2 + 887942.4049503171(x11)^3 + - \\
& 82251.44285119284(x11)^4 + 3046.349735229364(x11)^5 \wedge (0.010723) * (429359013.847 + - \\
& 477902912.69249994(x11)^1 + 221561867.08599275(x11)^2 + -54764185.670936346(x11)^3 + \\
& 7611468.01077781(x11)^4 + -564009.8938367508(x11)^5 + 17407.712772739218(x11)^6 \wedge (-0.029241) * (- \\
& 13234863338.7 + 17187279518.035484(x11)^1 + -9562849112.516026(x11)^2 + 2955046170.2181864(x11)^3 + - \\
& 547724108.1522145(x11)^4 + 60894790.43595769(x11)^5 + -3760065.9589116704(x11)^6 + \\
& 99472.64441565264(x11)^7 \wedge (0.001311) * (407960709756.0 + -605500227013.5854(x11)^1 + \\
& 393073665136.4685(x11)^2 + -145774369709.72467(x11)^3 + 33779567699.075752(x11)^4 + - \\
& 5008327284.428368(x11)^5 + 463977715.79625976(x11)^6 + -24555532.79289253(x11)^7 + \\
& 568415.1109465864(x11)^8 \wedge (0.002321) * (-1.25752670377e+13 + 20998023781216.914(x11)^1 + - \\
& 15579568686604.707(x11)^2 + 6741360734223.96(x11)^3 + -1874789620376.0398(x11)^4 + \\
& 347507876838.07214(x11)^5 + -42932279646.773476(x11)^6 + 3408915343.8006086(x11)^7 + - \\
& 157856996.52573764(x11)^8 + 3248086.3482662067(x11)^9 \wedge (-0.015430) * (3.87628850739e+14 + - \\
& 719192188094420.5(x11)^1 + 600336610271334.0(x11)^2 + -296899463638370.75(x11)^3 + \\
& 96338932913755.62(x11)^4 + -21431175417296.31(x11)^5 + 3310062804745.054(x11)^6 + - \\
& 350492144486.04565(x11)^7 + 24349963727.97243(x11)^8 + -1002266644.607858(x11)^9 + \\
& 18560493.418664034(x11)^10 \wedge (-0.004635) * (-1.19485435558e+16 + 2.438624007021029e+16(x11)^1 + - \\
& 2.2618762623082668e+16(x11)^2 + 1.2585222718800264e+16(x11)^3 + -4667437789651914.0(x11)^4 + \\
& 1211465521649765.5(x11)^5 + -224560008079893.75(x11)^6 + 29726421855911.625(x11)^7 + - \\
& 2754024706529.741(x11)^8 + 170066486821.39374(x11)^9 + -6299961766.106533(x11)^10 + \\
& 106059962.39236589(x11)^11 \wedge (-0.011050) * (4.24668537744 + -0.6854215188540387(x12)^1 + \\
& 0.031347885609606156(x12)^2 \wedge (-0.018718) * (-6.51878256997 + 2.5640203148188214(x12)^1 + - \\
& 0.25743531224564825(x12)^2 + 0.007849235833391211(x12)^3 \wedge (-0.002146) * (18.3352465027 + - \\
& 8.215970571719183(x12)^1 + 1.3153643186957134(x12)^2 + -0.08594606146959564(x12)^3 + \\
& 0.0019653798643859055(x12)^4 \wedge (-0.006665) * (-38.9347591867 + 24.266989332253758(x12)^1 + - \\
& 5.400452884526826(x12)^2 + 0.5567753990866884(x12)^3 + -0.026900175733832753(x12)^4 + \\
& 0.0004921138940559386(x12)^5 \wedge (-0.017610) * (92.9822507889 + -68.21185291786222(x12)^1 + \\
& 19.5440886997314(x12)^2 + -2.790398210215424(x12)^3 + 0.21108290064811858(x12)^4 + - \\
& 0.00808268191063519(x12)^5 + 0.00012322100633638524(x12)^6 \wedge (0.023245) * (-210.857655649 + \\
& 185.48783578533926(x12)^1 + -65.17922852459385(x12)^2 + 11.975335307119636(x12)^3 + - \\
& 1.2496098766107004(x12)^4 + 0.07448674573314601(x12)^5 + -0.0023611381689909797(x12)^6 + \\
& 3.085346011552681e-05(x12)^7 \wedge (-0.017464) * (488.957359948 + -492.5902554695055(x12)^1 + \\
& 205.3222027883341(x12)^2 + -46.311218508327116(x12)^3 + 6.2081209261227395(x12)^4 + - \\
& 0.5087088609596794(x12)^5 + 0.024990992143119607(x12)^6 + -0.0006756666345424665(x12)^7 + \\
& 7.725436022667119e-06(x12)^8 \wedge (-0.007769) * (-1122.87789055 + 1285.1100553867395(x12)^1 + - \\
& 620.2105022930507(x12)^2 + 166.20797589929543(x12)^3 + -27.34043720524569(x12)^4 + \\
& 2.8725130786335358(x12)^5 + -0.1934254990928142(x12)^6 + 0.00807624328486228(x12)^7 + - \\
& 0.00019032862944858207(x12)^8 + 1.934381476724161e-06(x12)^9 \wedge (-0.020793) * (2589.54843997 + - \\
& 3306.6820001964347(x12)^1 + 1814.2236805808093(x12)^2 + -563.9621333069088(x12)^3 + \\
& 110.25067234978187(x12)^4 + -14.200320606935612(x12)^5 + 1.223744493920286(x12)^6 + - \\
& 0.06986430927896514(x12)^7 + 0.0025355011120358996(x12)^8 + -5.2951800924661996e-05(x12)^9 + \\
& 4.843521694457992e-07(x12)^10 \wedge (0.003939) * (-5961.02028035 + 8414.75834076277(x12)^1 + - \\
& 5174.0135698562135(x12)^2 + 1831.8489137303977(x12)^3 + -415.6711706247132(x12)^4 + \\
& 63.60527781591554(x12)^5 + -6.7120911924174536(x12)^6 + 0.48958536675897424(x12)^7 + - \\
& 0.024243768443802775(x12)^8 + 0.0007778832524875366(x12)^9 + -1.4584533588013319e-05(x12)^10 + \\
& 1.2127753851538006e-07(x12)^11 \wedge (0.020212) * (3.75880824757 + -0.7333464410844193(x21)^1 + \\
& 0.041257183745958895(x21)^2 \wedge (0.013267) * (-4.76665229451 + 2.521055581387911(x21)^1 + - \\
& 0.3159841038783853(x21)^2 + 0.01185125565413541(x21)^3 \wedge (-0.012954) * (12.9632376461 + - \\
& 7.359302398871534(x21)^1 + 1.4896194567156746(x21)^2 + -0.12102323547705963(x21)^3 + \\
& 0.0034043104212956297(x21)^4 \wedge (-0.002452) * (-23.7750423784 + 19.70344358302433(x21)^1 + - \\
& 5.600940943283436(x21)^2 + 0.7250143707783362(x21)^3 + -0.043455380781709026(x21)^4 + \\
& 0.0009778988642859979(x21)^5 \wedge (0.008179) * (52.2865114779 + -50.05955497205151(x21)^1 + \\
& 18.46924767907057(x21)^2 + -3.338799001815838(x21)^3 + 0.3157982942396093(x21)^4 + - \\
& 0.0149792335908225(x21)^5 + 0.0002809045211593531(x21)^6 \wedge (0.004808) * (-105.157487822 + \\
& 122.82892447212576(x21)^1 + -55.93011649866736(x21)^2 + 13.104163024613786(x21)^3 + - \\
& 1.7218462614072647(x21)^4 + 0.12797757195166926(x21)^5 + -0.0050199705630524245(x21)^6 + \\
& 8.069070625762388e-05(x21)^7 \wedge (0.008912) * (220.729552584 + -294.01213021800686(x21)^1 + \\
& 159.60122552855086(x21)^2 + -46.18173683442759(x21)^3 + 7.844222294017729(x21)^4 + - \\
& 0.8063484309341974(x21)^5 + 0.04929685069055991(x21)^6 + -0.0016480026470138765(x21)^7 + \\
& 2.3178658889084058e-05(x21)^8 \wedge (-0.006430) * (-453.803775688 + 690.8909634695492(x21)^1 + - \\
& 435.9817031359473(x21)^2 + 150.64202344419084(x21)^3 + -31.570006513461003(x21)^4 + \\
& 4.183877070474302(x21)^5 + -0.3524591508578593(x21)^6 + 0.018287273161863238(x21)^7 + - \\
& 0.0005325681803635508(x21)^8 + 6.6581425893239664e-06(x21)^9 \wedge (0.004612) * (942.367339747 + -
\end{aligned}$$

$$\begin{aligned}
& 1600.4502650491247(x_{21})^1 + 1151.9042251257488(x_{21})^2 + -463.63878352354516(x_{21})^3 + \\
& 116.02520860941505(x_{21})^4 + -18.943515548182887(x_{21})^5 + 2.05234990657293(x_{21})^6 + - \\
& 0.1462837147200005(x_{21})^7 + 0.00658952449797822(x_{21})^8 + -0.0001699798700541953(x_{21})^9 + \\
& 1.9125723775436886e-06(x_{21})^{10} \wedge (0.000882) * (-1947.47155128 + 3665.408949024765(x_{21})^1 + - \\
& 2964.520721525947(x_{21})^2 + 1363.8984185497075(x_{21})^3 + -397.81967392882893(x_{21})^4 + \\
& 77.50680962076893(x_{21})^5 + -10.328697141522696(x_{21})^6 + 0.944713494133486(x_{21})^7 + - \\
& 0.05831069607695262(x_{21})^8 + 0.002320155672300407(x_{21})^9 + -5.370997689324664e-05(x_{21})^{10} + \\
& 5.493924244290668e-07(x_{21})^{11} \wedge (-0.001902) * (4034.00706944 + -8316.9051635283(x_{21})^1 + \\
& 7469.305645347966(x_{21})^2 + -3869.9103486521017(x_{21})^3 + 1291.3775262105992(x_{21})^4 + - \\
& 293.2033984721871(x_{21})^5 + 46.58049906033605(x_{21})^6 + -5.23248492316411(x_{21})^7 + \\
& 0.41364740347829543(x_{21})^8 + -0.02250322073734903(x_{21})^9 + 0.0008016789800645783(x_{21})^{10} + - \\
& 1.6830937756656368e-05(x_{21})^{11} + 1.5781470001553086e-07(x_{21})^{12} \wedge (-0.004693) * (350.479414964 + - \\
& 94.4040501622978(x_{22})^1 + 6.366177770739619(x_{22})^2 \wedge (-0.024630) * (-9231.8559224 + \\
& 3742.8661726763107(x_{22})^1 + -505.28483583745503(x_{22})^2 + 22.71606697855351(x_{22})^3 \wedge (0.003887) * \\
& (243922.743552 + -131874.6848337129(x_{22})^1 + 26717.275527824706(x_{22})^2 + -2403.971862444033(x_{22})^3 + \\
& 81.05643881731854(x_{22})^4 \wedge (-0.001721) * (-6444139.08813 + 4355602.697616832(x_{22})^1 + - \\
& 1176907.4689010736(x_{22})^2 + 158912.25236091085(x_{22})^3 + -10722.443632667413(x_{22})^4 + \\
& 289.22904127499936(x_{22})^5 \wedge (0.012267) * (170246986.245 + -138097407.34765923(x_{22})^1 + \\
& 46652259.08766163(x_{22})^2 + -8401386.800772876(x_{22})^3 + 850637.2688968596(x_{22})^4 + - \\
& 45912.33669652417(x_{22})^5 + 1032.0393979482585(x_{22})^6 \wedge (-0.001241) * (-4497735241.95 + \\
& 4256733467.8599358(x_{22})^1 + -1725854608.5101414(x_{22})^2 + 388580932.60755754(x_{22})^3 + - \\
& 52472549.031866506(x_{22})^4 + 4249681.47330748(x_{22})^5 + -191130.7504464284(x_{22})^6 + \\
& 3682.5669864344654(x_{22})^7 \wedge (-0.000642) * (118825142699.0 + -128530182843.83707(x_{22})^1 + \\
& 60802883736.12512(x_{22})^2 + -16430449401.170246(x_{22})^3 + 2773952743.2996383(x_{22})^4 + - \\
& 299621571.3946321(x_{22})^5 + 20219558.228193577(x_{22})^6 + -779429.5927470003(x_{22})^7 + \\
& 13140.292547491406(x_{22})^8 \wedge (0.012077) * (-3.13922758335e+12 + 3820229201925.5107(x_{22})^1 + - \\
& 2065546810174.1377(x_{22})^2 + 651266908170.3434(x_{22})^3 + -131965090399.64049(x_{22})^4 + \\
& 17820895311.943783(x_{22})^5 + -1603874831.3461585(x_{22})^6 + 92765769.50657724(x_{22})^7 + - \\
& 3128843.1466204305(x_{22})^8 + 46887.752176597365(x_{22})^9 \wedge (-0.017909) * (8.29348873168e+13 + - \\
& 112143787394431.69(x_{22})^1 + 68218326557697.1(x_{22})^2 + -24584337796105.168(x_{22})^3 + \\
& 5812469832942.619(x_{22})^4 + -942066546814.1462(x_{22})^5 + 106002350464.82227(x_{22})^6 + - \\
& 8176514519.92617(x_{22})^7 + 413776608.20770043(x_{22})^8 + -12404968.36800647(x_{22})^9 + \\
& 167306.87663371055(x_{22})^{10} \wedge (0.020155) * (-2.19104711322e+15 + 3259070043600384.5(x_{22})^1 + - \\
& 2202924889073775.8(x_{22})^2 + 893189586426063.0(x_{22})^3 + -241369891724794.75(x_{22})^4 + \\
& 45646486845262.93(x_{22})^5 + -6164394249470.424(x_{22})^6 + 594473219503.6956(x_{22})^7 + - \\
& 40119837014.06004(x_{22})^8 + 1804603410.8108366(x_{22})^9 + -48690330.79324575(x_{22})^{10} + \\
& 596991.5312532047(x_{22})^{11} \wedge (0.008035) * (5.78850180868e+16 + -9.393039662829485e+16(x_{22})^1 + \\
& 6.984313451425552e+16(x_{22})^2 + -3.1466866429839308e+16(x_{22})^3 + 9567163974839866.0(x_{22})^4 + - \\
& 2067981282031230.2(x_{22})^5 + 325861483851003.25(x_{22})^6 + -37715698366766.71(x_{22})^7 + \\
& 3182250812310.415(x_{22})^8 + -190888822519.6499(x_{22})^9 + 7727282714.452031(x_{22})^{10} + - \\
& 189533361.29071423(x_{22})^{11} + 2130210.637834808(x_{22})^{12} \wedge (-0.016686) * (163.476293492 + - \\
& 72.42666555194403(x_{31})^1 + 8.046602623287008(x_{31})^2 \wedge (-0.019485) * (-2923.34544196 + \\
& 1957.3919585793597(x_{31})^1 + -435.82388257112063(x_{31})^2 + 32.28002255856789(x_{31})^3 \wedge (-0.041574) * \\
& (52635.1156001 + -46998.03800979724(x_{31})^1 + 15712.725841049603(x_{31})^2 + -2331.1543881048146(x_{31})^3 + \\
& 129.49562755417872(x_{31})^4 \wedge (-0.003468) * (-947339.244077 + 1057701.361471378(x_{31})^1 + - \\
& 471783.11111351347(x_{31})^2 + 105088.44851819333(x_{31})^3 + -11689.671989293027(x_{31})^4 + \\
& 519.4890283990724(x_{31})^5 \wedge (0.019537) * (17050796.4359 + -22849290.5441211(x_{31})^1 + \\
& 12745044.12455386(x_{31})^2 + -3787573.245360032(x_{31})^3 + 632494.0439267821(x_{31})^4 + - \\
& 56273.61904383367(x_{31})^5 + 2083.9997127633037(x_{31})^6 \wedge (-0.012731) * (-306890397.477 + \\
& 479868524.95569324(x_{31})^1 + -321292230.0248589(x_{31})^2 + 119404802.78258969(x_{31})^3 + - \\
& 26601813.749333825(x_{31})^4 + 3552787.7128675138(x_{31})^5 + -263374.00682434783(x_{31})^6 + \\
& 8360.24355736959(x_{31})^7 \wedge (0.001276) * (5523596658.47 + -9871904301.326036(x_{31})^1 + \\
& 7712972101.88315(x_{31})^2 + -3440872239.041332(x_{31})^3 + 958649164.6494007(x_{31})^4 + - \\
& 170803047.25833434(x_{31})^5 + 19005394.736141823(x_{31})^6 + -1207497.201653242(x_{31})^7 + \\
& 33538.23511130114(x_{31})^8 \wedge (-0.000254) * (-99416991165.6 + 199907688873.00256(x_{31})^1 + - \\
& 178532381813.6862(x_{31})^2 + 92944262111.57593(x_{31})^3 + -31084519927.65165(x_{31})^4 + \\
& 6925901584.699818(x_{31})^5 + -1028062274.3678777(x_{31})^6 + 98034666.60358801(x_{31})^7 + - \\
& 5449541.0765616195(x_{31})^8 + 134543.1154800969(x_{31})^9 \wedge (-0.015244) * (1.78936637585e+12 + - \\
& 3998117463084.3667(x_{31})^1 + 4017495117784.414(x_{31})^2 + -2390795959507.938(x_{31})^3 + \\
& 933104493228.1934(x_{31})^4 + -249570220779.89624(x_{31})^5 + 46325972831.635284(x_{31})^6 + - \\
& 5892935074.993697(x_{31})^7 + 491632508.2661415(x_{31})^8 + -24290625.376086753(x_{31})^9 + \\
& 539737.7012540244(x_{31})^{10} \wedge (0.014147) * (-3.22060845881e+13 + 79161015438528.81(x_{31})^1 + - \\
& 88392938346968.73(x_{31})^2 + 59187580434516.3(x_{31})^3 + -26406328281423.312(x_{31})^4 +
\end{aligned}$$

8242127526705.653(x31)^5 + -1836532644615.7307(x31)^6 + 292136776244.6016(x31)^7 + -  
 32510858138.474358(x31)^8 + 2410661779.178979(x31)^9 + -107189601.49912919(x31)^10 +  
 2165229.971934709(x31)^11^(-0.003568) \* (371.594459057 + -199.21860639218733(x32)^1 +  
 26.737163654836575(x32)^2^(-0.010863) \* (-10081.5367987 + 8133.699284615288(x32)^1 + -  
 2185.2132328210673(x32)^2 + 195.5185642035581(x32)^3^(-0.003413) \* (274310.411709 + -  
 295118.02807365346(x32)^1 + 118983.94790757126(x32)^2 + -21306.161928785536(x32)^3 +  
 1429.7518406110278(x32)^4^(-0.017448) \* (-7462967.38327 + 10037728.277292417(x32)^1 + -  
 5397395.9641222805(x32)^2 + 1450335.0421177833(x32)^3 + -194754.6794221712(x32)^4 +  
 10455.22369733841(x32)^5^(-0.017191) \* (203040417.087 + -327737972.1388575(x32)^1 +  
 220325088.75139743(x32)^2 + -78959455.54580122(x32)^3 + 15910040.817117937(x32)^4 + -  
 1708999.0150391618(x32)^5 + 76455.01789644173(x32)^6^(-0.004231) \* (-5523996410.0 +  
 10403331421.923018(x32)^1 + -8393572185.624094(x32)^2 + 3760805901.793566(x32)^3 + -  
 1010644825.649456(x32)^4 + 162892043.11375302(x32)^5 + -14580125.66151631(x32)^6 +  
 559086.0540873251(x32)^7^(-0.005210) \* (150287991608.0 + -323486577372.45605(x32)^1 +  
 304522523901.856(x32)^2 + -163756174531.70114(x32)^3 + 55018555770.88755(x32)^4 + -  
 11826438220.50776(x32)^5 + 1588298691.3494306(x32)^6 + -121850096.93615088(x32)^7 +  
 4088380.651461243(x32)^8^(-0.007448) \* (-4.08879346415e+12 + 9901386325676.68(x32)^1 + -  
 10653290085356.023(x32)^2 + 6684328057862.07(x32)^3 + -2695353553025.4844(x32)^4 +  
 724355947893.9185(x32)^5 + -129737851282.96776(x32)^6 + 14933636361.734283(x32)^7 + -  
 1002423100.9372556(x32)^8 + 29896750.65053925(x32)^9^(-0.009477) \* (1.11241302873e+14 + -  
 299321180482691.06(x32)^1 + 362329616698551.75(x32)^2 + -259841759473886.25(x32)^3 +  
 122254800235150.56(x32)^4 + -39431988091244.05(x32)^5 + 8829814354680.605(x32)^6 + -  
 1355440223384.664(x32)^7 + 136508991138.73451(x32)^8 + -8144814957.848918(x32)^9 +  
 218623405.12277326(x32)^10^(-0.003618) \* (-3.02647408663e+15 + 8958013500409862.0(x32)^1 + -  
 1.204916511937092e+16(x32)^2 + 9721798974454132.0(x32)^3 + -5228032381364267.0(x32)^4 +  
 1967529186056349.0(x32)^5 + -528773088251873.4(x32)^6 + 101480546487222.69(x32)^7 + -  
 13629743243239.238(x32)^8 + 1220098068618.2751(x32)^9 + -65515879002.80663(x32)^10 +  
 1598708629.7826195(x32)^11^(-0.003189) \* (245.608510216 + -89.09796809023156(x33)^1 +  
 8.096870964215881(x33)^2^(-0.007080) \* (-5403.76870507 + 2955.032316493687(x33)^1 + -  
 537.8146967217198(x33)^2 + 32.58298174734762(x33)^3^(-0.014457) \* (119422.53803 + -  
 87087.38698328767(x33)^1 + 23791.053140531116(x33)^2 + -2885.659003201716(x33)^3 +  
 131.11863882232444(x33)^4^(-0.021208) \* (-2638688.00289 + 2405802.8800063906(x33)^1 + -  
 876668.4684521311(x33)^2 + 159596.99036290846(x33)^3 + -14515.387340048876(x33)^4 +  
 527.64039767535(x33)^5^(-0.008183) \* (58303383.864 + -63797888.26166082(x33)^1 +  
 29067689.000903808(x33)^2 + -7058567.497652145(x33)^3 + 963493.2335054731(x33)^4 + -  
 70094.42578695636(x33)^5 + 2123.301399095976(x33)^6^(-0.013011) \* (-1288247477.07 +  
 1644754615.9518125(x33)^1 + -899438474.9707172(x33)^2 + 273095643.94720614(x33)^3 + -  
 49722737.201791786(x33)^4 + 5428658.5333862575(x33)^5 + -329081.8112063679(x33)^6 +  
 8544.472430969725(x33)^7^(-0.005047) \* (28464584442.5 + -41536553721.5509(x33)^1 +  
 26503991084.603523(x33)^2 + -9658980498.772955(x33)^3 + 2198916362.0238976(x33)^4 + -  
 320216490.8960762(x33)^5 + 29129734.47986326(x33)^6 + -1513454.7224207781(x33)^7 +  
 34384.19489323833(x33)^8^(-0.008218) \* (-628941706634.0 + 1032555257526.7192(x33)^1 + -  
 753070431420.5605(x33)^2 + 320240794854.4526(x33)^3 + -87505280573.17424(x33)^4 +  
 15933193051.46303(x33)^5 + -1933225405.1275616(x33)^6 + 150722893.60653234(x33)^7 + -  
 6851656.188021632(x33)^8 + 138366.98146172368(x33)^9^(-0.003441) \* (1.38968363005e+13 + -  
 25351061971617.36(x33)^1 + 20802263699871.71(x33)^2 + -10111207356361.424(x33)^3 +  
 3223937295179.4546(x33)^4 + -704588068186.4636(x33)^5 + 106891591514.91603(x33)^6 + -  
 11115197876.266323(x33)^7 + 758197832.9199051(x33)^8 + -30635618.994060513(x33)^9 +  
 556808.7785180028(x33)^10^(-0.011327) \* (-3.07058757791e+14 + 616184262723654.8(x33)^1 + -  
 561842973223756.7(x33)^2 + 307261757493162.75(x33)^3 + -111982154093425.97(x33)^4 +  
 28557832788201.566(x33)^5 + -5200101401160.392(x33)^6 + 676096400768.9019(x33)^7 + -  
 61509455599.311554(x33)^8 + 3729258045.9973154(x33)^9 + -135610385.8892015(x33)^10 +  
 2240679.1892072554(x33)^11^(-0.006830) + -843.428

F^3 в стандартном базисе денормированный:

0.0 \* (476.581632653 + -176.3265306122448(x11)^1 + 16.326530612244888(x11)^2^(-0.003360) \* (-  
 14658.6618076 + 8155.685131195329(x11)^1 + -1511.3702623906693(x11)^2 + 93.29446064139933(x11)^3)^(-  
 0.001192) \* (451880.697001 + -335254.31070387305(x11)^1 + 93224.15660141598(x11)^2 + -  
 11515.201999167(x11)^3 + 533.1112036651389(x11)^4^(-0.017466) \* (-13929055.7028 +  
 12919004.170881167(x11)^1 + -4790858.666032005(x11)^2 + 887942.4049503171(x11)^3 + -  
 82251.44285119284(x11)^4 + 3046.349735229364(x11)^5^(-0.001937) \* (429359013.847 + -  
 477902912.69249994(x11)^1 + 221561867.08599275(x11)^2 + -54764185.670936346(x11)^3 +  
 7611468.01077781(x11)^4 + -564009.8938367508(x11)^5 + 17407.712772739218(x11)^6^(-0.021967) \* (-

$$\begin{aligned}
& 13234863338.7 + 17187279518.035484(x11)^1 + -9562849112.516026(x11)^2 + 2955046170.2181864(x11)^3 + - \\
& 547724108.1522145(x11)^4 + 60894790.43595769(x11)^5 + -3760065.9589116704(x11)^6 + - \\
& 99472.64441565264(x11)^7 \wedge (0.001181) * (407960709756.0 + -605500227013.5854(x11)^1 + - \\
& 393073665136.4685(x11)^2 + -145774369709.72467(x11)^3 + 33779567699.075752(x11)^4 + - \\
& 5008327284.428368(x11)^5 + 463977715.79625976(x11)^6 + -2455532.79289253(x11)^7 + - \\
& 568415.1109465864(x11)^8 \wedge (0.008116) * (-1.25752670377e+13 + 20998023781216.914(x11)^1 + - \\
& 15579568686604.707(x11)^2 + 6741360734223.96(x11)^3 + -1874789620376.0398(x11)^4 + - \\
& 347507876838.07214(x11)^5 + -42932279646.773476(x11)^6 + 3408915343.8006086(x11)^7 + - \\
& 157856996.52573764(x11)^8 + 3248086.3482662067(x11)^9 \wedge (0.003966) * (3.87628850739e+14 + - \\
& 719192188094420.5(x11)^1 + 600336610271334.0(x11)^2 + -296899463638370.75(x11)^3 + - \\
& 96338932913755.62(x11)^4 + -21431175417296.31(x11)^5 + 3310062804745.054(x11)^6 + - \\
& 350492144486.04565(x11)^7 + 24349963727.97243(x11)^8 + -1002266644.607858(x11)^9 + - \\
& 18560493.418664034(x11)^10 \wedge (-0.016368) * (-1.19485435558e+16 + 2.438624007021029e+16(x11)^1 + - \\
& 2.2618762623082668e+16(x11)^2 + 1.2585222718800264e+16(x11)^3 + -4667437789651914.0(x11)^4 + - \\
& 1211465521649765.5(x11)^5 + -224560008079893.75(x11)^6 + 29726421855911.625(x11)^7 + - \\
& 2754024706529.741(x11)^8 + 170066486821.39374(x11)^9 + -6299961766.106533(x11)^10 + - \\
& 106059962.39236589(x11)^11 \wedge (-0.000864) * (4.24668537744 + -0.6854215188540387(x12)^1 + - \\
& 0.031347885609606156(x12)^2 \wedge (-0.014257) * (-6.51878256997 + 2.5640203148188214(x12)^1 + - \\
& 0.25743531224564825(x12)^2 + 0.00784923583391211(x12)^3 \wedge (-0.005957) * (18.3352465027 + - \\
& 8.215970571719183(x12)^1 + 1.3153643186957134(x12)^2 + -0.08594606146959564(x12)^3 + - \\
& 0.0019653798643859055(x12)^4 \wedge (-0.000700) * (-38.9347591867 + 24.266989332253758(x12)^1 + - \\
& 5.400452884526826(x12)^2 + 0.5567753990866884(x12)^3 + -0.026900175733832753(x12)^4 + - \\
& 0.0004921138940559386(x12)^5 \wedge (-0.013283) * (92.9822507889 + -68.21185291786222(x12)^1 + - \\
& 19.5440886997314(x12)^2 + -2.790398210215424(x12)^3 + 0.21108290064811858(x12)^4 + - \\
& 0.00808268191063519(x12)^5 + 0.00012322100633638524(x12)^6 \wedge (0.015045) * (-210.857655649 + - \\
& 185.48783578533926(x12)^1 + -65.17922852459385(x12)^2 + 11.975335307119636(x12)^3 + - \\
& 1.2496098766107004(x12)^4 + 0.07448674573314601(x12)^5 + -0.0023611381689909797(x12)^6 + - \\
& 3.085346011552681e-05(x12)^7 \wedge (-0.012263) * (488.957359948 + -492.5902554695055(x12)^1 + - \\
& 205.3222027883341(x12)^2 + -46.311218508327116(x12)^3 + 6.2081209261227395(x12)^4 + - \\
& 0.5087088609596794(x12)^5 + 0.024990992143119607(x12)^6 + -0.0006756666345424665(x12)^7 + - \\
& 7.725436022667119e-06(x12)^8 \wedge (-0.008513) * (-1122.87789055 + 1285.110053867395(x12)^1 + - \\
& 620.2105022930507(x12)^2 + 166.20797589929543(x12)^3 + -27.34043720524569(x12)^4 + - \\
& 2.8725130786335358(x12)^5 + -0.1934254990928142(x12)^6 + 0.00807624328486228(x12)^7 + - \\
& 0.00019032862944858207(x12)^8 + 1.934381476724161e-06(x12)^9 \wedge (-0.020366) * (2589.54843997 + - \\
& 3306.6820001964347(x12)^1 + 1814.2236805808093(x12)^2 + -563.9621333069088(x12)^3 + - \\
& 110.25067234978187(x12)^4 + -14.200320606935612(x12)^5 + 1.223744493920286(x12)^6 + - \\
& 0.06986430927896514(x12)^7 + 0.0025355011120358996(x12)^8 + -5.2951800924661996e-05(x12)^9 + - \\
& 4.843521694457992e-07(x12)^10 \wedge (0.003380) * (-5961.02028035 + 8414.75834076277(x12)^1 + - \\
& 5174.0135698562135(x12)^2 + 1831.8489137303977(x12)^3 + -415.6711706247132(x12)^4 + - \\
& 63.60527781591554(x12)^5 + -6.7120911924174536(x12)^6 + 0.48958536675897424(x12)^7 + - \\
& 0.024243768443802775(x12)^8 + 0.0007778832524875366(x12)^9 + -1.4584533588013319e-05(x12)^10 + - \\
& 1.2127753851538006e-07(x12)^11 \wedge (0.007855) * (3.75880824757 + -0.7333464410844193(x21)^1 + - \\
& 0.041257183745958895(x21)^2 \wedge (0.022084) * (-4.76665229451 + 2.521055581387911(x21)^1 + - \\
& 0.3159841038783853(x21)^2 + 0.01185125565413541(x21)^3 \wedge (-0.015192) * (12.9632376461 + - \\
& 7.359302398871534(x21)^1 + 1.4896194567156746(x21)^2 + -0.12102323547705963(x21)^3 + - \\
& 0.0034043104212956297(x21)^4 \wedge (-0.013879) * (-23.7750423784 + 19.70344358302433(x21)^1 + - \\
& 5.600940943283436(x21)^2 + 0.7250143707783362(x21)^3 + -0.043455380781709026(x21)^4 + - \\
& 0.0009778988642859979(x21)^5 \wedge (0.001126) * (52.2865114779 + -50.05955497205151(x21)^1 + - \\
& 18.46924767907057(x21)^2 + -3.338799001815838(x21)^3 + 0.3157982942396093(x21)^4 + - \\
& 0.0149792335908225(x21)^5 + 0.0002809045211593531(x21)^6 \wedge (0.010741) * (-105.157487822 + - \\
& 122.82892447212576(x21)^1 + -55.93011649866736(x21)^2 + 13.104163024613786(x21)^3 + - \\
& 1.7218462614072647(x21)^4 + 0.12797757195166926(x21)^5 + -0.0050199705630524245(x21)^6 + - \\
& 8.069070625762388e-05(x21)^7 \wedge (0.011069) * (220.729552584 + -294.01213021800686(x21)^1 + - \\
& 159.6012255285086(x21)^2 + -46.18173683442759(x21)^3 + 7.844222294017729(x21)^4 + - \\
& 0.8063484309341974(x21)^5 + 0.04929685069055991(x21)^6 + -0.0016480026470138765(x21)^7 + - \\
& 2.3178658889084058e-05(x21)^8 \wedge (-0.001145) * (-453.803775688 + 690.8909634695492(x21)^1 + - \\
& 435.9817031359473(x21)^2 + 150.64202344419084(x21)^3 + -31.570006513461003(x21)^4 + - \\
& 4.183877070474302(x21)^5 + -0.3524591508578593(x21)^6 + 0.018287273161863238(x21)^7 + - \\
& 0.0005325681803635508(x21)^8 + 6.6581425893239664e-06(x21)^9 \wedge (-0.003954) * (942.367339747 + - \\
& 1600.4502650491247(x21)^1 + 1151.9042251257488(x21)^2 + -463.63878352354516(x21)^3 + - \\
& 116.02520860941505(x21)^4 + -18.943515548182887(x21)^5 + 2.05234990657293(x21)^6 + - \\
& 0.1462837147200005(x21)^7 + 0.00658952449797822(x21)^8 + -0.0001699798700541953(x21)^9 + - \\
& 1.9125723775436886e-06(x21)^10 \wedge (0.003281) * (-1947.47155128 + 3665.408949024765(x21)^1 + -
\end{aligned}$$

$$\begin{aligned}
& 2964.520721525947(x_{21})^2 + 1363.8984185497075(x_{21})^3 + -397.81967392882893(x_{21})^4 + \\
& 77.50680962076893(x_{21})^5 + -10.328697141522696(x_{21})^6 + 0.944713494133486(x_{21})^7 + - \\
& 0.05831069607695262(x_{21})^8 + 0.002320155672300407(x_{21})^9 + -5.370997689324664e-05(x_{21})^{10} + \\
& 5.493924244290668e-07(x_{21})^{11} + (-0.002670) * (4034.00706944 + -8316.9051635283(x_{21})^1 + \\
& 7469.305645347966(x_{21})^2 + -3869.9103486521017(x_{21})^3 + 1291.3775262105992(x_{21})^4 + - \\
& 293.2033984721871(x_{21})^5 + 46.58049906033605(x_{21})^6 + -5.23248492316411(x_{21})^7 + - \\
& 0.41364740347829543(x_{21})^8 + -0.02250322073734903(x_{21})^9 + 0.0008016789800645783(x_{21})^{10} + - \\
& 1.6830937756656368e-05(x_{21})^{11} + 1.5781470001553086e-07(x_{21})^{12} + (-0.018017) * (350.479414964 + - \\
& 94.4040501622978(x_{22})^1 + 6.366177770739619(x_{22})^2 + (-0.011227) * (-9231.8559224 + \\
& 3742.8661726763107(x_{22})^1 + -505.28483583745503(x_{22})^2 + 22.71606697855351(x_{22})^3 + (-0.000018) * \\
& (243922.743552 + -131874.6848337129(x_{22})^1 + 26717.275527824706(x_{22})^2 + -2403.971862444033(x_{22})^3 + \\
& 81.05643881731854(x_{22})^4 + (0.002093) * (-6444139.08813 + 4355602.697616832(x_{22})^1 + - \\
& 1176907.4689010736(x_{22})^2 + 158912.25236091085(x_{22})^3 + -10722.443632667413(x_{22})^4 + \\
& 289.22904127499936(x_{22})^5 + (0.009306) * (170246986.245 + -138097407.34765923(x_{22})^1 + \\
& 46652259.08766163(x_{22})^2 + -8401386.800772876(x_{22})^3 + 850637.2688968596(x_{22})^4 + - \\
& 45912.33669652417(x_{22})^5 + 1032.0393979482585(x_{22})^6 + (0.000031) * (-4497735241.95 + \\
& 4256733467.8599358(x_{22})^1 + -1725854608.5101414(x_{22})^2 + 388580932.60755754(x_{22})^3 + - \\
& 52472549.031866506(x_{22})^4 + 4249681.47330748(x_{22})^5 + -191130.7504464284(x_{22})^6 + \\
& 3682.5669864344654(x_{22})^7 + (0.002937) * (118825142699.0 + -128530182843.83707(x_{22})^1 + \\
& 60802883736.12512(x_{22})^2 + -16430449401.170246(x_{22})^3 + 2773952743.2996383(x_{22})^4 + - \\
& 299621571.3946321(x_{22})^5 + 20219558.228193577(x_{22})^6 + -779429.5927470003(x_{22})^7 + \\
& 13140.292547491406(x_{22})^8 + (0.008009) * (-3.13922758335e+12 + 3820229201925.5107(x_{22})^1 + - \\
& 2065546810174.1377(x_{22})^2 + 651266908170.3434(x_{22})^3 + -131965090399.64049(x_{22})^4 + \\
& 17820895311.943783(x_{22})^5 + -1603874831.3461585(x_{22})^6 + 92765769.50657724(x_{22})^7 + - \\
& 3128843.1466204305(x_{22})^8 + 46887.752176597365(x_{22})^9 + (-0.006595) * (8.29348873168e+13 + - \\
& 112143787394431.69(x_{22})^1 + 68218326557697.1(x_{22})^2 + -24584337796105.168(x_{22})^3 + \\
& 5812469832942.619(x_{22})^4 + -942066546814.1462(x_{22})^5 + 106002350464.82227(x_{22})^6 + - \\
& 8176514519.92617(x_{22})^7 + 413776608.20770043(x_{22})^8 + -12404968.36800647(x_{22})^9 + \\
& 167306.87663371055(x_{22})^{10} + (0.006891) * (-2.19104711322e+15 + 3259070043600384.5(x_{22})^1 + - \\
& 2202924889073775.8(x_{22})^2 + 893189586426063.0(x_{22})^3 + -241369891724794.75(x_{22})^4 + \\
& 45646486845262.93(x_{22})^5 + -6164394249470.424(x_{22})^6 + 594473219503.6956(x_{22})^7 + - \\
& 40119837014.06004(x_{22})^8 + 1804603410.8108366(x_{22})^9 + -48690330.79324575(x_{22})^{10} + \\
& 596991.5312532047(x_{22})^{11} + (0.008351) * (5.78850180868e+16 + -9.393039662829485e+16(x_{22})^1 + \\
& 6.984313451425552e+16(x_{22})^2 + -3.1466866429839308e+16(x_{22})^3 + 9567163974839866.0(x_{22})^4 + - \\
& 2067981282031230.2(x_{22})^5 + 325861483851003.25(x_{22})^6 + -37715698366766.71(x_{22})^7 + \\
& 3182250812310.415(x_{22})^8 + -190888822519.6499(x_{22})^9 + 7727282714.452031(x_{22})^{10} + - \\
& 189533361.29071423(x_{22})^{11} + 2130210.637834808(x_{22})^{12} + (-0.007634) * (163.476293492 + - \\
& 72.42666555194403(x_{31})^1 + 8.046602623287008(x_{31})^2 + (-0.004319) * (-2923.34544196 + \\
& 1957.3919585793597(x_{31})^1 + -435.82388257112063(x_{31})^2 + 32.28002255856789(x_{31})^3 + (-0.040347) * \\
& (52635.1156001 + -46998.03800979724(x_{31})^1 + 15712.725841049603(x_{31})^2 + -2331.1543881048146(x_{31})^3 + \\
& 129.49562755417872(x_{31})^4 + (-0.004173) * (-947339.244077 + 1057701.361471378(x_{31})^1 + - \\
& 471783.11111351347(x_{31})^2 + 105088.44851819333(x_{31})^3 + -11689.671989293027(x_{31})^4 + \\
& 519.4890283990724(x_{31})^5 + (0.004397) * (17050796.4359 + -22849290.5441211(x_{31})^1 + \\
& 12745044.12455386(x_{31})^2 + -3787573.245360032(x_{31})^3 + 632494.0439267821(x_{31})^4 + - \\
& 56273.61904383367(x_{31})^5 + 2083.9997127633037(x_{31})^6 + (-0.019325) * (-306890397.477 + \\
& 479868524.95569324(x_{31})^1 + -321292230.0248589(x_{31})^2 + 119404802.78258969(x_{31})^3 + - \\
& 26601813.749333825(x_{31})^4 + 3552787.7128675138(x_{31})^5 + -263374.00682434783(x_{31})^6 + \\
& 8360.24355736959(x_{31})^7 + (-0.002689) * (5523596658.47 + -9871904301.326036(x_{31})^1 + \\
& 7712972101.88315(x_{31})^2 + -3440872239.041332(x_{31})^3 + 958649164.6494007(x_{31})^4 + - \\
& 170803047.25833434(x_{31})^5 + 19005394.736141823(x_{31})^6 + -1207497.201653242(x_{31})^7 + \\
& 33538.23511130114(x_{31})^8 + (0.013630) * (-99416991165.6 + 199907688873.00256(x_{31})^1 + - \\
& 178532381813.6862(x_{31})^2 + 92944262111.57593(x_{31})^3 + -31084519927.65165(x_{31})^4 + \\
& 6925901584.699818(x_{31})^5 + -1028062274.3678777(x_{31})^6 + 98034666.60358801(x_{31})^7 + - \\
& 5449541.0765616195(x_{31})^8 + 134543.1154800969(x_{31})^9 + (-0.009112) * (1.78936637585e+12 + - \\
& 3998117463084.3667(x_{31})^1 + 4017495117784.414(x_{31})^2 + -2390795959507.938(x_{31})^3 + \\
& 933104493228.1934(x_{31})^4 + -249570220779.89624(x_{31})^5 + 46325972831.635284(x_{31})^6 + - \\
& 5892935074.993697(x_{31})^7 + 491632508.2661415(x_{31})^8 + -24290625.376086753(x_{31})^9 + \\
& 539737.7012540244(x_{31})^{10} + (0.013178) * (-3.22060845881e+13 + 79161015438528.81(x_{31})^1 + - \\
& 88392938346968.73(x_{31})^2 + 59187580434516.3(x_{31})^3 + -26406328281423.312(x_{31})^4 + \\
& 8242127526705.653(x_{31})^5 + -1836532644615.7307(x_{31})^6 + 292136776244.6016(x_{31})^7 + - \\
& 32510858138.474358(x_{31})^8 + 2410661779.178979(x_{31})^9 + -107189601.49912919(x_{31})^{10} + \\
& 2165229.971934709(x_{31})^{11} + (-0.007236) * (371.594459057 + -199.21860639218733(x_{32})^1 + \\
& 26.737163654836575(x_{32})^2 + (0.009273) * (-10081.5367987 + 8133.699284615288(x_{32})^1 + -
\end{aligned}$$

$$\begin{aligned}
& 2185.2132328210673(x32)^2 + 195.5185642035581(x32)^3 \wedge (0.001144) * (274310.411709 + - \\
& 295118.02807365346(x32)^1 + 118983.94790757126(x32)^2 + -21306.161928785536(x32)^3 + \\
& 1429.7518406110278(x32)^4 \wedge (0.001324) * (-7462967.38327 + 10037728.277292417(x32)^1 + - \\
& 5397395.9641222805(x32)^2 + 1450335.0421177833(x32)^3 + -194754.6794221712(x32)^4 + \\
& 10455.22369733841(x32)^5 \wedge (-0.027793) * (203040417.087 + -327737972.1388575(x32)^1 + \\
& 220325088.75139743(x32)^2 + -78959455.54580122(x32)^3 + 15910040.817117937(x32)^4 + - \\
& 1708999.0150391618(x32)^5 + 76455.01789644173(x32)^6 \wedge (0.003435) * (-5523996410.0 + \\
& 10403331421.923018(x32)^1 + -8393572185.624094(x32)^2 + 3760805901.793566(x32)^3 + - \\
& 1010644825.649456(x32)^4 + 162892043.11375302(x32)^5 + -14580125.66151631(x32)^6 + \\
& 559086.0540873251(x32)^7 \wedge (-0.015884) * (150287991608.0 + -323486577372.45605(x32)^1 + \\
& 304522523901.856(x32)^2 + -163756174531.70114(x32)^3 + 55018555770.88755(x32)^4 + - \\
& 11826438220.50776(x32)^5 + 1588298691.3494306(x32)^6 + -121850096.93615088(x32)^7 + \\
& 4088380.651461243(x32)^8 \wedge (-0.006873) * (-4.08879346415e+12 + 9901386325676.68(x32)^1 + - \\
& 10653290085356.023(x32)^2 + 6684328057862.07(x32)^3 + -2695353553025.4844(x32)^4 + \\
& 724355947893.9185(x32)^5 + -129737851282.96776(x32)^6 + 14933636361.734283(x32)^7 + - \\
& 1002423100.9372556(x32)^8 + 29896750.65053925(x32)^9 \wedge (-0.005903) * (1.11241302873e+14 + - \\
& 299321180482691.06(x32)^1 + 362329616698551.75(x32)^2 + -259841759473886.25(x32)^3 + \\
& 122254800235150.56(x32)^4 + -39431988091244.05(x32)^5 + 8829814354680.605(x32)^6 + - \\
& 1355440223384.664(x32)^7 + 136508991138.73451(x32)^8 + -8144814957.848918(x32)^9 + \\
& 218623405.12277326(x32)^10 \wedge (-0.003634) * (-3.02647408663e+15 + 8958013500409862.0(x32)^1 + - \\
& 1.204916511937092e+16(x32)^2 + 9721798974454132.0(x32)^3 + -5228032381364267.0(x32)^4 + \\
& 1967529186056349.0(x32)^5 + -528773088251873.4(x32)^6 + 101480546487222.69(x32)^7 + - \\
& 13629743243239.238(x32)^8 + 1220098068618.2751(x32)^9 + -65515879002.80663(x32)^10 + \\
& 1598708629.7826195(x32)^11 \wedge (0.004719) * (245.608510216 + -89.09796809023156(x33)^1 + \\
& 8.096870964215881(x33)^2 \wedge (0.015436) * (-5403.76870507 + 2955.032316493687(x33)^1 + - \\
& 537.8146967217198(x33)^2 + 32.58298174734762(x33)^3 \wedge (-0.019832) * (119422.53803 + - \\
& 87087.38698328767(x33)^1 + 23791.053140531116(x33)^2 + -2885.659003201716(x33)^3 + \\
& 131.11863882232444(x33)^4 \wedge (-0.021237) * (-2638688.00289 + 2405802.8800063906(x33)^1 + - \\
& 876668.4684521311(x33)^2 + 159596.99036290846(x33)^3 + -14515.387340048876(x33)^4 + \\
& 527.64039767535(x33)^5 \wedge (-0.000878) * (58303383.864 + -63797888.26166082(x33)^1 + \\
& 29067689.000903808(x33)^2 + -7058567.497652145(x33)^3 + 963493.2335054731(x33)^4 + - \\
& 70094.42578695636(x33)^5 + 2123.301399095976(x33)^6 \wedge (0.012772) * (-1288247477.07 + \\
& 1644754615.9518125(x33)^1 + -899438474.9707172(x33)^2 + 273095643.94720614(x33)^3 + - \\
& 49722737.201791786(x33)^4 + 5428658.5333862575(x33)^5 + -329081.8112063679(x33)^6 + \\
& 8544.472430969725(x33)^7 \wedge (0.007983) * (28464584442.5 + -41536553721.5509(x33)^1 + \\
& 26503991084.603523(x33)^2 + -9658980498.772955(x33)^3 + 2198916362.0238976(x33)^4 + - \\
& 320216490.8960762(x33)^5 + 29129734.47986326(x33)^6 + -1513454.7224207781(x33)^7 + \\
& 34384.19489323833(x33)^8 \wedge (-0.013233) * (-628941706634.0 + 1032555257526.7192(x33)^1 + - \\
& 753070431420.5605(x33)^2 + 320240794854.4526(x33)^3 + -87505280573.17424(x33)^4 + \\
& 15933193051.46303(x33)^5 + -1933225405.1275616(x33)^6 + 150722893.60653234(x33)^7 + - \\
& 6851656.188021632(x33)^8 + 138366.98146172368(x33)^9 \wedge (0.011835) * (1.38968363005e+13 + - \\
& 25351061971617.36(x33)^1 + 20802263699871.71(x33)^2 + -10111207356361.424(x33)^3 + \\
& 3223937295179.4546(x33)^4 + -704588068186.4636(x33)^5 + 106891591514.91603(x33)^6 + - \\
& 11115197876.266323(x33)^7 + 758197832.9199051(x33)^8 + -30635618.994060513(x33)^9 + \\
& 556808.7785180028(x33)^10 \wedge (0.010288) * (-3.07058757791e+14 + 616184262723654.8(x33)^1 + - \\
& 561842973223756.7(x33)^2 + 307261757493162.75(x33)^3 + -111982154093425.97(x33)^4 + \\
& 28557832788201.566(x33)^5 + -5200101401160.392(x33)^6 + 676096400768.9019(x33)^7 + - \\
& 61509455599.311554(x33)^8 + 3729258045.9973154(x33)^9 + -135610385.8892015(x33)^10 + \\
& 2240679.1892072554(x33)^11 \wedge (-0.000427) + -797.648
\end{aligned}$$

F^4 в стандартном базисе денормированный:

$$\begin{aligned}
& 0.0 * (476.581632653 + -176.3265306122448(x11)^1 + 16.326530612244888(x11)^2 \wedge (0.003889) * (- \\
& 14658.6618076 + 8155.685131195329(x11)^1 + -1511.3702623906693(x11)^2 + 93.29446064139933(x11)^3) \wedge (- \\
& 0.013542) * (451880.697001 + -335254.31070387305(x11)^1 + 93224.15660141598(x11)^2 + - \\
& 11515.201999167(x11)^3 + 533.1112036651389(x11)^4 \wedge (0.021671) * (-13929055.7028 + \\
& 12919004.170881167(x11)^1 + -4790858.666032005(x11)^2 + 887942.4049503171(x11)^3 + - \\
& 82251.44285119284(x11)^4 + 3046.349735229364(x11)^5 \wedge (-0.012933) * (429359013.847 + - \\
& 477902912.69249994(x11)^1 + 221561867.08599275(x11)^2 + -54764185.670936346(x11)^3 + \\
& 7611468.01077781(x11)^4 + -564009.8938367508(x11)^5 + 17407.712772739218(x11)^6 \wedge (-0.023420) * (- \\
& 13234863338.7 + 17187279518.035484(x11)^1 + -9562849112.516026(x11)^2 + 2955046170.2181864(x11)^3 + - \\
& 547724108.1522145(x11)^4 + 60894790.43595769(x11)^5 + -3760065.9589116704(x11)^6 + \\
& 99472.64441565264(x11)^7 \wedge (0.000795) * (407960709756.0 + -605500227013.5854(x11)^1 + \\
& 393073665136.4685(x11)^2 + -145774369709.72467(x11)^3 + 33779567699.075752(x11)^4 + -
\end{aligned}$$

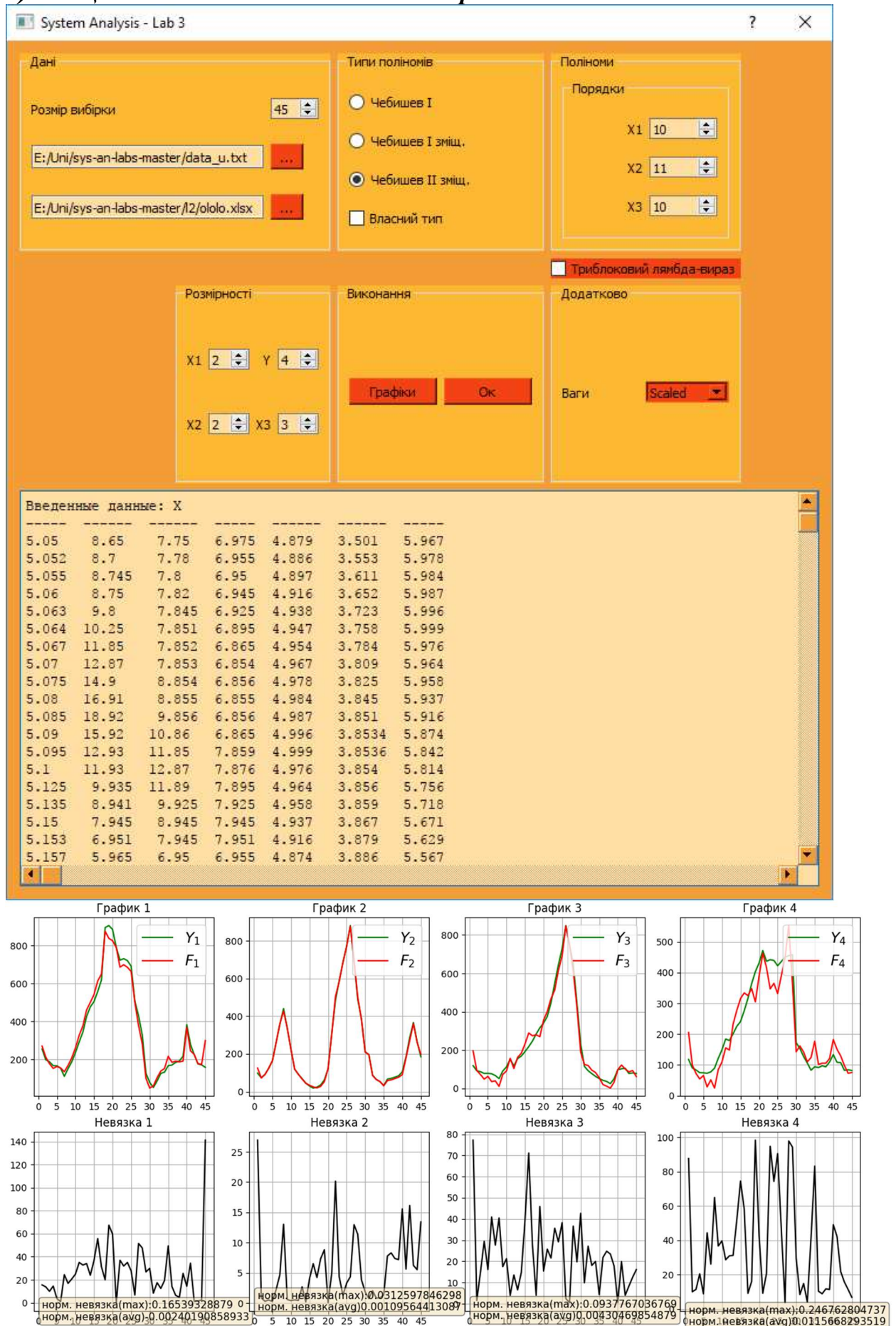
5008327284.428368(x11)^5 + 463977715.79625976(x11)^6 + -24555532.79289253(x11)^7 +  
568415.1109465864(x11)^8^(0.004871) \* (-1.25752670377e+13 + 20998023781216.914(x11)^1 + -  
15579568686604.707(x11)^2 + 6741360734223.96(x11)^3 + -1874789620376.0398(x11)^4 +  
347507876838.07214(x11)^5 + -42932279646.773476(x11)^6 + 3408915343.8006086(x11)^7 + -  
157856996.52573764(x11)^8 + 3248086.3482662067(x11)^9^(-0.003792) \* (3.87628850739e+14 + -  
719192188094420.5(x11)^1 + 600336610271334.0(x11)^2 + -296899463638370.75(x11)^3 +  
96338932913755.62(x11)^4 + -21431175417296.31(x11)^5 + 3310062804745.054(x11)^6 + -  
350492144486.04565(x11)^7 + 24349963727.97243(x11)^8 + -1002266644.607858(x11)^9 +  
18560493.418664034(x11)^10^(-0.023946) \* (-1.19485435558e+16 + 2.438624007021029e+16(x11)^1 + -  
2.2618762623082668e+16(x11)^2 + 1.2585222718800264e+16(x11)^3 + -4667437789651914.0(x11)^4 +  
1211465521649765.5(x11)^5 + -224560008079893.75(x11)^6 + 29726421855911.625(x11)^7 + -  
2754024706529.741(x11)^8 + 170066486821.39374(x11)^9 + -6299961766.106533(x11)^10 +  
106059962.39236589(x11)^11^(-0.005451) \* (4.24668537744 + -0.6854215188540387(x12)^1 +  
0.031347885609606156(x12)^2^(-0.005752) \* (-6.51878256997 + 2.5640203148188214(x12)^1 + -  
0.25743531224564825(x12)^2 + 0.007849235833391211(x12)^3^(0.001456) \* (18.3352465027 + -  
8.215970571719183(x12)^1 + 1.3153643186957134(x12)^2 + -0.08594606146959564(x12)^3 +  
0.0019653798643859055(x12)^4^(-0.004240) \* (-38.9347591867 + 24.266989332253758(x12)^1 + -  
5.400452884526826(x12)^2 + 0.5567753990866884(x12)^3 + -0.026900175733832753(x12)^4 +  
0.0004921138940559386(x12)^5^(-0.011167) \* (92.9822507889 + -68.21185291786222(x12)^1 +  
19.5440886997314(x12)^2 + -2.790398210215424(x12)^3 + 0.21108290064811858(x12)^4 + -  
0.00808268191063519(x12)^5 + 0.00012322100633638524(x12)^6^(0.014210) \* (-210.857655649 +  
185.48783578533926(x12)^1 + -65.17922852459385(x12)^2 + 11.975335307119636(x12)^3 + -  
1.2496098766107004(x12)^4 + 0.07448674573314601(x12)^5 + -0.0023611381689909797(x12)^6 +  
3.085346011552681e-05(x12)^7^(-0.010401) \* (488.957359948 + -492.5902554695055(x12)^1 +  
205.3222027883341(x12)^2 + -46.311218508327116(x12)^3 + 6.2081209261227395(x12)^4 + -  
0.5087088609596794(x12)^5 + 0.024990992143119607(x12)^6 + -0.0006756666345424665(x12)^7 +  
7.725436022667119e-06(x12)^8^(-0.010404) \* (-1122.87789055 + 1285.1100553867395(x12)^1 + -  
620.2105022930507(x12)^2 + 166.20797589929543(x12)^3 + -27.34043720524569(x12)^4 +  
2.8725130786335358(x12)^5 + -0.1934254990928142(x12)^6 + 0.00807624328486228(x12)^7 + -  
0.00019032862944858207(x12)^8 + 1.934381476724161e-06(x12)^9^(-0.014514) \* (2589.54843997 +  
3306.6820001964347(x12)^1 + 1814.2236805808093(x12)^2 + -563.9621333069088(x12)^3 +  
110.25067234978187(x12)^4 + -14.200320606935612(x12)^5 + 1.223744493920286(x12)^6 + -  
0.06986430927896514(x12)^7 + 0.0025355011120358996(x12)^8 + -5.2951800924661996e-05(x12)^9 +  
4.843521694457992e-07(x12)^10^(0.002819) \* (-5961.02028035 + 8414.75834076277(x12)^1 + -  
5174.0135698562135(x12)^2 + 1831.8489137303977(x12)^3 + -415.6711706247132(x12)^4 +  
63.60527781591554(x12)^5 + -6.7120911924174536(x12)^6 + 0.48958536675897424(x12)^7 + -  
0.024243768443802775(x12)^8 + 0.0007778832524875366(x12)^9 + -1.4584533588013319e-05(x12)^10 +  
1.2127753851538006e-07(x12)^11^(0.011389) \* (3.75880824757 + -0.7333464410844193(x21)^1 +  
0.041257183745958895(x21)^2^(0.013954) \* (-4.76665229451 + 2.521055581387911(x21)^1 + -  
0.3159841038783853(x21)^2 + 0.01185125565413541(x21)^3^(-0.013149) \* (12.9632376461 + -  
7.359302398871534(x21)^1 + 1.4896194567156746(x21)^2 + -0.12102323547705963(x21)^3 +  
0.0034043104212956297(x21)^4^(-0.025380) \* (-23.7750423784 + 19.70344358302433(x21)^1 + -  
5.600940943283436(x21)^2 + 0.7250143707783362(x21)^3 + -0.043455380781709026(x21)^4 +  
0.0009778988642859979(x21)^5^(0.000392) \* (52.2865114779 + -50.05955497205151(x21)^1 +  
18.46924767907057(x21)^2 + -3.338799001815838(x21)^3 + 0.3157982942396093(x21)^4 + -  
0.0149792335908225(x21)^5 + 0.0002809045211593531(x21)^6^(0.007501) \* (-105.157487822 +  
122.82892447212576(x21)^1 + -55.93011649866736(x21)^2 + 13.104163024613786(x21)^3 + -  
1.7218462614072647(x21)^4 + 0.12797757195166926(x21)^5 + -0.0050199705630524245(x21)^6 +  
8.069070625762388e-05(x21)^7^(0.015251) \* (220.729552584 + -294.01213021800686(x21)^1 +  
159.60122552855086(x21)^2 + -46.18173683442759(x21)^3 + 7.844222294017729(x21)^4 + -  
0.8063484309341974(x21)^5 + 0.04929685069055991(x21)^6 + -0.0016480026470138765(x21)^7 +  
2.3178658889084058e-05(x21)^8^(0.012659) \* (-453.803775688 + 690.8909634695492(x21)^1 + -  
435.9817031359473(x21)^2 + 150.64202344419084(x21)^3 + -31.570006513461003(x21)^4 +  
4.183877070474302(x21)^5 + -0.3524591508578593(x21)^6 + 0.018287273161863238(x21)^7 + -  
0.0005325681803635508(x21)^8 + 6.6581425893239664e-06(x21)^9^(-0.003376) \* (942.367339747 + -  
1600.4502650491247(x21)^1 + 1151.9042251257488(x21)^2 + -463.63878352354516(x21)^3 +  
116.02520860941505(x21)^4 + -18.943515548182887(x21)^5 + 2.05234990657293(x21)^6 + -  
0.1462837147200005(x21)^7 + 0.00658952449797822(x21)^8 + -0.0001699798700541953(x21)^9 +  
1.9125723775436886e-06(x21)^10^(0.010106) \* (-1947.47155128 + 3665.408949024765(x21)^1 + -  
2964.520721525947(x21)^2 + 1363.8984185497075(x21)^3 + -397.81967392882893(x21)^4 +  
77.50680962076893(x21)^5 + -10.328697141522696(x21)^6 + 0.944713494133486(x21)^7 + -  
0.05831069607695262(x21)^8 + 0.002320155672300407(x21)^9 + -5.370997689324664e-05(x21)^10 +  
5.493924244290668e-07(x21)^11^(-0.006605) \* (4034.00706944 + -8316.9051635283(x21)^1 +



$$\begin{aligned}
& 7469.305645347966(x_{21})^2 + -3869.9103486521017(x_{21})^3 + 1291.3775262105992(x_{21})^4 + - \\
& 293.2033984721871(x_{21})^5 + 46.58049906033605(x_{21})^6 + -5.23248492316411(x_{21})^7 + - \\
& 0.41364740347829543(x_{21})^8 + -0.02250322073734903(x_{21})^9 + 0.0008016789800645783(x_{21})^{10} + - \\
& 1.6830937756656368e-05(x_{21})^{11} + 1.5781470001553086e-07(x_{21})^{12} \wedge (-0.015968) * (350.479414964 + - \\
& 94.4040501622978(x_{22})^1 + 6.366177770739619(x_{22})^2 \wedge (-0.002173) * (-9231.8559224 + - \\
& 3742.8661726763107(x_{22})^1 + -505.28483583745503(x_{22})^2 + 22.71606697855351(x_{22})^3 \wedge (0.000883) * \\
& (243922.743552 + -131874.6848337129(x_{22})^1 + 26717.275527824706(x_{22})^2 + -2403.971862444033(x_{22})^3 + \\
& 81.05643881731854(x_{22})^4 \wedge (0.000197) * (-6444139.08813 + 4355602.697616832(x_{22})^1 + - \\
& 1176907.4689010736(x_{22})^2 + 158912.25236091085(x_{22})^3 + -10722.443632667413(x_{22})^4 + \\
& 289.22904127499936(x_{22})^5 \wedge (0.001683) * (170246986.245 + -138097407.34765923(x_{22})^1 + \\
& 46652259.08766163(x_{22})^2 + -8401386.800772876(x_{22})^3 + 850637.2688968596(x_{22})^4 + - \\
& 45912.33669652417(x_{22})^5 + 1032.0393979482585(x_{22})^6 \wedge (0.001342) * (-4497735241.95 + \\
& 4256733467.8599358(x_{22})^1 + -1725854608.5101414(x_{22})^2 + 388580932.60755754(x_{22})^3 + - \\
& 52472549.031866506(x_{22})^4 + 4249681.47330748(x_{22})^5 + -191130.7504464284(x_{22})^6 + \\
& 3682.5669864344654(x_{22})^7 \wedge (0.000657) * (118825142699.0 + -128530182843.83707(x_{22})^1 + \\
& 60802883736.12512(x_{22})^2 + -16430449401.170246(x_{22})^3 + 2773952743.2996383(x_{22})^4 + - \\
& 299621571.3946321(x_{22})^5 + 20219558.228193577(x_{22})^6 + -779429.5927470003(x_{22})^7 + \\
& 13140.292547491406(x_{22})^8 \wedge (0.000424) * (-3.13922758335e+12 + 3820229201925.5107(x_{22})^1 + - \\
& 2065546810174.1377(x_{22})^2 + 651266908170.3434(x_{22})^3 + -131965090399.64049(x_{22})^4 + \\
& 17820895311.943783(x_{22})^5 + -1603874831.3461585(x_{22})^6 + 92765769.50657724(x_{22})^7 + - \\
& 3128843.1466204305(x_{22})^8 + 46887.752176597365(x_{22})^9 \wedge (-0.001416) * (8.29348873168e+13 + - \\
& 112143787394431.69(x_{22})^1 + 68218326557697.1(x_{22})^2 + -24584337796105.168(x_{22})^3 + \\
& 5812469832942.619(x_{22})^4 + -942066546814.1462(x_{22})^5 + 106002350464.82227(x_{22})^6 + - \\
& 8176514519.92617(x_{22})^7 + 413776608.20770043(x_{22})^8 + -12404968.36800647(x_{22})^9 + \\
& 167306.87663371055(x_{22})^{10} \wedge (0.000530) * (-2.19104711322e+15 + 3259070043600384.5(x_{22})^1 + - \\
& 2202924889073775.8(x_{22})^2 + 893189586426063.0(x_{22})^3 + -241369891724794.75(x_{22})^4 + \\
& 45646486845262.93(x_{22})^5 + -6164394249470.424(x_{22})^6 + 594473219503.6956(x_{22})^7 + - \\
& 40119837014.06004(x_{22})^8 + 1804603410.8108366(x_{22})^9 + -48690330.79324575(x_{22})^{10} + \\
& 596991.5312532047(x_{22})^{11} \wedge (0.000938) * (5.78850180868e+16 + -9.393039662829485e+16(x_{22})^1 + - \\
& 6.984313451425552e+16(x_{22})^2 + -3.1466866429839308e+16(x_{22})^3 + 9567163974839866.0(x_{22})^4 + - \\
& 2067981282031230.2(x_{22})^5 + 325861483851003.25(x_{22})^6 + -37715698366766.71(x_{22})^7 + \\
& 3182250812310.415(x_{22})^8 + -190888822519.6499(x_{22})^9 + 7727282714.452031(x_{22})^{10} + - \\
& 189533361.29071423(x_{22})^{11} + 2130210.637834808(x_{22})^{12} \wedge (-0.000859) * (163.476293492 + - \\
& 72.42666555194403(x_{31})^1 + 8.046602623287008(x_{31})^2 \wedge (-0.002688) * (-2923.34544196 + \\
& 1957.3919585793597(x_{31})^1 + -435.82388257112063(x_{31})^2 + 32.28002255856789(x_{31})^3 \wedge (-0.040007) * \\
& (52635.1156001 + -46998.03800979724(x_{31})^1 + 15712.725841049603(x_{31})^2 + -2331.1543881048146(x_{31})^3 + \\
& 129.49562755417872(x_{31})^4 \wedge (-0.002900) * (-947339.244077 + 1057701.361471378(x_{31})^1 + - \\
& 471783.11111351347(x_{31})^2 + 105088.44851819333(x_{31})^3 + -11689.671989293027(x_{31})^4 + \\
& 519.4890283990724(x_{31})^5 \wedge (0.003418) * (17050796.4359 + -22849290.5441211(x_{31})^1 + \\
& 12745044.12455386(x_{31})^2 + -3787573.245360032(x_{31})^3 + 632494.0439267821(x_{31})^4 + - \\
& 56273.61904383367(x_{31})^5 + 2083.9997127633037(x_{31})^6 \wedge (-0.031062) * (-306890397.477 + \\
& 479868524.95569324(x_{31})^1 + -321292230.0248589(x_{31})^2 + 119404802.78258969(x_{31})^3 + - \\
& 26601813.749333825(x_{31})^4 + 3552787.7128675138(x_{31})^5 + -263374.00682434783(x_{31})^6 + \\
& 8360.24355736959(x_{31})^7 \wedge (-0.006759) * (5523596658.47 + -9871904301.326036(x_{31})^1 + \\
& 7712972101.88315(x_{31})^2 + -3440872239.041332(x_{31})^3 + 958649164.6494007(x_{31})^4 + - \\
& 170803047.25833434(x_{31})^5 + 19005394.736141823(x_{31})^6 + -1207497.201653242(x_{31})^7 + \\
& 33538.23511130114(x_{31})^8 \wedge (0.029348) * (-99416991165.6 + 199907688873.00256(x_{31})^1 + - \\
& 178532381813.6862(x_{31})^2 + 92944262111.57593(x_{31})^3 + -31084519927.65165(x_{31})^4 + \\
& 6925901584.699818(x_{31})^5 + -1028062274.3678777(x_{31})^6 + 98034666.60358801(x_{31})^7 + - \\
& 5449541.0765616195(x_{31})^8 + 134543.1154800969(x_{31})^9 \wedge (-0.020690) * (1.78936637585e+12 + - \\
& 3998117463084.3667(x_{31})^1 + 4017495117784.414(x_{31})^2 + -2390795959507.938(x_{31})^3 + \\
& 933104493228.1934(x_{31})^4 + -249570220779.89624(x_{31})^5 + 46325972831.635284(x_{31})^6 + - \\
& 5892935074.993697(x_{31})^7 + 491632508.2661415(x_{31})^8 + -24290625.376086753(x_{31})^9 + \\
& 539737.7012540244(x_{31})^{10} \wedge (0.021362) * (-3.22060845881e+13 + 79161015438528.81(x_{31})^1 + - \\
& 88392938346968.73(x_{31})^2 + 59187580434516.3(x_{31})^3 + -26406328281423.312(x_{31})^4 + \\
& 8242127526705.653(x_{31})^5 + -1836532644615.7307(x_{31})^6 + 292136776244.6016(x_{31})^7 + - \\
& 32510858138.474358(x_{31})^8 + 2410661779.178979(x_{31})^9 + -107189601.49912919(x_{31})^{10} + \\
& 2165229.971934709(x_{31})^{11} \wedge (-0.015115) * (371.594459057 + -199.21860639218733(x_{32})^1 + \\
& 26.737163654836575(x_{32})^2 \wedge (0.013925) * (-10081.5367987 + 8133.699284615288(x_{32})^1 + - \\
& 2185.2132328210673(x_{32})^2 + 195.5185642035581(x_{32})^3 \wedge (-0.008829) * (274310.411709 + - \\
& 295118.02807365346(x_{32})^1 + 118983.94790757126(x_{32})^2 + -21306.161928785536(x_{32})^3 + \\
& 1429.7518406110278(x_{32})^4 \wedge (-0.011602) * (-7462967.38327 + 10037728.277292417(x_{32})^1 + - \\
& 5397395.9641222805(x_{32})^2 + 1450335.0421177833(x_{32})^3 + -194754.6794221712(x_{32})^4 + -
\end{aligned}$$

10455.22369733841(x32)^5)^(-0.056700) \* (203040417.087 + -327737972.1388575(x32)^1 +  
220325088.75139743(x32)^2 + -78959455.54580122(x32)^3 + 15910040.817117937(x32)^4 + -  
1708999.0150391618(x32)^5 + 76455.01789644173(x32)^6)^((0.007376) \* (-5523996410.0 +  
10403331421.923018(x32)^1 + -8393572185.624094(x32)^2 + 3760805901.793566(x32)^3 + -  
1010644825.649456(x32)^4 + 162892043.11375302(x32)^5 + -14580125.66151631(x32)^6 +  
559086.0540873251(x32)^7)^(-0.010827) \* (150287991608.0 + -323486577372.45605(x32)^1 +  
304522523901.856(x32)^2 + -163756174531.70114(x32)^3 + 55018555770.88755(x32)^4 + -  
11826438220.50776(x32)^5 + 1588298691.3494306(x32)^6 + -121850096.93615088(x32)^7 +  
4088380.651461243(x32)^8)^(-0.009138) \* (-4.08879346415e+12 + 9901386325676.68(x32)^1 + -  
10653290085356.023(x32)^2 + 6684328057862.07(x32)^3 + -2695353553025.4844(x32)^4 +  
724355947893.9185(x32)^5 + -129737851282.96776(x32)^6 + 14933636361.734283(x32)^7 + -  
1002423100.9372556(x32)^8 + 29896750.65053925(x32)^9)^(-0.005192) \* (1.11241302873e+14 + -  
299321180482691.06(x32)^1 + 362329616698551.75(x32)^2 + -259841759473886.25(x32)^3 +  
122254800235150.56(x32)^4 + -39431988091244.05(x32)^5 + 8829814354680.605(x32)^6 + -  
1355440223384.664(x32)^7 + 136508991138.73451(x32)^8 + -8144814957.848918(x32)^9 +  
218623405.12277326(x32)^10)^(-0.012654) \* (-3.02647408663e+15 + 8958013500409862.0(x32)^1 + -  
1.204916511937092e+16(x32)^2 + 9721798974454132.0(x32)^3 + -5228032381364267.0(x32)^4 +  
1967529186056349.0(x32)^5 + -528773088251873.4(x32)^6 + 101480546487222.69(x32)^7 + -  
13629743243239.238(x32)^8 + 1220098068618.2751(x32)^9 + -65515879002.80663(x32)^10 +  
1598708629.7826195(x32)^11)^((0.010475) \* (245.608510216 + -89.09796809023156(x33)^1 +  
8.096870964215881(x33)^2)^((0.014373) \* (-5403.76870507 + 2955.032316493687(x33)^1 + -  
537.8146967217198(x33)^2 + 32.58298174734762(x33)^3)^(-0.033998) \* (119422.53803 + -  
87087.38698328767(x33)^1 + 23791.053140531116(x33)^2 + -2885.659003201716(x33)^3 +  
131.11863882232444(x33)^4)^(-0.027201) \* (-2638688.00289 + 2405802.8800063906(x33)^1 + -  
876668.4684521311(x33)^2 + 159596.99036290846(x33)^3 + -14515.387340048876(x33)^4 +  
527.64039767535(x33)^5)^(-0.000779) \* (58303383.864 + -63797888.26166082(x33)^1 +  
29067689.000903808(x33)^2 + -7058567.497652145(x33)^3 + 963493.2335054731(x33)^4 + -  
70094.42578695636(x33)^5 + 2123.301399095976(x33)^6)^((0.014094) \* (-1288247477.07 +  
1644754615.9518125(x33)^1 + -899438474.9707172(x33)^2 + 273095643.94720614(x33)^3 + -  
49722737.201791786(x33)^4 + 5428658.5333862575(x33)^5 + -329081.8112063679(x33)^6 +  
8544.472430969725(x33)^7)^((0.011597) \* (28464584442.5 + -41536553721.5509(x33)^1 +  
26503991084.603523(x33)^2 + -9658980498.772955(x33)^3 + 2198916362.0238976(x33)^4 + -  
320216490.8960762(x33)^5 + 29129734.47986326(x33)^6 + -1513454.7224207781(x33)^7 +  
34384.19489323833(x33)^8)^(-0.010502) \* (-628941706634.0 + 1032555257526.7192(x33)^1 + -  
753070431420.5605(x33)^2 + 320240794854.4526(x33)^3 + -87505280573.17424(x33)^4 +  
15933193051.46303(x33)^5 + -1933225405.1275616(x33)^6 + 150722893.60653234(x33)^7 + -  
6851656.188021632(x33)^8 + 138366.98146172368(x33)^9)^((0.024870) \* (1.38968363005e+13 + -  
25351061971617.36(x33)^1 + 20802263699871.71(x33)^2 + -10111207356361.424(x33)^3 +  
3223937295179.4546(x33)^4 + -704588068186.4636(x33)^5 + 106891591514.91603(x33)^6 + -  
11115197876.266323(x33)^7 + 758197832.9199051(x33)^8 + -30635618.994060513(x33)^9 +  
556808.7785180028(x33)^10)^((0.015829) \* (-3.07058757791e+14 + 616184262723654.8(x33)^1 + -  
561842973223756.7(x33)^2 + 307261757493162.75(x33)^3 + -111982154093425.97(x33)^4 +  
28557832788201.566(x33)^5 + -5200101401160.392(x33)^6 + 676096400768.9019(x33)^7 + -  
61509455599.311554(x33)^8 + 3729258045.9973154(x33)^9 + -135610385.8892015(x33)^10 +  
2240679.1892072554(x33)^11)^(-0.000688) + -325.954

### 3)Смещенный полином Чебышева 2го рода:



Нормализованная невязка(max) (Y - Φ)

-----  
0.165393 0.0312598 0.0937767 0.246763  
-----

Нормализованная невязка(avg) (Y - Φ)

-----  
-0.00240191 0.00109564 0.0043047 0.0115668  
-----

Невязка(max) (Y\_ - Φ\_)

-----  
141.25 26.9458 77.2234 98.4019  
-----

Невязка(avg) (Y\_ - Φ\_)

-----  
-2.05129 0.94444 3.54484 4.61252  
-----

$$\text{Psi}^1_{[1,1]} = (1 + T^0(x_{11}))^{(0.009843)} * (1 + T^1(x_{11}))^{(-0.006828)} * (1 + T^2(x_{11}))^{(0.017423)} * (1 + T^3(x_{11}))^{(0.012034)} * (1 + T^4(x_{11}))^{(-0.017325)} * (1 + T^5(x_{11}))^{(-0.007009)} * (1 + T^6(x_{11}))^{(-0.012596)} * (1 + T^7(x_{11}))^{(0.013968)} * (1 + T^8(x_{11}))^{(0.006093)} * (1 + T^9(x_{11}))^{(-0.020336)} * (1 + T^{10}(x_{11}))^{(-0.002654)} - 1$$

$$\text{Psi}^1_{[1,2]} = (1 + T^0(x_{12}))^{(0.009843)} * (1 + T^1(x_{12}))^{(-0.021553)} * (1 + T^2(x_{12}))^{(0.006423)} * (1 + T^3(x_{12}))^{(0.001038)} * (1 + T^4(x_{12}))^{(-0.022285)} * (1 + T^5(x_{12}))^{(0.020023)} * (1 + T^6(x_{12}))^{(-0.016468)} * (1 + T^7(x_{12}))^{(-0.010531)} * (1 + T^8(x_{12}))^{(-0.006479)} * (1 + T^9(x_{12}))^{(0.000047)} * (1 + T^{10}(x_{12}))^{(-0.000819)} - 1$$

$$\text{Psi}^1_{[2,1]} = (1 + T^0(x_{21}))^{(0.009843)} * (1 + T^1(x_{21}))^{(0.008260)} * (1 + T^2(x_{21}))^{(-0.013434)} * (1 + T^3(x_{21}))^{(-0.004539)} * (1 + T^4(x_{21}))^{(-0.000575)} * (1 + T^5(x_{21}))^{(0.009442)} * (1 + T^6(x_{21}))^{(0.009704)} * (1 + T^7(x_{21}))^{(0.000614)} * (1 + T^8(x_{21}))^{(-0.009476)} * (1 + T^9(x_{21}))^{(-0.003690)} * (1 + T^{10}(x_{21}))^{(0.002571)} * (1 + T^{11}(x_{21}))^{(-0.010343)} - 1$$

$$\text{Psi}^1_{[2,2]} = (1 + T^0(x_{22}))^{(0.009843)} * (1 + T^1(x_{22}))^{(-0.008874)} * (1 + T^2(x_{22}))^{(-0.001945)} * (1 + T^3(x_{22}))^{(0.009774)} * (1 + T^4(x_{22}))^{(-0.000361)} * (1 + T^5(x_{22}))^{(-0.001805)} * (1 + T^6(x_{22}))^{(-0.002686)} * (1 + T^7(x_{22}))^{(0.007471)} * (1 + T^8(x_{22}))^{(-0.012886)} * (1 + T^9(x_{22}))^{(0.003686)} * (1 + T^{10}(x_{22}))^{(0.000684)} * (1 + T^{11}(x_{22}))^{(-0.012901)} - 1$$

$$\text{Psi}^1_{[3,1]} = (1 + T^0(x_{31}))^{(0.009843)} * (1 + T^1(x_{31}))^{(0.015101)} * (1 + T^2(x_{31}))^{(-0.016357)} * (1 + T^3(x_{31}))^{(-0.007953)} * (1 + T^4(x_{31}))^{(-0.013367)} * (1 + T^5(x_{31}))^{(-0.018029)} * (1 + T^6(x_{31}))^{(-0.007557)} * (1 + T^7(x_{31}))^{(0.016695)} * (1 + T^8(x_{31}))^{(-0.003821)} * (1 + T^9(x_{31}))^{(0.016661)} * (1 + T^{10}(x_{31}))^{(-0.020777)} - 1$$

$$\text{Psi}^1_{[3,2]} = (1 + T^0(x_{32}))^{(0.009843)} * (1 + T^1(x_{32}))^{(0.013182)} * (1 + T^2(x_{32}))^{(0.000388)} * (1 + T^3(x_{32}))^{(-0.026194)} * (1 + T^4(x_{32}))^{(-0.030604)} * (1 + T^5(x_{32}))^{(-0.003153)} * (1 + T^6(x_{32}))^{(-0.010368)} * (1 + T^7(x_{32}))^{(-0.008135)} * (1 + T^8(x_{32}))^{(-0.007827)} * (1 + T^9(x_{32}))^{(0.005153)} * (1 + T^{10}(x_{32}))^{(0.004667)} - 1$$

$$\text{Psi}^1_{[3,3]} = (1 + T^0(x_{33}))^{(0.009843)} * (1 + T^1(x_{33}))^{(0.014892)} * (1 + T^2(x_{33}))^{(-0.035765)} * (1 + T^3(x_{33}))^{(-0.014163)} * (1 + T^4(x_{33}))^{(0.003257)} * (1 + T^5(x_{33}))^{(0.006563)} * (1 + T^6(x_{33}))^{(0.008086)} * (1 + T^7(x_{33}))^{(-0.010329)} * (1 + T^8(x_{33}))^{(0.008182)} * (1 + T^9(x_{33}))^{(0.005228)} * (1 + T^{10}(x_{33}))^{(0.005534)} - 1$$

$$\text{Psi}^2_{[1,1]} = (1 + T^0(x_{11}))^{(0.012492)} * (1 + T^1(x_{11}))^{(0.008855)} * (1 + T^2(x_{11}))^{(0.006646)} * (1 + T^3(x_{11}))^{(0.009400)} * (1 + T^4(x_{11}))^{(0.009743)} * (1 + T^5(x_{11}))^{(-0.026569)} * (1 + T^6(x_{11}))^{(0.001192)} * (1 + T^7(x_{11}))^{(0.002109)} * (1 + T^8(x_{11}))^{(-0.014020)} * (1 + T^9(x_{11}))^{(-0.004211)} * (1 + T^{10}(x_{11}))^{(-0.010040)} - 1$$

$$\text{Psi}^2_{[1,2]} = (1 + T^0(x_{12}))^{(0.012492)} * (1 + T^1(x_{12}))^{(-0.019877)} * (1 + T^2(x_{12}))^{(-0.002279)} * (1 + T^3(x_{12}))^{(-0.007078)} * (1 + T^4(x_{12}))^{(-0.018701)} * (1 + T^5(x_{12}))^{(0.024684)} * (1 + T^6(x_{12}))^{(-0.018545)} *$$

$$(1 + T^7(x_{12}))^{(-0.008250)} * (1 + T^8(x_{12}))^{(-0.022081)} * (1 + T^9(x_{12}))^{(0.004183)} * (1 + T^{10}(x_{12}))^{(0.021464)} - 1$$

$$\text{Psi}^2_{[2,1]} = (1 + T^0(x_{21}))^{(0.012492)} * (1 + T^1(x_{21}))^{(0.012955)} * (1 + T^2(x_{21}))^{(-0.012649)} * (1 + T^3(x_{21}))^{(-0.002394)} * (1 + T^4(x_{21}))^{(0.007986)} * (1 + T^5(x_{21}))^{(0.004695)} * (1 + T^6(x_{21}))^{(0.008703)} * (1 + T^7(x_{21}))^{(-0.006279)} * (1 + T^8(x_{21}))^{(0.004504)} * (1 + T^9(x_{21}))^{(0.000861)} * (1 + T^{10}(x_{21}))^{(-0.001858)} * (1 + T^{11}(x_{21}))^{(-0.004583)} - 1$$

$$\text{Psi}^2_{[2,2]} = (1 + T^0(x_{22}))^{(0.012492)} * (1 + T^1(x_{22}))^{(-0.025324)} * (1 + T^2(x_{22}))^{(0.003997)} * (1 + T^3(x_{22}))^{(-0.001769)} * (1 + T^4(x_{22}))^{(0.012612)} * (1 + T^5(x_{22}))^{(-0.001276)} * (1 + T^6(x_{22}))^{(-0.000660)} * (1 + T^7(x_{22}))^{(0.012417)} * (1 + T^8(x_{22}))^{(-0.018414)} * (1 + T^9(x_{22}))^{(0.020722)} * (1 + T^{10}(x_{22}))^{(0.008261)} * (1 + T^{11}(x_{22}))^{(-0.017156)} - 1$$

$$\text{Psi}^2_{[3,1]} = (1 + T^0(x_{31}))^{(0.012492)} * (1 + T^1(x_{31}))^{(-0.019349)} * (1 + T^2(x_{31}))^{(-0.041284)} * (1 + T^3(x_{31}))^{(-0.003444)} * (1 + T^4(x_{31}))^{(0.019401)} * (1 + T^5(x_{31}))^{(-0.012643)} * (1 + T^6(x_{31}))^{(0.001267)} * (1 + T^7(x_{31}))^{(-0.000252)} * (1 + T^8(x_{31}))^{(-0.015138)} * (1 + T^9(x_{31}))^{(0.014048)} * (1 + T^{10}(x_{31}))^{(-0.003543)} - 1$$

$$\text{Psi}^2_{[3,2]} = (1 + T^0(x_{32}))^{(0.012492)} * (1 + T^1(x_{32}))^{(0.011221)} * (1 + T^2(x_{32}))^{(-0.003526)} * (1 + T^3(x_{32}))^{(0.018023)} * (1 + T^4(x_{32}))^{(-0.017757)} * (1 + T^5(x_{32}))^{(0.004371)} * (1 + T^6(x_{32}))^{(-0.005382)} * (1 + T^7(x_{32}))^{(-0.007694)} * (1 + T^8(x_{32}))^{(-0.009790)} * (1 + T^9(x_{32}))^{(-0.003738)} * (1 + T^{10}(x_{32}))^{(0.003294)} - 1$$

$$\text{Psi}^2_{[3,3]} = (1 + T^0(x_{33}))^{(0.012492)} * (1 + T^1(x_{33}))^{(0.006866)} * (1 + T^2(x_{33}))^{(-0.014019)} * (1 + T^3(x_{33}))^{(-0.020565)} * (1 + T^4(x_{33}))^{(-0.007935)} * (1 + T^5(x_{33}))^{(0.012617)} * (1 + T^6(x_{33}))^{(0.004894)} * (1 + T^7(x_{33}))^{(-0.007969)} * (1 + T^8(x_{33}))^{(0.003336)} * (1 + T^9(x_{33}))^{(0.010983)} * (1 + T^{10}(x_{33}))^{(-0.006623)} - 1$$

$$\text{Psi}^3_{[1,1]} = (1 + T^0(x_{11}))^{(0.009930)} * (1 + T^1(x_{11}))^{(0.002620)} * (1 + T^2(x_{11}))^{(-0.000929)} * (1 + T^3(x_{11}))^{(0.013620)} * (1 + T^4(x_{11}))^{(-0.001511)} * (1 + T^5(x_{11}))^{(-0.017130)} * (1 + T^6(x_{11}))^{(0.000921)} * (1 + T^7(x_{11}))^{(0.006329)} * (1 + T^8(x_{11}))^{(0.003092)} * (1 + T^9(x_{11}))^{(-0.012764)} * (1 + T^{10}(x_{11}))^{(-0.000674)} - 1$$

$$\text{Psi}^3_{[1,2]} = (1 + T^0(x_{12}))^{(0.009930)} * (1 + T^1(x_{12}))^{(-0.017169)} * (1 + T^2(x_{12}))^{(-0.007174)} * (1 + T^3(x_{12}))^{(-0.000843)} * (1 + T^4(x_{12}))^{(-0.015996)} * (1 + T^5(x_{12}))^{(0.018118)} * (1 + T^6(x_{12}))^{(-0.014768)} * (1 + T^7(x_{12}))^{(-0.010252)} * (1 + T^8(x_{12}))^{(-0.024526)} * (1 + T^9(x_{12}))^{(0.004070)} * (1 + T^{10}(x_{12}))^{(0.009460)} - 1$$

$$\text{Psi}^3_{[2,1]} = (1 + T^0(x_{21}))^{(0.009930)} * (1 + T^1(x_{21}))^{(0.018648)} * (1 + T^2(x_{21}))^{(-0.012828)} * (1 + T^3(x_{21}))^{(-0.011720)} * (1 + T^4(x_{21}))^{(0.000951)} * (1 + T^5(x_{21}))^{(0.009070)} * (1 + T^6(x_{21}))^{(0.009347)} * (1 + T^7(x_{21}))^{(-0.000967)} * (1 + T^8(x_{21}))^{(-0.003339)} * (1 + T^9(x_{21}))^{(0.002770)} * (1 + T^{10}(x_{21}))^{(-0.002255)} * (1 + T^{11}(x_{21}))^{(-0.015214)} - 1$$

$$\text{Psi}^3_{[2,2]} = (1 + T^0(x_{22}))^{(0.009930)} * (1 + T^1(x_{22}))^{(-0.017951)} * (1 + T^2(x_{22}))^{(-0.000028)} * (1 + T^3(x_{22}))^{(0.003346)} * (1 + T^4(x_{22}))^{(0.014879)} * (1 + T^5(x_{22}))^{(0.000049)} * (1 + T^6(x_{22}))^{(0.004696)} * (1 + T^7(x_{22}))^{(0.012805)} * (1 + T^8(x_{22}))^{(-0.010544)} * (1 + T^9(x_{22}))^{(0.011018)} * (1 + T^{10}(x_{22}))^{(0.013352)} * (1 + T^{11}(x_{22}))^{(-0.012206)} - 1$$

$$\text{Psi}^3_{[3,1]} = (1 + T^0(x_{31}))^{(0.009930)} * (1 + T^1(x_{31}))^{(-0.004283)} * (1 + T^2(x_{31}))^{(-0.040008)} * (1 + T^3(x_{31}))^{(-0.004138)} * (1 + T^4(x_{31}))^{(0.004360)} * (1 + T^5(x_{31}))^{(-0.019162)} * (1 + T^6(x_{31}))^{(-0.002666)} * (1 + T^7(x_{31}))^{(0.013516)} * (1 + T^8(x_{31}))^{(-0.009035)} * (1 + T^9(x_{31}))^{(0.013067)} * (1 + T^{10}(x_{31}))^{(-0.007175)} - 1$$

$$\text{Psi}^3_{[3,2]} = (1 + T^0(x_{32}))^{(0.009930)} * (1 + T^1(x_{32}))^{(0.008304)} * (1 + T^2(x_{32}))^{(0.001024)} * (1 + T^3(x_{32}))^{(0.001185)} * (1 + T^4(x_{32}))^{(-0.024888)} * (1 + T^5(x_{32}))^{(0.003076)} * (1 + T^6(x_{32}))^{(-0.014224)} * (1 + T^7(x_{32}))^{(-0.006155)} * (1 + T^8(x_{32}))^{(-0.005286)} * (1 + T^9(x_{32}))^{(-0.003254)} * (1 + T^{10}(x_{32}))^{(0.004225)} - 1$$

$$\text{Psi}^3_{[3,3]} = (1 + T^0(x_{33}))^{(0.009930)} * (1 + T^1(x_{33}))^{(0.016632)} * (1 + T^2(x_{33}))^{(-0.021368)} * (1 + T^3(x_{33}))^{(-0.022882)} * (1 + T^4(x_{33}))^{(-0.000946)} * (1 + T^5(x_{33}))^{(0.013761)} * (1 + T^6(x_{33}))^{(0.008602)} * (1 + T^7(x_{33}))^{(-0.014258)} * (1 + T^8(x_{33}))^{(0.012751)} * (1 + T^9(x_{33}))^{(0.011085)} * (1 + T^{10}(x_{33}))^{(-0.000461)} - 1$$

$$\text{Psi}^4_{[1,1]} = (1 + T^0(x_{11}))^{(0.014006)} * (1 + T^1(x_{11}))^{(0.003047)} * (1 + T^2(x_{11}))^{(-0.010609)} * (1 + T^3(x_{11}))^{(0.016976)} * (1 + T^4(x_{11}))^{(-0.010131)} * (1 + T^5(x_{11}))^{(-0.018346)} * (1 + T^6(x_{11}))^{(0.000623)} * (1 + T^7(x_{11}))^{(0.003816)} * (1 + T^8(x_{11}))^{(-0.002970)} * (1 + T^9(x_{11}))^{(-0.018758)} * (1 + T^{10}(x_{11}))^{(-0.004271)} - 1$$

$$\text{Psi}^4_{[1,2]} = (1 + T^0(x_{12}))^{(0.014006)} * (1 + T^1(x_{12}))^{(-0.011027)} * (1 + T^2(x_{12}))^{(0.002792)} * (1 + T^3(x_{12}))^{(-0.008128)} * (1 + T^4(x_{12}))^{(-0.021409)} * (1 + T^5(x_{12}))^{(0.027243)} * (1 + T^6(x_{12}))^{(-0.019940)} * (1 + T^7(x_{12}))^{(-0.019946)} * (1 + T^8(x_{12}))^{(-0.027825)} * (1 + T^9(x_{12}))^{(0.005405)} * (1 + T^{10}(x_{12}))^{(0.021836)} - 1$$

$$\text{Psi}^4_{[2,1]} = (1 + T^0(x_{21}))^{(0.014006)} * (1 + T^1(x_{21}))^{(0.013473)} * (1 + T^2(x_{21}))^{(-0.012696)} * (1 + T^3(x_{21}))^{(-0.024505)} * (1 + T^4(x_{21}))^{(0.000379)} * (1 + T^5(x_{21}))^{(0.007243)} * (1 + T^6(x_{21}))^{(0.014725)} * (1 + T^7(x_{21}))^{(0.012223)} * (1 + T^8(x_{21}))^{(-0.003259)} * (1 + T^9(x_{21}))^{(0.009758)} * (1 + T^{10}(x_{21}))^{(-0.006377)} * (1 + T^{11}(x_{21}))^{(-0.015418)} - 1$$

$$\text{Psi}^4_{[2,2]} = (1 + T^0(x_{22}))^{(0.014006)} * (1 + T^1(x_{22}))^{(-0.024251)} * (1 + T^2(x_{22}))^{(0.009854)} * (1 + T^3(x_{22}))^{(0.002203)} * (1 + T^4(x_{22}))^{(0.018781)} * (1 + T^5(x_{22}))^{(0.014977)} * (1 + T^6(x_{22}))^{(0.007329)} * (1 + T^7(x_{22}))^{(0.004733)} * (1 + T^8(x_{22}))^{(-0.015800)} * (1 + T^9(x_{22}))^{(0.005920)} * (1 + T^{10}(x_{22}))^{(0.010465)} * (1 + T^{11}(x_{22}))^{(-0.009581)} - 1$$

$$\text{Psi}^4_{[3,1]} = (1 + T^0(x_{31}))^{(0.014006)} * (1 + T^1(x_{31}))^{(-0.003010)} * (1 + T^2(x_{31}))^{(-0.044802)} * (1 + T^3(x_{31}))^{(-0.003247)} * (1 + T^4(x_{31}))^{(0.003828)} * (1 + T^5(x_{31}))^{(-0.034785)} * (1 + T^6(x_{31}))^{(-0.007569)} * (1 + T^7(x_{31}))^{(0.032865)} * (1 + T^8(x_{31}))^{(-0.023169)} * (1 + T^9(x_{31}))^{(0.023923)} * (1 + T^{10}(x_{31}))^{(-0.016927)} - 1$$

$$\text{Psi}^4_{[3,2]} = (1 + T^0(x_{32}))^{(0.014006)} * (1 + T^1(x_{32}))^{(0.012118)} * (1 + T^2(x_{32}))^{(-0.007684)} * (1 + T^3(x_{32}))^{(-0.010097)} * (1 + T^4(x_{32}))^{(-0.049344)} * (1 + T^5(x_{32}))^{(0.006419)} * (1 + T^6(x_{32}))^{(-0.009423)} * (1 + T^7(x_{32}))^{(-0.007953)} * (1 + T^8(x_{32}))^{(-0.004519)} * (1 + T^9(x_{32}))^{(-0.011012)} * (1 + T^{10}(x_{32}))^{(0.009116)} - 1$$

$$\text{Psi}^4_{[3,3]} = (1 + T^0(x_{33}))^{(0.014006)} * (1 + T^1(x_{33}))^{(0.017552)} * (1 + T^2(x_{33}))^{(-0.041517)} * (1 + T^3(x_{33}))^{(-0.033216)} * (1 + T^4(x_{33}))^{(-0.000951)} * (1 + T^5(x_{33}))^{(0.017211)} * (1 + T^6(x_{33}))^{(0.014161)} * (1 + T^7(x_{33}))^{(-0.012824)} * (1 + T^8(x_{33}))^{(0.030370)} * (1 + T^9(x_{33}))^{(0.019330)} * (1 + T^{10}(x_{33}))^{(-0.000840)} - 1$$

$$\text{Phi}^1_{[1]} = (1 + T^0(x_{11}))^{(0.018580)} * (1 + T^1(x_{11}))^{(-0.012889)} * (1 + T^2(x_{11}))^{(0.032889)} * (1 + T^3(x_{11}))^{(0.022717)} * (1 + T^4(x_{11}))^{(-0.032704)} * (1 + T^5(x_{11}))^{(-0.013232)} * (1 + T^6(x_{11}))^{(-0.023778)} * (1 + T^7(x_{11}))^{(0.026367)} * (1 + T^8(x_{11}))^{(0.011502)} * (1 + T^9(x_{11}))^{(-0.038388)} * (1 + T^{10}(x_{11}))^{(-0.005010)} * (1 + T^0(x_{12}))^{(0.015972)} * (1 + T^1(x_{12}))^{(-0.034975)} * (1 + T^2(x_{12}))^{(0.010423)} * (1 + T^3(x_{12}))^{(0.001684)} * (1 + T^4(x_{12}))^{(-0.036162)} * (1 + T^5(x_{12}))^{(0.032492)} * (1 + T^6(x_{12}))^{(-0.026723)} * (1 + T^7(x_{12}))^{(-0.017089)} * (1 + T^8(x_{12}))^{(-0.010513)} * (1 + T^9(x_{12}))^{(0.000077)} * (1 + T^{10}(x_{12}))^{(-0.001329)} - 1$$

$$\text{Phi}^1_{[2]} = (1 + T^0(x_{21}))^{(0.029757)} * (1 + T^1(x_{21}))^{(0.024971)} * (1 + T^2(x_{21}))^{(-0.040615)} * (1 + T^3(x_{21}))^{(-0.013722)} * (1 + T^4(x_{21}))^{(-0.001737)} * (1 + T^5(x_{21}))^{(0.028545)} * (1 + T^6(x_{21}))^{(0.029336)} * (1 + T^7(x_{21}))^{(0.001855)} * (1 + T^8(x_{21}))^{(-0.028647)} * (1 + T^9(x_{21}))^{(-0.011155)} * (1 + T^{10}(x_{21}))^{(0.007774)} * (1 + T^{11}(x_{21}))^{(-0.031270)} * (1 + T^0(x_{22}))^{(0.027968)} * (1 + T^1(x_{22}))^{(-0.025214)} * (1 + T^2(x_{22}))^{(-0.005525)} * (1 + T^3(x_{22}))^{(0.027772)} * (1 + T^4(x_{22}))^{(-0.001025)} * (1 + T^5(x_{22}))^{(-0.005130)} * (1 + T^6(x_{22}))^{(-0.007632)} * (1 + T^7(x_{22}))^{(0.021229)} * (1 + T^8(x_{22}))^{(-0.036615)} * (1 + T^9(x_{22}))^{(0.010474)} * (1 + T^{10}(x_{22}))^{(0.001942)} * (1 + T^{11}(x_{22}))^{(-0.036658)} - 1$$

$$\text{Phi}^1_{[3]} = (1 + T^0(x_{31}))^{(0.013012)} * (1 + T^1(x_{31}))^{(0.019963)} * (1 + T^2(x_{31}))^{(-0.021623)} * (1 + T^3(x_{31}))^{(-0.010514)} * (1 + T^4(x_{31}))^{(-0.017670)} * (1 + T^5(x_{31}))^{(-0.023834)} * (1 + T^6(x_{31}))^{(-0.009990)} * (1 + T^7(x_{31}))^{(0.022070)} * (1 + T^8(x_{31}))^{(-0.005051)} * (1 + T^9(x_{31}))^{(0.022025)} * (1 + T^{10}(x_{31}))^{(-0.027467)} * (1 + T^0(x_{32}))^{(0.018374)} * (1 + T^1(x_{32}))^{(0.024607)} * (1 + T^2(x_{32}))^{(0.000724)} * (1 + T^3(x_{32}))^{(-0.048896)} * (1 + T^4(x_{32}))^{(-0.057129)} * (1 + T^5(x_{32}))^{(-0.005886)} * (1 + T^6(x_{32}))^{(-0.019354)} * (1 + T^7(x_{32}))^{(-0.015186)} * (1 + T^8(x_{32}))^{(-0.014611)} * (1 + T^9(x_{32}))^{(0.009618)} * (1 + T^{10}(x_{32}))^{(0.008712)} * (1 + T^0(x_{33}))^{(0.013198)} * (1 + T^1(x_{33}))^{(0.019968)} * (1 + T^2(x_{33}))^{(-0.047956)} * (1 + T^3(x_{33}))^{(-0.018990)} * (1 + T^4(x_{33}))^{(0.004367)} * (1 + T^5(x_{33}))^{(0.008801)} * (1 + T^6(x_{33}))^{(0.010842)} * (1 + T^7(x_{33}))^{(-0.013850)} * (1 + T^8(x_{33}))^{(0.010971)} * (1 + T^9(x_{33}))^{(0.007010)} * (1 + T^{10}(x_{33}))^{(0.007421)} - 1$$

$$\text{Phi}^2_{[1]} = (1 + T^0(x_{11}))^{(0.019442)} * (1 + T^1(x_{11}))^{(0.013782)} * (1 + T^2(x_{11}))^{(0.010343)} * (1 + T^3(x_{11}))^{(0.014629)} * (1 + T^4(x_{11}))^{(0.015164)} * (1 + T^5(x_{11}))^{(-0.041350)} * (1 + T^6(x_{11}))^{(0.001855)} * (1 + T^7(x_{11}))^{(0.003282)} * (1 + T^8(x_{11}))^{(-0.021820)} * (1 + T^9(x_{11}))^{(-0.006554)} * (1 + T^{10}(x_{11}))^{(-0.015626)} * (1 + T^0(x_{12}))^{(0.016635)} * (1 + T^1(x_{12}))^{(-0.026470)} * (1 + T^2(x_{12}))^{(-0.003035)} * (1 + T^3(x_{12}))^{(-0.009426)} * (1 + T^4(x_{12}))^{(-0.024903)} * (1 + T^5(x_{12}))^{(0.032871)} * (1 + T^6(x_{12}))^{(-0.024696)} * (1 + T^7(x_{12}))^{(-0.010986)} * (1 + T^8(x_{12}))^{(-0.029405)} * (1 + T^9(x_{12}))^{(0.005570)} * (1 + T^{10}(x_{12}))^{(0.028583)} - 1$$

$$\text{Phi}^2_{[2]} = (1 + T^0(x_{21}))^{(0.018504)} * (1 + T^1(x_{21}))^{(0.019190)} * (1 + T^2(x_{21}))^{(-0.018737)} * (1 + T^3(x_{21}))^{(-0.003546)} * (1 + T^4(x_{21}))^{(0.011830)} * (1 + T^5(x_{21}))^{(0.006955)} * (1 + T^6(x_{21}))^{(0.012891)} * (1 + T^7(x_{21}))^{(-0.009300)} * (1 + T^8(x_{21}))^{(0.006671)} * (1 + T^9(x_{21}))^{(0.001275)} * (1 + T^{10}(x_{21}))^{(-0.002752)} * (1 + T^{11}(x_{21}))^{(-0.006789)} * (1 + T^0(x_{22}))^{(0.017574)} * (1 + T^1(x_{22}))^{(-0.035626)} * (1 + T^2(x_{22}))^{(0.005623)} * (1 + T^3(x_{22}))^{(-0.002489)} * (1 + T^4(x_{22}))^{(0.017743)} * (1 + T^5(x_{22}))^{(-0.001795)} * (1 + T^6(x_{22}))^{(-0.000928)} * (1 + T^7(x_{22}))^{(0.017468)} * (1 + T^8(x_{22}))^{(-0.025905)} * (1 + T^9(x_{22}))^{(0.029152)} * (1 + T^{10}(x_{22}))^{(0.011621)} * (1 + T^{11}(x_{22}))^{(-0.024135)} - 1$$

$$\text{Phi}^2_{[3]} = (1 + T^0(x_{31}))^{(0.018293)} * (1 + T^1(x_{31}))^{(-0.028334)} * (1 + T^2(x_{31}))^{(-0.060455)} * (1 + T^3(x_{31}))^{(-0.005043)} * (1 + T^4(x_{31}))^{(0.028410)} * (1 + T^5(x_{31}))^{(-0.018513)} * (1 + T^6(x_{31}))^{(0.001855)} * (1 + T^7(x_{31}))^{(-0.000369)} * (1 + T^8(x_{31}))^{(-0.022167)} * (1 + T^9(x_{31}))^{(0.020571)} * (1 + T^{10}(x_{31}))^{(-0.005188)} * (1 + T^0(x_{32}))^{(0.017586)} * (1 + T^1(x_{32}))^{(0.015796)} * (1 + T^2(x_{32}))^{(-0.004964)} * (1 + T^3(x_{32}))^{(0.025372)} * (1 + T^4(x_{32}))^{(-0.024998)} * (1 + T^5(x_{32}))^{(0.006153)} * (1 + T^6(x_{32}))^{(-0.007576)} * (1 + T^7(x_{32}))^{(-0.010831)} * (1 + T^8(x_{32}))^{(-0.013782)} * (1 + T^9(x_{32}))^{(-0.005262)} * (1 + T^{10}(x_{32}))^{(0.004637)} * (1 + T^0(x_{33}))^{(0.018733)} * (1 + T^1(x_{33}))^{(0.010296)} * (1 + T^2(x_{33}))^{(-0.021023)} * (1 + T^3(x_{33}))^{(-0.030840)} * (1 + T^4(x_{33}))^{(-0.011899)} * (1 + T^5(x_{33}))^{(0.018920)} * (1 + T^6(x_{33}))^{(0.007339)} * (1 + T^7(x_{33}))^{(-0.011951)} * (1 + T^8(x_{33}))^{(0.005003)} * (1 + T^9(x_{33}))^{(0.016471)} * (1 + T^{10}(x_{33}))^{(-0.009932)} - 1$$

$$\text{Phi}^3_{[1]} = (1 + T^0(x_{11}))^{(0.024825)} * (1 + T^1(x_{11}))^{(0.006551)} * (1 + T^2(x_{11}))^{(-0.002323)} * (1 + T^3(x_{11}))^{(0.034049)} * (1 + T^4(x_{11}))^{(-0.003777)} * (1 + T^5(x_{11}))^{(-0.042825)} * (1 + T^6(x_{11}))^{(0.002301)} * (1 + T^7(x_{11}))^{(0.015821)} * (1 + T^8(x_{11}))^{(0.007731)} * (1 + T^9(x_{11}))^{(-0.031909)} * (1 + T^{10}(x_{11}))^{(-0.001685)} * (1 + T^0(x_{12}))^{(0.016075)} * (1 + T^1(x_{12}))^{(-0.027794)} * (1 + T^2(x_{12}))^{(-0.011614)} * (1 + T^3(x_{12}))^{(-0.001364)} * (1 + T^4(x_{12}))^{(-0.025895)} * (1 + T^5(x_{12}))^{(0.029330)} * (1 + T^6(x_{12}))^{(-0.023907)} * (1 + T^7(x_{12}))^{(-0.016596)} * (1 + T^8(x_{12}))^{(-0.039704)} * (1 + T^9(x_{12}))^{(0.006589)} * (1 + T^{10}(x_{12}))^{(0.015314)} - 1$$

$$\text{Phi}^3_{[2]} = (1 + T^0(x_{21}))^{(0.020710)} * (1 + T^1(x_{21}))^{(0.038892)} * (1 + T^2(x_{21}))^{(-0.026754)} * (1 + T^3(x_{21}))^{(-0.024443)} * (1 + T^4(x_{21}))^{(0.001983)} * (1 + T^5(x_{21}))^{(0.018916)} * (1 + T^6(x_{21}))^{(0.019494)} * (1 + T^7(x_{21}))^{(-0.002016)} * (1 + T^8(x_{21}))^{(-0.006963)} * (1 + T^9(x_{21}))^{(0.005778)} * (1 + T^{10}(x_{21}))^{(-0.004703)} * (1 + T^{11}(x_{21}))^{(-0.031729)} * (1 + T^0(x_{22}))^{(0.010937)} * (1 + T^1(x_{22}))^{(-0.019772)} * (1 + T^2(x_{22}))^{(-0.000031)} * (1 + T^3(x_{22}))^{(0.003686)} * (1 + T^4(x_{22}))^{(0.016389)} * (1 + T^5(x_{22}))^{(0.000054)} * (1 + T^6(x_{22}))^{(0.005172)} * (1 + T^7(x_{22}))^{(0.014104)} * (1 + T^8(x_{22}))^{(-0.011614)} * (1 + T^9(x_{22}))^{(0.012136)} * (1 + T^{10}(x_{22}))^{(0.014706)} * (1 + T^{11}(x_{22}))^{(-0.013445)} - 1$$

$$\text{Phi}^3_{[3]} = (1 + T^0(x_{31}))^{(0.015946)} * (1 + T^1(x_{31}))^{(-0.006877)} * (1 + T^2(x_{31}))^{(-0.064249)} * (1 + T^3(x_{31}))^{(-0.006646)} * (1 + T^4(x_{31}))^{(0.007001)} * (1 + T^5(x_{31}))^{(-0.030772)} * (1 + T^6(x_{31}))^{(-0.004282)} * (1 + T^7(x_{31}))^{(0.021705)} * (1 + T^8(x_{31}))^{(-0.014510)} * (1 + T^9(x_{31}))^{(0.020984)} * (1 + T^{10}(x_{31}))^{(-0.011523)} * (1 + T^0(x_{32}))^{(0.017657)} * (1 + T^1(x_{32}))^{(0.014766)} * (1 + T^2(x_{32}))^{(0.001821)} * (1 + T^3(x_{32}))^{(0.002108)} * (1 + T^4(x_{32}))^{(-0.044257)} * (1 + T^5(x_{32}))^{(0.005470)} * (1 + T^6(x_{32}))^{(-0.025294)} * (1 + T^7(x_{32}))^{(-0.010945)} * (1 + T^8(x_{32}))^{(-0.009400)} * (1 + T^9(x_{32}))^{(-0.005786)} * (1 + T^{10}(x_{32}))^{(0.007514)} * (1 + T^0(x_{33}))^{(0.014675)} * (1 + T^1(x_{33}))^{(0.024581)} * (1 + T^2(x_{33}))^{(-0.031580)} * (1 + T^3(x_{33}))^{(-0.033817)} * (1 + T^4(x_{33}))^{(-0.001398)} * (1 + T^5(x_{33}))^{(0.020338)} * (1 + T^6(x_{33}))^{(0.012713)} * (1 + T^7(x_{33}))^{(-0.021071)} * (1 + T^8(x_{33}))^{(0.018845)} * (1 + T^9(x_{33}))^{(0.016383)} * (1 + T^{10}(x_{33}))^{(-0.000681)} - 1$$

$$\text{Phi}^4_{[1]} = (1 + T^0(x_{11}))^{(0.037383)} * (1 + T^1(x_{11}))^{(0.008132)} * (1 + T^2(x_{11}))^{(-0.028315)} * (1 + T^3(x_{11}))^{(0.045311)} * (1 + T^4(x_{11}))^{(-0.027040)} * (1 + T^5(x_{11}))^{(-0.048968)} * (1 + T^6(x_{11}))^{(0.001663)} * (1 + T^7(x_{11}))^{(0.010184)} * (1 + T^8(x_{11}))^{(-0.007928)} * (1 + T^9(x_{11}))^{(-0.050068)} * (1 + T^{10}(x_{11}))^{(-0.011398)} * (1 + T^0(x_{12}))^{(0.015275)} * (1 + T^1(x_{12}))^{(-0.012026)} * (1 + T^2(x_{12}))^{(0.003045)} * (1 + T^3(x_{12}))^{(-0.008865)} * (1 + T^4(x_{12}))^{(-0.023349)} * (1 + T^5(x_{12}))^{(0.029712)} * (1 + T^6(x_{12}))^{(-0.021746)} * (1 + T^7(x_{12}))^{(-0.021753)} * (1 + T^8(x_{12}))^{(-0.030347)} * (1 + T^9(x_{12}))^{(0.005895)} * (1 + T^{10}(x_{12}))^{(0.023814)} - 1$$

$$\text{Phi}^4_{[2]} = (1 + T^0(x_{21}))^{(0.036110)} * (1 + T^1(x_{21}))^{(0.034735)} * (1 + T^2(x_{21}))^{(-0.032733)} * (1 + T^3(x_{21}))^{(-0.063179)} * (1 + T^4(x_{21}))^{(0.000976)} * (1 + T^5(x_{21}))^{(0.018673)} * (1 + T^6(x_{21}))^{(0.037963)} * (1 + T^7(x_{21}))^{(0.031513)} * (1 + T^8(x_{21}))^{(-0.008403)} * (1 + T^9(x_{21}))^{(0.025157)} * (1 + T^{10}(x_{21}))^{(-0.016442)} * (1 + T^{11}(x_{21}))^{(-0.039750)} * (1 + T^0(x_{22}))^{(0.003124)} * (1 + T^1(x_{22}))^{(-0.005409)} * (1 + T^2(x_{22}))^{(0.002198)} * (1 + T^3(x_{22}))^{(0.000491)} * (1 + T^4(x_{22}))^{(0.004189)} * (1 + T^5(x_{22}))^{(0.003341)} * (1 + T^6(x_{22}))^{(0.001635)} * (1 + T^7(x_{22}))^{(0.001056)} * (1 + T^8(x_{22}))^{(-0.003524)} * (1 + T^9(x_{22}))^{(0.001321)} * (1 + T^{10}(x_{22}))^{(0.002334)} * (1 + T^{11}(x_{22}))^{(-0.002137)} - 1$$

$$\text{Phi}^4_{[3]} = (1 + T^0(x_{31}))^{(0.018318)} * (1 + T^1(x_{31}))^{(-0.003936)} * (1 + T^2(x_{31}))^{(-0.058596)} * (1 + T^3(x_{31}))^{(-0.004247)} * (1 + T^4(x_{31}))^{(0.005006)} * (1 + T^5(x_{31}))^{(-0.045495)} * (1 + T^6(x_{31}))^{(-0.009900)} * (1 + T^7(x_{31}))^{(0.042984)} * (1 + T^8(x_{31}))^{(-0.030303)} * (1 + T^9(x_{31}))^{(0.031288)} * (1 + T^{10}(x_{31}))^{(-0.022138)} * (1 + T^0(x_{32}))^{(0.023571)} * (1 + T^1(x_{32}))^{(0.020394)} * (1 + T^2(x_{32}))^{(-0.012932)} * (1 + T^3(x_{32}))^{(-0.016993)} * (1 + T^4(x_{32}))^{(-0.083044)} * (1 + T^5(x_{32}))^{(0.010803)} * (1 + T^6(x_{32}))^{(-0.015858)} * (1 + T^7(x_{32}))^{(-0.013384)} * (1 + T^8(x_{32}))^{(-0.007605)} * (1 + T^9(x_{32}))^{(-0.018533)} * (1 + T^{10}(x_{32}))^{(0.015342)} * (1 + T^0(x_{33}))^{(0.016799)} * (1 + T^1(x_{33}))^{(0.021051)} * (1 + T^2(x_{33}))^{(-0.049794)} * (1 + T^3(x_{33}))^{(-0.039839)} * (1 + T^4(x_{33}))^{(-0.001141)} * (1 + T^5(x_{33}))^{(0.020642)} * (1 + T^6(x_{33}))^{(0.016985)} * (1 + T^7(x_{33}))^{(-0.015381)} * (1 + T^8(x_{33}))^{(0.036425)} * (1 + T^9(x_{33}))^{(0.023184)} * (1 + T^{10}(x_{33}))^{(-0.001007)} - 1$$

F<sup>1</sup> в особом базисе:

$$\begin{aligned} & (1 + T^0(x_{11}))^{(0.010083)} * (1 + T^1(x_{11}))^{(-0.006995)} * (1 + T^2(x_{11}))^{(0.017848)} * (1 + T^3(x_{11}))^{(0.012328)} * \\ & (1 + T^4(x_{11}))^{(-0.017748)} * (1 + T^5(x_{11}))^{(-0.007180)} * (1 + T^6(x_{11}))^{(-0.012904)} * (1 + T^7(x_{11}))^{(0.014308)} * (1 + T^8(x_{11}))^{(0.006242)} * (1 + T^9(x_{11}))^{(-0.020832)} * (1 + T^{10}(x_{11}))^{(-0.002719)} * \\ & (1 + T^0(x_{12}))^{(0.008668)} * (1 + T^1(x_{12}))^{(-0.018980)} * (1 + T^2(x_{12}))^{(0.005656)} * (1 + T^3(x_{12}))^{(0.000914)} * (1 + T^4(x_{12}))^{(-0.019624)} * (1 + T^5(x_{12}))^{(0.017633)} * (1 + T^6(x_{12}))^{(-0.014502)} * (1 + T^7(x_{12}))^{(-0.009274)} * \\ & (1 + T^8(x_{12}))^{(-0.005705)} * (1 + T^9(x_{12}))^{(0.000042)} * (1 + T^{10}(x_{12}))^{(-0.000721)} * (1 + T^0(x_{21}))^{(0.009422)} * (1 + T^1(x_{21}))^{(0.007907)} * (1 + T^2(x_{21}))^{(-0.012860)} * (1 + T^3(x_{21}))^{(-0.004345)} * \\ & (1 + T^4(x_{21}))^{(-0.000550)} * (1 + T^5(x_{21}))^{(0.009038)} * (1 + T^6(x_{21}))^{(0.009289)} * (1 + T^7(x_{21}))^{(0.000587)} * (1 + T^8(x_{21}))^{(-0.009070)} * (1 + T^9(x_{21}))^{(-0.003532)} * (1 + T^{10}(x_{21}))^{(0.002461)} * (1 + T^{11}(x_{21}))^{(-0.009901)} * \\ & (1 + T^0(x_{22}))^{(0.008855)} * (1 + T^1(x_{22}))^{(-0.007983)} * (1 + T^2(x_{22}))^{(-0.001750)} * (1 + T^3(x_{22}))^{(0.008793)} * (1 + T^4(x_{22}))^{(-0.000325)} * (1 + T^5(x_{22}))^{(-0.001624)} * (1 + T^6(x_{22}))^{(-0.002416)} * \\ & (1 + T^7(x_{22}))^{(0.006722)} * (1 + T^8(x_{22}))^{(-0.011593)} * (1 + T^9(x_{22}))^{(0.003316)} * (1 + T^{10}(x_{22}))^{(0.000615)} * (1 + T^{11}(x_{22}))^{(-0.011607)} * \\ & (1 + T^0(x_{31}))^{(0.008495)} * (1 + T^1(x_{31}))^{(0.013032)} * (1 + T^2(x_{31}))^{(-0.014116)} * (1 + T^3(x_{31}))^{(-0.006864)} * (1 + T^4(x_{31}))^{(-0.011536)} * (1 + T^5(x_{31}))^{(-0.015559)} * (1 + T^6(x_{31}))^{(-0.006522)} * \\ & (1 + T^7(x_{31}))^{(0.014408)} * (1 + T^8(x_{31}))^{(-0.003297)} * (1 + T^9(x_{31}))^{(0.014379)} * (1 + T^{10}(x_{31}))^{(-0.017931)} * (1 + T^0(x_{32}))^{(0.011995)} * (1 + T^1(x_{32}))^{(0.016064)} * (1 + T^2(x_{32}))^{(0.000473)} * \\ & (1 + T^3(x_{32}))^{(-0.031921)} * (1 + T^4(x_{32}))^{(-0.037296)} * (1 + T^5(x_{32}))^{(-0.003842)} * (1 + T^6(x_{32}))^{(-0.012635)} * (1 + T^7(x_{32}))^{(-0.009914)} * (1 + T^8(x_{32}))^{(-0.009538)} * (1 + T^9(x_{32}))^{(0.006279)} * (1 + T^{10}(x_{32}))^{(0.005687)} * \\ & (1 + T^0(x_{33}))^{(0.008616)} * (1 + T^1(x_{33}))^{(0.013036)} * (1 + T^2(x_{33}))^{(-0.031307)} * (1 + T^3(x_{33}))^{(-0.012398)} * (1 + T^4(x_{33}))^{(0.002851)} * (1 + T^5(x_{33}))^{(0.005745)} * (1 + T^6(x_{33}))^{(0.007078)} * \\ & (1 + T^7(x_{33}))^{(-0.009042)} * (1 + T^8(x_{33}))^{(0.007162)} * (1 + T^9(x_{33}))^{(0.004576)} * (1 + T^{10}(x_{33}))^{(0.004844)} - 1 \end{aligned}$$

F<sup>2</sup> в особом базисе:

$$\begin{aligned} & (1 + T^0(x_{11}))^{(0.013748)} * (1 + T^1(x_{11}))^{(0.009746)} * (1 + T^2(x_{11}))^{(0.007314)} * (1 + T^3(x_{11}))^{(0.010345)} * (1 + T^4(x_{11}))^{(0.010723)} * (1 + T^5(x_{11}))^{(-0.029241)} * (1 + T^6(x_{11}))^{(0.001311)} * (1 + T^7(x_{11}))^{(0.002321)} * \\ & (1 + T^8(x_{11}))^{(-0.015430)} * (1 + T^9(x_{11}))^{(-0.004635)} * (1 + T^{10}(x_{11}))^{(-0.011050)} * (1 + T^0(x_{12}))^{(0.011764)} * (1 + T^1(x_{12}))^{(-0.018718)} * (1 + T^2(x_{12}))^{(-0.002146)} * (1 + T^3(x_{12}))^{(-0.006665)} * \\ & (1 + T^4(x_{12}))^{(-0.017610)} * (1 + T^5(x_{12}))^{(0.023245)} * (1 + T^6(x_{12}))^{(-0.017464)} * (1 + T^7(x_{12}))^{(-0.007769)} * (1 + T^8(x_{12}))^{(-0.020793)} * (1 + T^9(x_{12}))^{(0.003939)} * (1 + T^{10}(x_{12}))^{(0.020212)} * (1 + T^0(x_{21}))^{(0.012793)} * \\ & (1 + T^1(x_{21}))^{(0.013267)} * (1 + T^2(x_{21}))^{(-0.012954)} * (1 + T^3(x_{21}))^{(-0.002452)} * (1 + T^4(x_{21}))^{(0.008179)} * (1 + T^5(x_{21}))^{(0.004808)} * (1 + T^6(x_{21}))^{(0.008912)} * (1 + T^7(x_{21}))^{(-0.006430)} * (1 + T^8(x_{21}))^{(0.004612)} * \\ & (1 + T^9(x_{21}))^{(0.000882)} * (1 + T^{10}(x_{21}))^{(-0.001902)} * (1 + T^{11}(x_{21}))^{(-0.004693)} * (1 + T^0(x_{22}))^{(0.012150)} * (1 + T^1(x_{22}))^{(-0.024630)} * (1 + T^2(x_{22}))^{(0.003887)} * (1 + T^3(x_{22}))^{(-0.001721)} * \\ & (1 + T^4(x_{22}))^{(0.012267)} * (1 + T^5(x_{22}))^{(-0.001241)} * (1 + T^6(x_{22}))^{(-0.000642)} * (1 + T^7(x_{22}))^{(0.012077)} * (1 + T^8(x_{22}))^{(-0.017909)} * (1 + T^9(x_{22}))^{(0.020155)} * (1 + T^{10}(x_{22}))^{(0.008035)} * \\ & (1 + T^{11}(x_{22}))^{(-0.016686)} * (1 + T^0(x_{31}))^{(0.012580)} * (1 + T^1(x_{31}))^{(-0.019485)} * (1 + T^2(x_{31}))^{(-0.041574)} * (1 + T^3(x_{31}))^{(-0.003468)} * (1 + T^4(x_{31}))^{(0.019537)} * (1 + T^5(x_{31}))^{(-0.012731)} * (1 + T^6(x_{31}))^{(0.001276)} * \\ & (1 + T^7(x_{31}))^{(-0.000254)} * (1 + T^8(x_{31}))^{(-0.015244)} * (1 + T^9(x_{31}))^{(0.014147)} * (1 + T^{10}(x_{31}))^{(-0.003568)} * (1 + T^0(x_{32}))^{(0.012093)} * (1 + T^1(x_{32}))^{(0.010863)} * (1 + T^2(x_{32}))^{(-0.003413)} * \\ & (1 + T^3(x_{32}))^{(0.017448)} * (1 + T^4(x_{32}))^{(-0.017191)} * (1 + T^5(x_{32}))^{(0.004231)} * (1 + T^6(x_{32}))^{(-0.005210)} * (1 + T^7(x_{32}))^{(-0.007448)} * (1 + T^8(x_{32}))^{(-0.009477)} * (1 + T^9(x_{32}))^{(-0.003618)} * \\ & (1 + T^{10}(x_{32}))^{(0.003189)} * (1 + T^0(x_{33}))^{(0.012883)} * (1 + T^1(x_{33}))^{(0.007080)} * (1 + T^2(x_{33}))^{(-0.014457)} \end{aligned}$$



$$\begin{aligned} & * (1 + T^3(x_{33}))^{(-0.021208)} * (1 + T^4(x_{33}))^{(-0.008183)} * (1 + T^5(x_{33}))^{(0.013011)} * (1 + \\ & T^6(x_{33}))^{(0.005047)} * (1 + T^7(x_{33}))^{(-0.008218)} * (1 + T^8(x_{33}))^{(0.003441)} * (1 + T^9(x_{33}))^{(0.011327)} * (1 \\ & + T^{10}(x_{33}))^{(-0.006830)} - 1 \end{aligned}$$

F<sup>3</sup> в особом базисе:

$$\begin{aligned} & (1 + T^0(x_{11}))^{(0.012734)} * (1 + T^1(x_{11}))^{(0.003360)} * (1 + T^2(x_{11}))^{(-0.001192)} * (1 + T^3(x_{11}))^{(0.017466)} \\ & * (1 + T^4(x_{11}))^{(-0.001937)} * (1 + T^5(x_{11}))^{(-0.021967)} * (1 + T^6(x_{11}))^{(0.001181)} * (1 + \\ & T^7(x_{11}))^{(0.008116)} * (1 + T^8(x_{11}))^{(0.003966)} * (1 + T^9(x_{11}))^{(-0.016368)} * (1 + T^{10}(x_{11}))^{(-0.000864)} * \\ & (1 + T^0(x_{12}))^{(0.008246)} * (1 + T^1(x_{12}))^{(-0.014257)} * (1 + T^2(x_{12}))^{(-0.005957)} * (1 + T^3(x_{12}))^{(-0.000700)} \\ & * (1 + T^4(x_{12}))^{(-0.013283)} * (1 + T^5(x_{12}))^{(0.015045)} * (1 + T^6(x_{12}))^{(-0.012263)} * (1 + T^7(x_{12}))^{(-0.008513)} \\ & * (1 + T^8(x_{12}))^{(-0.020366)} * (1 + T^9(x_{12}))^{(0.003380)} * (1 + T^{10}(x_{12}))^{(0.007855)} * (1 + \\ & T^0(x_{21}))^{(0.011759)} * (1 + T^1(x_{21}))^{(0.022084)} * (1 + T^2(x_{21}))^{(-0.015192)} * (1 + T^3(x_{21}))^{(-0.013879)} * \\ & (1 + T^4(x_{21}))^{(0.001126)} * (1 + T^5(x_{21}))^{(0.010741)} * (1 + T^6(x_{21}))^{(0.011069)} * (1 + T^7(x_{21}))^{(-0.001145)} \\ & * (1 + T^8(x_{21}))^{(-0.003954)} * (1 + T^9(x_{21}))^{(0.003281)} * (1 + T^{10}(x_{21}))^{(-0.002670)} * (1 + T^{11}(x_{21}))^{(-0.018017)} \\ & * (1 + T^0(x_{22}))^{(0.006211)} * (1 + T^1(x_{22}))^{(-0.011227)} * (1 + T^2(x_{22}))^{(-0.000018)} * (1 + \\ & T^3(x_{22}))^{(0.002093)} * (1 + T^4(x_{22}))^{(0.009306)} * (1 + T^5(x_{22}))^{(0.000031)} * (1 + T^6(x_{22}))^{(0.002937)} * (1 + \\ & T^7(x_{22}))^{(0.008009)} * (1 + T^8(x_{22}))^{(-0.006595)} * (1 + T^9(x_{22}))^{(0.006891)} * (1 + T^{10}(x_{22}))^{(0.008351)} \\ & * (1 + T^{11}(x_{22}))^{(-0.007634)} * (1 + T^0(x_{31}))^{(0.010014)} * (1 + T^1(x_{31}))^{(-0.004319)} * (1 + T^2(x_{31}))^{(-0.040347)} \\ & * (1 + T^3(x_{31}))^{(-0.004173)} * (1 + T^4(x_{31}))^{(0.004397)} * (1 + T^5(x_{31}))^{(-0.019325)} * (1 + \\ & T^6(x_{31}))^{(-0.002689)} * (1 + T^7(x_{31}))^{(0.013630)} * (1 + T^8(x_{31}))^{(-0.009112)} * (1 + T^9(x_{31}))^{(0.013178)} * \\ & (1 + T^{10}(x_{31}))^{(-0.007236)} * (1 + T^0(x_{32}))^{(0.011089)} * (1 + T^1(x_{32}))^{(0.009273)} * (1 + T^2(x_{32}))^{(0.001144)} \\ & * (1 + T^3(x_{32}))^{(0.001324)} * (1 + T^4(x_{32}))^{(-0.027793)} * (1 + T^5(x_{32}))^{(0.003435)} * (1 + T^6(x_{32}))^{(-0.015884)} \\ & * (1 + T^7(x_{32}))^{(-0.006873)} * (1 + T^8(x_{32}))^{(-0.005903)} * (1 + T^9(x_{32}))^{(-0.003634)} * (1 + \\ & T^{10}(x_{32}))^{(0.004719)} * (1 + T^0(x_{33}))^{(0.009216)} * (1 + T^1(x_{33}))^{(0.015436)} * (1 + T^2(x_{33}))^{(-0.019832)} * \\ & (1 + T^3(x_{33}))^{(-0.021237)} * (1 + T^4(x_{33}))^{(-0.000878)} * (1 + T^5(x_{33}))^{(0.012772)} * (1 + T^6(x_{33}))^{(0.007983)} \\ & * (1 + T^7(x_{33}))^{(-0.013233)} * (1 + T^8(x_{33}))^{(0.011835)} * (1 + T^9(x_{33}))^{(0.010288)} * (1 + T^{10}(x_{33}))^{(-0.000427)} - 1 \end{aligned}$$

F<sup>4</sup> в особом базисе:

$$\begin{aligned} & (1 + T^0(x_{11}))^{(0.017879)} * (1 + T^1(x_{11}))^{(0.003889)} * (1 + T^2(x_{11}))^{(-0.013542)} * (1 + T^3(x_{11}))^{(0.021671)} \\ & * (1 + T^4(x_{11}))^{(-0.012933)} * (1 + T^5(x_{11}))^{(-0.023420)} * (1 + T^6(x_{11}))^{(0.000795)} * (1 + \\ & T^7(x_{11}))^{(0.004871)} * (1 + T^8(x_{11}))^{(-0.003792)} * (1 + T^9(x_{11}))^{(-0.023946)} * (1 + T^{10}(x_{11}))^{(-0.005451)} * \\ & (1 + T^0(x_{12}))^{(0.007306)} * (1 + T^1(x_{12}))^{(-0.005752)} * (1 + T^2(x_{12}))^{(0.001456)} * (1 + T^3(x_{12}))^{(-0.004240)} \\ & * (1 + T^4(x_{12}))^{(-0.011167)} * (1 + T^5(x_{12}))^{(0.014210)} * (1 + T^6(x_{12}))^{(-0.010401)} * (1 + T^7(x_{12}))^{(-0.010404)} \\ & * (1 + T^8(x_{12}))^{(-0.014514)} * (1 + T^9(x_{12}))^{(0.002819)} * (1 + T^{10}(x_{12}))^{(0.011389)} * (1 + \\ & T^0(x_{21}))^{(0.014506)} * (1 + T^1(x_{21}))^{(0.013954)} * (1 + T^2(x_{21}))^{(-0.013149)} * (1 + T^3(x_{21}))^{(-0.025380)} * \\ & (1 + T^4(x_{21}))^{(0.000392)} * (1 + T^5(x_{21}))^{(0.007501)} * (1 + T^6(x_{21}))^{(0.015251)} * (1 + T^7(x_{21}))^{(0.012659)} \\ & * (1 + T^8(x_{21}))^{(-0.003376)} * (1 + T^9(x_{21}))^{(0.010106)} * (1 + T^{10}(x_{21}))^{(-0.006605)} * (1 + T^{11}(x_{21}))^{(-0.015968)} \\ & * (1 + T^0(x_{22}))^{(0.001255)} * (1 + T^1(x_{22}))^{(-0.002173)} * (1 + T^2(x_{22}))^{(0.000883)} * (1 + \\ & T^3(x_{22}))^{(0.000197)} * (1 + T^4(x_{22}))^{(0.001683)} * (1 + T^5(x_{22}))^{(0.001342)} * (1 + T^6(x_{22}))^{(0.000657)} * (1 + \\ & T^7(x_{22}))^{(0.000424)} * (1 + T^8(x_{22}))^{(-0.001416)} * (1 + T^9(x_{22}))^{(0.000530)} * (1 + T^{10}(x_{22}))^{(0.000938)} \\ & * (1 + T^{11}(x_{22}))^{(-0.000859)} * (1 + T^0(x_{31}))^{(0.012507)} * (1 + T^1(x_{31}))^{(-0.002688)} * (1 + T^2(x_{31}))^{(-0.040007)} \\ & * (1 + T^3(x_{31}))^{(-0.002900)} * (1 + T^4(x_{31}))^{(0.003418)} * (1 + T^5(x_{31}))^{(-0.031062)} * (1 + \\ & T^6(x_{31}))^{(-0.006759)} * (1 + T^7(x_{31}))^{(0.029348)} * (1 + T^8(x_{31}))^{(-0.020690)} * (1 + T^9(x_{31}))^{(0.021362)} * \\ & (1 + T^{10}(x_{31}))^{(-0.015115)} * (1 + T^0(x_{32}))^{(0.016094)} * (1 + T^1(x_{32}))^{(0.013925)} * (1 + T^2(x_{32}))^{(-0.008829)} \\ & * (1 + T^3(x_{32}))^{(-0.011602)} * (1 + T^4(x_{32}))^{(-0.056700)} * (1 + T^5(x_{32}))^{(0.007376)} * (1 + \\ & T^6(x_{32}))^{(-0.010827)} * (1 + T^7(x_{32}))^{(-0.009138)} * (1 + T^8(x_{32}))^{(-0.005192)} * (1 + T^9(x_{32}))^{(-0.012654)} * \\ & (1 + T^{10}(x_{32}))^{(0.010475)} * (1 + T^0(x_{33}))^{(0.011469)} * (1 + T^1(x_{33}))^{(0.014373)} * (1 + T^2(x_{33}))^{(-0.033998)} \\ & * (1 + T^3(x_{33}))^{(-0.027201)} * (1 + T^4(x_{33}))^{(-0.000779)} * (1 + T^5(x_{33}))^{(0.014094)} * (1 + \\ & T^6(x_{33}))^{(0.011597)} * (1 + T^7(x_{33}))^{(-0.010502)} * (1 + T^8(x_{33}))^{(0.024870)} * (1 + T^9(x_{33}))^{(0.015829)} * (1 \\ & + T^{10}(x_{33}))^{(-0.000688)} - 1 \end{aligned}$$

F<sup>1</sup> в обычном базисе:

$$\begin{aligned} & 0.0 * (2.5 + -8.0(x_{11})^1 + 8.0(x_{11})^2)^{(-0.006995)} * (-1.0 + 20.0(x_{11})^1 + -48.0(x_{11})^2 + 32.0(x_{11})^3)^{(0.017848)} \\ & * (3.5 + -40.0(x_{11})^1 + 168.0(x_{11})^2 + -256.0(x_{11})^3 + 128.0(x_{11})^4)^{(0.012328)} * (-2.0 + 70.0(x_{11})^1 + - \\ & 448.0(x_{11})^2 + 1152.0(x_{11})^3 + -1280.0(x_{11})^4 + 512.0(x_{11})^5)^{(-0.017748)} * (4.5 + -112.0(x_{11})^1 + \\ & 1008.0(x_{11})^2 + -3840.0(x_{11})^3 + 7040.0(x_{11})^4 + -6144.0(x_{11})^5 + 2048.0(x_{11})^6)^{(-0.007180)} * (-3.0 + \\ & 168.0(x_{11})^1 + -2016.0(x_{11})^2 + 10560.0(x_{11})^3 + -28160.0(x_{11})^4 + 39936.0(x_{11})^5 + -28672.0(x_{11})^6 + \\ & 8192.0(x_{11})^7)^{(-0.012904)} * (5.5 + -240.0(x_{11})^1 + 3696.0(x_{11})^2 + -25344.0(x_{11})^3 + 91520.0(x_{11})^4 + - \\ & 186368.0(x_{11})^5 + 215040.0(x_{11})^6 + -131072.0(x_{11})^7 + 32768.0(x_{11})^8)^{(0.014308)} * (-4.0 + 330.0(x_{11})^1 + - \\ & 6336.0(x_{11})^2 + 54912.0(x_{11})^3 + -256256.0(x_{11})^4 + 698880.0(x_{11})^5 + -1146880.0(x_{11})^6 + 1114112.0(x_{11})^7 \\ & + -589824.0(x_{11})^8 + 131072.0(x_{11})^9)^{(0.006242)} * (6.5 + -440.0(x_{11})^1 + 10296.0(x_{11})^2 + -109824.0(x_{11})^3 \\ & + 640640.0(x_{11})^4 + -2236416.0(x_{11})^5 + 4874240.0(x_{11})^6 + -6684672.0(x_{11})^7 + 5603328.0(x_{11})^8 + - \end{aligned}$$

$$\begin{aligned}
& 2621440.0(x11)^9 + 524288.0(x11)^{10} \wedge (-0.020832) * (-5.0 + 572.0(x11)^1 + -16016.0(x11)^2 + 205920.0(x11)^3 \\
& + -1464320.0(x11)^4 + 6336512.0(x11)^5 + -17547264.0(x11)^6 + 31752192.0(x11)^7 + -37355520.0(x11)^8 + \\
& 27525120.0(x11)^9 + -11534336.0(x11)^{10} + 2097152.0(x11)^{11} \wedge (-0.002719) * (2.5 + -8.0(x12)^1 + \\
& 8.0(x12)^2 \wedge (-0.018980) * (-1.0 + 20.0(x12)^1 + -48.0(x12)^2 + 32.0(x12)^3 \wedge (0.005656) * (3.5 + -40.0(x12)^1 + \\
& 168.0(x12)^2 + -256.0(x12)^3 + 128.0(x12)^4 \wedge (0.000914) * (-2.0 + 70.0(x12)^1 + -448.0(x12)^2 + 1152.0(x12)^3 \\
& + -1280.0(x12)^4 + 512.0(x12)^5 \wedge (-0.019624) * (4.5 + -112.0(x12)^1 + 1008.0(x12)^2 + -3840.0(x12)^3 + \\
& 7040.0(x12)^4 + -6144.0(x12)^5 + 2048.0(x12)^6 \wedge (0.017633) * (-3.0 + 168.0(x12)^1 + -2016.0(x12)^2 + \\
& 10560.0(x12)^3 + -28160.0(x12)^4 + 39936.0(x12)^5 + -28672.0(x12)^6 + 8192.0(x12)^7 \wedge (-0.014502) * (5.5 + - \\
& 240.0(x12)^1 + 3696.0(x12)^2 + -25344.0(x12)^3 + 91520.0(x12)^4 + -186368.0(x12)^5 + 215040.0(x12)^6 + - \\
& 131072.0(x12)^7 + 32768.0(x12)^8 \wedge (-0.009274) * (-4.0 + 330.0(x12)^1 + -6336.0(x12)^2 + 54912.0(x12)^3 + - \\
& 256256.0(x12)^4 + 698880.0(x12)^5 + -1146880.0(x12)^6 + 1114112.0(x12)^7 + -589824.0(x12)^8 + \\
& 131072.0(x12)^9 \wedge (-0.005705) * (6.5 + -440.0(x12)^1 + 10296.0(x12)^2 + -109824.0(x12)^3 + 640640.0(x12)^4 + - \\
& 2236416.0(x12)^5 + 4874240.0(x12)^6 + -6684672.0(x12)^7 + 5603328.0(x12)^8 + -2621440.0(x12)^9 + \\
& 524288.0(x12)^{10} \wedge (0.000042) * (-5.0 + 572.0(x12)^1 + -16016.0(x12)^2 + 205920.0(x12)^3 + -1464320.0(x12)^4 \\
& + 6336512.0(x12)^5 + -17547264.0(x12)^6 + 31752192.0(x12)^7 + -37355520.0(x12)^8 + 27525120.0(x12)^9 + - \\
& 11534336.0(x12)^{10} + 2097152.0(x12)^{11} \wedge (-0.000721) * (2.5 + -8.0(x21)^1 + 8.0(x21)^2 \wedge (0.007907) * (-1.0 + \\
& 20.0(x21)^1 + -48.0(x21)^2 + 32.0(x21)^3 \wedge (-0.012860) * (3.5 + -40.0(x21)^1 + 168.0(x21)^2 + -256.0(x21)^3 + \\
& 128.0(x21)^4 \wedge (-0.004345) * (-2.0 + 70.0(x21)^1 + -448.0(x21)^2 + 1152.0(x21)^3 + -1280.0(x21)^4 + \\
& 512.0(x21)^5 \wedge (-0.000550) * (4.5 + -112.0(x21)^1 + 1008.0(x21)^2 + -3840.0(x21)^3 + 7040.0(x21)^4 + - \\
& 6144.0(x21)^5 + 2048.0(x21)^6 \wedge (0.009038) * (-3.0 + 168.0(x21)^1 + -2016.0(x21)^2 + 10560.0(x21)^3 + - \\
& 28160.0(x21)^4 + 39936.0(x21)^5 + -28672.0(x21)^6 + 8192.0(x21)^7 \wedge (0.009289) * (5.5 + -240.0(x21)^1 + \\
& 3696.0(x21)^2 + -25344.0(x21)^3 + 91520.0(x21)^4 + -186368.0(x21)^5 + 215040.0(x21)^6 + -131072.0(x21)^7 + \\
& 32768.0(x21)^8 \wedge (0.000587) * (-4.0 + 330.0(x21)^1 + -6336.0(x21)^2 + 54912.0(x21)^3 + -256256.0(x21)^4 + \\
& 698880.0(x21)^5 + -1146880.0(x21)^6 + 1114112.0(x21)^7 + -589824.0(x21)^8 + 131072.0(x21)^9 \wedge (-0.009070) * \\
& (6.5 + -440.0(x21)^1 + 10296.0(x21)^2 + -109824.0(x21)^3 + 640640.0(x21)^4 + -2236416.0(x21)^5 + \\
& 4874240.0(x21)^6 + -6684672.0(x21)^7 + 5603328.0(x21)^8 + -2621440.0(x21)^9 + 524288.0(x21)^{10} \wedge (- \\
& 0.003532) * (-5.0 + 572.0(x21)^1 + -16016.0(x21)^2 + 205920.0(x21)^3 + -1464320.0(x21)^4 + 6336512.0(x21)^5 \\
& + -17547264.0(x21)^6 + 31752192.0(x21)^7 + -37355520.0(x21)^8 + 27525120.0(x21)^9 + -11534336.0(x21)^{10} + \\
& 2097152.0(x21)^{11} \wedge (0.002461) * (7.5 + -728.0(x21)^1 + 24024.0(x21)^2 + -366080.0(x21)^3 + 3111680.0(x21)^4 \\
& + -16293888.0(x21)^5 + 55566336.0(x21)^6 + -127008768.0(x21)^7 + 196116480.0(x21)^8 + -201850880.0(x21)^9 \\
& + 132644864.0(x21)^{10} + -50331648.0(x21)^{11} + 8388608.0(x21)^{12} \wedge (-0.009901) * (2.5 + -8.0(x22)^1 + \\
& 8.0(x22)^2 \wedge (-0.007983) * (-1.0 + 20.0(x22)^1 + -48.0(x22)^2 + 32.0(x22)^3 \wedge (-0.001750) * (3.5 + -40.0(x22)^1 + \\
& 168.0(x22)^2 + -256.0(x22)^3 + 128.0(x22)^4 \wedge (0.008793) * (-2.0 + 70.0(x22)^1 + -448.0(x22)^2 + 1152.0(x22)^3 + \\
& -1280.0(x22)^4 + 512.0(x22)^5 \wedge (-0.000325) * (4.5 + -112.0(x22)^1 + 1008.0(x22)^2 + -3840.0(x22)^3 + \\
& 7040.0(x22)^4 + -6144.0(x22)^5 + 2048.0(x22)^6 \wedge (-0.001624) * (-3.0 + 168.0(x22)^1 + -2016.0(x22)^2 + \\
& 10560.0(x22)^3 + -28160.0(x22)^4 + 39936.0(x22)^5 + -28672.0(x22)^6 + 8192.0(x22)^7 \wedge (-0.002416) * (5.5 + - \\
& 240.0(x22)^1 + 3696.0(x22)^2 + -25344.0(x22)^3 + 91520.0(x22)^4 + -186368.0(x22)^5 + 215040.0(x22)^6 + - \\
& 131072.0(x22)^7 + 32768.0(x22)^8 \wedge (0.006722) * (-4.0 + 330.0(x22)^1 + -6336.0(x22)^2 + 54912.0(x22)^3 + - \\
& 256256.0(x22)^4 + 698880.0(x22)^5 + -1146880.0(x22)^6 + 1114112.0(x22)^7 + -589824.0(x22)^8 + \\
& 131072.0(x22)^9 \wedge (-0.011593) * (6.5 + -440.0(x22)^1 + 10296.0(x22)^2 + -109824.0(x22)^3 + 640640.0(x22)^4 + - \\
& 2236416.0(x22)^5 + 4874240.0(x22)^6 + -6684672.0(x22)^7 + 5603328.0(x22)^8 + -2621440.0(x22)^9 + \\
& 524288.0(x22)^{10} \wedge (0.003316) * (-5.0 + 572.0(x22)^1 + -16016.0(x22)^2 + 205920.0(x22)^3 + -1464320.0(x22)^4 \\
& + 6336512.0(x22)^5 + -17547264.0(x22)^6 + 31752192.0(x22)^7 + -37355520.0(x22)^8 + 27525120.0(x22)^9 + - \\
& 11534336.0(x22)^{10} + 2097152.0(x22)^{11} \wedge (0.000615) * (7.5 + -728.0(x22)^1 + 24024.0(x22)^2 + - \\
& 366080.0(x22)^3 + 3111680.0(x22)^4 + -16293888.0(x22)^5 + 55566336.0(x22)^6 + -127008768.0(x22)^7 + \\
& 196116480.0(x22)^8 + -201850880.0(x22)^9 + 132644864.0(x22)^{10} + -50331648.0(x22)^{11} + \\
& 8388608.0(x22)^{12} \wedge (-0.011607) * (2.5 + -8.0(x31)^1 + 8.0(x31)^2 \wedge (0.013032) * (-1.0 + 20.0(x31)^1 + - \\
& 48.0(x31)^2 + 32.0(x31)^3 \wedge (-0.014116) * (3.5 + -40.0(x31)^1 + 168.0(x31)^2 + -256.0(x31)^3 + 128.0(x31)^4 \wedge (- \\
& 0.006864) * (-2.0 + 70.0(x31)^1 + -448.0(x31)^2 + 1152.0(x31)^3 + -1280.0(x31)^4 + 512.0(x31)^5 \wedge (-0.011536) * \\
& (4.5 + -112.0(x31)^1 + 1008.0(x31)^2 + -3840.0(x31)^3 + 7040.0(x31)^4 + -6144.0(x31)^5 + 2048.0(x31)^6 \wedge (- \\
& 0.015559) * (-3.0 + 168.0(x31)^1 + -2016.0(x31)^2 + 10560.0(x31)^3 + -28160.0(x31)^4 + 39936.0(x31)^5 + - \\
& 28672.0(x31)^6 + 8192.0(x31)^7 \wedge (-0.006522) * (5.5 + -240.0(x31)^1 + 3696.0(x31)^2 + -25344.0(x31)^3 + \\
& 91520.0(x31)^4 + -186368.0(x31)^5 + 215040.0(x31)^6 + -131072.0(x31)^7 + 32768.0(x31)^8 \wedge (0.014408) * (-4.0 \\
& + 330.0(x31)^1 + -6336.0(x31)^2 + 54912.0(x31)^3 + -256256.0(x31)^4 + 698880.0(x31)^5 + -1146880.0(x31)^6 + \\
& 1114112.0(x31)^7 + -589824.0(x31)^8 + 131072.0(x31)^9 \wedge (-0.003297) * (6.5 + -440.0(x31)^1 + 10296.0(x31)^2 + \\
& -109824.0(x31)^3 + 640640.0(x31)^4 + -2236416.0(x31)^5 + 4874240.0(x31)^6 + -6684672.0(x31)^7 + \\
& 5603328.0(x31)^8 + -2621440.0(x31)^9 + 524288.0(x31)^{10} \wedge (0.014379) * (-5.0 + 572.0(x31)^1 + -16016.0(x31)^2 \\
& + 205920.0(x31)^3 + -1464320.0(x31)^4 + 6336512.0(x31)^5 + -17547264.0(x31)^6 + 31752192.0(x31)^7 + - \\
& 37355520.0(x31)^8 + 27525120.0(x31)^9 + -11534336.0(x31)^{10} + 2097152.0(x31)^{11} \wedge (-0.017931) * (2.5 + - \\
& 8.0(x32)^1 + 8.0(x32)^2 \wedge (0.016064) * (-1.0 + 20.0(x32)^1 + -48.0(x32)^2 + 32.0(x32)^3 \wedge (0.000473) * (3.5 + - \\
& 40.0(x32)^1 + 168.0(x32)^2 + -256.0(x32)^3 + 128.0(x32)^4 \wedge (-0.031921) * (-2.0 + 70.0(x32)^1 + -448.0(x32)^2 + \\
& 1152.0(x32)^3 + -1280.0(x32)^4 + 512.0(x32)^5 \wedge (-0.037296) * (4.5 + -112.0(x32)^1 + 1008.0(x32)^2 + - \\
& 3840.0(x32)^3 + 7040.0(x32)^4 + -6144.0(x32)^5 + 2048.0(x32)^6 \wedge (-0.003842) * (-3.0 + 168.0(x32)^1 + -
\end{aligned}$$

$$\begin{aligned}
& 2016.0(x32)^2 + 10560.0(x32)^3 + -28160.0(x32)^4 + 39936.0(x32)^5 + -28672.0(x32)^6 + 8192.0(x32)^7 \wedge (- \\
& 0.012635) * (5.5 + -240.0(x32)^1 + 3696.0(x32)^2 + -25344.0(x32)^3 + 91520.0(x32)^4 + -186368.0(x32)^5 + \\
& 215040.0(x32)^6 + -131072.0(x32)^7 + 32768.0(x32)^8 \wedge (-0.009914) * (-4.0 + 330.0(x32)^1 + -6336.0(x32)^2 + \\
& 54912.0(x32)^3 + -256256.0(x32)^4 + 698880.0(x32)^5 + -1146880.0(x32)^6 + 1114112.0(x32)^7 + - \\
& 589824.0(x32)^8 + 131072.0(x32)^9 \wedge (-0.009538) * (6.5 + -440.0(x32)^1 + 10296.0(x32)^2 + -109824.0(x32)^3 + \\
& 640640.0(x32)^4 + -2236416.0(x32)^5 + 4874240.0(x32)^6 + -6684672.0(x32)^7 + 5603328.0(x32)^8 + - \\
& 2621440.0(x32)^9 + 524288.0(x32)^10 \wedge (0.006279) * (-5.0 + 572.0(x32)^1 + -16016.0(x32)^2 + 205920.0(x32)^3 + \\
& -1464320.0(x32)^4 + 6336512.0(x32)^5 + -17547264.0(x32)^6 + 31752192.0(x32)^7 + -37355520.0(x32)^8 + \\
& 27525120.0(x32)^9 + -11534336.0(x32)^10 + 2097152.0(x32)^11 \wedge (0.005687) * (2.5 + -8.0(x33)^1 + \\
& 8.0(x33)^2 \wedge (0.013036) * (-1.0 + 20.0(x33)^1 + -48.0(x33)^2 + 32.0(x33)^3 \wedge (-0.031307) * (3.5 + -40.0(x33)^1 + \\
& 168.0(x33)^2 + -256.0(x33)^3 + 128.0(x33)^4 \wedge (-0.012398) * (-2.0 + 70.0(x33)^1 + -448.0(x33)^2 + 1152.0(x33)^3 + \\
& -1280.0(x33)^4 + 512.0(x33)^5 \wedge (0.002851) * (4.5 + -112.0(x33)^1 + 1008.0(x33)^2 + -3840.0(x33)^3 + \\
& 7040.0(x33)^4 + -6144.0(x33)^5 + 2048.0(x33)^6 \wedge (0.005745) * (-3.0 + 168.0(x33)^1 + -2016.0(x33)^2 + \\
& 10560.0(x33)^3 + -28160.0(x33)^4 + 39936.0(x33)^5 + -28672.0(x33)^6 + 8192.0(x33)^7 \wedge (0.007078) * (5.5 + - \\
& 240.0(x33)^1 + 3696.0(x33)^2 + -25344.0(x33)^3 + 91520.0(x33)^4 + -186368.0(x33)^5 + 215040.0(x33)^6 + - \\
& 131072.0(x33)^7 + 32768.0(x33)^8 \wedge (-0.009042) * (-4.0 + 330.0(x33)^1 + -6336.0(x33)^2 + 54912.0(x33)^3 + - \\
& 256256.0(x33)^4 + 698880.0(x33)^5 + -1146880.0(x33)^6 + 1114112.0(x33)^7 + -589824.0(x33)^8 + \\
& 131072.0(x33)^9 \wedge (0.007162) * (6.5 + -440.0(x33)^1 + 10296.0(x33)^2 + -109824.0(x33)^3 + 640640.0(x33)^4 + - \\
& 2236416.0(x33)^5 + 4874240.0(x33)^6 + -6684672.0(x33)^7 + 5603328.0(x33)^8 + -2621440.0(x33)^9 + \\
& 524288.0(x33)^10 \wedge (0.004576) * (-5.0 + 572.0(x33)^1 + -16016.0(x33)^2 + 205920.0(x33)^3 + -1464320.0(x33)^4 + \\
& 6336512.0(x33)^5 + -17547264.0(x33)^6 + 31752192.0(x33)^7 + -37355520.0(x33)^8 + 27525120.0(x33)^9 + - \\
& 11534336.0(x33)^10 + 2097152.0(x33)^11 \wedge (0.004844) - 1
\end{aligned}$$

F^2 в обычном базисе:

$$\begin{aligned}
& 0.0 * (2.5 + -8.0(x11)^1 + 8.0(x11)^2 \wedge (0.009746) * (-1.0 + 20.0(x11)^1 + -48.0(x11)^2 + 32.0(x11)^3 \wedge (0.007314) \\
& * (3.5 + -40.0(x11)^1 + 168.0(x11)^2 + -256.0(x11)^3 + 128.0(x11)^4 \wedge (0.010345) * (-2.0 + 70.0(x11)^1 + - \\
& 448.0(x11)^2 + 1152.0(x11)^3 + -1280.0(x11)^4 + 512.0(x11)^5 \wedge (0.010723) * (4.5 + -112.0(x11)^1 + \\
& 1008.0(x11)^2 + -3840.0(x11)^3 + 7040.0(x11)^4 + -6144.0(x11)^5 + 2048.0(x11)^6 \wedge (-0.029241) * (-3.0 + \\
& 168.0(x11)^1 + -2016.0(x11)^2 + 10560.0(x11)^3 + -28160.0(x11)^4 + 39936.0(x11)^5 + -28672.0(x11)^6 + \\
& 8192.0(x11)^7 \wedge (0.001311) * (5.5 + -240.0(x11)^1 + 3696.0(x11)^2 + -25344.0(x11)^3 + 91520.0(x11)^4 + - \\
& 186368.0(x11)^5 + 215040.0(x11)^6 + -131072.0(x11)^7 + 32768.0(x11)^8 \wedge (0.002321) * (-4.0 + 330.0(x11)^1 + - \\
& 6336.0(x11)^2 + 54912.0(x11)^3 + -256256.0(x11)^4 + 698880.0(x11)^5 + -1146880.0(x11)^6 + 1114112.0(x11)^7 + \\
& -589824.0(x11)^8 + 131072.0(x11)^9 \wedge (-0.015430) * (6.5 + -440.0(x11)^1 + 10296.0(x11)^2 + -109824.0(x11)^3 + \\
& 640640.0(x11)^4 + -2236416.0(x11)^5 + 4874240.0(x11)^6 + -6684672.0(x11)^7 + 5603328.0(x11)^8 + - \\
& 2621440.0(x11)^9 + 524288.0(x11)^10 \wedge (-0.004635) * (-5.0 + 572.0(x11)^1 + -16016.0(x11)^2 + 205920.0(x11)^3 + \\
& -1464320.0(x11)^4 + 6336512.0(x11)^5 + -17547264.0(x11)^6 + 31752192.0(x11)^7 + -37355520.0(x11)^8 + \\
& 27525120.0(x11)^9 + -11534336.0(x11)^10 + 2097152.0(x11)^11 \wedge (-0.011050) * (2.5 + -8.0(x12)^1 + \\
& 8.0(x12)^2 \wedge (-0.018718) * (-1.0 + 20.0(x12)^1 + -48.0(x12)^2 + 32.0(x12)^3 \wedge (-0.002146) * (3.5 + -40.0(x12)^1 + \\
& 168.0(x12)^2 + -256.0(x12)^3 + 128.0(x12)^4 \wedge (-0.006665) * (-2.0 + 70.0(x12)^1 + -448.0(x12)^2 + 1152.0(x12)^3 + \\
& -1280.0(x12)^4 + 512.0(x12)^5 \wedge (-0.017610) * (4.5 + -112.0(x12)^1 + 1008.0(x12)^2 + -3840.0(x12)^3 + \\
& 7040.0(x12)^4 + -6144.0(x12)^5 + 2048.0(x12)^6 \wedge (0.023245) * (-3.0 + 168.0(x12)^1 + -2016.0(x12)^2 + \\
& 10560.0(x12)^3 + -28160.0(x12)^4 + 39936.0(x12)^5 + -28672.0(x12)^6 + 8192.0(x12)^7 \wedge (-0.017464) * (5.5 + - \\
& 240.0(x12)^1 + 3696.0(x12)^2 + -25344.0(x12)^3 + 91520.0(x12)^4 + -186368.0(x12)^5 + 215040.0(x12)^6 + - \\
& 131072.0(x12)^7 + 32768.0(x12)^8 \wedge (-0.007769) * (-4.0 + 330.0(x12)^1 + -6336.0(x12)^2 + 54912.0(x12)^3 + - \\
& 256256.0(x12)^4 + 698880.0(x12)^5 + -1146880.0(x12)^6 + 1114112.0(x12)^7 + -589824.0(x12)^8 + \\
& 131072.0(x12)^9 \wedge (-0.020793) * (6.5 + -440.0(x12)^1 + 10296.0(x12)^2 + -109824.0(x12)^3 + 640640.0(x12)^4 + - \\
& 2236416.0(x12)^5 + 4874240.0(x12)^6 + -6684672.0(x12)^7 + 5603328.0(x12)^8 + -2621440.0(x12)^9 + \\
& 524288.0(x12)^10 \wedge (0.003939) * (-5.0 + 572.0(x12)^1 + -16016.0(x12)^2 + 205920.0(x12)^3 + -1464320.0(x12)^4 + \\
& 6336512.0(x12)^5 + -17547264.0(x12)^6 + 31752192.0(x12)^7 + -37355520.0(x12)^8 + 27525120.0(x12)^9 + - \\
& 11534336.0(x12)^10 + 2097152.0(x12)^11 \wedge (0.020212) * (2.5 + -8.0(x21)^1 + 8.0(x21)^2 \wedge (0.013267) * (-1.0 + \\
& 20.0(x21)^1 + -48.0(x21)^2 + 32.0(x21)^3 \wedge (-0.012954) * (3.5 + -40.0(x21)^1 + 168.0(x21)^2 + -256.0(x21)^3 + \\
& 128.0(x21)^4 \wedge (-0.002452) * (-2.0 + 70.0(x21)^1 + -448.0(x21)^2 + 1152.0(x21)^3 + -1280.0(x21)^4 + \\
& 512.0(x21)^5 \wedge (0.008179) * (4.5 + -112.0(x21)^1 + 1008.0(x21)^2 + -3840.0(x21)^3 + 7040.0(x21)^4 + - \\
& 6144.0(x21)^5 + 2048.0(x21)^6 \wedge (0.004808) * (-3.0 + 168.0(x21)^1 + -2016.0(x21)^2 + 10560.0(x21)^3 + - \\
& 28160.0(x21)^4 + 39936.0(x21)^5 + -28672.0(x21)^6 + 8192.0(x21)^7 \wedge (0.008912) * (5.5 + -240.0(x21)^1 + \\
& 3696.0(x21)^2 + -25344.0(x21)^3 + 91520.0(x21)^4 + -186368.0(x21)^5 + 215040.0(x21)^6 + -131072.0(x21)^7 + \\
& 32768.0(x21)^8 \wedge (-0.006430) * (-4.0 + 330.0(x21)^1 + -6336.0(x21)^2 + 54912.0(x21)^3 + -256256.0(x21)^4 + \\
& 698880.0(x21)^5 + -1146880.0(x21)^6 + 1114112.0(x21)^7 + -589824.0(x21)^8 + 131072.0(x21)^9 \wedge (0.004612) * \\
& (6.5 + -440.0(x21)^1 + 10296.0(x21)^2 + -109824.0(x21)^3 + 640640.0(x21)^4 + -2236416.0(x21)^5 + \\
& 4874240.0(x21)^6 + -6684672.0(x21)^7 + 5603328.0(x21)^8 + -2621440.0(x21)^9 + 524288.0(x21)^10 \wedge (0.000882) \\
& * (-5.0 + 572.0(x21)^1 + -16016.0(x21)^2 + 205920.0(x21)^3 + -1464320.0(x21)^4 + 6336512.0(x21)^5 + - \\
& 17547264.0(x21)^6 + 31752192.0(x21)^7 + -37355520.0(x21)^8 + 27525120.0(x21)^9 + -11534336.0(x21)^10 + \\
& 2097152.0(x21)^11 \wedge (-0.001902) * (7.5 + -728.0(x21)^1 + 24024.0(x21)^2 + -366080.0(x21)^3 + 3111680.0(x21)^4
\end{aligned}$$

$$\begin{aligned}
& + -16293888.0(x21)^5 + 55566336.0(x21)^6 + -127008768.0(x21)^7 + 196116480.0(x21)^8 + -201850880.0(x21)^9 \\
& + 132644864.0(x21)^{10} + -50331648.0(x21)^{11} + 8388608.0(x21)^{12} \wedge (-0.004693) * (2.5 + -8.0(x22)^1 + \\
& 8.0(x22)^2 \wedge (-0.024630) * (-1.0 + 20.0(x22)^1 + -48.0(x22)^2 + 32.0(x22)^3 \wedge (0.003887) * (3.5 + -40.0(x22)^1 + \\
& 168.0(x22)^2 + -256.0(x22)^3 + 128.0(x22)^4 \wedge (-0.001721) * (-2.0 + 70.0(x22)^1 + -448.0(x22)^2 + 1152.0(x22)^3 \\
& + -1280.0(x22)^4 + 512.0(x22)^5 \wedge (0.012267) * (4.5 + -112.0(x22)^1 + 1008.0(x22)^2 + -3840.0(x22)^3 + \\
& 7040.0(x22)^4 + -6144.0(x22)^5 + 2048.0(x22)^6 \wedge (-0.001241) * (-3.0 + 168.0(x22)^1 + -2016.0(x22)^2 + \\
& 10560.0(x22)^3 + -28160.0(x22)^4 + 39936.0(x22)^5 + -28672.0(x22)^6 + 8192.0(x22)^7 \wedge (-0.000642) * (5.5 + - \\
& 240.0(x22)^1 + 3696.0(x22)^2 + -25344.0(x22)^3 + 91520.0(x22)^4 + -186368.0(x22)^5 + 215040.0(x22)^6 + - \\
& 131072.0(x22)^7 + 32768.0(x22)^8 \wedge (0.012077) * (-4.0 + 330.0(x22)^1 + -6336.0(x22)^2 + 54912.0(x22)^3 + - \\
& 256256.0(x22)^4 + 698880.0(x22)^5 + -1146880.0(x22)^6 + 1114112.0(x22)^7 + -589824.0(x22)^8 + \\
& 131072.0(x22)^9 \wedge (-0.017909) * (6.5 + -440.0(x22)^1 + 10296.0(x22)^2 + -109824.0(x22)^3 + 640640.0(x22)^4 + - \\
& 2236416.0(x22)^5 + 4874240.0(x22)^6 + -6684672.0(x22)^7 + 5603328.0(x22)^8 + -2621440.0(x22)^9 + \\
& 524288.0(x22)^{10} \wedge (0.020155) * (-5.0 + 572.0(x22)^1 + -16016.0(x22)^2 + 205920.0(x22)^3 + -1464320.0(x22)^4 \\
& + 6336512.0(x22)^5 + -17547264.0(x22)^6 + 31752192.0(x22)^7 + -37355520.0(x22)^8 + 27525120.0(x22)^9 + - \\
& 11534336.0(x22)^{10} + 2097152.0(x22)^{11} \wedge (0.008035) * (7.5 + -728.0(x22)^1 + 24024.0(x22)^2 + - \\
& 366080.0(x22)^3 + 3111680.0(x22)^4 + -16293888.0(x22)^5 + 55566336.0(x22)^6 + -127008768.0(x22)^7 + \\
& 196116480.0(x22)^8 + -201850880.0(x22)^9 + 132644864.0(x22)^{10} + -50331648.0(x22)^{11} + \\
& 8388608.0(x22)^{12} \wedge (-0.016686) * (2.5 + -8.0(x31)^1 + 8.0(x31)^2 \wedge (-0.019485) * (-1.0 + 20.0(x31)^1 + - \\
& 48.0(x31)^2 + 32.0(x31)^3 \wedge (-0.041574) * (3.5 + -40.0(x31)^1 + 168.0(x31)^2 + -256.0(x31)^3 + 128.0(x31)^4 \wedge (- \\
& 0.003468) * (-2.0 + 70.0(x31)^1 + -448.0(x31)^2 + 1152.0(x31)^3 + -1280.0(x31)^4 + 512.0(x31)^5 \wedge (0.019537) * \\
& (4.5 + -112.0(x31)^1 + 1008.0(x31)^2 + -3840.0(x31)^3 + 7040.0(x31)^4 + -6144.0(x31)^5 + 2048.0(x31)^6 \wedge (- \\
& 0.012731) * (-3.0 + 168.0(x31)^1 + -2016.0(x31)^2 + 10560.0(x31)^3 + -28160.0(x31)^4 + 39936.0(x31)^5 + - \\
& 28672.0(x31)^6 + 8192.0(x31)^7 \wedge (0.001276) * (5.5 + -240.0(x31)^1 + 3696.0(x31)^2 + -25344.0(x31)^3 + \\
& 91520.0(x31)^4 + -186368.0(x31)^5 + 215040.0(x31)^6 + -131072.0(x31)^7 + 32768.0(x31)^8 \wedge (-0.000254) * (-4.0 \\
& + 330.0(x31)^1 + -6336.0(x31)^2 + 54912.0(x31)^3 + -256256.0(x31)^4 + 698880.0(x31)^5 + -1146880.0(x31)^6 + \\
& 1114112.0(x31)^7 + -589824.0(x31)^8 + 131072.0(x31)^9 \wedge (-0.015244) * (6.5 + -440.0(x31)^1 + 10296.0(x31)^2 + \\
& -109824.0(x31)^3 + 640640.0(x31)^4 + -2236416.0(x31)^5 + 4874240.0(x31)^6 + -6684672.0(x31)^7 + \\
& 5603328.0(x31)^8 + -2621440.0(x31)^9 + 524288.0(x31)^{10} \wedge (0.014147) * (-5.0 + 572.0(x31)^1 + -16016.0(x31)^2 \\
& + 205920.0(x31)^3 + -1464320.0(x31)^4 + 6336512.0(x31)^5 + -17547264.0(x31)^6 + 31752192.0(x31)^7 + - \\
& 37355520.0(x31)^8 + 27525120.0(x31)^9 + -11534336.0(x31)^{10} + 2097152.0(x31)^{11} \wedge (-0.003568) * (2.5 + - \\
& 8.0(x32)^1 + 8.0(x32)^2 \wedge (0.010863) * (-1.0 + 20.0(x32)^1 + -48.0(x32)^2 + 32.0(x32)^3 \wedge (-0.003413) * (3.5 + - \\
& 40.0(x32)^1 + 168.0(x32)^2 + -256.0(x32)^3 + 128.0(x32)^4 \wedge (0.017448) * (-2.0 + 70.0(x32)^1 + -448.0(x32)^2 + \\
& 1152.0(x32)^3 + -1280.0(x32)^4 + 512.0(x32)^5 \wedge (-0.017191) * (4.5 + -112.0(x32)^1 + 1008.0(x32)^2 + - \\
& 3840.0(x32)^3 + 7040.0(x32)^4 + -6144.0(x32)^5 + 2048.0(x32)^6 \wedge (0.004231) * (-3.0 + 168.0(x32)^1 + - \\
& 2016.0(x32)^2 + 10560.0(x32)^3 + -28160.0(x32)^4 + 39936.0(x32)^5 + -28672.0(x32)^6 + 8192.0(x32)^7 \wedge (- \\
& 0.005210) * (5.5 + -240.0(x32)^1 + 3696.0(x32)^2 + -25344.0(x32)^3 + 91520.0(x32)^4 + -186368.0(x32)^5 + \\
& 215040.0(x32)^6 + -131072.0(x32)^7 + 32768.0(x32)^8 \wedge (-0.007448) * (-4.0 + 330.0(x32)^1 + -6336.0(x32)^2 + \\
& 54912.0(x32)^3 + -256256.0(x32)^4 + 698880.0(x32)^5 + -1146880.0(x32)^6 + 1114112.0(x32)^7 + - \\
& 589824.0(x32)^8 + 131072.0(x32)^9 \wedge (-0.009477) * (6.5 + -440.0(x32)^1 + 10296.0(x32)^2 + -109824.0(x32)^3 + \\
& 640640.0(x32)^4 + -2236416.0(x32)^5 + 4874240.0(x32)^6 + -6684672.0(x32)^7 + 5603328.0(x32)^8 + - \\
& 2621440.0(x32)^9 + 524288.0(x32)^{10} \wedge (-0.003618) * (-5.0 + 572.0(x32)^1 + -16016.0(x32)^2 + 205920.0(x32)^3 \\
& + -1464320.0(x32)^4 + 6336512.0(x32)^5 + -17547264.0(x32)^6 + 31752192.0(x32)^7 + -37355520.0(x32)^8 + \\
& 27525120.0(x32)^9 + -11534336.0(x32)^{10} + 2097152.0(x32)^{11} \wedge (0.003189) * (2.5 + -8.0(x33)^1 + \\
& 8.0(x33)^2 \wedge (0.007080) * (-1.0 + 20.0(x33)^1 + -48.0(x33)^2 + 32.0(x33)^3 \wedge (-0.014457) * (3.5 + -40.0(x33)^1 + \\
& 168.0(x33)^2 + -256.0(x33)^3 + 128.0(x33)^4 \wedge (-0.021208) * (-2.0 + 70.0(x33)^1 + -448.0(x33)^2 + 1152.0(x33)^3 \\
& + -1280.0(x33)^4 + 512.0(x33)^5 \wedge (-0.008183) * (4.5 + -112.0(x33)^1 + 1008.0(x33)^2 + -3840.0(x33)^3 + \\
& 7040.0(x33)^4 + -6144.0(x33)^5 + 2048.0(x33)^6 \wedge (0.013011) * (-3.0 + 168.0(x33)^1 + -2016.0(x33)^2 + \\
& 10560.0(x33)^3 + -28160.0(x33)^4 + 39936.0(x33)^5 + -28672.0(x33)^6 + 8192.0(x33)^7 \wedge (0.005047) * (5.5 + - \\
& 240.0(x33)^1 + 3696.0(x33)^2 + -25344.0(x33)^3 + 91520.0(x33)^4 + -186368.0(x33)^5 + 215040.0(x33)^6 + - \\
& 131072.0(x33)^7 + 32768.0(x33)^8 \wedge (-0.008218) * (-4.0 + 330.0(x33)^1 + -6336.0(x33)^2 + 54912.0(x33)^3 + - \\
& 256256.0(x33)^4 + 698880.0(x33)^5 + -1146880.0(x33)^6 + 1114112.0(x33)^7 + -589824.0(x33)^8 + \\
& 131072.0(x33)^9 \wedge (0.003441) * (6.5 + -440.0(x33)^1 + 10296.0(x33)^2 + -109824.0(x33)^3 + 640640.0(x33)^4 + - \\
& 2236416.0(x33)^5 + 4874240.0(x33)^6 + -6684672.0(x33)^7 + 5603328.0(x33)^8 + -2621440.0(x33)^9 + \\
& 524288.0(x33)^{10} \wedge (0.011327) * (-5.0 + 572.0(x33)^1 + -16016.0(x33)^2 + 205920.0(x33)^3 + -1464320.0(x33)^4 \\
& + 6336512.0(x33)^5 + -17547264.0(x33)^6 + 31752192.0(x33)^7 + -37355520.0(x33)^8 + 27525120.0(x33)^9 + - \\
& 11534336.0(x33)^{10} + 2097152.0(x33)^{11} \wedge (-0.006830) - 1
\end{aligned}$$

F^3 в обычном базисе:

$$\begin{aligned}
& 0.0 * (2.5 + -8.0(x11)^1 + 8.0(x11)^2 \wedge (0.003360) * (-1.0 + 20.0(x11)^1 + -48.0(x11)^2 + 32.0(x11)^3 \wedge (-0.001192) \\
& * (3.5 + -40.0(x11)^1 + 168.0(x11)^2 + -256.0(x11)^3 + 128.0(x11)^4 \wedge (0.017466) * (-2.0 + 70.0(x11)^1 + - \\
& 448.0(x11)^2 + 1152.0(x11)^3 + -1280.0(x11)^4 + 512.0(x11)^5 \wedge (-0.001937) * (4.5 + -112.0(x11)^1 + \\
& 1008.0(x11)^2 + -3840.0(x11)^3 + 7040.0(x11)^4 + -6144.0(x11)^5 + 2048.0(x11)^6 \wedge (-0.021967) * (-3.0 + \\
& 168.0(x11)^1 + -2016.0(x11)^2 + 10560.0(x11)^3 + -28160.0(x11)^4 + 39936.0(x11)^5 + -28672.0(x11)^6 +
\end{aligned}$$

$$\begin{aligned}
& 8192.0(x_{11})^7)^{(0.001181)} * (5.5 + -240.0(x_{11})^1 + 3696.0(x_{11})^2 + -25344.0(x_{11})^3 + 91520.0(x_{11})^4 + - \\
& 186368.0(x_{11})^5 + 215040.0(x_{11})^6 + -131072.0(x_{11})^7 + 32768.0(x_{11})^8)^{(0.008116)} * (-4.0 + 330.0(x_{11})^1 + - \\
& 6336.0(x_{11})^2 + 54912.0(x_{11})^3 + -256256.0(x_{11})^4 + 698880.0(x_{11})^5 + -1146880.0(x_{11})^6 + 1114112.0(x_{11})^7 \\
& + -589824.0(x_{11})^8 + 131072.0(x_{11})^9)^{(0.003966)} * (6.5 + -440.0(x_{11})^1 + 10296.0(x_{11})^2 + -109824.0(x_{11})^3 \\
& + 640640.0(x_{11})^4 + -2236416.0(x_{11})^5 + 4874240.0(x_{11})^6 + -6684672.0(x_{11})^7 + 5603328.0(x_{11})^8 + - \\
& 2621440.0(x_{11})^9 + 524288.0(x_{11})^{10})^{(-0.016368)} * (-5.0 + 572.0(x_{11})^1 + -16016.0(x_{11})^2 + 205920.0(x_{11})^3 \\
& + -1464320.0(x_{11})^4 + 6336512.0(x_{11})^5 + -17547264.0(x_{11})^6 + 31752192.0(x_{11})^7 + -37355520.0(x_{11})^8 + \\
& 27525120.0(x_{11})^9 + -11534336.0(x_{11})^{10} + 2097152.0(x_{11})^{11})^{(-0.000864)} * (2.5 + -8.0(x_{12})^1 + \\
& 8.0(x_{12})^2)^{(-0.014257)} * (-1.0 + 20.0(x_{12})^1 + -48.0(x_{12})^2 + 32.0(x_{12})^3)^{(-0.005957)} * (3.5 + -40.0(x_{12})^1 + \\
& 168.0(x_{12})^2 + -256.0(x_{12})^3 + 128.0(x_{12})^4)^{(-0.000700)} * (-2.0 + 70.0(x_{12})^1 + -448.0(x_{12})^2 + 1152.0(x_{12})^3 \\
& + -1280.0(x_{12})^4 + 512.0(x_{12})^5)^{(-0.013283)} * (4.5 + -112.0(x_{12})^1 + 1008.0(x_{12})^2 + -3840.0(x_{12})^3 + \\
& 7040.0(x_{12})^4 + -6144.0(x_{12})^5 + 2048.0(x_{12})^6)^{(0.015045)} * (-3.0 + 168.0(x_{12})^1 + -2016.0(x_{12})^2 + \\
& 10560.0(x_{12})^3 + -28160.0(x_{12})^4 + 39936.0(x_{12})^5 + -28672.0(x_{12})^6 + 8192.0(x_{12})^7)^{(-0.012263)} * (5.5 + - \\
& 240.0(x_{12})^1 + 3696.0(x_{12})^2 + -25344.0(x_{12})^3 + 91520.0(x_{12})^4 + -186368.0(x_{12})^5 + 215040.0(x_{12})^6 + - \\
& 131072.0(x_{12})^7 + 32768.0(x_{12})^8)^{(-0.008513)} * (-4.0 + 330.0(x_{12})^1 + -6336.0(x_{12})^2 + 54912.0(x_{12})^3 + - \\
& 256256.0(x_{12})^4 + 698880.0(x_{12})^5 + -1146880.0(x_{12})^6 + 1114112.0(x_{12})^7 + -589824.0(x_{12})^8 + \\
& 131072.0(x_{12})^9)^{(-0.020366)} * (6.5 + -440.0(x_{12})^1 + 10296.0(x_{12})^2 + -109824.0(x_{12})^3 + 640640.0(x_{12})^4 + - \\
& 2236416.0(x_{12})^5 + 4874240.0(x_{12})^6 + -6684672.0(x_{12})^7 + 5603328.0(x_{12})^8 + -2621440.0(x_{12})^9 + \\
& 524288.0(x_{12})^{10})^{(0.003380)} * (-5.0 + 572.0(x_{12})^1 + -16016.0(x_{12})^2 + 205920.0(x_{12})^3 + -1464320.0(x_{12})^4 \\
& + 6336512.0(x_{12})^5 + -17547264.0(x_{12})^6 + 31752192.0(x_{12})^7 + -37355520.0(x_{12})^8 + 27525120.0(x_{12})^9 + - \\
& 11534336.0(x_{12})^{10} + 2097152.0(x_{12})^{11})^{(0.007855)} * (2.5 + -8.0(x_{21})^1 + 8.0(x_{21})^2)^{(0.022084)} * (-1.0 + \\
& 20.0(x_{21})^1 + -48.0(x_{21})^2 + 32.0(x_{21})^3)^{(-0.015192)} * (3.5 + -40.0(x_{21})^1 + 168.0(x_{21})^2 + -256.0(x_{21})^3 + \\
& 128.0(x_{21})^4)^{(-0.013879)} * (-2.0 + 70.0(x_{21})^1 + -448.0(x_{21})^2 + 1152.0(x_{21})^3 + -1280.0(x_{21})^4 + \\
& 512.0(x_{21})^5)^{(0.001126)} * (4.5 + -112.0(x_{21})^1 + 1008.0(x_{21})^2 + -3840.0(x_{21})^3 + 7040.0(x_{21})^4 + - \\
& 6144.0(x_{21})^5 + 2048.0(x_{21})^6)^{(0.010741)} * (-3.0 + 168.0(x_{21})^1 + -2016.0(x_{21})^2 + 10560.0(x_{21})^3 + - \\
& 28160.0(x_{21})^4 + 39936.0(x_{21})^5 + -28672.0(x_{21})^6 + 8192.0(x_{21})^7)^{(0.011069)} * (5.5 + -240.0(x_{21})^1 + \\
& 3696.0(x_{21})^2 + -25344.0(x_{21})^3 + 91520.0(x_{21})^4 + -186368.0(x_{21})^5 + 215040.0(x_{21})^6 + -131072.0(x_{21})^7 + \\
& 32768.0(x_{21})^8)^{(-0.001145)} * (-4.0 + 330.0(x_{21})^1 + -6336.0(x_{21})^2 + 54912.0(x_{21})^3 + -256256.0(x_{21})^4 + \\
& 698880.0(x_{21})^5 + -1146880.0(x_{21})^6 + 1114112.0(x_{21})^7 + -589824.0(x_{21})^8 + 131072.0(x_{21})^9)^{(-0.003954)} * \\
& (6.5 + -440.0(x_{21})^1 + 10296.0(x_{21})^2 + -109824.0(x_{21})^3 + 640640.0(x_{21})^4 + -2236416.0(x_{21})^5 + \\
& 4874240.0(x_{21})^6 + -6684672.0(x_{21})^7 + 5603328.0(x_{21})^8 + -2621440.0(x_{21})^9 + 524288.0(x_{21})^{10})^{(0.003281)} \\
& * (-5.0 + 572.0(x_{21})^1 + -16016.0(x_{21})^2 + 205920.0(x_{21})^3 + -1464320.0(x_{21})^4 + 6336512.0(x_{21})^5 + - \\
& 17547264.0(x_{21})^6 + 31752192.0(x_{21})^7 + -37355520.0(x_{21})^8 + 27525120.0(x_{21})^9 + -11534336.0(x_{21})^{10} + \\
& 2097152.0(x_{21})^{11})^{(-0.002670)} * (7.5 + -728.0(x_{21})^1 + 24024.0(x_{21})^2 + -366080.0(x_{21})^3 + 3111680.0(x_{21})^4 \\
& + -16293888.0(x_{21})^5 + 55566336.0(x_{21})^6 + -127008768.0(x_{21})^7 + 196116480.0(x_{21})^8 + -201850880.0(x_{21})^9 \\
& + 132644864.0(x_{21})^{10} + -50331648.0(x_{21})^{11} + 8388608.0(x_{21})^{12})^{(-0.018017)} * (2.5 + -8.0(x_{22})^1 + \\
& 8.0(x_{22})^2)^{(-0.011227)} * (-1.0 + 20.0(x_{22})^1 + -48.0(x_{22})^2 + 32.0(x_{22})^3)^{(-0.000018)} * (3.5 + -40.0(x_{22})^1 + \\
& 168.0(x_{22})^2 + -256.0(x_{22})^3 + 128.0(x_{22})^4)^{(0.002093)} * (-2.0 + 70.0(x_{22})^1 + -448.0(x_{22})^2 + 1152.0(x_{22})^3 \\
& + -1280.0(x_{22})^4 + 512.0(x_{22})^5)^{(0.009306)} * (4.5 + -112.0(x_{22})^1 + 1008.0(x_{22})^2 + -3840.0(x_{22})^3 + \\
& 7040.0(x_{22})^4 + -6144.0(x_{22})^5 + 2048.0(x_{22})^6)^{(0.000031)} * (-3.0 + 168.0(x_{22})^1 + -2016.0(x_{22})^2 + \\
& 10560.0(x_{22})^3 + -28160.0(x_{22})^4 + 39936.0(x_{22})^5 + -28672.0(x_{22})^6 + 8192.0(x_{22})^7)^{(0.002937)} * (5.5 + - \\
& 240.0(x_{22})^1 + 3696.0(x_{22})^2 + -25344.0(x_{22})^3 + 91520.0(x_{22})^4 + -186368.0(x_{22})^5 + 215040.0(x_{22})^6 + - \\
& 131072.0(x_{22})^7 + 32768.0(x_{22})^8)^{(0.008009)} * (-4.0 + 330.0(x_{22})^1 + -6336.0(x_{22})^2 + 54912.0(x_{22})^3 + - \\
& 256256.0(x_{22})^4 + 698880.0(x_{22})^5 + -1146880.0(x_{22})^6 + 1114112.0(x_{22})^7 + -589824.0(x_{22})^8 + \\
& 131072.0(x_{22})^9)^{(-0.006595)} * (6.5 + -440.0(x_{22})^1 + 10296.0(x_{22})^2 + -109824.0(x_{22})^3 + 640640.0(x_{22})^4 + - \\
& 2236416.0(x_{22})^5 + 4874240.0(x_{22})^6 + -6684672.0(x_{22})^7 + 5603328.0(x_{22})^8 + -2621440.0(x_{22})^9 + \\
& 524288.0(x_{22})^{10})^{(0.006891)} * (-5.0 + 572.0(x_{22})^1 + -16016.0(x_{22})^2 + 205920.0(x_{22})^3 + -1464320.0(x_{22})^4 \\
& + 6336512.0(x_{22})^5 + -17547264.0(x_{22})^6 + 31752192.0(x_{22})^7 + -37355520.0(x_{22})^8 + 27525120.0(x_{22})^9 + - \\
& 11534336.0(x_{22})^{10} + 2097152.0(x_{22})^{11})^{(0.008351)} * (7.5 + -728.0(x_{22})^1 + 24024.0(x_{22})^2 + - \\
& 366080.0(x_{22})^3 + 3111680.0(x_{22})^4 + -16293888.0(x_{22})^5 + 55566336.0(x_{22})^6 + -127008768.0(x_{22})^7 + \\
& 196116480.0(x_{22})^8 + -201850880.0(x_{22})^9 + 132644864.0(x_{22})^{10} + -50331648.0(x_{22})^{11} + \\
& 8388608.0(x_{22})^{12})^{(-0.007634)} * (2.5 + -8.0(x_{31})^1 + 8.0(x_{31})^2)^{(-0.004319)} * (-1.0 + 20.0(x_{31})^1 + - \\
& 48.0(x_{31})^2 + 32.0(x_{31})^3)^{(-0.040347)} * (3.5 + -40.0(x_{31})^1 + 168.0(x_{31})^2 + -256.0(x_{31})^3 + 128.0(x_{31})^4)^{(- \\
& 0.004173)} * (-2.0 + 70.0(x_{31})^1 + -448.0(x_{31})^2 + 1152.0(x_{31})^3 + -1280.0(x_{31})^4 + 512.0(x_{31})^5)^{(0.004397)} * \\
& (4.5 + -112.0(x_{31})^1 + 1008.0(x_{31})^2 + -3840.0(x_{31})^3 + 7040.0(x_{31})^4 + -6144.0(x_{31})^5 + 2048.0(x_{31})^6)^{(- \\
& 0.019325)} * (-3.0 + 168.0(x_{31})^1 + -2016.0(x_{31})^2 + 10560.0(x_{31})^3 + -28160.0(x_{31})^4 + 39936.0(x_{31})^5 + - \\
& 28672.0(x_{31})^6 + 8192.0(x_{31})^7)^{(-0.002689)} * (5.5 + -240.0(x_{31})^1 + 3696.0(x_{31})^2 + -25344.0(x_{31})^3 + \\
& 91520.0(x_{31})^4 + -186368.0(x_{31})^5 + 215040.0(x_{31})^6 + -131072.0(x_{31})^7 + 32768.0(x_{31})^8)^{(0.013630)} * (-4.0 \\
& + 330.0(x_{31})^1 + -6336.0(x_{31})^2 + 54912.0(x_{31})^3 + -256256.0(x_{31})^4 + 698880.0(x_{31})^5 + -1146880.0(x_{31})^6 + \\
& 1114112.0(x_{31})^7 + -589824.0(x_{31})^8 + 131072.0(x_{31})^9)^{(-0.009112)} * (6.5 + -440.0(x_{31})^1 + 10296.0(x_{31})^2 + \\
& -109824.0(x_{31})^3 + 640640.0(x_{31})^4 + -2236416.0(x_{31})^5 + 4874240.0(x_{31})^6 + -6684672.0(x_{31})^7 + \\
& 5603328.0(x_{31})^8 + -2621440.0(x_{31})^9 + 524288.0(x_{31})^{10})^{(0.013178)} * (-5.0 + 572.0(x_{31})^1 + -16016.0(x_{31})^2 \\
& + 205920.0(x_{31})^3 + -1464320.0(x_{31})^4 + 6336512.0(x_{31})^5 + -17547264.0(x_{31})^6 + 31752192.0(x_{31})^7 + -
\end{aligned}$$

$$\begin{aligned}
& 3735520.0(x_{31})^8 + 27525120.0(x_{31})^9 + -11534336.0(x_{31})^{10} + 2097152.0(x_{31})^{11} \wedge (-0.007236) * (2.5 + - \\
& 8.0(x_{32})^1 + 8.0(x_{32})^2 \wedge (0.009273) * (-1.0 + 20.0(x_{32})^1 + -48.0(x_{32})^2 + 32.0(x_{32})^3 \wedge (0.001144) * (3.5 + - \\
& 40.0(x_{32})^1 + 168.0(x_{32})^2 + -256.0(x_{32})^3 + 128.0(x_{32})^4 \wedge (0.001324) * (-2.0 + 70.0(x_{32})^1 + -448.0(x_{32})^2 + \\
& 1152.0(x_{32})^3 + -1280.0(x_{32})^4 + 512.0(x_{32})^5 \wedge (-0.027793) * (4.5 + -112.0(x_{32})^1 + 1008.0(x_{32})^2 + - \\
& 3840.0(x_{32})^3 + 7040.0(x_{32})^4 + -6144.0(x_{32})^5 + 2048.0(x_{32})^6 \wedge (0.003435) * (-3.0 + 168.0(x_{32})^1 + - \\
& 2016.0(x_{32})^2 + 10560.0(x_{32})^3 + -28160.0(x_{32})^4 + 39936.0(x_{32})^5 + -28672.0(x_{32})^6 + 8192.0(x_{32})^7 \wedge (- \\
& 0.015884) * (5.5 + -240.0(x_{32})^1 + 3696.0(x_{32})^2 + -25344.0(x_{32})^3 + 91520.0(x_{32})^4 + -186368.0(x_{32})^5 + \\
& 215040.0(x_{32})^6 + -131072.0(x_{32})^7 + 32768.0(x_{32})^8 \wedge (-0.006873) * (-4.0 + 330.0(x_{32})^1 + -6336.0(x_{32})^2 + \\
& 54912.0(x_{32})^3 + -256256.0(x_{32})^4 + 698880.0(x_{32})^5 + -1146880.0(x_{32})^6 + 1114112.0(x_{32})^7 + - \\
& 589824.0(x_{32})^8 + 131072.0(x_{32})^9 \wedge (-0.005903) * (6.5 + -440.0(x_{32})^1 + 10296.0(x_{32})^2 + -109824.0(x_{32})^3 + \\
& 640640.0(x_{32})^4 + -2236416.0(x_{32})^5 + 4874240.0(x_{32})^6 + -6684672.0(x_{32})^7 + 5603328.0(x_{32})^8 + - \\
& 2621440.0(x_{32})^9 + 524288.0(x_{32})^{10} \wedge (-0.003634) * (-5.0 + 572.0(x_{32})^1 + -16016.0(x_{32})^2 + 205920.0(x_{32})^3 + \\
& -1464320.0(x_{32})^4 + 6336512.0(x_{32})^5 + -17547264.0(x_{32})^6 + 31752192.0(x_{32})^7 + -3735520.0(x_{32})^8 + \\
& 27525120.0(x_{32})^9 + -11534336.0(x_{32})^{10} + 2097152.0(x_{32})^{11} \wedge (0.004719) * (2.5 + -8.0(x_{33})^1 + \\
& 8.0(x_{33})^2 \wedge (0.015436) * (-1.0 + 20.0(x_{33})^1 + -48.0(x_{33})^2 + 32.0(x_{33})^3 \wedge (-0.019832) * (3.5 + -40.0(x_{33})^1 + \\
& 168.0(x_{33})^2 + -256.0(x_{33})^3 + 128.0(x_{33})^4 \wedge (-0.021237) * (-2.0 + 70.0(x_{33})^1 + -448.0(x_{33})^2 + 1152.0(x_{33})^3 + \\
& -1280.0(x_{33})^4 + 512.0(x_{33})^5 \wedge (-0.000878) * (4.5 + -112.0(x_{33})^1 + 1008.0(x_{33})^2 + -3840.0(x_{33})^3 + \\
& 7040.0(x_{33})^4 + -6144.0(x_{33})^5 + 2048.0(x_{33})^6 \wedge (0.012772) * (-3.0 + 168.0(x_{33})^1 + -2016.0(x_{33})^2 + \\
& 10560.0(x_{33})^3 + -28160.0(x_{33})^4 + 39936.0(x_{33})^5 + -28672.0(x_{33})^6 + 8192.0(x_{33})^7 \wedge (0.007983) * (5.5 + - \\
& 240.0(x_{33})^1 + 3696.0(x_{33})^2 + -25344.0(x_{33})^3 + 91520.0(x_{33})^4 + -186368.0(x_{33})^5 + 215040.0(x_{33})^6 + - \\
& 131072.0(x_{33})^7 + 32768.0(x_{33})^8 \wedge (-0.013233) * (-4.0 + 330.0(x_{33})^1 + -6336.0(x_{33})^2 + 54912.0(x_{33})^3 + - \\
& 256256.0(x_{33})^4 + 698880.0(x_{33})^5 + -1146880.0(x_{33})^6 + 1114112.0(x_{33})^7 + -589824.0(x_{33})^8 + \\
& 131072.0(x_{33})^9 \wedge (0.011835) * (6.5 + -440.0(x_{33})^1 + 10296.0(x_{33})^2 + -109824.0(x_{33})^3 + 640640.0(x_{33})^4 + - \\
& 2236416.0(x_{33})^5 + 4874240.0(x_{33})^6 + -6684672.0(x_{33})^7 + 5603328.0(x_{33})^8 + -2621440.0(x_{33})^9 + \\
& 524288.0(x_{33})^{10} \wedge (0.010288) * (-5.0 + 572.0(x_{33})^1 + -16016.0(x_{33})^2 + 205920.0(x_{33})^3 + -1464320.0(x_{33})^4 + \\
& 6336512.0(x_{33})^5 + -17547264.0(x_{33})^6 + 31752192.0(x_{33})^7 + -3735520.0(x_{33})^8 + 27525120.0(x_{33})^9 + - \\
& 11534336.0(x_{33})^{10} + 2097152.0(x_{33})^{11} \wedge (-0.000427) - 1
\end{aligned}$$

F^4 в обычном базисе:

$$\begin{aligned}
& 0.0 * (2.5 + -8.0(x_{11})^1 + 8.0(x_{11})^2 \wedge (0.003889) * (-1.0 + 20.0(x_{11})^1 + -48.0(x_{11})^2 + 32.0(x_{11})^3 \wedge (-0.013542) \\
& * (3.5 + -40.0(x_{11})^1 + 168.0(x_{11})^2 + -256.0(x_{11})^3 + 128.0(x_{11})^4 \wedge (0.021671) * (-2.0 + 70.0(x_{11})^1 + - \\
& 448.0(x_{11})^2 + 1152.0(x_{11})^3 + -1280.0(x_{11})^4 + 512.0(x_{11})^5 \wedge (-0.012933) * (4.5 + -112.0(x_{11})^1 + \\
& 1008.0(x_{11})^2 + -3840.0(x_{11})^3 + 7040.0(x_{11})^4 + -6144.0(x_{11})^5 + 2048.0(x_{11})^6 \wedge (-0.023420) * (-3.0 + \\
& 168.0(x_{11})^1 + -2016.0(x_{11})^2 + 10560.0(x_{11})^3 + -28160.0(x_{11})^4 + 39936.0(x_{11})^5 + -28672.0(x_{11})^6 + \\
& 8192.0(x_{11})^7 \wedge (0.000795) * (5.5 + -240.0(x_{11})^1 + 3696.0(x_{11})^2 + -25344.0(x_{11})^3 + 91520.0(x_{11})^4 + - \\
& 186368.0(x_{11})^5 + 215040.0(x_{11})^6 + -131072.0(x_{11})^7 + 32768.0(x_{11})^8 \wedge (0.004871) * (-4.0 + 330.0(x_{11})^1 + - \\
& 6336.0(x_{11})^2 + 54912.0(x_{11})^3 + -256256.0(x_{11})^4 + 698880.0(x_{11})^5 + -1146880.0(x_{11})^6 + 1114112.0(x_{11})^7 + \\
& -589824.0(x_{11})^8 + 131072.0(x_{11})^9 \wedge (-0.003792) * (6.5 + -440.0(x_{11})^1 + 10296.0(x_{11})^2 + -109824.0(x_{11})^3 + \\
& 640640.0(x_{11})^4 + -2236416.0(x_{11})^5 + 4874240.0(x_{11})^6 + -6684672.0(x_{11})^7 + 5603328.0(x_{11})^8 + - \\
& 2621440.0(x_{11})^9 + 524288.0(x_{11})^{10} \wedge (-0.023946) * (-5.0 + 572.0(x_{11})^1 + -16016.0(x_{11})^2 + 205920.0(x_{11})^3 + \\
& -1464320.0(x_{11})^4 + 6336512.0(x_{11})^5 + -17547264.0(x_{11})^6 + 31752192.0(x_{11})^7 + -3735520.0(x_{11})^8 + \\
& 27525120.0(x_{11})^9 + -11534336.0(x_{11})^{10} + 2097152.0(x_{11})^{11} \wedge (-0.005451) * (2.5 + -8.0(x_{12})^1 + \\
& 8.0(x_{12})^2 \wedge (-0.005752) * (-1.0 + 20.0(x_{12})^1 + -48.0(x_{12})^2 + 32.0(x_{12})^3 \wedge (0.001456) * (3.5 + -40.0(x_{12})^1 + \\
& 168.0(x_{12})^2 + -256.0(x_{12})^3 + 128.0(x_{12})^4 \wedge (-0.004240) * (-2.0 + 70.0(x_{12})^1 + -448.0(x_{12})^2 + 1152.0(x_{12})^3 + \\
& -1280.0(x_{12})^4 + 512.0(x_{12})^5 \wedge (-0.011167) * (4.5 + -112.0(x_{12})^1 + 1008.0(x_{12})^2 + -3840.0(x_{12})^3 + \\
& 7040.0(x_{12})^4 + -6144.0(x_{12})^5 + 2048.0(x_{12})^6 \wedge (0.014210) * (-3.0 + 168.0(x_{12})^1 + -2016.0(x_{12})^2 + \\
& 10560.0(x_{12})^3 + -28160.0(x_{12})^4 + 39936.0(x_{12})^5 + -28672.0(x_{12})^6 + 8192.0(x_{12})^7 \wedge (-0.010401) * (5.5 + - \\
& 240.0(x_{12})^1 + 3696.0(x_{12})^2 + -25344.0(x_{12})^3 + 91520.0(x_{12})^4 + -186368.0(x_{12})^5 + 215040.0(x_{12})^6 + - \\
& 131072.0(x_{12})^7 + 32768.0(x_{12})^8 \wedge (-0.010404) * (-4.0 + 330.0(x_{12})^1 + -6336.0(x_{12})^2 + 54912.0(x_{12})^3 + - \\
& 256256.0(x_{12})^4 + 698880.0(x_{12})^5 + -1146880.0(x_{12})^6 + 1114112.0(x_{12})^7 + -589824.0(x_{12})^8 + \\
& 131072.0(x_{12})^9 \wedge (-0.014514) * (6.5 + -440.0(x_{12})^1 + 10296.0(x_{12})^2 + -109824.0(x_{12})^3 + 640640.0(x_{12})^4 + - \\
& 2236416.0(x_{12})^5 + 4874240.0(x_{12})^6 + -6684672.0(x_{12})^7 + 5603328.0(x_{12})^8 + -2621440.0(x_{12})^9 + \\
& 524288.0(x_{12})^{10} \wedge (0.002819) * (-5.0 + 572.0(x_{12})^1 + -16016.0(x_{12})^2 + 205920.0(x_{12})^3 + -1464320.0(x_{12})^4 + \\
& 6336512.0(x_{12})^5 + -17547264.0(x_{12})^6 + 31752192.0(x_{12})^7 + -3735520.0(x_{12})^8 + 27525120.0(x_{12})^9 + - \\
& 11534336.0(x_{12})^{10} + 2097152.0(x_{12})^{11} \wedge (0.011389) * (2.5 + -8.0(x_{21})^1 + 8.0(x_{21})^2 \wedge (0.013954) * (-1.0 + \\
& 20.0(x_{21})^1 + -48.0(x_{21})^2 + 32.0(x_{21})^3 \wedge (-0.013149) * (3.5 + -40.0(x_{21})^1 + 168.0(x_{21})^2 + -256.0(x_{21})^3 + \\
& 128.0(x_{21})^4 \wedge (-0.025380) * (-2.0 + 70.0(x_{21})^1 + -448.0(x_{21})^2 + 1152.0(x_{21})^3 + -1280.0(x_{21})^4 + \\
& 512.0(x_{21})^5 \wedge (0.000392) * (4.5 + -112.0(x_{21})^1 + 1008.0(x_{21})^2 + -3840.0(x_{21})^3 + 7040.0(x_{21})^4 + - \\
& 6144.0(x_{21})^5 + 2048.0(x_{21})^6 \wedge (0.007501) * (-3.0 + 168.0(x_{21})^1 + -2016.0(x_{21})^2 + 10560.0(x_{21})^3 + - \\
& 28160.0(x_{21})^4 + 39936.0(x_{21})^5 + -28672.0(x_{21})^6 + 8192.0(x_{21})^7 \wedge (0.015251) * (5.5 + -240.0(x_{21})^1 + \\
& 3696.0(x_{21})^2 + -25344.0(x_{21})^3 + 91520.0(x_{21})^4 + -186368.0(x_{21})^5 + 215040.0(x_{21})^6 + -131072.0(x_{21})^7 + \\
& 32768.0(x_{21})^8 \wedge (0.012659) * (-4.0 + 330.0(x_{21})^1 + -6336.0(x_{21})^2 + 54912.0(x_{21})^3 + -256256.0(x_{21})^4 + \\
& 698880.0(x_{21})^5 + -1146880.0(x_{21})^6 + 1114112.0(x_{21})^7 + -589824.0(x_{21})^8 + 131072.0(x_{21})^9 \wedge (-0.003376) *
\end{aligned}$$

$$\begin{aligned}
& (6.5 + -440.0(x_{21})^1 + 10296.0(x_{21})^2 + -109824.0(x_{21})^3 + 640640.0(x_{21})^4 + -2236416.0(x_{21})^5 + \\
& 4874240.0(x_{21})^6 + -6684672.0(x_{21})^7 + 5603328.0(x_{21})^8 + -2621440.0(x_{21})^9 + 524288.0(x_{21})^{10})^{(0.010106)} \\
& * (-5.0 + 572.0(x_{21})^1 + -16016.0(x_{21})^2 + 205920.0(x_{21})^3 + -1464320.0(x_{21})^4 + 6336512.0(x_{21})^5 + - \\
& 17547264.0(x_{21})^6 + 31752192.0(x_{21})^7 + -37355520.0(x_{21})^8 + 27525120.0(x_{21})^9 + -11534336.0(x_{21})^{10} + \\
& 2097152.0(x_{21})^{11})^{(-0.006605)} * (7.5 + -728.0(x_{21})^1 + 24024.0(x_{21})^2 + -366080.0(x_{21})^3 + 3111680.0(x_{21})^4 \\
& + -16293888.0(x_{21})^5 + 55566336.0(x_{21})^6 + -127008768.0(x_{21})^7 + 196116480.0(x_{21})^8 + -201850880.0(x_{21})^9 \\
& + 132644864.0(x_{21})^{10} + -50331648.0(x_{21})^{11} + 8388608.0(x_{21})^{12})^{(-0.015968)} * (2.5 + -8.0(x_{22})^1 + \\
& 8.0(x_{22})^2)^{(-0.002173)} * (-1.0 + 20.0(x_{22})^1 + -48.0(x_{22})^2 + 32.0(x_{22})^3)^{(0.000883)} * (3.5 + -40.0(x_{22})^1 + \\
& 168.0(x_{22})^2 + -256.0(x_{22})^3 + 128.0(x_{22})^4)^{(0.000197)} * (-2.0 + 70.0(x_{22})^1 + -448.0(x_{22})^2 + 1152.0(x_{22})^3 \\
& + -1280.0(x_{22})^4 + 512.0(x_{22})^5)^{(0.001683)} * (4.5 + -112.0(x_{22})^1 + 1008.0(x_{22})^2 + -3840.0(x_{22})^3 + \\
& 7040.0(x_{22})^4 + -6144.0(x_{22})^5 + 2048.0(x_{22})^6)^{(0.001342)} * (-3.0 + 168.0(x_{22})^1 + -2016.0(x_{22})^2 + \\
& 10560.0(x_{22})^3 + -28160.0(x_{22})^4 + 39936.0(x_{22})^5 + -28672.0(x_{22})^6 + 8192.0(x_{22})^7)^{(0.000657)} * (5.5 + - \\
& 240.0(x_{22})^1 + 3696.0(x_{22})^2 + -25344.0(x_{22})^3 + 91520.0(x_{22})^4 + -186368.0(x_{22})^5 + 215040.0(x_{22})^6 + - \\
& 131072.0(x_{22})^7 + 32768.0(x_{22})^8)^{(0.000424)} * (-4.0 + 330.0(x_{22})^1 + -6336.0(x_{22})^2 + 54912.0(x_{22})^3 + - \\
& 256256.0(x_{22})^4 + 698880.0(x_{22})^5 + -1146880.0(x_{22})^6 + 1114112.0(x_{22})^7 + -589824.0(x_{22})^8 + \\
& 131072.0(x_{22})^9)^{(-0.001416)} * (6.5 + -440.0(x_{22})^1 + 10296.0(x_{22})^2 + -109824.0(x_{22})^3 + 640640.0(x_{22})^4 + - \\
& 2236416.0(x_{22})^5 + 4874240.0(x_{22})^6 + -6684672.0(x_{22})^7 + 5603328.0(x_{22})^8 + -2621440.0(x_{22})^9 + \\
& 524288.0(x_{22})^{10})^{(0.000530)} * (-5.0 + 572.0(x_{22})^1 + -16016.0(x_{22})^2 + 205920.0(x_{22})^3 + -1464320.0(x_{22})^4 \\
& + 6336512.0(x_{22})^5 + -17547264.0(x_{22})^6 + 31752192.0(x_{22})^7 + -37355520.0(x_{22})^8 + 27525120.0(x_{22})^9 + - \\
& 11534336.0(x_{22})^{10} + 2097152.0(x_{22})^{11})^{(0.000938)} * (7.5 + -728.0(x_{22})^1 + 24024.0(x_{22})^2 + - \\
& 366080.0(x_{22})^3 + 3111680.0(x_{22})^4 + -16293888.0(x_{22})^5 + 55566336.0(x_{22})^6 + -127008768.0(x_{22})^7 + \\
& 196116480.0(x_{22})^8 + -201850880.0(x_{22})^9 + 132644864.0(x_{22})^{10} + -50331648.0(x_{22})^{11} + \\
& 8388608.0(x_{22})^{12})^{(-0.000859)} * (2.5 + -8.0(x_{31})^1 + 8.0(x_{31})^2)^{(-0.002688)} * (-1.0 + 20.0(x_{31})^1 + - \\
& 48.0(x_{31})^2 + 32.0(x_{31})^3)^{(-0.040007)} * (3.5 + -40.0(x_{31})^1 + 168.0(x_{31})^2 + -256.0(x_{31})^3 + 128.0(x_{31})^4)^{(- \\
& 0.002900)} * (-2.0 + 70.0(x_{31})^1 + -448.0(x_{31})^2 + 1152.0(x_{31})^3 + -1280.0(x_{31})^4 + 512.0(x_{31})^5)^{(0.003418)} * \\
& (4.5 + -112.0(x_{31})^1 + 1008.0(x_{31})^2 + -3840.0(x_{31})^3 + 7040.0(x_{31})^4 + -6144.0(x_{31})^5 + 2048.0(x_{31})^6)^{(- \\
& 0.031062)} * (-3.0 + 168.0(x_{31})^1 + -2016.0(x_{31})^2 + 10560.0(x_{31})^3 + -28160.0(x_{31})^4 + 39936.0(x_{31})^5 + - \\
& 28672.0(x_{31})^6 + 8192.0(x_{31})^7)^{(-0.006759)} * (5.5 + -240.0(x_{31})^1 + 3696.0(x_{31})^2 + -25344.0(x_{31})^3 + \\
& 91520.0(x_{31})^4 + -186368.0(x_{31})^5 + 215040.0(x_{31})^6 + -131072.0(x_{31})^7 + 32768.0(x_{31})^8)^{(0.029348)} * (-4.0 \\
& + 330.0(x_{31})^1 + -6336.0(x_{31})^2 + 54912.0(x_{31})^3 + -256256.0(x_{31})^4 + 698880.0(x_{31})^5 + -1146880.0(x_{31})^6 + \\
& 1114112.0(x_{31})^7 + -589824.0(x_{31})^8 + 131072.0(x_{31})^9)^{(-0.020690)} * (6.5 + -440.0(x_{31})^1 + 10296.0(x_{31})^2 + \\
& -109824.0(x_{31})^3 + 640640.0(x_{31})^4 + -2236416.0(x_{31})^5 + 4874240.0(x_{31})^6 + -6684672.0(x_{31})^7 + \\
& 5603328.0(x_{31})^8 + -2621440.0(x_{31})^9 + 524288.0(x_{31})^{10})^{(0.021362)} * (-5.0 + 572.0(x_{31})^1 + -16016.0(x_{31})^2 \\
& + 205920.0(x_{31})^3 + -1464320.0(x_{31})^4 + 6336512.0(x_{31})^5 + -17547264.0(x_{31})^6 + 31752192.0(x_{31})^7 + - \\
& 37355520.0(x_{31})^8 + 27525120.0(x_{31})^9 + -11534336.0(x_{31})^{10} + 2097152.0(x_{31})^{11})^{(-0.015115)} * (2.5 + - \\
& 8.0(x_{32})^1 + 8.0(x_{32})^2)^{(0.013925)} * (-1.0 + 20.0(x_{32})^1 + -48.0(x_{32})^2 + 32.0(x_{32})^3)^{(-0.008829)} * (3.5 + - \\
& 40.0(x_{32})^1 + 168.0(x_{32})^2 + -256.0(x_{32})^3 + 128.0(x_{32})^4)^{(-0.011602)} * (-2.0 + 70.0(x_{32})^1 + -448.0(x_{32})^2 + \\
& 1152.0(x_{32})^3 + -1280.0(x_{32})^4 + 512.0(x_{32})^5)^{(-0.056700)} * (4.5 + -112.0(x_{32})^1 + 1008.0(x_{32})^2 + - \\
& 3840.0(x_{32})^3 + 7040.0(x_{32})^4 + -6144.0(x_{32})^5 + 2048.0(x_{32})^6)^{(0.007376)} * (-3.0 + 168.0(x_{32})^1 + - \\
& 2016.0(x_{32})^2 + 10560.0(x_{32})^3 + -28160.0(x_{32})^4 + 39936.0(x_{32})^5 + -28672.0(x_{32})^6 + 8192.0(x_{32})^7)^{(- \\
& 0.010827)} * (5.5 + -240.0(x_{32})^1 + 3696.0(x_{32})^2 + -25344.0(x_{32})^3 + 91520.0(x_{32})^4 + -186368.0(x_{32})^5 + \\
& 215040.0(x_{32})^6 + -131072.0(x_{32})^7 + 32768.0(x_{32})^8)^{(-0.009138)} * (-4.0 + 330.0(x_{32})^1 + -6336.0(x_{32})^2 + \\
& 54912.0(x_{32})^3 + -256256.0(x_{32})^4 + 698880.0(x_{32})^5 + -1146880.0(x_{32})^6 + 1114112.0(x_{32})^7 + - \\
& 589824.0(x_{32})^8 + 131072.0(x_{32})^9)^{(-0.005192)} * (6.5 + -440.0(x_{32})^1 + 10296.0(x_{32})^2 + -109824.0(x_{32})^3 + \\
& 640640.0(x_{32})^4 + -2236416.0(x_{32})^5 + 4874240.0(x_{32})^6 + -6684672.0(x_{32})^7 + 5603328.0(x_{32})^8 + - \\
& 2621440.0(x_{32})^9 + 524288.0(x_{32})^{10})^{(-0.012654)} * (-5.0 + 572.0(x_{32})^1 + -16016.0(x_{32})^2 + 205920.0(x_{32})^3 \\
& + -1464320.0(x_{32})^4 + 6336512.0(x_{32})^5 + -17547264.0(x_{32})^6 + 31752192.0(x_{32})^7 + -37355520.0(x_{32})^8 + \\
& 27525120.0(x_{32})^9 + -11534336.0(x_{32})^{10} + 2097152.0(x_{32})^{11})^{(0.010475)} * (2.5 + -8.0(x_{33})^1 + \\
& 8.0(x_{33})^2)^{(0.014373)} * (-1.0 + 20.0(x_{33})^1 + -48.0(x_{33})^2 + 32.0(x_{33})^3)^{(-0.033998)} * (3.5 + -40.0(x_{33})^1 + \\
& 168.0(x_{33})^2 + -256.0(x_{33})^3 + 128.0(x_{33})^4)^{(-0.027201)} * (-2.0 + 70.0(x_{33})^1 + -448.0(x_{33})^2 + 1152.0(x_{33})^3 \\
& + -1280.0(x_{33})^4 + 512.0(x_{33})^5)^{(-0.000779)} * (4.5 + -112.0(x_{33})^1 + 1008.0(x_{33})^2 + -3840.0(x_{33})^3 + \\
& 7040.0(x_{33})^4 + -6144.0(x_{33})^5 + 2048.0(x_{33})^6)^{(0.014094)} * (-3.0 + 168.0(x_{33})^1 + -2016.0(x_{33})^2 + \\
& 10560.0(x_{33})^3 + -28160.0(x_{33})^4 + 39936.0(x_{33})^5 + -28672.0(x_{33})^6 + 8192.0(x_{33})^7)^{(0.011597)} * (5.5 + - \\
& 240.0(x_{33})^1 + 3696.0(x_{33})^2 + -25344.0(x_{33})^3 + 91520.0(x_{33})^4 + -186368.0(x_{33})^5 + 215040.0(x_{33})^6 + - \\
& 131072.0(x_{33})^7 + 32768.0(x_{33})^8)^{(-0.010502)} * (-4.0 + 330.0(x_{33})^1 + -6336.0(x_{33})^2 + 54912.0(x_{33})^3 + - \\
& 256256.0(x_{33})^4 + 698880.0(x_{33})^5 + -1146880.0(x_{33})^6 + 1114112.0(x_{33})^7 + -589824.0(x_{33})^8 + \\
& 131072.0(x_{33})^9)^{(0.024870)} * (6.5 + -440.0(x_{33})^1 + 10296.0(x_{33})^2 + -109824.0(x_{33})^3 + 640640.0(x_{33})^4 + - \\
& 2236416.0(x_{33})^5 + 4874240.0(x_{33})^6 + -6684672.0(x_{33})^7 + 5603328.0(x_{33})^8 + -2621440.0(x_{33})^9 + \\
& 524288.0(x_{33})^{10})^{(0.015829)} * (-5.0 + 572.0(x_{33})^1 + -16016.0(x_{33})^2 + 205920.0(x_{33})^3 + -1464320.0(x_{33})^4 \\
& + 6336512.0(x_{33})^5 + -17547264.0(x_{33})^6 + 31752192.0(x_{33})^7 + -37355520.0(x_{33})^8 + 27525120.0(x_{33})^9 + - \\
& 11534336.0(x_{33})^{10} + 2097152.0(x_{33})^{11})^{(-0.000688)} - 1
\end{aligned}$$

F<sup>1</sup> в стандартном базисе денормированный:

0.0 \* (476.581632653 + -176.3265306122448(x11)^1 + 16.326530612244888(x11)^2)^(-0.006995) \* (-  
 14658.6618076 + 8155.685131195329(x11)^1 + -1511.3702623906693(x11)^2 +  
 93.29446064139933(x11)^3)^(0.017848) \* (451880.697001 + -335254.31070387305(x11)^1 +  
 93224.15660141598(x11)^2 + -11515.201999167(x11)^3 + 533.1112036651389(x11)^4)^(0.012328) \* (-  
 13929055.7028 + 12919004.170881167(x11)^1 + -4790858.666032005(x11)^2 + 887942.4049503171(x11)^3 + -  
 82251.44285119284(x11)^4 + 3046.349735229364(x11)^5)^(0.017748) \* (429359013.847 + -  
 477902912.69249994(x11)^1 + 221561867.08599275(x11)^2 + -54764185.670936346(x11)^3 + -  
 7611468.01077781(x11)^4 + -564009.8938367508(x11)^5 + 17407.71272739218(x11)^6)^(0.007180) \* (-  
 13234863338.7 + 17187279518.035484(x11)^1 + -9562849112.516026(x11)^2 + 2955046170.2181864(x11)^3 + -  
 547724108.1522145(x11)^4 + 60894790.43595769(x11)^5 + -3760065.9589116704(x11)^6 +  
 99472.64441565264(x11)^7)^(0.012904) \* (407960709756.0 + -605500227013.5854(x11)^1 +  
 393073665136.4685(x11)^2 + -145774369709.72467(x11)^3 + 33779567699.075752(x11)^4 + -  
 5008327284.428368(x11)^5 + 463977715.79625976(x11)^6 + -24555532.79289253(x11)^7 +  
 568415.1109465864(x11)^8)^(0.014308) \* (-1.25752670377e+13 + 20998023781216.914(x11)^1 + -  
 15579568686604.707(x11)^2 + 6741360734223.96(x11)^3 + -1874789620376.0398(x11)^4 +  
 347507876838.07214(x11)^5 + -42932279646.773476(x11)^6 + 3408915343.8006086(x11)^7 + -  
 157856996.52573764(x11)^8 + 3248086.3482662067(x11)^9)^(0.006242) \* (3.87628850739e+14 + -  
 719192188094420.5(x11)^1 + 600336610271334.0(x11)^2 + -296899463638370.75(x11)^3 +  
 96338932913755.62(x11)^4 + -21431175417296.31(x11)^5 + 3310062804745.054(x11)^6 + -  
 350492144486.04565(x11)^7 + 24349963727.97243(x11)^8 + -1002266644.607858(x11)^9 +  
 18560493.418664034(x11)^10)^(0.020832) \* (-1.19485435558e+16 + 2.438624007021029e+16(x11)^1 + -  
 2.2618762623082668e+16(x11)^2 + 1.2585222718800264e+16(x11)^3 + -4667437789651914.0(x11)^4 +  
 1211465521649765.5(x11)^5 + -224560008079893.75(x11)^6 + 29726421855911.625(x11)^7 + -  
 2754024706529.741(x11)^8 + 170066486821.39374(x11)^9 + -6299961766.106533(x11)^10 +  
 106059962.39236589(x11)^11)^(0.002719) \* (4.24668537744 + -0.6854215188540387(x12)^1 + -  
 0.031347885609606156(x12)^2)^(0.018980) \* (-6.51878256997 + 2.5640203148188214(x12)^1 + -  
 0.25743531224564825(x12)^2 + 0.007849235833391211(x12)^3)^(0.005656) \* (18.3352465027 + -  
 8.215970571719183(x12)^1 + 1.3153643186957134(x12)^2 + -0.08594606146959564(x12)^3 +  
 0.0019653798643859055(x12)^4)^(0.000914) \* (-38.9347591867 + 24.266989332253758(x12)^1 + -  
 5.400452884526826(x12)^2 + 0.5567753990866884(x12)^3 + -0.026900175733832753(x12)^4 +  
 0.0004921138940559386(x12)^5)^(0.019624) \* (92.9822507889 + -68.21185291786222(x12)^1 +  
 19.5440886997314(x12)^2 + -2.790398210215424(x12)^3 + 0.21108290064811858(x12)^4 + -  
 0.00808268191063519(x12)^5 + 0.00012322100633638524(x12)^6)^(0.017633) \* (-210.857655649 +  
 185.48783578533926(x12)^1 + -65.17922852459385(x12)^2 + 11.975335307119636(x12)^3 + -  
 1.2496098766107004(x12)^4 + 0.07448674573314601(x12)^5 + -0.0023611381689909797(x12)^6 +  
 3.085346011552681e-05(x12)^7)^(0.014502) \* (488.957359948 + -492.5902554695055(x12)^1 +  
 205.3222027883341(x12)^2 + -46.311218508327116(x12)^3 + 6.2081209261227395(x12)^4 + -  
 0.5087088609596794(x12)^5 + 0.024990992143119607(x12)^6 + -0.0006756666345424665(x12)^7 +  
 7.725436022667119e-06(x12)^8)^(0.009274) \* (-1122.87789055 + 1285.1100553867395(x12)^1 + -  
 620.2105022930507(x12)^2 + 166.20797589929543(x12)^3 + -27.34043720524569(x12)^4 +  
 2.8725130786335358(x12)^5 + -0.1934254990928142(x12)^6 + 0.00807624328486228(x12)^7 + -  
 0.00019032862944858207(x12)^8 + 1.934381476724161e-06(x12)^9)^(0.005705) \* (2589.54843997 + -  
 3306.6820001964347(x12)^1 + 1814.2236805808093(x12)^2 + -563.9621333069088(x12)^3 +  
 110.25067234978187(x12)^4 + -14.200320606935612(x12)^5 + 1.223744493920286(x12)^6 + -  
 0.06986430927896514(x12)^7 + 0.0025355011120358996(x12)^8 + -5.2951800924661996e-05(x12)^9 +  
 4.843521694457992e-07(x12)^10)^(0.000042) \* (-5961.02028035 + 8414.75834076277(x12)^1 + -  
 5174.0135698562135(x12)^2 + 1831.8489137303977(x12)^3 + -415.6711706247132(x12)^4 +  
 63.60527781591554(x12)^5 + -6.7120911924174536(x12)^6 + 0.48958536675897424(x12)^7 + -  
 0.024243768443802775(x12)^8 + 0.0007778832524875366(x12)^9 + -1.4584533588013319e-05(x12)^10 +  
 1.2127753851538006e-07(x12)^11)^(0.000721) \* (3.75880824757 + -0.7333464410844193(x21)^1 +  
 0.041257183745958895(x21)^2)^(0.007907) \* (-4.76665229451 + 2.521055581387911(x21)^1 + -  
 0.3159841038783853(x21)^2 + 0.01185125565413541(x21)^3)^(0.012860) \* (12.9632376461 + -  
 7.359302398871534(x21)^1 + 1.4896194567156746(x21)^2 + -0.12102323547705963(x21)^3 +  
 0.0034043104212956297(x21)^4)^(0.004345) \* (-23.7750423784 + 19.70344358302433(x21)^1 + -  
 5.600940943283436(x21)^2 + 0.7250143707783362(x21)^3 + -0.043455380781709026(x21)^4 +  
 0.0009778988642859979(x21)^5)^(0.000550) \* (52.2865114779 + -50.05955497205151(x21)^1 +  
 18.46924767907057(x21)^2 + -3.338799001815838(x21)^3 + 0.3157982942396093(x21)^4 + -  
 0.0149792335908225(x21)^5 + 0.0002809045211593531(x21)^6)^(0.009038) \* (-105.157487822 +  
 122.82892447212576(x21)^1 + -55.93011649866736(x21)^2 + 13.104163024613786(x21)^3 + -  
 1.7218462614072647(x21)^4 + 0.12797757195166926(x21)^5 + -0.0050199705630524245(x21)^6 +  
 8.069070625762388e-05(x21)^7)^(0.009289) \* (220.729552584 + -294.01213021800686(x21)^1 +  
 159.60122552855086(x21)^2 + -46.18173683442759(x21)^3 + 7.844222294017729(x21)^4 + -  
 0.8063484309341974(x21)^5 + 0.04929685069055991(x21)^6 + -0.0016480026470138765(x21)^7 +



$$\begin{aligned}
& 2.3178658889084058e-05(x_{21})^8)^{(0.000587)} * (-453.803775688 + 690.8909634695492(x_{21})^1 + - \\
& 435.9817031359473(x_{21})^2 + 150.64202344419084(x_{21})^3 + -31.570006513461003(x_{21})^4 + - \\
& 4.183877070474302(x_{21})^5 + -0.3524591508578593(x_{21})^6 + 0.018287273161863238(x_{21})^7 + - \\
& 0.0005325681803635508(x_{21})^8 + 6.6581425893239664e-06(x_{21})^9)^{(-0.009070)} * (942.367339747 + - \\
& 1600.4502650491247(x_{21})^1 + 1151.9042251257488(x_{21})^2 + -463.63878352354516(x_{21})^3 + - \\
& 116.02520860941505(x_{21})^4 + -18.943515548182887(x_{21})^5 + 2.05234990657293(x_{21})^6 + - \\
& 0.1462837147200005(x_{21})^7 + 0.00658952449797822(x_{21})^8 + -0.0001699798700541953(x_{21})^9 + - \\
& 1.9125723775436886e-06(x_{21})^{10})^{(-0.003532)} * (-1947.47155128 + 3665.408949024765(x_{21})^1 + - \\
& 2964.520721525947(x_{21})^2 + 1363.8984185497075(x_{21})^3 + -397.81967392882893(x_{21})^4 + - \\
& 77.50680962076893(x_{21})^5 + -10.328697141522696(x_{21})^6 + 0.944713494133486(x_{21})^7 + - \\
& 0.05831069607695262(x_{21})^8 + 0.002320155672300407(x_{21})^9 + -5.370997689324664e-05(x_{21})^{10} + - \\
& 5.493924244290668e-07(x_{21})^{11})^{(0.002461)} * (4034.00706944 + -8316.9051635283(x_{21})^1 + - \\
& 7469.305645347966(x_{21})^2 + -3869.9103486521017(x_{21})^3 + 1291.3775262105992(x_{21})^4 + - \\
& 293.2033984721871(x_{21})^5 + 46.58049906033605(x_{21})^6 + -5.23248492316411(x_{21})^7 + - \\
& 0.41364740347829543(x_{21})^8 + -0.02250322073734903(x_{21})^9 + 0.0008016789800645783(x_{21})^{10} + - \\
& 1.6830937756656368e-05(x_{21})^{11} + 1.5781470001553086e-07(x_{21})^{12})^{(-0.009901)} * (350.479414964 + - \\
& 94.4040501622978(x_{22})^1 + 6.366177770739619(x_{22})^2)^{(-0.007983)} * (-9231.8559224 + - \\
& 3742.8661726763107(x_{22})^1 + -505.28483583745503(x_{22})^2 + 22.71606697855351(x_{22})^3)^{(-0.001750)} * \\
& (243922.743552 + -131874.6848337129(x_{22})^1 + 26717.275527824706(x_{22})^2 + -2403.971862444033(x_{22})^3 + - \\
& 81.05643881731854(x_{22})^4)^{(0.008793)} * (-6444139.08813 + 4355602.697616832(x_{22})^1 + - \\
& 1176907.4689010736(x_{22})^2 + 158912.25236091085(x_{22})^3 + -10722.443632667413(x_{22})^4 + - \\
& 289.22904127499936(x_{22})^5)^{(-0.000325)} * (170246986.245 + -138097407.34765923(x_{22})^1 + - \\
& 46652259.08766163(x_{22})^2 + -8401386.800772876(x_{22})^3 + 850637.2688968596(x_{22})^4 + - \\
& 45912.33669652417(x_{22})^5 + 1032.0393979482585(x_{22})^6)^{(-0.001624)} * (-4497735241.95 + - \\
& 4256733467.8599358(x_{22})^1 + -1725854608.5101414(x_{22})^2 + 388580932.60755754(x_{22})^3 + - \\
& 52472549.031866506(x_{22})^4 + 4249681.47330748(x_{22})^5 + -191130.7504464284(x_{22})^6 + - \\
& 3682.5669864344654(x_{22})^7)^{(-0.002416)} * (118825142699.0 + -128530182843.83707(x_{22})^1 + - \\
& 60802883736.12512(x_{22})^2 + -16430449401.170246(x_{22})^3 + 2773952743.2996383(x_{22})^4 + - \\
& 299621571.3946321(x_{22})^5 + 20219558.228193577(x_{22})^6 + -779429.5927470003(x_{22})^7 + - \\
& 13140.292547491406(x_{22})^8)^{(0.006722)} * (-3.13922758335e+12 + 3820229201925.5107(x_{22})^1 + - \\
& 2065546810174.1377(x_{22})^2 + 651266908170.3434(x_{22})^3 + -131965090399.64049(x_{22})^4 + - \\
& 17820895311.943783(x_{22})^5 + -1603874831.3461585(x_{22})^6 + 92765769.50657724(x_{22})^7 + - \\
& 3128843.1466204305(x_{22})^8 + 46887.752176597365(x_{22})^9)^{(-0.011593)} * (8.29348873168e+13 + - \\
& 112143787394431.69(x_{22})^1 + 68218326557697.1(x_{22})^2 + -24584337796105.168(x_{22})^3 + - \\
& 5812469832942.619(x_{22})^4 + -942066546814.1462(x_{22})^5 + 106002350464.82227(x_{22})^6 + - \\
& 8176514519.92617(x_{22})^7 + 413776608.20770043(x_{22})^8 + -12404968.36800647(x_{22})^9 + - \\
& 167306.87663371055(x_{22})^{10})^{(0.003316)} * (-2.19104711322e+15 + 3259070043600384.5(x_{22})^1 + - \\
& 2202924889073775.8(x_{22})^2 + 893189586426063.0(x_{22})^3 + -241369891724794.75(x_{22})^4 + - \\
& 45646486845262.93(x_{22})^5 + -6164394249470.424(x_{22})^6 + 594473219503.6956(x_{22})^7 + - \\
& 40119837014.06004(x_{22})^8 + 1804603410.8108366(x_{22})^9 + -48690330.79324575(x_{22})^{10} + - \\
& 596991.5312532047(x_{22})^{11})^{(0.000615)} * (5.78850180868e+16 + -9.393039662829485e+16(x_{22})^1 + - \\
& 6.984313451425552e+16(x_{22})^2 + -3.1466866429839308e+16(x_{22})^3 + 9567163974839866.0(x_{22})^4 + - \\
& 2067981282031230.2(x_{22})^5 + 325861483851003.25(x_{22})^6 + -37715698366766.71(x_{22})^7 + - \\
& 3182250812310.415(x_{22})^8 + -190888822519.6499(x_{22})^9 + 7727282714.452031(x_{22})^{10} + - \\
& 189533361.29071423(x_{22})^{11} + 2130210.637834808(x_{22})^{12})^{(-0.011607)} * (163.476293492 + - \\
& 72.42666555194403(x_{31})^1 + 8.046602623287008(x_{31})^2)^{(0.013032)} * (-2923.34544196 + - \\
& 1957.3919585793597(x_{31})^1 + -435.82388257112063(x_{31})^2 + 32.28002255856789(x_{31})^3)^{(-0.014116)} * \\
& (52635.1156001 + -46998.03800979724(x_{31})^1 + 15712.725841049603(x_{31})^2 + -2331.1543881048146(x_{31})^3 + - \\
& 129.49562755417872(x_{31})^4)^{(-0.006864)} * (-947339.244077 + 1057701.361471378(x_{31})^1 + - \\
& 471783.11111351347(x_{31})^2 + 105088.44851819333(x_{31})^3 + -11689.671989293027(x_{31})^4 + - \\
& 519.4890283990724(x_{31})^5)^{(-0.011536)} * (17050796.4359 + -22849290.5441211(x_{31})^1 + - \\
& 12745044.12455386(x_{31})^2 + -3787573.245360032(x_{31})^3 + 632494.0439267821(x_{31})^4 + - \\
& 56273.61904383367(x_{31})^5 + 2083.9997127633037(x_{31})^6)^{(-0.015559)} * (-306890397.477 + - \\
& 479868524.95569324(x_{31})^1 + -321292230.0248589(x_{31})^2 + 119404802.78258969(x_{31})^3 + - \\
& 26601813.749333825(x_{31})^4 + 3552787.7128675138(x_{31})^5 + -263374.00682434783(x_{31})^6 + - \\
& 8360.24355736959(x_{31})^7)^{(-0.006522)} * (5523596658.47 + -9871904301.326036(x_{31})^1 + - \\
& 7712972101.88315(x_{31})^2 + -3440872239.041332(x_{31})^3 + 958649164.6494007(x_{31})^4 + - \\
& 170803047.25833434(x_{31})^5 + 19005394.736141823(x_{31})^6 + -1207497.201653242(x_{31})^7 + - \\
& 33538.23511130114(x_{31})^8)^{(0.014408)} * (-99416991165.6 + 199907688873.00256(x_{31})^1 + - \\
& 178532381813.6862(x_{31})^2 + 92944262111.57593(x_{31})^3 + -31084519927.65165(x_{31})^4 + - \\
& 6925901584.699818(x_{31})^5 + -1028062274.3678777(x_{31})^6 + 98034666.60358801(x_{31})^7 + - \\
& 5449541.0765616195(x_{31})^8 + 134543.1154800969(x_{31})^9)^{(-0.003297)} * (1.78936637585e+12 + - \\
& 3998117463084.3667(x_{31})^1 + 4017495117784.414(x_{31})^2 + -2390795959507.938(x_{31})^3 + -
\end{aligned}$$

933104493228.1934(x31)^4 + -249570220779.89624(x31)^5 + 46325972831.635284(x31)^6 + -  
 5892935074.993697(x31)^7 + 491632508.2661415(x31)^8 + -24290625.376086753(x31)^9 +  
 539737.7012540244(x31)^10^(0.014379) \* (-3.22060845881e+13 + 79161015438528.81(x31)^1 + -  
 88392938346968.73(x31)^2 + 59187580434516.3(x31)^3 + -26406328281423.312(x31)^4 +  
 8242127526705.653(x31)^5 + -1836532644615.7307(x31)^6 + 292136776244.6016(x31)^7 + -  
 32510858138.474358(x31)^8 + 2410661779.178979(x31)^9 + -107189601.49912919(x31)^10 +  
 2165229.971934709(x31)^11^(-0.017931) \* (371.594459057 + -199.21860639218733(x32)^1 +  
 26.737163654836575(x32)^2)^(0.016064) \* (-10081.5367987 + 8133.699284615288(x32)^1 + -  
 2185.2132328210673(x32)^2 + 195.5185642035581(x32)^3)^(0.000473) \* (274310.411709 + -  
 295118.02807365346(x32)^1 + 118983.94790757126(x32)^2 + -21306.161928785536(x32)^3 +  
 1429.7518406110278(x32)^4)^(0.031921) \* (-7462967.38327 + 10037728.277292417(x32)^1 + -  
 5397395.9641222805(x32)^2 + 1450335.0421177833(x32)^3 + -194754.6794221712(x32)^4 +  
 10455.22369733841(x32)^5)^(0.037296) \* (203040417.087 + -327737972.1388575(x32)^1 +  
 220325088.75139743(x32)^2 + -78959455.54580122(x32)^3 + 15910040.817117937(x32)^4 + -  
 1708999.0150391618(x32)^5 + 76455.01789644173(x32)^6)^(0.003842) \* (-5523996410.0 +  
 10403331421.923018(x32)^1 + -8393572185.624094(x32)^2 + 3760805901.793566(x32)^3 + -  
 1010644825.649456(x32)^4 + 162892043.11375302(x32)^5 + -14580125.66151631(x32)^6 +  
 559086.0540873251(x32)^7)^(0.012635) \* (150287991608.0 + -323486577372.45605(x32)^1 +  
 304522523901.856(x32)^2 + -163756174531.70114(x32)^3 + 55018555770.88755(x32)^4 + -  
 11826438220.50776(x32)^5 + 1588298691.3494306(x32)^6 + -121850096.93615088(x32)^7 +  
 4088380.651461243(x32)^8)^(0.009914) \* (-4.08879346415e+12 + 9901386325676.68(x32)^1 + -  
 10653290085356.023(x32)^2 + 6684328057862.07(x32)^3 + -2695353553025.4844(x32)^4 +  
 724355947893.9185(x32)^5 + -129737851282.96776(x32)^6 + 14933636361.734283(x32)^7 + -  
 1002423100.9372556(x32)^8 + 29896750.65053925(x32)^9)^(0.009538) \* (1.11241302873e+14 + -  
 299321180482691.06(x32)^1 + 362329616698551.75(x32)^2 + -259841759473886.25(x32)^3 +  
 122254800235150.56(x32)^4 + -39431988091244.05(x32)^5 + 8829814354680.605(x32)^6 + -  
 1355440223384.664(x32)^7 + 136508991138.73451(x32)^8 + -8144814957.848918(x32)^9 +  
 218623405.12277326(x32)^10)^(0.006279) \* (-3.02647408663e+15 + 8958013500409862.0(x32)^1 + -  
 1.204916511937092e+16(x32)^2 + 9721798974454132.0(x32)^3 + -5228032381364267.0(x32)^4 +  
 1967529186056349.0(x32)^5 + -528773088251873.4(x32)^6 + 101480546487222.69(x32)^7 + -  
 13629743243239.238(x32)^8 + 1220098068618.2751(x32)^9 + -65515879002.80663(x32)^10 +  
 1598708629.7826195(x32)^11)^(0.005687) \* (245.608510216 + -89.09796809023156(x33)^1 +  
 8.096870964215881(x33)^2)^(0.013036) \* (-5403.76870507 + 2955.032316493687(x33)^1 + -  
 537.8146967217198(x33)^2 + 32.58298174734762(x33)^3)^(0.031307) \* (119422.53803 + -  
 87087.38698328767(x33)^1 + 23791.053140531116(x33)^2 + -2885.659003201716(x33)^3 +  
 131.11863882232444(x33)^4)^(0.012398) \* (-2638688.00289 + 2405802.8800063906(x33)^1 + -  
 876668.4684521311(x33)^2 + 159596.99036290846(x33)^3 + -14515.387340048876(x33)^4 +  
 527.64039767535(x33)^5)^(0.002851) \* (58303383.864 + -63797888.26166082(x33)^1 +  
 29067689.000903808(x33)^2 + -7058567.497652145(x33)^3 + 963493.2335054731(x33)^4 + -  
 70094.42578695636(x33)^5 + 2123.301399095976(x33)^6)^(0.005745) \* (-1288247477.07 +  
 1644754615.9518125(x33)^1 + -899438474.9707172(x33)^2 + 273095643.94720614(x33)^3 + -  
 49722737.201791786(x33)^4 + 5428658.5333862575(x33)^5 + -329081.8112063679(x33)^6 +  
 8544.472430969725(x33)^7)^(0.007078) \* (28464584442.5 + -41536553721.5509(x33)^1 +  
 26503991084.603523(x33)^2 + -9658980498.772955(x33)^3 + 2198916362.0238976(x33)^4 + -  
 320216490.8960762(x33)^5 + 29129734.47986326(x33)^6 + -1513454.7224207781(x33)^7 +  
 34384.19489323833(x33)^8)^(0.009042) \* (-628941706634.0 + 1032555257526.7192(x33)^1 + -  
 753070431420.5605(x33)^2 + 320240794854.4526(x33)^3 + -87505280573.17424(x33)^4 +  
 15933193051.46303(x33)^5 + -1933225405.1275616(x33)^6 + 150722893.60653234(x33)^7 + -  
 6851656.188021632(x33)^8 + 138366.98146172368(x33)^9)^(0.007162) \* (1.38968363005e+13 + -  
 25351061971617.36(x33)^1 + 20802263699871.71(x33)^2 + -10111207356361.424(x33)^3 +  
 3223937295179.4546(x33)^4 + -704588068186.4636(x33)^5 + 106891591514.91603(x33)^6 + -  
 11115197876.266323(x33)^7 + 758197832.9199051(x33)^8 + -30635618.994060513(x33)^9 +  
 556808.7785180028(x33)^10)^(0.004576) \* (-3.07058757791e+14 + 616184262723654.8(x33)^1 + -  
 561842973223756.7(x33)^2 + 307261757493162.75(x33)^3 + -111982154093425.97(x33)^4 +  
 28557832788201.566(x33)^5 + -5200101401160.392(x33)^6 + 676096400768.9019(x33)^7 + -  
 61509455599.311554(x33)^8 + 3729258045.9973154(x33)^9 + -135610385.8892015(x33)^10 +  
 2240679.1892072554(x33)^11)^(0.004844) + -801.878

F^2 в стандартном базисе денормированный:

0.0 \* (476.581632653 + -176.3265306122448(x11)^1 + 16.326530612244888(x11)^2)^(0.009746) \* (-  
 14658.6618076 + 8155.685131195329(x11)^1 + -1511.3702623906693(x11)^2 +  
 93.29446064139933(x11)^3)^(0.007314) \* (451880.697001 + -335254.31070387305(x11)^1 +  
 93224.15660141598(x11)^2 + -11515.201999167(x11)^3 + 533.1112036651389(x11)^4)^(0.010345) \* (-

$$\begin{aligned}
& 13929055.7028 + 12919004.170881167(x11)^1 + -4790858.666032005(x11)^2 + 887942.4049503171(x11)^3 + - \\
& 82251.44285119284(x11)^4 + 3046.349735229364(x11)^5 \wedge (0.010723) * (429359013.847 + - \\
& 477902912.69249994(x11)^1 + 221561867.08599275(x11)^2 + -54764185.670936346(x11)^3 + \\
& 7611468.01077781(x11)^4 + -564009.8938367508(x11)^5 + 17407.712772739218(x11)^6 \wedge (-0.029241) * (- \\
& 13234863338.7 + 17187279518.035484(x11)^1 + -9562849112.516026(x11)^2 + 2955046170.2181864(x11)^3 + - \\
& 547724108.1522145(x11)^4 + 60894790.43595769(x11)^5 + -3760065.9589116704(x11)^6 + \\
& 99472.64441565264(x11)^7 \wedge (0.001311) * (407960709756.0 + -605500227013.5854(x11)^1 + \\
& 393073665136.4685(x11)^2 + -145774369709.72467(x11)^3 + 33779567699.075752(x11)^4 + - \\
& 5008327284.428368(x11)^5 + 463977715.79625976(x11)^6 + -24555532.79289253(x11)^7 + \\
& 568415.1109465864(x11)^8 \wedge (0.002321) * (-1.25752670377e+13 + 20998023781216.914(x11)^1 + - \\
& 15579568686604.707(x11)^2 + 6741360734223.96(x11)^3 + -1874789620376.0398(x11)^4 + \\
& 347507876838.07214(x11)^5 + -42932279646.773476(x11)^6 + 3408915343.8006086(x11)^7 + - \\
& 157856996.52573764(x11)^8 + 3248086.3482662067(x11)^9 \wedge (-0.015430) * (3.87628850739e+14 + - \\
& 719192188094420.5(x11)^1 + 600336610271334.0(x11)^2 + -296899463638370.75(x11)^3 + \\
& 96338932913755.62(x11)^4 + -21431175417296.31(x11)^5 + 3310062804745.054(x11)^6 + - \\
& 350492144486.04565(x11)^7 + 24349963727.97243(x11)^8 + -1002266644.607858(x11)^9 + \\
& 18560493.418664034(x11)^10 \wedge (-0.004635) * (-1.19485435558e+16 + 2.438624007021029e+16(x11)^1 + - \\
& 2.2618762623082668e+16(x11)^2 + 1.2585222718800264e+16(x11)^3 + -4667437789651914.0(x11)^4 + \\
& 1211465521649765.5(x11)^5 + -224560008079893.75(x11)^6 + 29726421855911.625(x11)^7 + - \\
& 2754024706529.741(x11)^8 + 170066486821.39374(x11)^9 + -6299961766.106533(x11)^10 + \\
& 106059962.39236589(x11)^11 \wedge (-0.011050) * (4.24668537744 + -0.6854215188540387(x12)^1 + \\
& 0.031347885609606156(x12)^2 \wedge (-0.018718) * (-6.51878256997 + 2.5640203148188214(x12)^1 + - \\
& 0.25743531224564825(x12)^2 + 0.007849235833391211(x12)^3 \wedge (-0.002146) * (18.3352465027 + - \\
& 8.215970571719183(x12)^1 + 1.3153643186957134(x12)^2 + -0.08594606146959564(x12)^3 + \\
& 0.0019653798643859055(x12)^4 \wedge (-0.006665) * (-38.9347591867 + 24.266989332253758(x12)^1 + - \\
& 5.400452884526826(x12)^2 + 0.5567753990866884(x12)^3 + -0.026900175733832753(x12)^4 + \\
& 0.0004921138940559386(x12)^5 \wedge (-0.017610) * (92.9822507889 + -68.21185291786222(x12)^1 + \\
& 19.5440886997314(x12)^2 + -2.790398210215424(x12)^3 + 0.21108290064811858(x12)^4 + - \\
& 0.00808268191063519(x12)^5 + 0.00012322100633638524(x12)^6 \wedge (0.023245) * (-210.857655649 + \\
& 185.48783578533926(x12)^1 + -65.17922852459385(x12)^2 + 11.975335307119636(x12)^3 + - \\
& 1.2496098766107004(x12)^4 + 0.07448674573314601(x12)^5 + -0.0023611381689909797(x12)^6 + \\
& 3.085346011552681e-05(x12)^7 \wedge (-0.017464) * (488.957359948 + -492.5902554695055(x12)^1 + \\
& 205.3222027883341(x12)^2 + -46.311218508327116(x12)^3 + 6.2081209261227395(x12)^4 + - \\
& 0.5087088609596794(x12)^5 + 0.024990992143119607(x12)^6 + -0.0006756666345424665(x12)^7 + \\
& 7.725436022667119e-06(x12)^8 \wedge (-0.007769) * (-1122.87789055 + 1285.1100553867395(x12)^1 + - \\
& 620.2105022930507(x12)^2 + 166.20797589929543(x12)^3 + -27.34043720524569(x12)^4 + \\
& 2.8725130786335358(x12)^5 + -0.1934254990928142(x12)^6 + 0.00807624328486228(x12)^7 + - \\
& 0.00019032862944858207(x12)^8 + 1.934381476724161e-06(x12)^9 \wedge (-0.020793) * (2589.54843997 + - \\
& 3306.6820001964347(x12)^1 + 1814.2236805808093(x12)^2 + -563.9621333069088(x12)^3 + \\
& 110.25067234978187(x12)^4 + -14.200320606935612(x12)^5 + 1.223744493920286(x12)^6 + - \\
& 0.06986430927896514(x12)^7 + 0.0025355011120358996(x12)^8 + -5.2951800924661996e-05(x12)^9 + \\
& 4.843521694457992e-07(x12)^10 \wedge (0.003939) * (-5961.02028035 + 8414.75834076277(x12)^1 + - \\
& 5174.0135698562135(x12)^2 + 1831.8489137303977(x12)^3 + -415.6711706247132(x12)^4 + \\
& 63.60527781591554(x12)^5 + -6.7120911924174536(x12)^6 + 0.48958536675897424(x12)^7 + - \\
& 0.024243768443802775(x12)^8 + 0.0007778832524875366(x12)^9 + -1.4584533588013319e-05(x12)^10 + \\
& 1.2127753851538006e-07(x12)^11 \wedge (0.020212) * (3.75880824757 + -0.7333464410844193(x21)^1 + \\
& 0.041257183745958895(x21)^2 \wedge (0.013267) * (-4.76665229451 + 2.521055581387911(x21)^1 + - \\
& 0.3159841038783853(x21)^2 + 0.01185125565413541(x21)^3 \wedge (-0.012954) * (12.9632376461 + - \\
& 7.359302398871534(x21)^1 + 1.4896194567156746(x21)^2 + -0.12102323547705963(x21)^3 + \\
& 0.0034043104212956297(x21)^4 \wedge (-0.002452) * (-23.7750423784 + 19.70344358302433(x21)^1 + - \\
& 5.600940943283436(x21)^2 + 0.7250143707783362(x21)^3 + -0.043455380781709026(x21)^4 + \\
& 0.0009778988642859979(x21)^5 \wedge (0.008179) * (52.2865114779 + -50.05955497205151(x21)^1 + \\
& 18.46924767907057(x21)^2 + -3.338799001815838(x21)^3 + 0.3157982942396093(x21)^4 + - \\
& 0.0149792335908225(x21)^5 + 0.0002809045211593531(x21)^6 \wedge (0.004808) * (-105.157487822 + \\
& 122.82892447212576(x21)^1 + -55.93011649866736(x21)^2 + 13.104163024613786(x21)^3 + - \\
& 1.7218462614072647(x21)^4 + 0.12797757195166926(x21)^5 + -0.0050199705630524245(x21)^6 + \\
& 8.069070625762388e-05(x21)^7 \wedge (0.008912) * (220.729552584 + -294.01213021800686(x21)^1 + \\
& 159.60122552855086(x21)^2 + -46.18173683442759(x21)^3 + 7.844222294017729(x21)^4 + - \\
& 0.8063484309341974(x21)^5 + 0.04929685069055991(x21)^6 + -0.0016480026470138765(x21)^7 + \\
& 2.3178658889084058e-05(x21)^8 \wedge (-0.006430) * (-453.803775688 + 690.8909634695492(x21)^1 + - \\
& 435.9817031359473(x21)^2 + 150.64202344419084(x21)^3 + -31.570006513461003(x21)^4 + \\
& 4.183877070474302(x21)^5 + -0.3524591508578593(x21)^6 + 0.018287273161863238(x21)^7 + - \\
& 0.0005325681803635508(x21)^8 + 6.6581425893239664e-06(x21)^9 \wedge (0.004612) * (942.367339747 + -
\end{aligned}$$

$$\begin{aligned}
& 1600.4502650491247(x_{21})^1 + 1151.9042251257488(x_{21})^2 + -463.63878352354516(x_{21})^3 + \\
& 116.02520860941505(x_{21})^4 + -18.943515548182887(x_{21})^5 + 2.05234990657293(x_{21})^6 + - \\
& 0.1462837147200005(x_{21})^7 + 0.00658952449797822(x_{21})^8 + -0.0001699798700541953(x_{21})^9 + \\
& 1.9125723775436886e-06(x_{21})^{10} \wedge (0.000882) * (-1947.47155128 + 3665.408949024765(x_{21})^1 + - \\
& 2964.520721525947(x_{21})^2 + 1363.8984185497075(x_{21})^3 + -397.81967392882893(x_{21})^4 + \\
& 77.50680962076893(x_{21})^5 + -10.328697141522696(x_{21})^6 + 0.944713494133486(x_{21})^7 + - \\
& 0.05831069607695262(x_{21})^8 + 0.002320155672300407(x_{21})^9 + -5.370997689324664e-05(x_{21})^{10} + \\
& 5.493924244290668e-07(x_{21})^{11} \wedge (-0.001902) * (4034.00706944 + -8316.9051635283(x_{21})^1 + \\
& 7469.305645347966(x_{21})^2 + -3869.9103486521017(x_{21})^3 + 1291.3775262105992(x_{21})^4 + - \\
& 293.2033984721871(x_{21})^5 + 46.58049906033605(x_{21})^6 + -5.23248492316411(x_{21})^7 + \\
& 0.41364740347829543(x_{21})^8 + -0.02250322073734903(x_{21})^9 + 0.0008016789800645783(x_{21})^{10} + - \\
& 1.6830937756656368e-05(x_{21})^{11} + 1.5781470001553086e-07(x_{21})^{12} \wedge (-0.004693) * (350.479414964 + - \\
& 94.4040501622978(x_{22})^1 + 6.366177770739619(x_{22})^2 \wedge (-0.024630) * (-9231.8559224 + \\
& 3742.8661726763107(x_{22})^1 + -505.28483583745503(x_{22})^2 + 22.71606697855351(x_{22})^3 \wedge (0.003887) * \\
& (243922.743552 + -131874.6848337129(x_{22})^1 + 26717.275527824706(x_{22})^2 + -2403.971862444033(x_{22})^3 + \\
& 81.05643881731854(x_{22})^4 \wedge (-0.001721) * (-6444139.08813 + 4355602.697616832(x_{22})^1 + - \\
& 1176907.4689010736(x_{22})^2 + 158912.25236091085(x_{22})^3 + -10722.443632667413(x_{22})^4 + \\
& 289.22904127499936(x_{22})^5 \wedge (0.012267) * (170246986.245 + -138097407.34765923(x_{22})^1 + \\
& 46652259.08766163(x_{22})^2 + -8401386.800772876(x_{22})^3 + 850637.2688968596(x_{22})^4 + - \\
& 45912.33669652417(x_{22})^5 + 1032.0393979482585(x_{22})^6 \wedge (-0.001241) * (-4497735241.95 + \\
& 4256733467.8599358(x_{22})^1 + -1725854608.5101414(x_{22})^2 + 388580932.60755754(x_{22})^3 + - \\
& 52472549.031866506(x_{22})^4 + 4249681.47330748(x_{22})^5 + -191130.7504464284(x_{22})^6 + \\
& 3682.5669864344654(x_{22})^7 \wedge (-0.000642) * (118825142699.0 + -128530182843.83707(x_{22})^1 + \\
& 60802883736.12512(x_{22})^2 + -16430449401.170246(x_{22})^3 + 2773952743.2996383(x_{22})^4 + - \\
& 299621571.3946321(x_{22})^5 + 20219558.228193577(x_{22})^6 + -779429.5927470003(x_{22})^7 + \\
& 13140.292547491406(x_{22})^8 \wedge (0.012077) * (-3.13922758335e+12 + 3820229201925.5107(x_{22})^1 + - \\
& 2065546810174.1377(x_{22})^2 + 651266908170.3434(x_{22})^3 + -131965090399.64049(x_{22})^4 + \\
& 17820895311.943783(x_{22})^5 + -1603874831.3461585(x_{22})^6 + 92765769.50657724(x_{22})^7 + - \\
& 3128843.1466204305(x_{22})^8 + 46887.752176597365(x_{22})^9 \wedge (-0.017909) * (8.29348873168e+13 + - \\
& 112143787394431.69(x_{22})^1 + 68218326557697.1(x_{22})^2 + -24584337796105.168(x_{22})^3 + \\
& 5812469832942.619(x_{22})^4 + -942066546814.1462(x_{22})^5 + 106002350464.82227(x_{22})^6 + - \\
& 8176514519.92617(x_{22})^7 + 413776608.20770043(x_{22})^8 + -12404968.36800647(x_{22})^9 + \\
& 167306.87663371055(x_{22})^{10} \wedge (0.020155) * (-2.19104711322e+15 + 3259070043600384.5(x_{22})^1 + - \\
& 2202924889073775.8(x_{22})^2 + 893189586426063.0(x_{22})^3 + -241369891724794.75(x_{22})^4 + \\
& 45646486845262.93(x_{22})^5 + -6164394249470.424(x_{22})^6 + 594473219503.6956(x_{22})^7 + - \\
& 40119837014.06004(x_{22})^8 + 1804603410.8108366(x_{22})^9 + -48690330.79324575(x_{22})^{10} + \\
& 596991.5312532047(x_{22})^{11} \wedge (0.008035) * (5.78850180868e+16 + -9.393039662829485e+16(x_{22})^1 + \\
& 6.984313451425552e+16(x_{22})^2 + -3.1466866429839308e+16(x_{22})^3 + 9567163974839866.0(x_{22})^4 + - \\
& 2067981282031230.2(x_{22})^5 + 325861483851003.25(x_{22})^6 + -37715698366766.71(x_{22})^7 + \\
& 3182250812310.415(x_{22})^8 + -190888822519.6499(x_{22})^9 + 7727282714.452031(x_{22})^{10} + - \\
& 189533361.29071423(x_{22})^{11} + 2130210.637834808(x_{22})^{12} \wedge (-0.016686) * (163.476293492 + - \\
& 72.42666555194403(x_{31})^1 + 8.046602623287008(x_{31})^2 \wedge (-0.019485) * (-2923.34544196 + \\
& 1957.3919585793597(x_{31})^1 + -435.82388257112063(x_{31})^2 + 32.28002255856789(x_{31})^3 \wedge (-0.041574) * \\
& (52635.1156001 + -46998.03800979724(x_{31})^1 + 15712.725841049603(x_{31})^2 + -2331.1543881048146(x_{31})^3 + \\
& 129.49562755417872(x_{31})^4 \wedge (-0.003468) * (-947339.244077 + 1057701.361471378(x_{31})^1 + - \\
& 471783.11111351347(x_{31})^2 + 105088.44851819333(x_{31})^3 + -11689.671989293027(x_{31})^4 + \\
& 519.4890283990724(x_{31})^5 \wedge (0.019537) * (17050796.4359 + -22849290.5441211(x_{31})^1 + \\
& 12745044.12455386(x_{31})^2 + -3787573.245360032(x_{31})^3 + 632494.0439267821(x_{31})^4 + - \\
& 56273.61904383367(x_{31})^5 + 2083.9997127633037(x_{31})^6 \wedge (-0.012731) * (-306890397.477 + \\
& 479868524.95569324(x_{31})^1 + -321292230.0248589(x_{31})^2 + 119404802.78258969(x_{31})^3 + - \\
& 26601813.749333825(x_{31})^4 + 3552787.7128675138(x_{31})^5 + -263374.00682434783(x_{31})^6 + \\
& 8360.24355736959(x_{31})^7 \wedge (0.001276) * (5523596658.47 + -9871904301.326036(x_{31})^1 + \\
& 7712972101.88315(x_{31})^2 + -3440872239.041332(x_{31})^3 + 958649164.6494007(x_{31})^4 + - \\
& 170803047.25833434(x_{31})^5 + 19005394.736141823(x_{31})^6 + -1207497.201653242(x_{31})^7 + \\
& 33538.23511130114(x_{31})^8 \wedge (-0.000254) * (-99416991165.6 + 199907688873.00256(x_{31})^1 + - \\
& 178532381813.6862(x_{31})^2 + 92944262111.57593(x_{31})^3 + -31084519927.65165(x_{31})^4 + \\
& 6925901584.699818(x_{31})^5 + -1028062274.3678777(x_{31})^6 + 98034666.60358801(x_{31})^7 + - \\
& 5449541.0765616195(x_{31})^8 + 134543.1154800969(x_{31})^9 \wedge (-0.015244) * (1.78936637585e+12 + - \\
& 3998117463084.3667(x_{31})^1 + 4017495117784.414(x_{31})^2 + -2390795959507.938(x_{31})^3 + \\
& 933104493228.1934(x_{31})^4 + -249570220779.89624(x_{31})^5 + 46325972831.635284(x_{31})^6 + - \\
& 5892935074.993697(x_{31})^7 + 491632508.2661415(x_{31})^8 + -24290625.376086753(x_{31})^9 + \\
& 539737.7012540244(x_{31})^{10} \wedge (0.014147) * (-3.22060845881e+13 + 79161015438528.81(x_{31})^1 + - \\
& 88392938346968.73(x_{31})^2 + 59187580434516.3(x_{31})^3 + -26406328281423.312(x_{31})^4 +
\end{aligned}$$

8242127526705.653(x31)^5 + -1836532644615.7307(x31)^6 + 292136776244.6016(x31)^7 + -  
 32510858138.474358(x31)^8 + 2410661779.178979(x31)^9 + -107189601.49912919(x31)^10 +  
 2165229.971934709(x31)^11^(-0.003568) \* (371.594459057 + -199.21860639218733(x32)^1 +  
 26.737163654836575(x32)^2^(-0.010863) \* (-10081.5367987 + 8133.699284615288(x32)^1 + -  
 2185.2132328210673(x32)^2 + 195.5185642035581(x32)^3^(-0.003413) \* (274310.411709 + -  
 295118.02807365346(x32)^1 + 118983.94790757126(x32)^2 + -21306.161928785536(x32)^3 +  
 1429.7518406110278(x32)^4^(-0.017448) \* (-7462967.38327 + 10037728.277292417(x32)^1 + -  
 5397395.9641222805(x32)^2 + 1450335.0421177833(x32)^3 + -194754.6794221712(x32)^4 +  
 10455.22369733841(x32)^5^(-0.017191) \* (203040417.087 + -327737972.1388575(x32)^1 +  
 220325088.75139743(x32)^2 + -78959455.54580122(x32)^3 + 15910040.817117937(x32)^4 + -  
 1708999.0150391618(x32)^5 + 76455.01789644173(x32)^6^(-0.004231) \* (-5523996410.0 +  
 10403331421.923018(x32)^1 + -8393572185.624094(x32)^2 + 3760805901.793566(x32)^3 + -  
 1010644825.649456(x32)^4 + 162892043.11375302(x32)^5 + -14580125.66151631(x32)^6 +  
 559086.0540873251(x32)^7^(-0.005210) \* (150287991608.0 + -323486577372.45605(x32)^1 +  
 304522523901.856(x32)^2 + -163756174531.70114(x32)^3 + 55018555770.88755(x32)^4 + -  
 11826438220.50776(x32)^5 + 1588298691.3494306(x32)^6 + -121850096.93615088(x32)^7 +  
 4088380.651461243(x32)^8^(-0.007448) \* (-4.08879346415e+12 + 9901386325676.68(x32)^1 + -  
 10653290085356.023(x32)^2 + 6684328057862.07(x32)^3 + -2695353553025.4844(x32)^4 +  
 724355947893.9185(x32)^5 + -129737851282.96776(x32)^6 + 14933636361.734283(x32)^7 + -  
 1002423100.9372556(x32)^8 + 29896750.65053925(x32)^9^(-0.009477) \* (1.11241302873e+14 + -  
 299321180482691.06(x32)^1 + 362329616698551.75(x32)^2 + -259841759473886.25(x32)^3 +  
 122254800235150.56(x32)^4 + -39431988091244.05(x32)^5 + 8829814354680.605(x32)^6 + -  
 1355440223384.664(x32)^7 + 136508991138.73451(x32)^8 + -8144814957.848918(x32)^9 +  
 218623405.12277326(x32)^10^(-0.003618) \* (-3.02647408663e+15 + 8958013500409862.0(x32)^1 + -  
 1.204916511937092e+16(x32)^2 + 9721798974454132.0(x32)^3 + -5228032381364267.0(x32)^4 +  
 1967529186056349.0(x32)^5 + -528773088251873.4(x32)^6 + 101480546487222.69(x32)^7 + -  
 13629743243239.238(x32)^8 + 1220098068618.2751(x32)^9 + -65515879002.80663(x32)^10 +  
 1598708629.7826195(x32)^11^(-0.003189) \* (245.608510216 + -89.09796809023156(x33)^1 +  
 8.096870964215881(x33)^2^(-0.007080) \* (-5403.76870507 + 2955.032316493687(x33)^1 + -  
 537.8146967217198(x33)^2 + 32.58298174734762(x33)^3^(-0.014457) \* (119422.53803 + -  
 87087.38698328767(x33)^1 + 23791.053140531116(x33)^2 + -2885.659003201716(x33)^3 +  
 131.11863882232444(x33)^4^(-0.021208) \* (-2638688.00289 + 2405802.8800063906(x33)^1 + -  
 876668.4684521311(x33)^2 + 159596.99036290846(x33)^3 + -14515.387340048876(x33)^4 +  
 527.64039767535(x33)^5^(-0.008183) \* (58303383.864 + -63797888.26166082(x33)^1 +  
 29067689.000903808(x33)^2 + -7058567.497652145(x33)^3 + 963493.2335054731(x33)^4 + -  
 70094.42578695636(x33)^5 + 2123.301399095976(x33)^6^(-0.013011) \* (-1288247477.07 +  
 1644754615.9518125(x33)^1 + -899438474.9707172(x33)^2 + 273095643.94720614(x33)^3 + -  
 49722737.201791786(x33)^4 + 5428658.5333862575(x33)^5 + -329081.8112063679(x33)^6 +  
 8544.472430969725(x33)^7^(-0.005047) \* (28464584442.5 + -41536553721.5509(x33)^1 +  
 26503991084.603523(x33)^2 + -9658980498.772955(x33)^3 + 2198916362.0238976(x33)^4 + -  
 320216490.8960762(x33)^5 + 29129734.47986326(x33)^6 + -1513454.7224207781(x33)^7 +  
 34384.19489323833(x33)^8^(-0.008218) \* (-628941706634.0 + 1032555257526.7192(x33)^1 + -  
 753070431420.5605(x33)^2 + 320240794854.4526(x33)^3 + -87505280573.17424(x33)^4 +  
 15933193051.46303(x33)^5 + -1933225405.1275616(x33)^6 + 150722893.60653234(x33)^7 + -  
 6851656.188021632(x33)^8 + 138366.98146172368(x33)^9^(-0.003441) \* (1.38968363005e+13 + -  
 25351061971617.36(x33)^1 + 20802263699871.71(x33)^2 + -10111207356361.424(x33)^3 +  
 3223937295179.4546(x33)^4 + -704588068186.4636(x33)^5 + 106891591514.91603(x33)^6 + -  
 11115197876.266323(x33)^7 + 758197832.9199051(x33)^8 + -30635618.994060513(x33)^9 +  
 556808.7785180028(x33)^10^(-0.011327) \* (-3.07058757791e+14 + 616184262723654.8(x33)^1 + -  
 561842973223756.7(x33)^2 + 307261757493162.75(x33)^3 + -111982154093425.97(x33)^4 +  
 28557832788201.566(x33)^5 + -5200101401160.392(x33)^6 + 676096400768.9019(x33)^7 + -  
 61509455599.311554(x33)^8 + 3729258045.9973154(x33)^9 + -135610385.8892015(x33)^10 +  
 2240679.1892072554(x33)^11^(-0.006830) + -843.428

F^3 в стандартном базисе денормированный:

0.0 \* (476.581632653 + -176.3265306122448(x11)^1 + 16.326530612244888(x11)^2^(-0.003360) \* (-  
 14658.6618076 + 8155.685131195329(x11)^1 + -1511.3702623906693(x11)^2 + 93.29446064139933(x11)^3)^(-  
 0.001192) \* (451880.697001 + -335254.31070387305(x11)^1 + 93224.15660141598(x11)^2 + -  
 11515.201999167(x11)^3 + 533.1112036651389(x11)^4^(-0.017466) \* (-13929055.7028 +  
 12919004.170881167(x11)^1 + -4790858.666032005(x11)^2 + 887942.4049503171(x11)^3 + -  
 82251.44285119284(x11)^4 + 3046.349735229364(x11)^5^(-0.001937) \* (429359013.847 + -  
 477902912.69249994(x11)^1 + 221561867.08599275(x11)^2 + -54764185.670936346(x11)^3 +  
 7611468.01077781(x11)^4 + -564009.8938367508(x11)^5 + 17407.712772739218(x11)^6^(-0.021967) \* (-

$$\begin{aligned}
& 13234863338.7 + 17187279518.035484(x11)^1 + -9562849112.516026(x11)^2 + 2955046170.2181864(x11)^3 + - \\
& 547724108.1522145(x11)^4 + 60894790.43595769(x11)^5 + -3760065.9589116704(x11)^6 + - \\
& 99472.64441565264(x11)^7 \wedge (0.001181) * (407960709756.0 + -605500227013.5854(x11)^1 + - \\
& 393073665136.4685(x11)^2 + -145774369709.72467(x11)^3 + 33779567699.075752(x11)^4 + - \\
& 5008327284.428368(x11)^5 + 463977715.79625976(x11)^6 + -2455532.79289253(x11)^7 + - \\
& 568415.1109465864(x11)^8 \wedge (0.008116) * (-1.25752670377e+13 + 20998023781216.914(x11)^1 + - \\
& 15579568686604.707(x11)^2 + 6741360734223.96(x11)^3 + -1874789620376.0398(x11)^4 + - \\
& 347507876838.07214(x11)^5 + -42932279646.773476(x11)^6 + 3408915343.8006086(x11)^7 + - \\
& 157856996.52573764(x11)^8 + 3248086.3482662067(x11)^9 \wedge (0.003966) * (3.87628850739e+14 + - \\
& 719192188094420.5(x11)^1 + 600336610271334.0(x11)^2 + -296899463638370.75(x11)^3 + - \\
& 96338932913755.62(x11)^4 + -21431175417296.31(x11)^5 + 3310062804745.054(x11)^6 + - \\
& 350492144486.04565(x11)^7 + 24349963727.97243(x11)^8 + -1002266644.607858(x11)^9 + - \\
& 18560493.418664034(x11)^10 \wedge (-0.016368) * (-1.19485435558e+16 + 2.438624007021029e+16(x11)^1 + - \\
& 2.2618762623082668e+16(x11)^2 + 1.2585222718800264e+16(x11)^3 + -4667437789651914.0(x11)^4 + - \\
& 1211465521649765.5(x11)^5 + -224560008079893.75(x11)^6 + 29726421855911.625(x11)^7 + - \\
& 2754024706529.741(x11)^8 + 170066486821.39374(x11)^9 + -6299961766.106533(x11)^10 + - \\
& 106059962.39236589(x11)^11 \wedge (-0.000864) * (4.24668537744 + -0.6854215188540387(x12)^1 + - \\
& 0.031347885609606156(x12)^2 \wedge (-0.014257) * (-6.51878256997 + 2.5640203148188214(x12)^1 + - \\
& 0.25743531224564825(x12)^2 + 0.00784923583391211(x12)^3 \wedge (-0.005957) * (18.3352465027 + - \\
& 8.215970571719183(x12)^1 + 1.3153643186957134(x12)^2 + -0.08594606146959564(x12)^3 + - \\
& 0.0019653798643859055(x12)^4 \wedge (-0.000700) * (-38.9347591867 + 24.266989332253758(x12)^1 + - \\
& 5.400452884526826(x12)^2 + 0.5567753990866884(x12)^3 + -0.026900175733832753(x12)^4 + - \\
& 0.0004921138940559386(x12)^5 \wedge (-0.013283) * (92.9822507889 + -68.21185291786222(x12)^1 + - \\
& 19.5440886997314(x12)^2 + -2.790398210215424(x12)^3 + 0.21108290064811858(x12)^4 + - \\
& 0.00808268191063519(x12)^5 + 0.00012322100633638524(x12)^6 \wedge (0.015045) * (-210.857655649 + - \\
& 185.48783578533926(x12)^1 + -65.17922852459385(x12)^2 + 11.975335307119636(x12)^3 + - \\
& 1.2496098766107004(x12)^4 + 0.07448674573314601(x12)^5 + -0.0023611381689909797(x12)^6 + - \\
& 3.085346011552681e-05(x12)^7 \wedge (-0.012263) * (488.957359948 + -492.5902554695055(x12)^1 + - \\
& 205.3222027883341(x12)^2 + -46.311218508327116(x12)^3 + 6.2081209261227395(x12)^4 + - \\
& 0.5087088609596794(x12)^5 + 0.024990992143119607(x12)^6 + -0.0006756666345424665(x12)^7 + - \\
& 7.725436022667119e-06(x12)^8 \wedge (-0.008513) * (-1122.87789055 + 1285.110053867395(x12)^1 + - \\
& 620.2105022930507(x12)^2 + 166.20797589929543(x12)^3 + -27.34043720524569(x12)^4 + - \\
& 2.8725130786335358(x12)^5 + -0.1934254990928142(x12)^6 + 0.00807624328486228(x12)^7 + - \\
& 0.00019032862944858207(x12)^8 + 1.934381476724161e-06(x12)^9 \wedge (-0.020366) * (2589.54843997 + - \\
& 3306.6820001964347(x12)^1 + 1814.2236805808093(x12)^2 + -563.9621333069088(x12)^3 + - \\
& 110.25067234978187(x12)^4 + -14.200320606935612(x12)^5 + 1.223744493920286(x12)^6 + - \\
& 0.06986430927896514(x12)^7 + 0.0025355011120358996(x12)^8 + -5.2951800924661996e-05(x12)^9 + - \\
& 4.843521694457992e-07(x12)^10 \wedge (0.003380) * (-5961.02028035 + 8414.75834076277(x12)^1 + - \\
& 5174.0135698562135(x12)^2 + 1831.8489137303977(x12)^3 + -415.6711706247132(x12)^4 + - \\
& 63.60527781591554(x12)^5 + -6.7120911924174536(x12)^6 + 0.48958536675897424(x12)^7 + - \\
& 0.024243768443802775(x12)^8 + 0.0007778832524875366(x12)^9 + -1.4584533588013319e-05(x12)^10 + - \\
& 1.2127753851538006e-07(x12)^11 \wedge (0.007855) * (3.75880824757 + -0.7333464410844193(x21)^1 + - \\
& 0.041257183745958895(x21)^2 \wedge (0.022084) * (-4.76665229451 + 2.521055581387911(x21)^1 + - \\
& 0.3159841038783853(x21)^2 + 0.01185125565413541(x21)^3 \wedge (-0.015192) * (12.9632376461 + - \\
& 7.359302398871534(x21)^1 + 1.4896194567156746(x21)^2 + -0.12102323547705963(x21)^3 + - \\
& 0.0034043104212956297(x21)^4 \wedge (-0.013879) * (-23.7750423784 + 19.70344358302433(x21)^1 + - \\
& 5.600940943283436(x21)^2 + 0.7250143707783362(x21)^3 + -0.043455380781709026(x21)^4 + - \\
& 0.0009778988642859979(x21)^5 \wedge (0.001126) * (52.2865114779 + -50.05955497205151(x21)^1 + - \\
& 18.46924767907057(x21)^2 + -3.338799001815838(x21)^3 + 0.3157982942396093(x21)^4 + - \\
& 0.0149792335908225(x21)^5 + 0.0002809045211593531(x21)^6 \wedge (0.010741) * (-105.157487822 + - \\
& 122.82892447212576(x21)^1 + -55.93011649866736(x21)^2 + 13.104163024613786(x21)^3 + - \\
& 1.7218462614072647(x21)^4 + 0.12797757195166926(x21)^5 + -0.0050199705630524245(x21)^6 + - \\
& 8.069070625762388e-05(x21)^7 \wedge (0.011069) * (220.729552584 + -294.01213021800686(x21)^1 + - \\
& 159.6012255285086(x21)^2 + -46.18173683442759(x21)^3 + 7.844222294017729(x21)^4 + - \\
& 0.8063484309341974(x21)^5 + 0.04929685069055991(x21)^6 + -0.0016480026470138765(x21)^7 + - \\
& 2.3178658889084058e-05(x21)^8 \wedge (-0.001145) * (-453.803775688 + 690.8909634695492(x21)^1 + - \\
& 435.9817031359473(x21)^2 + 150.64202344419084(x21)^3 + -31.570006513461003(x21)^4 + - \\
& 4.18377070474302(x21)^5 + -0.3524591508578593(x21)^6 + 0.018287273161863238(x21)^7 + - \\
& 0.0005325681803635508(x21)^8 + 6.6581425893239664e-06(x21)^9 \wedge (-0.003954) * (942.367339747 + - \\
& 1600.4502650491247(x21)^1 + 1151.9042251257488(x21)^2 + -463.63878352354516(x21)^3 + - \\
& 116.02520860941505(x21)^4 + -18.943515548182887(x21)^5 + 2.05234990657293(x21)^6 + - \\
& 0.1462837147200005(x21)^7 + 0.00658952449797822(x21)^8 + -0.0001699798700541953(x21)^9 + - \\
& 1.9125723775436886e-06(x21)^10 \wedge (0.003281) * (-1947.47155128 + 3665.408949024765(x21)^1 + -
\end{aligned}$$

$$\begin{aligned}
& 2964.520721525947(x_{21})^2 + 1363.8984185497075(x_{21})^3 + -397.81967392882893(x_{21})^4 + \\
& 77.50680962076893(x_{21})^5 + -10.328697141522696(x_{21})^6 + 0.944713494133486(x_{21})^7 + - \\
& 0.05831069607695262(x_{21})^8 + 0.002320155672300407(x_{21})^9 + -5.370997689324664e-05(x_{21})^{10} + \\
& 5.493924244290668e-07(x_{21})^{11} + (-0.002670) * (4034.00706944 + -8316.9051635283(x_{21})^1 + \\
& 7469.305645347966(x_{21})^2 + -3869.9103486521017(x_{21})^3 + 1291.3775262105992(x_{21})^4 + - \\
& 293.2033984721871(x_{21})^5 + 46.58049906033605(x_{21})^6 + -5.23248492316411(x_{21})^7 + - \\
& 0.41364740347829543(x_{21})^8 + -0.02250322073734903(x_{21})^9 + 0.0008016789800645783(x_{21})^{10} + - \\
& 1.6830937756656368e-05(x_{21})^{11} + 1.5781470001553086e-07(x_{21})^{12} + (-0.018017) * (350.479414964 + - \\
& 94.4040501622978(x_{22})^1 + 6.366177770739619(x_{22})^2 + (-0.011227) * (-9231.8559224 + \\
& 3742.8661726763107(x_{22})^1 + -505.28483583745503(x_{22})^2 + 22.71606697855351(x_{22})^3 + (-0.000018) * \\
& (243922.743552 + -131874.6848337129(x_{22})^1 + 26717.275527824706(x_{22})^2 + -2403.971862444033(x_{22})^3 + \\
& 81.05643881731854(x_{22})^4 + (0.002093) * (-6444139.08813 + 4355602.697616832(x_{22})^1 + - \\
& 1176907.4689010736(x_{22})^2 + 158912.25236091085(x_{22})^3 + -10722.443632667413(x_{22})^4 + \\
& 289.22904127499936(x_{22})^5 + (0.009306) * (170246986.245 + -138097407.34765923(x_{22})^1 + \\
& 46652259.08766163(x_{22})^2 + -8401386.800772876(x_{22})^3 + 850637.2688968596(x_{22})^4 + - \\
& 45912.33669652417(x_{22})^5 + 1032.0393979482585(x_{22})^6 + (0.000031) * (-4497735241.95 + \\
& 4256733467.8599358(x_{22})^1 + -1725854608.5101414(x_{22})^2 + 388580932.60755754(x_{22})^3 + - \\
& 52472549.031866506(x_{22})^4 + 4249681.47330748(x_{22})^5 + -191130.7504464284(x_{22})^6 + \\
& 3682.5669864344654(x_{22})^7 + (0.002937) * (118825142699.0 + -128530182843.83707(x_{22})^1 + \\
& 60802883736.12512(x_{22})^2 + -16430449401.170246(x_{22})^3 + 2773952743.2996383(x_{22})^4 + - \\
& 299621571.3946321(x_{22})^5 + 20219558.228193577(x_{22})^6 + -779429.5927470003(x_{22})^7 + \\
& 13140.292547491406(x_{22})^8 + (0.008009) * (-3.13922758335e+12 + 3820229201925.5107(x_{22})^1 + - \\
& 2065546810174.1377(x_{22})^2 + 651266908170.3434(x_{22})^3 + -131965090399.64049(x_{22})^4 + \\
& 17820895311.943783(x_{22})^5 + -1603874831.3461585(x_{22})^6 + 92765769.50657724(x_{22})^7 + - \\
& 3128843.1466204305(x_{22})^8 + 46887.752176597365(x_{22})^9 + (-0.006595) * (8.29348873168e+13 + - \\
& 112143787394431.69(x_{22})^1 + 68218326557697.1(x_{22})^2 + -24584337796105.168(x_{22})^3 + \\
& 5812469832942.619(x_{22})^4 + -942066546814.1462(x_{22})^5 + 106002350464.82227(x_{22})^6 + - \\
& 8176514519.92617(x_{22})^7 + 413776608.20770043(x_{22})^8 + -12404968.36800647(x_{22})^9 + \\
& 167306.87663371055(x_{22})^{10} + (0.006891) * (-2.19104711322e+15 + 3259070043600384.5(x_{22})^1 + - \\
& 2202924889073775.8(x_{22})^2 + 893189586426063.0(x_{22})^3 + -241369891724794.75(x_{22})^4 + \\
& 45646486845262.93(x_{22})^5 + -6164394249470.424(x_{22})^6 + 594473219503.6956(x_{22})^7 + - \\
& 40119837014.06004(x_{22})^8 + 1804603410.8108366(x_{22})^9 + -48690330.79324575(x_{22})^{10} + \\
& 596991.5312532047(x_{22})^{11} + (0.008351) * (5.78850180868e+16 + -9.393039662829485e+16(x_{22})^1 + \\
& 6.984313451425552e+16(x_{22})^2 + -3.1466866429839308e+16(x_{22})^3 + 9567163974839866.0(x_{22})^4 + - \\
& 2067981282031230.2(x_{22})^5 + 325861483851003.25(x_{22})^6 + -37715698366766.71(x_{22})^7 + \\
& 3182250812310.415(x_{22})^8 + -190888822519.6499(x_{22})^9 + 7727282714.452031(x_{22})^{10} + - \\
& 189533361.29071423(x_{22})^{11} + 2130210.637834808(x_{22})^{12} + (-0.007634) * (163.476293492 + - \\
& 72.42666555194403(x_{31})^1 + 8.046602623287008(x_{31})^2 + (-0.004319) * (-2923.34544196 + \\
& 1957.3919585793597(x_{31})^1 + -435.82388257112063(x_{31})^2 + 32.28002255856789(x_{31})^3 + (-0.040347) * \\
& (52635.1156001 + -46998.03800979724(x_{31})^1 + 15712.725841049603(x_{31})^2 + -2331.1543881048146(x_{31})^3 + \\
& 129.49562755417872(x_{31})^4 + (-0.004173) * (-947339.244077 + 1057701.361471378(x_{31})^1 + - \\
& 471783.11111351347(x_{31})^2 + 105088.44851819333(x_{31})^3 + -11689.671989293027(x_{31})^4 + \\
& 519.4890283990724(x_{31})^5 + (0.004397) * (17050796.4359 + -22849290.5441211(x_{31})^1 + \\
& 12745044.12455386(x_{31})^2 + -3787573.245360032(x_{31})^3 + 632494.0439267821(x_{31})^4 + - \\
& 56273.61904383367(x_{31})^5 + 2083.9997127633037(x_{31})^6 + (-0.019325) * (-306890397.477 + \\
& 479868524.95569324(x_{31})^1 + -321292230.0248589(x_{31})^2 + 119404802.78258969(x_{31})^3 + - \\
& 26601813.749333825(x_{31})^4 + 3552787.7128675138(x_{31})^5 + -263374.00682434783(x_{31})^6 + \\
& 8360.24355736959(x_{31})^7 + (-0.002689) * (5523596658.47 + -9871904301.326036(x_{31})^1 + \\
& 7712972101.88315(x_{31})^2 + -3440872239.041332(x_{31})^3 + 958649164.6494007(x_{31})^4 + - \\
& 170803047.25833434(x_{31})^5 + 19005394.736141823(x_{31})^6 + -1207497.201653242(x_{31})^7 + \\
& 33538.23511130114(x_{31})^8 + (0.013630) * (-99416991165.6 + 199907688873.00256(x_{31})^1 + - \\
& 178532381813.6862(x_{31})^2 + 92944262111.57593(x_{31})^3 + -31084519927.65165(x_{31})^4 + \\
& 6925901584.699818(x_{31})^5 + -1028062274.3678777(x_{31})^6 + 98034666.60358801(x_{31})^7 + - \\
& 5449541.0765616195(x_{31})^8 + 134543.1154800969(x_{31})^9 + (-0.009112) * (1.78936637585e+12 + - \\
& 3998117463084.3667(x_{31})^1 + 4017495117784.414(x_{31})^2 + -2390795959507.938(x_{31})^3 + \\
& 933104493228.1934(x_{31})^4 + -249570220779.89624(x_{31})^5 + 46325972831.635284(x_{31})^6 + - \\
& 5892935074.993697(x_{31})^7 + 491632508.2661415(x_{31})^8 + -24290625.376086753(x_{31})^9 + \\
& 539737.7012540244(x_{31})^{10} + (0.013178) * (-3.22060845881e+13 + 79161015438528.81(x_{31})^1 + - \\
& 88392938346968.73(x_{31})^2 + 59187580434516.3(x_{31})^3 + -26406328281423.312(x_{31})^4 + \\
& 8242127526705.653(x_{31})^5 + -1836532644615.7307(x_{31})^6 + 292136776244.6016(x_{31})^7 + - \\
& 32510858138.474358(x_{31})^8 + 2410661779.178979(x_{31})^9 + -107189601.49912919(x_{31})^{10} + \\
& 2165229.971934709(x_{31})^{11} + (-0.007236) * (371.594459057 + -199.21860639218733(x_{32})^1 + \\
& 26.737163654836575(x_{32})^2 + (0.009273) * (-10081.5367987 + 8133.699284615288(x_{32})^1 + -
\end{aligned}$$

$$\begin{aligned}
& 2185.2132328210673(x32)^2 + 195.5185642035581(x32)^3 \wedge (0.001144) * (274310.411709 + - \\
& 295118.02807365346(x32)^1 + 118983.94790757126(x32)^2 + -21306.161928785536(x32)^3 + \\
& 1429.7518406110278(x32)^4 \wedge (0.001324) * (-7462967.38327 + 10037728.277292417(x32)^1 + - \\
& 5397395.9641222805(x32)^2 + 1450335.0421177833(x32)^3 + -194754.6794221712(x32)^4 + \\
& 10455.22369733841(x32)^5 \wedge (-0.027793) * (203040417.087 + -327737972.1388575(x32)^1 + \\
& 220325088.75139743(x32)^2 + -78959455.54580122(x32)^3 + 15910040.817117937(x32)^4 + - \\
& 1708999.0150391618(x32)^5 + 76455.01789644173(x32)^6 \wedge (0.003435) * (-5523996410.0 + \\
& 10403331421.923018(x32)^1 + -8393572185.624094(x32)^2 + 3760805901.793566(x32)^3 + - \\
& 1010644825.649456(x32)^4 + 162892043.11375302(x32)^5 + -14580125.66151631(x32)^6 + \\
& 559086.0540873251(x32)^7 \wedge (-0.015884) * (150287991608.0 + -323486577372.45605(x32)^1 + \\
& 304522523901.856(x32)^2 + -163756174531.70114(x32)^3 + 55018555770.88755(x32)^4 + - \\
& 11826438220.50776(x32)^5 + 1588298691.3494306(x32)^6 + -121850096.93615088(x32)^7 + \\
& 4088380.651461243(x32)^8 \wedge (-0.006873) * (-4.08879346415e+12 + 9901386325676.68(x32)^1 + - \\
& 10653290085356.023(x32)^2 + 6684328057862.07(x32)^3 + -2695353553025.4844(x32)^4 + \\
& 724355947893.9185(x32)^5 + -129737851282.96776(x32)^6 + 14933636361.734283(x32)^7 + - \\
& 1002423100.9372556(x32)^8 + 29896750.65053925(x32)^9 \wedge (-0.005903) * (1.11241302873e+14 + - \\
& 299321180482691.06(x32)^1 + 362329616698551.75(x32)^2 + -259841759473886.25(x32)^3 + \\
& 122254800235150.56(x32)^4 + -39431988091244.05(x32)^5 + 8829814354680.605(x32)^6 + - \\
& 1355440223384.664(x32)^7 + 136508991138.73451(x32)^8 + -8144814957.848918(x32)^9 + \\
& 218623405.12277326(x32)^10 \wedge (-0.003634) * (-3.02647408663e+15 + 8958013500409862.0(x32)^1 + - \\
& 1.204916511937092e+16(x32)^2 + 9721798974454132.0(x32)^3 + -5228032381364267.0(x32)^4 + \\
& 1967529186056349.0(x32)^5 + -528773088251873.4(x32)^6 + 101480546487222.69(x32)^7 + - \\
& 13629743243239.238(x32)^8 + 1220098068618.2751(x32)^9 + -65515879002.80663(x32)^10 + \\
& 1598708629.7826195(x32)^11 \wedge (0.004719) * (245.608510216 + -89.09796809023156(x33)^1 + \\
& 8.096870964215881(x33)^2 \wedge (0.015436) * (-5403.76870507 + 2955.032316493687(x33)^1 + - \\
& 537.8146967217198(x33)^2 + 32.58298174734762(x33)^3 \wedge (-0.019832) * (119422.53803 + - \\
& 87087.38698328767(x33)^1 + 23791.053140531116(x33)^2 + -2885.659003201716(x33)^3 + \\
& 131.11863882232444(x33)^4 \wedge (-0.021237) * (-2638688.00289 + 2405802.8800063906(x33)^1 + - \\
& 876668.4684521311(x33)^2 + 159596.99036290846(x33)^3 + -14515.387340048876(x33)^4 + \\
& 527.64039767535(x33)^5 \wedge (-0.000878) * (58303383.864 + -63797888.26166082(x33)^1 + \\
& 29067689.000903808(x33)^2 + -7058567.497652145(x33)^3 + 963493.2335054731(x33)^4 + - \\
& 70094.42578695636(x33)^5 + 2123.301399095976(x33)^6 \wedge (0.012772) * (-1288247477.07 + \\
& 1644754615.9518125(x33)^1 + -899438474.9707172(x33)^2 + 273095643.94720614(x33)^3 + - \\
& 49722737.201791786(x33)^4 + 5428658.5333862575(x33)^5 + -329081.8112063679(x33)^6 + \\
& 8544.472430969725(x33)^7 \wedge (0.007983) * (28464584442.5 + -41536553721.5509(x33)^1 + \\
& 26503991084.603523(x33)^2 + -9658980498.772955(x33)^3 + 2198916362.0238976(x33)^4 + - \\
& 320216490.8960762(x33)^5 + 29129734.47986326(x33)^6 + -1513454.7224207781(x33)^7 + \\
& 34384.19489323833(x33)^8 \wedge (-0.013233) * (-628941706634.0 + 1032555257526.7192(x33)^1 + - \\
& 753070431420.5605(x33)^2 + 320240794854.4526(x33)^3 + -87505280573.17424(x33)^4 + \\
& 15933193051.46303(x33)^5 + -1933225405.1275616(x33)^6 + 150722893.60653234(x33)^7 + - \\
& 6851656.188021632(x33)^8 + 138366.98146172368(x33)^9 \wedge (0.011835) * (1.38968363005e+13 + - \\
& 25351061971617.36(x33)^1 + 20802263699871.71(x33)^2 + -10111207356361.424(x33)^3 + \\
& 3223937295179.4546(x33)^4 + -704588068186.4636(x33)^5 + 106891591514.91603(x33)^6 + - \\
& 11115197876.266323(x33)^7 + 758197832.9199051(x33)^8 + -30635618.994060513(x33)^9 + \\
& 556808.7785180028(x33)^10 \wedge (0.010288) * (-3.07058757791e+14 + 616184262723654.8(x33)^1 + - \\
& 561842973223756.7(x33)^2 + 307261757493162.75(x33)^3 + -111982154093425.97(x33)^4 + \\
& 28557832788201.566(x33)^5 + -5200101401160.392(x33)^6 + 676096400768.9019(x33)^7 + - \\
& 61509455599.311554(x33)^8 + 3729258045.9973154(x33)^9 + -135610385.8892015(x33)^10 + \\
& 2240679.1892072554(x33)^11 \wedge (-0.000427) + -797.648
\end{aligned}$$

F^4 в стандартном базисе денормированный:

$$\begin{aligned}
& 0.0 * (476.581632653 + -176.3265306122448(x11)^1 + 16.326530612244888(x11)^2 \wedge (0.003889) * (- \\
& 14658.6618076 + 8155.685131195329(x11)^1 + -1511.3702623906693(x11)^2 + 93.29446064139933(x11)^3) \wedge (- \\
& 0.013542) * (451880.697001 + -335254.31070387305(x11)^1 + 93224.15660141598(x11)^2 + - \\
& 11515.201999167(x11)^3 + 533.1112036651389(x11)^4 \wedge (0.021671) * (-13929055.7028 + \\
& 12919004.170881167(x11)^1 + -4790858.666032005(x11)^2 + 887942.4049503171(x11)^3 + - \\
& 82251.44285119284(x11)^4 + 3046.349735229364(x11)^5 \wedge (-0.012933) * (429359013.847 + - \\
& 477902912.69249994(x11)^1 + 221561867.08599275(x11)^2 + -54764185.670936346(x11)^3 + \\
& 7611468.01077781(x11)^4 + -564009.8938367508(x11)^5 + 17407.712772739218(x11)^6 \wedge (-0.023420) * (- \\
& 13234863338.7 + 17187279518.035484(x11)^1 + -9562849112.516026(x11)^2 + 2955046170.2181864(x11)^3 + - \\
& 547724108.1522145(x11)^4 + 60894790.43595769(x11)^5 + -3760065.9589116704(x11)^6 + \\
& 99472.64441565264(x11)^7 \wedge (0.000795) * (407960709756.0 + -605500227013.5854(x11)^1 + \\
& 393073665136.4685(x11)^2 + -145774369709.72467(x11)^3 + 33779567699.075752(x11)^4 + -
\end{aligned}$$



5008327284.428368(x11)^5 + 463977715.79625976(x11)^6 + -24555532.79289253(x11)^7 +  
568415.1109465864(x11)^8^(0.004871) \* (-1.25752670377e+13 + 20998023781216.914(x11)^1 + -  
15579568686604.707(x11)^2 + 6741360734223.96(x11)^3 + -1874789620376.0398(x11)^4 +  
347507876838.07214(x11)^5 + -42932279646.773476(x11)^6 + 3408915343.8006086(x11)^7 + -  
157856996.52573764(x11)^8 + 3248086.3482662067(x11)^9^(-0.003792) \* (3.87628850739e+14 + -  
719192188094420.5(x11)^1 + 600336610271334.0(x11)^2 + -296899463638370.75(x11)^3 +  
96338932913755.62(x11)^4 + -21431175417296.31(x11)^5 + 3310062804745.054(x11)^6 + -  
350492144486.04565(x11)^7 + 24349963727.97243(x11)^8 + -1002266644.607858(x11)^9 +  
18560493.418664034(x11)^10^(-0.023946) \* (-1.19485435558e+16 + 2.438624007021029e+16(x11)^1 + -  
2.2618762623082668e+16(x11)^2 + 1.2585222718800264e+16(x11)^3 + -4667437789651914.0(x11)^4 +  
1211465521649765.5(x11)^5 + -224560008079893.75(x11)^6 + 29726421855911.625(x11)^7 + -  
2754024706529.741(x11)^8 + 170066486821.39374(x11)^9 + -6299961766.106533(x11)^10 +  
106059962.39236589(x11)^11^(-0.005451) \* (4.24668537744 + -0.6854215188540387(x12)^1 +  
0.031347885609606156(x12)^2^(-0.005752) \* (-6.51878256997 + 2.5640203148188214(x12)^1 + -  
0.25743531224564825(x12)^2 + 0.007849235833391211(x12)^3^(0.001456) \* (18.3352465027 + -  
8.215970571719183(x12)^1 + 1.3153643186957134(x12)^2 + -0.08594606146959564(x12)^3 +  
0.0019653798643859055(x12)^4^(-0.004240) \* (-38.9347591867 + 24.266989332253758(x12)^1 + -  
5.400452884526826(x12)^2 + 0.5567753990866884(x12)^3 + -0.026900175733832753(x12)^4 +  
0.0004921138940559386(x12)^5^(-0.011167) \* (92.9822507889 + -68.21185291786222(x12)^1 +  
19.5440886997314(x12)^2 + -2.790398210215424(x12)^3 + 0.21108290064811858(x12)^4 + -  
0.00808268191063519(x12)^5 + 0.00012322100633638524(x12)^6^(0.014210) \* (-210.857655649 +  
185.48783578533926(x12)^1 + -65.17922852459385(x12)^2 + 11.975335307119636(x12)^3 + -  
1.2496098766107004(x12)^4 + 0.07448674573314601(x12)^5 + -0.0023611381689909797(x12)^6 +  
3.085346011552681e-05(x12)^7^(-0.010401) \* (488.957359948 + -492.5902554695055(x12)^1 +  
205.3222027883341(x12)^2 + -46.311218508327116(x12)^3 + 6.2081209261227395(x12)^4 + -  
0.5087088609596794(x12)^5 + 0.024990992143119607(x12)^6 + -0.0006756666345424665(x12)^7 +  
7.725436022667119e-06(x12)^8^(-0.010404) \* (-1122.87789055 + 1285.1100553867395(x12)^1 + -  
620.2105022930507(x12)^2 + 166.20797589929543(x12)^3 + -27.34043720524569(x12)^4 +  
2.8725130786335358(x12)^5 + -0.1934254990928142(x12)^6 + 0.00807624328486228(x12)^7 + -  
0.00019032862944858207(x12)^8 + 1.934381476724161e-06(x12)^9^(-0.014514) \* (2589.54843997 +  
3306.6820001964347(x12)^1 + 1814.2236805808093(x12)^2 + -563.9621333069088(x12)^3 +  
110.25067234978187(x12)^4 + -14.200320606935612(x12)^5 + 1.223744493920286(x12)^6 + -  
0.06986430927896514(x12)^7 + 0.0025355011120358996(x12)^8 + -5.2951800924661996e-05(x12)^9 +  
4.843521694457992e-07(x12)^10^(0.002819) \* (-5961.02028035 + 8414.75834076277(x12)^1 + -  
5174.0135698562135(x12)^2 + 1831.8489137303977(x12)^3 + -415.6711706247132(x12)^4 +  
63.60527781591554(x12)^5 + -6.7120911924174536(x12)^6 + 0.48958536675897424(x12)^7 + -  
0.024243768443802775(x12)^8 + 0.0007778832524875366(x12)^9 + -1.4584533588013319e-05(x12)^10 +  
1.2127753851538006e-07(x12)^11^(0.011389) \* (3.75880824757 + -0.7333464410844193(x21)^1 +  
0.041257183745958895(x21)^2^(0.013954) \* (-4.76665229451 + 2.521055581387911(x21)^1 + -  
0.3159841038783853(x21)^2 + 0.01185125565413541(x21)^3^(-0.013149) \* (12.9632376461 + -  
7.359302398871534(x21)^1 + 1.4896194567156746(x21)^2 + -0.12102323547705963(x21)^3 +  
0.0034043104212956297(x21)^4^(-0.025380) \* (-23.7750423784 + 19.70344358302433(x21)^1 + -  
5.600940943283436(x21)^2 + 0.7250143707783362(x21)^3 + -0.043455380781709026(x21)^4 +  
0.0009778988642859979(x21)^5^(0.000392) \* (52.2865114779 + -50.05955497205151(x21)^1 +  
18.46924767907057(x21)^2 + -3.338799001815838(x21)^3 + 0.3157982942396093(x21)^4 + -  
0.0149792335908225(x21)^5 + 0.0002809045211593531(x21)^6^(0.007501) \* (-105.157487822 +  
122.82892447212576(x21)^1 + -55.93011649866736(x21)^2 + 13.104163024613786(x21)^3 + -  
1.7218462614072647(x21)^4 + 0.12797757195166926(x21)^5 + -0.0050199705630524245(x21)^6 +  
8.069070625762388e-05(x21)^7^(0.015251) \* (220.729552584 + -294.01213021800686(x21)^1 +  
159.60122552855086(x21)^2 + -46.18173683442759(x21)^3 + 7.844222294017729(x21)^4 + -  
0.8063484309341974(x21)^5 + 0.04929685069055991(x21)^6 + -0.0016480026470138765(x21)^7 +  
2.3178658889084058e-05(x21)^8^(0.012659) \* (-453.803775688 + 690.8909634695492(x21)^1 + -  
435.9817031359473(x21)^2 + 150.64202344419084(x21)^3 + -31.570006513461003(x21)^4 +  
4.183877070474302(x21)^5 + -0.3524591508578593(x21)^6 + 0.018287273161863238(x21)^7 + -  
0.0005325681803635508(x21)^8 + 6.6581425893239664e-06(x21)^9^(-0.003376) \* (942.367339747 + -  
1600.4502650491247(x21)^1 + 1151.9042251257488(x21)^2 + -463.63878352354516(x21)^3 +  
116.02520860941505(x21)^4 + -18.943515548182887(x21)^5 + 2.05234990657293(x21)^6 + -  
0.1462837147200005(x21)^7 + 0.00658952449797822(x21)^8 + -0.0001699798700541953(x21)^9 +  
1.9125723775436886e-06(x21)^10^(0.010106) \* (-1947.47155128 + 3665.408949024765(x21)^1 + -  
2964.520721525947(x21)^2 + 1363.8984185497075(x21)^3 + -397.81967392882893(x21)^4 +  
77.50680962076893(x21)^5 + -10.328697141522696(x21)^6 + 0.944713494133486(x21)^7 + -  
0.05831069607695262(x21)^8 + 0.002320155672300407(x21)^9 + -5.370997689324664e-05(x21)^10 +  
5.493924244290668e-07(x21)^11^(-0.006605) \* (4034.00706944 + -8316.9051635283(x21)^1 +

$$\begin{aligned}
& 7469.305645347966(x_{21})^2 + -3869.9103486521017(x_{21})^3 + 1291.3775262105992(x_{21})^4 + - \\
& 293.2033984721871(x_{21})^5 + 46.58049906033605(x_{21})^6 + -5.23248492316411(x_{21})^7 + - \\
& 0.41364740347829543(x_{21})^8 + -0.02250322073734903(x_{21})^9 + 0.0008016789800645783(x_{21})^{10} + - \\
& 1.6830937756656368e-05(x_{21})^{11} + 1.5781470001553086e-07(x_{21})^{12} \wedge (-0.015968) * (350.479414964 + - \\
& 94.4040501622978(x_{22})^1 + 6.366177770739619(x_{22})^2 \wedge (-0.002173) * (-9231.8559224 + - \\
& 3742.8661726763107(x_{22})^1 + -505.28483583745503(x_{22})^2 + 22.71606697855351(x_{22})^3 \wedge (0.000883) * \\
& (243922.743552 + -131874.6848337129(x_{22})^1 + 26717.275527824706(x_{22})^2 + -2403.971862444033(x_{22})^3 + \\
& 81.05643881731854(x_{22})^4 \wedge (0.000197) * (-6444139.08813 + 4355602.697616832(x_{22})^1 + - \\
& 1176907.4689010736(x_{22})^2 + 158912.25236091085(x_{22})^3 + -10722.443632667413(x_{22})^4 + \\
& 289.22904127499936(x_{22})^5 \wedge (0.001683) * (170246986.245 + -138097407.34765923(x_{22})^1 + \\
& 46652259.08766163(x_{22})^2 + -8401386.800772876(x_{22})^3 + 850637.2688968596(x_{22})^4 + - \\
& 45912.33669652417(x_{22})^5 + 1032.0393979482585(x_{22})^6 \wedge (0.001342) * (-4497735241.95 + \\
& 4256733467.8599358(x_{22})^1 + -1725854608.5101414(x_{22})^2 + 388580932.60755754(x_{22})^3 + - \\
& 52472549.031866506(x_{22})^4 + 4249681.47330748(x_{22})^5 + -191130.7504464284(x_{22})^6 + \\
& 3682.5669864344654(x_{22})^7 \wedge (0.000657) * (118825142699.0 + -128530182843.83707(x_{22})^1 + \\
& 60802883736.12512(x_{22})^2 + -16430449401.170246(x_{22})^3 + 2773952743.2996383(x_{22})^4 + - \\
& 299621571.3946321(x_{22})^5 + 20219558.228193577(x_{22})^6 + -779429.5927470003(x_{22})^7 + \\
& 13140.292547491406(x_{22})^8 \wedge (0.000424) * (-3.13922758335e+12 + 3820229201925.5107(x_{22})^1 + - \\
& 2065546810174.1377(x_{22})^2 + 651266908170.3434(x_{22})^3 + -131965090399.64049(x_{22})^4 + \\
& 17820895311.943783(x_{22})^5 + -1603874831.3461585(x_{22})^6 + 92765769.50657724(x_{22})^7 + - \\
& 3128843.1466204305(x_{22})^8 + 46887.752176597365(x_{22})^9 \wedge (-0.001416) * (8.29348873168e+13 + - \\
& 112143787394431.69(x_{22})^1 + 68218326557697.1(x_{22})^2 + -24584337796105.168(x_{22})^3 + \\
& 5812469832942.619(x_{22})^4 + -942066546814.1462(x_{22})^5 + 106002350464.82227(x_{22})^6 + - \\
& 8176514519.92617(x_{22})^7 + 413776608.20770043(x_{22})^8 + -12404968.36800647(x_{22})^9 + \\
& 167306.87663371055(x_{22})^{10} \wedge (0.000530) * (-2.19104711322e+15 + 3259070043600384.5(x_{22})^1 + - \\
& 2202924889073775.8(x_{22})^2 + 893189586426063.0(x_{22})^3 + -241369891724794.75(x_{22})^4 + \\
& 45646486845262.93(x_{22})^5 + -6164394249470.424(x_{22})^6 + 594473219503.6956(x_{22})^7 + - \\
& 40119837014.06004(x_{22})^8 + 1804603410.8108366(x_{22})^9 + -48690330.79324575(x_{22})^{10} + \\
& 596991.5312532047(x_{22})^{11} \wedge (0.000938) * (5.78850180868e+16 + -9.393039662829485e+16(x_{22})^1 + - \\
& 6.984313451425552e+16(x_{22})^2 + -3.1466866429839308e+16(x_{22})^3 + 9567163974839866.0(x_{22})^4 + - \\
& 2067981282031230.2(x_{22})^5 + 325861483851003.25(x_{22})^6 + -37715698366766.71(x_{22})^7 + \\
& 3182250812310.415(x_{22})^8 + -190888822519.6499(x_{22})^9 + 7727282714.452031(x_{22})^{10} + - \\
& 189533361.29071423(x_{22})^{11} + 2130210.637834808(x_{22})^{12} \wedge (-0.000859) * (163.476293492 + - \\
& 72.42666555194403(x_{31})^1 + 8.046602623287008(x_{31})^2 \wedge (-0.002688) * (-2923.34544196 + \\
& 1957.3919585793597(x_{31})^1 + -435.82388257112063(x_{31})^2 + 32.28002255856789(x_{31})^3 \wedge (-0.040007) * \\
& (52635.1156001 + -46998.03800979724(x_{31})^1 + 15712.725841049603(x_{31})^2 + -2331.1543881048146(x_{31})^3 + \\
& 129.49562755417872(x_{31})^4 \wedge (-0.002900) * (-947339.244077 + 1057701.361471378(x_{31})^1 + - \\
& 471783.11111351347(x_{31})^2 + 105088.44851819333(x_{31})^3 + -11689.671989293027(x_{31})^4 + \\
& 519.4890283990724(x_{31})^5 \wedge (0.003418) * (17050796.4359 + -22849290.5441211(x_{31})^1 + \\
& 12745044.12455386(x_{31})^2 + -3787573.245360032(x_{31})^3 + 632494.0439267821(x_{31})^4 + - \\
& 56273.61904383367(x_{31})^5 + 2083.9997127633037(x_{31})^6 \wedge (-0.031062) * (-306890397.477 + \\
& 479868524.95569324(x_{31})^1 + -321292230.0248589(x_{31})^2 + 119404802.78258969(x_{31})^3 + - \\
& 26601813.749333825(x_{31})^4 + 3552787.7128675138(x_{31})^5 + -263374.00682434783(x_{31})^6 + \\
& 8360.24355736959(x_{31})^7 \wedge (-0.006759) * (5523596658.47 + -9871904301.326036(x_{31})^1 + \\
& 7712972101.88315(x_{31})^2 + -3440872239.041332(x_{31})^3 + 958649164.6494007(x_{31})^4 + - \\
& 170803047.25833434(x_{31})^5 + 19005394.736141823(x_{31})^6 + -1207497.201653242(x_{31})^7 + \\
& 33538.23511130114(x_{31})^8 \wedge (0.029348) * (-99416991165.6 + 199907688873.00256(x_{31})^1 + - \\
& 178532381813.6862(x_{31})^2 + 92944262111.57593(x_{31})^3 + -31084519927.65165(x_{31})^4 + \\
& 6925901584.699818(x_{31})^5 + -1028062274.3678777(x_{31})^6 + 98034666.60358801(x_{31})^7 + - \\
& 5449541.0765616195(x_{31})^8 + 134543.1154800969(x_{31})^9 \wedge (-0.020690) * (1.78936637585e+12 + - \\
& 3998117463084.3667(x_{31})^1 + 4017495117784.414(x_{31})^2 + -2390795959507.938(x_{31})^3 + \\
& 933104493228.1934(x_{31})^4 + -249570220779.89624(x_{31})^5 + 46325972831.635284(x_{31})^6 + - \\
& 5892935074.993697(x_{31})^7 + 491632508.2661415(x_{31})^8 + -24290625.376086753(x_{31})^9 + \\
& 539737.7012540244(x_{31})^{10} \wedge (0.021362) * (-3.22060845881e+13 + 79161015438528.81(x_{31})^1 + - \\
& 88392938346968.73(x_{31})^2 + 59187580434516.3(x_{31})^3 + -26406328281423.312(x_{31})^4 + \\
& 8242127526705.653(x_{31})^5 + -1836532644615.7307(x_{31})^6 + 292136776244.6016(x_{31})^7 + - \\
& 32510858138.474358(x_{31})^8 + 2410661779.178979(x_{31})^9 + -107189601.49912919(x_{31})^{10} + \\
& 2165229.971934709(x_{31})^{11} \wedge (-0.015115) * (371.594459057 + -199.21860639218733(x_{32})^1 + \\
& 26.737163654836575(x_{32})^2 \wedge (0.013925) * (-10081.5367987 + 8133.699284615288(x_{32})^1 + - \\
& 2185.2132328210673(x_{32})^2 + 195.5185642035581(x_{32})^3 \wedge (-0.008829) * (274310.411709 + - \\
& 295118.02807365346(x_{32})^1 + 118983.94790757126(x_{32})^2 + -21306.161928785536(x_{32})^3 + \\
& 1429.7518406110278(x_{32})^4 \wedge (-0.011602) * (-7462967.38327 + 10037728.277292417(x_{32})^1 + - \\
& 5397395.9641222805(x_{32})^2 + 1450335.0421177833(x_{32})^3 + -194754.6794221712(x_{32})^4 + -
\end{aligned}$$

$$\begin{aligned}
& 10455.22369733841(x32)^5)^{(-0.056700)} * (203040417.087 + -327737972.1388575(x32)^1 + \\
& 220325088.75139743(x32)^2 + -78959455.54580122(x32)^3 + 15910040.817117937(x32)^4 + - \\
& 1708999.0150391618(x32)^5 + 76455.01789644173(x32)^6)^{(0.007376)} * (-5523996410.0 + \\
& 10403331421.923018(x32)^1 + -8393572185.624094(x32)^2 + 3760805901.793566(x32)^3 + - \\
& 1010644825.649456(x32)^4 + 162892043.11375302(x32)^5 + -14580125.66151631(x32)^6 + \\
& 559086.0540873251(x32)^7)^{(-0.010827)} * (150287991608.0 + -323486577372.45605(x32)^1 + \\
& 304522523901.856(x32)^2 + -163756174531.70114(x32)^3 + 55018555770.88755(x32)^4 + - \\
& 11826438220.50776(x32)^5 + 1588298691.3494306(x32)^6 + -121850096.93615088(x32)^7 + \\
& 4088380.651461243(x32)^8)^{(-0.009138)} * (-4.08879346415e+12 + 9901386325676.68(x32)^1 + - \\
& 10653290085356.023(x32)^2 + 6684328057862.07(x32)^3 + -2695353553025.4844(x32)^4 + \\
& 724355947893.9185(x32)^5 + -129737851282.96776(x32)^6 + 14933636361.734283(x32)^7 + - \\
& 1002423100.9372556(x32)^8 + 29896750.65053925(x32)^9)^{(-0.005192)} * (1.11241302873e+14 + - \\
& 299321180482691.06(x32)^1 + 362329616698551.75(x32)^2 + -259841759473886.25(x32)^3 + \\
& 122254800235150.56(x32)^4 + -39431988091244.05(x32)^5 + 8829814354680.605(x32)^6 + - \\
& 1355440223384.664(x32)^7 + 136508991138.73451(x32)^8 + -8144814957.848918(x32)^9 + \\
& 218623405.12277326(x32)^10)^{(-0.012654)} * (-3.02647408663e+15 + 8958013500409862.0(x32)^1 + - \\
& 1.204916511937092e+16(x32)^2 + 9721798974454132.0(x32)^3 + -5228032381364267.0(x32)^4 + \\
& 1967529186056349.0(x32)^5 + -528773088251873.4(x32)^6 + 101480546487222.69(x32)^7 + - \\
& 13629743243239.238(x32)^8 + 1220098068618.2751(x32)^9 + -65515879002.80663(x32)^10 + \\
& 1598708629.7826195(x32)^11)^{(0.010475)} * (245.608510216 + -89.09796809023156(x33)^1 + \\
& 8.096870964215881(x33)^2)^{(0.014373)} * (-5403.76870507 + 2955.032316493687(x33)^1 + - \\
& 537.8146967217198(x33)^2 + 32.58298174734762(x33)^3)^{(-0.033998)} * (119422.53803 + - \\
& 87087.38698328767(x33)^1 + 23791.053140531116(x33)^2 + -2885.659003201716(x33)^3 + \\
& 131.11863882232444(x33)^4)^{(-0.027201)} * (-2638688.00289 + 2405802.8800063906(x33)^1 + - \\
& 876668.4684521311(x33)^2 + 159596.99036290846(x33)^3 + -14515.387340048876(x33)^4 + \\
& 527.64039767535(x33)^5)^{(-0.000779)} * (58303383.864 + -63797888.26166082(x33)^1 + \\
& 29067689.000903808(x33)^2 + -7058567.497652145(x33)^3 + 963493.2335054731(x33)^4 + - \\
& 70094.42578695636(x33)^5 + 2123.301399095976(x33)^6)^{(0.014094)} * (-1288247477.07 + \\
& 1644754615.9518125(x33)^1 + -899438474.9707172(x33)^2 + 273095643.94720614(x33)^3 + - \\
& 49722737.201791786(x33)^4 + 5428658.5333862575(x33)^5 + -329081.8112063679(x33)^6 + \\
& 8544.472430969725(x33)^7)^{(0.011597)} * (28464584442.5 + -41536553721.5509(x33)^1 + \\
& 26503991084.603523(x33)^2 + -9658980498.772955(x33)^3 + 2198916362.0238976(x33)^4 + - \\
& 320216490.8960762(x33)^5 + 29129734.47986326(x33)^6 + -1513454.7224207781(x33)^7 + \\
& 34384.19489323833(x33)^8)^{(-0.010502)} * (-628941706634.0 + 1032555257526.7192(x33)^1 + - \\
& 753070431420.5605(x33)^2 + 320240794854.4526(x33)^3 + -87505280573.17424(x33)^4 + \\
& 15933193051.46303(x33)^5 + -1933225405.1275616(x33)^6 + 150722893.60653234(x33)^7 + - \\
& 6851656.188021632(x33)^8 + 138366.98146172368(x33)^9)^{(0.024870)} * (1.38968363005e+13 + - \\
& 25351061971617.36(x33)^1 + 20802263699871.71(x33)^2 + -10111207356361.424(x33)^3 + \\
& 3223937295179.4546(x33)^4 + -704588068186.4636(x33)^5 + 106891591514.91603(x33)^6 + - \\
& 11115197876.266323(x33)^7 + 758197832.9199051(x33)^8 + -30635618.994060513(x33)^9 + \\
& 556808.7785180028(x33)^10)^{(0.015829)} * (-3.07058757791e+14 + 616184262723654.8(x33)^1 + - \\
& 561842973223756.7(x33)^2 + 307261757493162.75(x33)^3 + -111982154093425.97(x33)^4 + \\
& 28557832788201.566(x33)^5 + -5200101401160.392(x33)^6 + 676096400768.9019(x33)^7 + - \\
& 61509455599.311554(x33)^8 + 3729258045.9973154(x33)^9 + -135610385.8892015(x33)^10 + \\
& 2240679.1892072554(x33)^11)^{(-0.000688)} + -325.954
\end{aligned}$$

Построим для реальной физической задачи оценивания составляющих солнечных бурь **Dst** в мультипликативной форме приближающие функции  $\Phi_i(x_1, x_2, x_3)$

System Analysis - Lab 3
?
X

Дані

Розмір вибірки
48

i:/sys-an-labs-master/la3/data\_3\_dst.txt
...

E:/Uni/sys-an-labs-master/l2/ololo.xlsx
...

Типи поліномів

☒ Чебишев I  
☐ Чебишев I зміщ.  
☐ Чебишев II зміщ.  
☐ Власний тип

Поліноми

Порядки

X1
14

X2
15

X3
14

☐ Триблоковий лямбда-вираз

Розмірності

X1
2
Y
2

X2
2
X3
2

Виконання

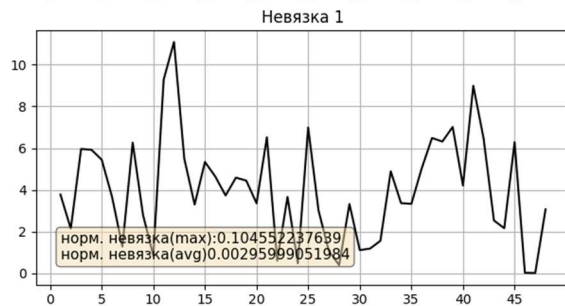
Графіки
Ок

Додатково

Ваги
Scaled

Введенные данные: X

2.1	-1.1	0.368	-0.9	-19	-20
2	-0.9	0.372	-1.1	-20	-19
2.8	-0.5	0.37	-0.9	-22	-20
2.5	-0.7	0.368	-1	-23	-22
3.3	-0.8	0.368	-0.3	-20	-23
2.6	0.2	0.368	1.5	-18	-20
2.9	0	0.366	1.6	-14	-18
3.6	1.7	0.365	0.5	-11	-14
3.3	0.9	0.373	1.7	-11	-11
-1.7	-1.5	0.381	-3	-4	-11
-0.8	-4	0.389	-3.3	-1	-4
0.4	-2.8	0.397	-2.2	-8	-1
-0.9	-1.5	0.391	-1.6	-12	-8
-5.7	3.5	0.389	-5.7	-6	-12
-4.8	4.6	0.395	-5.9	-14	-6
-4.9	3.8	0.399	-5	-20	-14
-3.5	0.7	0.388	-7.9	-24	-20
-0.9	-3.6	0.402	-9.4	-24	-24
-0.2	-6.3	0.405	-9.5	-37	-24



Нормализованная невязка(max) (Y - Φ)

-----  
0.104552 0.15469  
-----

Нормализованная невязка(avg) (Y - Φ)

-----  
0.00295999 0.00102673  
-----

Невязка(max) (Y\_ - Φ\_)

-----  
11.0825 16.3971  
-----

Невязка(avg) (Y\_ - Φ\_)

-----  
0.313759 0.108833  
-----

$$\text{Psi}^1_{[1,1]} = (1 + T0(x11))^{(0.012427)} * (1 + T1(x11))^{(0.006232)} * (1 + T2(x11))^{(-0.005342)} * (1 + T3(x11))^{(-0.018890)} * (1 + T4(x11))^{(0.019795)} * (1 + T5(x11))^{(-0.009850)} * (1 + T6(x11))^{(-0.001279)} * (1 + T7(x11))^{(-0.025155)} * (1 + T8(x11))^{(0.006220)} * (1 + T9(x11))^{(0.012345)} * (1 + T10(x11))^{(0.002748)} * (1 + T11(x11))^{(0.003339)} * (1 + T12(x11))^{(0.007956)} * (1 + T13(x11))^{(-0.004194)} * (1 + T14(x11))^{(0.000065)} - 1$$

$$\text{Psi}^1_{[1,2]} = (1 + T0(x12))^{(0.012427)} * (1 + T1(x12))^{(0.007685)} * (1 + T2(x12))^{(-0.002399)} * (1 + T3(x12))^{(-0.015182)} * (1 + T4(x12))^{(-0.013738)} * (1 + T5(x12))^{(0.005644)} * (1 + T6(x12))^{(0.022650)} * (1 + T7(x12))^{(0.023732)} * (1 + T8(x12))^{(-0.015915)} * (1 + T9(x12))^{(0.016974)} * (1 + T10(x12))^{(-0.012693)} * (1 + T11(x12))^{(0.008056)} * (1 + T12(x12))^{(0.006422)} * (1 + T13(x12))^{(-0.006817)} * (1 + T14(x12))^{(-0.002523)} - 1$$

$$\text{Psi}^1_{[2,1]} = (1 + T0(x21))^{(0.012427)} * (1 + T1(x21))^{(0.004891)} * (1 + T2(x21))^{(-0.017532)} * (1 + T3(x21))^{(-0.013120)} * (1 + T4(x21))^{(-0.029240)} * (1 + T5(x21))^{(0.002438)} * (1 + T6(x21))^{(0.002013)} * (1 + T7(x21))^{(-0.005511)} * (1 + T8(x21))^{(0.000225)} * (1 + T9(x21))^{(0.002539)} * (1 + T10(x21))^{(0.005863)} * (1 + T11(x21))^{(0.000247)} * (1 + T12(x21))^{(-0.004082)} * (1 + T13(x21))^{(-0.019349)} * (1 + T14(x21))^{(0.010916)} * (1 + T15(x21))^{(0.005463)} - 1$$

$$\text{Psi}^1_{[2,2]} = (1 + T0(x22))^{(0.012427)} * (1 + T1(x22))^{(0.007112)} * (1 + T2(x22))^{(-0.007924)} * (1 + T3(x22))^{(-0.024225)} * (1 + T4(x22))^{(-0.015338)} * (1 + T5(x22))^{(0.004410)} * (1 + T6(x22))^{(0.013629)} * (1 + T7(x22))^{(0.011747)} * (1 + T8(x22))^{(0.001472)} * (1 + T9(x22))^{(0.007433)} * (1 + T10(x22))^{(-0.008650)} * (1 + T11(x22))^{(-0.021526)} * (1 + T12(x22))^{(-0.017857)} * (1 + T13(x22))^{(-0.011187)} * (1 + T14(x22))^{(0.009541)} * (1 + T15(x22))^{(-0.008222)} - 1$$

$$\text{Psi}^1_{[3,1]} = (1 + T_0(x_{31}))^{(0.012427)} * (1 + T_1(x_{31}))^{(0.012626)} * (1 + T_2(x_{31}))^{(0.005766)} * (1 + T_3(x_{31}))^{(-0.010941)} * (1 + T_4(x_{31}))^{(-0.013121)} * (1 + T_5(x_{31}))^{(0.008918)} * (1 + T_6(x_{31}))^{(-0.018633)} * (1 + T_7(x_{31}))^{(-0.007453)} * (1 + T_8(x_{31}))^{(-0.013969)} * (1 + T_9(x_{31}))^{(-0.000974)} * (1 + T_{10}(x_{31}))^{(-0.005131)} * (1 + T_{11}(x_{31}))^{(-0.019708)} * (1 + T_{12}(x_{31}))^{(-0.001556)} * (1 + T_{13}(x_{31}))^{(-0.017258)} * (1 + T_{14}(x_{31}))^{(0.006861)} - 1$$

$$\text{Psi}^1_{[3,2]} = (1 + T_0(x_{32}))^{(0.012427)} * (1 + T_1(x_{32}))^{(0.010842)} * (1 + T_2(x_{32}))^{(0.011455)} * (1 + T_3(x_{32}))^{(-0.016186)} * (1 + T_4(x_{32}))^{(-0.028505)} * (1 + T_5(x_{32}))^{(-0.015901)} * (1 + T_6(x_{32}))^{(-0.006138)} * (1 + T_7(x_{32}))^{(-0.011658)} * (1 + T_8(x_{32}))^{(0.000467)} * (1 + T_9(x_{32}))^{(-0.004659)} * (1 + T_{10}(x_{32}))^{(0.000835)} * (1 + T_{11}(x_{32}))^{(0.000396)} * (1 + T_{12}(x_{32}))^{(-0.005785)} * (1 + T_{13}(x_{32}))^{(-0.022368)} * (1 + T_{14}(x_{32}))^{(-0.010886)} - 1$$

$$\text{Psi}^2_{[1,1]} = (1 + T_0(x_{11}))^{(0.012326)} * (1 + T_1(x_{11}))^{(0.007293)} * (1 + T_2(x_{11}))^{(-0.003867)} * (1 + T_3(x_{11}))^{(-0.015223)} * (1 + T_4(x_{11}))^{(0.011407)} * (1 + T_5(x_{11}))^{(-0.009232)} * (1 + T_6(x_{11}))^{(-0.001689)} * (1 + T_7(x_{11}))^{(-0.019732)} * (1 + T_8(x_{11}))^{(0.004808)} * (1 + T_9(x_{11}))^{(0.013794)} * (1 + T_{10}(x_{11}))^{(0.000090)} * (1 + T_{11}(x_{11}))^{(0.003507)} * (1 + T_{12}(x_{11}))^{(0.006471)} * (1 + T_{13}(x_{11}))^{(-0.001115)} * (1 + T_{14}(x_{11}))^{(0.002705)} - 1$$

$$\text{Psi}^2_{[1,2]} = (1 + T_0(x_{12}))^{(0.012326)} * (1 + T_1(x_{12}))^{(0.007411)} * (1 + T_2(x_{12}))^{(-0.000612)} * (1 + T_3(x_{12}))^{(-0.018283)} * (1 + T_4(x_{12}))^{(-0.012380)} * (1 + T_5(x_{12}))^{(0.005759)} * (1 + T_6(x_{12}))^{(0.025241)} * (1 + T_7(x_{12}))^{(0.023853)} * (1 + T_8(x_{12}))^{(-0.015697)} * (1 + T_9(x_{12}))^{(0.014066)} * (1 + T_{10}(x_{12}))^{(-0.015721)} * (1 + T_{11}(x_{12}))^{(0.006238)} * (1 + T_{12}(x_{12}))^{(0.003276)} * (1 + T_{13}(x_{12}))^{(-0.004993)} * (1 + T_{14}(x_{12}))^{(-0.003153)} - 1$$

$$\text{Psi}^2_{[2,1]} = (1 + T_0(x_{21}))^{(0.012326)} * (1 + T_1(x_{21}))^{(0.004726)} * (1 + T_2(x_{21}))^{(-0.014384)} * (1 + T_3(x_{21}))^{(-0.015428)} * (1 + T_4(x_{21}))^{(-0.027353)} * (1 + T_5(x_{21}))^{(0.003564)} * (1 + T_6(x_{21}))^{(0.002003)} * (1 + T_7(x_{21}))^{(-0.007981)} * (1 + T_8(x_{21}))^{(0.000874)} * (1 + T_9(x_{21}))^{(0.004804)} * (1 + T_{10}(x_{21}))^{(0.006833)} * (1 + T_{11}(x_{21}))^{(-0.002160)} * (1 + T_{12}(x_{21}))^{(-0.001725)} * (1 + T_{13}(x_{21}))^{(-0.022469)} * (1 + T_{14}(x_{21}))^{(0.007574)} * (1 + T_{15}(x_{21}))^{(0.005183)} - 1$$

$$\text{Psi}^2_{[2,2]} = (1 + T_0(x_{22}))^{(0.012326)} * (1 + T_1(x_{22}))^{(0.008175)} * (1 + T_2(x_{22}))^{(0.001165)} * (1 + T_3(x_{22}))^{(-0.029644)} * (1 + T_4(x_{22}))^{(-0.021231)} * (1 + T_5(x_{22}))^{(0.004078)} * (1 + T_6(x_{22}))^{(0.017198)} * (1 + T_7(x_{22}))^{(0.010281)} * (1 + T_8(x_{22}))^{(0.003701)} * (1 + T_9(x_{22}))^{(0.007412)} * (1 + T_{10}(x_{22}))^{(-0.011519)} * (1 + T_{11}(x_{22}))^{(-0.022596)} * (1 + T_{12}(x_{22}))^{(-0.020916)} * (1 + T_{13}(x_{22}))^{(-0.011862)} * (1 + T_{14}(x_{22}))^{(0.005670)} * (1 + T_{15}(x_{22}))^{(-0.002009)} - 1$$

$$\text{Psi}^2_{[3,1]} = (1 + T_0(x_{31}))^{(0.012326)} * (1 + T_1(x_{31}))^{(0.011797)} * (1 + T_2(x_{31}))^{(0.000451)} * (1 + T_3(x_{31}))^{(-0.007439)} * (1 + T_4(x_{31}))^{(-0.003876)} * (1 + T_5(x_{31}))^{(0.001993)} * (1 + T_6(x_{31}))^{(-0.016737)} * (1 + T_7(x_{31}))^{(-0.003694)} * (1 + T_8(x_{31}))^{(-0.018095)} * (1 + T_9(x_{31}))^{(-0.004479)} * (1 + T_{10}(x_{31}))^{(-0.003401)} * (1 + T_{11}(x_{31}))^{(-0.023399)} * (1 + T_{12}(x_{31}))^{(-0.004839)} * (1 + T_{13}(x_{31}))^{(-0.015790)} * (1 + T_{14}(x_{31}))^{(0.003735)} - 1$$

$$\text{Psi}^2_{[3,2]} = (1 + T_0(x_{32}))^{(0.012326)} * (1 + T_1(x_{32}))^{(0.010294)} * (1 + T_2(x_{32}))^{(0.007464)} * (1 + T_3(x_{32}))^{(-0.014327)} * (1 + T_4(x_{32}))^{(-0.025506)} * (1 + T_5(x_{32}))^{(-0.014500)} * (1 + T_6(x_{32}))^{(0.001657)} * (1 + T_7(x_{32}))^{(-0.013129)} * (1 + T_8(x_{32}))^{(0.002637)} * (1 + T_9(x_{32}))^{(0.000954)} * (1 + T_{10}(x_{32}))^{(-0.001650)} * (1 + T_{11}(x_{32}))^{(-0.004736)} * (1 + T_{12}(x_{32}))^{(-0.008483)} * (1 + T_{13}(x_{32}))^{(-0.022060)} * (1 + T_{14}(x_{32}))^{(-0.008607)} - 1$$

$$\text{Phi}^1_{[1]} = (1 + T_0(x_{11}))^{(0.039013)} * (1 + T_1(x_{11}))^{(0.019564)} * (1 + T_2(x_{11}))^{(-0.016771)} * (1 + T_3(x_{11}))^{(-0.059302)} * (1 + T_4(x_{11}))^{(0.062141)} * (1 + T_5(x_{11}))^{(-0.030922)} * (1 + T_6(x_{11}))^{(-0.004016)} * (1 + T_7(x_{11}))^{(-0.078969)} * (1 + T_8(x_{11}))^{(0.019528)} * (1 + T_9(x_{11}))^{(0.038755)} * (1 + T_{10}(x_{11}))^{(0.008626)} * (1 + T_{11}(x_{11}))^{(0.010482)} * (1 + T_{12}(x_{11}))^{(0.024976)} * (1 + T_{13}(x_{11}))^{(-0.013168)} * (1 + T_{14}(x_{11}))^{(0.000205)} * (1 + T_0(x_{12}))^{(0.026334)} * (1 + T_1(x_{12}))^{(0.016286)} * (1 + T_2(x_{12}))^{(-0.005083)} * (1 + T_3(x_{12}))^{(-0.032172)} * (1 + T_4(x_{12}))^{(-0.029111)} * (1 + T_5(x_{12}))^{(0.011961)} * (1 + T_6(x_{12}))^{(0.047996)} * (1 + T_7(x_{12}))^{(0.050288)} * (1 + T_8(x_{12}))^{(-0.033725)} * (1 + T_9(x_{12}))^{(0.035968)} * (1 + T_{10}(x_{12}))^{(-0.026898)} * (1 + T_{11}(x_{12}))^{(0.017070)} * (1 + T_{12}(x_{12}))^{(0.013608)} * (1 + T_{13}(x_{12}))^{(-0.014446)} * (1 + T_{14}(x_{12}))^{(-0.005346)} - 1$$

$$\text{Phi}^1_{[2]} = (1 + T_0(x_{21}))^{(0.023399)} * (1 + T_1(x_{21}))^{(0.009210)} * (1 + T_2(x_{21}))^{(-0.033011)} * (1 + T_3(x_{21}))^{(-0.024704)} * (1 + T_4(x_{21}))^{(-0.055055)} * (1 + T_5(x_{21}))^{(0.004590)} * (1 + T_6(x_{21}))^{(0.003790)} * (1 + T_7(x_{21}))^{(-0.010377)} * (1 + T_8(x_{21}))^{(0.000423)} * (1 + T_9(x_{21}))^{(0.004780)} * (1 + T_{10}(x_{21}))^{(0.011039)} * (1 + T_{11}(x_{21}))^{(0.000465)} * (1 + T_{12}(x_{21}))^{(-0.007687)} * (1 + T_{13}(x_{21}))^{(-0.036433)} * (1 + T_{14}(x_{21}))^{(0.020553)} * (1 + T_{15}(x_{21}))^{(0.010287)} * (1 + T_0(x_{22}))^{(0.027233)} * (1 + T_1(x_{22}))^{(0.015586)} * (1 + T_2(x_{22}))^{(-0.017364)} * (1 + T_3(x_{22}))^{(-0.053087)} * (1 + T_4(x_{22}))^{(-0.033611)} * (1 + T_5(x_{22}))^{(0.009663)} * (1 + T_6(x_{22}))^{(0.029866)} * (1 + T_7(x_{22}))^{(0.025743)} * (1 + T_8(x_{22}))^{(0.003226)} * (1 + T_9(x_{22}))^{(0.016288)} * (1 + T_{10}(x_{22}))^{(-0.018956)} * (1 + T_{11}(x_{22}))^{(-0.047173)} * (1 + T_{12}(x_{22}))^{(-0.039133)} * (1 + T_{13}(x_{22}))^{(-0.024516)} * (1 + T_{14}(x_{22}))^{(0.020908)} * (1 + T_{15}(x_{22}))^{(-0.018018)} - 1$$

$$\text{Phi}^1_{[3]} = (1 + T_0(x_{31}))^{(0.020027)} * (1 + T_1(x_{31}))^{(0.020348)} * (1 + T_2(x_{31}))^{(0.009292)} * (1 + T_3(x_{31}))^{(-0.017632)} * (1 + T_4(x_{31}))^{(-0.021146)} * (1 + T_5(x_{31}))^{(0.014371)} * (1 + T_6(x_{31}))^{(-0.030028)} * (1 + T_7(x_{31}))^{(-0.017632)}$$

$$0.012011) * (1 + T8(x31))^{(-0.022512)} * (1 + T9(x31))^{(-0.001570)} * (1 + T10(x31))^{(-0.008270)} * (1 + T11(x31))^{(-0.031760)} * (1 + T12(x31))^{(-0.002507)} * (1 + T13(x31))^{(-0.027812)} * (1 + T14(x31))^{(0.011057)} * (1 + T0(x32))^{(0.028742)} * (1 + T1(x32))^{(0.025076)} * (1 + T2(x32))^{(0.026494)} * (1 + T3(x32))^{(-0.037435)} * (1 + T4(x32))^{(-0.065926)} * (1 + T5(x32))^{(-0.036776)} * (1 + T6(x32))^{(-0.014197)} * (1 + T7(x32))^{(-0.026964)} * (1 + T8(x32))^{(0.001080)} * (1 + T9(x32))^{(-0.010776)} * (1 + T10(x32))^{(0.001932)} * (1 + T11(x32))^{(0.000916)} * (1 + T12(x32))^{(-0.013379)} * (1 + T13(x32))^{(-0.051734)} * (1 + T14(x32))^{(-0.025177)} - 1$$

$$\text{Phi}^2_{[1]} = (1 + T0(x11))^{(0.043160)} * (1 + T1(x11))^{(0.025537)} * (1 + T2(x11))^{(-0.013541)} * (1 + T3(x11))^{(-0.053303)} * (1 + T4(x11))^{(0.039939)} * (1 + T5(x11))^{(-0.032325)} * (1 + T6(x11))^{(-0.005913)} * (1 + T7(x11))^{(-0.069091)} * (1 + T8(x11))^{(0.016834)} * (1 + T9(x11))^{(0.048298)} * (1 + T10(x11))^{(0.000316)} * (1 + T11(x11))^{(0.012280)} * (1 + T12(x11))^{(0.022658)} * (1 + T13(x11))^{(-0.003904)} * (1 + T14(x11))^{(0.009472)} * (1 + T0(x12))^{(0.027566)} * (1 + T1(x12))^{(0.016572)} * (1 + T2(x12))^{(-0.001369)} * (1 + T3(x12))^{(-0.040885)} * (1 + T4(x12))^{(-0.027687)} * (1 + T5(x12))^{(0.012879)} * (1 + T6(x12))^{(0.056446)} * (1 + T7(x12))^{(0.053342)} * (1 + T8(x12))^{(-0.035104)} * (1 + T9(x12))^{(0.031456)} * (1 + T10(x12))^{(-0.035158)} * (1 + T11(x12))^{(0.013949)} * (1 + T12(x12))^{(0.007325)} * (1 + T13(x12))^{(-0.011166)} * (1 + T14(x12))^{(-0.007051)} - 1$$

$$\text{Phi}^2_{[2]} = (1 + T0(x21))^{(0.028007)} * (1 + T1(x21))^{(0.010737)} * (1 + T2(x21))^{(-0.032683)} * (1 + T3(x21))^{(-0.035055)} * (1 + T4(x21))^{(-0.062149)} * (1 + T5(x21))^{(0.008099)} * (1 + T6(x21))^{(0.004550)} * (1 + T7(x21))^{(-0.018134)} * (1 + T8(x21))^{(0.001986)} * (1 + T9(x21))^{(0.010915)} * (1 + T10(x21))^{(0.015526)} * (1 + T11(x21))^{(-0.004908)} * (1 + T12(x21))^{(-0.003918)} * (1 + T13(x21))^{(-0.051053)} * (1 + T14(x21))^{(0.017209)} * (1 + T15(x21))^{(0.011776)} * (1 + T0(x22))^{(0.020232)} * (1 + T1(x22))^{(0.013417)} * (1 + T2(x22))^{(0.001912)} * (1 + T3(x22))^{(-0.048655)} * (1 + T4(x22))^{(-0.034848)} * (1 + T5(x22))^{(0.006693)} * (1 + T6(x22))^{(0.028227)} * (1 + T7(x22))^{(0.016875)} * (1 + T8(x22))^{(0.006075)} * (1 + T9(x22))^{(0.012166)} * (1 + T10(x22))^{(-0.018906)} * (1 + T11(x22))^{(-0.037087)} * (1 + T12(x22))^{(-0.034331)} * (1 + T13(x22))^{(-0.019470)} * (1 + T14(x22))^{(0.009307)} * (1 + T15(x22))^{(-0.003297)} - 1$$

$$\text{Phi}^2_{[3]} = (1 + T0(x31))^{(0.018662)} * (1 + T1(x31))^{(0.017861)} * (1 + T2(x31))^{(0.000682)} * (1 + T3(x31))^{(-0.011262)} * (1 + T4(x31))^{(-0.005868)} * (1 + T5(x31))^{(0.003018)} * (1 + T6(x31))^{(-0.025339)} * (1 + T7(x31))^{(-0.005593)} * (1 + T8(x31))^{(-0.027397)} * (1 + T9(x31))^{(-0.006782)} * (1 + T10(x31))^{(-0.005149)} * (1 + T11(x31))^{(-0.035426)} * (1 + T12(x31))^{(-0.007326)} * (1 + T13(x31))^{(-0.023906)} * (1 + T14(x31))^{(0.005655)} * (1 + T0(x32))^{(0.029359)} * (1 + T1(x32))^{(0.024520)} * (1 + T2(x32))^{(0.017777)} * (1 + T3(x32))^{(-0.034125)} * (1 + T4(x32))^{(-0.060752)} * (1 + T5(x32))^{(-0.034536)} * (1 + T6(x32))^{(0.003948)} * (1 + T7(x32))^{(-0.031271)} * (1 + T8(x32))^{(0.006282)} * (1 + T9(x32))^{(0.002271)} * (1 + T10(x32))^{(-0.003929)} * (1 + T11(x32))^{(-0.011281)} * (1 + T12(x32))^{(-0.020206)} * (1 + T13(x32))^{(-0.052542)} * (1 + T14(x32))^{(-0.020500)} - 1$$

F^1 в особом базисе:

$$(1 + T0(x11))^{(0.015424)} * (1 + T1(x11))^{(0.007735)} * (1 + T2(x11))^{(-0.006631)} * (1 + T3(x11))^{(-0.023445)} * (1 + T4(x11))^{(0.024568)} * (1 + T5(x11))^{(-0.012225)} * (1 + T6(x11))^{(-0.001588)} * (1 + T7(x11))^{(-0.031221)} * (1 + T8(x11))^{(0.007720)} * (1 + T9(x11))^{(0.015322)} * (1 + T10(x11))^{(0.003410)} * (1 + T11(x11))^{(0.004144)} * (1 + T12(x11))^{(0.009875)} * (1 + T13(x11))^{(-0.005206)} * (1 + T14(x11))^{(0.000081)} * (1 + T0(x12))^{(0.010411)} * (1 + T1(x12))^{(0.006439)} * (1 + T2(x12))^{(-0.002009)} * (1 + T3(x12))^{(-0.012720)} * (1 + T4(x12))^{(-0.011509)} * (1 + T5(x12))^{(0.004729)} * (1 + T6(x12))^{(0.018976)} * (1 + T7(x12))^{(0.019882)} * (1 + T8(x12))^{(-0.013334)} * (1 + T9(x12))^{(0.014220)} * (1 + T10(x12))^{(-0.010634)} * (1 + T11(x12))^{(0.006749)} * (1 + T12(x12))^{(0.005380)} * (1 + T13(x12))^{(-0.005711)} * (1 + T14(x12))^{(-0.002113)} * (1 + T0(x21))^{(0.011557)} * (1 + T1(x21))^{(0.004549)} * (1 + T2(x21))^{(-0.016304)} * (1 + T3(x21))^{(-0.012201)} * (1 + T4(x21))^{(-0.027191)} * (1 + T5(x21))^{(0.002267)} * (1 + T6(x21))^{(0.001872)} * (1 + T7(x21))^{(-0.005125)} * (1 + T8(x21))^{(0.000209)} * (1 + T9(x21))^{(0.002361)} * (1 + T10(x21))^{(0.005452)} * (1 + T11(x21))^{(0.000230)} * (1 + T12(x21))^{(-0.003796)} * (1 + T13(x21))^{(-0.017994)} * (1 + T14(x21))^{(0.010151)} * (1 + T15(x21))^{(0.005080)} * (1 + T0(x22))^{(0.013450)} * (1 + T1(x22))^{(0.007698)} * (1 + T2(x22))^{(-0.008576)} * (1 + T3(x22))^{(-0.026219)} * (1 + T4(x22))^{(-0.016600)} * (1 + T5(x22))^{(0.004772)} * (1 + T6(x22))^{(0.014750)} * (1 + T7(x22))^{(0.012714)} * (1 + T8(x22))^{(0.001593)} * (1 + T9(x22))^{(0.008044)} * (1 + T10(x22))^{(-0.009362)} * (1 + T11(x22))^{(-0.023298)} * (1 + T12(x22))^{(-0.019327)} * (1 + T13(x22))^{(-0.012108)} * (1 + T14(x22))^{(0.010326)} * (1 + T15(x22))^{(-0.008899)} * (1 + T0(x31))^{(0.009672)} * (1 + T1(x31))^{(0.009827)} * (1 + T2(x31))^{(0.004487)} * (1 + T3(x31))^{(-0.008515)} * (1 + T4(x31))^{(-0.010212)} * (1 + T5(x31))^{(0.006940)} * (1 + T6(x31))^{(-0.014502)} * (1 + T7(x31))^{(-0.005801)} * (1 + T8(x31))^{(-0.010872)} * (1 + T9(x31))^{(-0.000758)} * (1 + T10(x31))^{(-0.003994)} * (1 + T11(x31))^{(-0.015338)} * (1 + T12(x31))^{(-0.001211)} * (1 + T13(x31))^{(-0.013431)} * (1 + T14(x31))^{(0.005340)} * (1 + T0(x32))^{(0.013881)} * (1 + T1(x32))^{(0.012110)} * (1 + T2(x32))^{(0.012795)} * (1 + T3(x32))^{(-0.018079)} * (1 + T4(x32))^{(-0.031838)} * (1 + T5(x32))^{(-0.017760)} * (1 + T6(x32))^{(-0.006856)} * (1 + T7(x32))^{(-0.013022)} * (1 + T8(x32))^{(0.000522)} * (1 + T9(x32))^{(-0.005204)} * (1 + T10(x32))^{(0.000933)} * (1 + T11(x32))^{(0.000442)} * (1 + T12(x32))^{(-0.006461)} * (1 + T13(x32))^{(-0.024984)} * (1 + T14(x32))^{(-0.012159)} - 1$$

F^2 в особом базисе:



$$\begin{aligned}
& (1 + T_0(x_{11}))^{(0.016128)} * (1 + T_1(x_{11}))^{(0.009543)} * (1 + T_2(x_{11}))^{(-0.005060)} * (1 + T_3(x_{11}))^{(-0.019919)} * (1 \\
& + T_4(x_{11}))^{(0.014925)} * (1 + T_5(x_{11}))^{(-0.012079)} * (1 + T_6(x_{11}))^{(-0.002210)} * (1 + T_7(x_{11}))^{(-0.025818)} * (1 \\
& + T_8(x_{11}))^{(0.006290)} * (1 + T_9(x_{11}))^{(0.018048)} * (1 + T_{10}(x_{11}))^{(0.000118)} * (1 + T_{11}(x_{11}))^{(0.004589)} * (1 \\
& + T_{12}(x_{11}))^{(0.008467)} * (1 + T_{13}(x_{11}))^{(-0.001459)} * (1 + T_{14}(x_{11}))^{(0.003539)} * (1 + T_0(x_{12}))^{(0.010301)} * (1 \\
& + T_1(x_{12}))^{(0.006193)} * (1 + T_2(x_{12}))^{(-0.000511)} * (1 + T_3(x_{12}))^{(-0.015278)} * (1 + T_4(x_{12}))^{(-0.010346)} * (1 \\
& + T_5(x_{12}))^{(0.004813)} * (1 + T_6(x_{12}))^{(0.021093)} * (1 + T_7(x_{12}))^{(0.019933)} * (1 + T_8(x_{12}))^{(-0.013118)} * (1 + \\
& T_9(x_{12}))^{(0.011755)} * (1 + T_{10}(x_{12}))^{(-0.013138)} * (1 + T_{11}(x_{12}))^{(0.005213)} * (1 + T_{12}(x_{12}))^{(0.002737)} * (1 \\
& + T_{13}(x_{12}))^{(-0.004172)} * (1 + T_{14}(x_{12}))^{(-0.002635)} * (1 + T_0(x_{21}))^{(0.015363)} * (1 + T_1(x_{21}))^{(0.005890)} * (1 \\
& + T_2(x_{21}))^{(-0.017927)} * (1 + T_3(x_{21}))^{(-0.019228)} * (1 + T_4(x_{21}))^{(-0.034090)} * (1 + T_5(x_{21}))^{(0.004442)} * (1 \\
& + T_6(x_{21}))^{(0.002496)} * (1 + T_7(x_{21}))^{(-0.009947)} * (1 + T_8(x_{21}))^{(0.001089)} * (1 + T_9(x_{21}))^{(0.005987)} * (1 + \\
& T_{10}(x_{21}))^{(0.008516)} * (1 + T_{11}(x_{21}))^{(-0.002692)} * (1 + T_{12}(x_{21}))^{(-0.002149)} * (1 + T_{13}(x_{21}))^{(-0.028004)} * \\
& (1 + T_{14}(x_{21}))^{(0.009440)} * (1 + T_{15}(x_{21}))^{(0.006459)} * (1 + T_0(x_{22}))^{(0.011098)} * (1 + T_1(x_{22}))^{(0.007360)} * \\
& (1 + T_2(x_{22}))^{(0.001049)} * (1 + T_3(x_{22}))^{(-0.026688)} * (1 + T_4(x_{22}))^{(-0.019115)} * (1 + T_5(x_{22}))^{(0.003671)} * (1 \\
& + T_6(x_{22}))^{(0.015483)} * (1 + T_7(x_{22}))^{(0.009256)} * (1 + T_8(x_{22}))^{(0.003332)} * (1 + T_9(x_{22}))^{(0.006673)} * (1 + \\
& T_{10}(x_{22}))^{(-0.010370)} * (1 + T_{11}(x_{22}))^{(-0.020343)} * (1 + T_{12}(x_{22}))^{(-0.018831)} * (1 + T_{13}(x_{22}))^{(-0.010679)} * \\
& (1 + T_{14}(x_{22}))^{(0.005105)} * (1 + T_{15}(x_{22}))^{(-0.001809)} * (1 + T_0(x_{31}))^{(0.009102)} * (1 + T_1(x_{31}))^{(0.008711)} * \\
& (1 + T_2(x_{31}))^{(0.000333)} * (1 + T_3(x_{31}))^{(-0.005493)} * (1 + T_4(x_{31}))^{(-0.002862)} * (1 + T_5(x_{31}))^{(0.001472)} * (1 \\
& + T_6(x_{31}))^{(-0.012359)} * (1 + T_7(x_{31}))^{(-0.002728)} * (1 + T_8(x_{31}))^{(-0.013362)} * (1 + T_9(x_{31}))^{(-0.003308)} * (1 \\
& + T_{10}(x_{31}))^{(-0.002511)} * (1 + T_{11}(x_{31}))^{(-0.017279)} * (1 + T_{12}(x_{31}))^{(-0.003573)} * (1 + T_{13}(x_{31}))^{(-0.011660)} \\
& * (1 + T_{14}(x_{31}))^{(0.002758)} * (1 + T_0(x_{32}))^{(0.014320)} * (1 + T_1(x_{32}))^{(0.011959)} * (1 + T_2(x_{32}))^{(0.008671)} * \\
& (1 + T_3(x_{32}))^{(-0.016644)} * (1 + T_4(x_{32}))^{(-0.029631)} * (1 + T_5(x_{32}))^{(-0.016844)} * (1 + T_6(x_{32}))^{(0.001925)} * \\
& (1 + T_7(x_{32}))^{(-0.015252)} * (1 + T_8(x_{32}))^{(0.003064)} * (1 + T_9(x_{32}))^{(0.001108)} * (1 + T_{10}(x_{32}))^{(-0.001916)} * \\
& (1 + T_{11}(x_{32}))^{(-0.005502)} * (1 + T_{12}(x_{32}))^{(-0.009855)} * (1 + T_{13}(x_{32}))^{(-0.025627)} * (1 + T_{14}(x_{32}))^{(- \\
& 0.009999)} - 1
\end{aligned}$$

F<sup>1</sup> в обычном базисе:

$$\begin{aligned}
& 1.0306239938 * (1.0 + 1.0(x_{11})^1)^{(0.007735)} * (0.5 + 2.0(x_{11})^2)^{(-0.006631)} * (1.0 + -2.0(x_{11})^1 + \\
& 4.0(x_{11})^3)^{(-0.023445)} * (1.5 + -6.0(x_{11})^2 + 8.0(x_{11})^4)^{(0.024568)} * (1.0 + 3.0(x_{11})^1 + -16.0(x_{11})^3 + \\
& 16.0(x_{11})^5)^{(-0.012225)} * (0.5 + 12.0(x_{11})^2 + -40.0(x_{11})^4 + 32.0(x_{11})^6)^{(-0.001588)} * (1.0 + -4.0(x_{11})^1 + \\
& 40.0(x_{11})^3 + -96.0(x_{11})^5 + 64.0(x_{11})^7)^{(-0.031221)} * (1.5 + -20.0(x_{11})^2 + 120.0(x_{11})^4 + -224.0(x_{11})^6 + \\
& 128.0(x_{11})^8)^{(0.007720)} * (1.0 + 5.0(x_{11})^1 + -80.0(x_{11})^3 + 336.0(x_{11})^5 + -512.0(x_{11})^7 + \\
& 256.0(x_{11})^9)^{(0.015322)} * (0.5 + 30.0(x_{11})^2 + -280.0(x_{11})^4 + 896.0(x_{11})^6 + -1152.0(x_{11})^8 + \\
& 512.0(x_{11})^{10})^{(0.003410)} * (1.0 + -6.0(x_{11})^1 + 140.0(x_{11})^3 + -896.0(x_{11})^5 + 2304.0(x_{11})^7 + -2560.0(x_{11})^9 \\
& + 1024.0(x_{11})^{11})^{(0.004144)} * (1.5 + -42.0(x_{11})^2 + 560.0(x_{11})^4 + -2688.0(x_{11})^6 + 5760.0(x_{11})^8 + - \\
& 5632.0(x_{11})^{10} + 2048.0(x_{11})^{12})^{(0.009875)} * (1.0 + 7.0(x_{11})^1 + -224.0(x_{11})^3 + 2016.0(x_{11})^5 + - \\
& 7680.0(x_{11})^7 + 14080.0(x_{11})^9 + -12288.0(x_{11})^{11} + 4096.0(x_{11})^{13})^{(-0.005206)} * (0.5 + 56.0(x_{11})^2 + - \\
& 1008.0(x_{11})^4 + 6720.0(x_{11})^6 + -21120.0(x_{11})^8 + 33792.0(x_{11})^{10} + -26624.0(x_{11})^{12} + \\
& 8192.0(x_{11})^{14})^{(0.000081)} * (1.0 + 1.0(x_{12})^1)^{(0.006439)} * (0.5 + 2.0(x_{12})^2)^{(-0.002009)} * (1.0 + -2.0(x_{12})^1 + \\
& 4.0(x_{12})^3)^{(-0.012720)} * (1.5 + -6.0(x_{12})^2 + 8.0(x_{12})^4)^{(-0.011509)} * (1.0 + 3.0(x_{12})^1 + -16.0(x_{12})^3 + \\
& 16.0(x_{12})^5)^{(0.004729)} * (0.5 + 12.0(x_{12})^2 + -40.0(x_{12})^4 + 32.0(x_{12})^6)^{(0.018976)} * (1.0 + -4.0(x_{12})^1 + \\
& 40.0(x_{12})^3 + -96.0(x_{12})^5 + 64.0(x_{12})^7)^{(0.019882)} * (1.5 + -20.0(x_{12})^2 + 120.0(x_{12})^4 + -224.0(x_{12})^6 + \\
& 128.0(x_{12})^8)^{(-0.013334)} * (1.0 + 5.0(x_{12})^1 + -80.0(x_{12})^3 + 336.0(x_{12})^5 + -512.0(x_{12})^7 + \\
& 256.0(x_{12})^9)^{(0.014220)} * (0.5 + 30.0(x_{12})^2 + -280.0(x_{12})^4 + 896.0(x_{12})^6 + -1152.0(x_{12})^8 + \\
& 512.0(x_{12})^{10})^{(-0.010634)} * (1.0 + -6.0(x_{12})^1 + 140.0(x_{12})^3 + -896.0(x_{12})^5 + 2304.0(x_{12})^7 + -2560.0(x_{12})^9 \\
& + 1024.0(x_{12})^{11})^{(0.006749)} * (1.5 + -42.0(x_{12})^2 + 560.0(x_{12})^4 + -2688.0(x_{12})^6 + 5760.0(x_{12})^8 + - \\
& 5632.0(x_{12})^{10} + 2048.0(x_{12})^{12})^{(0.005380)} * (1.0 + 7.0(x_{12})^1 + -224.0(x_{12})^3 + 2016.0(x_{12})^5 + - \\
& 7680.0(x_{12})^7 + 14080.0(x_{12})^9 + -12288.0(x_{12})^{11} + 4096.0(x_{12})^{13})^{(-0.005711)} * (0.5 + 56.0(x_{12})^2 + - \\
& 1008.0(x_{12})^4 + 6720.0(x_{12})^6 + -21120.0(x_{12})^8 + 33792.0(x_{12})^{10} + -26624.0(x_{12})^{12} + 8192.0(x_{12})^{14})^{(- \\
& 0.002113)} * (1.0 + 1.0(x_{21})^1)^{(0.004549)} * (0.5 + 2.0(x_{21})^2)^{(-0.016304)} * (1.0 + -2.0(x_{21})^1 + 4.0(x_{21})^3)^{(- \\
& 0.012201)} * (1.5 + -6.0(x_{21})^2 + 8.0(x_{21})^4)^{(-0.027191)} * (1.0 + 3.0(x_{21})^1 + -16.0(x_{21})^3 + \\
& 16.0(x_{21})^5)^{(0.002267)} * (0.5 + 12.0(x_{21})^2 + -40.0(x_{21})^4 + 32.0(x_{21})^6)^{(0.001872)} * (1.0 + -4.0(x_{21})^1 + \\
& 40.0(x_{21})^3 + -96.0(x_{21})^5 + 64.0(x_{21})^7)^{(-0.005125)} * (1.5 + -20.0(x_{21})^2 + 120.0(x_{21})^4 + -224.0(x_{21})^6 + \\
& 128.0(x_{21})^8)^{(0.000209)} * (1.0 + 5.0(x_{21})^1 + -80.0(x_{21})^3 + 336.0(x_{21})^5 + -512.0(x_{21})^7 + \\
& 256.0(x_{21})^9)^{(0.002361)} * (0.5 + 30.0(x_{21})^2 + -280.0(x_{21})^4 + 896.0(x_{21})^6 + -1152.0(x_{21})^8 + \\
& 512.0(x_{21})^{10})^{(0.005452)} * (1.0 + -6.0(x_{21})^1 + 140.0(x_{21})^3 + -896.0(x_{21})^5 + 2304.0(x_{21})^7 + -2560.0(x_{21})^9 \\
& + 1024.0(x_{21})^{11})^{(0.000230)} * (1.5 + -42.0(x_{21})^2 + 560.0(x_{21})^4 + -2688.0(x_{21})^6 + 5760.0(x_{21})^8 + - \\
& 5632.0(x_{21})^{10} + 2048.0(x_{21})^{12})^{(-0.003796)} * (1.0 + 7.0(x_{21})^1 + -224.0(x_{21})^3 + 2016.0(x_{21})^5 + - \\
& 7680.0(x_{21})^7 + 14080.0(x_{21})^9 + -12288.0(x_{21})^{11} + 4096.0(x_{21})^{13})^{(-0.017994)} * (0.5 + 56.0(x_{21})^2 + - \\
& 1008.0(x_{21})^4 + 6720.0(x_{21})^6 + -21120.0(x_{21})^8 + 33792.0(x_{21})^{10} + -26624.0(x_{21})^{12} + \\
& 8192.0(x_{21})^{14})^{(0.010151)} * (1.0 + -8.0(x_{21})^1 + 336.0(x_{21})^3 + -4032.0(x_{21})^5 + 21120.0(x_{21})^7 + - \\
& 56320.0(x_{21})^9 + 79872.0(x_{21})^{11} + -57344.0(x_{21})^{13} + 16384.0(x_{21})^{15})^{(0.005080)} * (1.0 + \\
& 1.0(x_{22})^1)^{(0.007698)} * (0.5 + 2.0(x_{22})^2)^{(-0.008576)} * (1.0 + -2.0(x_{22})^1 + 4.0(x_{22})^3)^{(-0.026219)} * (1.5 + - \\
& 6.0(x_{22})^2 + 8.0(x_{22})^4)^{(-0.016600)} * (1.0 + 3.0(x_{22})^1 + -16.0(x_{22})^3 + 16.0(x_{22})^5)^{(0.004772)} * (0.5 +
\end{aligned}$$



$$\begin{aligned}
& 12.0(x22)^2 + -40.0(x22)^4 + 32.0(x22)^6 \wedge (0.014750) * (1.0 + -4.0(x22)^1 + 40.0(x22)^3 + -96.0(x22)^5 + \\
& 64.0(x22)^7) \wedge (0.012714) * (1.5 + -20.0(x22)^2 + 120.0(x22)^4 + -224.0(x22)^6 + 128.0(x22)^8) \wedge (0.001593) * (1.0 \\
& + 5.0(x22)^1 + -80.0(x22)^3 + 336.0(x22)^5 + -512.0(x22)^7 + 256.0(x22)^9) \wedge (0.008044) * (0.5 + 30.0(x22)^2 + - \\
& 280.0(x22)^4 + 896.0(x22)^6 + -1152.0(x22)^8 + 512.0(x22)^10) \wedge (-0.009362) * (1.0 + -6.0(x22)^1 + 140.0(x22)^3 \\
& + -896.0(x22)^5 + 2304.0(x22)^7 + -2560.0(x22)^9 + 1024.0(x22)^11) \wedge (-0.023298) * (1.5 + -42.0(x22)^2 + \\
& 560.0(x22)^4 + -2688.0(x22)^6 + 5760.0(x22)^8 + -5632.0(x22)^10 + 2048.0(x22)^12) \wedge (-0.019327) * (1.0 + \\
& 7.0(x22)^1 + -224.0(x22)^3 + 2016.0(x22)^5 + -7680.0(x22)^7 + 14080.0(x22)^9 + -12288.0(x22)^11 + \\
& 4096.0(x22)^13) \wedge (-0.012108) * (0.5 + 56.0(x22)^2 + -1008.0(x22)^4 + 6720.0(x22)^6 + -21120.0(x22)^8 + \\
& 33792.0(x22)^10 + -26624.0(x22)^12 + 8192.0(x22)^14) \wedge (0.010326) * (1.0 + -8.0(x22)^1 + 336.0(x22)^3 + - \\
& 4032.0(x22)^5 + 21120.0(x22)^7 + -56320.0(x22)^9 + 79872.0(x22)^11 + -57344.0(x22)^13 + 16384.0(x22)^15) \wedge (- \\
& 0.008899) * (1.0 + 1.0(x31)^1) \wedge (0.009827) * (0.5 + 2.0(x31)^2) \wedge (0.004487) * (1.0 + -2.0(x31)^1 + 4.0(x31)^3) \wedge (- \\
& 0.008515) * (1.5 + -6.0(x31)^2 + 8.0(x31)^4) \wedge (-0.010212) * (1.0 + 3.0(x31)^1 + -16.0(x31)^3 + \\
& 16.0(x31)^5) \wedge (0.006940) * (0.5 + 12.0(x31)^2 + -40.0(x31)^4 + 32.0(x31)^6) \wedge (-0.014502) * (1.0 + -4.0(x31)^1 + \\
& 40.0(x31)^3 + -96.0(x31)^5 + 64.0(x31)^7) \wedge (-0.005801) * (1.5 + -20.0(x31)^2 + 120.0(x31)^4 + -224.0(x31)^6 + \\
& 128.0(x31)^8) \wedge (-0.010872) * (1.0 + 5.0(x31)^1 + -80.0(x31)^3 + 336.0(x31)^5 + -512.0(x31)^7 + 256.0(x31)^9) \wedge (- \\
& 0.000758) * (0.5 + 30.0(x31)^2 + -280.0(x31)^4 + 896.0(x31)^6 + -1152.0(x31)^8 + 512.0(x31)^10) \wedge (-0.003994) * \\
& (1.0 + -6.0(x31)^1 + 140.0(x31)^3 + -896.0(x31)^5 + 2304.0(x31)^7 + -2560.0(x31)^9 + 1024.0(x31)^11) \wedge (- \\
& 0.015338) * (1.5 + -42.0(x31)^2 + 560.0(x31)^4 + -2688.0(x31)^6 + 5760.0(x31)^8 + -5632.0(x31)^10 + \\
& 2048.0(x31)^12) \wedge (-0.001211) * (1.0 + 7.0(x31)^1 + -224.0(x31)^3 + 2016.0(x31)^5 + -7680.0(x31)^7 + \\
& 14080.0(x31)^9 + -12288.0(x31)^11 + 4096.0(x31)^13) \wedge (-0.013431) * (0.5 + 56.0(x31)^2 + -1008.0(x31)^4 + \\
& 6720.0(x31)^6 + -21120.0(x31)^8 + 33792.0(x31)^10 + -26624.0(x31)^12 + 8192.0(x31)^14) \wedge (0.005340) * (1.0 + \\
& 1.0(x32)^1) \wedge (0.012110) * (0.5 + 2.0(x32)^2) \wedge (0.012795) * (1.0 + -2.0(x32)^1 + 4.0(x32)^3) \wedge (-0.018079) * (1.5 + - \\
& 6.0(x32)^2 + 8.0(x32)^4) \wedge (-0.031838) * (1.0 + 3.0(x32)^1 + -16.0(x32)^3 + 16.0(x32)^5) \wedge (-0.017760) * (0.5 + \\
& 12.0(x32)^2 + -40.0(x32)^4 + 32.0(x32)^6) \wedge (-0.006856) * (1.0 + -4.0(x32)^1 + 40.0(x32)^3 + -96.0(x32)^5 + \\
& 64.0(x32)^7) \wedge (-0.013022) * (1.5 + -20.0(x32)^2 + 120.0(x32)^4 + -224.0(x32)^6 + 128.0(x32)^8) \wedge (0.000522) * (1.0 \\
& + 5.0(x32)^1 + -80.0(x32)^3 + 336.0(x32)^5 + -512.0(x32)^7 + 256.0(x32)^9) \wedge (-0.005204) * (0.5 + 30.0(x32)^2 + - \\
& 280.0(x32)^4 + 896.0(x32)^6 + -1152.0(x32)^8 + 512.0(x32)^10) \wedge (0.000933) * (1.0 + -6.0(x32)^1 + 140.0(x32)^3 + \\
& -896.0(x32)^5 + 2304.0(x32)^7 + -2560.0(x32)^9 + 1024.0(x32)^11) \wedge (0.000442) * (1.5 + -42.0(x32)^2 + \\
& 560.0(x32)^4 + -2688.0(x32)^6 + 5760.0(x32)^8 + -5632.0(x32)^10 + 2048.0(x32)^12) \wedge (-0.006461) * (1.0 + \\
& 7.0(x32)^1 + -224.0(x32)^3 + 2016.0(x32)^5 + -7680.0(x32)^7 + 14080.0(x32)^9 + -12288.0(x32)^11 + \\
& 4096.0(x32)^13) \wedge (-0.024984) * (0.5 + 56.0(x32)^2 + -1008.0(x32)^4 + 6720.0(x32)^6 + -21120.0(x32)^8 + \\
& 33792.0(x32)^10 + -26624.0(x32)^12 + 8192.0(x32)^14) \wedge (-0.012159) - 1
\end{aligned}$$

F^2 в обычном базисе:

$$\begin{aligned}
& 1.03142521182 * (1.0 + 1.0(x11)^1) \wedge (0.009543) * (0.5 + 2.0(x11)^2) \wedge (-0.005060) * (1.0 + -2.0(x11)^1 + \\
& 4.0(x11)^3) \wedge (-0.019919) * (1.5 + -6.0(x11)^2 + 8.0(x11)^4) \wedge (0.014925) * (1.0 + 3.0(x11)^1 + -16.0(x11)^3 + \\
& 16.0(x11)^5) \wedge (-0.012079) * (0.5 + 12.0(x11)^2 + -40.0(x11)^4 + 32.0(x11)^6) \wedge (-0.002210) * (1.0 + -4.0(x11)^1 + \\
& 40.0(x11)^3 + -96.0(x11)^5 + 64.0(x11)^7) \wedge (-0.025818) * (1.5 + -20.0(x11)^2 + 120.0(x11)^4 + -224.0(x11)^6 + \\
& 128.0(x11)^8) \wedge (0.006290) * (1.0 + 5.0(x11)^1 + -80.0(x11)^3 + 336.0(x11)^5 + -512.0(x11)^7 + \\
& 256.0(x11)^9) \wedge (0.018048) * (0.5 + 30.0(x11)^2 + -280.0(x11)^4 + 896.0(x11)^6 + -1152.0(x11)^8 + \\
& 512.0(x11)^10) \wedge (0.000118) * (1.0 + -6.0(x11)^1 + 140.0(x11)^3 + -896.0(x11)^5 + 2304.0(x11)^7 + -2560.0(x11)^9 \\
& + 1024.0(x11)^11) \wedge (0.004589) * (1.5 + -42.0(x11)^2 + 560.0(x11)^4 + -2688.0(x11)^6 + 5760.0(x11)^8 + - \\
& 5632.0(x11)^10 + 2048.0(x11)^12) \wedge (0.008467) * (1.0 + 7.0(x11)^1 + -224.0(x11)^3 + 2016.0(x11)^5 + - \\
& 7680.0(x11)^7 + 14080.0(x11)^9 + -12288.0(x11)^11 + 4096.0(x11)^13) \wedge (-0.001459) * (0.5 + 56.0(x11)^2 + - \\
& 1008.0(x11)^4 + 6720.0(x11)^6 + -21120.0(x11)^8 + 33792.0(x11)^10 + -26624.0(x11)^12 + \\
& 8192.0(x11)^14) \wedge (0.003539) * (1.0 + 1.0(x12)^1) \wedge (0.006193) * (0.5 + 2.0(x12)^2) \wedge (-0.000511) * (1.0 + -2.0(x12)^1 \\
& + 4.0(x12)^3) \wedge (-0.015278) * (1.5 + -6.0(x12)^2 + 8.0(x12)^4) \wedge (-0.010346) * (1.0 + 3.0(x12)^1 + -16.0(x12)^3 + \\
& 16.0(x12)^5) \wedge (0.004813) * (0.5 + 12.0(x12)^2 + -40.0(x12)^4 + 32.0(x12)^6) \wedge (0.021093) * (1.0 + -4.0(x12)^1 + \\
& 40.0(x12)^3 + -96.0(x12)^5 + 64.0(x12)^7) \wedge (0.019933) * (1.5 + -20.0(x12)^2 + 120.0(x12)^4 + -224.0(x12)^6 + \\
& 128.0(x12)^8) \wedge (-0.013118) * (1.0 + 5.0(x12)^1 + -80.0(x12)^3 + 336.0(x12)^5 + -512.0(x12)^7 + \\
& 256.0(x12)^9) \wedge (0.011755) * (0.5 + 30.0(x12)^2 + -280.0(x12)^4 + 896.0(x12)^6 + -1152.0(x12)^8 + \\
& 512.0(x12)^10) \wedge (-0.013138) * (1.0 + -6.0(x12)^1 + 140.0(x12)^3 + -896.0(x12)^5 + 2304.0(x12)^7 + -2560.0(x12)^9 \\
& + 1024.0(x12)^11) \wedge (0.005213) * (1.5 + -42.0(x12)^2 + 560.0(x12)^4 + -2688.0(x12)^6 + 5760.0(x12)^8 + - \\
& 5632.0(x12)^10 + 2048.0(x12)^12) \wedge (0.002737) * (1.0 + 7.0(x12)^1 + -224.0(x12)^3 + 2016.0(x12)^5 + - \\
& 7680.0(x12)^7 + 14080.0(x12)^9 + -12288.0(x12)^11 + 4096.0(x12)^13) \wedge (-0.004172) * (0.5 + 56.0(x12)^2 + - \\
& 1008.0(x12)^4 + 6720.0(x12)^6 + -21120.0(x12)^8 + 33792.0(x12)^10 + -26624.0(x12)^12 + 8192.0(x12)^14) \wedge (- \\
& 0.002635) * (1.0 + 1.0(x21)^1) \wedge (0.005890) * (0.5 + 2.0(x21)^2) \wedge (-0.017927) * (1.0 + -2.0(x21)^1 + 4.0(x21)^3) \wedge (- \\
& 0.019228) * (1.5 + -6.0(x21)^2 + 8.0(x21)^4) \wedge (-0.034090) * (1.0 + 3.0(x21)^1 + -16.0(x21)^3 + \\
& 16.0(x21)^5) \wedge (0.004442) * (0.5 + 12.0(x21)^2 + -40.0(x21)^4 + 32.0(x21)^6) \wedge (0.002496) * (1.0 + -4.0(x21)^1 + \\
& 40.0(x21)^3 + -96.0(x21)^5 + 64.0(x21)^7) \wedge (-0.009947) * (1.5 + -20.0(x21)^2 + 120.0(x21)^4 + -224.0(x21)^6 + \\
& 128.0(x21)^8) \wedge (0.001089) * (1.0 + 5.0(x21)^1 + -80.0(x21)^3 + 336.0(x21)^5 + -512.0(x21)^7 + \\
& 256.0(x21)^9) \wedge (0.005987) * (0.5 + 30.0(x21)^2 + -280.0(x21)^4 + 896.0(x21)^6 + -1152.0(x21)^8 + \\
& 512.0(x21)^10) \wedge (0.008516) * (1.0 + -6.0(x21)^1 + 140.0(x21)^3 + -896.0(x21)^5 + 2304.0(x21)^7 + -2560.0(x21)^9
\end{aligned}$$

$$\begin{aligned}
& + 1024.0(x_{21})^{11} \wedge (-0.002692) * (1.5 + -42.0(x_{21})^2 + 560.0(x_{21})^4 + -2688.0(x_{21})^6 + 5760.0(x_{21})^8 + - \\
& 5632.0(x_{21})^{10} + 2048.0(x_{21})^{12} \wedge (-0.002149) * (1.0 + 7.0(x_{21})^1 + -224.0(x_{21})^3 + 2016.0(x_{21})^5 + - \\
& 7680.0(x_{21})^7 + 14080.0(x_{21})^9 + -12288.0(x_{21})^{11} + 4096.0(x_{21})^{13} \wedge (-0.028004) * (0.5 + 56.0(x_{21})^2 + - \\
& 1008.0(x_{21})^4 + 6720.0(x_{21})^6 + -21120.0(x_{21})^8 + 33792.0(x_{21})^{10} + -26624.0(x_{21})^{12} + \\
& 8192.0(x_{21})^{14} \wedge (0.009440) * (1.0 + -8.0(x_{21})^1 + 336.0(x_{21})^3 + -4032.0(x_{21})^5 + 21120.0(x_{21})^7 + - \\
& 56320.0(x_{21})^9 + 79872.0(x_{21})^{11} + -57344.0(x_{21})^{13} + 16384.0(x_{21})^{15} \wedge (0.006459) * (1.0 + \\
& 1.0(x_{22})^1 \wedge (0.007360) * (0.5 + 2.0(x_{22})^2 \wedge (0.001049) * (1.0 + -2.0(x_{22})^1 + 4.0(x_{22})^3 \wedge (-0.026688) * (1.5 + - \\
& 6.0(x_{22})^2 + 8.0(x_{22})^4 \wedge (-0.019115) * (1.0 + 3.0(x_{22})^1 + -16.0(x_{22})^3 + 16.0(x_{22})^5 \wedge (0.003671) * (0.5 + \\
& 12.0(x_{22})^2 + -40.0(x_{22})^4 + 32.0(x_{22})^6 \wedge (0.015483) * (1.0 + -4.0(x_{22})^1 + 40.0(x_{22})^3 + -96.0(x_{22})^5 + \\
& 64.0(x_{22})^7 \wedge (0.009256) * (1.5 + -20.0(x_{22})^2 + 120.0(x_{22})^4 + -224.0(x_{22})^6 + 128.0(x_{22})^8 \wedge (0.003332) * (1.0 \\
& + 5.0(x_{22})^1 + -80.0(x_{22})^3 + 336.0(x_{22})^5 + -512.0(x_{22})^7 + 256.0(x_{22})^9 \wedge (0.006673) * (0.5 + 30.0(x_{22})^2 + - \\
& 280.0(x_{22})^4 + 896.0(x_{22})^6 + -1152.0(x_{22})^8 + 512.0(x_{22})^{10} \wedge (-0.010370) * (1.0 + -6.0(x_{22})^1 + 140.0(x_{22})^3 \\
& + -896.0(x_{22})^5 + 2304.0(x_{22})^7 + -2560.0(x_{22})^9 + 1024.0(x_{22})^{11} \wedge (-0.020343) * (1.5 + -42.0(x_{22})^2 + \\
& 560.0(x_{22})^4 + -2688.0(x_{22})^6 + 5760.0(x_{22})^8 + -5632.0(x_{22})^{10} + 2048.0(x_{22})^{12} \wedge (-0.018831) * (1.0 + \\
& 7.0(x_{22})^1 + -224.0(x_{22})^3 + 2016.0(x_{22})^5 + -7680.0(x_{22})^7 + 14080.0(x_{22})^9 + -12288.0(x_{22})^{11} + \\
& 4096.0(x_{22})^{13} \wedge (-0.010679) * (0.5 + 56.0(x_{22})^2 + -1008.0(x_{22})^4 + 6720.0(x_{22})^6 + -21120.0(x_{22})^8 + \\
& 33792.0(x_{22})^{10} + -26624.0(x_{22})^{12} + 8192.0(x_{22})^{14} \wedge (0.005105) * (1.0 + -8.0(x_{22})^1 + 336.0(x_{22})^3 + - \\
& 4032.0(x_{22})^5 + 21120.0(x_{22})^7 + -56320.0(x_{22})^9 + 79872.0(x_{22})^{11} + -57344.0(x_{22})^{13} + 16384.0(x_{22})^{15} \wedge (- \\
& 0.001809) * (1.0 + 1.0(x_{31})^1 \wedge (0.008711) * (0.5 + 2.0(x_{31})^2 \wedge (0.000333) * (1.0 + -2.0(x_{31})^1 + 4.0(x_{31})^3 \wedge (- \\
& 0.005493) * (1.5 + -6.0(x_{31})^2 + 8.0(x_{31})^4 \wedge (-0.002862) * (1.0 + 3.0(x_{31})^1 + -16.0(x_{31})^3 + \\
& 16.0(x_{31})^5 \wedge (0.001472) * (0.5 + 12.0(x_{31})^2 + -40.0(x_{31})^4 + 32.0(x_{31})^6 \wedge (-0.012359) * (1.0 + -4.0(x_{31})^1 + \\
& 40.0(x_{31})^3 + -96.0(x_{31})^5 + 64.0(x_{31})^7 \wedge (-0.002728) * (1.5 + -20.0(x_{31})^2 + 120.0(x_{31})^4 + -224.0(x_{31})^6 + \\
& 128.0(x_{31})^8 \wedge (-0.013362) * (1.0 + 5.0(x_{31})^1 + -80.0(x_{31})^3 + 336.0(x_{31})^5 + -512.0(x_{31})^7 + 256.0(x_{31})^9 \wedge (- \\
& 0.003308) * (0.5 + 30.0(x_{31})^2 + -280.0(x_{31})^4 + 896.0(x_{31})^6 + -1152.0(x_{31})^8 + 512.0(x_{31})^{10} \wedge (-0.002511) * \\
& (1.0 + -6.0(x_{31})^1 + 140.0(x_{31})^3 + -896.0(x_{31})^5 + 2304.0(x_{31})^7 + -2560.0(x_{31})^9 + 1024.0(x_{31})^{11} \wedge (- \\
& 0.017279) * (1.5 + -42.0(x_{31})^2 + 560.0(x_{31})^4 + -2688.0(x_{31})^6 + 5760.0(x_{31})^8 + -5632.0(x_{31})^{10} + \\
& 2048.0(x_{31})^{12} \wedge (-0.003573) * (1.0 + 7.0(x_{31})^1 + -224.0(x_{31})^3 + 2016.0(x_{31})^5 + -7680.0(x_{31})^7 + \\
& 14080.0(x_{31})^9 + -12288.0(x_{31})^{11} + 4096.0(x_{31})^{13} \wedge (-0.011660) * (0.5 + 56.0(x_{31})^2 + -1008.0(x_{31})^4 + \\
& 6720.0(x_{31})^6 + -21120.0(x_{31})^8 + 33792.0(x_{31})^{10} + -26624.0(x_{31})^{12} + 8192.0(x_{31})^{14} \wedge (0.002758) * (1.0 + \\
& 1.0(x_{32})^1 \wedge (0.011959) * (0.5 + 2.0(x_{32})^2 \wedge (0.008671) * (1.0 + -2.0(x_{32})^1 + 4.0(x_{32})^3 \wedge (-0.016644) * (1.5 + - \\
& 6.0(x_{32})^2 + 8.0(x_{32})^4 \wedge (-0.029631) * (1.0 + 3.0(x_{32})^1 + -16.0(x_{32})^3 + 16.0(x_{32})^5 \wedge (-0.016844) * (0.5 + \\
& 12.0(x_{32})^2 + -40.0(x_{32})^4 + 32.0(x_{32})^6 \wedge (0.001925) * (1.0 + -4.0(x_{32})^1 + 40.0(x_{32})^3 + -96.0(x_{32})^5 + \\
& 64.0(x_{32})^7 \wedge (-0.015252) * (1.5 + -20.0(x_{32})^2 + 120.0(x_{32})^4 + -224.0(x_{32})^6 + 128.0(x_{32})^8 \wedge (0.003064) * (1.0 \\
& + 5.0(x_{32})^1 + -80.0(x_{32})^3 + 336.0(x_{32})^5 + -512.0(x_{32})^7 + 256.0(x_{32})^9 \wedge (0.001108) * (0.5 + 30.0(x_{32})^2 + - \\
& 280.0(x_{32})^4 + 896.0(x_{32})^6 + -1152.0(x_{32})^8 + 512.0(x_{32})^{10} \wedge (-0.001916) * (1.0 + -6.0(x_{32})^1 + 140.0(x_{32})^3 \\
& + -896.0(x_{32})^5 + 2304.0(x_{32})^7 + -2560.0(x_{32})^9 + 1024.0(x_{32})^{11} \wedge (-0.005502) * (1.5 + -42.0(x_{32})^2 + \\
& 560.0(x_{32})^4 + -2688.0(x_{32})^6 + 5760.0(x_{32})^8 + -5632.0(x_{32})^{10} + 2048.0(x_{32})^{12} \wedge (-0.009855) * (1.0 + \\
& 7.0(x_{32})^1 + -224.0(x_{32})^3 + 2016.0(x_{32})^5 + -7680.0(x_{32})^7 + 14080.0(x_{32})^9 + -12288.0(x_{32})^{11} + \\
& 4096.0(x_{32})^{13} \wedge (-0.025627) * (0.5 + 56.0(x_{32})^2 + -1008.0(x_{32})^4 + 6720.0(x_{32})^6 + -21120.0(x_{32})^8 + \\
& 33792.0(x_{32})^{10} + -26624.0(x_{32})^{12} + 8192.0(x_{32})^{14} \wedge (-0.009999) - 1
\end{aligned}$$

F^1 в стандартном базисе денормированный:

$$\begin{aligned}
& 109.246143342 * (1.32947976879 + 0.057803468208092484(x_{11})^1 \wedge (0.007735) * (0.717113836079 + \\
& 0.07618029336095426(x_{11})^1 + 0.006682481873767917(x_{11})^2 \wedge (-0.006631) * (0.484109695451 + - \\
& 0.04030734008830531(x_{11})^1 + 0.013210455496119235(x_{11})^2 + 0.0007725412570829961(x_{11})^3 \wedge (-0.023445) \\
& * (0.942935327397 + -0.1623816971820668(x_{11})^1 + -0.0026371343316205983(x_{11})^2 + \\
& 0.002036293718091597(x_{11})^3 + 8.931112798647354e-05(x_{11})^4 \wedge (0.024568) * (1.47828699428 + - \\
& 0.07329269997415769(x_{11})^1 + -0.033720670857079256(x_{11})^2 + 0.00026442288875532785(x_{11})^3 + \\
& 0.00029426209799011515(x_{11})^4 + 1.0324985894390005e-05(x_{11})^5 \wedge (-0.012225) * (1.37223644918 + \\
& 0.16937806763602192(x_{11})^1 + -0.028056567848669518(x_{11})^2 + -0.005760393185279329(x_{11})^3 + \\
& 0.0001351648081174552(x_{11})^4 + 4.082248758244372e-05(x_{11})^5 + 1.193639987790752e-06(x_{11})^6 \wedge (- \\
& 0.001588) * (0.76700176414 + 0.22793910861057778(x_{11})^1 + 0.03481380737714927(x_{11})^2 + - \\
& 0.007303822773698878(x_{11})^3 + -0.0008711353672398071(x_{11})^4 + 3.2201371023226694e-05(x_{11})^5 + \\
& 5.5059231806764175e-06(x_{11})^6 + 1.3799306217234126e-07(x_{11})^7 \wedge (-0.031221) * (0.474227141063 + - \\
& 0.04611163026956169(x_{11})^1 + 0.07734880029495028(x_{11})^2 + 0.004972187123668424(x_{11})^3 + - \\
& 0.0015535803418707244(x_{11})^4 + -0.000120312378034168(x_{11})^5 + 6.157242457652285e-06(x_{11})^6 + \\
& 7.274547554981228e-07(x_{11})^7 + 1.5952955164432517e-08(x_{11})^8 \wedge (0.007720) * (0.886535195867 + - \\
& 0.3191077966422472(x_{11})^1 + 0.0108250979883599(x_{11})^2 + 0.019522350739000632(x_{11})^3 + \\
& 0.0004222081042346375(x_{11})^4 + -0.0002910870238169241(x_{11})^5 + -1.5357494975537688e-05(x_{11})^6 + \\
& 1.0531901244162812e-06(x_{11})^7 + 9.461116762258823e-08(x_{11})^8 + 1.8442722733447996e- \\
& 09(x_{11})^9 \wedge (0.015322) * (1.45100414408 + -0.17728481423839798(x_{11})^1 + -0.10710657348669542(x_{11})^2 + \\
& 0.009143708506466097(x_{11})^3 + 0.004088717559574549(x_{11})^4 + -2.2692007112864218e-05(x_{11})^5 + - \\
& 4.9928889298980484e-05(x_{11})^6 + -1.8088780232859708e-06(x_{11})^7 + 1.6814805984886622e-07(x_{11})^8 +
\end{aligned}$$

$$\begin{aligned}
& 1.2153008044006196e-08(x11)^9 + 2.1321066743870515e-10(x11)^{10}^{(0.003410)} * (1.41065828636 + \\
& 0.2544234848406666(x11)^1 + -0.10189935037131517(x11)^2 + -0.025879279640716114(x11)^3 + \\
& 0.003329167456001315(x11)^4 + 0.0007488180202367183(x11)^5 + -2.016697625186731e-05(x11)^6 + - \\
& 8.017293480683394e-06(x11)^7 + -1.929272464835632e-07(x11)^8 + 2.5603150350898155e-08(x11)^9 + \\
& 1.5454692310296896e-09(x11)^{10} + 2.4648632073838745e-11(x11)^{11}^{(0.004144)} * (0.819603050402 + \\
& 0.39241454255606373(x11)^1 + 0.06937214432185967(x11)^2 + -0.0379773783704426(x11)^3 + - \\
& 0.0048867551481882555(x11)^4 + 0.0009010076338585999(x11)^5 + 0.0001232082252066192(x11)^6 + - \\
& 5.80563632258254e-06(x11)^7 + -1.2221340466280224e-06(x11)^8 + -1.758529584556037e-08(x11)^9 + \\
& 3.765092797043073e-09(x11)^{10} + 1.9490941431798504e-10(x11)^{11} + 2.849552840906213e- \\
& 12(x11)^{12}^{(0.009875)} * (0.470467423158 + -0.016693318023125056(x11)^1 + 0.19297862958410875(x11)^2 + \\
& 0.008873625029194324(x11)^3 + -0.010939789735205452(x11)^4 + -0.0007200332381782507(x11)^5 + \\
& 0.00020551894359710748(x11)^6 + 1.8435339511654327e-05(x11)^7 + -1.2835814689340414e-06(x11)^8 + - \\
& 1.784783217899406e-07(x11)^9 + -1.0974076012510614e-09(x11)^{10} + 5.390596290424142e-10(x11)^{11} + \\
& 2.4410620290306408e-11(x11)^{12} + 3.2942807409320385e-13(x11)^{13}^{(-0.005206)} * (0.831456407632 + - \\
& 0.4646324026224522(x11)^1 + 0.05586310083493716(x11)^2 + 0.06613440637628265(x11)^3 + - \\
& 0.0012962710323292685(x11)^4 + -0.002640195979849518(x11)^5 + -7.102039395514325e-05(x11)^6 + \\
& 4.171319456692214e-05(x11)^7 + 2.5075589181575394e-06(x11)^8 + -2.4841561781186163e-07(x11)^9 + - \\
& 2.5121572001328794e-08(x11)^{10} + 3.344113877920622e-11(x11)^{11} + 7.55509047668464e-11(x11)^{12} + \\
& 3.0391167991488637e-12(x11)^{13} + 3.808417041539929e-14(x11)^{14}^{(0.000081)} * (1.51327433628 + \\
& 0.04424778761061947(x12)^1^{(0.006439)} * (1.02690108857 + 0.09084501527136031(x12)^1 + \\
& 0.00391573341686898(x12)^2)^{(-0.002009)} * (0.514340940483 + 0.05138966953289107(x12)^1 + \\
& 0.0120590728236319(x12)^2 + 0.00034652508113884774(x12)^3)^{(-0.012720)} * (0.474546248559 + - \\
& 0.08106969606211539(x12)^1 + 0.013011250148354126(x12)^2 + 0.0014228994482161533(x12)^3 + \\
& 3.066593638396882e-05(x12)^4)^{(-0.011509)} * (0.94625520848 + -0.18111199039674133(x12)^1 + - \\
& 0.005876700641437886(x12)^2 + 0.002265588524848895(x12)^3 + 0.00015740038143983995(x12)^4 + \\
& 2.713799679997241e-06(x12)^5)^{(0.004729)} * (1.47028210705 + -0.10960675350619238(x12)^1 + - \\
& 0.03507157916051526(x12)^2 + 0.00038277544088201505(x12)^3 + 0.00033140777596568063(x12)^4 + \\
& 1.671508475467327e-05(x12)^5 + 2.4015926371657e-07(x12)^6)^{(0.018976)} * (1.53651226424 + \\
& 0.11021320866021524(x12)^1 + -0.039825695090258524(x12)^2 + -0.00497633047584747(x12)^3 + \\
& 0.00021667976387732007(x12)^4 + 4.3773170153621386e-05(x12)^5 + 1.7257462136093346e-06(x12)^6 + \\
& 2.1253032187307078e-08(x12)^7)^{(0.019882)} * (1.08047384562 + 0.2702249379930182(x12)^1 + \\
& 0.003941946028941511(x12)^2 + -0.009015618680712913(x12)^3 + -0.0005493586799365261(x12)^4 + \\
& 4.739540530367436e-05(x12)^5 + 5.405135093052427e-06(x12)^6 + 1.7453817583912362e-07(x12)^7 + \\
& 1.8807993086112456e-09(x12)^8)^{(-0.013334)} * (0.54609805516 + 0.1743074219896769(x12)^1 + \\
& 0.06778600588041253(x12)^2 + -0.00392979613188069(x12)^3 + -0.0015784655486540118(x12)^4 + - \\
& 4.3735292137152685e-05(x12)^5 + 8.017171696397967e-06(x12)^6 + 6.362494397406806e-07(x12)^7 + \\
& 1.737658830256762e-08(x12)^8 + 1.6644241669126067e-10(x12)^9)^{(0.014220)} * (0.453573715424 + - \\
& 0.1314581990337236(x12)^1 + 0.08106912390047974(x12)^2 + 0.010980253260411703(x12)^3 + - \\
& 0.0014187826029189807(x12)^4 + -0.00023197902808641622(x12)^5 + -1.045497965524668e-06(x12)^6 + \\
& 1.1880870628679436e-06(x12)^7 + 7.22623745011644e-08(x12)^8 + 1.7086124191315257e-09(x12)^9 + \\
& 1.4729417406306254e-11(x12)^{10}^{(-0.010634)} * (0.892968767754 + -0.35761197007525064(x12)^1 + \\
& 0.00380192670470619(x12)^2 + 0.022375819293053753(x12)^3 + 0.0010937199793222905(x12)^4 + - \\
& 0.0003199584537673965(x12)^5 + -2.9619543774849485e-05(x12)^6 + 4.908578136879463e-07(x12)^7 + \\
& 1.6194470435950767e-07(x12)^8 + 7.982431792431758e-09(x12)^9 + 1.6632510274731665e-10(x12)^{10} + \\
& 1.3034882660448013e-12(x12)^{11}^{(0.006749)} * (1.43655351519 + -0.24511968460515776(x12)^1 + - \\
& 0.10881333808637925(x12)^2 + 0.012326068023139534(x12)^3 + 0.0045217003952368814(x12)^4 + \\
& 3.154807961942255e-07(x12)^5 + -5.767531279161251e-05(x12)^6 + -3.305396189953721e-06(x12)^7 + \\
& 1.3742049136239627e-07(x12)^8 + 2.081713210756901e-08(x12)^9 + 8.624212891689707e-10(x12)^{10} + \\
& 1.6057129790569587e-11(x12)^{11} + 1.1535294389777002e-13(x12)^{12}^{(0.005380)} * (1.55517466377 + \\
& 0.14461773766553432(x12)^1 + -0.1371961219619773(x12)^2 + -0.019352009471634415(x12)^3 + \\
& 0.004638828039074811(x12)^4 + 0.00072043278761454(x12)^5 + -2.955905335670028e-05(x12)^6 + - \\
& 8.988017866349521e-06(x12)^7 + -3.133888185320679e-07(x12)^8 + 2.554847296953254e-08(x12)^9 + \\
& 2.5612164071579103e-09(x12)^{10} + 9.150040507374085e-11(x12)^{11} + 1.5394003486534264e-12(x12)^{12} + \\
& 1.0208225123696462e-14(x12)^{13}^{(-0.005711)} * (1.13336029894 + 0.44270733245376426(x12)^1 + - \\
& 0.019227128913034852(x12)^2 + -0.04433309738888581(x12)^3 + -0.001472284839340087(x12)^4 + \\
& 0.001149759596673143(x12)^5 + 9.108661975416295e-05(x12)^6 + -8.53708704954668e-06(x12)^7 + - \\
& 1.254529178205007e-06(x12)^8 + -2.2323904858497357e-08(x12)^9 + 4.027718825217249e-09(x12)^{10} + \\
& 3.045288087946785e-10(x12)^{11} + 9.56229742053768e-12(x12)^{12} + 1.4670935929985003e-13(x12)^{13} + \\
& 9.033827543094215e-16(x12)^{14}^{(-0.002113)} * (-2.22 + 10.000000000000002(x21)^1)^{(0.004549)} * (21.2368 + - \\
& 128.80000000000004(x21)^1 + 200.0000000000009(x21)^2)^{(-0.016304)} * (-126.104992 + \\
& 1224.2080000000008(x21)^1 + -3864.0000000000023(x21)^2 + 4000.0000000000023(x21)^3)^{(-0.012201)} * \\
& (799.31934848 + -10297.19936000001(x21)^1 + 49168.3200000000036(x21)^2 + -103040.00000000007(x21)^3 + \\
& 80000.000000000006(x21)^4)^{(-0.027191)} * (-5013.07161221 + 81056.14284800009(x21)^1 + -
\end{aligned}$$

$$\begin{aligned}
& 518723.9680000005(x21)^2 + 1642944.0000000014(x21)^3 + -2576000.0000000023(x21)^4 + \\
& 1600000.0000000014(x21)^5 \wedge (0.002267) * (31493.3018342 + -611985.7928253448(x21)^1 + \\
& 4912536.890880006(x21)^2 + -20851998.72000002(x21)^3 + 49368320.00000005(x21)^4 + - \\
& 61824000.00000006(x21)^5 + 32000000.000000034(x21)^6 \wedge (0.001872) * (-197795.3522 + \\
& 4489978.399630425(x21)^1 + -43357729.46577414(x21)^2 + 230894665.5744003(x21)^3 + - \\
& 732395955.2000009(x21)^4 + 1383912960.0000017(x21)^5 + -1442560000.0000017(x21)^6 + \\
& 640000000.0000008(x21)^7 \wedge (-0.005125) * (1242317.20633 + -32259402.144790202(x21)^1 + \\
& 364110808.861314(x21)^2 + -2333264236.894621(x21)^3 + 9285154942.976013(x21)^4 + - \\
& 23498494566.400032(x21)^5 + 36936345600.00005(x21)^6 + -32972800000.000046(x21)^7 + \\
& 12800000000.00002(x21)^8 \wedge (0.000209) * (-7802719.01658 + 228106895.53946707(x21)^1 + - \\
& 2946703922.4968934(x21)^2 + 22077543197.25325(x21)^3 + -105729286615.45798(x21)^4 + \\
& 335649490907.13654(x21)^5 + -706397396992.0011(x21)^6 + 950431744000.0016(x21)^7 + - \\
& 741888000000.0011(x21)^8 + 256000000000.00043(x21)^9 \wedge (0.002361) * (49007201.7004 + - \\
& 1592803405.4609985(x21)^1 + 23174800362.80802(x21)^2 + -198780192403.3542(x21)^3 + \\
& 1113162314805.6384(x21)^4 + -4252669959184.7197(x21)^5 + 11225252709171.219(x21)^6 + - \\
& 20215755571200.04(x21)^7 + 23773593600000.043(x21)^8 + -16486400000000.03(x21)^9 + \\
& 5120000000000.01(x21)^10 \wedge (0.005452) * (-307803651.494 + 11009691049.638353(x21)^1 + - \\
& 178155078523.20676(x21)^2 + 1721562903136.5083(x21)^3 + -11038639868799.938(x21)^4 + \\
& 49314791342355.234(x21)^5 + -156637629233765.06(x21)^6 + 353744088317952.7(x21)^7 + - \\
& 556675166208001.2(x21)^8 + 581388288000001.1(x21)^9 + -362700800000000.7(x21)^10 + \\
& 10240000000000.22(x21)^11 \wedge (0.000230) * (1933248322.36 + -75465680004.0963(x21)^1 + \\
& 1344337726319.4111(x21)^2 + -14451186474259.898(x21)^3 + 104406936502996.16(x21)^4 + - \\
& 534107383661581.9(x21)^5 + 1983816906403381.0(x21)^6 + -5390648757871718.0(x21)^7 + \\
& 1.0636096243138584e+16(x21)^8 + -1.4861157498880034e+16(x21)^9 + 1.3958438912000028e+16(x21)^10 + - \\
& 7913472000000016.0(x21)^11 + 2048000000000004.8(x21)^12 \wedge (-0.003796) * (-12142315536.1 + \\
& 513654254604.0005(x21)^1 + -9988693479055.723(x21)^2 + 118230832517485.45(x21)^3 + - \\
& 950365760695693.4(x21)^4 + 5478475489498156.0(x21)^5 + -2.330129092123565e+16(x21)^6 + \\
& 7.403837204044355e+16(x21)^7 + -1.7575275979703888e+17(x21)^8 + 3.078463908675592e+17(x21)^9 + - \\
& 3.867527957708809e+17(x21)^10 + 3.300291379200007e+17(x21)^11 + -1.714585600000004e+17(x21)^12 + \\
& 4.0960000000000104e+16(x21)^13 \wedge (-0.017994) * (76263263738.5 + -3475314030387.326(x21)^1 + \\
& 73255933370879.48(x21)^2 + -946729244519461.1(x21)^3 + 8380565212726980.0(x21)^4 + - \\
& 5.375458998262042e+16(x21)^5 + 2.5764600641631738e+17(x21)^6 + -9.374422856072979e+17(x21)^7 + \\
& 2.6019791176586634e+18(x21)^8 + -5.482724795628979e+18(x21)^9 + 8.633657383203658e+18(x21)^10 + - \\
& 9.852530091622425e+18(x21)^11 + 7.702727884800018e+18(x21)^12 + -3.6929536000000087e+18(x21)^13 + \\
& 8.192000000000022e+17(x21)^14 \wedge (0.010151) * (-478993102931.0 + 23392633375839.418(x21)^1 + - \\
& 531285798037154.94(x21)^2 + 7443824169605436.0(x21)^3 + -7.19550590996553e+16(x21)^4 + \\
& 5.0831238825311706e+17(x21)^5 + -2.711030790052257e+18(x21)^6 + 1.1116010075596904e+19(x21)^7 + - \\
& 3.5329838470070714e+19(x21)^8 + 8.704048364615634e+19(x21)^9 + -1.648684966646403e+20(x21)^10 + \\
& 2.357934123162016e+20(x21)^11 + -2.4648471085056066e+20(x21)^12 + 1.7779621888000046e+20(x21)^13 + - \\
& 7.91347200000002e+19(x21)^14 + 1.6384000000000047e+19(x21)^15 \wedge (0.005080) * (1.5393258427 + \\
& 0.05617977528089889(x22)^1 \wedge (0.007698) * (1.0817447292 + 0.12119681858351224(x22)^1 + \\
& 0.006312334301224596(x22)^2 \wedge (-0.008576) * (0.548848247228 + 0.08373417838231195(x22)^1 + \\
& 0.020426430098344762(x22)^2 + 0.0007092510450814154(x22)^3 \wedge (-0.026219) * (0.431619672303 + - \\
& 0.08156801412305299(x22)^1 + 0.025129003600620543(x22)^2 + 0.0030601393405759953(x22)^3 + \\
& 7.969112866083321e-05(x22)^4 \wedge (-0.016600) * (0.838067354358 + -0.23558061245848316(x22)^1 + - \\
& 0.002485933419366756(x22)^2 + 0.0054150569628006184(x22)^3 + 0.0004297948512044938(x22)^4 + \\
& 8.954059400093621e-06(x22)^5 \wedge (0.004772) * (1.39371140655 + -0.1907360898369085(x22)^1 + - \\
& 0.05428019161010414(x22)^2 + 0.0025015026171227904(x22)^3 + 0.0009923411785710502(x22)^4 + \\
& 5.794986757813401e-05(x22)^5 + 1.00607408989816e-06(x22)^6 \wedge (0.014750) * (1.58661011788 + \\
& 0.07408004438209295(x22)^1 + -0.07749450807433078(x22)^2 + -0.00881570488254504(x22)^3 + \\
& 0.0009216633433353796(x22)^4 + 0.0001650526717595847(x22)^5 + 7.596424588893973e-06(x22)^6 + \\
& 1.1304203257282699e-07(x22)^7 \wedge (0.012714) * (1.23903658577 + 0.3365539037637416(x22)^1 + - \\
& 0.020985789640624287(x22)^2 + -0.020717825644849(x22)^3 + -0.0009887160984053645(x22)^4 + \\
& 0.0002236421540204495(x22)^5 + 2.5733066113805984e-05(x22)^6 + 9.754638316396757e-07(x22)^7 + \\
& 1.2701351974474945e-08(x22)^8 \wedge (0.001593) * (0.671227098227 + 0.31580243448288037(x22)^1 + \\
& 0.09267319607587576(x22)^2 + -0.015889566559159966(x22)^3 + -0.004315989207328693(x22)^4 + - \\
& 3.4912381850489034e-05(x22)^5 + 4.5288922457509064e-05(x22)^6 + 3.830499416589744e-06(x22)^7 + \\
& 1.2330301242636353e-07(x22)^8 + 1.4271181993792077e-09(x22)^9 \wedge (0.008044) * (0.406331969624 + - \\
& 0.03285385103762541(x22)^1 + 0.15643130838346547(x22)^2 + 0.013991236555853463(x22)^3 + - \\
& 0.0054520774914278355(x22)^4 + -0.0007462430611095948(x22)^5 + 1.9195166890867935e-05(x22)^6 + \\
& 8.244953792716573e-06(x22)^7 + 5.506928430685403e-07(x22)^8 + 1.5393634510157748e-08(x22)^9 + \\
& 1.603503594808099e-10(x22)^10 \wedge (-0.009362) * (0.688411880244 + -0.4179445693521902(x22)^1 + \\
& 0.07237025442340964(x22)^2 + 0.048557788954627146(x22)^3 + 7.145683524886499e-06(x22)^4 + -
\end{aligned}$$

$$\begin{aligned}
& 0.0013826169302933265(x22)^5 + -0.00010843155829540381(x22)^6 + 7.219694212730147e-06(x22)^7 + \\
& 1.3971020534359465e-06(x22)^8 + 7.705285195411009e-08(x22)^9 + 1.902584040581295e-09(x22)^10 + \\
& 1.801689432368651e-11(x22)^11)^{(-0.023298)} * (1.25757297985 + -0.4529726641912008(x22)^1 + - \\
& 0.12532907544946997(x22)^2 + 0.046517193600082975(x22)^3 + 0.010915716538221838(x22)^4 + - \\
& 0.0007443161352152359(x22)^5 + -0.0002915052668829128(x22)^6 + -1.2640739618918168e-05(x22)^7 + \\
& 1.7674952384724986e-06(x22)^8 + 2.2469731292752806e-07(x22)^9 + 1.0549498937563068e-08(x22)^10 + \\
& 2.3320744113356023e-10(x22)^11 + 2.024370148728822e-12(x22)^12)^{(-0.019327)} * (1.58941964859 + - \\
& 0.04171437406160482(x22)^1 + -0.258452477851064(x22)^2 + -0.012463858267961512(x22)^3 + - \\
& 0.01699376132400458(x22)^4 + 0.001806244080872599(x22)^5 + -0.0002896321155575404(x22)^6 + - \\
& 5.3608050080654575e-05(x22)^7 + -9.108981578833821e-07(x22)^8 + 3.639122539533921e-07(x22)^9 + \\
& 3.4723539861456194e-08(x22)^10 + 1.4188696643780273e-09(x22)^11 + 2.8386673546219887e-11(x22)^12 + \\
& 2.2745732008189017e-13(x22)^13)^{(-0.012108)} * (1.3782055175 + 0.4742043111118968(x22)^1 + - \\
& 0.15813813370017202(x22)^2 + -0.08900095958025116(x22)^3 + 0.006014199241832284(x22)^4 + \\
& 0.004602035741999666(x22)^5 + 0.0001820418704245086(x22)^6 + -7.772660828353408e-05(x22)^7 + - \\
& 8.773413485251722e-06(x22)^8 + 6.548914550721144e-08(x22)^9 + 6.779412315495062e-08(x22)^10 + \\
& 5.198780046449054e-09(x22)^11 + 1.880185209098935e-10(x22)^12 + 3.4348611032591057e-12(x22)^13 + \\
& 2.555700225639216e-14(x22)^14)^{(0.010326)} * (0.818532370289 + 0.5957106554292644(x22)^1 + \\
& 0.14115789668143147(x22)^2 + -0.10130550641412567(x22)^3 + -0.02050664299351694(x22)^4 + \\
& 0.0038335022522767476(x22)^5 + 0.0010030745535434895(x22)^6 + -9.777744199954433e-06(x22)^7 + - \\
& 1.72858858506615e-05(x22)^8 + -1.279049072872775e-06(x22)^9 + 4.57610362952558e-08(x22)^10 + \\
& 1.1806120403134504e-08(x22)^11 + 7.585524104070422e-10(x22)^12 + 2.46032379047699e-11(x22)^13 + \\
& 4.1350655336185073e-13(x22)^14 + 2.871573287235075e-15(x22)^15)^{(-0.008899)} * (2.00943396226 + \\
& 0.009433962264150943(x31)^1)^{(0.009827)} * (2.53791384834 + 0.03809184763260947(x31)^1 + \\
& 0.00017799928800284797(x31)^2)^{(0.004487)} * (3.09541097685 + 0.09648568952894002(x31)^1 + \\
& 0.0010780711594134756(x31)^2 + 3.358477132129207e-06(x31)^3)^{(-0.008515)} * (3.69244416152 + \\
& 0.1962360723002819(x31)^1 + 0.003818968704189263(x31)^2 + 2.7121287029269825e-05(x31)^3 + \\
& 6.336749305904164e-08(x31)^4)^{(-0.010212)} * (4.34027817942 + 0.3504898557096599(x31)^1 + \\
& 0.010334489664143753(x31)^2 + 0.00012345183260977898(x31)^3 + 6.396529959733449e-07(x31)^4 + \\
& 1.1956130765856913e-09(x31)^5)^{(0.006940)} * (5.05113631392 + 0.5743807718573476(x31)^1 + \\
& 0.023658017140585106(x31)^2 + 0.000417102090724303(x31)^3 + 3.557287283901844e-06(x31)^4 + \\
& 1.4482709342792713e-08(x31)^5 + 2.2558737294069647e-11(x31)^6)^{(-0.014502)} * (5.83843098264 + \\
& 0.885545592838289(x31)^1 + 0.04826529535283651(x31)^2 + 0.001164999757038054(x31)^3 + \\
& 1.4411889804968685e-05(x31)^4 + 9.516169227399287e-08(x31)^5 + 3.1880177798600313e-10(x31)^6 + \\
& 4.256365527182952e-13(x31)^7)^{(-0.005801)} * (6.71701680198 + 1.3047099767843744(x31)^1 + \\
& 0.09049164697332691(x31)^2 + 0.002845544562548482(x31)^3 + 4.751954226646993e-05(x31)^4 + \\
& 4.495586279833568e-07(x31)^5 + 2.416563574375651e-09(x31)^6 + 6.874431870318127e-12(x31)^7 + \\
& 8.030878353175381e-15(x31)^8)^{(-0.010872)} * (7.70347086287 + 1.8563597692050078(x31)^1 + \\
& 0.15904255753264185(x31)^2 + 0.006287168453641464(x31)^3 + 0.00013521330991315893(x31)^4 + \\
& 1.7090329390597637e-06(x31)^5 + 1.3042159173741384e-08(x31)^6 + 5.904847258878531e-11(x31)^7 + \\
& 1.4591954441713006e-13(x31)^8 + 1.5152600666368642e-16(x31)^9)^{(-0.000758)} * (8.81640550607 + \\
& 2.569515799966603(x31)^1 + 0.26561992708700694(x31)^2 + 0.012848221136928472(x31)^3 + \\
& 0.00034408409196653897(x31)^4 + 5.551947681310109e-06(x31)^5 + 5.6159737758644953e-08(x31)^6 + \\
& 3.584151104078218e-10(x31)^7 + 1.4006835337490555e-12(x31)^8 + 3.0591099458517833e-15(x31)^9 + \\
& 2.858981257805404e-18(x31)^10)^{(-0.003994)} * (10.0768194984 + 3.478632610087364(x31)^1 + \\
& 0.4256904235669116(x31)^2 + 0.02466338982444068(x31)^3 + 0.0008018662934330325(x31)^4 + \\
& 1.5991768832010436e-05(x31)^5 + 2.0509066387314762e-07(x31)^6 + 1.7241619910391745e-09(x31)^7 + \\
& 9.444424767261558e-12(x31)^8 + 3.245240414343434e-14(x31)^9 + 6.349096114032003e-17(x31)^10 + \\
& 5.3943042600101965e-20(x31)^11)^{(-0.015338)} * (11.5084942361 + 4.624644743010638(x31)^1 + \\
& 0.6594273923799168(x31)^2 + 0.044975800274053894(x31)^3 + 0.0017401250254254455(x31)^4 + \\
& 4.186287417639083e-05(x31)^5 + 6.596227125514917e-07(x31)^6 + 6.992075397409902e-09(x31)^7 + \\
& 5.019772101598985e-11(x31)^8 + 2.4065470157507344e-13(x31)^9 + 7.376303958261303e-16(x31)^10 + \\
& 1.3068465414817158e-18(x31)^11 + 1.0177932566056974e-21(x31)^12)^{(-0.001211)} * (13.1384424499 + \\
& 6.056187800067493(x31)^1 + 0.9928638354455707(x31)^2 + 0.07857883700015704(x31)^3 + \\
& 0.003559816310238223(x31)^4 + 0.00010135639272080586(x31)^5 + 1.916466023285351e-06(x31)^6 + \\
& 2.483762631225047e-08(x31)^7 + 2.2382409497086706e-10(x31)^8 + 1.4005244653758622e-12(x31)^9 + \\
& 5.9663421318496684e-15(x31)^10 + 1.6501962160506953e-17(x31)^11 + 2.6712272074311798e-20(x31)^12 + \\
& 1.9203646351050893e-23(x31)^13)^{(-0.013431)} * (14.9974178797 + 7.831025767500419(x31)^1 + \\
& 1.4593012527661973(x31)^2 + 0.13239777320636847(x31)^3 + 0.006929293506567893(x31)^4 + \\
& 0.00022992864150973085(x31)^5 + 5.121853838624704e-06(x31)^6 + 7.931154797421559e-08(x31)^7 + \\
& 8.703080237789769e-10(x31)^8 + 6.809915350615196e-12(x31)^9 + 3.773261627367909e-14(x31)^10 + \\
& 1.4458092860991285e-16(x31)^11 + 3.6426853263883412e-19(x31)^12 + 5.427747591297027e-22(x31)^13 + \\
& 3.6233295001982815e-25(x31)^14)^{(0.005340)} * (2.00943396226 + 0.009433962264150943(x32)^1)^{(0.012110)} * \\
& (2.53791384834 + 0.03809184763260947(x32)^1 + 0.00017799928800284797(x32)^2)^{(0.012795)} *
\end{aligned}$$

$$\begin{aligned}
& (3.09541097685 + 0.09648568952894002(x32)^1 + 0.0010780711594134756(x32)^2 + 3.358477132129207e- \\
& 06(x32)^3)^{(-0.018079)} * (3.69244416152 + 0.1962360723002819(x32)^1 + 0.003818968704189263(x32)^2 + \\
& 2.7121287029269825e-05(x32)^3 + 6.336749305904164e-08(x32)^4)^{(-0.031838)} * (4.34027817942 + \\
& 0.3504898557096599(x32)^1 + 0.010334489664143753(x32)^2 + 0.00012345183260977898(x32)^3 + \\
& 6.396529959733449e-07(x32)^4 + 1.1956130765856913e-09(x32)^5)^{(-0.017760)} * (5.05113631392 + \\
& 0.5743807718573476(x32)^1 + 0.023658017140585106(x32)^2 + 0.0004171020290724303(x32)^3 + \\
& 3.557287283901844e-06(x32)^4 + 1.4482709342792713e-08(x32)^5 + 2.2558737294069647e-11(x32)^6)^{(- \\
& 0.006856)} * (5.83843098264 + 0.8855455952838289(x32)^1 + 0.04826529535283651(x32)^2 + \\
& 0.001164999757038054(x32)^3 + 1.4411889804968685e-05(x32)^4 + 9.516169227399287e-08(x32)^5 + \\
& 3.1880177798600313e-10(x32)^6 + 4.256365527182952e-13(x32)^7)^{(-0.013022)} * (6.71701680198 + \\
& 1.3047099767843744(x32)^1 + 0.09049164697332691(x32)^2 + 0.002845544562548482(x32)^3 + \\
& 4.751954226646993e-05(x32)^4 + 4.495586279833568e-07(x32)^5 + 2.416563574375651e-09(x32)^6 + \\
& 6.874431870318127e-12(x32)^7 + 8.030878353175381e-15(x32)^8)^{(0.000522)} * (7.70347086287 + \\
& 1.8563597692050078(x32)^1 + 0.15904255753264185(x32)^2 + 0.006287168453641464(x32)^3 + \\
& 0.00013521330991315893(x32)^4 + 1.7090329390597637e-06(x32)^5 + 1.3042159173741384e-08(x32)^6 + \\
& 5.904847258878531e-11(x32)^7 + 1.4591954441713006e-13(x32)^8 + 1.5152600666368642e-16(x32)^9)^{(- \\
& 0.005204)} * (8.81640550607 + 2.569515799966603(x32)^1 + 0.26561992708700694(x32)^2 + \\
& 0.012848221136928472(x32)^3 + 0.00034408409196653897(x32)^4 + 5.551947681310109e-06(x32)^5 + \\
& 5.6159737758644953e-08(x32)^6 + 3.584151104078218e-10(x32)^7 + 1.4006835337490555e-12(x32)^8 + \\
& 3.0591099458517833e-15(x32)^9 + 2.858981257805404e-18(x32)^10)^{(0.000933)} * (10.0768194984 + \\
& 3.478632610087364(x32)^1 + 0.4256904235669116(x32)^2 + 0.02466338982444068(x32)^3 + \\
& 0.0008018662934330325(x32)^4 + 1.5991768832010436e-05(x32)^5 + 2.0509066387314762e-07(x32)^6 + \\
& 1.7241619910391745e-09(x32)^7 + 9.444424767261558e-12(x32)^8 + 3.245240414343434e-14(x32)^9 + \\
& 6.349096114032003e-17(x32)^10 + 5.3943042600101965e-20(x32)^11)^{(0.000442)} * (11.5084942361 + \\
& 4.624644743010638(x32)^1 + 0.6594273923799168(x32)^2 + 0.044975800274053894(x32)^3 + \\
& 0.0017401250254254455(x32)^4 + 4.186287417639083e-05(x32)^5 + 6.596227125514917e-07(x32)^6 + \\
& 6.992075397409902e-09(x32)^7 + 5.019772101598985e-11(x32)^8 + 2.4065470157507344e-13(x32)^9 + \\
& 7.376303958261303e-16(x32)^10 + 1.3068465414817158e-18(x32)^11 + 1.0177932566056974e-21(x32)^12)^{(- \\
& 0.006461)} * (13.1384424499 + 6.056187800067493(x32)^1 + 0.9928638354455707(x32)^2 + \\
& 0.07857883700015704(x32)^3 + 0.003559816310238223(x32)^4 + 0.00010135639272080586(x32)^5 + \\
& 1.916466023285351e-06(x32)^6 + 2.483762631225047e-08(x32)^7 + 2.2382409497086706e-10(x32)^8 + \\
& 1.4005244653758622e-12(x32)^9 + 5.9663421318496684e-15(x32)^10 + 1.6501962160506953e-17(x32)^11 + \\
& 2.6712272074311798e-20(x32)^12 + 1.9203646351050893e-23(x32)^13)^{(-0.024984)} * (14.9974178797 + \\
& 7.831025767500419(x32)^1 + 1.4593012527661973(x32)^2 + 0.13239777320636847(x32)^3 + \\
& 0.006929293506567893(x32)^4 + 0.00022992864150973085(x32)^5 + 5.121853838624704e-06(x32)^6 + \\
& 7.931154797421559e-08(x32)^7 + 8.703080237789769e-10(x32)^8 + 6.809915350615196e-12(x32)^9 + \\
& 3.773261627367909e-14(x32)^10 + 1.4458092860991285e-16(x32)^11 + 3.6426853263883412e-19(x32)^12 + \\
& 5.427747591297027e-22(x32)^13 + 3.6233295001982815e-25(x32)^14)^{(-0.012159)} + -213.0
\end{aligned}$$

F^2 в стандартном базисе денормированный:

$$\begin{aligned}
& 109.331072453 * (1.32947976879 + 0.057803468208092484(x11)^1)^{(0.009543)} * (0.717113836079 + \\
& 0.07618029336095426(x11)^1 + 0.006682481873767917(x11)^2)^{(-0.005060)} * (0.484109695451 + - \\
& 0.04030734008830531(x11)^1 + 0.013210455496119235(x11)^2 + 0.0007725412570829961(x11)^3)^{(-0.019919)} \\
& * (0.942935327397 + -0.1623816971820668(x11)^1 + -0.0026371343316205983(x11)^2 + \\
& 0.002036293718091597(x11)^3 + 8.931112798647354e-05(x11)^4)^{(0.014925)} * (1.47828699428 + - \\
& 0.07329269997415769(x11)^1 + -0.033720670857079256(x11)^2 + 0.00026442288875532785(x11)^3 + \\
& 0.00029426209799011515(x11)^4 + 1.0324985894390005e-05(x11)^5)^{(-0.012079)} * (1.37223644918 + \\
& 0.16937806763602192(x11)^1 + -0.028056567848669518(x11)^2 + -0.005760393185279329(x11)^3 + \\
& 0.0001351648081174552(x11)^4 + 4.082248758244372e-05(x11)^5 + 1.193639987790752e-06(x11)^6)^{(- \\
& 0.002210)} * (0.76700176414 + 0.22793910861057778(x11)^1 + 0.03481380737714927(x11)^2 + - \\
& 0.007303822773698878(x11)^3 + -0.0008711353672398071(x11)^4 + 3.2201371023226694e-05(x11)^5 + \\
& 5.5059231806764175e-06(x11)^6 + 1.3799306217234126e-07(x11)^7)^{(-0.025818)} * (0.474227141063 + - \\
& 0.04611163026956169(x11)^1 + 0.07734880029495028(x11)^2 + 0.004972187123668424(x11)^3 + - \\
& 0.0015535803418707244(x11)^4 + -0.000120312378034168(x11)^5 + 6.157242457652285e-06(x11)^6 + \\
& 7.274547554981228e-07(x11)^7 + 1.5952955164432517e-08(x11)^8)^{(0.006290)} * (0.886535195867 + - \\
& 0.3191077966422472(x11)^1 + 0.0108250979883599(x11)^2 + 0.019522350739000632(x11)^3 + \\
& 0.0004222081042346375(x11)^4 + -0.0002910870238169241(x11)^5 + -1.5357494975537688e-05(x11)^6 + \\
& 1.0531901244162812e-06(x11)^7 + 9.461116762258823e-08(x11)^8 + 1.8442722733447996e- \\
& 09(x11)^9)^{(0.018048)} * (1.45100414408 + -0.17728481423839798(x11)^1 + -0.10710657348669542(x11)^2 + \\
& 0.009143708506466097(x11)^3 + 0.004088717559574549(x11)^4 + -2.2692007112864218e-05(x11)^5 + - \\
& 4.9928889298980484e-05(x11)^6 + -1.8088780232859708e-06(x11)^7 + 1.6814805984886622e-07(x11)^8 + \\
& 1.2153008044006196e-08(x11)^9 + 2.1321066743870515e-10(x11)^10)^{(0.000118)} * (1.41065828636 + \\
& 0.2544234848406666(x11)^1 + -0.10189935037131517(x11)^2 + -0.025879279640716114(x11)^3 +
\end{aligned}$$

0.003329167456001315(x11)^4 + 0.0007488180202367183(x11)^5 + -2.016697625186731e-05(x11)^6 + -  
 8.017293480683394e-06(x11)^7 + -1.929272464835632e-07(x11)^8 + 2.5603150350898155e-08(x11)^9 +  
 1.5454692310296896e-09(x11)^10 + 2.4648632073838745e-11(x11)^11^(0.004589) \* (0.819603050402 +  
 0.39241454255606373(x11)^1 + 0.06937214432185967(x11)^2 + -0.0379773783704426(x11)^3 + -  
 0.0048867551481882555(x11)^4 + 0.0009010076338585999(x11)^5 + 0.0001232082252066192(x11)^6 + -  
 5.80563632258254e-06(x11)^7 + -1.2221340466280224e-06(x11)^8 + -1.758529584556037e-08(x11)^9 +  
 3.765092797043073e-09(x11)^10 + 1.9490941431798504e-10(x11)^11 + 2.849552840906213e-  
 12(x11)^12)^(0.008467) \* (0.470467423158 + -0.016693318023125056(x11)^1 + 0.19297862958410875(x11)^2 +  
 0.008873625029194324(x11)^3 + -0.010939789735205452(x11)^4 + -0.0007200332381782507(x11)^5 +  
 0.00020551894359710748(x11)^6 + 1.8435339511654327e-05(x11)^7 + -1.2835814689340414e-06(x11)^8 + -  
 1.784783217899406e-07(x11)^9 + -1.0974076012510614e-09(x11)^10 + 5.390596290424142e-10(x11)^11 +  
 2.4410620290306408e-11(x11)^12 + 3.2942807409320385e-13(x11)^13)^(-0.001459) \* (0.831456407632 + -  
 0.4646324026224522(x11)^1 + 0.05586310083493716(x11)^2 + 0.06613440637628265(x11)^3 + -  
 0.0012962710323292685(x11)^4 + -0.002640195979849518(x11)^5 + -7.102039395514325e-05(x11)^6 +  
 4.171319456692214e-05(x11)^7 + 2.5075589181575394e-06(x11)^8 + -2.4841561781186163e-07(x11)^9 + -  
 2.5121572001328794e-08(x11)^10 + 3.344113877920622e-11(x11)^11 + 7.555509047668464e-11(x11)^12 +  
 3.0391167991488637e-12(x11)^13 + 3.808417041539929e-14(x11)^14)^(0.003539) \* (1.51327433628 +  
 0.04424778761061947(x12)^1)^(0.006193) \* (1.02690108857 + 0.09084501527136031(x12)^1 +  
 0.00391573341686898(x12)^2)^(-0.000511) \* (0.514340940483 + 0.05138966953289107(x12)^1 +  
 0.0120590728236319(x12)^2 + 0.00034652508113884774(x12)^3)^(-0.015278) \* (0.474546248559 + -  
 0.08106969606211539(x12)^1 + 0.013011250148354126(x12)^2 + 0.0014228994482161533(x12)^3 +  
 3.066593638396882e-05(x12)^4)^(-0.010346) \* (0.94625520848 + -0.18111199039674133(x12)^1 + -  
 0.005876700641437886(x12)^2 + 0.002265588524848895(x12)^3 + 0.00015740038143983995(x12)^4 +  
 2.713799679997241e-06(x12)^5)^(0.004813) \* (1.47028210705 + -0.10960675350619238(x12)^1 + -  
 0.03507157916051526(x12)^2 + 0.00038277544088201505(x12)^3 + 0.0003314077596568063(x12)^4 +  
 1.671508475467327e-05(x12)^5 + 2.4015926371657e-07(x12)^6)^(0.021093) \* (1.53651226424 +  
 0.11021320866021524(x12)^1 + -0.039825695090258524(x12)^2 + -0.00497633047584747(x12)^3 +  
 0.00021667976387732007(x12)^4 + 4.3773170153621386e-05(x12)^5 + 1.7257462136093346e-06(x12)^6 +  
 2.1253032187307078e-08(x12)^7)^(0.019933) \* (1.08047384562 + 0.2702249379930182(x12)^1 +  
 0.003941946028941511(x12)^2 + -0.009015618680712913(x12)^3 + -0.0005493586799365261(x12)^4 +  
 4.739540530637436e-05(x12)^5 + 5.405135093052427e-06(x12)^6 + 1.7453817583912362e-07(x12)^7 +  
 1.8807993086112456e-09(x12)^8)^(0.013118) \* (0.54609805516 + 0.1743074219896769(x12)^1 +  
 0.06778600588041253(x12)^2 + -0.00392979613188069(x12)^3 + -0.0015784655486540118(x12)^4 + -  
 4.3735292137152685e-05(x12)^5 + 8.017171696397967e-06(x12)^6 + 6.362494397406806e-07(x12)^7 +  
 1.737658830256762e-08(x12)^8 + 1.6644241669126067e-10(x12)^9)^(0.011755) \* (0.453573715424 + -  
 0.1314581990337236(x12)^1 + 0.08106912390047974(x12)^2 + 0.010980253260411703(x12)^3 + -  
 0.0014187826029189807(x12)^4 + -0.00023197902808641622(x12)^5 + -1.045497965524668e-06(x12)^6 +  
 1.1880870628679436e-06(x12)^7 + 7.22623745011644e-08(x12)^8 + 1.7086124191315257e-09(x12)^9 +  
 1.4729417406306254e-11(x12)^10)^(0.013138) \* (0.892968767754 + -0.35761197007525064(x12)^1 +  
 0.00380192670470619(x12)^2 + 0.022375819293053753(x12)^3 + 0.0010937199793222905(x12)^4 + -  
 0.0003199584537673965(x12)^5 + -2.9619543774849485e-05(x12)^6 + 4.908578136879463e-07(x12)^7 +  
 1.6194470435950767e-07(x12)^8 + 7.982431792431758e-09(x12)^9 + 1.6632510274731665e-10(x12)^10 +  
 1.3034882660448013e-12(x12)^11)^(0.005213) \* (1.43655351519 + -0.24511968460515776(x12)^1 + -  
 0.10881333808637925(x12)^2 + 0.012326068023139534(x12)^3 + 0.0045217003952368814(x12)^4 +  
 3.154807961942255e-07(x12)^5 + -5.767531279161251e-05(x12)^6 + -3.305396189953721e-06(x12)^7 +  
 1.3742049136239627e-07(x12)^8 + 2.081713210756901e-08(x12)^9 + 8.624212891689707e-10(x12)^10 +  
 1.6057129790569587e-11(x12)^11 + 1.1535294389777002e-13(x12)^12)^(0.002737) \* (1.55517466377 +  
 0.14461773766553432(x12)^1 + -0.1371961219619773(x12)^2 + -0.019352009471634415(x12)^3 +  
 0.004638828039074811(x12)^4 + 0.00072043278761454(x12)^5 + -2.955905335670028e-05(x12)^6 + -  
 8.988017866349521e-06(x12)^7 + -3.133888185320679e-07(x12)^8 + 2.554847296953254e-08(x12)^9 +  
 2.5612164071579103e-09(x12)^10 + 9.150040507374085e-11(x12)^11 + 1.5394003486534264e-12(x12)^12 +  
 1.0208225123696462e-14(x12)^13)^(-0.004172) \* (1.13336029894 + 0.44270733245376426(x12)^1 + -  
 0.019227128913034852(x12)^2 + -0.04433309738888581(x12)^3 + -0.001472284839340087(x12)^4 +  
 0.001149759596673143(x12)^5 + 9.108661975416295e-05(x12)^6 + -8.53708704954668e-06(x12)^7 + -  
 1.254529178205007e-06(x12)^8 + -2.2323904858497357e-08(x12)^9 + 4.027718825217249e-09(x12)^10 +  
 3.045288087946785e-10(x12)^11 + 9.56229742053768e-12(x12)^12 + 1.4670935929985003e-13(x12)^13 +  
 9.033827543094215e-16(x12)^14)^(0.002635) \* (-2.22 + 10.000000000000002(x21)^1)^(0.005890) \* (21.2368 + -  
 128.80000000000004(x21)^1 + 200.0000000000009(x21)^2)^(-0.017927) \* (-126.104992 +  
 1224.2080000000008(x21)^1 + -3864.0000000000023(x21)^2 + 4000.0000000000023(x21)^3)^(-0.019228) \*  
 (799.31934848 + -10297.19936000001(x21)^1 + 49168.320000000036(x21)^2 + -103040.00000000007(x21)^3 +  
 80000.00000000006(x21)^4)^(-0.034090) \* (-5013.07161221 + 81056.14284800009(x21)^1 + -  
 518723.9680000005(x21)^2 + 1642944.0000000014(x21)^3 + -2576000.0000000023(x21)^4 +  
 1600000.0000000014(x21)^5)^(0.004442) \* (31493.3018342 + -611985.7928253448(x21)^1 +

4912536.890880006(x21)^2 + -20851998.72000002(x21)^3 + 49368320.00000005(x21)^4 + -  
 61824000.00000006(x21)^5 + 32000000.000000034(x21)^6^(0.002496) \* (-197795.3522 +  
 4489978.399630425(x21)^1 + -43357729.46577414(x21)^2 + 230894665.5744003(x21)^3 + -  
 732395955.2000009(x21)^4 + 1383912960.0000017(x21)^5 + -1442560000.0000017(x21)^6 +  
 640000000.0000008(x21)^7^(-0.009947) \* (1242317.20633 + -32259402.144790202(x21)^1 +  
 364110808.861314(x21)^2 + -2333264236.894621(x21)^3 + 9285154942.976013(x21)^4 + -  
 23498494566.400032(x21)^5 + 36936345600.00005(x21)^6 + -32972800000.000046(x21)^7 +  
 12800000000.00002(x21)^8^(0.001089) \* (-7802719.01658 + 228106895.53946707(x21)^1 + -  
 2946703922.4968934(x21)^2 + 22077543197.25325(x21)^3 + -105729286615.45798(x21)^4 +  
 335649490907.13654(x21)^5 + -706397396992.0011(x21)^6 + 950431744000.0016(x21)^7 + -  
 741888000000.0011(x21)^8 + 256000000000.00043(x21)^9^(0.005987) \* (49007201.7004 + -  
 1592803405.4609985(x21)^1 + 23174800362.80802(x21)^2 + -198780192403.3542(x21)^3 +  
 1113162314805.6384(x21)^4 + -4252669959184.7197(x21)^5 + 11225252709171.219(x21)^6 + -  
 20215755571200.04(x21)^7 + 23773593600000.043(x21)^8 + -16486400000000.03(x21)^9 +  
 5120000000000.01(x21)^10^(0.008516) \* (-307803651.494 + 11009691049.638353(x21)^1 + -  
 178155078523.20676(x21)^2 + 1721562903136.5083(x21)^3 + -11038639868799.938(x21)^4 +  
 49314791342355.234(x21)^5 + -156637629233765.06(x21)^6 + 353744088317952.7(x21)^7 + -  
 556675166208001.2(x21)^8 + 581388288000001.1(x21)^9 + -362700800000000.7(x21)^10 +  
 102400000000000.22(x21)^11^(-0.002692) \* (1933248322.36 + -75465680004.0963(x21)^1 +  
 1344337726319.4111(x21)^2 + -14451186474259.898(x21)^3 + 104406936502996.16(x21)^4 + -  
 534107383661581.9(x21)^5 + 1983816906403381.0(x21)^6 + -5390648757871718.0(x21)^7 +  
 1.0636096243138584e+16(x21)^8 + -1.4861157498880034e+16(x21)^9 + 1.3958438912000028e+16(x21)^10 + -  
 7913472000000016.0(x21)^11 + 2048000000000004.8(x21)^12^(-0.002149) \* (-12142315536.1 +  
 513654254604.0005(x21)^1 + -9988693479055.723(x21)^2 + 118230832517485.45(x21)^3 + -  
 950365760695693.4(x21)^4 + 5478475489498156.0(x21)^5 + -2.330129092123565e+16(x21)^6 +  
 7.403837204044355e+16(x21)^7 + -1.7575275979703888e+17(x21)^8 + 3.078463908675592e+17(x21)^9 + -  
 3.867527957708809e+17(x21)^10 + 3.300291379200007e+17(x21)^11 + -1.714585600000004e+17(x21)^12 +  
 4.096000000000104e+16(x21)^13^(-0.028004) \* (76263263738.5 + -3475314030387.326(x21)^1 +  
 73255933370879.48(x21)^2 + -946729244519461.1(x21)^3 + 8380565212726980.0(x21)^4 + -  
 5.375458998262042e+16(x21)^5 + 2.5764600641631738e+17(x21)^6 + -9.374422856072979e+17(x21)^7 +  
 2.6019791176586634e+18(x21)^8 + -5.482724795628979e+18(x21)^9 + 8.633657383203658e+18(x21)^10 + -  
 9.852530091622425e+18(x21)^11 + 7.702727884800018e+18(x21)^12 + -3.6929536000000008e+18(x21)^13 +  
 8.192000000000022e+17(x21)^14^(0.009440) \* (-478993102931.0 + 23392633375839.418(x21)^1 + -  
 531285798037154.94(x21)^2 + 7443824169605436.0(x21)^3 + -7.19550590996553e+16(x21)^4 +  
 5.0831238825311706e+17(x21)^5 + -2.711030790052257e+18(x21)^6 + 1.1116010075596904e+19(x21)^7 + -  
 3.5329838470070714e+19(x21)^8 + 8.704048364615634e+19(x21)^9 + -1.648684966646403e+20(x21)^10 +  
 2.357934123162016e+20(x21)^11 + -2.4648471085056066e+20(x21)^12 + 1.7779621888000046e+20(x21)^13 + -  
 7.91347200000002e+19(x21)^14 + 1.6384000000000047e+19(x21)^15^(0.006459) \* (1.5393258427 +  
 0.05617977528089889(x22)^1^(0.007360) \* (1.0817447292 + 0.12119681858351224(x22)^1 +  
 0.006312334301224596(x22)^2^(0.001049) \* (0.548848247228 + 0.08373417838231195(x22)^1 +  
 0.020426430098344762(x22)^2 + 0.0007092510450814154(x22)^3)^(-0.026688) \* (0.431619672303 + -  
 0.08156801412305299(x22)^1 + 0.025129003600620543(x22)^2 + 0.0030601393405759953(x22)^3 +  
 7.969112866083321e-05(x22)^4^(-0.019115) \* (0.838067354358 + -0.23558061245848316(x22)^1 + -  
 0.002485933419366756(x22)^2 + 0.0054150569628006184(x22)^3 + 0.0004297948512044938(x22)^4 +  
 8.954059400093621e-06(x22)^5^(0.003671) \* (1.39371140655 + -0.1907360898369085(x22)^1 + -  
 0.05428019161010414(x22)^2 + 0.0025015026171227904(x22)^3 + 0.0009923411785710502(x22)^4 +  
 5.794986757813401e-05(x22)^5 + 1.00607408989816e-06(x22)^6^(0.015483) \* (1.58661011788 +  
 0.07408004438209295(x22)^1 + -0.07749450807433078(x22)^2 + -0.00881570488254504(x22)^3 +  
 0.0009216633433353796(x22)^4 + 0.0001650526717595847(x22)^5 + 7.596424588893973e-06(x22)^6 +  
 1.1304203257282699e-07(x22)^7^(0.009256) \* (1.23903658577 + 0.3365539037637416(x22)^1 + -  
 0.020985789640624287(x22)^2 + -0.020717825644849(x22)^3 + -0.0009887160984053645(x22)^4 +  
 0.0002236421540204495(x22)^5 + 2.5733066113805984e-05(x22)^6 + 9.754638316396757e-07(x22)^7 +  
 1.2701351974474945e-08(x22)^8^(0.003332) \* (0.671227098227 + 0.31580243448288037(x22)^1 +  
 0.09267319607587576(x22)^2 + -0.015889566559159966(x22)^3 + -0.004315989207328693(x22)^4 + -  
 3.4912381850489034e-05(x22)^5 + 4.5288922457509064e-05(x22)^6 + 3.830499416589744e-06(x22)^7 +  
 1.2330301242636353e-07(x22)^8 + 1.4271181993792077e-09(x22)^9^(0.006673) \* (0.406331969624 + -  
 0.03285385103762541(x22)^1 + 0.15643130838346547(x22)^2 + 0.013991236555853463(x22)^3 + -  
 0.0054520774914278355(x22)^4 + -0.0007462430611095948(x22)^5 + 1.9195166890867935e-05(x22)^6 +  
 8.244953792716573e-06(x22)^7 + 5.506928430685403e-07(x22)^8 + 1.5393634510157748e-08(x22)^9 +  
 1.603503594808099e-10(x22)^10^(0.010370) \* (0.688411880244 + -0.4179445693521902(x22)^1 +  
 0.07237025442340964(x22)^2 + 0.048557788954627146(x22)^3 + 7.145683524886499e-06(x22)^4 + -  
 0.0013826169302933265(x22)^5 + -0.00010843155829540381(x22)^6 + 7.219694212730147e-06(x22)^7 +  
 1.3971020534359465e-06(x22)^8 + 7.705285195411009e-08(x22)^9 + 1.902584040581295e-09(x22)^10 +



$$\begin{aligned}
& 1.801689432368651e-11(x22)^{11}\wedge(-0.020343) * (1.25757297985 + -0.4529726641912008(x22)^1 + - \\
& 0.12532907544946997(x22)^2 + 0.046517193600082975(x22)^3 + 0.010915716538221838(x22)^4 + - \\
& 0.0007443161352152359(x22)^5 + -0.0002915052668829128(x22)^6 + -1.2640739618918168e-05(x22)^7 + \\
& 1.7674952384724986e-06(x22)^8 + 2.2469731292752806e-07(x22)^9 + 1.0549498937563068e-08(x22)^10 + \\
& 2.3320744113356023e-10(x22)^11 + 2.024370148728822e-12(x22)^12\wedge(-0.018831) * (1.58941964859 + - \\
& 0.04171437406160482(x22)^1 + -0.258452477851064(x22)^2 + -0.012463858267961512(x22)^3 + \\
& 0.01699376132400458(x22)^4 + 0.001806244080872599(x22)^5 + -0.0002896321155575404(x22)^6 + - \\
& 5.3608050080654575e-05(x22)^7 + -9.108981578833821e-07(x22)^8 + 3.639122539533921e-07(x22)^9 + \\
& 3.4723539861456194e-08(x22)^10 + 1.4188696643780273e-09(x22)^11 + 2.8386673546219887e-11(x22)^12 + \\
& 2.2745732008189017e-13(x22)^13\wedge(-0.010679) * (1.3782055175 + 0.4742043111118968(x22)^1 + - \\
& 0.15813813370017202(x22)^2 + -0.08900095958025116(x22)^3 + 0.006014199241832284(x22)^4 + \\
& 0.004602035741999666(x22)^5 + 0.0001820418704245086(x22)^6 + -7.772660828353408e-05(x22)^7 + - \\
& 8.773413485251722e-06(x22)^8 + 6.548914550721144e-08(x22)^9 + 6.779412315495062e-08(x22)^10 + \\
& 5.198780046449054e-09(x22)^11 + 1.880185209098935e-10(x22)^12 + 3.4348611032591057e-12(x22)^13 + \\
& 2.555700225639216e-14(x22)^14\wedge(0.005105) * (0.818532370289 + 0.5957106554292644(x22)^1 + \\
& 0.14115789668143147(x22)^2 + -0.10130550641412567(x22)^3 + -0.02050664299351694(x22)^4 + \\
& 0.0038335022522767476(x22)^5 + 0.0010030745535434895(x22)^6 + -9.777744199954433e-06(x22)^7 + - \\
& 1.72858858506615e-05(x22)^8 + -1.279049072872775e-06(x22)^9 + 4.57610362952558e-08(x22)^10 + \\
& 1.1806120403134504e-08(x22)^11 + 7.585524104070422e-10(x22)^12 + 2.46032379047699e-11(x22)^13 + \\
& 4.1350655336185073e-13(x22)^14 + 2.871573287235075e-15(x22)^15\wedge(-0.001809) * (2.00943396226 + \\
& 0.009433962264150943(x31)^1\wedge(0.008711) * (2.53791384834 + 0.03809184763260947(x31)^1 + \\
& 0.00017799928800284797(x31)^2\wedge(0.000333) * (3.09541097685 + 0.09648568952894002(x31)^1 + \\
& 0.0010780711594134756(x31)^2 + 3.358477132129207e-06(x31)^3\wedge(-0.005493) * (3.69244416152 + \\
& 0.1962360723002819(x31)^1 + 0.003818968704189263(x31)^2 + 2.7121287029269825e-05(x31)^3 + \\
& 6.336749305904164e-08(x31)^4\wedge(-0.002862) * (4.34027817942 + 0.3504898557096599(x31)^1 + \\
& 0.010334489664143753(x31)^2 + 0.00012345183260977898(x31)^3 + 6.396529959733449e-07(x31)^4 + \\
& 1.1956130765856913e-09(x31)^5\wedge(0.001472) * (5.05113631392 + 0.5743807718573476(x31)^1 + \\
& 0.023658017140585106(x31)^2 + 0.0004171020290724303(x31)^3 + 3.557287283901844e-06(x31)^4 + \\
& 1.4482709342792713e-08(x31)^5 + 2.2558737294069647e-11(x31)^6\wedge(-0.012359) * (5.83843098264 + \\
& 0.8855455952838289(x31)^1 + 0.04826529535283651(x31)^2 + 0.001164999757038054(x31)^3 + \\
& 1.4411889804968685e-05(x31)^4 + 9.516169227399287e-08(x31)^5 + 3.1880177798600313e-10(x31)^6 + \\
& 4.256365527182952e-13(x31)^7\wedge(-0.002728) * (6.71701680198 + 1.3047099767843744(x31)^1 + \\
& 0.09049164697332691(x31)^2 + 0.002845544562548482(x31)^3 + 4.751954226646993e-05(x31)^4 + \\
& 4.495586279833568e-07(x31)^5 + 2.416563574375651e-09(x31)^6 + 6.874431870318127e-12(x31)^7 + \\
& 8.030878353175381e-15(x31)^8\wedge(-0.013362) * (7.70347086287 + 1.8563597692050078(x31)^1 + \\
& 0.15904255753264185(x31)^2 + 0.006287168453641464(x31)^3 + 0.00013521330991315893(x31)^4 + \\
& 1.7090329390597637e-06(x31)^5 + 1.3042159173741384e-08(x31)^6 + 5.904847258878531e-11(x31)^7 + \\
& 1.4591954441713006e-13(x31)^8 + 1.5152600666368642e-16(x31)^9\wedge(-0.003308) * (8.81640550607 + \\
& 2.569515799966603(x31)^1 + 0.26561992708700694(x31)^2 + 0.012848221136928472(x31)^3 + \\
& 0.00034408409196653897(x31)^4 + 5.551947681310109e-06(x31)^5 + 5.6159737758644953e-08(x31)^6 + \\
& 3.584151104078218e-10(x31)^7 + 1.4006835337490555e-12(x31)^8 + 3.0591099458517833e-15(x31)^9 + \\
& 2.858981257805404e-18(x31)^10\wedge(-0.002511) * (10.0768194984 + 3.478632610087364(x31)^1 + \\
& 0.4256904235669116(x31)^2 + 0.02466338982444068(x31)^3 + 0.0008018662934330325(x31)^4 + \\
& 1.5991768832010436e-05(x31)^5 + 2.0509066387314762e-07(x31)^6 + 1.7241619910391745e-09(x31)^7 + \\
& 9.444424767261558e-12(x31)^8 + 3.2452404143434343e-14(x31)^9 + 6.349096114032003e-17(x31)^10 + \\
& 5.3943042600101965e-20(x31)^11\wedge(-0.017279) * (11.5084942361 + 4.624644743010638(x31)^1 + \\
& 0.6594273923799168(x31)^2 + 0.044975800274053894(x31)^3 + 0.0017401250254254455(x31)^4 + \\
& 4.186287417639083e-05(x31)^5 + 6.596227125514917e-07(x31)^6 + 6.992075397409902e-09(x31)^7 + \\
& 5.019772101598985e-11(x31)^8 + 2.4065470157507344e-13(x31)^9 + 7.376303958261303e-16(x31)^10 + \\
& 1.3068465414817158e-18(x31)^11 + 1.0177932566056974e-21(x31)^12\wedge(-0.003573) * (13.1384424499 + \\
& 6.056187800067493(x31)^1 + 0.9928638354455707(x31)^2 + 0.07857883700015704(x31)^3 + \\
& 0.003559816310238223(x31)^4 + 0.00010135639272080586(x31)^5 + 1.916466023285351e-06(x31)^6 + \\
& 2.483762631225047e-08(x31)^7 + 2.2382409497086706e-10(x31)^8 + 1.4005244653758622e-12(x31)^9 + \\
& 5.9663421318496684e-15(x31)^10 + 1.6501962160506953e-17(x31)^11 + 2.6712272074311798e-20(x31)^12 + \\
& 1.9203646351050893e-23(x31)^13\wedge(-0.011660) * (14.9974178797 + 7.831025767500419(x31)^1 + \\
& 1.4593012527661973(x31)^2 + 0.13239777320636847(x31)^3 + 0.006929293506567893(x31)^4 + \\
& 0.00022992864150973085(x31)^5 + 5.121853838624704e-06(x31)^6 + 7.931154797421559e-08(x31)^7 + \\
& 8.703080237789769e-10(x31)^8 + 6.809915350615196e-12(x31)^9 + 3.773261627367909e-14(x31)^10 + \\
& 1.4458092860991285e-16(x31)^11 + 3.6426853263883412e-19(x31)^12 + 5.427747591297027e-22(x31)^13 + \\
& 3.6233295001982815e-25(x31)^14\wedge(0.002758) * (2.00943396226 + 0.009433962264150943(x32)^1\wedge(0.011959) * \\
& (2.53791384834 + 0.03809184763260947(x32)^1 + 0.00017799928800284797(x32)^2\wedge(0.008671) * \\
& (3.09541097685 + 0.09648568952894002(x32)^1 + 0.0010780711594134756(x32)^2 + 3.358477132129207e- \\
& 06(x32)^3\wedge(-0.016644) * (3.69244416152 + 0.1962360723002819(x32)^1 + 0.003818968704189263(x32)^2 +
\end{aligned}$$

$$\begin{aligned}
& 2.7121287029269825e-05(x32)^3 + 6.336749305904164e-08(x32)^4)^{(-0.029631)} * (4.34027817942 + \\
& 0.3504898557096599(x32)^1 + 0.010334489664143753(x32)^2 + 0.00012345183260977898(x32)^3 + \\
& 6.396529959733449e-07(x32)^4 + 1.1956130765856913e-09(x32)^5)^{(-0.016844)} * (5.05113631392 + \\
& 0.5743807718573476(x32)^1 + 0.023658017140585106(x32)^2 + 0.0004171020290724303(x32)^3 + \\
& 3.557287283901844e-06(x32)^4 + 1.4482709342792713e-08(x32)^5 + 2.2558737294069647e- \\
& 11(x32)^6)^{(0.001925)} * (5.83843098264 + 0.8855455952838289(x32)^1 + 0.04826529535283651(x32)^2 + \\
& 0.001164999757038054(x32)^3 + 1.4411889804968685e-05(x32)^4 + 9.516169227399287e-08(x32)^5 + \\
& 3.1880177798600313e-10(x32)^6 + 4.256365527182952e-13(x32)^7)^{(-0.015252)} * (6.71701680198 + \\
& 1.3047099767843744(x32)^1 + 0.09049164697332691(x32)^2 + 0.002845544562548482(x32)^3 + \\
& 4.751954226646993e-05(x32)^4 + 4.495586279833568e-07(x32)^5 + 2.416563574375651e-09(x32)^6 + \\
& 6.874431870318127e-12(x32)^7 + 8.030878353175381e-15(x32)^8)^{(0.003064)} * (7.70347086287 + \\
& 1.8563597692050078(x32)^1 + 0.15904255753264185(x32)^2 + 0.006287168453641464(x32)^3 + \\
& 0.00013521330991315893(x32)^4 + 1.7090329390597637e-06(x32)^5 + 1.3042159173741384e-08(x32)^6 + \\
& 5.904847258878531e-11(x32)^7 + 1.4591954441713006e-13(x32)^8 + 1.5152600666368642e- \\
& 16(x32)^9)^{(0.001108)} * (8.81640550607 + 2.569515799966603(x32)^1 + 0.26561992708700694(x32)^2 + \\
& 0.012848221136928472(x32)^3 + 0.00034408409196653897(x32)^4 + 5.551947681310109e-06(x32)^5 + \\
& 5.6159737758644953e-08(x32)^6 + 3.584151104078218e-10(x32)^7 + 1.4006835337490555e-12(x32)^8 + \\
& 3.0591099458517833e-15(x32)^9 + 2.858981257805404e-18(x32)^10)^{(-0.001916)} * (10.0768194984 + \\
& 3.478632610087364(x32)^1 + 0.4256904235669116(x32)^2 + 0.02466338982444068(x32)^3 + \\
& 0.0008018662934330325(x32)^4 + 1.5991768832010436e-05(x32)^5 + 2.0509066387314762e-07(x32)^6 + \\
& 1.7241619910391745e-09(x32)^7 + 9.444424767261558e-12(x32)^8 + 3.2452404143434343e-14(x32)^9 + \\
& 6.349096114032003e-17(x32)^10 + 5.3943042600101965e-20(x32)^11)^{(-0.005502)} * (11.5084942361 + \\
& 4.624644743010638(x32)^1 + 0.6594273923799168(x32)^2 + 0.044975800274053894(x32)^3 + \\
& 0.0017401250254254455(x32)^4 + 4.186287417639083e-05(x32)^5 + 6.596227125514917e-07(x32)^6 + \\
& 6.992075397409902e-09(x32)^7 + 5.019772101598985e-11(x32)^8 + 2.4065470157507344e-13(x32)^9 + \\
& 7.376303958261303e-16(x32)^10 + 1.3068465414817158e-18(x32)^11 + 1.0177932566056974e-21(x32)^12)^{(- \\
& 0.009855)} * (13.1384424499 + 6.056187800067493(x32)^1 + 0.9928638354455707(x32)^2 + \\
& 0.07857883700015704(x32)^3 + 0.003559816310238223(x32)^4 + 0.00010135639272080586(x32)^5 + \\
& 1.916466023285351e-06(x32)^6 + 2.483762631225047e-08(x32)^7 + 2.2382409497086706e-10(x32)^8 + \\
& 1.4005244653758622e-12(x32)^9 + 5.9663421318496684e-15(x32)^10 + 1.6501962160506953e-17(x32)^11 + \\
& 2.6712272074311798e-20(x32)^12 + 1.9203646351050893e-23(x32)^13)^{(-0.025627)} * (14.9974178797 + \\
& 7.831025767500419(x32)^1 + 1.4593012527661973(x32)^2 + 0.13239777320636847(x32)^3 + \\
& 0.006929293506567893(x32)^4 + 0.00022992864150973085(x32)^5 + 5.121853838624704e-06(x32)^6 + \\
& 7.931154797421559e-08(x32)^7 + 8.703080237789769e-10(x32)^8 + 6.809915350615196e-12(x32)^9 + \\
& 3.773261627367909e-14(x32)^10 + 1.4458092860991285e-16(x32)^11 + 3.6426853263883412e-19(x32)^12 + \\
& 5.427747591297027e-22(x32)^13 + 3.6233295001982815e-25(x32)^14)^{(-0.009999)} + -213.0
\end{aligned}$$

Предложим свой вариант дискретной выборки для реальной задачи и построим в мультипликативной форме приближающие функции.

Мы взяли выборку из лабораторной работы №2, которая вмещает факторы, влияющие на стоимость квадратного метра жилья в разных городах. Были получены такие результаты:

System Analysis - Lab 3
?
X

Дані

Розмір вибірки
100

Jni:/sys-an-labs-master/la2/data\_self.txt

E:/Uni/sys-an-labs-master/l2/ololo.xlsx

Типи поліномів

☐ Чебишев I
☐ Чебишев I зміщ.
☒ Чебишев II зміщ.
☐ Власний тип

Поліноми

Порядки

X1 10
X2 11
X3 10

☒ Триблоковий лямбда-вираз

Розмірності

X1 1 Y 1
X2 5 X3 6

Виконання

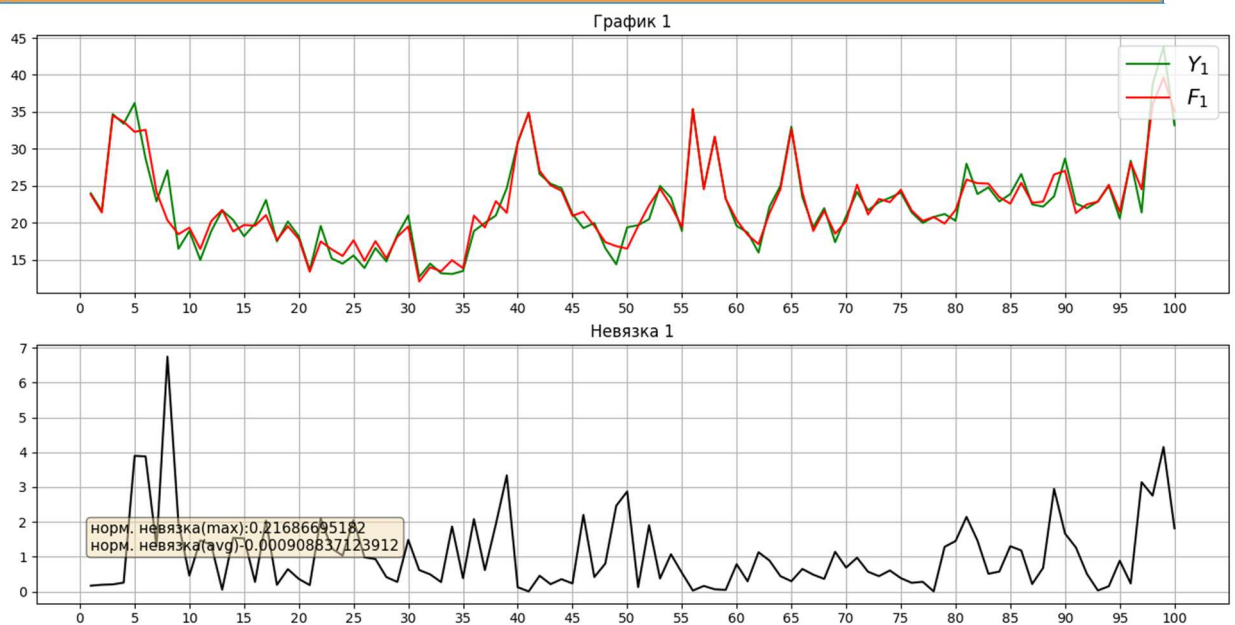
Графіки
Ок

Додатково

Ваги
Scaled

Введенные данные: X

6.575	18	2.31	65.2	4.09	1	4.09	0.00632	0.538	15.3	396.9	4.98
6.421	0	7.07	78.9	4.9671	2	4.9671	0.02731	0.469	17.8	396.9	9.14
7.185	0	7.07	61.1	4.9671	2	4.9671	0.02729	0.469	17.8	392.83	4.03
6.998	0	2.18	45.8	6.0622	3	6.0622	0.03237	0.458	18.7	394.63	2.94
7.147	0	2.18	54.2	6.0622	3	6.0622	0.06905	0.458	18.7	396.9	5.33
6.43	0	2.18	58.7	6.0622	3	6.0622	0.02985	0.458	18.7	394.12	5.21
6.012	12.5	7.87	66.6	5.5605	5	5.5605	0.08829	0.524	15.2	395.6	12.43
6.172	12.5	7.87	96.1	5.9505	5	5.9505	0.14455	0.524	15.2	396.9	19.15
5.631	12.5	7.87	100	6.0821	5	6.0821	0.21124	0.524	15.2	386.63	29.93
6.004	12.5	7.87	85.9	6.5921	5	6.5921	0.17004	0.524	15.2	386.71	17.1
6.377	12.5	7.87	94.3	6.3467	5	6.3467	0.22489	0.524	15.2	392.52	20.45
6.009	12.5	7.87	82.9	6.2267	5	6.2267	0.11747	0.524	15.2	396.9	13.27
5.889	12.5	7.87	39	5.4509	5	5.4509	0.09378	0.524	15.2	390.5	15.71
5.949	0	8.14	61.8	4.7075	4	4.7075	0.62976	0.538	21	396.9	8.26
6.096	0	8.14	84.5	4.4619	4	4.4619	0.63796	0.538	21	380.02	10.26
5.834	0	8.14	56.5	4.4986	4	4.4986	0.62739	0.538	21	395.62	8.47
5.935	0	8.14	29.3	4.4986	4	4.4986	1.05393	0.538	21	386.85	6.58
5.99	0	8.14	81.7	4.2579	4	4.2579	0.7842	0.538	21	386.75	14.67
5.456	0	8.14	36.6	3.7965	4	3.7965	0.80271	0.538	21	288.99	11.69



Нормализованная невязка(max) (Y - Φ)

-----

0.216867

-----

Нормализованная невязка(avg) (Y - Φ)

-----

-0.000908837

-----

Невязка(max) (Y<sub>-</sub> - Φ<sub>-</sub>)

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6.74456

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Невязка(avg) (Y<sub>-</sub> - Φ<sub>-</sub>)

-----

-0.0282648

-----

$$\text{Psi}^1_{[1,1]} = (1 + T^0(x_{11}))^{0.452263} * (1 + T^1(x_{11}))^{0.087345} * (1 + T^2(x_{11}))^{-0.007365} * (1 + T^3(x_{11}))^{-0.059421} * (1 + T^4(x_{11}))^{0.002402} * (1 + T^5(x_{11}))^{-0.015870} * (1 + T^6(x_{11}))^{-0.006114} * (1 + T^7(x_{11}))^{-0.012862} * (1 + T^8(x_{11}))^{0.002572} * (1 + T^9(x_{11}))^{0.013040} * (1 + T^{10}(x_{11}))^{0.008407} - 1$$

$$\text{Psi}^1_{[2,1]} = (1 + T^0(x_{21}))^{-0.018940} * (1 + T^1(x_{21}))^{0.000496} * (1 + T^2(x_{21}))^{-0.048533} * (1 + T^3(x_{21}))^{0.034454} * (1 + T^4(x_{21}))^{-0.029600} * (1 + T^5(x_{21}))^{-0.000223} * (1 + T^6(x_{21}))^{-0.029107} * (1 + T^7(x_{21}))^{0.037737} * (1 + T^8(x_{21}))^{-0.088257} * (1 + T^9(x_{21}))^{-0.039130} * (1 + T^{10}(x_{21}))^{-0.052443} * (1 + T^{11}(x_{21}))^{-0.048118} - 1$$

$$\text{Psi}^1_{[2,2]} = (1 + T^0(x_{22}))^{-0.018940} * (1 + T^1(x_{22}))^{-0.079119} * (1 + T^2(x_{22}))^{0.002730} * (1 + T^3(x_{22}))^{0.019804} * (1 + T^4(x_{22}))^{-0.006449} * (1 + T^5(x_{22}))^{0.014850} * (1 + T^6(x_{22}))^{-0.091640} * (1 + T^7(x_{22}))^{-0.017601} * (1 + T^8(x_{22}))^{-0.030805} * (1 + T^9(x_{22}))^{0.068775} * (1 + T^{10}(x_{22}))^{0.113616} * (1 + T^{11}(x_{22}))^{0.006229} - 1$$

$$\text{Psi}^1_{[2,3]} = (1 + T^0(x_{23}))^{-0.018940} * (1 + T^1(x_{23}))^{-0.026311} * (1 + T^2(x_{23}))^{-0.019019} * (1 + T^3(x_{23}))^{0.003466} * (1 + T^4(x_{23}))^{-0.001936} * (1 + T^5(x_{23}))^{-0.001816} * (1 + T^6(x_{23}))^{0.016276} * (1 + T^7(x_{23}))^{-0.003019} * (1 + T^8(x_{23}))^{-0.007224} * (1 + T^9(x_{23}))^{0.005659} * (1 + T^{10}(x_{23}))^{-0.004114} * (1 + T^{11}(x_{23}))^{0.011077} - 1$$

$$\text{Psi}^1_{[2,4]} = (1 + T^0(x_{24}))^{-0.018940} * (1 + T^1(x_{24}))^{0.051664} * (1 + T^2(x_{24}))^{0.002563} * (1 + T^3(x_{24}))^{-0.006986} * (1 + T^4(x_{24}))^{0.002253} * (1 + T^5(x_{24}))^{-0.023655} * (1 + T^6(x_{24}))^{0.000860} * (1 + T^7(x_{24}))^{-0.003791} * (1 + T^8(x_{24}))^{0.011558} * (1 + T^9(x_{24}))^{-0.007125} * (1 + T^{10}(x_{24}))^{-0.007873} * (1 + T^{11}(x_{24}))^{0.000819} - 1$$

$$\text{Psi}^1_{[2,5]} = (1 + T^0(x_{25}))^{-0.018940} * (1 + T^1(x_{25}))^{-0.006895} * (1 + T^2(x_{25}))^{-0.027861} * (1 + T^3(x_{25}))^{0.006034} * (1 + T^4(x_{25}))^{-0.062087} * (1 + T^5(x_{25}))^{-0.000685} * (1 + T^6(x_{25}))^{-0.022880} * (1 + T^7(x_{25}))^{-0.004844} * (1 + T^8(x_{25}))^{-0.029947} * (1 + T^9(x_{25}))^{-0.002702} * (1 + T^{10}(x_{25}))^{-0.023460} * (1 + T^{11}(x_{25}))^{-0.014972} - 1$$

$$\text{Psi}^1_{[3,1]} = (1 + T^0(x_{31}))^{0.129045} * (1 + T^1(x_{31}))^{0.013209} * (1 + T^2(x_{31}))^{0.013109} * (1 + T^3(x_{31}))^{0.002067} * (1 + T^4(x_{31}))^{-0.006290} * (1 + T^5(x_{31}))^{-0.011357} * (1 + T^6(x_{31}))^{-0.003524} * (1 + T^7(x_{31}))^{0.000977} * (1 + T^8(x_{31}))^{0.005639} * (1 + T^9(x_{31}))^{-0.001742} * (1 + T^{10}(x_{31}))^{-0.010202} - 1$$

$$\text{Psi}^1_{[3,2]} = (1 + T^0(x_{32}))^{0.129045} * (1 + T^1(x_{32}))^{0.003315} * (1 + T^2(x_{32}))^{-0.008621} * (1 + T^3(x_{32}))^{-0.001306} * (1 + T^4(x_{32}))^{0.025988} * (1 + T^5(x_{32}))^{0.001697} * (1 + T^6(x_{32}))^{0.006532} * (1 + T^7(x_{32}))^{0.003074} * (1 + T^8(x_{32}))^{-0.004752} * (1 + T^9(x_{32}))^{-0.002950} * (1 + T^{10}(x_{32}))^{0.000217} - 1$$

$$\text{Psi}^1_{[3,3]} = (1 + T^0(x_{33}))^{0.129045} * (1 + T^1(x_{33}))^{0.216103} * (1 + T^2(x_{33}))^{0.082013} * (1 + T^3(x_{33}))^{0.040819} * (1 + T^4(x_{33}))^{-0.032826} * (1 + T^5(x_{33}))^{-0.018956} * (1 + T^6(x_{33}))^{-0.109842} *$$

$$(1 + T^7(x_{33}))^{(-0.070951)} * (1 + T^8(x_{33}))^{(-0.106783)} * (1 + T^9(x_{33}))^{(-0.114236)} * (1 + T^{10}(x_{33}))^{(-0.020081)} - 1$$

$$\text{Psi}^1_{[3,4]} = (1 + T^0(x_{34}))^{(0.129045)} * (1 + T^1(x_{34}))^{(0.037262)} * (1 + T^2(x_{34}))^{(0.143393)} * (1 + T^3(x_{34}))^{(0.024502)} * (1 + T^4(x_{34}))^{(-0.322708)} * (1 + T^5(x_{34}))^{(-0.010047)} * (1 + T^6(x_{34}))^{(-0.344970)} * (1 + T^7(x_{34}))^{(-0.026690)} * (1 + T^8(x_{34}))^{(0.030255)} * (1 + T^9(x_{34}))^{(-0.007109)} * (1 + T^{10}(x_{34}))^{(0.153355)} - 1$$

$$\text{Psi}^1_{[3,5]} = (1 + T^0(x_{35}))^{(0.129045)} * (1 + T^1(x_{35}))^{(-0.006726)} * (1 + T^2(x_{35}))^{(0.012967)} * (1 + T^3(x_{35}))^{(0.002899)} * (1 + T^4(x_{35}))^{(0.001245)} * (1 + T^5(x_{35}))^{(-0.006680)} * (1 + T^6(x_{35}))^{(0.000927)} * (1 + T^7(x_{35}))^{(-0.000266)} * (1 + T^8(x_{35}))^{(0.001757)} * (1 + T^9(x_{35}))^{(0.014157)} * (1 + T^{10}(x_{35}))^{(-0.015251)} - 1$$

$$\text{Psi}^1_{[3,6]} = (1 + T^0(x_{36}))^{(0.129045)} * (1 + T^1(x_{36}))^{(-0.047229)} * (1 + T^2(x_{36}))^{(0.025075)} * (1 + T^3(x_{36}))^{(0.037988)} * (1 + T^4(x_{36}))^{(-0.000492)} * (1 + T^5(x_{36}))^{(-0.002739)} * (1 + T^6(x_{36}))^{(-0.031686)} * (1 + T^7(x_{36}))^{(-0.006372)} * (1 + T^8(x_{36}))^{(0.004369)} * (1 + T^9(x_{36}))^{(0.005985)} * (1 + T^{10}(x_{36}))^{(0.010101)} - 1$$

$$\text{Phi}^1_{[1]} = (1 + T^0(x_{11}))^{(0.452263)} * (1 + T^1(x_{11}))^{(0.087345)} * (1 + T^2(x_{11}))^{(-0.007365)} * (1 + T^3(x_{11}))^{(-0.059421)} * (1 + T^4(x_{11}))^{(0.002402)} * (1 + T^5(x_{11}))^{(-0.015870)} * (1 + T^6(x_{11}))^{(-0.006114)} * (1 + T^7(x_{11}))^{(-0.012862)} * (1 + T^8(x_{11}))^{(0.002572)} * (1 + T^9(x_{11}))^{(0.013040)} * (1 + T^{10}(x_{11}))^{(0.008407)} - 1$$

$$\text{Phi}^1_{[2]} = (1 + T^0(x_{21}))^{(-0.018940)} * (1 + T^1(x_{21}))^{(0.000496)} * (1 + T^2(x_{21}))^{(-0.048533)} * (1 + T^3(x_{21}))^{(0.034454)} * (1 + T^4(x_{21}))^{(-0.029600)} * (1 + T^5(x_{21}))^{(-0.000223)} * (1 + T^6(x_{21}))^{(-0.029107)} * (1 + T^7(x_{21}))^{(0.037737)} * (1 + T^8(x_{21}))^{(-0.088257)} * (1 + T^9(x_{21}))^{(-0.039130)} * (1 + T^{10}(x_{21}))^{(-0.052443)} * (1 + T^{11}(x_{21}))^{(-0.048118)} * (1 + T^0(x_{22}))^{(-0.018940)} * (1 + T^1(x_{22}))^{(-0.079119)} * (1 + T^2(x_{22}))^{(0.002730)} * (1 + T^3(x_{22}))^{(0.019804)} * (1 + T^4(x_{22}))^{(-0.006449)} * (1 + T^5(x_{22}))^{(0.014850)} * (1 + T^6(x_{22}))^{(-0.091640)} * (1 + T^7(x_{22}))^{(-0.017601)} * (1 + T^8(x_{22}))^{(-0.030805)} * (1 + T^9(x_{22}))^{(0.068775)} * (1 + T^{10}(x_{22}))^{(0.113616)} * (1 + T^{11}(x_{22}))^{(0.006229)} * (1 + T^0(x_{23}))^{(-0.018940)} * (1 + T^1(x_{23}))^{(-0.026311)} * (1 + T^2(x_{23}))^{(-0.019019)} * (1 + T^3(x_{23}))^{(0.003466)} * (1 + T^4(x_{23}))^{(-0.001936)} * (1 + T^5(x_{23}))^{(-0.001816)} * (1 + T^6(x_{23}))^{(0.016276)} * (1 + T^7(x_{23}))^{(-0.003019)} * (1 + T^8(x_{23}))^{(-0.007224)} * (1 + T^9(x_{23}))^{(0.005659)} * (1 + T^{10}(x_{23}))^{(-0.004114)} * (1 + T^{11}(x_{23}))^{(0.011077)} * (1 + T^0(x_{24}))^{(-0.018940)} * (1 + T^1(x_{24}))^{(0.051664)} * (1 + T^2(x_{24}))^{(0.002563)} * (1 + T^3(x_{24}))^{(-0.006986)} * (1 + T^4(x_{24}))^{(0.002253)} * (1 + T^5(x_{24}))^{(-0.023655)} * (1 + T^6(x_{24}))^{(0.000860)} * (1 + T^7(x_{24}))^{(-0.003791)} * (1 + T^8(x_{24}))^{(0.011558)} * (1 + T^9(x_{24}))^{(-0.007125)} * (1 + T^{10}(x_{24}))^{(-0.007873)} * (1 + T^{11}(x_{24}))^{(0.000819)} * (1 + T^0(x_{25}))^{(-0.018940)} * (1 + T^1(x_{25}))^{(-0.006895)} * (1 + T^2(x_{25}))^{(-0.027861)} * (1 + T^3(x_{25}))^{(0.006034)} * (1 + T^4(x_{25}))^{(-0.062087)} * (1 + T^5(x_{25}))^{(-0.000685)} * (1 + T^6(x_{25}))^{(-0.022880)} * (1 + T^7(x_{25}))^{(-0.004844)} * (1 + T^8(x_{25}))^{(-0.029947)} * (1 + T^9(x_{25}))^{(-0.002702)} * (1 + T^{10}(x_{25}))^{(-0.023460)} * (1 + T^{11}(x_{25}))^{(-0.014972)} - 1$$

$$\text{Phi}^1_{[3]} = (1 + T^0(x_{31}))^{(0.129045)} * (1 + T^1(x_{31}))^{(0.013209)} * (1 + T^2(x_{31}))^{(0.013109)} * (1 + T^3(x_{31}))^{(0.002067)} * (1 + T^4(x_{31}))^{(-0.006290)} * (1 + T^5(x_{31}))^{(-0.011357)} * (1 + T^6(x_{31}))^{(-0.003524)} * (1 + T^7(x_{31}))^{(0.000977)} * (1 + T^8(x_{31}))^{(0.005639)} * (1 + T^9(x_{31}))^{(-0.001742)} * (1 + T^{10}(x_{31}))^{(-0.010202)} * (1 + T^0(x_{32}))^{(0.129045)} * (1 + T^1(x_{32}))^{(0.003315)} * (1 + T^2(x_{32}))^{(-0.008621)} * (1 + T^3(x_{32}))^{(-0.001306)} * (1 + T^4(x_{32}))^{(0.025988)} * (1 + T^5(x_{32}))^{(0.001697)} * (1 + T^6(x_{32}))^{(0.006532)} * (1 + T^7(x_{32}))^{(0.003074)} * (1 + T^8(x_{32}))^{(-0.004752)} * (1 + T^9(x_{32}))^{(-0.002950)} * (1 + T^{10}(x_{32}))^{(0.000217)} * (1 + T^0(x_{33}))^{(0.129045)} * (1 + T^1(x_{33}))^{(0.216103)} * (1 + T^2(x_{33}))^{(0.082013)} * (1 + T^3(x_{33}))^{(0.040819)} * (1 + T^4(x_{33}))^{(-0.032826)} * (1 + T^5(x_{33}))^{(-0.018956)} * (1 + T^6(x_{33}))^{(-0.109842)} * (1 + T^7(x_{33}))^{(-0.070951)} * (1 + T^8(x_{33}))^{(-0.106783)} * (1 + T^9(x_{33}))^{(-0.114236)} * (1 + T^{10}(x_{33}))^{(-0.020081)} * (1 + T^0(x_{34}))^{(0.129045)} * (1 + T^1(x_{34}))^{(0.037262)} * (1 + T^2(x_{34}))^{(0.143393)} * (1 + T^3(x_{34}))^{(0.024502)} * (1 + T^4(x_{34}))^{(-0.322708)} * (1 + T^5(x_{34}))^{(-0.010047)} * (1 + T^6(x_{34}))^{(-0.344970)} * (1 + T^7(x_{34}))^{(-0.026690)} * (1 + T^8(x_{34}))^{(0.030255)} * (1 + T^9(x_{34}))^{(-0.007109)} * (1 + T^{10}(x_{34}))^{(0.153355)} * (1 + T^0(x_{35}))^{(0.129045)} * (1 + T^1(x_{35}))^{(-0.006726)} * (1 + T^2(x_{35}))^{(0.012967)} * (1 + T^3(x_{35}))^{(0.002899)} * (1 + T^4(x_{35}))^{(0.001245)} * (1 + T^5(x_{35}))^{(-0.006680)} * (1 + T^6(x_{35}))^{(0.000927)} * (1 + T^7(x_{35}))^{(-0.000266)} * (1 + T^8(x_{35}))^{(0.001757)} * (1 + T^9(x_{35}))^{(0.014157)} * (1 + T^{10}(x_{35}))^{(-0.015251)} * (1 + T^0(x_{36}))^{(0.129045)} * (1 + T^1(x_{36}))^{(-0.047229)} * (1 + T^2(x_{36}))^{(0.025075)} * (1 + T^3(x_{36}))^{(0.037988)} * (1 + T^4(x_{36}))^{(-0.000492)} * (1 + T^5(x_{36}))^{(-0.002739)} * (1 + T^6(x_{36}))^{(-0.031686)} * (1 + T^7(x_{36}))^{(-0.006372)} * (1 + T^8(x_{36}))^{(0.004369)} * (1 + T^9(x_{36}))^{(0.005985)} * (1 + T^{10}(x_{36}))^{(0.010101)} - 1$$

F<sup>1</sup> в особом базисе:

$$(1 + T^0(x_{11}))^{(0.012011)} * (1 + T^1(x_{11}))^{(0.002320)} * (1 + T^2(x_{11}))^{(-0.000196)} * (1 + T^3(x_{11}))^{(-0.001578)} * (1 + T^4(x_{11}))^{(0.000064)} * (1 + T^5(x_{11}))^{(-0.000421)} * (1 + T^6(x_{11}))^{(-0.000162)} * (1 + T^7(x_{11}))^{(-$$

0.000342) \* (1 + T\*8(x11))^(0.000068) \* (1 + T\*9(x11))^(0.000346) \* (1 + T\*10(x11))^(0.000223) \* (1 + T\*0(x21))^(0.003014) \* (1 + T\*1(x21))^(0.000079) \* (1 + T\*2(x21))^(0.007722) \* (1 + T\*3(x21))^(0.005482) \* (1 + T\*4(x21))^(0.004710) \* (1 + T\*5(x21))^(0.000035) \* (1 + T\*6(x21))^(0.004632) \* (1 + T\*7(x21))^(0.006005) \* (1 + T\*8(x21))^(0.014043) \* (1 + T\*9(x21))^(0.006226) \* (1 + T\*10(x21))^(0.008345) \* (1 + T\*11(x21))^(0.007656) \* (1 + T\*0(x22))^(0.003014) \* (1 + T\*1(x22))^(0.012589) \* (1 + T\*2(x22))^(0.000434) \* (1 + T\*3(x22))^(0.003151) \* (1 + T\*4(x22))^(0.001026) \* (1 + T\*5(x22))^(0.002363) \* (1 + T\*6(x22))^(0.014582) \* (1 + T\*7(x22))^(0.002801) \* (1 + T\*8(x22))^(0.004902) \* (1 + T\*9(x22))^(0.010943) \* (1 + T\*10(x22))^(0.018078) \* (1 + T\*11(x22))^(0.000991) \* (1 + T\*0(x23))^(0.003014) \* (1 + T\*1(x23))^(0.004187) \* (1 + T\*2(x23))^(0.003026) \* (1 + T\*3(x23))^(0.000551) \* (1 + T\*4(x23))^(0.000308) \* (1 + T\*5(x23))^(0.000289) \* (1 + T\*6(x23))^(0.002590) \* (1 + T\*7(x23))^(0.000480) \* (1 + T\*8(x23))^(0.001150) \* (1 + T\*9(x23))^(0.000901) \* (1 + T\*10(x23))^(0.000655) \* (1 + T\*11(x23))^(0.001762) \* (1 + T\*0(x24))^(0.003014) \* (1 + T\*1(x24))^(0.008221) \* (1 + T\*2(x24))^(0.000408) \* (1 + T\*3(x24))^(0.001112) \* (1 + T\*4(x24))^(0.000359) \* (1 + T\*5(x24))^(0.003764) \* (1 + T\*6(x24))^(0.000137) \* (1 + T\*7(x24))^(0.000603) \* (1 + T\*8(x24))^(0.001839) \* (1 + T\*9(x24))^(0.001134) \* (1 + T\*10(x24))^(0.001253) \* (1 + T\*11(x24))^(0.000130) \* (1 + T\*0(x25))^(0.003014) \* (1 + T\*1(x25))^(0.001097) \* (1 + T\*2(x25))^(0.004433) \* (1 + T\*3(x25))^(0.000960) \* (1 + T\*4(x25))^(0.009879) \* (1 + T\*5(x25))^(0.000109) \* (1 + T\*6(x25))^(0.003641) \* (1 + T\*7(x25))^(0.000771) \* (1 + T\*8(x25))^(0.004765) \* (1 + T\*9(x25))^(0.000430) \* (1 + T\*10(x25))^(0.003733) \* (1 + T\*11(x25))^(0.002382) \* (1 + T\*0(x31))^(0.106036) \* (1 + T\*1(x31))^(0.010854) \* (1 + T\*2(x31))^(0.010771) \* (1 + T\*3(x31))^(0.001698) \* (1 + T\*4(x31))^(0.005169) \* (1 + T\*5(x31))^(0.009332) \* (1 + T\*6(x31))^(0.002896) \* (1 + T\*7(x31))^(0.000803) \* (1 + T\*8(x31))^(0.004633) \* (1 + T\*9(x31))^(0.001431) \* (1 + T\*10(x31))^(0.008383) \* (1 + T\*0(x32))^(0.106036) \* (1 + T\*1(x32))^(0.002724) \* (1 + T\*2(x32))^(0.007084) \* (1 + T\*3(x32))^(0.001073) \* (1 + T\*4(x32))^(0.021354) \* (1 + T\*5(x32))^(0.001394) \* (1 + T\*6(x32))^(0.005367) \* (1 + T\*7(x32))^(0.002526) \* (1 + T\*8(x32))^(0.003905) \* (1 + T\*9(x32))^(0.002424) \* (1 + T\*10(x32))^(0.000179) \* (1 + T\*0(x33))^(0.106036) \* (1 + T\*1(x33))^(0.177571) \* (1 + T\*2(x33))^(0.067390) \* (1 + T\*3(x33))^(0.033541) \* (1 + T\*4(x33))^(0.026973) \* (1 + T\*5(x33))^(0.015577) \* (1 + T\*6(x33))^(0.090257) \* (1 + T\*7(x33))^(0.058301) \* (1 + T\*8(x33))^(0.087744) \* (1 + T\*9(x33))^(0.093868) \* (1 + T\*10(x33))^(0.016501) \* (1 + T\*0(x34))^(0.106036) \* (1 + T\*1(x34))^(0.030618) \* (1 + T\*2(x34))^(0.117826) \* (1 + T\*3(x34))^(0.020133) \* (1 + T\*4(x34))^(0.265168) \* (1 + T\*5(x34))^(0.008255) \* (1 + T\*6(x34))^(0.283461) \* (1 + T\*7(x34))^(0.021931) \* (1 + T\*8(x34))^(0.024861) \* (1 + T\*9(x34))^(0.005841) \* (1 + T\*10(x34))^(0.126011) \* (1 + T\*0(x35))^(0.106036) \* (1 + T\*1(x35))^(0.005527) \* (1 + T\*2(x35))^(0.010655) \* (1 + T\*3(x35))^(0.002382) \* (1 + T\*4(x35))^(0.001023) \* (1 + T\*5(x35))^(0.005489) \* (1 + T\*6(x35))^(0.000762) \* (1 + T\*7(x35))^(0.000219) \* (1 + T\*8(x35))^(0.001444) \* (1 + T\*9(x35))^(0.011633) \* (1 + T\*10(x35))^(0.012532) \* (1 + T\*0(x36))^(0.106036) \* (1 + T\*1(x36))^(0.038808) \* (1 + T\*2(x36))^(0.020604) \* (1 + T\*3(x36))^(0.031215) \* (1 + T\*4(x36))^(0.000404) \* (1 + T\*5(x36))^(0.002251) \* (1 + T\*6(x36))^(0.026036) \* (1 + T\*7(x36))^(0.005236) \* (1 + T\*8(x36))^(0.003590) \* (1 + T\*9(x36))^(0.004918) \* (1 + T\*10(x36))^(0.008300)

- 1

F^1 в обычном базисе:

0.0 \* (2.5 + -8.0(x11)^1 + 8.0(x11)^2)^(0.002320) \* (-1.0 + 20.0(x11)^1 + -48.0(x11)^2 + 32.0(x11)^3)^(0.000196) \* (3.5 + -40.0(x11)^1 + 168.0(x11)^2 + -256.0(x11)^3 + 128.0(x11)^4)^(0.001578) \* (-2.0 + 70.0(x11)^1 + -448.0(x11)^2 + 1152.0(x11)^3 + -1280.0(x11)^4 + 512.0(x11)^5)^(0.000064) \* (4.5 + -112.0(x11)^1 + 1008.0(x11)^2 + -3840.0(x11)^3 + 7040.0(x11)^4 + -6144.0(x11)^5 + 2048.0(x11)^6)^(0.000421) \* (-3.0 + 168.0(x11)^1 + -2016.0(x11)^2 + 10560.0(x11)^3 + -28160.0(x11)^4 + 39936.0(x11)^5 + -28672.0(x11)^6 + 8192.0(x11)^7)^(0.000162) \* (5.5 + -240.0(x11)^1 + 3696.0(x11)^2 + -25344.0(x11)^3 + 91520.0(x11)^4 + -186368.0(x11)^5 + 215040.0(x11)^6 + -131072.0(x11)^7 + 32768.0(x11)^8)^(0.000342) \* (-4.0 + 330.0(x11)^1 + -6336.0(x11)^2 + 54912.0(x11)^3 + -256256.0(x11)^4 + 698880.0(x11)^5 + -1146880.0(x11)^6 + 1114112.0(x11)^7 + -589824.0(x11)^8 + 131072.0(x11)^9)^(0.000068) \* (6.5 + -440.0(x11)^1 + 10296.0(x11)^2 + -109824.0(x11)^3 + 640640.0(x11)^4 + -2236416.0(x11)^5 + 4874240.0(x11)^6 + -6684672.0(x11)^7 + 5603328.0(x11)^8 + -2621440.0(x11)^9 + 524288.0(x11)^10)^(0.000346) \* (-5.0 + 572.0(x11)^1 + -16016.0(x11)^2 + 205920.0(x11)^3 + -1464320.0(x11)^4 + 6336512.0(x11)^5 + -17547264.0(x11)^6 + 31752192.0(x11)^7 + -37355520.0(x11)^8 + 27525120.0(x11)^9 + -11534336.0(x11)^10 + 2097152.0(x11)^11)^(0.000223) \* (2.5 + -8.0(x21)^1 + 8.0(x21)^2)^(0.000079) \* (-1.0 + 20.0(x21)^1 + -48.0(x21)^2 + 32.0(x21)^3)^(0.007722) \* (3.5 + -40.0(x21)^1 + 168.0(x21)^2 + -256.0(x21)^3 + 128.0(x21)^4)^(0.005482) \* (-2.0 + 70.0(x21)^1 + -448.0(x21)^2 + 1152.0(x21)^3 + -1280.0(x21)^4 + 512.0(x21)^5)^(0.004710) \* (4.5 + -112.0(x21)^1 + 1008.0(x21)^2 + -3840.0(x21)^3 + 7040.0(x21)^4 + -6144.0(x21)^5 + 2048.0(x21)^6)^(0.000035) \* (-3.0 + 168.0(x21)^1 + -2016.0(x21)^2 + 10560.0(x21)^3 + -28160.0(x21)^4 + 39936.0(x21)^5 + -28672.0(x21)^6 + 8192.0(x21)^7)^(0.004632) \* (5.5 + -240.0(x21)^1 + 3696.0(x21)^2 + -25344.0(x21)^3 + 91520.0(x21)^4 + -186368.0(x21)^5 + 215040.0(x21)^6 + -131072.0(x21)^7 + 32768.0(x21)^8)^(0.006005) \* (-4.0 + 330.0(x21)^1 + -6336.0(x21)^2 + 54912.0(x21)^3 + -256256.0(x21)^4 + 698880.0(x21)^5 + -1146880.0(x21)^6 + 1114112.0(x21)^7 + -589824.0(x21)^8 + 131072.0(x21)^9)^(0.014043) \* (6.5 + -440.0(x21)^1 + 10296.0(x21)^2 + -109824.0(x21)^3 + 640640.0(x21)^4 + -2236416.0(x21)^5 + 4874240.0(x21)^6 + -6684672.0(x21)^7 + 5603328.0(x21)^8 + -2621440.0(x21)^9 + 524288.0(x21)^10)^(0.006226) \* (-5.0 + 572.0(x21)^1 + -16016.0(x21)^2 + 205920.0(x21)^3 + -1464320.0(x21)^4 + 6336512.0(x21)^5 + -17547264.0(x21)^6 + 31752192.0(x21)^7 + -37355520.0(x21)^8 + 27525120.0(x21)^9 +

$$\begin{aligned}
& 11534336.0(x_{21})^{10} + 2097152.0(x_{21})^{11} \wedge (-0.008345) * (7.5 + -728.0(x_{21})^1 + 24024.0(x_{21})^2 + - \\
& 366080.0(x_{21})^3 + 3111680.0(x_{21})^4 + -16293888.0(x_{21})^5 + 55566336.0(x_{21})^6 + -127008768.0(x_{21})^7 + \\
& 196116480.0(x_{21})^8 + -201850880.0(x_{21})^9 + 132644864.0(x_{21})^{10} + -50331648.0(x_{21})^{11} + \\
& 8388608.0(x_{21})^{12} \wedge (-0.007656) * (2.5 + -8.0(x_{22})^1 + 8.0(x_{22})^2 \wedge (-0.012589) * (-1.0 + 20.0(x_{22})^1 + - \\
& 48.0(x_{22})^2 + 32.0(x_{22})^3 \wedge (0.000434) * (3.5 + -40.0(x_{22})^1 + 168.0(x_{22})^2 + -256.0(x_{22})^3 + \\
& 128.0(x_{22})^4 \wedge (0.003151) * (-2.0 + 70.0(x_{22})^1 + -448.0(x_{22})^2 + 1152.0(x_{22})^3 + -1280.0(x_{22})^4 + \\
& 512.0(x_{22})^5 \wedge (-0.001026) * (4.5 + -112.0(x_{22})^1 + 1008.0(x_{22})^2 + -3840.0(x_{22})^3 + 7040.0(x_{22})^4 + - \\
& 6144.0(x_{22})^5 + 2048.0(x_{22})^6 \wedge (0.002363) * (-3.0 + 168.0(x_{22})^1 + -2016.0(x_{22})^2 + 10560.0(x_{22})^3 + - \\
& 28160.0(x_{22})^4 + 39936.0(x_{22})^5 + -28672.0(x_{22})^6 + 8192.0(x_{22})^7 \wedge (-0.014582) * (5.5 + -240.0(x_{22})^1 + \\
& 3696.0(x_{22})^2 + -25344.0(x_{22})^3 + 91520.0(x_{22})^4 + -186368.0(x_{22})^5 + 215040.0(x_{22})^6 + -131072.0(x_{22})^7 + \\
& 32768.0(x_{22})^8 \wedge (-0.002801) * (-4.0 + 330.0(x_{22})^1 + -6336.0(x_{22})^2 + 54912.0(x_{22})^3 + -256256.0(x_{22})^4 + \\
& 698880.0(x_{22})^5 + -1146880.0(x_{22})^6 + 1114112.0(x_{22})^7 + -589824.0(x_{22})^8 + 131072.0(x_{22})^9 \wedge (-0.004902) * \\
& (6.5 + -440.0(x_{22})^1 + 10296.0(x_{22})^2 + -109824.0(x_{22})^3 + 640640.0(x_{22})^4 + -2236416.0(x_{22})^5 + \\
& 4874240.0(x_{22})^6 + -6684672.0(x_{22})^7 + 5603328.0(x_{22})^8 + -2621440.0(x_{22})^9 + 524288.0(x_{22})^{10} \wedge (0.010943) \\
& * (-5.0 + 572.0(x_{22})^1 + -16016.0(x_{22})^2 + 205920.0(x_{22})^3 + -1464320.0(x_{22})^4 + 6336512.0(x_{22})^5 + - \\
& 17547264.0(x_{22})^6 + 31752192.0(x_{22})^7 + -37355520.0(x_{22})^8 + 27525120.0(x_{22})^9 + -11534336.0(x_{22})^{10} + \\
& 2097152.0(x_{22})^{11} \wedge (0.018078) * (7.5 + -728.0(x_{22})^1 + 24024.0(x_{22})^2 + -366080.0(x_{22})^3 + 3111680.0(x_{22})^4 \\
& + -16293888.0(x_{22})^5 + 55566336.0(x_{22})^6 + -127008768.0(x_{22})^7 + 196116480.0(x_{22})^8 + -201850880.0(x_{22})^9 \\
& + 132644864.0(x_{22})^{10} + -50331648.0(x_{22})^{11} + 8388608.0(x_{22})^{12} \wedge (0.000991) * (2.5 + -8.0(x_{23})^1 + \\
& 8.0(x_{23})^2 \wedge (-0.004187) * (-1.0 + 20.0(x_{23})^1 + -48.0(x_{23})^2 + 32.0(x_{23})^3 \wedge (-0.003026) * (3.5 + -40.0(x_{23})^1 + \\
& 168.0(x_{23})^2 + -256.0(x_{23})^3 + 128.0(x_{23})^4 \wedge (0.000551) * (-2.0 + 70.0(x_{23})^1 + -448.0(x_{23})^2 + 1152.0(x_{23})^3 \\
& + -1280.0(x_{23})^4 + 512.0(x_{23})^5 \wedge (-0.000308) * (4.5 + -112.0(x_{23})^1 + 1008.0(x_{23})^2 + -3840.0(x_{23})^3 + \\
& 7040.0(x_{23})^4 + -6144.0(x_{23})^5 + 2048.0(x_{23})^6 \wedge (-0.000289) * (-3.0 + 168.0(x_{23})^1 + -2016.0(x_{23})^2 + \\
& 10560.0(x_{23})^3 + -28160.0(x_{23})^4 + 39936.0(x_{23})^5 + -28672.0(x_{23})^6 + 8192.0(x_{23})^7 \wedge (0.002590) * (5.5 + - \\
& 240.0(x_{23})^1 + 3696.0(x_{23})^2 + -25344.0(x_{23})^3 + 91520.0(x_{23})^4 + -186368.0(x_{23})^5 + 215040.0(x_{23})^6 + - \\
& 131072.0(x_{23})^7 + 32768.0(x_{23})^8 \wedge (-0.000480) * (-4.0 + 330.0(x_{23})^1 + -6336.0(x_{23})^2 + 54912.0(x_{23})^3 + - \\
& 256256.0(x_{23})^4 + 698880.0(x_{23})^5 + -1146880.0(x_{23})^6 + 1114112.0(x_{23})^7 + -589824.0(x_{23})^8 + \\
& 131072.0(x_{23})^9 \wedge (-0.001150) * (6.5 + -440.0(x_{23})^1 + 10296.0(x_{23})^2 + -109824.0(x_{23})^3 + 640640.0(x_{23})^4 + - \\
& 2236416.0(x_{23})^5 + 4874240.0(x_{23})^6 + -6684672.0(x_{23})^7 + 5603328.0(x_{23})^8 + -2621440.0(x_{23})^9 + \\
& 524288.0(x_{23})^{10} \wedge (0.000901) * (-5.0 + 572.0(x_{23})^1 + -16016.0(x_{23})^2 + 205920.0(x_{23})^3 + -1464320.0(x_{23})^4 \\
& + 6336512.0(x_{23})^5 + -17547264.0(x_{23})^6 + 31752192.0(x_{23})^7 + -37355520.0(x_{23})^8 + 27525120.0(x_{23})^9 + - \\
& 11534336.0(x_{23})^{10} + 2097152.0(x_{23})^{11} \wedge (-0.000655) * (7.5 + -728.0(x_{23})^1 + 24024.0(x_{23})^2 + - \\
& 366080.0(x_{23})^3 + 3111680.0(x_{23})^4 + -16293888.0(x_{23})^5 + 55566336.0(x_{23})^6 + -127008768.0(x_{23})^7 + \\
& 196116480.0(x_{23})^8 + -201850880.0(x_{23})^9 + 132644864.0(x_{23})^{10} + -50331648.0(x_{23})^{11} + \\
& 8388608.0(x_{23})^{12} \wedge (0.001762) * (2.5 + -8.0(x_{24})^1 + 8.0(x_{24})^2 \wedge (0.008221) * (-1.0 + 20.0(x_{24})^1 + -48.0(x_{24})^2 \\
& + 32.0(x_{24})^3 \wedge (0.000408) * (3.5 + -40.0(x_{24})^1 + 168.0(x_{24})^2 + -256.0(x_{24})^3 + 128.0(x_{24})^4 \wedge (-0.001112) * (- \\
& 2.0 + 70.0(x_{24})^1 + -448.0(x_{24})^2 + 1152.0(x_{24})^3 + -1280.0(x_{24})^4 + 512.0(x_{24})^5 \wedge (0.000359) * (4.5 + - \\
& 112.0(x_{24})^1 + 1008.0(x_{24})^2 + -3840.0(x_{24})^3 + 7040.0(x_{24})^4 + -6144.0(x_{24})^5 + 2048.0(x_{24})^6 \wedge (-0.003764) \\
& * (-3.0 + 168.0(x_{24})^1 + -2016.0(x_{24})^2 + 10560.0(x_{24})^3 + -28160.0(x_{24})^4 + 39936.0(x_{24})^5 + -28672.0(x_{24})^6 \\
& + 8192.0(x_{24})^7 \wedge (0.000137) * (5.5 + -240.0(x_{24})^1 + 3696.0(x_{24})^2 + -25344.0(x_{24})^3 + 91520.0(x_{24})^4 + - \\
& 186368.0(x_{24})^5 + 215040.0(x_{24})^6 + -131072.0(x_{24})^7 + 32768.0(x_{24})^8 \wedge (-0.000603) * (-4.0 + 330.0(x_{24})^1 + - \\
& 6336.0(x_{24})^2 + 54912.0(x_{24})^3 + -256256.0(x_{24})^4 + 698880.0(x_{24})^5 + -1146880.0(x_{24})^6 + 1114112.0(x_{24})^7 \\
& + -589824.0(x_{24})^8 + 131072.0(x_{24})^9 \wedge (0.001839) * (6.5 + -440.0(x_{24})^1 + 10296.0(x_{24})^2 + -109824.0(x_{24})^3 \\
& + 640640.0(x_{24})^4 + -2236416.0(x_{24})^5 + 4874240.0(x_{24})^6 + -6684672.0(x_{24})^7 + 5603328.0(x_{24})^8 + - \\
& 2621440.0(x_{24})^9 + 524288.0(x_{24})^{10} \wedge (-0.001134) * (-5.0 + 572.0(x_{24})^1 + -16016.0(x_{24})^2 + 205920.0(x_{24})^3 \\
& + -1464320.0(x_{24})^4 + 6336512.0(x_{24})^5 + -17547264.0(x_{24})^6 + 31752192.0(x_{24})^7 + -37355520.0(x_{24})^8 + \\
& 27525120.0(x_{24})^9 + -11534336.0(x_{24})^{10} + 2097152.0(x_{24})^{11} \wedge (-0.001253) * (7.5 + -728.0(x_{24})^1 + \\
& 24024.0(x_{24})^2 + -366080.0(x_{24})^3 + 3111680.0(x_{24})^4 + -16293888.0(x_{24})^5 + 55566336.0(x_{24})^6 + - \\
& 127008768.0(x_{24})^7 + 196116480.0(x_{24})^8 + -201850880.0(x_{24})^9 + 132644864.0(x_{24})^{10} + - \\
& 50331648.0(x_{24})^{11} + 8388608.0(x_{24})^{12} \wedge (0.000130) * (2.5 + -8.0(x_{25})^1 + 8.0(x_{25})^2 \wedge (-0.001097) * (-1.0 + \\
& 20.0(x_{25})^1 + -48.0(x_{25})^2 + 32.0(x_{25})^3 \wedge (-0.004433) * (3.5 + -40.0(x_{25})^1 + 168.0(x_{25})^2 + -256.0(x_{25})^3 + \\
& 128.0(x_{25})^4 \wedge (0.000960) * (-2.0 + 70.0(x_{25})^1 + -448.0(x_{25})^2 + 1152.0(x_{25})^3 + -1280.0(x_{25})^4 + \\
& 512.0(x_{25})^5 \wedge (-0.009879) * (4.5 + -112.0(x_{25})^1 + 1008.0(x_{25})^2 + -3840.0(x_{25})^3 + 7040.0(x_{25})^4 + - \\
& 6144.0(x_{25})^5 + 2048.0(x_{25})^6 \wedge (-0.000109) * (-3.0 + 168.0(x_{25})^1 + -2016.0(x_{25})^2 + 10560.0(x_{25})^3 + - \\
& 28160.0(x_{25})^4 + 39936.0(x_{25})^5 + -28672.0(x_{25})^6 + 8192.0(x_{25})^7 \wedge (-0.003641) * (5.5 + -240.0(x_{25})^1 + \\
& 3696.0(x_{25})^2 + -25344.0(x_{25})^3 + 91520.0(x_{25})^4 + -186368.0(x_{25})^5 + 215040.0(x_{25})^6 + -131072.0(x_{25})^7 + \\
& 32768.0(x_{25})^8 \wedge (-0.000771) * (-4.0 + 330.0(x_{25})^1 + -6336.0(x_{25})^2 + 54912.0(x_{25})^3 + -256256.0(x_{25})^4 + \\
& 698880.0(x_{25})^5 + -1146880.0(x_{25})^6 + 1114112.0(x_{25})^7 + -589824.0(x_{25})^8 + 131072.0(x_{25})^9 \wedge (-0.004765) * \\
& (6.5 + -440.0(x_{25})^1 + 10296.0(x_{25})^2 + -109824.0(x_{25})^3 + 640640.0(x_{25})^4 + -2236416.0(x_{25})^5 + \\
& 4874240.0(x_{25})^6 + -6684672.0(x_{25})^7 + 5603328.0(x_{25})^8 + -2621440.0(x_{25})^9 + 524288.0(x_{25})^{10} \wedge (- \\
& 0.000430) * (-5.0 + 572.0(x_{25})^1 + -16016.0(x_{25})^2 + 205920.0(x_{25})^3 + -1464320.0(x_{25})^4 + 6336512.0(x_{25})^5 \\
& + -17547264.0(x_{25})^6 + 31752192.0(x_{25})^7 + -37355520.0(x_{25})^8 + 27525120.0(x_{25})^9 + -11534336.0(x_{25})^{10} + \\
& 2097152.0(x_{25})^{11} \wedge (-0.003733) * (7.5 + -728.0(x_{25})^1 + 24024.0(x_{25})^2 + -366080.0(x_{25})^3 + 3111680.0(x_{25})^4
\end{aligned}$$



$$\begin{aligned}
& + -16293888.0(x25)^5 + 55566336.0(x25)^6 + -127008768.0(x25)^7 + 196116480.0(x25)^8 + -201850880.0(x25)^9 \\
& + 132644864.0(x25)^{10} + -50331648.0(x25)^{11} + 8388608.0(x25)^{12} \wedge (-0.002382) * (2.5 + -8.0(x31)^1 + \\
& 8.0(x31)^2 \wedge (0.010854) * (-1.0 + 20.0(x31)^1 + -48.0(x31)^2 + 32.0(x31)^3 \wedge (0.010771) * (3.5 + -40.0(x31)^1 + \\
& 168.0(x31)^2 + -256.0(x31)^3 + 128.0(x31)^4 \wedge (0.001698) * (-2.0 + 70.0(x31)^1 + -448.0(x31)^2 + 1152.0(x31)^3 \\
& + -1280.0(x31)^4 + 512.0(x31)^5 \wedge (-0.005169) * (4.5 + -112.0(x31)^1 + 1008.0(x31)^2 + -3840.0(x31)^3 + \\
& 7040.0(x31)^4 + -6144.0(x31)^5 + 2048.0(x31)^6 \wedge (-0.009332) * (-3.0 + 168.0(x31)^1 + -2016.0(x31)^2 + \\
& 10560.0(x31)^3 + -28160.0(x31)^4 + 39936.0(x31)^5 + -28672.0(x31)^6 + 8192.0(x31)^7 \wedge (-0.002896) * (5.5 + - \\
& 240.0(x31)^1 + 3696.0(x31)^2 + -25344.0(x31)^3 + 91520.0(x31)^4 + -186368.0(x31)^5 + 215040.0(x31)^6 + - \\
& 131072.0(x31)^7 + 32768.0(x31)^8 \wedge (0.000803) * (-4.0 + 330.0(x31)^1 + -6336.0(x31)^2 + 54912.0(x31)^3 + - \\
& 256256.0(x31)^4 + 698880.0(x31)^5 + -1146880.0(x31)^6 + 1114112.0(x31)^7 + -589824.0(x31)^8 + \\
& 131072.0(x31)^9 \wedge (0.004633) * (6.5 + -440.0(x31)^1 + 10296.0(x31)^2 + -109824.0(x31)^3 + 640640.0(x31)^4 + - \\
& 2236416.0(x31)^5 + 4874240.0(x31)^6 + -6684672.0(x31)^7 + 5603328.0(x31)^8 + -2621440.0(x31)^9 + \\
& 524288.0(x31)^{10} \wedge (-0.001431) * (-5.0 + 572.0(x31)^1 + -16016.0(x31)^2 + 205920.0(x31)^3 + -1464320.0(x31)^4 \\
& + 6336512.0(x31)^5 + -17547264.0(x31)^6 + 31752192.0(x31)^7 + -37355520.0(x31)^8 + 27525120.0(x31)^9 + - \\
& 11534336.0(x31)^{10} + 2097152.0(x31)^{11} \wedge (-0.008383) * (2.5 + -8.0(x32)^1 + 8.0(x32)^2 \wedge (0.002724) * (-1.0 + \\
& 20.0(x32)^1 + -48.0(x32)^2 + 32.0(x32)^3 \wedge (-0.007084) * (3.5 + -40.0(x32)^1 + 168.0(x32)^2 + -256.0(x32)^3 + \\
& 128.0(x32)^4 \wedge (-0.001073) * (-2.0 + 70.0(x32)^1 + -448.0(x32)^2 + 1152.0(x32)^3 + -1280.0(x32)^4 + \\
& 512.0(x32)^5 \wedge (0.021354) * (4.5 + -112.0(x32)^1 + 1008.0(x32)^2 + -3840.0(x32)^3 + 7040.0(x32)^4 + - \\
& 6144.0(x32)^5 + 2048.0(x32)^6 \wedge (0.001394) * (-3.0 + 168.0(x32)^1 + -2016.0(x32)^2 + 10560.0(x32)^3 + - \\
& 28160.0(x32)^4 + 39936.0(x32)^5 + -28672.0(x32)^6 + 8192.0(x32)^7 \wedge (0.005367) * (5.5 + -240.0(x32)^1 + \\
& 3696.0(x32)^2 + -25344.0(x32)^3 + 91520.0(x32)^4 + -186368.0(x32)^5 + 215040.0(x32)^6 + -131072.0(x32)^7 + \\
& 32768.0(x32)^8 \wedge (0.002526) * (-4.0 + 330.0(x32)^1 + -6336.0(x32)^2 + 54912.0(x32)^3 + -256256.0(x32)^4 + \\
& 698880.0(x32)^5 + -1146880.0(x32)^6 + 1114112.0(x32)^7 + -589824.0(x32)^8 + 131072.0(x32)^9 \wedge (-0.003905) * \\
& (6.5 + -440.0(x32)^1 + 10296.0(x32)^2 + -109824.0(x32)^3 + 640640.0(x32)^4 + -2236416.0(x32)^5 + \\
& 4874240.0(x32)^6 + -6684672.0(x32)^7 + 5603328.0(x32)^8 + -2621440.0(x32)^9 + 524288.0(x32)^{10} \wedge (- \\
& 0.002424) * (-5.0 + 572.0(x32)^1 + -16016.0(x32)^2 + 205920.0(x32)^3 + -1464320.0(x32)^4 + 6336512.0(x32)^5 \\
& + -17547264.0(x32)^6 + 31752192.0(x32)^7 + -37355520.0(x32)^8 + 27525120.0(x32)^9 + -11534336.0(x32)^{10} + \\
& 2097152.0(x32)^{11} \wedge (0.000179) * (2.5 + -8.0(x33)^1 + 8.0(x33)^2 \wedge (0.177571) * (-1.0 + 20.0(x33)^1 + -48.0(x33)^2 \\
& + 32.0(x33)^3 \wedge (0.067390) * (3.5 + -40.0(x33)^1 + 168.0(x33)^2 + -256.0(x33)^3 + 128.0(x33)^4 \wedge (0.033541) * (- \\
& 2.0 + 70.0(x33)^1 + -448.0(x33)^2 + 1152.0(x33)^3 + -1280.0(x33)^4 + 512.0(x33)^5 \wedge (-0.026973) * (4.5 + - \\
& 112.0(x33)^1 + 1008.0(x33)^2 + -3840.0(x33)^3 + 7040.0(x33)^4 + -6144.0(x33)^5 + 2048.0(x33)^6 \wedge (-0.015577) \\
& * (-3.0 + 168.0(x33)^1 + -2016.0(x33)^2 + 10560.0(x33)^3 + -28160.0(x33)^4 + 39936.0(x33)^5 + -28672.0(x33)^6 \\
& + 8192.0(x33)^7 \wedge (-0.090257) * (5.5 + -240.0(x33)^1 + 3696.0(x33)^2 + -25344.0(x33)^3 + 91520.0(x33)^4 + - \\
& 186368.0(x33)^5 + 215040.0(x33)^6 + -131072.0(x33)^7 + 32768.0(x33)^8 \wedge (-0.058301) * (-4.0 + 330.0(x33)^1 + - \\
& 6336.0(x33)^2 + 54912.0(x33)^3 + -256256.0(x33)^4 + 698880.0(x33)^5 + -1146880.0(x33)^6 + 1114112.0(x33)^7 \\
& + -589824.0(x33)^8 + 131072.0(x33)^9 \wedge (-0.087744) * (6.5 + -440.0(x33)^1 + 10296.0(x33)^2 + -109824.0(x33)^3 \\
& + 640640.0(x33)^4 + -2236416.0(x33)^5 + 4874240.0(x33)^6 + -6684672.0(x33)^7 + 5603328.0(x33)^8 + - \\
& 2621440.0(x33)^9 + 524288.0(x33)^{10} \wedge (-0.093868) * (-5.0 + 572.0(x33)^1 + -16016.0(x33)^2 + 205920.0(x33)^3 \\
& + -1464320.0(x33)^4 + 6336512.0(x33)^5 + -17547264.0(x33)^6 + 31752192.0(x33)^7 + -37355520.0(x33)^8 + \\
& 27525120.0(x33)^9 + -11534336.0(x33)^{10} + 2097152.0(x33)^{11} \wedge (-0.016501) * (2.5 + -8.0(x34)^1 + \\
& 8.0(x34)^2 \wedge (0.030618) * (-1.0 + 20.0(x34)^1 + -48.0(x34)^2 + 32.0(x34)^3 \wedge (0.117826) * (3.5 + -40.0(x34)^1 + \\
& 168.0(x34)^2 + -256.0(x34)^3 + 128.0(x34)^4 \wedge (0.020133) * (-2.0 + 70.0(x34)^1 + -448.0(x34)^2 + 1152.0(x34)^3 \\
& + -1280.0(x34)^4 + 512.0(x34)^5 \wedge (-0.265168) * (4.5 + -112.0(x34)^1 + 1008.0(x34)^2 + -3840.0(x34)^3 + \\
& 7040.0(x34)^4 + -6144.0(x34)^5 + 2048.0(x34)^6 \wedge (-0.008255) * (-3.0 + 168.0(x34)^1 + -2016.0(x34)^2 + \\
& 10560.0(x34)^3 + -28160.0(x34)^4 + 39936.0(x34)^5 + -28672.0(x34)^6 + 8192.0(x34)^7 \wedge (-0.283461) * (5.5 + - \\
& 240.0(x34)^1 + 3696.0(x34)^2 + -25344.0(x34)^3 + 91520.0(x34)^4 + -186368.0(x34)^5 + 215040.0(x34)^6 + - \\
& 131072.0(x34)^7 + 32768.0(x34)^8 \wedge (-0.021931) * (-4.0 + 330.0(x34)^1 + -6336.0(x34)^2 + 54912.0(x34)^3 + - \\
& 256256.0(x34)^4 + 698880.0(x34)^5 + -1146880.0(x34)^6 + 1114112.0(x34)^7 + -589824.0(x34)^8 + \\
& 131072.0(x34)^9 \wedge (0.024861) * (6.5 + -440.0(x34)^1 + 10296.0(x34)^2 + -109824.0(x34)^3 + 640640.0(x34)^4 + - \\
& 2236416.0(x34)^5 + 4874240.0(x34)^6 + -6684672.0(x34)^7 + 5603328.0(x34)^8 + -2621440.0(x34)^9 + \\
& 524288.0(x34)^{10} \wedge (-0.005841) * (-5.0 + 572.0(x34)^1 + -16016.0(x34)^2 + 205920.0(x34)^3 + -1464320.0(x34)^4 \\
& + 6336512.0(x34)^5 + -17547264.0(x34)^6 + 31752192.0(x34)^7 + -37355520.0(x34)^8 + 27525120.0(x34)^9 + - \\
& 11534336.0(x34)^{10} + 2097152.0(x34)^{11} \wedge (0.126011) * (2.5 + -8.0(x35)^1 + 8.0(x35)^2 \wedge (-0.005527) * (-1.0 + \\
& 20.0(x35)^1 + -48.0(x35)^2 + 32.0(x35)^3 \wedge (0.010655) * (3.5 + -40.0(x35)^1 + 168.0(x35)^2 + -256.0(x35)^3 + \\
& 128.0(x35)^4 \wedge (0.002382) * (-2.0 + 70.0(x35)^1 + -448.0(x35)^2 + 1152.0(x35)^3 + -1280.0(x35)^4 + \\
& 512.0(x35)^5 \wedge (0.001023) * (4.5 + -112.0(x35)^1 + 1008.0(x35)^2 + -3840.0(x35)^3 + 7040.0(x35)^4 + - \\
& 6144.0(x35)^5 + 2048.0(x35)^6 \wedge (-0.005489) * (-3.0 + 168.0(x35)^1 + -2016.0(x35)^2 + 10560.0(x35)^3 + - \\
& 28160.0(x35)^4 + 39936.0(x35)^5 + -28672.0(x35)^6 + 8192.0(x35)^7 \wedge (0.000762) * (5.5 + -240.0(x35)^1 + \\
& 3696.0(x35)^2 + -25344.0(x35)^3 + 91520.0(x35)^4 + -186368.0(x35)^5 + 215040.0(x35)^6 + -131072.0(x35)^7 + \\
& 32768.0(x35)^8 \wedge (-0.000219) * (-4.0 + 330.0(x35)^1 + -6336.0(x35)^2 + 54912.0(x35)^3 + -256256.0(x35)^4 + \\
& 698880.0(x35)^5 + -1146880.0(x35)^6 + 1114112.0(x35)^7 + -589824.0(x35)^8 + 131072.0(x35)^9 \wedge (0.001444) * \\
& (6.5 + -440.0(x35)^1 + 10296.0(x35)^2 + -109824.0(x35)^3 + 640640.0(x35)^4 + -2236416.0(x35)^5 + \\
& 4874240.0(x35)^6 + -6684672.0(x35)^7 + 5603328.0(x35)^8 + -2621440.0(x35)^9 + 524288.0(x35)^{10} \wedge (0.011633)
\end{aligned}$$



$$\begin{aligned}
& * (-5.0 + 572.0(x35)^1 + -16016.0(x35)^2 + 205920.0(x35)^3 + -1464320.0(x35)^4 + 6336512.0(x35)^5 + - \\
& 17547264.0(x35)^6 + 31752192.0(x35)^7 + -37355520.0(x35)^8 + 27525120.0(x35)^9 + -11534336.0(x35)^{10} + \\
& 2097152.0(x35)^{11})^{(-0.012532)} * (2.5 + -8.0(x36)^1 + 8.0(x36)^2)^{(-0.038808)} * (-1.0 + 20.0(x36)^1 + - \\
& 48.0(x36)^2 + 32.0(x36)^3)^{(0.020604)} * (3.5 + -40.0(x36)^1 + 168.0(x36)^2 + -256.0(x36)^3 + \\
& 128.0(x36)^4)^{(0.031215)} * (-2.0 + 70.0(x36)^1 + -448.0(x36)^2 + 1152.0(x36)^3 + -1280.0(x36)^4 + \\
& 512.0(x36)^5)^{(-0.000404)} * (4.5 + -112.0(x36)^1 + 1008.0(x36)^2 + -3840.0(x36)^3 + 7040.0(x36)^4 + - \\
& 6144.0(x36)^5 + 2048.0(x36)^6)^{(-0.002251)} * (-3.0 + 168.0(x36)^1 + -2016.0(x36)^2 + 10560.0(x36)^3 + - \\
& 28160.0(x36)^4 + 39936.0(x36)^5 + -28672.0(x36)^6 + 8192.0(x36)^7)^{(-0.026036)} * (5.5 + -240.0(x36)^1 + \\
& 3696.0(x36)^2 + -25344.0(x36)^3 + 91520.0(x36)^4 + -186368.0(x36)^5 + 215040.0(x36)^6 + -131072.0(x36)^7 + \\
& 32768.0(x36)^8)^{(-0.005236)} * (-4.0 + 330.0(x36)^1 + -6336.0(x36)^2 + 54912.0(x36)^3 + -256256.0(x36)^4 + \\
& 698880.0(x36)^5 + -1146880.0(x36)^6 + 1114112.0(x36)^7 + -589824.0(x36)^8 + 131072.0(x36)^9)^{(0.003590)} * \\
& (6.5 + -440.0(x36)^1 + 10296.0(x36)^2 + -109824.0(x36)^3 + 640640.0(x36)^4 + -2236416.0(x36)^5 + \\
& 4874240.0(x36)^6 + -6684672.0(x36)^7 + 5603328.0(x36)^8 + -2621440.0(x36)^9 + 524288.0(x36)^{10})^{(0.004918)} \\
& * (-5.0 + 572.0(x36)^1 + -16016.0(x36)^2 + 205920.0(x36)^3 + -1464320.0(x36)^4 + 6336512.0(x36)^5 + - \\
& 17547264.0(x36)^6 + 31752192.0(x36)^7 + -37355520.0(x36)^8 + 27525120.0(x36)^9 + -11534336.0(x36)^{10} + \\
& 2097152.0(x36)^{11})^{(0.008300)} - 1
\end{aligned}$$

F^1 в стандартном базисе денормированный:

$$\begin{aligned}
& 0.0 * (51.3878014841 + -15.113692154469824(x11)^1 + 1.122192764662149(x11)^2)^{(0.002320)} * (- \\
& 502.287573324 + 227.21109281243395(x11)^1 + -33.96335315611195(x11)^2 + 1.6811876624152038(x11)^3)^{(- \\
& 0.000196)} * (5027.97327532 + -3031.0691877304243(x11)^1 + 681.9044933262617(x11)^2 + - \\
& 67.8419039323085(x11)^3 + 2.5186332021201547(x11)^4)^{(-0.001578)} * (-50209.7769001 + - \\
& 37882.44161953915(x11)^1 + -11386.282408326235(x11)^2 + 1704.3141298003961(x11)^3 + - \\
& 127.04476391818065(x11)^4 + 3.7732332616032265(x11)^5)^{(0.000064)} * (501519.901848 + - \\
& 454363.89525578707(x11)^1 + 170940.0690755247(x11)^2 + -34184.043876445365(x11)^3 + \\
& 3832.4380260119974(x11)^4 + -228.39508120122355(x11)^5 + 5.652783912514195(x11)^6)^{(-0.000421)} * (- \\
& 5009306.25313 + 5297256.693213219(x11)^1 + -2393818.6919892314(x11)^2 + 599247.626753357(x11)^3 + - \\
& 89748.1335785689(x11)^4 + 8041.845497556426(x11)^5 + -399.19240160014084(x11)^6 + \\
& 8.468590131107405(x11)^7)^{(-0.000162)} * (50034324.8586 + -60491005.1313073(x11)^1 + \\
& 31914800.4029375(x11)^2 + -9597504.661061885(x11)^3 + 1799330.9451521747(x11)^4 + - \\
& 215355.0074043626(x11)^5 + 16069.26426467441(x11)^6 + -683.4754869558321(x11)^7 + \\
& 12.687026413644046(x11)^8)^{(-0.000342)} * (-499756439.857 + 679917353.6630732(x11)^1 + - \\
& 410198347.66709447(x11)^2 + 144036552.8084949(x11)^3 + -32440887.440528728(x11)^4 + \\
& 4860170.23691915(x11)^5 + -484343.0292653361(x11)^6 + 30960.502486775225(x11)^7 + - \\
& 1151.9249780154469(x11)^8 + 19.00678114403602(x11)^9)^{(0.000068)} * (4991703314.2 + - \\
& 7547478883.145186(x11)^1 + 5124928685.519588(x11)^2 + -2058028703.9973626(x11)^3 + \\
& 541262075.5462563(x11)^4 + -97416515.87790239(x11)^5 + 12151325.785910485(x11)^6 + - \\
& 1037265.6676011045(x11)^7 + 57991.15610277172(x11)^8 + -1917.4781157144344(x11)^9 + \\
& 28.474578492937844(x11)^{10})^{(0.000346)} * (-49858490915.5 + 82940196672.24797(x11)^1 + - \\
& 62599162927.88958(x11)^2 + 28295954425.82495(x11)^3 + -8511210829.002695(x11)^4 + \\
& 1788795100.8762655(x11)^5 + -268045310.48417825(x11)^6 + 28637612.96797962(x11)^7 + - \\
& 2137841.5024334732(x11)^8 + 106203.39581659783(x11)^9 + -3159.8890296417635(x11)^{10} + \\
& 42.658544558708364(x11)^{11})^{(0.000223)} * (2.5 + -0.08(x21)^1 + 0.0008(x21)^2)^{(0.000079)} * (-1.0 + 0.2(x21)^1 \\
& + -0.0048(x21)^2 + 3.2000000000000005e-05(x21)^3)^{(-0.007722)} * (3.5 + -0.4(x21)^1 + 0.0168(x21)^2 + - \\
& 0.00025600000000000004(x21)^3 + 1.2800000000000002e-06(x21)^4)^{(0.005482)} * (-2.0 + \\
& 0.7000000000000001(x21)^1 + -0.04480000000000006(x21)^2 + 0.001152(x21)^3 + -1.2800000000000001e- \\
& 05(x21)^4 + 5.1200000000000001e-08(x21)^5)^{(-0.004710)} * (4.5 + -1.12(x21)^1 + 0.1008(x21)^2 + - \\
& 0.00384(x21)^3 + 7.0400000000000002e-05(x21)^4 + -6.144e-07(x21)^5 + 2.0480000000000004e-09(x21)^6)^{(- \\
& 0.000035)} * (-3.0 + 1.68(x21)^1 + -0.2016(x21)^2 + 0.01056(x21)^3 + -0.0002816000000000007(x21)^4 + \\
& 3.9936000000000001e-06(x21)^5 + -2.8672000000000004e-08(x21)^6 + 8.192000000000001e-11(x21)^7)^{(- \\
& 0.004632)} * (5.5 + -2.4(x21)^1 + 0.3696000000000004(x21)^2 + -0.02534400000000002(x21)^3 + \\
& 0.0009152000000000002(x21)^4 + -1.86368e-05(x21)^5 + 2.1504000000000003e-07(x21)^6 + - \\
& 1.3107200000000002e-09(x21)^7 + 3.2768000000000007e-12(x21)^8)^{(0.006005)} * (-4.0 + \\
& 3.3000000000000003(x21)^1 + -0.6336(x21)^2 + 0.054912(x21)^3 + -0.002562559999999998(x21)^4 + 6.9888e- \\
& 05(x21)^5 + -1.14688e-06(x21)^6 + 1.1141200000000002e-08(x21)^7 + -5.89824e-11(x21)^8 + \\
& 1.3107200000000003e-13(x21)^9)^{(-0.014043)} * (6.5 + -4.4(x21)^1 + 1.0296(x21)^2 + -0.109824(x21)^3 + \\
& 0.006406400000000001(x21)^4 + -0.00022364160000000002(x21)^5 + 4.874240000000001e-06(x21)^6 + - \\
& 6.6846720000000002e-08(x21)^7 + 5.603328e-10(x21)^8 + -2.6214400000000006e-12(x21)^9 + \\
& 5.2428800000000001e-15(x21)^{10})^{(-0.006226)} * (-5.0 + 5.72(x21)^1 + -1.6016(x21)^2 + 0.20592(x21)^3 + - \\
& 0.014643200000000004(x21)^4 + 0.0006336512(x21)^5 + -1.7547264000000002e-05(x21)^6 + \\
& 3.17521920000000003e-07(x21)^7 + -3.7355520000000015e-09(x21)^8 + 2.7525120000000008e-11(x21)^9 + - \\
& 1.15343360000000002e-13(x21)^{10} + 2.0971520000000006e-16(x21)^{11})^{(-0.008345)} * (7.5 + -7.28(x21)^1 + \\
& 2.4024(x21)^2 + -0.36608000000000007(x21)^3 + 0.031116800000000003(x21)^4 + -
\end{aligned}$$

$$\begin{aligned}
& 0.0016293888000000003(x21)^5 + 5.5566336e-05(x21)^6 + -1.2700876800000001e-06(x21)^7 + \\
& 1.96116480000000007e-08(x21)^8 + -2.0185088e-10(x21)^9 + 1.3264486400000004e-12(x21)^{10} + - \\
& 5.03316480000000014e-15(x21)^{11} + 8.3886080000000002e-18(x21)^{12} \wedge (-0.007656) * (2.93540906646 + - \\
& 0.6173407012567852(x22)^1 + 0.03912171744339577(x22)^2 \wedge (-0.012589) * (-2.16793777185 + \\
& 1.7639796361885463(x22)^1 + -0.2590240704573924(x22)^2 + 0.010943137746404413(x22)^3 \wedge (0.000434) * \\
& (6.0562074426 + -4.161886459966945(x22)^1 + 1.0259634719544708(x22)^2 + -0.09660571392350303(x22)^3 + \\
& 0.0030610175514417938(x22)^4 \wedge (0.003151) * (-6.99107669587 + 8.835598437024592(x22)^1 + - \\
& 3.1694341823223886(x22)^2 + 0.48924778667622765(x22)^3 + -0.033778221651574486(x22)^4 + \\
& 0.0008562286857179843(x22)^5 \wedge (-0.001026) * (13.5800429435 + -17.57348371178022(x22)^1 + \\
& 8.440451670856229(x22)^2 + -1.8697157459919729(x22)^3 + 0.20833980916384495(x22)^4 + - \\
& 0.01133814433059843(x22)^5 + 0.00023950452747356206(x22)^6 \wedge (0.002363) * (-18.7729901082 + \\
& 33.46785035443907(x22)^1 + -20.374243410638687(x22)^2 + 5.998167292130176(x22)^3 + - \\
& 0.9490236917175753(x22)^4 + 0.08244384626037057(x22)^5 + -0.003700093720941212(x22)^6 + \\
& 6.699427341917821e-05(x22)^7 \wedge (-0.014582) * (32.0588079526 + -61.820734303523096(x22)^1 + \\
& 45.886997521976866(x22)^2 + -17.067286588426423(x22)^3 + 3.5639578746912157(x22)^4 + - \\
& 0.4360760203440587(x22)^5 + 0.03098779217702902(x22)^6 + -0.0011828471435576303(x22)^7 + \\
& 1.873965690046943e-05(x22)^8 \wedge (-0.002801) * (-47.7735818487 + 111.65785638888039(x22)^1 + - \\
& 98.19055232416429(x22)^2 + 44.504738639243634(x22)^3 + -11.690672593524418(x22)^4 + \\
& 1.8768841747762284(x22)^5 + -0.18666905330586098(x22)^6 + 0.011211454996426621(x22)^7 + - \\
& 0.0003722246255950585(x22)^8 + 5.241862070061379e-06(x22)^9 \wedge (-0.004902) * (77.5841461135 + - \\
& 198.2503338802367(x22)^1 + 202.05183163229907(x22)^2 + -108.62024912843975(x22)^3 + \\
& 34.68615272730915(x22)^4 + -6.976312436301775(x22)^5 + 0.9059920694619837(x22)^6 + - \\
& 0.07577587543760797(x22)^7 + 0.003938828816490198(x22)^8 + -0.00011568752932247353(x22)^9 + \\
& 1.4662551244926935e-06(x22)^{10} \wedge (0.010943) * (-119.24709307 + 347.30138289182594(x22)^1 + - \\
& 403.191065986067(x22)^2 + 251.73738646724274(x22)^3 + -95.24471038463194(x22)^4 + \\
& 23.2222089300434(x22)^5 + -3.7642651744862587(x22)^6 + 0.4094497272874085(x22)^7 + - \\
& 0.029516792101598133(x22)^8 + 0.0013518500044598723(x22)^9 + -3.5596162868453386e-05(x22)^{10} + \\
& 4.1014129356438983e-07(x22)^{11} \wedge (0.018078) * (189.800347404 + -601.8769399901864(x22)^1 + \\
& 784.9352714507482(x22)^2 + -559.7431201618014(x22)^3 + 245.93430920331707(x22)^4 + - \\
& 70.91681730990084(x22)^5 + 13.897437624731017(x22)^6 + -1.8808181169495004(x22)^7 + \\
& 0.17573591718882944(x22)^8 + -0.011124281320128302(x22)^9 + 0.00045523408878934523(x22)^{10} + - \\
& 1.086214760130809e-05(x22)^{11} + 1.1472483736066849e-07(x22)^{12} \wedge (0.000991) * (2.74606481899 + - \\
& 0.08731058577215035(x23)^1 + 0.0008484993758226467(x23)^2 \wedge (-0.004187) * (-1.64099011069 + \\
& 0.23638288185234613(x23)^1 + -0.005395092838649867(x23)^2 + 3.4953630311952496e-05(x23)^3 \wedge (-0.003026) \\
& * (4.85141988523 + -0.5224891827959917(x23)^1 + 0.020323917036160124(x23)^2 + - \\
& 0.00029633191012151693(x23)^3 + 1.4399023815428423e-06(x23)^4 \wedge (0.000551) * (-4.52195749364 + \\
& 1.0296722505919118(x23)^1 + -0.05920448344585807(x23)^2 + 0.0014303478655443675(x23)^3 + - \\
& 1.5259109686998814e-05(x23)^4 + 5.9316267004854474e-08(x23)^5 \wedge (-0.000308) * (8.85217282529 + - \\
& 1.8873396446641753(x23)^1 + 0.14757486458613892(x23)^2 + -0.005174147230068629(x23)^3 + \\
& 8.982391055112274e-05(x23)^4 + -7.543123223233193e-07(x23)^5 + 2.4435125439692883e-09(x23)^6 \wedge (- \\
& 0.000289) * (-10.1204438189 + 3.2939445380079198(x23)^1 + -0.33132348473626444(x23)^2 + \\
& 0.015615367461877668(x23)^3 + -0.0003882666339967867(x23)^4 + 5.239685979530985e-06(x23)^5 + - \\
& 3.6252566126077824e-08(x23)^6 + 1.0065963105949695e-10(x23)^7 \wedge (0.002590) * (16.7172127352 + - \\
& 5.5521615005211356(x23)^1 + 0.6903463641549001(x23)^2 + -0.0415708225186387(x23)^3 + \\
& 0.0013763629393361006(x23)^4 + -2.6345521978136247e-05(x23)^5 + 2.902395155391488e-07(x23)^6 + - \\
& 1.7067560924444467e-09(x23)^7 + 4.146637736745498e-12(x23)^8 \wedge (-0.000480) * (-21.1916301348 + \\
& 9.121129486173478(x23)^1 + -1.3605604261305018(x23)^2 + 0.10093108702787974(x23)^3 + - \\
& 0.004241380976610055(x23)^4 + 0.00010729749404564761(x23)^5 + -1.6641941919635388e-06(x23)^6 + \\
& 1.5473062984611584e-08(x23)^7 + -7.909786216271895e-11(x23)^8 + 1.7081926824904215e-13(x23)^9 \wedge (- \\
& 0.001150) * (32.3171588585 + -14.693924686850202(x23)^1 + 2.5690548062091696(x23)^2 + - \\
& 0.22839683365911267(x23)^3 + 0.011770913611620318(x23)^4 + -0.000375789886683393(x23)^5 + \\
& 7.65704308887575e-06(x23)^6 + -9.964373958301611e-08(x23)^7 + 8.0090580275279e-10(x23)^8 + - \\
& 3.620453697801532e-12(x23)^9 + 7.036839062782375e-15(x23)^{10} \wedge (0.000901) * (-43.1839753551 + \\
& 23.312221038931156(x23)^1 + -4.68977096280099(x23)^2 + 0.4889791868329037(x23)^3 + - \\
& 0.030115378610495114(x23)^4 + 0.0011740744228021748(x23)^5 + -3.0045167439593638e-05(x23)^6 + \\
& 5.111474721512043e-07(x23)^7 + -5.723181978605444e-09(x23)^8 + 4.049563368765948e-11(x23)^9 + - \\
& 1.6405763409193344e-13(x23)^{10} + 2.8988008497558705e-16(x23)^{11} \wedge (-0.000655) * (63.3292070332 + - \\
& 36.535642679087516(x23)^1 + 8.331086782875985(x23)^2 + -1.001170627735486(x23)^3 + \\
& 0.0722008852078597(x23)^4 + -0.003353211458884765(x23)^5 + 0.00010438820047731447(x23)^6 + - \\
& 2.2214151638885842e-06(x23)^7 + 3.2385713556689205e-08(x23)^8 + -3.179730512181829e-10(x23)^9 + \\
& 2.00880728874991e-12(x23)^{10} + -7.372686486670542e-15(x23)^{11} + 1.1941507105070528e- \\
& 17(x23)^{12} \wedge (0.001762) * (8.56983268754 + -2.6211393219770898(x24)^1 + \\
& 0.21284119545083965(x24)^2 \wedge (0.008221) * (-27.4024889238 + 15.142883840680431(x24)^1 + -
\end{aligned}$$

$$\begin{aligned}
& 2.56521757876012(x_{24})^2 + 0.138866833338812(x_{24})^3 \wedge (0.000408) * (107.534901147 + - \\
& 76.74520515038552(x_{24})^1 + 19.972590449291033(x_{24})^2 + -2.2315457069312283(x_{24})^3 + \\
& 0.09060274896188505(x_{24})^4 \wedge (-0.001112) * (-398.592979082 + 362.682849740952(x_{24})^1 + - \\
& 127.74497413644511(x_{24})^2 + 21.857174883714514(x_{24})^3 + -1.8199465868493743(x_{24})^4 + \\
& 0.05911316563051156(x_{24})^5 \wedge (0.000359) * (1499.7980203 + -1641.016017764925(x_{24})^1 + \\
& 729.8626858514285(x_{24})^2 + -168.92427636060793(x_{24})^3 + 21.481457009790343(x_{24})^4 + - \\
& 1.4248945678992953(x_{24})^5 + 0.03856799480035987(x_{24})^6 \wedge (-0.003764) * (-5620.70852153 + \\
& 7207.848989292211(x_{24})^1 + -3875.090222506797(x_{24})^2 + 1132.976724471588(x_{24})^3 + - \\
& 194.69362286470152(x_{24})^4 + 19.68072196951026(x_{24})^5 + -1.0846069001647491(x_{24})^6 + \\
& 0.025163433679363134(x_{24})^7 \wedge (0.000137) * (21086.9675707 + -30983.78901459419(x_{24})^1 + \\
& 19540.716706317824(x_{24})^2 + -6910.996388766685(x_{24})^3 + 1499.8878306922961(x_{24})^4 + - \\
& 204.66740555081992(x_{24})^5 + 17.159310883828663(x_{24})^6 + -0.8087367019282494(x_{24})^7 + \\
& 0.016417716238900724(x_{24})^8 \wedge (-0.000603) * (-79088.4843516 + 131024.4524578678(x_{24})^1 + - \\
& 94843.34922014095(x_{24})^2 + 39380.61169475506(x_{24})^3 + -10340.02008905185(x_{24})^4 + \\
& 1781.1461719898227(x_{24})^5 + -201.3854539845452(x_{24})^6 + 14.4193509043854(x_{24})^7 + - \\
& 0.5936117894364721(x_{24})^8 + 0.01071163061192714(x_{24})^9 \wedge (0.001839) * (296650.727539 + - \\
& 546997.910183471(x_{24})^1 + 446970.9132805588(x_{24})^2 + -213177.38733315887(x_{24})^3 + \\
& 65733.93835387862(x_{24})^4 + -13697.223142553301(x_{24})^5 + 1953.987753055403(x_{24})^6 + - \\
& 188.51246586758853(x_{24})^7 + 11.776180638194766(x_{24})^8 + -0.430331216108445(x_{24})^9 + \\
& 0.006988732701720586(x_{24})^{10} \wedge (-0.001134) * (-1112676.1349 + 2260043.1794947395(x_{24})^1 + - \\
& 2057711.8205511854(x_{24})^2 + 1108665.7612317698(x_{24})^3 + -392827.0137382898(x_{24})^4 + \\
& 96134.02956634814(x_{24})^5 + -16585.267336510624(x_{24})^6 + 2017.7808589442998(x_{24})^7 + - \\
& 169.70996891603284(x_{24})^8 + 9.40140104726536(x_{24})^9 + -0.3088434381935732(x_{24})^{10} + \\
& 0.004559752529340763(x_{24})^{11} \wedge (-0.001253) * (4173442.91344 + -9258504.153257154(x_{24})^1 + \\
& 9294272.457593497(x_{24})^2 + -5583339.377419115(x_{24})^3 + 2235758.916298232(x_{24})^4 + - \\
& 628810.9655395624(x_{24})^5 + 127398.01406785696(x_{24})^6 + -18738.709414122077(x_{24})^7 + \\
& 1986.5078883542842(x_{24})^8 + -148.06519684846344(x_{24})^9 + 7.367647215587108(x_{24})^{10} + - \\
& 0.2198213051432041(x_{24})^{11} + 0.002974980445841172(x_{24})^{12} \wedge (0.000130) * (3.80612244898 + - \\
& 1.4693877551020407(x_{25})^1 + 0.16326530612244897(x_{25})^2 \wedge (-0.001097) * (-4.93002915452 + \\
& 5.096209912536443(x_{25})^1 + -1.2594752186588922(x_{25})^2 + 0.0932944606413994(x_{25})^3 \wedge (-0.004433) * \\
& (13.4425239484 + -15.023740108288209(x_{25})^1 + 5.987505206164096(x_{25})^2 + -0.959600166597251(x_{25})^3 + \\
& 0.05331112306651394(x_{25})^4 \wedge (0.000960) * (-25.065032427 + 40.64627833640744(x_{25})^1 + - \\
& 22.72196108764205(x_{25})^2 + 5.795680371273873(x_{25})^3 + -0.6854286904266078(x_{25})^4 + \\
& 0.03046349735229368(x_{25})^5 \wedge (-0.009879) * (55.5818451496 + -104.38956557216804(x_{25})^1 + \\
& 75.66683949714829(x_{25})^2 + -26.927555695331023(x_{25})^3 + 5.021037152886977(x_{25})^4 + - \\
& 0.4700082448639596(x_{25})^5 + 0.017407712772739243(x_{25})^6 \wedge (-0.000109) * (-113.288283672 + \\
& 258.97365893462745(x_{25})^1 + -231.50109223197808(x_{25})^2 + 106.6847997008049(x_{25})^3 + - \\
& 27.612984385757624(x_{25})^4 + 4.047293219661874(x_{25})^5 + -0.313338299093064(x_{25})^6 + \\
& 0.009947264441565282(x_{25})^7 \wedge (-0.003641) * (240.302312864 + -626.8502909293833(x_{25})^1 + \\
& 667.6066313477256(x_{25})^2 + -379.69112481072625(x_{25})^3 + 126.94652252523545(x_{25})^4 + - \\
& 25.716165397556647(x_{25})^5 + 3.101059689657977(x_{25})^6 + -0.2046294399407715(x_{25})^7 + \\
& 0.005684151109465875(x_{25})^8 \wedge (-0.000771) * (-500.060520835 + 1489.6712679488598(x_{25})^1 + - \\
& 1843.4018403361063(x_{25})^2 + 1251.15331058262(x_{25})^3 + -515.7872877138342(x_{25})^4 + \\
& 134.62085924561833(x_{25})^5 + -22.355766313529287(x_{25})^6 + 2.2882768323535485(x_{25})^7 + - \\
& 0.1315474971047817(x_{25})^8 + 0.003248086348266214(x_{25})^9 \wedge (-0.004765) * (1050.13902643 + - \\
& 3490.053267130671(x_{25})^1 + 4923.810254058753(x_{25})^2 + -3890.932725450929(x_{25})^3 + \\
& 1914.3083947861207(x_{25})^4 + -615.1873513562243(x_{25})^5 + 131.3114018283421(x_{25})^6 + - \\
& 18.45423459384223(x_{25})^7 + 1.6401676027905716(x_{25})^8 + -0.08352222038398836(x_{25})^9 + \\
& 0.0018560493418664078(x_{25})^{10} \wedge (-0.000430) * (-2195.72554712 + 8084.2594340595515(x_{25})^1 + - \\
& 12812.140679889642(x_{25})^2 + 11567.708128610482(x_{25})^3 + -6630.110141993864(x_{25})^4 + \\
& 2541.179984119599(x_{25})^5 + -666.8377534486214(x_{25})^6 + 120.20055602515053(x_{25})^7 + - \\
& 14.631303249409392(x_{25})^8 + 1.1487619676623162(x_{25})^9 + -0.052499681384221245(x_{25})^{10} + \\
& 0.0010605996239236616(x_{25})^{11} \wedge (-0.003733) * (4600.58380902 + -18553.314161661972(x_{25})^1 + \\
& 32641.271170834356(x_{25})^2 + -33175.825708055825(x_{25})^3 + 21744.665186689806(x_{25})^4 + - \\
& 9707.909831804953(x_{25})^5 + 3035.5170979650266(x_{25})^6 + -671.683054298614(x_{25})^7 + \\
& 104.66921562434815(x_{25})^8 + -11.231181838981618(x_{25})^9 + 0.7895785414531687(x_{25})^{10} + - \\
& 0.03272707410964441(x_{25})^{11} + 0.0006060569279563781(x_{25})^{12} \wedge (-0.002382) * (8.56983268754 + - \\
& 2.6211393219770898(x_{31})^1 + 0.21284119545083965(x_{31})^2 \wedge (0.010854) * (-27.4024889238 + \\
& 15.142883840680431(x_{31})^1 + -2.56521757876012(x_{31})^2 + 0.138866833338812(x_{31})^3 \wedge (0.010771) * \\
& (107.534901147 + -76.74520515038552(x_{31})^1 + 19.972590449291033(x_{31})^2 + -2.2315457069312283(x_{31})^3 + \\
& 0.09060274896188505(x_{31})^4 \wedge (0.001698) * (-398.592979082 + 362.682849740952(x_{31})^1 + - \\
& 127.74497413644511(x_{31})^2 + 21.857174883714514(x_{31})^3 + -1.8199465868493743(x_{31})^4 + \\
& 0.05911316563051156(x_{31})^5 \wedge (-0.005169) * (1499.7980203 + -1641.016017764925(x_{31})^1 +
\end{aligned}$$

729.8626858514285(x31)^2 + -168.92427636060793(x31)^3 + 21.481457009790343(x31)^4 + -  
1.4248945678992953(x31)^5 + 0.03856799480035987(x31)^6^(-0.009332) \* (-5620.70852153 +  
7207.848989292211(x31)^1 + -3875.090222506797(x31)^2 + 1132.976724471588(x31)^3 + -  
194.69362286470152(x31)^4 + 19.68072196951026(x31)^5 + -1.0846069001647491(x31)^6 +  
0.025163433679363134(x31)^7^(-0.002896) \* (21086.9675707 + -30983.78901459419(x31)^1 +  
19540.716706317824(x31)^2 + -6910.996388766685(x31)^3 + 1499.8878306922961(x31)^4 + -  
204.66740555081992(x31)^5 + 17.159310883828663(x31)^6 + -0.8087367019282494(x31)^7 +  
0.016417716238900724(x31)^8^(-0.000803) \* (-79088.4843516 + 131024.4524578678(x31)^1 + -  
94843.34922014095(x31)^2 + 39380.61169475506(x31)^3 + -10340.02008905185(x31)^4 +  
1781.1461719898227(x31)^5 + -201.3854539845452(x31)^6 + 14.4193509043854(x31)^7 + -  
0.5936117894364721(x31)^8 + 0.01071163061192714(x31)^9^(-0.004633) \* (296650.727539 + -  
546997.910183471(x31)^1 + 446970.9132805588(x31)^2 + -213177.38733315887(x31)^3 +  
65733.93835387862(x31)^4 + -13697.223142553301(x31)^5 + 1953.987753055403(x31)^6 + -  
188.51246586758853(x31)^7 + 11.776180638194766(x31)^8 + -0.430331216108445(x31)^9 +  
0.006988732701720586(x31)^10^(-0.001431) \* (-1112676.1349 + 2260043.1794947395(x31)^1 + -  
2057711.8205511854(x31)^2 + 1108665.7612317698(x31)^3 + -392827.0137382898(x31)^4 +  
96134.02956634814(x31)^5 + -16585.267336510624(x31)^6 + 2017.7808589442998(x31)^7 + -  
169.70996891603284(x31)^8 + 9.40140104726536(x31)^9 + -0.3088434381935732(x31)^10 +  
0.004559752529340763(x31)^11^(-0.008383) \* (2.5315959564 + -5.018950693325019(x32)^1 +  
3.0997632652673763(x32)^2^(-0.002724) \* (-1.07942518125 + 12.685435092916784(x32)^1 + -  
18.74491388730166(x32)^2 + 7.718053570538131(x32)^3^(-0.007084) \* (3.65997639091 + -  
25.729067655696447(x32)^1 + 66.27030839028093(x32)^2 + -62.2302359574285(x32)^3 +  
19.217064601402132(x32)^4^(-0.001073) \* (-2.28238518112 + 45.80060958291606(x32)^1 + -  
178.90095282721109(x32)^2 + 282.72711422114895(x32)^3 + -193.68265159485995(x32)^4 +  
47.848277874639614(x32)^5^(-0.021354) \* (4.95644582155 + -74.76563432043051(x32)^1 +  
408.3850391683655(x32)^2 + -953.1157775806399(x32)^3 + 1075.1539991341717(x32)^4 + -  
578.6969982292733(x32)^5 + 119.13670183539277(x32)^6^(-0.001394) \* (-3.69276537911 +  
114.75827096073336(x32)^1 + -830.4533216327058(x32)^2 + 2655.33445869967(x32)^3 + -  
4346.69257569351(x32)^4 + 3795.6617824817736(x32)^5 + -1681.0370318933144(x32)^6 +  
296.6366681242273(x32)^7^(-0.005367) \* (6.50293063153 + -168.2411974275794(x32)^1 +  
1551.3245569845708(x32)^2 + -6467.070812801428(x32)^3 + 14298.108041834059(x32)^4 + -  
17895.11933525913(x32)^5 + 12720.15102276254(x32)^6 + -4783.529858217605(x32)^7 +  
738.5911437889258(x32)^8^(-0.002526) \* (-5.39969039771 + 238.0732430958493(x32)^1 + -  
2715.508754994941(x32)^2 + 14243.192960918686(x32)^3 + -40576.781162816354(x32)^4 +  
67876.81827249436(x32)^5 + -68516.21662203012(x32)^6 + 41017.408249596956(x32)^7 + -  
13399.243300329423(x32)^8 + 1839.0068939655796(x32)^9^(-0.003905) \* (8.39715615409 + -  
327.58611862799046(x32)^1 + 4515.199354318519(x32)^2 + -29004.751111545622(x32)^3 +  
102957.8837089283(x32)^4 + -219958.14411118874(x32)^5 + 294395.9193493291(x32)^6 + -  
248494.22879389903(x32)^7 + 128399.37000963688(x32)^8 + -37069.52533203148(x32)^9 +  
4578.915391137453(x32)^10^(-0.002424) \* (-7.51102409384 + 440.6719799648525(x32)^1 + -  
7201.59316820116(x32)^2 + 55465.05655465556(x32)^3 + -239177.6291099075(x32)^4 +  
631854.0212843643(x32)^5 + -1072578.7065994453(x32)^6 + 1192893.309843166(x32)^7 + -  
864142.012280376(x32)^8 + 392583.01771279355(x32)^9 + -101528.7341804784(x32)^10 +  
11400.97202897592(x32)^11^(-0.000179) \* (89.8975510204 + -382.0408163265306(x33)^1 +  
408.1632653061224(x33)^2^(-0.177571) \* (-1181.00153936 + 7634.07580174927(x33)^1 + -  
16373.177842565596(x33)^2 + 11661.807580174926(x33)^3^(-0.067390) \* (15717.1516038 + -  
135467.93102873798(x33)^1 + 436641.0662224073(x33)^2 + -623740.1082882131(x33)^3 +  
333194.50229071215(x33)^4^(-0.033541) \* (-208964.397049 + 2252798.5906348536(x33)^1 + -  
9692653.965609564(x33)^2 + 20804093.532456707(x33)^3 + -22276432.438864753(x33)^4 +  
9519842.922591776(x33)^5^(-0.026973) \* (2778450.72894 + -35958107.425146446(x33)^1 +  
193533663.12063843(x33)^2 + -554489681.0002632(x33)^3 + 891937203.0361495(x33)^4 + -  
763763397.9039344(x33)^5 + 271995512.0740507(x33)^6^(-0.015577) \* (-36942875.6927 +  
557942744.3781046(x33)^1 + -3605503396.480253(x33)^2 + 12923048301.575016(x33)^3 + -  
27746760482.452023(x33)^4 + 35687007964.36857(x33)^5 + -25458779930.13114(x33)^6 +  
7771300344.9728775(x33)^7^(-0.090257) \* (491200588.191 + -8480044208.623276(x33)^1 +  
63958418734.90402(x33)^2 + -275259510365.21(x33)^3 + 739351840150.1798(x33)^4 + -  
1269187099738.5676(x33)^5 + 1359777060821.353(x33)^6 + -831307099759.3842(x33)^7 +  
222037152713.51077(x33)^8^(-0.058301) \* (-6531110688.18 + 126866665164.9603(x33)^1 + -  
1093896901648.044(x33)^2 + 5495073225579.062(x33)^3 + -17723000998245.953(x33)^4 +  
38059495929973.62(x33)^5 + -54419191625868.76(x33)^6 + 49958765371333.445(x33)^7 + -  
26720585349408.773(x33)^8 + 6343918648957.45(x33)^9^(-0.087744) \* (86839079486.2 + -  
1874511669687.9185(x33)^1 + 18187767728014.953(x33)^2 + -104455916810178.94(x33)^3 +  
393244582238654.6(x33)^4 + -1014012101285221.8(x33)^5 + 1813716726107184.5(x33)^6 + -

2222022802033178.0(x33)^7 + 1784463657557479.5(x33)^8 + -848272550774881.8(x33)^9 +  
181254818541641.4(x33)^10^(-0.093868) \* (-1.15463143786e+12 + 27419148789097.484(x33)^1 + -  
295660016424035.2(x33)^2 + 1910880263779525.8(x33)^3 + -8224973607512302.0(x33)^4 +  
2.475629037950254e+16(x33)^5 + -5.3169338782756504e+16(x33)^6 + 8.148213830487754e+16(x33)^7 + -  
8.732047352236707e+16(x33)^8 + 6.232094783335457e+16(x33)^9 + -2.6659994452924856e+16(x33)^10 +  
5178709101189754.0(x33)^11)^(-0.016501) \* (73.3022222222 + -8.04444444444444(x34)^1 +  
0.2222222222222213(x34)^2)^(-0.030618) \* (-865.413481481 + 144.9377777777765(x34)^1 + -  
8.044444444444439(x34)^2 + 0.14814814814814806(x34)^3)^(-0.117826) \* (10383.4204543 + -  
2318.4803950617256(x34)^1 + 193.47259259259238(x34)^2 + -7.15061728395061(x34)^3 +  
0.09876543209876534(x34)^4)^(-0.020133) \* (-124413.793334 + 34753.00595884769(x34)^1 + -  
3872.1784362139865(x34)^2 + 215.11769547325076(x34)^3 + -5.958847736625508(x34)^4 +  
0.06584362139917688(x34)^5)^(-0.265168) \* (1490890.41911 + -499977.65373102785(x34)^1 +  
69699.48451028795(x34)^2 + -5170.055198902598(x34)^3 + 215.21646090534946(x34)^4 + -  
4.767078189300404(x34)^5 + 0.043895747599451244(x34)^6)^(-0.008255) \* (-17865649.8639 +  
6992236.9618016705(x34)^1 + -1170486.703808612(x34)^2 + 108636.53804481(x34)^3 + -  
6037.6899131229875(x34)^4 + 200.93454046639198(x34)^5 + -3.7077274805669806(x34)^6 +  
0.02926383173296749(x34)^7)^(-0.283461) \* (214087965.339 + -95783448.9279536(x34)^1 +  
18715664.71598141(x34)^2 + -2086035.3064142126(x34)^3 + 145063.93385398536(x34)^4 + -  
6444.969652187154(x34)^5 + 178.65237616217007(x34)^6 + -2.824935223289128(x34)^7 +  
0.019509221155311656(x34)^8)^(-0.021931) \* (-2565462451.16 + 1291520022.9947174(x34)^1 + -  
288520833.4876693(x34)^2 + 37539965.97000761(x34)^3 + -3135090.6495344415(x34)^4 +  
174277.65516524878(x34)^5 + -6448.677379667719(x34)^6 + 153.15987197073582(x34)^7 + -  
2.1187014174668453(x34)^8 + 0.013006147436874435(x34)^9)^(-0.024861) \* (30742492292.7 + -  
17198866463.313526(x34)^1 + 4323782408.031707(x34)^2 + -643243443.0567905(x34)^3 +  
62711673.88386668(x34)^4 + -4186565.8356981087(x34)^5 + 193820.4914486608(x34)^6 + -  
6144.422439668734(x34)^7 + 127.65273586343514(x34)^8 + -1.569408457382848(x34)^9 +  
0.008670764957916289(x34)^10)^(-0.005841) \* (-368393944533.0 + 226736463495.4544(x34)^1 + -  
63351031198.970566(x34)^2 + 10606785852.26973(x34)^3 + -1182414736.25365(x34)^4 +  
92151399.351503(x34)^5 + -5123362.476566242(x34)^6 + 203203.19853247242(x34)^7 + -  
5634.505937780471(x34)^8 + 104.02634648060621(x34)^9 + -1.1508995354140878(x34)^10 +  
0.0057805099719441914(x34)^11)^(-0.126011) \* (29.8593433327 + -0.1865565898818611(x35)^1 +  
0.0002963567750307563(x35)^2)^(-0.005527) \* (-216.312314399 + 2.1199763846128707(x35)^1 + -  
0.006812778693190302(x35)^2 + 7.21501582545968e-06(x35)^3)^(-0.010655) \* (1637.36405185 + -  
21.34904612360006(x35)^1 + 0.10352101335995448(x35)^2 + -0.00022114923735249515(x35)^3 +  
1.7565467621326064e-07(x35)^4)^(-0.002382) \* (-12320.837663 + 201.31219206955421(x35)^1 + -  
1.3062069432458416(x35)^2 + 0.004207702472102778(x35)^3 + -6.730043741707096e-06(x35)^4 +  
4.2764376436582025e-09(x35)^5)^(-0.001023) \* (92784.560584 + -1821.252295735435(x35)^1 +  
14.806785193729098(x35)^2 + -0.06382221768511107(x35)^3 + 0.0001538349050268929(x35)^4 + -  
1.966172243468902e-07(x35)^5 + 1.0411290672326726e-10(x35)^6)^(-0.005489) \* (-698660.137232 +  
16013.483198478565(x35)^1 + -156.49508180810338(x35)^2 + 0.845331633136365(x35)^3 + -  
0.0027258750455419357(x35)^4 + 5.247584217014324e-06(x35)^5 + -5.58458336550307e-09(x35)^6 +  
2.534702537389343e-12(x35)^7)^(-0.000762) \* (5260926.33641 + -137896.45857349108(x35)^1 +  
1574.245197705336(x35)^2 + -10.223778837403732(x35)^3 + 0.04131423091897041(x35)^4 + -  
0.0001063779945309104(x35)^5 + 1.704456577885029e-07(x35)^6 + -1.5538359072784824e-10(x35)^7 +  
6.170913055117087e-14(x35)^8)^(-0.000219) \* (-39614819.2903 + 1168742.1022528356(x35)^1 + -  
15263.836861009808(x35)^2 + 115.82367839189496(x35)^3 + -0.562762451653172(x35)^4 +  
0.001815731227653332(x35)^5 + -3.890356142619689e-06(x35)^6 + 5.33776092667973e-09(x35)^7 + -  
4.255789155662307e-12(x35)^8 + 1.5023525392859615e-15(x35)^9)^(-0.001444) \* (298299993.165 + -  
9782405.35455693(x35)^1 + 143843.52118709497(x35)^2 + -1248.920217142115(x35)^3 +  
7.09083817443053(x35)^4 + -0.027508079840090092(x35)^5 + 7.38458860170229e-05(x35)^6 + -  
1.3546035333665211e-07(x35)^7 + 1.6250117738008648e-10(x35)^8 + -1.151224496020101e-13(x35)^9 +  
3.6575837840193836e-17(x35)^10)^(-0.011633) \* (-2246201917.21 + 81054315.1713069(x35)^1 + -  
1325141.6080128811(x35)^2 + 12956.389578639772(x35)^3 + -84.17884515745519(x35)^4 +  
0.3816049943742674(x35)^5 + -0.0012316804889930606(x35)^6 + 2.8304999074782916e-06(x35)^7 + -  
4.538838524101414e-09(x35)^8 + 4.836865715441704e-12(x35)^9 + -3.083011431824981e-15(x35)^10 +  
8.904647070041106e-19(x35)^11)^(-0.012532) \* (3.08716152638 + -0.3156037238640666(x36)^1 +  
0.009624999202929753(x36)^2)^(-0.038808) \* (-2.61033828997 + 0.9381178743152352(x36)^1 + -  
0.0656823566834686(x36)^2 + 0.0013354143881969826(x36)^3)^(-0.020604) \* (7.12532494799 + -  
2.3192600762558366(x36)^1 + 0.26994213394180877(x36)^2 + -0.012150742362533213(x36)^3 +  
0.00018528121931279674(x36)^4)^(-0.031215) \* (-9.32302314219 + 5.187389430326391(x36)^1 + -  
0.8701430144204915(x36)^2 + 0.06375699698544725(x36)^3 + -0.00210730876908311(x36)^4 +  
2.570672484395376e-05(x36)^5)^(-0.000404) \* (18.3565986616 + -10.91282772844702(x36)^1 +  
2.429105268312835(x36)^2 + -0.25360561975982526(x36)^3 + 0.013454167168417323(x36)^4 + -

$$\begin{aligned}
& 0.0003508526566631608(x36)^5 + 3.5666631764070424e-06(x36)^6)^{(-0.002251)} * (-28.1582720444 + \\
& 22.044301068391782(x36)^1 + -6.169469694901181(x36)^2 + 0.8501478804720861(x36)^3 + - \\
& 0.06368342178742432(x36)^4 + 0.0026390725293232117(x36)^5 + -5.6791966623705075e-05(x36)^6 + \\
& 4.948544122659789e-07(x36)^7)^{(-0.026036)} * (49.970126301 + -43.277194895302095(x36)^1 + \\
& 14.66319535136065(x36)^2 + -2.5362166757991105(x36)^3 + 0.24936062029976275(x36)^4 + - \\
& 0.014487997971942926(x36)^5 + 0.0004917752476274578(x36)^6 + -9.005217441943223e-06(x36)^7 + \\
& 6.865826046007338e-08(x36)^8)^{(-0.005236)} * (-81.2347519867 + 83.19326211016238(x36)^1 + \\
& 33.18957056605754(x36)^2 + 6.953454998624283(x36)^3 + -0.8554264007049408(x36)^4 + - \\
& 0.06491435751573638(x36)^5 + -0.003071984052355844(x36)^6 + 8.822048205504128e-05(x36)^7 + - \\
& 1.4056010575353628e-06(x36)^8 + 9.525946647252636e-09(x36)^9)^{(0.003590)} * (139.090402152 + - \\
& 157.37327812347223(x36)^1 + 72.37617635043271(x36)^2 + -17.885769487017765(x36)^3 + \\
& 2.661242340252687(x36)^4 + -0.2518591809632549(x36)^5 + 0.01550261060795498(x36)^6 + - \\
& 0.0006178916060957947(x36)^7 + 1.53687765495758e-05(x36)^8 + -2.1668802675228162e-07(x36)^9 + \\
& 1.3216714044054993e-09(x36)^10)^{(0.004918)} * (-230.881396924 + 293.9451765975672(x36)^1 + - \\
& 153.28017475323716(x36)^2 + 43.77333890912306(x36)^3 + -7.679688084964233(x36)^4 + \\
& 0.8772255817343853(x36)^5 + -0.06713606060677381(x36)^6 + 0.00346820594734427(x36)^7 + - \\
& 0.0001192829452658902(x36)^8 + 2.6157084270162164e-06(x36)^9 + -3.3070666587236876e-08(x36)^10 + \\
& 1.8337445777391596e-10(x36)^11)^{(0.008300)} + -18.4
\end{aligned}$$

Предложим свой вариант структуры функций  $\Phi_i, \varphi_{p_k}(x_{j_k})$  и построим в мультипликативной форме приближающие функции  $\Phi_i(x_1, x_2, x_3), i = \overline{1, m}$  Исходная структура формул (в аддитивном виде):

$$\begin{aligned}
\Phi_i(x) &= \exp \left\{ \sum_{k=1}^{K_0} L_{ik} \ln[1 + c_{ik} \Phi_{ik}(x_k)] \right\} - 1 \quad i = \overline{1, m}; \quad k = \overline{1, K_0}; \\
\Phi_{ik}(x_k) &= \frac{1}{c_{ik}} \left\langle \exp \sum_{j_k=1}^{n_k} N_{kj_k} \ln[1 + a_{ikj_k} \Psi_{kj_k}(x_{kj_k})] - 1 \right\rangle; \quad x_k = \langle x_{kj_k}, j_k = \overline{1, n_k} \rangle; \\
\Psi_{kj_k}(x_{kj_k}) &= \frac{1}{a_{ikj_k}} \left\langle \exp \left[ \varphi_{0j_k} + \sum_{p_{j_k}=1}^{P_{kj_k}} V_{pj_k} \ln[1 + \lambda_{kj_k} \varphi_{p_{j_k}}(x_{kj_k})] \right] - 1 \right\rangle; \quad j_k = \overline{1, n_k}.
\end{aligned}$$

Предложенная структура формул:

$$\begin{aligned}
[1 + \Phi_i(x)] &= \prod_{k=1}^{K_0} [1 + \sin(\Phi_{ik}(x_k))]^{L_{ik}}; \\
[1 + \Phi_{ik}(x_k)] &= \prod_{j_k=1}^{n_k} [1 + \sin(\Psi_{kj_k}(x_{kj_k}))]^{N_{kj_k}}; \\
[1 + \Psi_{kj_k}(x_{kj_k})] &= \prod_{p_{j_k}=1}^{P_{kj_k}} [1 + \sin(\varphi_{p_{j_k}}(x_{kj_k}))]^{V_{pj_k}}
\end{aligned}$$

Мы использовали тригонометрическую функцию синус к функциям  $\varphi, \Psi, \Phi$  на соответствующих уровнях иерархии. Это несколько улучшило аппроксимацию, что видно из представленных результатов.

System Analysis - Lab 3

?

×

Дані

Розмір вибірки 45

E:/Uni/sys-an-labs-master/data\_u.txt

E:/Uni/sys-an-labs-master/l2/ololo.xlsx

Типи поліномів

☒ Чебишев I  
☐ Чебишев I зміщ.  
☐ Чебишев II зміщ.  
☒ Власний тип

Поліноми

Порядки

X1 10

X2 11

X3 10

Розмірності

X1 2 Y 4

X2 2 X3 3

Виконання

Графіки

Ок

Додатково

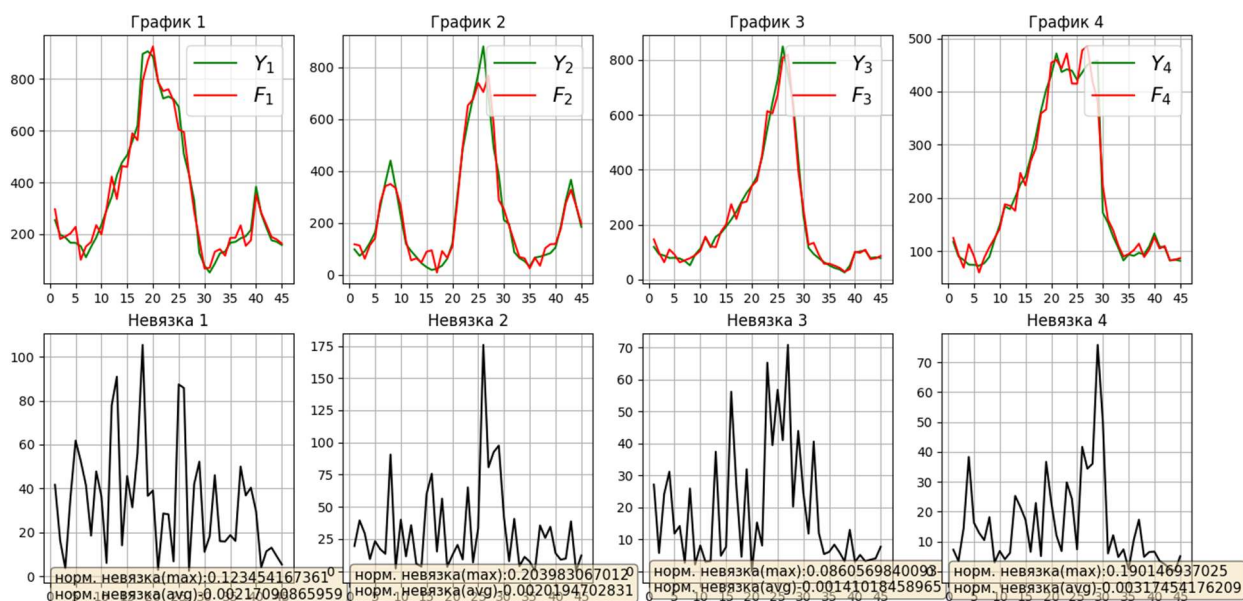
☒ Триблоковий лямбда-вираз

Ваги Scaled

Введенные данные: X

5.05	8.65	7.75	6.975	4.879	3.501	5.967
5.052	8.7	7.78	6.955	4.886	3.553	5.978
5.055	8.745	7.8	6.95	4.897	3.611	5.984
5.06	8.75	7.82	6.945	4.916	3.652	5.987
5.063	9.8	7.845	6.925	4.938	3.723	5.996
5.064	10.25	7.851	6.895	4.947	3.758	5.999
5.067	11.85	7.852	6.865	4.954	3.784	5.976
5.07	12.87	7.853	6.854	4.967	3.809	5.964
5.075	14.9	8.854	6.856	4.978	3.825	5.958
5.08	16.91	8.855	6.855	4.984	3.845	5.937
5.085	18.92	9.856	6.856	4.987	3.851	5.916
5.09	15.92	10.86	6.865	4.996	3.8534	5.874
5.095	12.93	11.85	7.859	4.999	3.8536	5.842
5.1	11.93	12.87	7.876	4.976	3.854	5.814
5.125	9.935	11.89	7.895	4.964	3.856	5.756
5.135	8.941	9.925	7.925	4.958	3.859	5.718
5.15	7.945	8.945	7.945	4.937	3.867	5.671
5.153	6.951	7.945	7.951	4.916	3.879	5.629
5.157	5.965	6.95	6.955	4.874	3.886	5.567





Нормализованная невязка(max) (Y - Φ)

-----  
0.123454 0.203983 0.086057 0.190147  
-----

Нормализованная невязка(avg) (Y - Φ)

-----  
-0.00217091 -0.00201947 -0.00141018 -0.00317454  
-----

Невязка(max) (Y<sub>-</sub> - Φ<sub>-</sub>)

-----  
105.433 175.832 70.8664 75.8251  
-----

Невязка(avg) (Y<sub>-</sub> - Φ<sub>-</sub>)

-----  
-1.85401 -1.74077 -1.16126 -1.26592  
-----

$$\text{Psi}^1_{[1,1]} = (1 + T_0(x_{11}))^{(-0.030920)} * (1 + T_1(x_{11}))^{(0.237811)} * (1 + T_2(x_{11}))^{(-0.066727)} * (1 + T_3(x_{11}))^{(-0.081735)} * (1 + T_4(x_{11}))^{(0.003716)} * (1 + T_5(x_{11}))^{(0.012395)} * (1 + T_6(x_{11}))^{(0.008441)} * (1 + T_7(x_{11}))^{(-0.076937)} * (1 + T_8(x_{11}))^{(-0.026449)} * (1 + T_9(x_{11}))^{(0.068434)} * (1 + T_{10}(x_{11}))^{(0.052747)} - 1$$

$$\text{Psi}^1_{[1,2]} = (1 + T_0(x_{12}))^{(-0.030920)} * (1 + T_1(x_{12}))^{(-0.034212)} * (1 + T_2(x_{12}))^{(-0.003226)} * (1 + T_3(x_{12}))^{(-0.030668)} * (1 + T_4(x_{12}))^{(0.038559)} * (1 + T_5(x_{12}))^{(-0.011161)} * (1 + T_6(x_{12}))^{(0.000860)} * (1 + T_7(x_{12}))^{(-0.001525)} * (1 + T_8(x_{12}))^{(0.003849)} * (1 + T_9(x_{12}))^{(0.041416)} * (1 + T_{10}(x_{12}))^{(-0.000928)} - 1$$

$$\text{Psi}^1_{[2,1]} = (1 + T_0(x_{21}))^{(9.654495)} * (1 + T_1(x_{21}))^{(-8.511094)} * (1 + T_2(x_{21}))^{(1.788529)} * (1 + T_3(x_{21}))^{(-0.405458)} * (1 + T_4(x_{21}))^{(-0.015773)} * (1 + T_5(x_{21}))^{(0.679325)} * (1 + T_6(x_{21}))^{(-1.587062)} * (1 + T_7(x_{21}))^{(0.027545)} * (1 + T_8(x_{21}))^{(0.075429)} * (1 + T_9(x_{21}))^{(0.423286)} * (1 + T_{10}(x_{21}))^{(-0.000648)} * (1 + T_{11}(x_{21}))^{(0.027479)} - 1$$

$$\text{Psi}^1_{[2,2]} = (1 + T_0(x_{22}))^{(9.654495)} * (1 + T_1(x_{22}))^{(-8.094967)} * (1 + T_2(x_{22}))^{(-0.550306)} * (1 + T_3(x_{22}))^{(4.581628)} * (1 + T_4(x_{22}))^{(-14.816167)} * (1 + T_5(x_{22}))^{(6.199925)} * (1 + T_6(x_{22}))^{(0.553998)} * (1 + T_7(x_{22}))^{(0.026745)} * (1 + T_8(x_{22}))^{(-0.114693)} * (1 + T_9(x_{22}))^{(0.414101)} * (1 + T_{10}(x_{22}))^{(-0.082782)} * (1 + T_{11}(x_{22}))^{(0.020893)} - 1$$

$$\text{Psi}^1_{[3,1]} = (1 + T_0(x_{31}))^{(0.463335)} * (1 + T_1(x_{31}))^{(0.171754)} * (1 + T_2(x_{31}))^{(0.051337)} * (1 + T_3(x_{31}))^{(-0.069953)} * (1 + T_4(x_{31}))^{(-0.032047)} * (1 + T_5(x_{31}))^{(-0.038150)} * (1 + T_6(x_{31}))^{(0.002974)} * (1 + T_7(x_{31}))^{(-0.015897)} * (1 + T_8(x_{31}))^{(-0.019132)} * (1 + T_9(x_{31}))^{(0.012223)} * (1 + T_{10}(x_{31}))^{(-0.031649)} - 1$$



$$\text{Psi}^1_{[3,2]}=(1 + \text{T0}(\text{x32}))^{(0.463335)} * (1 + \text{T1}(\text{x32}))^{(-0.621519)} * (1 + \text{T2}(\text{x32}))^{(0.023915)} * (1 + \text{T3}(\text{x32}))^{(-0.020839)} * (1 + \text{T4}(\text{x32}))^{(-0.025155)} * (1 + \text{T5}(\text{x32}))^{(-0.040930)} * (1 + \text{T6}(\text{x32}))^{(-0.023013)} * (1 + \text{T7}(\text{x32}))^{(0.007194)} * (1 + \text{T8}(\text{x32}))^{(-0.011120)} * (1 + \text{T9}(\text{x32}))^{(-0.017115)} * (1 + \text{T10}(\text{x32}))^{(0.010689)} - 1$$

$$\text{Psi}^1_{[3,3]}=(1 + \text{T0}(\text{x33}))^{(0.463335)} * (1 + \text{T1}(\text{x33}))^{(-1.332351)} * (1 + \text{T2}(\text{x33}))^{(0.078356)} * (1 + \text{T3}(\text{x33}))^{(-0.026076)} * (1 + \text{T4}(\text{x33}))^{(-0.023422)} * (1 + \text{T5}(\text{x33}))^{(-0.023250)} * (1 + \text{T6}(\text{x33}))^{(-0.006596)} * (1 + \text{T7}(\text{x33}))^{(-0.131919)} * (1 + \text{T8}(\text{x33}))^{(0.068493)} * (1 + \text{T9}(\text{x33}))^{(0.011512)} * (1 + \text{T10}(\text{x33}))^{(-0.057167)} - 1$$

$$\text{Psi}^2_{[1,1]}=(1 + \text{T0}(\text{x11}))^{(-0.177693)} * (1 + \text{T1}(\text{x11}))^{(0.506646)} * (1 + \text{T2}(\text{x11}))^{(-0.019566)} * (1 + \text{T3}(\text{x11}))^{(-0.051392)} * (1 + \text{T4}(\text{x11}))^{(0.007470)} * (1 + \text{T5}(\text{x11}))^{(0.018493)} * (1 + \text{T6}(\text{x11}))^{(-0.022222)} * (1 + \text{T7}(\text{x11}))^{(0.015046)} * (1 + \text{T8}(\text{x11}))^{(-0.074104)} * (1 + \text{T9}(\text{x11}))^{(0.036215)} * (1 + \text{T10}(\text{x11}))^{(0.034249)} - 1$$

$$\text{Psi}^2_{[1,2]}=(1 + \text{T0}(\text{x12}))^{(-0.177693)} * (1 + \text{T1}(\text{x12}))^{(0.344546)} * (1 + \text{T2}(\text{x12}))^{(0.014388)} * (1 + \text{T3}(\text{x12}))^{(-0.094935)} * (1 + \text{T4}(\text{x12}))^{(-0.030338)} * (1 + \text{T5}(\text{x12}))^{(0.027064)} * (1 + \text{T6}(\text{x12}))^{(-0.045454)} * (1 + \text{T7}(\text{x12}))^{(0.022427)} * (1 + \text{T8}(\text{x12}))^{(0.004620)} * (1 + \text{T9}(\text{x12}))^{(0.113226)} * (1 + \text{T10}(\text{x12}))^{(0.021345)} - 1$$

$$\text{Psi}^2_{[2,1]}=(1 + \text{T0}(\text{x21}))^{(-0.797221)} * (1 + \text{T1}(\text{x21}))^{(2.480315)} * (1 + \text{T2}(\text{x21}))^{(-0.547141)} * (1 + \text{T3}(\text{x21}))^{(0.110108)} * (1 + \text{T4}(\text{x21}))^{(0.010919)} * (1 + \text{T5}(\text{x21}))^{(-0.214269)} * (1 + \text{T6}(\text{x21}))^{(0.491035)} * (1 + \text{T7}(\text{x21}))^{(-0.025430)} * (1 + \text{T8}(\text{x21}))^{(-0.031556)} * (1 + \text{T9}(\text{x21}))^{(-0.107453)} * (1 + \text{T10}(\text{x21}))^{(-0.004434)} * (1 + \text{T11}(\text{x21}))^{(-0.002603)} - 1$$

$$\text{Psi}^2_{[2,2]}=(1 + \text{T0}(\text{x22}))^{(-0.797221)} * (1 + \text{T1}(\text{x22}))^{(0.293714)} * (1 + \text{T2}(\text{x22}))^{(-0.077298)} * (1 + \text{T3}(\text{x22}))^{(-0.124874)} * (1 + \text{T4}(\text{x22}))^{(-0.830058)} * (1 + \text{T5}(\text{x22}))^{(0.398133)} * (1 + \text{T6}(\text{x22}))^{(0.011311)} * (1 + \text{T7}(\text{x22}))^{(0.019517)} * (1 + \text{T8}(\text{x22}))^{(0.090797)} * (1 + \text{T9}(\text{x22}))^{(-0.169020)} * (1 + \text{T10}(\text{x22}))^{(0.041678)} * (1 + \text{T11}(\text{x22}))^{(0.041345)} - 1$$

$$\text{Psi}^2_{[3,1]}=(1 + \text{T0}(\text{x31}))^{(0.215271)} * (1 + \text{T1}(\text{x31}))^{(0.171764)} * (1 + \text{T2}(\text{x31}))^{(-0.026314)} * (1 + \text{T3}(\text{x31}))^{(-0.079323)} * (1 + \text{T4}(\text{x31}))^{(-0.000286)} * (1 + \text{T5}(\text{x31}))^{(-0.017124)} * (1 + \text{T6}(\text{x31}))^{(0.052909)} * (1 + \text{T7}(\text{x31}))^{(0.024573)} * (1 + \text{T8}(\text{x31}))^{(0.003240)} * (1 + \text{T9}(\text{x31}))^{(0.029044)} * (1 + \text{T10}(\text{x31}))^{(-0.027417)} - 1$$

$$\text{Psi}^2_{[3,2]}=(1 + \text{T0}(\text{x32}))^{(0.215271)} * (1 + \text{T1}(\text{x32}))^{(0.053855)} * (1 + \text{T2}(\text{x32}))^{(-0.020585)} * (1 + \text{T3}(\text{x32}))^{(-0.008807)} * (1 + \text{T4}(\text{x32}))^{(0.013580)} * (1 + \text{T5}(\text{x32}))^{(0.012429)} * (1 + \text{T6}(\text{x32}))^{(0.019957)} * (1 + \text{T7}(\text{x32}))^{(-0.006681)} * (1 + \text{T8}(\text{x32}))^{(0.006808)} * (1 + \text{T9}(\text{x32}))^{(-0.005033)} * (1 + \text{T10}(\text{x32}))^{(-0.006942)} - 1$$

$$\text{Psi}^2_{[3,3]}=(1 + \text{T0}(\text{x33}))^{(0.215271)} * (1 + \text{T1}(\text{x33}))^{(-0.512131)} * (1 + \text{T2}(\text{x33}))^{(0.061133)} * (1 + \text{T3}(\text{x33}))^{(-0.000370)} * (1 + \text{T4}(\text{x33}))^{(0.013756)} * (1 + \text{T5}(\text{x33}))^{(0.012268)} * (1 + \text{T6}(\text{x33}))^{(-0.005956)} * (1 + \text{T7}(\text{x33}))^{(0.070938)} * (1 + \text{T8}(\text{x33}))^{(-0.030874)} * (1 + \text{T9}(\text{x33}))^{(-0.001329)} * (1 + \text{T10}(\text{x33}))^{(-0.039552)} - 1$$

$$\text{Psi}^3_{[1,1]}=(1 + \text{T0}(\text{x11}))^{(-0.546651)} * (1 + \text{T1}(\text{x11}))^{(0.924617)} * (1 + \text{T2}(\text{x11}))^{(-0.066182)} * (1 + \text{T3}(\text{x11}))^{(-0.113167)} * (1 + \text{T4}(\text{x11}))^{(0.008159)} * (1 + \text{T5}(\text{x11}))^{(0.041218)} * (1 + \text{T6}(\text{x11}))^{(-0.007626)} * (1 + \text{T7}(\text{x11}))^{(-0.044575)} * (1 + \text{T8}(\text{x11}))^{(-0.061169)} * (1 + \text{T9}(\text{x11}))^{(0.089074)} * (1 + \text{T10}(\text{x11}))^{(0.058202)} - 1$$

$$\text{Psi}^3_{[1,2]}=(1 + \text{T0}(\text{x12}))^{(-0.546651)} * (1 + \text{T1}(\text{x12}))^{(0.754968)} * (1 + \text{T2}(\text{x12}))^{(-0.004779)} * (1 + \text{T3}(\text{x12}))^{(-0.143991)} * (1 + \text{T4}(\text{x12}))^{(0.037009)} * (1 + \text{T5}(\text{x12}))^{(0.009969)} * (1 + \text{T6}(\text{x12}))^{(-0.027765)} * (1 + \text{T7}(\text{x12}))^{(0.013854)} * (1 + \text{T8}(\text{x12}))^{(-0.000011)} * (1 + \text{T9}(\text{x12}))^{(0.161679)} * (1 + \text{T10}(\text{x12}))^{(0.020682)} - 1$$

$$\text{Psi}^3_{[2,1]}=(1 + \text{T0}(\text{x21}))^{(2.930318)} * (1 + \text{T1}(\text{x21}))^{(-3.501230)} * (1 + \text{T2}(\text{x21}))^{(0.753117)} * (1 + \text{T3}(\text{x21}))^{(-0.161388)} * (1 + \text{T4}(\text{x21}))^{(0.003687)} * (1 + \text{T5}(\text{x21}))^{(0.256447)} * (1 + \text{T6}(\text{x21}))^{(-0.646816)} * (1 + \text{T7}(\text{x21}))^{(0.009561)} * (1 + \text{T8}(\text{x21}))^{(0.026982)} * (1 + \text{T9}(\text{x21}))^{(0.168906)} * (1 + \text{T10}(\text{x21}))^{(-0.019579)} * (1 + \text{T11}(\text{x21}))^{(0.010516)} - 1$$

$$\text{Psi}^3_{[2,2]}=(1 + \text{T0}(\text{x22}))^{(2.930318)} * (1 + \text{T1}(\text{x22}))^{(-1.465702)} * (1 + \text{T2}(\text{x22}))^{(-0.200602)} * (1 + \text{T3}(\text{x22}))^{(1.055383)} * (1 + \text{T4}(\text{x22}))^{(-3.904614)} * (1 + \text{T5}(\text{x22}))^{(1.709283)} * (1 + \text{T6}(\text{x22}))^{(0.180610)} * (1 + \text{T7}(\text{x22}))^{(0.007683)} * (1 + \text{T8}(\text{x22}))^{(-0.048945)} * (1 + \text{T9}(\text{x22}))^{(0.150401)} * (1 + \text{T10}(\text{x22}))^{(-0.010641)} * (1 + \text{T11}(\text{x22}))^{(0.010360)} - 1$$

$$\text{Psi}^3_{[3,1]}=(1 + \text{T0}(\text{x31}))^{(0.146124)} * (1 + \text{T1}(\text{x31}))^{(0.151112)} * (1 + \text{T2}(\text{x31}))^{(0.025314)} * (1 + \text{T3}(\text{x31}))^{(-0.089454)} * (1 + \text{T4}(\text{x31}))^{(-0.036232)} * (1 + \text{T5}(\text{x31}))^{(-0.006073)} * (1 + \text{T6}(\text{x31}))^{(-0.007839)} * (1 + \text{T7}(\text{x31}))^{(0.012732)} * (1 + \text{T8}(\text{x31}))^{(-0.019877)} * (1 + \text{T9}(\text{x31}))^{(0.015031)} * (1 + \text{T10}(\text{x31}))^{(-0.014821)} - 1$$

$$\text{Psi}^3_{[3,2]}=(1 + \text{T0}(\text{x32}))^{(0.146124)} * (1 + \text{T1}(\text{x32}))^{(0.000029)} * (1 + \text{T2}(\text{x32}))^{(-0.005099)} * (1 + \text{T3}(\text{x32}))^{(0.001576)} * (1 + \text{T4}(\text{x32}))^{(-0.000913)} * (1 + \text{T5}(\text{x32}))^{(-0.003009)} * (1 + \text{T6}(\text{x32}))^{(-0.001886)} * (1 + \text{T7}(\text{x32}))^{(0.005266)} * (1 + \text{T8}(\text{x32}))^{(-0.000247)} * (1 + \text{T9}(\text{x32}))^{(-0.018046)} * (1 + \text{T10}(\text{x32}))^{(0.010678)} - 1$$

$$\text{Psi}^3_{[3,3]}=(1+T_0(x_{33}))^{(0.146124)}*(1+T_1(x_{33}))^{(-0.491962)}*(1+T_2(x_{33}))^{(0.016361)}*(1+T_3(x_{33}))^{(-0.004116)}*(1+T_4(x_{33}))^{(-0.021038)}*(1+T_5(x_{33}))^{(-0.009469)}*(1+T_6(x_{33}))^{(0.000479)}*(1+T_7(x_{33}))^{(-0.025650)}*(1+T_8(x_{33}))^{(-0.002289)}*(1+T_9(x_{33}))^{(0.002657)}*(1+T_{10}(x_{33}))^{(-0.012381)}-1$$

$$\text{Psi}^4_{[1,1]}=(1+T_0(x_{11}))^{(-0.298239)}*(1+T_1(x_{11}))^{(0.690403)}*(1+T_2(x_{11}))^{(-0.060358)}*(1+T_3(x_{11}))^{(-0.164125)}*(1+T_4(x_{11}))^{(0.006874)}*(1+T_5(x_{11}))^{(0.054693)}*(1+T_6(x_{11}))^{(0.002282)}*(1+T_7(x_{11}))^{(-0.099871)}*(1+T_8(x_{11}))^{(-0.048299)}*(1+T_9(x_{11}))^{(0.127437)}*(1+T_{10}(x_{11}))^{(0.046713)}-1$$

$$\text{Psi}^4_{[1,2]}=(1+T_0(x_{12}))^{(-0.298239)}*(1+T_1(x_{12}))^{(0.409701)}*(1+T_2(x_{12}))^{(0.013224)}*(1+T_3(x_{12}))^{(-0.054397)}*(1+T_4(x_{12}))^{(0.021495)}*(1+T_5(x_{12}))^{(0.000445)}*(1+T_6(x_{12}))^{(-0.009586)}*(1+T_7(x_{12}))^{(0.017119)}*(1+T_8(x_{12}))^{(-0.005593)}*(1+T_9(x_{12}))^{(0.082289)}*(1+T_{10}(x_{12}))^{(-0.008115)}-1$$

$$\text{Psi}^4_{[2,1]}=(1+T_0(x_{21}))^{(5.897639)}*(1+T_1(x_{21}))^{(-6.594689)}*(1+T_2(x_{21}))^{(1.322900)}*(1+T_3(x_{21}))^{(-0.267131)}*(1+T_4(x_{21}))^{(-0.016310)}*(1+T_5(x_{21}))^{(0.475346)}*(1+T_6(x_{21}))^{(-1.157414)}*(1+T_7(x_{21}))^{(0.022564)}*(1+T_8(x_{21}))^{(0.075677)}*(1+T_9(x_{21}))^{(0.285428)}*(1+T_{10}(x_{21}))^{(-0.011484)}*(1+T_{11}(x_{21}))^{(0.019327)}-1$$

$$\text{Psi}^4_{[2,2]}=(1+T_0(x_{22}))^{(5.897639)}*(1+T_1(x_{22}))^{(-3.369133)}*(1+T_2(x_{22}))^{(-0.503752)}*(1+T_3(x_{22}))^{(2.674910)}*(1+T_4(x_{22}))^{(-8.584270)}*(1+T_5(x_{22}))^{(3.555990)}*(1+T_6(x_{22}))^{(0.494964)}*(1+T_7(x_{22}))^{(0.006568)}*(1+T_8(x_{22}))^{(-0.173779)}*(1+T_9(x_{22}))^{(0.451241)}*(1+T_{10}(x_{22}))^{(-0.065287)}*(1+T_{11}(x_{22}))^{(-0.004557)}-1$$

$$\text{Psi}^4_{[3,1]}=(1+T_0(x_{31}))^{(0.174167)}*(1+T_1(x_{31}))^{(0.301309)}*(1+T_2(x_{31}))^{(0.019170)}*(1+T_3(x_{31}))^{(-0.074460)}*(1+T_4(x_{31}))^{(-0.043104)}*(1+T_5(x_{31}))^{(-0.045427)}*(1+T_6(x_{31}))^{(-0.020966)}*(1+T_7(x_{31}))^{(0.019409)}*(1+T_8(x_{31}))^{(-0.051122)}*(1+T_9(x_{31}))^{(0.005505)}*(1+T_{10}(x_{31}))^{(0.004898)}-1$$

$$\text{Psi}^4_{[3,2]}=(1+T_0(x_{32}))^{(0.174167)}*(1+T_1(x_{32}))^{(0.057408)}*(1+T_2(x_{32}))^{(0.016285)}*(1+T_3(x_{32}))^{(0.005373)}*(1+T_4(x_{32}))^{(-0.012048)}*(1+T_5(x_{32}))^{(-0.013571)}*(1+T_6(x_{32}))^{(0.001238)}*(1+T_7(x_{32}))^{(0.003859)}*(1+T_8(x_{32}))^{(0.002316)}*(1+T_9(x_{32}))^{(-0.016290)}*(1+T_{10}(x_{32}))^{(-0.006229)}-1$$

$$\text{Psi}^4_{[3,3]}=(1+T_0(x_{33}))^{(0.174167)}*(1+T_1(x_{33}))^{(-0.849775)}*(1+T_2(x_{33}))^{(0.027878)}*(1+T_3(x_{33}))^{(-0.013975)}*(1+T_4(x_{33}))^{(-0.031742)}*(1+T_5(x_{33}))^{(-0.032201)}*(1+T_6(x_{33}))^{(0.006292)}*(1+T_7(x_{33}))^{(-0.094518)}*(1+T_8(x_{33}))^{(0.030229)}*(1+T_9(x_{33}))^{(0.000823)}*(1+T_{10}(x_{33}))^{(-0.028056)}-1$$

$$\text{Phi}^1_{[1]}=(1+T_0(x_{11}))^{(-0.030920)}*(1+T_1(x_{11}))^{(0.237811)}*(1+T_2(x_{11}))^{(-0.066727)}*(1+T_3(x_{11}))^{(-0.081735)}*(1+T_4(x_{11}))^{(0.003716)}*(1+T_5(x_{11}))^{(0.012395)}*(1+T_6(x_{11}))^{(0.008441)}*(1+T_7(x_{11}))^{(-0.076937)}*(1+T_8(x_{11}))^{(-0.026449)}*(1+T_9(x_{11}))^{(0.068434)}*(1+T_{10}(x_{11}))^{(0.052747)}*(1+T_0(x_{12}))^{(-0.030920)}*(1+T_1(x_{12}))^{(-0.034212)}*(1+T_2(x_{12}))^{(-0.003226)}*(1+T_3(x_{12}))^{(-0.030668)}*(1+T_4(x_{12}))^{(0.038559)}*(1+T_5(x_{12}))^{(-0.011161)}*(1+T_6(x_{12}))^{(0.000860)}*(1+T_7(x_{12}))^{(-0.001525)}*(1+T_8(x_{12}))^{(0.003849)}*(1+T_9(x_{12}))^{(0.041416)}*(1+T_{10}(x_{12}))^{(-0.000928)}-1$$

$$\text{Phi}^1_{[2]}=(1+T_0(x_{21}))^{(9.654495)}*(1+T_1(x_{21}))^{(-8.511094)}*(1+T_2(x_{21}))^{(1.788529)}*(1+T_3(x_{21}))^{(-0.405458)}*(1+T_4(x_{21}))^{(-0.015773)}*(1+T_5(x_{21}))^{(0.679325)}*(1+T_6(x_{21}))^{(-1.587062)}*(1+T_7(x_{21}))^{(0.027545)}*(1+T_8(x_{21}))^{(0.075429)}*(1+T_9(x_{21}))^{(0.423286)}*(1+T_{10}(x_{21}))^{(-0.000648)}*(1+T_{11}(x_{21}))^{(0.027479)}*(1+T_0(x_{22}))^{(9.654495)}*(1+T_1(x_{22}))^{(-8.094967)}*(1+T_2(x_{22}))^{(-0.550306)}*(1+T_3(x_{22}))^{(4.581628)}*(1+T_4(x_{22}))^{(-14.816167)}*(1+T_5(x_{22}))^{(6.199925)}*(1+T_6(x_{22}))^{(0.553998)}*(1+T_7(x_{22}))^{(0.026745)}*(1+T_8(x_{22}))^{(-0.114693)}*(1+T_9(x_{22}))^{(0.414101)}*(1+T_{10}(x_{22}))^{(-0.082782)}*(1+T_{11}(x_{22}))^{(0.020893)}-1$$

$$\text{Phi}^1_{[3]}=(1+T_0(x_{31}))^{(0.463335)}*(1+T_1(x_{31}))^{(0.171754)}*(1+T_2(x_{31}))^{(0.051337)}*(1+T_3(x_{31}))^{(-0.069953)}*(1+T_4(x_{31}))^{(-0.032047)}*(1+T_5(x_{31}))^{(-0.038150)}*(1+T_6(x_{31}))^{(0.002974)}*(1+T_7(x_{31}))^{(-0.015897)}*(1+T_8(x_{31}))^{(-0.019132)}*(1+T_9(x_{31}))^{(0.012223)}*(1+T_{10}(x_{31}))^{(-0.031649)}*(1+T_0(x_{32}))^{(0.463335)}*(1+T_1(x_{32}))^{(-0.621519)}*(1+T_2(x_{32}))^{(0.023915)}*(1+T_3(x_{32}))^{(-0.020839)}*(1+T_4(x_{32}))^{(-0.025155)}*(1+T_5(x_{32}))^{(-0.040930)}*(1+T_6(x_{32}))^{(-0.023013)}*(1+T_7(x_{32}))^{(0.007194)}*(1+T_8(x_{32}))^{(-0.011120)}*(1+T_9(x_{32}))^{(-0.017115)}*(1+T_{10}(x_{32}))^{(0.010689)}*(1+T_0(x_{33}))^{(0.463335)}*(1+T_1(x_{33}))^{(-1.332351)}*(1+T_2(x_{33}))^{(0.078356)}*(1+T_3(x_{33}))^{(-0.026076)}*(1+T_4(x_{33}))^{(-0.023422)}*(1+T_5(x_{33}))^{(-0.023250)}*(1+T_6(x_{33}))^{(-0.006596)}*(1+T_7(x_{33}))^{(-0.131919)}*(1+T_8(x_{33}))^{(0.068493)}*(1+T_9(x_{33}))^{(0.011512)}*(1+T_{10}(x_{33}))^{(-0.057167)}-1$$

$$\text{Phi}^2_{[1]}=(1+T_0(x_{11}))^{(-0.177693)}*(1+T_1(x_{11}))^{(0.506646)}*(1+T_2(x_{11}))^{(-0.019566)}*(1+T_3(x_{11}))^{(-0.051392)}*(1+T_4(x_{11}))^{(0.007470)}*(1+T_5(x_{11}))^{(0.018493)}*(1+T_6(x_{11}))^{(-0.022222)}*(1+T_7(x_{11}))^{(0.015046)}*(1+T_8(x_{11}))^{(-0.074104)}*(1+T_9(x_{11}))^{(0.036215)}*(1+T_{10}(x_{11}))^{(0.034249)}*(1+T_{11}(x_{11}))^{(0.011512)}$$

$$T0(x_{12})^{(-0.177693)} * (1 + T1(x_{12}))^{(0.344546)} * (1 + T2(x_{12}))^{(0.014388)} * (1 + T3(x_{12}))^{(-0.094935)} * (1 + T4(x_{12}))^{(-0.030338)} * (1 + T5(x_{12}))^{(0.027064)} * (1 + T6(x_{12}))^{(-0.045454)} * (1 + T7(x_{12}))^{(0.022427)} * (1 + T8(x_{12}))^{(0.004620)} * (1 + T9(x_{12}))^{(0.113226)} * (1 + T10(x_{12}))^{(0.021345)} - 1$$

$$\text{Phi}^2_{[2]} = (1 + T0(x_{21}))^{(-0.797221)} * (1 + T1(x_{21}))^{(2.480315)} * (1 + T2(x_{21}))^{(-0.547141)} * (1 + T3(x_{21}))^{(0.110108)} * (1 + T4(x_{21}))^{(0.010919)} * (1 + T5(x_{21}))^{(-0.214269)} * (1 + T6(x_{21}))^{(0.491035)} * (1 + T7(x_{21}))^{(-0.025430)} * (1 + T8(x_{21}))^{(-0.031556)} * (1 + T9(x_{21}))^{(-0.107453)} * (1 + T10(x_{21}))^{(-0.004434)} * (1 + T11(x_{21}))^{(-0.002603)} * (1 + T0(x_{22}))^{(-0.797221)} * (1 + T1(x_{22}))^{(0.293714)} * (1 + T2(x_{22}))^{(-0.077298)} * (1 + T3(x_{22}))^{(-0.124874)} * (1 + T4(x_{22}))^{(-0.830058)} * (1 + T5(x_{22}))^{(0.398133)} * (1 + T6(x_{22}))^{(0.011311)} * (1 + T7(x_{22}))^{(0.019517)} * (1 + T8(x_{22}))^{(0.090797)} * (1 + T9(x_{22}))^{(-0.169020)} * (1 + T10(x_{22}))^{(0.041678)} * (1 + T11(x_{22}))^{(0.041345)} - 1$$

$$\text{Phi}^2_{[3]} = (1 + T0(x_{31}))^{(0.215271)} * (1 + T1(x_{31}))^{(0.171764)} * (1 + T2(x_{31}))^{(-0.026314)} * (1 + T3(x_{31}))^{(-0.079323)} * (1 + T4(x_{31}))^{(-0.000286)} * (1 + T5(x_{31}))^{(-0.017124)} * (1 + T6(x_{31}))^{(0.052909)} * (1 + T7(x_{31}))^{(0.024573)} * (1 + T8(x_{31}))^{(0.003240)} * (1 + T9(x_{31}))^{(0.029044)} * (1 + T10(x_{31}))^{(-0.027417)} * (1 + T0(x_{32}))^{(0.215271)} * (1 + T1(x_{32}))^{(0.053855)} * (1 + T2(x_{32}))^{(-0.020585)} * (1 + T3(x_{32}))^{(-0.008807)} * (1 + T4(x_{32}))^{(0.013580)} * (1 + T5(x_{32}))^{(0.012429)} * (1 + T6(x_{32}))^{(0.019957)} * (1 + T7(x_{32}))^{(-0.006681)} * (1 + T8(x_{32}))^{(0.006808)} * (1 + T9(x_{32}))^{(-0.005033)} * (1 + T10(x_{32}))^{(-0.006942)} * (1 + T0(x_{33}))^{(0.215271)} * (1 + T1(x_{33}))^{(-0.512131)} * (1 + T2(x_{33}))^{(0.061133)} * (1 + T3(x_{33}))^{(-0.000370)} * (1 + T4(x_{33}))^{(0.013756)} * (1 + T5(x_{33}))^{(0.012268)} * (1 + T6(x_{33}))^{(-0.005956)} * (1 + T7(x_{33}))^{(0.070938)} * (1 + T8(x_{33}))^{(-0.030874)} * (1 + T9(x_{33}))^{(-0.001329)} * (1 + T10(x_{33}))^{(-0.039552)} - 1$$

$$\text{Phi}^3_{[1]} = (1 + T0(x_{11}))^{(-0.546651)} * (1 + T1(x_{11}))^{(0.924617)} * (1 + T2(x_{11}))^{(-0.066182)} * (1 + T3(x_{11}))^{(-0.113167)} * (1 + T4(x_{11}))^{(0.008159)} * (1 + T5(x_{11}))^{(0.041218)} * (1 + T6(x_{11}))^{(-0.007626)} * (1 + T7(x_{11}))^{(-0.044575)} * (1 + T8(x_{11}))^{(-0.061169)} * (1 + T9(x_{11}))^{(0.089074)} * (1 + T10(x_{11}))^{(0.058202)} * (1 + T0(x_{12}))^{(-0.546651)} * (1 + T1(x_{12}))^{(0.754968)} * (1 + T2(x_{12}))^{(-0.004779)} * (1 + T3(x_{12}))^{(-0.143991)} * (1 + T4(x_{12}))^{(0.037009)} * (1 + T5(x_{12}))^{(0.009969)} * (1 + T6(x_{12}))^{(-0.027765)} * (1 + T7(x_{12}))^{(0.013854)} * (1 + T8(x_{12}))^{(-0.000011)} * (1 + T9(x_{12}))^{(0.161679)} * (1 + T10(x_{12}))^{(0.020682)} - 1$$

$$\text{Phi}^3_{[2]} = (1 + T0(x_{21}))^{(2.930318)} * (1 + T1(x_{21}))^{(-3.501230)} * (1 + T2(x_{21}))^{(0.753117)} * (1 + T3(x_{21}))^{(-0.161388)} * (1 + T4(x_{21}))^{(0.003687)} * (1 + T5(x_{21}))^{(0.256447)} * (1 + T6(x_{21}))^{(-0.646816)} * (1 + T7(x_{21}))^{(0.009561)} * (1 + T8(x_{21}))^{(0.026982)} * (1 + T9(x_{21}))^{(0.168906)} * (1 + T10(x_{21}))^{(-0.019579)} * (1 + T11(x_{21}))^{(0.010516)} * (1 + T0(x_{22}))^{(2.930318)} * (1 + T1(x_{22}))^{(-1.465702)} * (1 + T2(x_{22}))^{(-0.200602)} * (1 + T3(x_{22}))^{(1.055383)} * (1 + T4(x_{22}))^{(-3.904614)} * (1 + T5(x_{22}))^{(1.709283)} * (1 + T6(x_{22}))^{(0.180610)} * (1 + T7(x_{22}))^{(0.007683)} * (1 + T8(x_{22}))^{(-0.048945)} * (1 + T9(x_{22}))^{(0.150401)} * (1 + T10(x_{22}))^{(-0.010641)} * (1 + T11(x_{22}))^{(0.010360)} - 1$$

$$\text{Phi}^3_{[3]} = (1 + T0(x_{31}))^{(0.146124)} * (1 + T1(x_{31}))^{(0.151112)} * (1 + T2(x_{31}))^{(0.025314)} * (1 + T3(x_{31}))^{(-0.089454)} * (1 + T4(x_{31}))^{(-0.036232)} * (1 + T5(x_{31}))^{(-0.006073)} * (1 + T6(x_{31}))^{(-0.007839)} * (1 + T7(x_{31}))^{(0.012732)} * (1 + T8(x_{31}))^{(-0.019877)} * (1 + T9(x_{31}))^{(0.015031)} * (1 + T10(x_{31}))^{(-0.014821)} * (1 + T0(x_{32}))^{(0.146124)} * (1 + T1(x_{32}))^{(0.000029)} * (1 + T2(x_{32}))^{(-0.005099)} * (1 + T3(x_{32}))^{(0.001576)} * (1 + T4(x_{32}))^{(-0.000913)} * (1 + T5(x_{32}))^{(-0.003009)} * (1 + T6(x_{32}))^{(-0.001886)} * (1 + T7(x_{32}))^{(0.005266)} * (1 + T8(x_{32}))^{(-0.000247)} * (1 + T9(x_{32}))^{(-0.018046)} * (1 + T10(x_{32}))^{(0.010678)} * (1 + T0(x_{33}))^{(0.146124)} * (1 + T1(x_{33}))^{(-0.491962)} * (1 + T2(x_{33}))^{(0.016361)} * (1 + T3(x_{33}))^{(-0.004116)} * (1 + T4(x_{33}))^{(-0.021038)} * (1 + T5(x_{33}))^{(-0.009469)} * (1 + T6(x_{33}))^{(0.000479)} * (1 + T7(x_{33}))^{(-0.025650)} * (1 + T8(x_{33}))^{(-0.002289)} * (1 + T9(x_{33}))^{(0.002657)} * (1 + T10(x_{33}))^{(-0.012381)} - 1$$

$$\text{Phi}^4_{[1]} = (1 + T0(x_{11}))^{(-0.298239)} * (1 + T1(x_{11}))^{(0.690403)} * (1 + T2(x_{11}))^{(-0.060358)} * (1 + T3(x_{11}))^{(-0.164125)} * (1 + T4(x_{11}))^{(0.006874)} * (1 + T5(x_{11}))^{(0.054693)} * (1 + T6(x_{11}))^{(0.002282)} * (1 + T7(x_{11}))^{(-0.099871)} * (1 + T8(x_{11}))^{(-0.048299)} * (1 + T9(x_{11}))^{(0.127437)} * (1 + T10(x_{11}))^{(0.046713)} * (1 + T0(x_{12}))^{(-0.298239)} * (1 + T1(x_{12}))^{(0.409701)} * (1 + T2(x_{12}))^{(0.013224)} * (1 + T3(x_{12}))^{(-0.054397)} * (1 + T4(x_{12}))^{(0.021495)} * (1 + T5(x_{12}))^{(0.000445)} * (1 + T6(x_{12}))^{(-0.009586)} * (1 + T7(x_{12}))^{(0.017119)} * (1 + T8(x_{12}))^{(-0.005593)} * (1 + T9(x_{12}))^{(0.082289)} * (1 + T10(x_{12}))^{(-0.008115)} - 1$$

$$\text{Phi}^4_{[2]} = (1 + T0(x_{21}))^{(5.897639)} * (1 + T1(x_{21}))^{(-6.594689)} * (1 + T2(x_{21}))^{(1.322900)} * (1 + T3(x_{21}))^{(-0.267131)} * (1 + T4(x_{21}))^{(-0.016310)} * (1 + T5(x_{21}))^{(0.475346)} * (1 + T6(x_{21}))^{(-1.157414)} * (1 + T7(x_{21}))^{(0.022564)} * (1 + T8(x_{21}))^{(0.075677)} * (1 + T9(x_{21}))^{(0.285428)} * (1 + T10(x_{21}))^{(-0.011484)} * (1 + T11(x_{21}))^{(0.019327)} * (1 + T0(x_{22}))^{(5.897639)} * (1 + T1(x_{22}))^{(-3.369133)} * (1 + T2(x_{22}))^{(-0.503752)} * (1 + T3(x_{22}))^{(2.674910)} * (1 + T4(x_{22}))^{(-8.584270)} * (1 + T5(x_{22}))^{(3.555990)} * (1 + T6(x_{22}))^{(0.494964)} * (1 + T7(x_{22}))^{(0.006568)} * (1 + T8(x_{22}))^{(-0.173779)} * (1 + T9(x_{22}))^{(0.451241)} * (1 + T10(x_{22}))^{(-0.065287)} * (1 + T11(x_{22}))^{(-0.004557)} - 1$$

$$\text{Phi}^4_{[3]} = (1 + T_0(x_{31}))^{(0.174167)} * (1 + T_1(x_{31}))^{(0.301309)} * (1 + T_2(x_{31}))^{(0.019170)} * (1 + T_3(x_{31}))^{(-0.074460)} * (1 + T_4(x_{31}))^{(-0.043104)} * (1 + T_5(x_{31}))^{(-0.045427)} * (1 + T_6(x_{31}))^{(-0.020966)} * (1 + T_7(x_{31}))^{(0.019409)} * (1 + T_8(x_{31}))^{(-0.051122)} * (1 + T_9(x_{31}))^{(0.005505)} * (1 + T_{10}(x_{31}))^{(0.004898)} * (1 + T_0(x_{32}))^{(0.174167)} * (1 + T_1(x_{32}))^{(0.057408)} * (1 + T_2(x_{32}))^{(0.016285)} * (1 + T_3(x_{32}))^{(0.005373)} * (1 + T_4(x_{32}))^{(-0.012048)} * (1 + T_5(x_{32}))^{(-0.013571)} * (1 + T_6(x_{32}))^{(0.001238)} * (1 + T_7(x_{32}))^{(0.003859)} * (1 + T_8(x_{32}))^{(0.002316)} * (1 + T_9(x_{32}))^{(-0.016290)} * (1 + T_{10}(x_{32}))^{(-0.006229)} * (1 + T_0(x_{33}))^{(0.174167)} * (1 + T_1(x_{33}))^{(-0.849775)} * (1 + T_2(x_{33}))^{(0.027878)} * (1 + T_3(x_{33}))^{(-0.013975)} * (1 + T_4(x_{33}))^{(-0.031742)} * (1 + T_5(x_{33}))^{(-0.032201)} * (1 + T_6(x_{33}))^{(0.006292)} * (1 + T_7(x_{33}))^{(-0.094518)} * (1 + T_8(x_{33}))^{(0.030229)} * (1 + T_9(x_{33}))^{(0.000823)} * (1 + T_{10}(x_{33}))^{(-0.028056)} - 1$$

F<sup>1</sup> в особом базисе:

$$(1 + T_0(x_{11}))^{(-0.000578)} * (1 + T_1(x_{11}))^{(0.004447)} * (1 + T_2(x_{11}))^{(-0.001248)} * (1 + T_3(x_{11}))^{(-0.001528)} * (1 + T_4(x_{11}))^{(0.000069)} * (1 + T_5(x_{11}))^{(0.000232)} * (1 + T_6(x_{11}))^{(0.000158)} * (1 + T_7(x_{11}))^{(-0.001439)} * (1 + T_8(x_{11}))^{(-0.000495)} * (1 + T_9(x_{11}))^{(0.001280)} * (1 + T_{10}(x_{11}))^{(0.000986)} * (1 + T_0(x_{12}))^{(-0.000578)} * (1 + T_1(x_{12}))^{(-0.000640)} * (1 + T_2(x_{12}))^{(-0.000060)} * (1 + T_3(x_{12}))^{(-0.000574)} * (1 + T_4(x_{12}))^{(0.000721)} * (1 + T_5(x_{12}))^{(-0.000209)} * (1 + T_6(x_{12}))^{(0.000016)} * (1 + T_7(x_{12}))^{(-0.000029)} * (1 + T_8(x_{12}))^{(0.000072)} * (1 + T_9(x_{12}))^{(0.000774)} * (1 + T_{10}(x_{12}))^{(-0.000017)} * (1 + T_0(x_{21}))^{(0.851789)} * (1 + T_1(x_{21}))^{(-0.750910)} * (1 + T_2(x_{21}))^{(0.157797)} * (1 + T_3(x_{21}))^{(-0.035772)} * (1 + T_4(x_{21}))^{(-0.001392)} * (1 + T_5(x_{21}))^{(0.059935)} * (1 + T_6(x_{21}))^{(-0.140022)} * (1 + T_7(x_{21}))^{(0.002430)} * (1 + T_8(x_{21}))^{(0.006655)} * (1 + T_9(x_{21}))^{(0.037345)} * (1 + T_{10}(x_{21}))^{(-0.000057)} * (1 + T_{11}(x_{21}))^{(0.002424)} * (1 + T_0(x_{22}))^{(0.851789)} * (1 + T_1(x_{22}))^{(-0.714196)} * (1 + T_2(x_{22}))^{(-0.048552)} * (1 + T_3(x_{22}))^{(0.404224)} * (1 + T_4(x_{22}))^{(-1.307189)} * (1 + T_5(x_{22}))^{(0.547002)} * (1 + T_6(x_{22}))^{(0.048878)} * (1 + T_7(x_{22}))^{(0.002360)} * (1 + T_8(x_{22}))^{(-0.010119)} * (1 + T_9(x_{22}))^{(0.036535)} * (1 + T_{10}(x_{22}))^{(-0.007304)} * (1 + T_{11}(x_{22}))^{(0.001843)} * (1 + T_0(x_{31}))^{(0.419257)} * (1 + T_1(x_{31}))^{(0.155415)} * (1 + T_2(x_{31}))^{(0.046453)} * (1 + T_3(x_{31}))^{(-0.063299)} * (1 + T_4(x_{31}))^{(-0.028998)} * (1 + T_5(x_{31}))^{(-0.034520)} * (1 + T_6(x_{31}))^{(0.002691)} * (1 + T_7(x_{31}))^{(-0.014385)} * (1 + T_8(x_{31}))^{(-0.017312)} * (1 + T_9(x_{31}))^{(0.011060)} * (1 + T_{10}(x_{31}))^{(-0.028638)} * (1 + T_0(x_{32}))^{(0.419257)} * (1 + T_1(x_{32}))^{(-0.562393)} * (1 + T_2(x_{32}))^{(0.021640)} * (1 + T_3(x_{32}))^{(-0.018856)} * (1 + T_4(x_{32}))^{(-0.022762)} * (1 + T_5(x_{32}))^{(-0.037036)} * (1 + T_6(x_{32}))^{(-0.020824)} * (1 + T_7(x_{32}))^{(0.006509)} * (1 + T_8(x_{32}))^{(-0.010062)} * (1 + T_9(x_{32}))^{(-0.015487)} * (1 + T_{10}(x_{32}))^{(0.009672)} * (1 + T_0(x_{33}))^{(0.419257)} * (1 + T_1(x_{33}))^{(-1.205602)} * (1 + T_2(x_{33}))^{(0.070902)} * (1 + T_3(x_{33}))^{(-0.023595)} * (1 + T_4(x_{33}))^{(-0.021194)} * (1 + T_5(x_{33}))^{(-0.021039)} * (1 + T_6(x_{33}))^{(-0.005968)} * (1 + T_7(x_{33}))^{(-0.119370)} * (1 + T_8(x_{33}))^{(0.061977)} * (1 + T_9(x_{33}))^{(0.010417)} * (1 + T_{10}(x_{33}))^{(-0.051728)} - 1$$

F<sup>2</sup> в особом базисе:

$$(1 + T_0(x_{11}))^{(-0.005377)} * (1 + T_1(x_{11}))^{(0.015332)} * (1 + T_2(x_{11}))^{(-0.000592)} * (1 + T_3(x_{11}))^{(-0.001555)} * (1 + T_4(x_{11}))^{(0.000226)} * (1 + T_5(x_{11}))^{(0.000560)} * (1 + T_6(x_{11}))^{(-0.000672)} * (1 + T_7(x_{11}))^{(0.000455)} * (1 + T_8(x_{11}))^{(-0.002243)} * (1 + T_9(x_{11}))^{(0.001096)} * (1 + T_{10}(x_{11}))^{(0.001036)} * (1 + T_0(x_{12}))^{(-0.005377)} * (1 + T_1(x_{12}))^{(0.010427)} * (1 + T_2(x_{12}))^{(0.000435)} * (1 + T_3(x_{12}))^{(-0.002873)} * (1 + T_4(x_{12}))^{(-0.000918)} * (1 + T_5(x_{12}))^{(0.000819)} * (1 + T_6(x_{12}))^{(-0.001376)} * (1 + T_7(x_{12}))^{(0.000679)} * (1 + T_8(x_{12}))^{(0.000140)} * (1 + T_9(x_{12}))^{(0.003426)} * (1 + T_{10}(x_{12}))^{(0.000646)} * (1 + T_0(x_{21}))^{(-0.118977)} * (1 + T_1(x_{21}))^{(0.370162)} * (1 + T_2(x_{21}))^{(-0.081655)} * (1 + T_3(x_{21}))^{(0.016433)} * (1 + T_4(x_{21}))^{(0.001630)} * (1 + T_5(x_{21}))^{(-0.031978)} * (1 + T_6(x_{21}))^{(0.073282)} * (1 + T_7(x_{21}))^{(-0.003795)} * (1 + T_8(x_{21}))^{(-0.004709)} * (1 + T_9(x_{21}))^{(-0.016036)} * (1 + T_{10}(x_{21}))^{(-0.000662)} * (1 + T_{11}(x_{21}))^{(-0.000389)} * (1 + T_0(x_{22}))^{(-0.118977)} * (1 + T_1(x_{22}))^{(0.043834)} * (1 + T_2(x_{22}))^{(-0.011536)} * (1 + T_3(x_{22}))^{(-0.018636)} * (1 + T_4(x_{22}))^{(-0.123878)} * (1 + T_5(x_{22}))^{(0.059417)} * (1 + T_6(x_{22}))^{(0.001688)} * (1 + T_7(x_{22}))^{(0.002913)} * (1 + T_8(x_{22}))^{(0.013551)} * (1 + T_9(x_{22}))^{(-0.025224)} * (1 + T_{10}(x_{22}))^{(0.006220)} * (1 + T_{11}(x_{22}))^{(0.006170)} * (1 + T_0(x_{31}))^{(0.179925)} * (1 + T_1(x_{31}))^{(0.143562)} * (1 + T_2(x_{31}))^{(-0.021994)} * (1 + T_3(x_{31}))^{(-0.066299)} * (1 + T_4(x_{31}))^{(-0.000239)} * (1 + T_5(x_{31}))^{(-0.014312)} * (1 + T_6(x_{31}))^{(0.044222)} * (1 + T_7(x_{31}))^{(0.020539)} * (1 + T_8(x_{31}))^{(0.002708)} * (1 + T_9(x_{31}))^{(0.024275)} * (1 + T_{10}(x_{31}))^{(-0.022915)} * (1 + T_0(x_{32}))^{(0.179925)} * (1 + T_1(x_{32}))^{(0.045013)} * (1 + T_2(x_{32}))^{(-0.017205)} * (1 + T_3(x_{32}))^{(-0.007361)} * (1 + T_4(x_{32}))^{(0.011350)} * (1 + T_5(x_{32}))^{(0.010388)} * (1 + T_6(x_{32}))^{(0.016680)} * (1 + T_7(x_{32}))^{(-0.005584)} * (1 + T_8(x_{32}))^{(0.005690)} * (1 + T_9(x_{32}))^{(-0.004206)} * (1 + T_{10}(x_{32}))^{(-0.005802)} * (1 + T_0(x_{33}))^{(0.179925)} * (1 + T_1(x_{33}))^{(-0.428044)} * (1 + T_2(x_{33}))^{(0.051095)} * (1 + T_3(x_{33}))^{(-0.000309)} * (1 + T_4(x_{33}))^{(0.011497)} * (1 + T_5(x_{33}))^{(0.010253)} * (1 + T_6(x_{33}))^{(-0.004978)} * (1 + T_7(x_{33}))^{(0.059290)} * (1 + T_8(x_{33}))^{(-0.025804)} * (1 + T_9(x_{33}))^{(-0.001111)} * (1 + T_{10}(x_{33}))^{(-0.033058)} - 1$$

F<sup>3</sup> в особом базисе:

$$(1 + T_0(x_{11}))^{(-0.048335)} * (1 + T_1(x_{11}))^{(0.081756)} * (1 + T_2(x_{11}))^{(-0.005852)} * (1 + T_3(x_{11}))^{(-0.010006)} * (1 + T_4(x_{11}))^{(0.000721)} * (1 + T_5(x_{11}))^{(0.003645)} * (1 + T_6(x_{11}))^{(-0.000674)} * (1 + T_7(x_{11}))^{(-0.003941)} * (1 + T_8(x_{11}))^{(-0.005409)} * (1 + T_9(x_{11}))^{(0.007876)} * (1 + T_{10}(x_{11}))^{(0.005146)} * (1 + T_0(x_{12}))^{(-0.048335)} * (1 + T_1(x_{12}))^{(0.066755)} * (1 + T_2(x_{12}))^{(-0.000423)} * (1 + T_3(x_{12}))^{(-0.012732)} * (1 + T_4(x_{12}))^{(0.003272)} * (1 + T_5(x_{12}))^{(0.000881)} * (1 + T_6(x_{12}))^{(-0.002455)} * (1 + T_7(x_{12}))^{(0.001225)} * (1 + T_8(x_{12}))^{(-0.000001)} * (1 + T_9(x_{12}))^{(0.014296)} * (1 + T_{10}(x_{12}))^{(0.001829)} * (1 + T_0(x_{21}))^{(0.404446)} * (1 + T_1(x_{21}))^{(-0.483244)} * (1 + T_2(x_{21}))^{(0.103946)} * (1 + T_3(x_{21}))^{(-0.022275)} * (1 + T_4(x_{21}))^{(0.000509)} * (1 + T_5(x_{21}))^{(0.035395)} * (1 + T_6(x_{21}))^{(-0.089274)} * (1 + T_7(x_{21}))^{(0.001320)} * (1 + T_8(x_{21}))^{(0.003724)} * (1 + T_9(x_{21}))^{(0.023313)} * (1 +$$

$$T10(x21))^{(-0.002702)} * (1 + T11(x21))^{(0.001451)} * (1 + T0(x22))^{(0.404446)} * (1 + T1(x22))^{(-0.202298)} * (1 + T2(x22))^{(-0.027687)} * (1 + T3(x22))^{(0.145665)} * (1 + T4(x22))^{(-0.538919)} * (1 + T5(x22))^{(0.235917)} * (1 + T6(x22))^{(0.024928)} * (1 + T7(x22))^{(0.001060)} * (1 + T8(x22))^{(-0.006755)} * (1 + T9(x22))^{(0.020759)} * (1 + T10(x22))^{(-0.001469)} * (1 + T11(x22))^{(0.001430)} * (1 + T0(x31))^{(0.114422)} * (1 + T1(x31))^{(0.118327)} * (1 + T2(x31))^{(0.019822)} * (1 + T3(x31))^{(-0.070046)} * (1 + T4(x31))^{(-0.028371)} * (1 + T5(x31))^{(-0.004755)} * (1 + T6(x31))^{(-0.006138)} * (1 + T7(x31))^{(0.009970)} * (1 + T8(x31))^{(-0.015564)} * (1 + T9(x31))^{(0.011770)} * (1 + T10(x31))^{(-0.011606)} * (1 + T0(x32))^{(0.114422)} * (1 + T1(x32))^{(0.000023)} * (1 + T2(x32))^{(-0.003993)} * (1 + T3(x32))^{(0.001234)} * (1 + T4(x32))^{(-0.000715)} * (1 + T5(x32))^{(-0.002356)} * (1 + T6(x32))^{(-0.001476)} * (1 + T7(x32))^{(0.004123)} * (1 + T8(x32))^{(-0.000193)} * (1 + T9(x32))^{(-0.014131)} * (1 + T10(x32))^{(0.008362)} * (1 + T0(x33))^{(0.114422)} * (1 + T1(x33))^{(-0.385227)} * (1 + T2(x33))^{(0.012811)} * (1 + T3(x33))^{(-0.003223)} * (1 + T4(x33))^{(-0.016474)} * (1 + T5(x33))^{(-0.007415)} * (1 + T6(x33))^{(0.000375)} * (1 + T7(x33))^{(-0.020085)} * (1 + T8(x33))^{(-0.001792)} * (1 + T9(x33))^{(0.002080)} * (1 + T10(x33))^{(-0.009694)} - 1$$

F^4 в особом базисе:

$$(1 + T0(x11))^{(-0.040448)} * (1 + T1(x11))^{(0.093634)} * (1 + T2(x11))^{(-0.008186)} * (1 + T3(x11))^{(-0.022259)} * (1 + T4(x11))^{(0.000932)} * (1 + T5(x11))^{(0.007418)} * (1 + T6(x11))^{(0.000310)} * (1 + T7(x11))^{(-0.013545)} * (1 + T8(x11))^{(-0.006550)} * (1 + T9(x11))^{(0.017283)} * (1 + T10(x11))^{(0.006335)} * (1 + T0(x12))^{(-0.040448)} * (1 + T1(x12))^{(0.055565)} * (1 + T2(x12))^{(0.001793)} * (1 + T3(x12))^{(-0.007377)} * (1 + T4(x12))^{(0.002915)} * (1 + T5(x12))^{(0.000060)} * (1 + T6(x12))^{(-0.001300)} * (1 + T7(x12))^{(0.002322)} * (1 + T8(x12))^{(-0.000759)} * (1 + T9(x12))^{(0.011160)} * (1 + T10(x12))^{(-0.001101)} * (1 + T0(x21))^{(0.484652)} * (1 + T1(x21))^{(-0.541933)} * (1 + T2(x21))^{(0.108712)} * (1 + T3(x21))^{(-0.021952)} * (1 + T4(x21))^{(-0.001340)} * (1 + T5(x21))^{(0.039063)} * (1 + T6(x21))^{(-0.095113)} * (1 + T7(x21))^{(0.001854)} * (1 + T8(x21))^{(0.006219)} * (1 + T9(x21))^{(0.023456)} * (1 + T10(x21))^{(-0.000944)} * (1 + T11(x21))^{(0.001588)} * (1 + T0(x22))^{(0.484652)} * (1 + T1(x22))^{(-0.276866)} * (1 + T2(x22))^{(-0.041397)} * (1 + T3(x22))^{(0.219817)} * (1 + T4(x22))^{(-0.705432)} * (1 + T5(x22))^{(0.292221)} * (1 + T6(x22))^{(0.040675)} * (1 + T7(x22))^{(0.000540)} * (1 + T8(x22))^{(-0.014281)} * (1 + T9(x22))^{(0.037082)} * (1 + T10(x22))^{(-0.005365)} * (1 + T11(x22))^{(-0.000374)} * (1 + T0(x31))^{(0.138988)} * (1 + T1(x31))^{(0.240449)} * (1 + T2(x31))^{(0.015298)} * (1 + T3(x31))^{(-0.059420)} * (1 + T4(x31))^{(-0.034397)} * (1 + T5(x31))^{(-0.036251)} * (1 + T6(x31))^{(-0.016731)} * (1 + T7(x31))^{(0.015489)} * (1 + T8(x31))^{(-0.040796)} * (1 + T9(x31))^{(0.004393)} * (1 + T10(x31))^{(0.003909)} * (1 + T0(x32))^{(0.138988)} * (1 + T1(x32))^{(0.045813)} * (1 + T2(x32))^{(0.012996)} * (1 + T3(x32))^{(0.004288)} * (1 + T4(x32))^{(-0.009615)} * (1 + T5(x32))^{(-0.010830)} * (1 + T6(x32))^{(0.000988)} * (1 + T7(x32))^{(0.003079)} * (1 + T8(x32))^{(0.001848)} * (1 + T9(x32))^{(-0.013000)} * (1 + T10(x32))^{(-0.004971)} * (1 + T0(x33))^{(0.138988)} * (1 + T1(x33))^{(-0.678133)} * (1 + T2(x33))^{(0.022247)} * (1 + T3(x33))^{(-0.011152)} * (1 + T4(x33))^{(-0.025330)} * (1 + T5(x33))^{(-0.025697)} * (1 + T6(x33))^{(0.005021)} * (1 + T7(x33))^{(-0.075427)} * (1 + T8(x33))^{(0.024123)} * (1 + T9(x33))^{(0.000656)} * (1 + T10(x33))^{(-0.022389)} - 1$$

F^1 в обычном базисе:

$$3.32096334881 * (1.0 + 1.0(x11)^1)^{(0.004447)} * (0.5 + 2.0(x11)^2)^{(-0.001248)} * (1.0 + -2.0(x11)^1 + 4.0(x11)^3)^{(-0.001528)} * (1.5 + -6.0(x11)^2 + 8.0(x11)^4)^{(0.000069)} * (1.0 + 3.0(x11)^1 + -16.0(x11)^3 + 16.0(x11)^5)^{(0.000232)} * (0.5 + 12.0(x11)^2 + -40.0(x11)^4 + 32.0(x11)^6)^{(0.000158)} * (1.0 + -4.0(x11)^1 + 40.0(x11)^3 + -96.0(x11)^5 + 64.0(x11)^7)^{(-0.001439)} * (1.5 + -20.0(x11)^2 + 120.0(x11)^4 + -224.0(x11)^6 + 128.0(x11)^8)^{(-0.000495)} * (1.0 + 5.0(x11)^1 + -80.0(x11)^3 + 336.0(x11)^5 + -512.0(x11)^7 + 256.0(x11)^9)^{(0.001280)} * (0.5 + 30.0(x11)^2 + -280.0(x11)^4 + 896.0(x11)^6 + -1152.0(x11)^8 + 512.0(x11)^10)^{(0.000986)} * (1.0 + 1.0(x12)^1)^{(-0.000640)} * (0.5 + 2.0(x12)^2)^{(-0.000060)} * (1.0 + -2.0(x12)^1 + 4.0(x12)^3)^{(-0.000574)} * (1.5 + -6.0(x12)^2 + 8.0(x12)^4)^{(0.000721)} * (1.0 + 3.0(x12)^1 + -16.0(x12)^3 + 16.0(x12)^5)^{(-0.000209)} * (0.5 + 12.0(x12)^2 + -40.0(x12)^4 + 32.0(x12)^6)^{(0.000016)} * (1.0 + -4.0(x12)^1 + 40.0(x12)^3 + -96.0(x12)^5 + 64.0(x12)^7)^{(-0.000029)} * (1.5 + -20.0(x12)^2 + 120.0(x12)^4 + -224.0(x12)^6 + 128.0(x12)^8)^{(0.000072)} * (1.0 + 5.0(x12)^1 + -80.0(x12)^3 + 336.0(x12)^5 + -512.0(x12)^7 + 256.0(x12)^9)^{(0.000774)} * (0.5 + 30.0(x12)^2 + -280.0(x12)^4 + 896.0(x12)^6 + -1152.0(x12)^8 + 512.0(x12)^10)^{(-0.000017)} * (1.0 + 1.0(x21)^1)^{(-0.750910)} * (0.5 + 2.0(x21)^2)^{(0.157797)} * (1.0 + -2.0(x21)^1 + 4.0(x21)^3)^{(-0.035772)} * (1.5 + -6.0(x21)^2 + 8.0(x21)^4)^{(-0.001392)} * (1.0 + 3.0(x21)^1 + -16.0(x21)^3 + 16.0(x21)^5)^{(0.059935)} * (0.5 + 12.0(x21)^2 + -40.0(x21)^4 + 32.0(x21)^6)^{(-0.140022)} * (1.0 + -4.0(x21)^1 + 40.0(x21)^3 + -96.0(x21)^5 + 64.0(x21)^7)^{(0.002430)} * (1.5 + -20.0(x21)^2 + 120.0(x21)^4 + -224.0(x21)^6 + 128.0(x21)^8)^{(0.006655)} * (1.0 + 5.0(x21)^1 + -80.0(x21)^3 + 336.0(x21)^5 + -512.0(x21)^7 + 256.0(x21)^9)^{(0.037345)} * (0.5 + 30.0(x21)^2 + -280.0(x21)^4 + 896.0(x21)^6 + -1152.0(x21)^8 + 512.0(x21)^10)^{(-0.000057)} * (1.0 + -6.0(x21)^1 + 140.0(x21)^3 + -896.0(x21)^5 + 2304.0(x21)^7 + -2560.0(x21)^9 + 1024.0(x21)^11)^{(0.002424)} * (1.0 + 1.0(x22)^1)^{(-0.714196)} * (0.5 + 2.0(x22)^2)^{(-0.048552)} * (1.0 + -2.0(x22)^1 + 4.0(x22)^3)^{(0.404224)} * (1.5 + -6.0(x22)^2 + 8.0(x22)^4)^{(-1.307189)} * (1.0 + 3.0(x22)^1 + -16.0(x22)^3 + 16.0(x22)^5)^{(0.547002)} * (0.5 + 12.0(x22)^2 + -40.0(x22)^4 + 32.0(x22)^6)^{(0.048878)} * (1.0 + -4.0(x22)^1 + 40.0(x22)^3 + -96.0(x22)^5 + 64.0(x22)^7)^{(0.002360)} * (1.5 + -20.0(x22)^2 + 120.0(x22)^4 + -224.0(x22)^6 + 128.0(x22)^8)^{(-0.010119)} * (1.0 + 5.0(x22)^1 + -80.0(x22)^3 + 336.0(x22)^5 + -512.0(x22)^7 + 256.0(x22)^9)^{(0.036535)} * (0.5 + 30.0(x22)^2 + -280.0(x22)^4 + 896.0(x22)^6 + -1152.0(x22)^8 + 512.0(x22)^10)^{(-0.007304)} * (1.0 + -6.0(x22)^1 + 140.0(x22)^3 + -896.0(x22)^5 + 2304.0(x22)^7 + -2560.0(x22)^9 + 1024.0(x22)^11)^{(0.001843)} * (1.0 + 1.0(x31)^1)^{(0.155415)} * (0.5 + 2.0(x31)^2)^{(0.046453)} * (1.0 + -2.0(x31)^1$$

$$\begin{aligned}
& + 4.0(x_{31})^3)^{(-0.063299)} * (1.5 + -6.0(x_{31})^2 + 8.0(x_{31})^4)^{(-0.028998)} * (1.0 + 3.0(x_{31})^1 + -16.0(x_{31})^3 + \\
& 16.0(x_{31})^5)^{(-0.034520)} * (0.5 + 12.0(x_{31})^2 + -40.0(x_{31})^4 + 32.0(x_{31})^6)^{(0.002691)} * (1.0 + -4.0(x_{31})^1 + \\
& 40.0(x_{31})^3 + -96.0(x_{31})^5 + 64.0(x_{31})^7)^{(-0.014385)} * (1.5 + -20.0(x_{31})^2 + 120.0(x_{31})^4 + -224.0(x_{31})^6 + \\
& 128.0(x_{31})^8)^{(-0.017312)} * (1.0 + 5.0(x_{31})^1 + -80.0(x_{31})^3 + 336.0(x_{31})^5 + -512.0(x_{31})^7 + \\
& 256.0(x_{31})^9)^{(0.011060)} * (0.5 + 30.0(x_{31})^2 + -280.0(x_{31})^4 + 896.0(x_{31})^6 + -1152.0(x_{31})^8 + \\
& 512.0(x_{31})^{10})^{(-0.028638)} * (1.0 + 1.0(x_{32})^1)^{(-0.562393)} * (0.5 + 2.0(x_{32})^2)^{(0.021640)} * (1.0 + -2.0(x_{32})^1 + \\
& 4.0(x_{32})^3)^{(-0.018856)} * (1.5 + -6.0(x_{32})^2 + 8.0(x_{32})^4)^{(-0.022762)} * (1.0 + 3.0(x_{32})^1 + -16.0(x_{32})^3 + \\
& 16.0(x_{32})^5)^{(-0.037036)} * (0.5 + 12.0(x_{32})^2 + -40.0(x_{32})^4 + 32.0(x_{32})^6)^{(-0.020824)} * (1.0 + -4.0(x_{32})^1 + \\
& 40.0(x_{32})^3 + -96.0(x_{32})^5 + 64.0(x_{32})^7)^{(0.006509)} * (1.5 + -20.0(x_{32})^2 + 120.0(x_{32})^4 + -224.0(x_{32})^6 + \\
& 128.0(x_{32})^8)^{(-0.010062)} * (1.0 + 5.0(x_{32})^1 + -80.0(x_{32})^3 + 336.0(x_{32})^5 + -512.0(x_{32})^7 + 256.0(x_{32})^9)^{(- \\
& 0.015487)} * (0.5 + 30.0(x_{32})^2 + -280.0(x_{32})^4 + 896.0(x_{32})^6 + -1152.0(x_{32})^8 + 512.0(x_{32})^{10})^{(0.009672)} * \\
& (1.0 + 1.0(x_{33})^1)^{(-1.205602)} * (0.5 + 2.0(x_{33})^2)^{(0.070902)} * (1.0 + -2.0(x_{33})^1 + 4.0(x_{33})^3)^{(-0.023595)} * \\
& (1.5 + -6.0(x_{33})^2 + 8.0(x_{33})^4)^{(-0.021194)} * (1.0 + 3.0(x_{33})^1 + -16.0(x_{33})^3 + 16.0(x_{33})^5)^{(-0.021039)} * (0.5 \\
& + 12.0(x_{33})^2 + -40.0(x_{33})^4 + 32.0(x_{33})^6)^{(-0.005968)} * (1.0 + -4.0(x_{33})^1 + 40.0(x_{33})^3 + -96.0(x_{33})^5 + \\
& 64.0(x_{33})^7)^{(-0.119370)} * (1.5 + -20.0(x_{33})^2 + 120.0(x_{33})^4 + -224.0(x_{33})^6 + 128.0(x_{33})^8)^{(0.061977)} * (1.0 \\
& + 5.0(x_{33})^1 + -80.0(x_{33})^3 + 336.0(x_{33})^5 + -512.0(x_{33})^7 + 256.0(x_{33})^9)^{(0.010417)} * (0.5 + 30.0(x_{33})^2 + - \\
& 280.0(x_{33})^4 + 896.0(x_{33})^6 + -1152.0(x_{33})^8 + 512.0(x_{33})^{10})^{(-0.051728)} - 1
\end{aligned}$$

F^2 в обычном базисе:

$$\begin{aligned}
& 1.12526386705 * (1.0 + 1.0(x_{11})^1)^{(0.015332)} * (0.5 + 2.0(x_{11})^2)^{(-0.000592)} * (1.0 + -2.0(x_{11})^1 + \\
& 4.0(x_{11})^3)^{(-0.001555)} * (1.5 + -6.0(x_{11})^2 + 8.0(x_{11})^4)^{(0.000226)} * (1.0 + 3.0(x_{11})^1 + -16.0(x_{11})^3 + \\
& 16.0(x_{11})^5)^{(0.000560)} * (0.5 + 12.0(x_{11})^2 + -40.0(x_{11})^4 + 32.0(x_{11})^6)^{(-0.000672)} * (1.0 + -4.0(x_{11})^1 + \\
& 40.0(x_{11})^3 + -96.0(x_{11})^5 + 64.0(x_{11})^7)^{(0.000455)} * (1.5 + -20.0(x_{11})^2 + 120.0(x_{11})^4 + -224.0(x_{11})^6 + \\
& 128.0(x_{11})^8)^{(-0.002243)} * (1.0 + 5.0(x_{11})^1 + -80.0(x_{11})^3 + 336.0(x_{11})^5 + -512.0(x_{11})^7 + \\
& 256.0(x_{11})^9)^{(0.001096)} * (0.5 + 30.0(x_{11})^2 + -280.0(x_{11})^4 + 896.0(x_{11})^6 + -1152.0(x_{11})^8 + \\
& 512.0(x_{11})^{10})^{(0.001036)} * (1.0 + 1.0(x_{12})^1)^{(0.010427)} * (0.5 + 2.0(x_{12})^2)^{(0.000435)} * (1.0 + -2.0(x_{12})^1 + \\
& 4.0(x_{12})^3)^{(-0.002873)} * (1.5 + -6.0(x_{12})^2 + 8.0(x_{12})^4)^{(-0.000918)} * (1.0 + 3.0(x_{12})^1 + -16.0(x_{12})^3 + \\
& 16.0(x_{12})^5)^{(0.000819)} * (0.5 + 12.0(x_{12})^2 + -40.0(x_{12})^4 + 32.0(x_{12})^6)^{(-0.001376)} * (1.0 + -4.0(x_{12})^1 + \\
& 40.0(x_{12})^3 + -96.0(x_{12})^5 + 64.0(x_{12})^7)^{(0.000679)} * (1.5 + -20.0(x_{12})^2 + 120.0(x_{12})^4 + -224.0(x_{12})^6 + \\
& 128.0(x_{12})^8)^{(0.000140)} * (1.0 + 5.0(x_{12})^1 + -80.0(x_{12})^3 + 336.0(x_{12})^5 + -512.0(x_{12})^7 + \\
& 256.0(x_{12})^9)^{(0.003426)} * (0.5 + 30.0(x_{12})^2 + -280.0(x_{12})^4 + 896.0(x_{12})^6 + -1152.0(x_{12})^8 + \\
& 512.0(x_{12})^{10})^{(0.000646)} * (1.0 + 1.0(x_{21})^1)^{(0.370162)} * (0.5 + 2.0(x_{21})^2)^{(-0.081655)} * (1.0 + -2.0(x_{21})^1 + \\
& 4.0(x_{21})^3)^{(-0.016433)} * (1.5 + -6.0(x_{21})^2 + 8.0(x_{21})^4)^{(0.001630)} * (1.0 + 3.0(x_{21})^1 + -16.0(x_{21})^3 + \\
& 16.0(x_{21})^5)^{(-0.031978)} * (0.5 + 12.0(x_{21})^2 + -40.0(x_{21})^4 + 32.0(x_{21})^6)^{(0.073282)} * (1.0 + -4.0(x_{21})^1 + \\
& 40.0(x_{21})^3 + -96.0(x_{21})^5 + 64.0(x_{21})^7)^{(-0.003795)} * (1.5 + -20.0(x_{21})^2 + 120.0(x_{21})^4 + -224.0(x_{21})^6 + \\
& 128.0(x_{21})^8)^{(-0.004709)} * (1.0 + 5.0(x_{21})^1 + -80.0(x_{21})^3 + 336.0(x_{21})^5 + -512.0(x_{21})^7 + 256.0(x_{21})^9)^{(- \\
& 0.016036)} * (0.5 + 30.0(x_{21})^2 + -280.0(x_{21})^4 + 896.0(x_{21})^6 + -1152.0(x_{21})^8 + 512.0(x_{21})^{10})^{(-0.000662)} * \\
& (1.0 + -6.0(x_{21})^1 + 140.0(x_{21})^3 + -896.0(x_{21})^5 + 2304.0(x_{21})^7 + -2560.0(x_{21})^9 + 1024.0(x_{21})^{11})^{(- \\
& 0.000389)} * (1.0 + 1.0(x_{22})^1)^{(0.043834)} * (0.5 + 2.0(x_{22})^2)^{(-0.011536)} * (1.0 + -2.0(x_{22})^1 + 4.0(x_{22})^3)^{(- \\
& 0.018636)} * (1.5 + -6.0(x_{22})^2 + 8.0(x_{22})^4)^{(-0.123878)} * (1.0 + 3.0(x_{22})^1 + -16.0(x_{22})^3 + \\
& 16.0(x_{22})^5)^{(0.059417)} * (0.5 + 12.0(x_{22})^2 + -40.0(x_{22})^4 + 32.0(x_{22})^6)^{(0.001688)} * (1.0 + -4.0(x_{22})^1 + \\
& 40.0(x_{22})^3 + -96.0(x_{22})^5 + 64.0(x_{22})^7)^{(0.002913)} * (1.5 + -20.0(x_{22})^2 + 120.0(x_{22})^4 + -224.0(x_{22})^6 + \\
& 128.0(x_{22})^8)^{(0.013551)} * (1.0 + 5.0(x_{22})^1 + -80.0(x_{22})^3 + 336.0(x_{22})^5 + -512.0(x_{22})^7 + 256.0(x_{22})^9)^{(- \\
& 0.025224)} * (0.5 + 30.0(x_{22})^2 + -280.0(x_{22})^4 + 896.0(x_{22})^6 + -1152.0(x_{22})^8 + 512.0(x_{22})^{10})^{(0.006220)} * \\
& (1.0 + -6.0(x_{22})^1 + 140.0(x_{22})^3 + -896.0(x_{22})^5 + 2304.0(x_{22})^7 + -2560.0(x_{22})^9 + 1024.0(x_{22})^{11})^{(0.006170)} \\
& * (1.0 + 1.0(x_{31})^1)^{(0.143562)} * (0.5 + 2.0(x_{31})^2)^{(-0.021994)} * (1.0 + -2.0(x_{31})^1 + 4.0(x_{31})^3)^{(-0.066299)} * \\
& (1.5 + -6.0(x_{31})^2 + 8.0(x_{31})^4)^{(-0.000239)} * (1.0 + 3.0(x_{31})^1 + -16.0(x_{31})^3 + 16.0(x_{31})^5)^{(-0.014312)} * (0.5 \\
& + 12.0(x_{31})^2 + -40.0(x_{31})^4 + 32.0(x_{31})^6)^{(0.044222)} * (1.0 + -4.0(x_{31})^1 + 40.0(x_{31})^3 + -96.0(x_{31})^5 + \\
& 64.0(x_{31})^7)^{(0.020539)} * (1.5 + -20.0(x_{31})^2 + 120.0(x_{31})^4 + -224.0(x_{31})^6 + 128.0(x_{31})^8)^{(0.002708)} * (1.0 \\
& + 5.0(x_{31})^1 + -80.0(x_{31})^3 + 336.0(x_{31})^5 + -512.0(x_{31})^7 + 256.0(x_{31})^9)^{(0.024275)} * (0.5 + 30.0(x_{31})^2 + - \\
& 280.0(x_{31})^4 + 896.0(x_{31})^6 + -1152.0(x_{31})^8 + 512.0(x_{31})^{10})^{(-0.022915)} * (1.0 + 1.0(x_{32})^1)^{(0.045013)} * \\
& (0.5 + 2.0(x_{32})^2)^{(-0.017205)} * (1.0 + -2.0(x_{32})^1 + 4.0(x_{32})^3)^{(-0.007361)} * (1.5 + -6.0(x_{32})^2 + \\
& 8.0(x_{32})^4)^{(0.011350)} * (1.0 + 3.0(x_{32})^1 + -16.0(x_{32})^3 + 16.0(x_{32})^5)^{(0.010388)} * (0.5 + 12.0(x_{32})^2 + - \\
& 40.0(x_{32})^4 + 32.0(x_{32})^6)^{(0.016680)} * (1.0 + -4.0(x_{32})^1 + 40.0(x_{32})^3 + -96.0(x_{32})^5 + 64.0(x_{32})^7)^{(- \\
& 0.005584)} * (1.5 + -20.0(x_{32})^2 + 120.0(x_{32})^4 + -224.0(x_{32})^6 + 128.0(x_{32})^8)^{(0.005690)} * (1.0 + 5.0(x_{32})^1 + \\
& -80.0(x_{32})^3 + 336.0(x_{32})^5 + -512.0(x_{32})^7 + 256.0(x_{32})^9)^{(-0.004206)} * (0.5 + 30.0(x_{32})^2 + -280.0(x_{32})^4 + \\
& 896.0(x_{32})^6 + -1152.0(x_{32})^8 + 512.0(x_{32})^{10})^{(-0.005802)} * (1.0 + 1.0(x_{33})^1)^{(-0.428044)} * (0.5 + \\
& 2.0(x_{33})^2)^{(0.051095)} * (1.0 + -2.0(x_{33})^1 + 4.0(x_{33})^3)^{(-0.000309)} * (1.5 + -6.0(x_{33})^2 + \\
& 8.0(x_{33})^4)^{(0.011497)} * (1.0 + 3.0(x_{33})^1 + -16.0(x_{33})^3 + 16.0(x_{33})^5)^{(0.010253)} * (0.5 + 12.0(x_{33})^2 + - \\
& 40.0(x_{33})^4 + 32.0(x_{33})^6)^{(-0.004978)} * (1.0 + -4.0(x_{33})^1 + 40.0(x_{33})^3 + -96.0(x_{33})^5 + \\
& 64.0(x_{33})^7)^{(0.059290)} * (1.5 + -20.0(x_{33})^2 + 120.0(x_{33})^4 + -224.0(x_{33})^6 + 128.0(x_{33})^8)^{(-0.025804)} * (1.0 \\
& + 5.0(x_{33})^1 + -80.0(x_{33})^3 + 336.0(x_{33})^5 + -512.0(x_{33})^7 + 256.0(x_{33})^9)^{(-0.001111)} * (0.5 + 30.0(x_{33})^2 + - \\
& 280.0(x_{33})^4 + 896.0(x_{33})^6 + -1152.0(x_{33})^8 + 512.0(x_{33})^{10})^{(-0.033058)} - 1
\end{aligned}$$

F<sup>3</sup> в обычном базисе:

$$\begin{aligned} & 1.53412849649 * (1.0 + 1.0(x_{11})^1)^{(0.081756)} * (0.5 + 2.0(x_{11})^2)^{(-0.005852)} * (1.0 + -2.0(x_{11})^1 + \\ & 4.0(x_{11})^3)^{(-0.010006)} * (1.5 + -6.0(x_{11})^2 + 8.0(x_{11})^4)^{(0.000721)} * (1.0 + 3.0(x_{11})^1 + -16.0(x_{11})^3 + \\ & 16.0(x_{11})^5)^{(0.003645)} * (0.5 + 12.0(x_{11})^2 + -40.0(x_{11})^4 + 32.0(x_{11})^6)^{(-0.000674)} * (1.0 + -4.0(x_{11})^1 + \\ & 40.0(x_{11})^3 + -96.0(x_{11})^5 + 64.0(x_{11})^7)^{(-0.003941)} * (1.5 + -20.0(x_{11})^2 + 120.0(x_{11})^4 + -224.0(x_{11})^6 + \\ & 128.0(x_{11})^8)^{(-0.005409)} * (1.0 + 5.0(x_{11})^1 + -80.0(x_{11})^3 + 336.0(x_{11})^5 + -512.0(x_{11})^7 + \\ & 256.0(x_{11})^9)^{(0.007876)} * (0.5 + 30.0(x_{11})^2 + -280.0(x_{11})^4 + 896.0(x_{11})^6 + -1152.0(x_{11})^8 + \\ & 512.0(x_{11})^{10})^{(0.005146)} * (1.0 + 1.0(x_{12})^1)^{(0.066755)} * (0.5 + 2.0(x_{12})^2)^{(-0.000423)} * (1.0 + -2.0(x_{12})^1 + \\ & 4.0(x_{12})^3)^{(-0.012732)} * (1.5 + -6.0(x_{12})^2 + 8.0(x_{12})^4)^{(0.003272)} * (1.0 + 3.0(x_{12})^1 + -16.0(x_{12})^3 + \\ & 16.0(x_{12})^5)^{(0.000881)} * (0.5 + 12.0(x_{12})^2 + -40.0(x_{12})^4 + 32.0(x_{12})^6)^{(-0.002455)} * (1.0 + -4.0(x_{12})^1 + \\ & 40.0(x_{12})^3 + -96.0(x_{12})^5 + 64.0(x_{12})^7)^{(0.001225)} * (1.5 + -20.0(x_{12})^2 + 120.0(x_{12})^4 + -224.0(x_{12})^6 + \\ & 128.0(x_{12})^8)^{(-0.000001)} * (1.0 + 5.0(x_{12})^1 + -80.0(x_{12})^3 + 336.0(x_{12})^5 + -512.0(x_{12})^7 + \\ & 256.0(x_{12})^9)^{(0.014296)} * (0.5 + 30.0(x_{12})^2 + -280.0(x_{12})^4 + 896.0(x_{12})^6 + -1152.0(x_{12})^8 + \\ & 512.0(x_{12})^{10})^{(0.001829)} * (1.0 + 1.0(x_{21})^1)^{(-0.483244)} * (0.5 + 2.0(x_{21})^2)^{(0.103946)} * (1.0 + -2.0(x_{21})^1 + \\ & 4.0(x_{21})^3)^{(-0.022275)} * (1.5 + -6.0(x_{21})^2 + 8.0(x_{21})^4)^{(0.000509)} * (1.0 + 3.0(x_{21})^1 + -16.0(x_{21})^3 + \\ & 16.0(x_{21})^5)^{(0.035395)} * (0.5 + 12.0(x_{21})^2 + -40.0(x_{21})^4 + 32.0(x_{21})^6)^{(-0.089274)} * (1.0 + -4.0(x_{21})^1 + \\ & 40.0(x_{21})^3 + -96.0(x_{21})^5 + 64.0(x_{21})^7)^{(0.001320)} * (1.5 + -20.0(x_{21})^2 + 120.0(x_{21})^4 + -224.0(x_{21})^6 + \\ & 128.0(x_{21})^8)^{(0.003724)} * (1.0 + 5.0(x_{21})^1 + -80.0(x_{21})^3 + 336.0(x_{21})^5 + -512.0(x_{21})^7 + \\ & 256.0(x_{21})^9)^{(0.023313)} * (0.5 + 30.0(x_{21})^2 + -280.0(x_{21})^4 + 896.0(x_{21})^6 + -1152.0(x_{21})^8 + \\ & 512.0(x_{21})^{10})^{(-0.002702)} * (1.0 + -6.0(x_{21})^1 + 140.0(x_{21})^3 + -896.0(x_{21})^5 + 2304.0(x_{21})^7 + -2560.0(x_{21})^9 + \\ & 1024.0(x_{21})^{11})^{(0.001451)} * (1.0 + 1.0(x_{22})^1)^{(-0.202298)} * (0.5 + 2.0(x_{22})^2)^{(-0.027687)} * (1.0 + -2.0(x_{22})^1 + \\ & 4.0(x_{22})^3)^{(0.145665)} * (1.5 + -6.0(x_{22})^2 + 8.0(x_{22})^4)^{(-0.538919)} * (1.0 + 3.0(x_{22})^1 + -16.0(x_{22})^3 + \\ & 16.0(x_{22})^5)^{(0.235917)} * (0.5 + 12.0(x_{22})^2 + -40.0(x_{22})^4 + 32.0(x_{22})^6)^{(0.024928)} * (1.0 + -4.0(x_{22})^1 + \\ & 40.0(x_{22})^3 + -96.0(x_{22})^5 + 64.0(x_{22})^7)^{(0.001060)} * (1.5 + -20.0(x_{22})^2 + 120.0(x_{22})^4 + -224.0(x_{22})^6 + \\ & 128.0(x_{22})^8)^{(-0.006755)} * (1.0 + 5.0(x_{22})^1 + -80.0(x_{22})^3 + 336.0(x_{22})^5 + -512.0(x_{22})^7 + \\ & 256.0(x_{22})^9)^{(0.020759)} * (0.5 + 30.0(x_{22})^2 + -280.0(x_{22})^4 + 896.0(x_{22})^6 + -1152.0(x_{22})^8 + \\ & 512.0(x_{22})^{10})^{(-0.001469)} * (1.0 + -6.0(x_{22})^1 + 140.0(x_{22})^3 + -896.0(x_{22})^5 + 2304.0(x_{22})^7 + -2560.0(x_{22})^9 + \\ & 1024.0(x_{22})^{11})^{(0.001430)} * (1.0 + 1.0(x_{31})^1)^{(0.118327)} * (0.5 + 2.0(x_{31})^2)^{(0.019822)} * (1.0 + -2.0(x_{31})^1 + \\ & 4.0(x_{31})^3)^{(-0.070046)} * (1.5 + -6.0(x_{31})^2 + 8.0(x_{31})^4)^{(-0.028371)} * (1.0 + 3.0(x_{31})^1 + -16.0(x_{31})^3 + \\ & 16.0(x_{31})^5)^{(-0.004755)} * (0.5 + 12.0(x_{31})^2 + -40.0(x_{31})^4 + 32.0(x_{31})^6)^{(-0.006138)} * (1.0 + -4.0(x_{31})^1 + \\ & 40.0(x_{31})^3 + -96.0(x_{31})^5 + 64.0(x_{31})^7)^{(0.009970)} * (1.5 + -20.0(x_{31})^2 + 120.0(x_{31})^4 + -224.0(x_{31})^6 + \\ & 128.0(x_{31})^8)^{(-0.015564)} * (1.0 + 5.0(x_{31})^1 + -80.0(x_{31})^3 + 336.0(x_{31})^5 + -512.0(x_{31})^7 + \\ & 256.0(x_{31})^9)^{(0.011770)} * (0.5 + 30.0(x_{31})^2 + -280.0(x_{31})^4 + 896.0(x_{31})^6 + -1152.0(x_{31})^8 + \\ & 512.0(x_{31})^{10})^{(-0.011606)} * (1.0 + 1.0(x_{32})^1)^{(0.000023)} * (0.5 + 2.0(x_{32})^2)^{(-0.003993)} * (1.0 + -2.0(x_{32})^1 + \\ & 4.0(x_{32})^3)^{(0.001234)} * (1.5 + -6.0(x_{32})^2 + 8.0(x_{32})^4)^{(-0.000715)} * (1.0 + 3.0(x_{32})^1 + -16.0(x_{32})^3 + \\ & 16.0(x_{32})^5)^{(-0.002356)} * (0.5 + 12.0(x_{32})^2 + -40.0(x_{32})^4 + 32.0(x_{32})^6)^{(-0.001476)} * (1.0 + -4.0(x_{32})^1 + \\ & 40.0(x_{32})^3 + -96.0(x_{32})^5 + 64.0(x_{32})^7)^{(0.004123)} * (1.5 + -20.0(x_{32})^2 + 120.0(x_{32})^4 + -224.0(x_{32})^6 + \\ & 128.0(x_{32})^8)^{(-0.000193)} * (1.0 + 5.0(x_{32})^1 + -80.0(x_{32})^3 + 336.0(x_{32})^5 + -512.0(x_{32})^7 + 256.0(x_{32})^9)^{(-0.014131)} * \\ & (0.5 + 30.0(x_{32})^2 + -280.0(x_{32})^4 + 896.0(x_{32})^6 + -1152.0(x_{32})^8 + 512.0(x_{32})^{10})^{(0.008362)} * \\ & (1.0 + 1.0(x_{33})^1)^{(-0.385227)} * (0.5 + 2.0(x_{33})^2)^{(0.012811)} * (1.0 + -2.0(x_{33})^1 + 4.0(x_{33})^3)^{(-0.003223)} * \\ & (1.5 + -6.0(x_{33})^2 + 8.0(x_{33})^4)^{(-0.016474)} * (1.0 + 3.0(x_{33})^1 + -16.0(x_{33})^3 + 16.0(x_{33})^5)^{(-0.007415)} * (0.5 + \\ & 12.0(x_{33})^2 + -40.0(x_{33})^4 + 32.0(x_{33})^6)^{(0.000375)} * (1.0 + -4.0(x_{33})^1 + 40.0(x_{33})^3 + -96.0(x_{33})^5 + \\ & 64.0(x_{33})^7)^{(-0.020085)} * (1.5 + -20.0(x_{33})^2 + 120.0(x_{33})^4 + -224.0(x_{33})^6 + 128.0(x_{33})^8)^{(-0.001792)} * (1.0 + \\ & 5.0(x_{33})^1 + -80.0(x_{33})^3 + 336.0(x_{33})^5 + -512.0(x_{33})^7 + 256.0(x_{33})^9)^{(0.002080)} * (0.5 + 30.0(x_{33})^2 + -280.0(x_{33})^4 + \\ & 896.0(x_{33})^6 + -1152.0(x_{33})^8 + 512.0(x_{33})^{10})^{(-0.009694)} - 1 \end{aligned}$$

F<sup>4</sup> в обычном базисе:

$$\begin{aligned} & 1.69771360235 * (1.0 + 1.0(x_{11})^1)^{(0.093634)} * (0.5 + 2.0(x_{11})^2)^{(-0.008186)} * (1.0 + -2.0(x_{11})^1 + \\ & 4.0(x_{11})^3)^{(-0.022259)} * (1.5 + -6.0(x_{11})^2 + 8.0(x_{11})^4)^{(0.000932)} * (1.0 + 3.0(x_{11})^1 + -16.0(x_{11})^3 + \\ & 16.0(x_{11})^5)^{(0.007418)} * (0.5 + 12.0(x_{11})^2 + -40.0(x_{11})^4 + 32.0(x_{11})^6)^{(0.000310)} * (1.0 + -4.0(x_{11})^1 + \\ & 40.0(x_{11})^3 + -96.0(x_{11})^5 + 64.0(x_{11})^7)^{(-0.013545)} * (1.5 + -20.0(x_{11})^2 + 120.0(x_{11})^4 + -224.0(x_{11})^6 + \\ & 128.0(x_{11})^8)^{(-0.006550)} * (1.0 + 5.0(x_{11})^1 + -80.0(x_{11})^3 + 336.0(x_{11})^5 + -512.0(x_{11})^7 + \\ & 256.0(x_{11})^9)^{(0.017283)} * (0.5 + 30.0(x_{11})^2 + -280.0(x_{11})^4 + 896.0(x_{11})^6 + -1152.0(x_{11})^8 + \\ & 512.0(x_{11})^{10})^{(0.006335)} * (1.0 + 1.0(x_{12})^1)^{(0.055565)} * (0.5 + 2.0(x_{12})^2)^{(-0.001793)} * (1.0 + -2.0(x_{12})^1 + \\ & 4.0(x_{12})^3)^{(-0.007377)} * (1.5 + -6.0(x_{12})^2 + 8.0(x_{12})^4)^{(0.002915)} * (1.0 + 3.0(x_{12})^1 + -16.0(x_{12})^3 + \\ & 16.0(x_{12})^5)^{(0.000060)} * (0.5 + 12.0(x_{12})^2 + -40.0(x_{12})^4 + 32.0(x_{12})^6)^{(-0.001300)} * (1.0 + -4.0(x_{12})^1 + \\ & 40.0(x_{12})^3 + -96.0(x_{12})^5 + 64.0(x_{12})^7)^{(0.002322)} * (1.5 + -20.0(x_{12})^2 + 120.0(x_{12})^4 + -224.0(x_{12})^6 + \\ & 128.0(x_{12})^8)^{(-0.000759)} * (1.0 + 5.0(x_{12})^1 + -80.0(x_{12})^3 + 336.0(x_{12})^5 + -512.0(x_{12})^7 + \\ & 256.0(x_{12})^9)^{(0.011160)} * (0.5 + 30.0(x_{12})^2 + -280.0(x_{12})^4 + 896.0(x_{12})^6 + -1152.0(x_{12})^8 + \\ & 512.0(x_{12})^{10})^{(-0.001101)} * (1.0 + 1.0(x_{21})^1)^{(-0.541933)} * (0.5 + 2.0(x_{21})^2)^{(0.108712)} * (1.0 + -2.0(x_{21})^1 + \\ & 4.0(x_{21})^3)^{(-0.021952)} * (1.5 + -6.0(x_{21})^2 + 8.0(x_{21})^4)^{(-0.001340)} * (1.0 + 3.0(x_{21})^1 + -16.0(x_{21})^3 + \\ & 16.0(x_{21})^5)^{(0.039063)} * (0.5 + 12.0(x_{21})^2 + -40.0(x_{21})^4 + 32.0(x_{21})^6)^{(-0.095113)} * (1.0 + -4.0(x_{21})^1 + \end{aligned}$$

$$\begin{aligned}
& 40.0(x_{21})^3 + -96.0(x_{21})^5 + 64.0(x_{21})^7 \wedge (0.001854) * (1.5 + -20.0(x_{21})^2 + 120.0(x_{21})^4 + -224.0(x_{21})^6 + \\
& 128.0(x_{21})^8 \wedge (0.006219) * (1.0 + 5.0(x_{21})^1 + -80.0(x_{21})^3 + 336.0(x_{21})^5 + -512.0(x_{21})^7 + \\
& 256.0(x_{21})^9 \wedge (0.023456) * (0.5 + 30.0(x_{21})^2 + -280.0(x_{21})^4 + 896.0(x_{21})^6 + -1152.0(x_{21})^8 + \\
& 512.0(x_{21})^{10} \wedge (-0.000944) * (1.0 + -6.0(x_{21})^1 + 140.0(x_{21})^3 + -896.0(x_{21})^5 + 2304.0(x_{21})^7 + -2560.0(x_{21})^9 \\
& + 1024.0(x_{21})^{11} \wedge (0.001588) * (1.0 + 1.0(x_{22})^1 \wedge (-0.276866) * (0.5 + 2.0(x_{22})^2 \wedge (-0.041397) * (1.0 + - \\
& 2.0(x_{22})^1 + 4.0(x_{22})^3 \wedge (0.219817) * (1.5 + -6.0(x_{22})^2 + 8.0(x_{22})^4 \wedge (-0.705432) * (1.0 + 3.0(x_{22})^1 + - \\
& 16.0(x_{22})^3 + 16.0(x_{22})^5 \wedge (0.292221) * (0.5 + 12.0(x_{22})^2 + -40.0(x_{22})^4 + 32.0(x_{22})^6 \wedge (0.040675) * (1.0 + - \\
& 4.0(x_{22})^1 + 40.0(x_{22})^3 + -96.0(x_{22})^5 + 64.0(x_{22})^7 \wedge (0.000540) * (1.5 + -20.0(x_{22})^2 + 120.0(x_{22})^4 + - \\
& 224.0(x_{22})^6 + 128.0(x_{22})^8 \wedge (-0.014281) * (1.0 + 5.0(x_{22})^1 + -80.0(x_{22})^3 + 336.0(x_{22})^5 + -512.0(x_{22})^7 + \\
& 256.0(x_{22})^9 \wedge (0.037082) * (0.5 + 30.0(x_{22})^2 + -280.0(x_{22})^4 + 896.0(x_{22})^6 + -1152.0(x_{22})^8 + \\
& 512.0(x_{22})^{10} \wedge (-0.005365) * (1.0 + -6.0(x_{22})^1 + 140.0(x_{22})^3 + -896.0(x_{22})^5 + 2304.0(x_{22})^7 + -2560.0(x_{22})^9 \\
& + 1024.0(x_{22})^{11} \wedge (-0.000374) * (1.0 + 1.0(x_{31})^1 \wedge (0.240449) * (0.5 + 2.0(x_{31})^2 \wedge (0.015298) * (1.0 + - \\
& 2.0(x_{31})^1 + 4.0(x_{31})^3 \wedge (-0.059420) * (1.5 + -6.0(x_{31})^2 + 8.0(x_{31})^4 \wedge (-0.034397) * (1.0 + 3.0(x_{31})^1 + - \\
& 16.0(x_{31})^3 + 16.0(x_{31})^5 \wedge (-0.036251) * (0.5 + 12.0(x_{31})^2 + -40.0(x_{31})^4 + 32.0(x_{31})^6 \wedge (-0.016731) * (1.0 + - \\
& 4.0(x_{31})^1 + 40.0(x_{31})^3 + -96.0(x_{31})^5 + 64.0(x_{31})^7 \wedge (0.015489) * (1.5 + -20.0(x_{31})^2 + 120.0(x_{31})^4 + - \\
& 224.0(x_{31})^6 + 128.0(x_{31})^8 \wedge (-0.040796) * (1.0 + 5.0(x_{31})^1 + -80.0(x_{31})^3 + 336.0(x_{31})^5 + -512.0(x_{31})^7 + \\
& 256.0(x_{31})^9 \wedge (0.004393) * (0.5 + 30.0(x_{31})^2 + -280.0(x_{31})^4 + 896.0(x_{31})^6 + -1152.0(x_{31})^8 + \\
& 512.0(x_{31})^{10} \wedge (0.003909) * (1.0 + 1.0(x_{32})^1 \wedge (0.045813) * (0.5 + 2.0(x_{32})^2 \wedge (0.012996) * (1.0 + -2.0(x_{32})^1 + \\
& 4.0(x_{32})^3 \wedge (0.004288) * (1.5 + -6.0(x_{32})^2 + 8.0(x_{32})^4 \wedge (-0.009615) * (1.0 + 3.0(x_{32})^1 + -16.0(x_{32})^3 + \\
& 16.0(x_{32})^5 \wedge (-0.010830) * (0.5 + 12.0(x_{32})^2 + -40.0(x_{32})^4 + 32.0(x_{32})^6 \wedge (0.000988) * (1.0 + -4.0(x_{32})^1 + \\
& 40.0(x_{32})^3 + -96.0(x_{32})^5 + 64.0(x_{32})^7 \wedge (0.003079) * (1.5 + -20.0(x_{32})^2 + 120.0(x_{32})^4 + -224.0(x_{32})^6 + \\
& 128.0(x_{32})^8 \wedge (0.001848) * (1.0 + 5.0(x_{32})^1 + -80.0(x_{32})^3 + 336.0(x_{32})^5 + -512.0(x_{32})^7 + 256.0(x_{32})^9 \wedge (- \\
& 0.013000) * (0.5 + 30.0(x_{32})^2 + -280.0(x_{32})^4 + 896.0(x_{32})^6 + -1152.0(x_{32})^8 + 512.0(x_{32})^{10} \wedge (-0.004971) * \\
& (1.0 + 1.0(x_{33})^1 \wedge (-0.678133) * (0.5 + 2.0(x_{33})^2 \wedge (0.022247) * (1.0 + -2.0(x_{33})^1 + 4.0(x_{33})^3 \wedge (-0.011152) * \\
& (1.5 + -6.0(x_{33})^2 + 8.0(x_{33})^4 \wedge (-0.025330) * (1.0 + 3.0(x_{33})^1 + -16.0(x_{33})^3 + 16.0(x_{33})^5 \wedge (-0.025697) * (0.5 \\
& + 12.0(x_{33})^2 + -40.0(x_{33})^4 + 32.0(x_{33})^6 \wedge (0.005021) * (1.0 + -4.0(x_{33})^1 + 40.0(x_{33})^3 + -96.0(x_{33})^5 + \\
& 64.0(x_{33})^7 \wedge (-0.075427) * (1.5 + -20.0(x_{33})^2 + 120.0(x_{33})^4 + -224.0(x_{33})^6 + 128.0(x_{33})^8 \wedge (0.024123) * (1.0 \\
& + 5.0(x_{33})^1 + -80.0(x_{33})^3 + 336.0(x_{33})^5 + -512.0(x_{33})^7 + 256.0(x_{33})^9 \wedge (0.000656) * (0.5 + 30.0(x_{33})^2 + - \\
& 280.0(x_{33})^4 + 896.0(x_{33})^6 + -1152.0(x_{33})^8 + 512.0(x_{33})^{10} \wedge (-0.022389) - 1
\end{aligned}$$

F<sup>1</sup> в стандартном базисе денормированный:

$$\begin{aligned}
& 2836.17908204 * (-6.21428571429 + 1.4285714285714282(x_{11})^1 \wedge (0.004447) * (104.591836735 + - \\
& 41.224489795918345(x_{11})^1 + 4.081632653061222(x_{11})^2 \wedge (-0.001248) * (-1486.46793003 + \\
& 889.3586005830896(x_{11})^1 + -176.67638483964998(x_{11})^2 + 11.661807580174916(x_{11})^3 \wedge (-0.001528) * \\
& (21359.4454394 + -17040.85797584338(x_{11})^1 + 5086.130778842144(x_{11})^2 + -673.0528946272378(x_{11})^3 + \\
& 33.31945022907118(x_{11})^4 \wedge (0.000069) * (-306683.387696 + 306010.007734872(x_{11})^1 + - \\
& 121897.09049800663(x_{11})^2 + 24231.332183018945(x_{11})^3 + -2403.7603379544203(x_{11})^4 + \\
& 95.19842922591762(x_{11})^5 \wedge (0.000232) * (4403660.14845 + -5274487.504186172(x_{11})^1 + \\
& 2628029.054220601(x_{11})^2 + -697227.8557403791(x_{11})^3 + 103881.88594888165(x_{11})^4 + - \\
& 8241.464015843723(x_{11})^5 + 271.9955120740503(x_{11})^6 \wedge (0.000158) * (-63231825.1829 + \\
& 88379192.97682074(x_{11})^1 + -52866772.13235972(x_{11})^2 + 17544425.02698702(x_{11})^3 + - \\
& 3488543.0390398493(x_{11})^4 + 415622.74222475244(x_{11})^5 + -27471.54671947907(x_{11})^6 + \\
& 777.1300344972863(x_{11})^7 \wedge (-0.001439) * (907941262.49 + -1450573371.6838248(x_{11})^1 + \\
& 1012675948.7893144(x_{11})^2 + -403491682.1975286(x_{11})^3 + 100357739.18301755(x_{11})^4 + - \\
& 15955866.785340864(x_{11})^5 + 1583596.7277968451(x_{11})^6 + -89703.00969625816(x_{11})^7 + \\
& 2220.371527135103(x_{11})^8 \wedge (-0.000495) * (-13037063517.2 + 23435440202.718193(x_{11})^1 + - \\
& 18703095836.63867(x_{11})^2 + 8697623986.07825(x_{11})^3 + -2597363642.880295(x_{11})^4 + \\
& 516541138.5406006(x_{11})^5 + -68409757.76960887(x_{11})^6 + 5818071.232145354(x_{11})^7 + - \\
& 288331.10259511543(x_{11})^8 + 6343.918648957435(x_{11})^9 \wedge (0.001280) * (187198260930.0 + - \\
& 373938102462.3129(x_{11})^1 + 335804678844.7634(x_{11})^2 + -178528213935.89908(x_{11})^3 + \\
& 62226243354.02765(x_{11})^4 + -14858033826.101307(x_{11})^5 + 2461303304.0639896(x_{11})^6 + - \\
& 279313204.11014056(x_{11})^7 + 20781046.20061768(x_{11})^8 + -915336.8336352868(x_{11})^9 + \\
& 18125.481854164096(x_{11})^{10} \wedge (0.000986) * (0.815649452269 + 0.0625978090766823(x_{12})^1 \wedge (-0.000640) * \\
& (0.567970248897 + -0.04615976156014507(x_{12})^1 + 0.007836971402401539(x_{12})^2 \wedge (-0.000060) * \\
& (1.34364039023 + -0.09966688617315292(x_{12})^1 + -0.00866849982350142(x_{12})^2 + \\
& 0.0009811544791739014(x_{12})^3 \wedge (-0.000574) * (1.30532916278 + 0.12592932275130037(x_{12})^1 + - \\
& 0.01711874344533628(x_{12})^2 + -0.0014470109251541229(x_{12})^3 + 0.0001228362415241191(x_{12})^4 \wedge (0.000721) \\
& * (0.543784412973 + 0.09146248019829284(x_{12})^1 + 0.030745998690207606(x_{12})^2 + - \\
& 0.0025908316335723214(x_{12})^3 + -0.00022644928406167803(x_{12})^4 + 1.5378559189248082e-05(x_{12})^5 \wedge (- \\
& 0.000209) * (0.862878023925 + -0.21676783182312154(x_{12})^1 + 0.017233361793459155(x_{12})^2 + \\
& 0.006251517698372035(x_{12})^3 + -0.00036370491032044816(x_{12})^4 + -3.4020549718186366e-05(x_{12})^5 + \\
& 1.9253282240060193e-06(x_{12})^6 \wedge (0.000016) * (1.50677260982 + -0.02870701370135134(x_{12})^1 + - \\
& 0.06423834076280338(x_{12})^2 + 0.0024434315924772997(x_{12})^3 + 0.0011432103055659978(x_{12})^4 + -
\end{aligned}$$



$$\begin{aligned}
& 4.836940631292749e-05(x_{12})^5 + -4.969094377199885e-06(x_{12})^6 + 2.410426571525532e-07(x_{12})^7 \wedge (- \\
& 0.000029) * (0.950274359685 + 0.2907978493715803(x_{12})^1 + 0.002857392490748005(x_{12})^2 + - \\
& 0.015194772384149693(x_{12})^3 + 0.0002481089469508627(x_{12})^4 + 0.00019497932369722475(x_{12})^5 + - \\
& 6.148855406738266e-06(x_{12})^6 + -7.109815339610834e-07(x_{12})^7 + 3.0177484463543434e- \\
& 08(x_{12})^8 \wedge (0.000072) * (0.511561288239 + -0.08473590419715649(x_{12})^1 + 0.09959143353104469(x_{12})^2 + \\
& 0.0035166306500352294(x_{12})^3 + -0.0031370072674339134(x_{12})^4 + 7.5424690562809614e-06(x_{12})^5 + \\
& 3.1646741058898655e-05(x_{12})^6 + -7.487127403103468e-07(x_{12})^7 + -1.0013824421987088e-07(x_{12})^8 + \\
& 3.778088821726877e-09(x_{12})^9 \wedge (0.000774) * (1.22981352841 + -0.32070601511812513(x_{12})^1 + - \\
& 0.050185427037988437(x_{12})^2 + 0.02636659789484652(x_{12})^3 + 0.0013487758170714348(x_{12})^4 + - \\
& 0.0005904998042987471(x_{12})^5 + -4.575048613565411e-06(x_{12})^6 + 4.9490660509078915e-06(x_{12})^7 + - \\
& 8.699195846452337e-08(x_{12})^8 + -1.3929854873221473e-08(x_{12})^9 + 4.730001654744132e-10(x_{12})^{10} \wedge (- \\
& 0.000017) * (0.861759425494 + 0.0718132854578097(x_{21})^1 \wedge (-0.750910) * (0.53822091288 + - \\
& 0.03971003935548544(x_{21})^1 + 0.010314295936489724(x_{21})^2 \wedge (0.157797) * (1.2659137871 + - \\
& 0.12715795495311105(x_{21})^1 + -0.008555125175329(x_{21})^2 + 0.0014814069567669263(x_{21})^3 \wedge (-0.035772) * \\
& (1.38825893772 + 0.11305910224784164(x_{21})^1 + -0.026212226132626564(x_{21})^2 + - \\
& 0.001638324390248522(x_{21})^3 + 0.00021276940133097686(x_{21})^4 \wedge (-0.001392) * (0.62673993568 + \\
& 0.15166354430990084(x_{21})^1 + 0.032040602741310736(x_{21})^2 + -0.004793213302389642(x_{21})^3 + - \\
& 0.0002941336427735228(x_{21})^4 + 3.055933950893743e-05(x_{21})^5 \wedge (0.059935) * (0.71494043374 + - \\
& 0.2086012763399221(x_{21})^1 + 0.03913651827379393(x_{21})^2 + 0.0075654394133595855(x_{21})^3 + - \\
& 0.0008198797841030571(x_{21})^4 + -5.0694487802977e-05(x_{21})^5 + 4.389133143114892e-06(x_{21})^6 \wedge (-0.140022) \\
& * (1.45207366074 + -0.13493135175059312(x_{21})^1 + -0.07282179829132515(x_{21})^2 + \\
& 0.008322555837840518(x_{21})^3 + 0.0016074130679452243(x_{21})^4 + -0.00013429979122632724(x_{21})^5 + - \\
& 8.494588022042825e-06(x_{21})^6 + 6.303961426376865e-07(x_{21})^7 \wedge (0.002430) * (1.1600697211 + \\
& 0.3108370412025545(x_{21})^1 + -0.03838239116999389(x_{21})^2 + -0.020325614390618918(x_{21})^3 + \\
& 0.0015708005283825485(x_{21})^4 + 0.00031869307538730804(x_{21})^5 + -2.1329558174913074e-05(x_{21})^6 + - \\
& 1.3943411987964626e-06(x_{21})^7 + 9.05416362854846e-08(x_{21})^8 \wedge (0.006655) * (0.503670078852 + \\
& 0.07198103459247376(x_{21})^1 + 0.12807826424533486(x_{21})^2 + -0.008215637844023987(x_{21})^3 + - \\
& 0.004961008099579743(x_{21})^4 + 0.0002717958570449242(x_{21})^5 + 6.01646023666052e-05(x_{21})^6 + - \\
& 3.3083783856868605e-06(x_{21})^7 + -2.2529750070319865e-07(x_{21})^8 + 1.3004184744773372e- \\
& 08(x_{21})^9 \wedge (0.037345) * (0.977156145787 + -0.40202460497116715(x_{21})^1 + 0.013309554677384025(x_{21})^2 + \\
& 0.04099252528398784(x_{21})^3 + -0.0013791592001718466(x_{21})^4 + -0.0011063720878671964(x_{21})^5 + \\
& 4.373228671914419e-05(x_{21})^6 + 1.0950280984656775e-05(x_{21})^7 + -5.034221672489608e-07(x_{21})^8 + - \\
& 3.595411940206641e-08(x_{21})^9 + 1.8677464624450084e-09(x_{21})^{10} \wedge (-0.000057) * (1.50264581621 + \\
& 0.035890205674158515(x_{21})^1 + -0.18949952065109882(x_{21})^2 + -0.0012064169486930877(x_{21})^3 + \\
& 0.011229935459625511(x_{21})^4 + -0.00016398873762337937(x_{21})^5 + -0.000231160184384781(x_{21})^6 + \\
& 6.561950496807845e-06(x_{21})^7 + 1.9372355483313534e-06(x_{21})^8 + -7.536834810563272e-08(x_{21})^9 + - \\
& 5.6803635680104925e-09(x_{21})^{10} + 2.6825801974075527e-10(x_{21})^{11} \wedge (0.002424) * (-5.1141837645 + \\
& 0.8920606601248888(x_{22})^1 \wedge (-0.714196) * (75.2664862121 + -21.816891220324674(x_{22})^1 + \\
& 1.5915444426849048(x_{22})^2 \wedge (-0.048552) * (-901.043704723 + 398.3933249530028(x_{22})^1 + - \\
& 58.38597115162716(x_{22})^2 + 2.8395083723191887(x_{22})^3 \wedge (0.404224) * (10957.2554624 + - \\
& 6459.238512796057(x_{22})^1 + 1423.1555942303848(x_{22})^2 + -138.8902079134753(x_{22})^3 + \\
& 5.0660274260824085(x_{22})^4 \wedge (-1.307189) * (-133074.074831 + 98134.83812743264(x_{22})^1 + - \\
& 28868.548829296407(x_{22})^2 + 4234.643237870938(x_{22})^3 + -309.74622639044463(x_{22})^4 + \\
& 9.03840753984373(x_{22})^5 \wedge (0.547002) * (1616335.66851 + -1430991.7077065432(x_{22})^1 + \\
& 526676.5264814706(x_{22})^2 + -103148.87710995243(x_{22})^3 + 11337.74195393172(x_{22})^4 + - \\
& 663.149815644128(x_{22})^5 + 16.12561559294154(x_{22})^6 \wedge (0.048878) * (-19632058.3016 + \\
& 20284294.837401465(x_{22})^1 + -8964588.40069888(x_{22})^2 + 2196762.556036143(x_{22})^3 + - \\
& 322362.4401468486(x_{22})^4 + 28328.10840843978(x_{22})^5 + -1380.3296787121315(x_{22})^6 + \\
& 28.77005458151926(x_{22})^7 \wedge (0.002360) * (238451702.822 + -281638796.1908684(x_{22})^1 + \\
& 145285248.06904328(x_{22})^2 + -42753584.32497856(x_{22})^3 + 7849919.565454891(x_{22})^4 + - \\
& 920877.073517621(x_{22})^5 + 67403.83518071883(x_{22})^6 + -2814.4864100158165(x_{22})^7 + \\
& 51.329267763638306(x_{22})^8 \wedge (-0.010119) * (-2896242987.5 + 3849125180.478653(x_{22})^1 + - \\
& 2270114602.4219446(x_{22})^2 + 779816288.3493102(x_{22})^3 + -171946920.3905515(x_{22})^4 + \\
& 25237704.054561533(x_{22})^5 + -2465814.9599667257(x_{22})^6 + 154644.42358496756(x_{22})^7 + - \\
& 5649.0583608702855(x_{22})^8 + 91.57764096991673(x_{22})^9 \wedge (0.036535) * (35177872015.8 + - \\
& 51954127440.200645(x_{22})^1 + 34481816742.08023(x_{22})^2 + -13543286456.296108(x_{22})^3 + \\
& 3486067084.3705864(x_{22})^4 + -614469210.3136659(x_{22})^5 + 75112613.63167652(x_{22})^6 + - \\
& 6287547.403363571(x_{22})^7 + 344931.84573736135(x_{22})^8 + -11198.450512182153(x_{22})^9 + \\
& 163.38562171260796(x_{22})^{10} \wedge (-0.007304) * (-427271704895.0 + 694226631268.9722(x_{22})^1 + - \\
& 512078680028.1198(x_{22})^2 + 226352212460.1499(x_{22})^3 + -66619828730.9424(x_{22})^4 + \\
& 13708284243.956959(x_{22})^5 + -2012326449.349003(x_{22})^6 + 210741811.48066217(x_{22})^7 + - \\
& 15430051.698191226(x_{22})^8 + 752247.4509903559(x_{22})^9 + -21977.333743800842(x_{22})^{10} + \\
& 291.49977111972885(x_{22})^{11} \wedge (0.001843) * (-3.01353926387 + 1.0029084344599342(x_{31})^1 \wedge (0.155415) *
\end{aligned}$$

$$\begin{aligned}
& (32.7169948452 + -16.100849519066138(x31)^1 + 2.011650655821752(x31)^2)^{(0.046453)} * (-249.581269022 + \\
& 191.85835831015183(x31)^1 + -48.44303335392482(x31)^2 + 4.035002819820987(x31)^3)^{(-0.063299)} * \\
& (1980.71852917 + -2026.5813952775952(x31)^1 + 771.6771137393716(x31)^2 + -129.55713797726696(x31)^3 + \\
& 8.09347672213617(x31)^4)^{(-0.028998)} * (-15639.7748274 + 20046.622465948196(x31)^1 + - \\
& 10210.820905571334(x31)^2 + 2583.7732896495336(x31)^3 + -324.8348660547262(x31)^4 + \\
& 16.23403213747101(x31)^5)^{(-0.034520)} * (123571.009245 + -190261.7613465286(x31)^1 + \\
& 121401.23763494007(x31)^2 + -41091.63077380652(x31)^3 + 7781.95755148756(x31)^4 + - \\
& 781.8711047350749(x31)^5 + 32.56249551192662(x31)^6)^{(0.002691)} * (-976264.393057 + \\
& 1755058.2857237733(x31)^1 + -1345916.6973730277(x31)^2 + 570770.6241201118(x31)^3 + - \\
& 144563.83567672857(x31)^4 + 21869.088454126413(x31)^5 + -1829.6719597317308(x31)^6 + \\
& 65.31440279194992(x31)^7)^{(-0.014385)} * (7712989.96473 + -15855938.512838645(x31)^1 + \\
& 14202703.29940426(x31)^2 + -7240191.406111769(x31)^3 + 2297504.6498395707(x31)^4 + - \\
& 464731.59948256233(x31)^5 + 58519.744534428566(x31)^6 + -4194.270721622377(x31)^7 + \\
& 131.00873090352007(x31)^8)^{(-0.017312)} * (-60936501.7103 + 140992648.66294384(x31)^1 + - \\
& 144464406.9346089(x31)^2 + 86034836.21074694(x31)^3 + -32820184.46299894(x31)^4 + \\
& 8316941.537980212(x31)^5 + -1400079.3946030852(x31)^6 + 150982.31679826952(x31)^7 + - \\
& 9464.556337027732(x31)^8 + 262.77952242206425(x31)^9)^{(0.011060)} * (481429104.496 + - \\
& 1238130589.2067034(x31)^1 + 1428229868.7085295(x31)^2 + -973137339.3659215(x31)^3 + \\
& 433722819.1155249(x31)^4 + -132127290.87337264(x31)^5 + 27862289.135702863(x31)^6 + - \\
& 4016055.5100387437(x31)^7 + 378684.6061591193(x31)^8 + -21093.51861961407(x31)^9 + \\
& 527.0875988808832(x31)^{10})^{(-0.028638)} * (-5.31078610603 + 1.8281535648994511(x32)^1)^{(-0.562393)} * \\
& (80.1520425522 + -46.14834446824793(x32)^1 + 6.684290913709144(x32)^2)^{(0.021640)} * (-991.712434699 + \\
& 870.0406861301196(x32)^1 + -253.09878136150593(x32)^2 + 24.439820525444762(x32)^3)^{(-0.018856)} * \\
& (12451.4396378 + -14564.794555788374(x32)^1 + 6368.95621873908(x32)^2 + -1233.875838447317(x32)^3 + \\
& 89.35949003818924(x32)^4)^{(-0.022762)} * (-156150.410526 + 228483.19677053724(x32)^1 + - \\
& 133386.50422732468(x32)^2 + 38835.87320711337(x32)^3 + -5639.2862817519035(x32)^4 + \\
& 326.7257405418253(x32)^5)^{(-0.037036)} * (1958426.86433 + -3440189.8883614694(x32)^1 + \\
& 2512583.1803928213(x32)^2 + -976637.9286890845(x32)^3 + 213083.17963874032(x32)^4 + - \\
& 24742.75516673595(x32)^5 + 1194.609654631902(x32)^6)^{(-0.020824)} * (-24562261.0581 + \\
& 50352728.35334101(x32)^1 + -44157754.36260077(x32)^2 + 21474646.065467626(x32)^3 + - \\
& 6254693.6746031325(x32)^4 + 1091063.294275227(x32)^5 + -105544.96414817283(x32)^6 + \\
& 4367.8597975572275(x32)^7)^{(0.006509)} * (308055939.394 + -721897580.9849375(x32)^1 + \\
& 738932741.912985(x32)^2 + -431521470.2270512(x32)^3 + 157248886.21779314(x32)^4 + - \\
& 36615272.478621975(x32)^5 + 5320211.27888182(x32)^6 + -441034.06277638156(x32)^7 + \\
& 15970.236919770481(x32)^8)^{(-0.010062)} * (-3863588008.74 + 10187476843.689968(x32)^1 + - \\
& 11921814479.891735(x32)^2 + 8126769804.160367(x32)^3 + -3556248507.2426653(x32)^4 + \\
& 1036001466.1901712(x32)^5 + -200920567.69882077(x32)^6 + 25014501.842527438(x32)^7 + - \\
& 1814125.486740143(x32)^8 + 58392.09111433447(x32)^9)^{(-0.015487)} * (48456499125.2 + - \\
& 141986541446.99756(x32)^1 + 186981653833.1372(x32)^2 + -145730905746.7869(x32)^3 + \\
& 74442164829.18274(x32)^4 + -26042088817.214745(x32)^5 + 6318552790.134283(x32)^6 + - \\
& 1049908611.4919784(x32)^7 + 114341847.03092083(x32)^8 + -7369999.946130988(x32)^9 + \\
& 213499.41906520826(x32)^{10})^{(0.009672)} * (-4.03521126761 + 1.006036217303823(x33)^1)^{(-1.205602)} * \\
& (51.2067050188 + -20.262419587950244(x33)^1 + 2.0242177410539703(x33)^2)^{(0.070902)} * (-499.567522373 + \\
& 304.0646178199929(x33)^1 + -61.154183867053064(x33)^2 + 4.072872718418452(x33)^3)^{(-0.023595)} * \\
& (4991.71975268 + -4048.9748732932285(x33)^1 + 1225.6242894512873(x33)^2 + -164.06219682643345(x33)^3 + \\
& 8.194914926395278(x33)^4)^{(-0.021194)} * (-49757.0891419 + 50512.51283391542(x33)^1 + - \\
& 20428.231011297783(x33)^2 + 4114.147619369282(x33)^3 + -412.631279744551(x33)^4 + \\
& 16.488762427354686(x33)^5)^{(-0.021039)} * (496095.262451 + -604750.2522407618(x33)^1 + \\
& 306130.1283171098(x33)^2 + -82370.22320808511(x33)^3 + 12425.139440185798(x33)^4 + - \\
& 996.292828357065(x33)^5 + 33.17658436087463(x33)^6)^{(-0.005968)} * (-4946119.75104 + \\
& 7037755.645951524(x33)^1 + -4279232.8242561(x33)^2 + 1441344.7969954717(x33)^3 + - \\
& 290448.6284913119(x33)^4 + 35016.88155168314(x33)^5 + -2338.7155595236272(x33)^6 + \\
& 66.75369086695098(x33)^7)^{(-0.119370)} * (49313432.6107 + -80220376.02346255(x33)^1 + \\
& 56948026.67521068(x33)^2 + -23042707.30841855(x33)^3 + 5812605.409039671(x33)^4 + - \\
& 936042.1793195023(x33)^5 + 93975.17940577774(x33)^6 + -5377.902982520558(x33)^7 + \\
& 134.31326130171223(x33)^8)^{(0.061977)} * (-491660971.23 + 900037523.2435844(x33)^1 + - \\
& 730620665.632267(x33)^2 + 345192008.83247244(x33)^3 + -104608540.06499381(x33)^4 + \\
& 21086706.491755724(x33)^5 + -2827415.7155177807(x33)^6 + 243175.86971616157(x33)^7 + - \\
& 12173.321640514343(x33)^8 + 270.24801066742907(x33)^9)^{(0.010417)} * (4901920303.81 + - \\
& 9972795269.980133(x33)^1 + 9111651479.829985(x33)^2 + -4923248378.886333(x33)^3 + \\
& 1742190919.455682(x33)^4 + -421895961.9579667(x33)^5 + 70807276.62727877(x33)^6 + - \\
& 8132471.077796494(x33)^7 + 611743.643533338(x33)^8 + -27215.116567212932(x33)^9 + \\
& 543.7585727714871(x33)^{10})^{(-0.051728)} + -801.878
\end{aligned}$$

F<sup>2</sup> в стандартном базисе денормированный:

$$\begin{aligned} & 969.971827081 * (-6.21428571429 + 1.4285714285714282(x_{11})^1)^{(0.015332)} * (104.591836735 + - \\ & 41.224489795918345(x_{11})^1 + 4.081632653061222(x_{11})^2)^{(-0.000592)} * (-1486.46793003 + \\ & 889.3586005830896(x_{11})^1 + -176.67638483964998(x_{11})^2 + 11.661807580174916(x_{11})^3)^{(-0.001555)} * \\ & (21359.4454394 + -17040.85797584338(x_{11})^1 + 5086.130778842144(x_{11})^2 + -673.0528946272378(x_{11})^3 + \\ & 33.31945022907118(x_{11})^4)^{(0.000226)} * (-306683.387696 + 306010.007734872(x_{11})^1 + - \\ & 121897.09049800663(x_{11})^2 + 24231.332183018945(x_{11})^3 + -2403.7603379544203(x_{11})^4 + \\ & 95.19842922591762(x_{11})^5)^{(0.000560)} * (4403660.14845 + -5274487.504186172(x_{11})^1 + \\ & 2628029.054220601(x_{11})^2 + -697227.8557403791(x_{11})^3 + 103881.88594888165(x_{11})^4 + - \\ & 8241.464015843723(x_{11})^5 + 271.9955120740503(x_{11})^6)^{(-0.000672)} * (-63231825.1829 + \\ & 88379192.97682074(x_{11})^1 + -52866772.13235972(x_{11})^2 + 17544425.02698702(x_{11})^3 + - \\ & 3488543.0390398493(x_{11})^4 + 415622.74222475244(x_{11})^5 + -27471.54671947907(x_{11})^6 + \\ & 777.1300344972863(x_{11})^7)^{(0.000455)} * (907941262.49 + -1450573371.6838248(x_{11})^1 + \\ & 1012675948.7893144(x_{11})^2 + -403491682.1975286(x_{11})^3 + 100357739.18301755(x_{11})^4 + - \\ & 15955866.785340864(x_{11})^5 + 1583596.7277968451(x_{11})^6 + -89703.00969625816(x_{11})^7 + \\ & 2220.371527135103(x_{11})^8)^{(-0.002243)} * (-13037063517.2 + 23435440202.718193(x_{11})^1 + - \\ & 18703095836.63867(x_{11})^2 + 8697623986.07825(x_{11})^3 + -2597363642.880295(x_{11})^4 + \\ & 516541138.5406006(x_{11})^5 + -68409757.76960887(x_{11})^6 + 5818071.232145354(x_{11})^7 + - \\ & 288331.10259511543(x_{11})^8 + 6343.918648957435(x_{11})^9)^{(0.001096)} * (187198260930.0 + - \\ & 373938102462.3129(x_{11})^1 + 335804678844.7634(x_{11})^2 + -178528213935.89908(x_{11})^3 + \\ & 62226243354.02765(x_{11})^4 + -14858033826.101307(x_{11})^5 + 2461303304.0639896(x_{11})^6 + - \\ & 279313204.11014056(x_{11})^7 + 20781046.20061768(x_{11})^8 + -915336.8336352868(x_{11})^9 + \\ & 18125.481854164096(x_{11})^{10})^{(0.001036)} * (0.815649452269 + 0.0625978090766823(x_{12})^1)^{(0.010427)} * \\ & (0.567970248897 + -0.04615976156014507(x_{12})^1 + 0.007836971402401539(x_{12})^2)^{(0.000435)} * \\ & (1.34364039023 + -0.09966688617315292(x_{12})^1 + -0.00866849982350142(x_{12})^2 + \\ & 0.0009811544791739014(x_{12})^3)^{(-0.002873)} * (1.30532916278 + 0.12592932275130037(x_{12})^1 + - \\ & 0.01711874344533628(x_{12})^2 + -0.0014470109251541229(x_{12})^3 + 0.0001228362415241191(x_{12})^4)^{(- \\ & 0.000918)} * (0.543784412973 + 0.09146248019829284(x_{12})^1 + 0.030745998690207606(x_{12})^2 + - \\ & 0.0025908316335723214(x_{12})^3 + -0.00022644928406167803(x_{12})^4 + 1.5378559189248082e- \\ & 05(x_{12})^5)^{(0.000819)} * (0.862878023925 + -0.21676783182312154(x_{12})^1 + 0.017233361793459155(x_{12})^2 + \\ & 0.006251517698372035(x_{12})^3 + -0.00036370491032044816(x_{12})^4 + -3.4020549718186366e-05(x_{12})^5 + \\ & 1.9253282240060193e-06(x_{12})^6)^{(-0.001376)} * (1.50677260982 + -0.02870701370135134(x_{12})^1 + - \\ & 0.06423834076280338(x_{12})^2 + 0.0024434315924772997(x_{12})^3 + 0.0011432103055659978(x_{12})^4 + - \\ & 4.836940631292749e-05(x_{12})^5 + -4.969094377199885e-06(x_{12})^6 + 2.410426571525532e- \\ & 07(x_{12})^7)^{(0.000679)} * (0.950274359685 + 0.2907978493715803(x_{12})^1 + 0.002857392490748005(x_{12})^2 + - \\ & 0.015194772384149693(x_{12})^3 + 0.0002481089469508627(x_{12})^4 + 0.00019497932369722475(x_{12})^5 + - \\ & 6.148855406738266e-06(x_{12})^6 + -7.109815339610834e-07(x_{12})^7 + 3.0177484463543434e- \\ & 08(x_{12})^8)^{(0.000140)} * (0.511561288239 + -0.08473590419715649(x_{12})^1 + 0.09959143353104469(x_{12})^2 + \\ & 0.0035166306500352294(x_{12})^3 + -0.0031370072674339134(x_{12})^4 + 7.5424690562809614e-06(x_{12})^5 + \\ & 3.1646741058898655e-05(x_{12})^6 + -7.487127403103468e-07(x_{12})^7 + -1.0013824421987088e-07(x_{12})^8 + \\ & 3.778088821726877e-09(x_{12})^9)^{(0.003426)} * (1.22981352841 + -0.32070601511812513(x_{12})^1 + - \\ & 0.050185427037988437(x_{12})^2 + 0.02636659789484652(x_{12})^3 + 0.0013487758170714348(x_{12})^4 + - \\ & 0.0005904998042987471(x_{12})^5 + -4.575048613565411e-06(x_{12})^6 + 4.9490660509078915e-06(x_{12})^7 + - \\ & 8.699195846452337e-08(x_{12})^8 + -1.3929854873221473e-08(x_{12})^9 + 4.730001654744132e- \\ & 10(x_{12})^{10})^{(0.000646)} * (0.861759425494 + 0.0718132854578097(x_{21})^1)^{(0.370162)} * (0.53822091288 + - \\ & 0.03971003935548544(x_{21})^1 + 0.010314295936489724(x_{21})^2)^{(-0.081655)} * (1.2659137871 + - \\ & 0.12715795495311105(x_{21})^1 + -0.008555125175329(x_{21})^2 + 0.0014814069567669263(x_{21})^3)^{(0.016433)} * \\ & (1.38825893772 + 0.11305910224784164(x_{21})^1 + -0.026212226132626564(x_{21})^2 + - \\ & 0.001638324390248522(x_{21})^3 + 0.00021276940133097686(x_{21})^4)^{(0.001630)} * (0.62673993568 + \\ & 0.15166354430990084(x_{21})^1 + 0.032040602741310736(x_{21})^2 + -0.004793213302389642(x_{21})^3 + - \\ & 0.0002941336427735228(x_{21})^4 + 3.055933950893743e-05(x_{21})^5)^{(-0.031978)} * (0.71494043374 + - \\ & 0.2086012763399221(x_{21})^1 + 0.03913651827379393(x_{21})^2 + 0.0075654394133595855(x_{21})^3 + - \\ & 0.0008198797841030571(x_{21})^4 + -5.0694487802977e-05(x_{21})^5 + 4.389133143114892e-06(x_{21})^6)^{(0.073282)} \\ & * (1.45207366074 + -0.13493135175059312(x_{21})^1 + -0.07282179829132515(x_{21})^2 + \\ & 0.008322555837840518(x_{21})^3 + 0.0016074130679452243(x_{21})^4 + -0.00013429979122632724(x_{21})^5 + - \\ & 8.494588022042825e-06(x_{21})^6 + 6.303961426376865e-07(x_{21})^7)^{(-0.003795)} * (1.1600697211 + \\ & 0.3108370412025545(x_{21})^1 + -0.03838239116999389(x_{21})^2 + -0.020325614390618918(x_{21})^3 + \\ & 0.0015708005283825485(x_{21})^4 + 0.00031869307538730804(x_{21})^5 + -2.1329558174913074e-05(x_{21})^6 + - \\ & 1.3943411987964626e-06(x_{21})^7 + 9.05416362854846e-08(x_{21})^8)^{(-0.004709)} * (0.503670078852 + \\ & 0.07198103459247376(x_{21})^1 + 0.12807826424533486(x_{21})^2 + -0.008215637844023987(x_{21})^3 + - \\ & 0.004961008099579743(x_{21})^4 + 0.0002717958570449242(x_{21})^5 + 6.01646023666052e-05(x_{21})^6 + - \\ & 3.3083783856868605e-06(x_{21})^7 + -2.2529750070319865e-07(x_{21})^8 + 1.3004184744773372e-08(x_{21})^9)^{(-} \end{aligned}$$

$$\begin{aligned}
& 0.016036) * (0.977156145787 + -0.40202460497116715(x21)^1 + 0.013309554677384025(x21)^2 + \\
& 0.04099252528398784(x21)^3 + -0.0013791592001718466(x21)^4 + -0.0011063720878671964(x21)^5 + \\
& 4.373228671914419e-05(x21)^6 + 1.0950280984656775e-05(x21)^7 + -5.034221672489608e-07(x21)^8 + - \\
& 3.595411940206641e-08(x21)^9 + 1.8677464624450084e-09(x21)^{10})^{(-0.000662)} * (1.50264581621 + \\
& 0.035890205674158515(x21)^1 + -0.18949952065109882(x21)^2 + -0.0012064169486930877(x21)^3 + \\
& 0.011229935459625511(x21)^4 + -0.00016398873762337937(x21)^5 + -0.000231160184384781(x21)^6 + \\
& 6.561950496807845e-06(x21)^7 + 1.9372355483313534e-06(x21)^8 + -7.536834810563272e-08(x21)^9 + - \\
& 5.6803635680104925e-09(x21)^{10} + 2.6825801974075527e-10(x21)^{11})^{(-0.000389)} * (-5.1141837645 + \\
& 0.8920606601248888(x22)^1)^{(0.043834)} * (75.2664862121 + -21.816891220324674(x22)^1 + \\
& 1.5915444426849048(x22)^2)^{(-0.011536)} * (-901.043704723 + 398.393249530028(x22)^1 + - \\
& 58.38597115162716(x22)^2 + 2.8395083723191887(x22)^3)^{(-0.018636)} * (10957.2554624 + - \\
& 6459.238512796057(x22)^1 + 1423.1555942303848(x22)^2 + -138.8902079134753(x22)^3 + \\
& 5.0660274260824085(x22)^4)^{(-0.123878)} * (-133074.074831 + 98134.83812743264(x22)^1 + - \\
& 28868.548829296407(x22)^2 + 4234.643237870938(x22)^3 + -309.74622639044463(x22)^4 + \\
& 9.03840753984373(x22)^5)^{(0.059417)} * (1616335.66851 + -1430991.7077065432(x22)^1 + \\
& 526676.5264814706(x22)^2 + -103148.87710995243(x22)^3 + 11337.74195393172(x22)^4 + - \\
& 663.149815644128(x22)^5 + 16.12561559294154(x22)^6)^{(0.001688)} * (-19632058.3016 + \\
& 20284294.837401465(x22)^1 + -8964588.40069888(x22)^2 + 2196762.556036143(x22)^3 + - \\
& 322362.4401468486(x22)^4 + 28328.10840843978(x22)^5 + -1380.3296787121315(x22)^6 + \\
& 28.77005458151926(x22)^7)^{(0.002913)} * (238451702.822 + -281638796.1908684(x22)^1 + \\
& 145285248.06904328(x22)^2 + -42753584.32497856(x22)^3 + 7849919.565454891(x22)^4 + - \\
& 920877.073517621(x22)^5 + 67403.83518071883(x22)^6 + -2814.4864100158165(x22)^7 + \\
& 51.329267763638306(x22)^8)^{(0.013551)} * (-2896242987.5 + 3849125180.478653(x22)^1 + - \\
& 2270114602.4219446(x22)^2 + 779816288.3493102(x22)^3 + -171946920.3905515(x22)^4 + \\
& 25237704.054561533(x22)^5 + -2465814.9599667257(x22)^6 + 154644.42358496756(x22)^7 + - \\
& 5649.0583608702855(x22)^8 + 91.57764096991673(x22)^9)^{(-0.025224)} * (35177872015.8 + - \\
& 51954127440.200645(x22)^1 + 34481816742.08023(x22)^2 + -13543286456.296108(x22)^3 + \\
& 3486067084.3705864(x22)^4 + -614469210.3136659(x22)^5 + 75112613.63167652(x22)^6 + - \\
& 6287547.403363571(x22)^7 + 344931.84573736135(x22)^8 + -11198.450512182153(x22)^9 + \\
& 163.38562171260796(x22)^{10})^{(0.006220)} * (-427271704895.0 + 694226631268.9722(x22)^1 + - \\
& 512078680028.1198(x22)^2 + 226352212460.1499(x22)^3 + -66619828730.9424(x22)^4 + \\
& 13708284243.956959(x22)^5 + -2012326449.349003(x22)^6 + 210741811.48066217(x22)^7 + - \\
& 15430051.698191226(x22)^8 + 752247.4509903559(x22)^9 + -21977.333743800842(x22)^{10} + \\
& 291.49977111972885(x22)^{11})^{(0.006170)} * (-3.01353926387 + 1.0029084344599342(x31)^1)^{(0.143562)} * \\
& (32.7169948452 + -16.100849519066138(x31)^1 + 2.011650655821752(x31)^2)^{(-0.021994)} * (-249.581269022 + \\
& 191.85835831015183(x31)^1 + -48.44303335392482(x31)^2 + 4.035002819820987(x31)^3)^{(-0.066299)} * \\
& (1980.71852917 + -2026.5813952775952(x31)^1 + 771.6771137393716(x31)^2 + -129.55713797726696(x31)^3 + \\
& 8.09347672213617(x31)^4)^{(-0.000239)} * (-15639.7748274 + 20046.622465948196(x31)^1 + - \\
& 10210.820905571334(x31)^2 + 2583.7732896495336(x31)^3 + -324.8348660547262(x31)^4 + \\
& 16.23403213747101(x31)^5)^{(-0.014312)} * (123571.009245 + -190261.7613465286(x31)^1 + \\
& 121401.23763494007(x31)^2 + -41091.63077380652(x31)^3 + 7781.95755148756(x31)^4 + - \\
& 781.8711047350749(x31)^5 + 32.56249551192662(x31)^6)^{(0.044222)} * (-976264.393057 + \\
& 1755058.2857237733(x31)^1 + -1345916.6973730277(x31)^2 + 570770.6241201118(x31)^3 + - \\
& 144563.83567672857(x31)^4 + 21869.088454126413(x31)^5 + -1829.6719597317308(x31)^6 + \\
& 65.31440279194992(x31)^7)^{(0.020539)} * (7712989.96473 + -15855938.512838645(x31)^1 + \\
& 14202703.29940426(x31)^2 + -7240191.406111769(x31)^3 + 2297504.6498395707(x31)^4 + - \\
& 464731.59948256233(x31)^5 + 58519.744534428566(x31)^6 + -4194.270721622377(x31)^7 + \\
& 131.00873090352007(x31)^8)^{(0.002708)} * (-60936501.7103 + 140992648.66294384(x31)^1 + - \\
& 144464406.9346089(x31)^2 + 86034836.21074694(x31)^3 + -32820184.46299894(x31)^4 + \\
& 8316941.537980212(x31)^5 + -1400079.3946030852(x31)^6 + 150982.31679826952(x31)^7 + - \\
& 9464.556337027732(x31)^8 + 262.77952242206425(x31)^9)^{(0.024275)} * (481429104.496 + - \\
& 1238130589.2067034(x31)^1 + 1428229868.7085295(x31)^2 + -973137339.3659215(x31)^3 + \\
& 433722819.1155249(x31)^4 + -132127290.87337264(x31)^5 + 27862289.135702863(x31)^6 + - \\
& 4016055.5100387437(x31)^7 + 378684.6061591193(x31)^8 + -21093.51861961407(x31)^9 + \\
& 527.0875988808832(x31)^{10})^{(-0.022915)} * (-5.31078610603 + 1.8281535648994511(x32)^1)^{(0.045013)} * \\
& (80.1520425522 + -46.148344446824793(x32)^1 + 6.684290913709144(x32)^2)^{(-0.017205)} * (-991.712434699 + \\
& 870.0406861301196(x32)^1 + -253.09878136150593(x32)^2 + 24.439820525444762(x32)^3)^{(-0.007361)} * \\
& (12451.4396378 + -14564.794555788374(x32)^1 + 6368.95621873908(x32)^2 + -1233.875838447317(x32)^3 + \\
& 89.35949003818924(x32)^4)^{(0.011350)} * (-156150.410526 + 228483.19677053724(x32)^1 + - \\
& 133386.50422732468(x32)^2 + 38835.87320711337(x32)^3 + -5639.2862817519035(x32)^4 + \\
& 326.7257405418253(x32)^5)^{(0.010388)} * (1958426.86433 + -3440189.8883614694(x32)^1 + \\
& 2512583.1803928213(x32)^2 + -976637.9286890845(x32)^3 + 213083.17963874032(x32)^4 + - \\
& 24742.75516673595(x32)^5 + 1194.609654631902(x32)^6)^{(0.016680)} * (-24562261.0581 +
\end{aligned}$$

$$\begin{aligned}
& 50352728.35334101(x_{32})^1 + -44157754.36260077(x_{32})^2 + 21474646.065467626(x_{32})^3 + - \\
& 6254693.6746031325(x_{32})^4 + 1091063.294275227(x_{32})^5 + -105544.96414817283(x_{32})^6 + \\
& 4367.8597975572275(x_{32})^7 \wedge (-0.005584) * (308055939.394 + -721897580.9849375(x_{32})^1 + \\
& 738932741.912985(x_{32})^2 + -431521470.2270512(x_{32})^3 + 157248886.21779314(x_{32})^4 + - \\
& 36615272.478621975(x_{32})^5 + 5320211.27888182(x_{32})^6 + -441034.06277638156(x_{32})^7 + \\
& 15970.236919770481(x_{32})^8 \wedge (0.005690) * (-3863588008.74 + 10187476843.689968(x_{32})^1 + - \\
& 11921814479.891735(x_{32})^2 + 8126769804.160367(x_{32})^3 + -3556248507.2426653(x_{32})^4 + \\
& 1036001466.1901712(x_{32})^5 + -200920567.69882077(x_{32})^6 + 25014501.842527438(x_{32})^7 + - \\
& 1814125.486740143(x_{32})^8 + 58392.09111433447(x_{32})^9 \wedge (-0.004206) * (48456499125.2 + - \\
& 141986541446.99756(x_{32})^1 + 186981653833.1372(x_{32})^2 + -145730905746.7869(x_{32})^3 + \\
& 74442164829.18274(x_{32})^4 + -26042088817.214745(x_{32})^5 + 6318552790.134283(x_{32})^6 + - \\
& 1049908611.4919784(x_{32})^7 + 114341847.03092083(x_{32})^8 + -7369999.946130988(x_{32})^9 + \\
& 213499.41906520826(x_{32})^{10} \wedge (-0.005802) * (-4.03521126761 + 1.006036217303823(x_{33})^1) \wedge (-0.428044) * \\
& (51.2067050188 + -20.262419587950244(x_{33})^1 + 2.0242177410539703(x_{33})^2) \wedge (0.051095) * (-499.567522373 + \\
& 304.0646178199929(x_{33})^1 + -61.154183867053064(x_{33})^2 + 4.072872718418452(x_{33})^3) \wedge (-0.000309) * \\
& (4991.71975268 + -4048.9748732932285(x_{33})^1 + 1225.6242894512873(x_{33})^2 + -164.06219682643345(x_{33})^3 + \\
& 8.194914926395278(x_{33})^4) \wedge (0.011497) * (-49757.0891419 + 50512.51283391542(x_{33})^1 + - \\
& 20428.231011297783(x_{33})^2 + 4114.147619369282(x_{33})^3 + -412.631279744551(x_{33})^4 + \\
& 16.488762427354686(x_{33})^5) \wedge (0.010253) * (496095.262451 + -604750.2522407618(x_{33})^1 + \\
& 306130.1283171098(x_{33})^2 + -82370.22320808511(x_{33})^3 + 12425.139440185798(x_{33})^4 + - \\
& 996.292828357065(x_{33})^5 + 33.17658436087463(x_{33})^6) \wedge (-0.004978) * (-4946119.75104 + \\
& 7037755.645951524(x_{33})^1 + -4279232.8242561(x_{33})^2 + 1441344.7969954717(x_{33})^3 + - \\
& 290448.6284913119(x_{33})^4 + 35016.88155168314(x_{33})^5 + -2338.7155595236272(x_{33})^6 + \\
& 66.75369086695098(x_{33})^7) \wedge (0.059290) * (49313432.6107 + -80220376.02346255(x_{33})^1 + \\
& 56948026.67521068(x_{33})^2 + -23042707.30841855(x_{33})^3 + 5812605.409039671(x_{33})^4 + - \\
& 936042.1793195023(x_{33})^5 + 93975.17940577774(x_{33})^6 + -5377.902982520558(x_{33})^7 + \\
& 134.31326130171223(x_{33})^8) \wedge (-0.025804) * (-491660971.23 + 900037523.2435844(x_{33})^1 + - \\
& 730620665.632267(x_{33})^2 + 345192008.83247244(x_{33})^3 + -104608540.06499381(x_{33})^4 + \\
& 21086706.491755724(x_{33})^5 + -2827415.7155177807(x_{33})^6 + 243175.86971616157(x_{33})^7 + - \\
& 12173.321640514343(x_{33})^8 + 270.24801066742907(x_{33})^9) \wedge (-0.001111) * (4901920303.81 + - \\
& 9972795269.980133(x_{33})^1 + 9111651479.829985(x_{33})^2 + -4923248378.886333(x_{33})^3 + \\
& 1742190919.455682(x_{33})^4 + -421895961.9579667(x_{33})^5 + 70807276.62727877(x_{33})^6 + - \\
& 8132471.077796494(x_{33})^7 + 611743.643533338(x_{33})^8 + -27215.116567212932(x_{33})^9 + \\
& 543.7585727714871(x_{33})^{10} \wedge (-0.033058) + -843.428
\end{aligned}$$

F<sup>3</sup> в стандартном базисе денормированный:

$$\begin{aligned}
& 1263.32720255 * (-6.21428571429 + 1.4285714285714282(x_{11})^1) \wedge (0.081756) * (104.591836735 + - \\
& 41.224489795918345(x_{11})^1 + 4.081632653061222(x_{11})^2) \wedge (-0.005852) * (-1486.46793003 + \\
& 889.3586005830896(x_{11})^1 + -176.67638483964998(x_{11})^2 + 11.661807580174916(x_{11})^3) \wedge (-0.010006) * \\
& (21359.4454394 + -17040.85797584338(x_{11})^1 + 5086.130778842144(x_{11})^2 + -673.0528946272378(x_{11})^3 + \\
& 33.31945022907118(x_{11})^4) \wedge (0.000721) * (-306683.387696 + 306010.007734872(x_{11})^1 + - \\
& 121897.09049800663(x_{11})^2 + 24231.332183018945(x_{11})^3 + -2403.7603379544203(x_{11})^4 + \\
& 95.19842922591762(x_{11})^5) \wedge (0.003645) * (4403660.14845 + -5274487.504186172(x_{11})^1 + \\
& 2628029.054220601(x_{11})^2 + -697227.8557403791(x_{11})^3 + 103881.88594888165(x_{11})^4 + - \\
& 8241.464015843723(x_{11})^5 + 271.9955120740503(x_{11})^6) \wedge (-0.000674) * (-63231825.1829 + \\
& 88379192.97682074(x_{11})^1 + -52866772.13235972(x_{11})^2 + 17544425.02698702(x_{11})^3 + - \\
& 3488543.0390398493(x_{11})^4 + 415622.74222475244(x_{11})^5 + -27471.54671947907(x_{11})^6 + \\
& 777.1300344972863(x_{11})^7) \wedge (-0.003941) * (907941262.49 + -1450573371.6838248(x_{11})^1 + \\
& 1012675948.7893144(x_{11})^2 + -403491682.1975286(x_{11})^3 + 100357739.18301755(x_{11})^4 + - \\
& 15955866.785340864(x_{11})^5 + 1583596.7277968451(x_{11})^6 + -89703.00969625816(x_{11})^7 + \\
& 2220.371527135103(x_{11})^8) \wedge (-0.005409) * (-13037063517.2 + 23435440202.718193(x_{11})^1 + - \\
& 18703095836.63867(x_{11})^2 + 8697623986.07825(x_{11})^3 + -2597363642.880295(x_{11})^4 + \\
& 516541138.5406006(x_{11})^5 + -68409757.76960887(x_{11})^6 + 5818071.232145354(x_{11})^7 + - \\
& 288331.10259511543(x_{11})^8 + 6343.918648957435(x_{11})^9) \wedge (0.007876) * (187198260930.0 + - \\
& 373938102462.3129(x_{11})^1 + 335804678844.7634(x_{11})^2 + -178528213935.89908(x_{11})^3 + \\
& 62226243354.02765(x_{11})^4 + -14858033826.101307(x_{11})^5 + 2461303304.0639896(x_{11})^6 + - \\
& 279313204.11014056(x_{11})^7 + 20781046.20061768(x_{11})^8 + -915336.8336352868(x_{11})^9 + \\
& 18125.481854164096(x_{11})^{10} \wedge (0.005146) * (0.815649452269 + 0.0625978090766823(x_{12})^1) \wedge (0.066755) * \\
& (0.567970248897 + -0.04615976156014507(x_{12})^1 + 0.007836971402401539(x_{12})^2) \wedge (-0.000423) * \\
& (1.34364039023 + -0.09966688617315292(x_{12})^1 + -0.00866849982350142(x_{12})^2 + \\
& 0.0009811544791739014(x_{12})^3) \wedge (-0.012732) * (1.30532916278 + 0.12592932275130037(x_{12})^1 + - \\
& 0.01711874344533628(x_{12})^2 + -0.0014470109251541229(x_{12})^3 + 0.0001228362415241191(x_{12})^4) \wedge (0.003272) \\
& * (0.543784412973 + 0.09146248019829284(x_{12})^1 + 0.030745998690207606(x_{12})^2 + -
\end{aligned}$$

$$\begin{aligned}
& 0.0025908316335723214(x_{12})^3 + -0.00022644928406167803(x_{12})^4 + 1.5378559189248082e- \\
& 05(x_{12})^5 \wedge (0.000881) * (0.862878023925 + -0.21676783182312154(x_{12})^1 + 0.017233361793459155(x_{12})^2 + \\
& 0.006251517698372035(x_{12})^3 + -0.00036370491032044816(x_{12})^4 + -3.4020549718186366e-05(x_{12})^5 + \\
& 1.9253282240060193e-06(x_{12})^6 \wedge (-0.002455) * (1.50677260982 + -0.02870701370135134(x_{12})^1 + - \\
& 0.06423834076280338(x_{12})^2 + 0.0024434315924772997(x_{12})^3 + 0.0011432103055659978(x_{12})^4 + - \\
& 4.836940631292749e-05(x_{12})^5 + -4.969094377199885e-06(x_{12})^6 + 2.410426571525532e- \\
& 07(x_{12})^7 \wedge (0.001225) * (0.950274359685 + 0.2907978493715803(x_{12})^1 + 0.002857392490748005(x_{12})^2 + - \\
& 0.015194772384149693(x_{12})^3 + 0.0002481089469508627(x_{12})^4 + 0.00019497932369722475(x_{12})^5 + - \\
& 6.148855406738266e-06(x_{12})^6 + -7.109815339610834e-07(x_{12})^7 + 3.0177484463543434e-08(x_{12})^8 \wedge (- \\
& 0.000001) * (0.511561288239 + -0.08473590419715649(x_{12})^1 + 0.09959143353104469(x_{12})^2 + \\
& 0.0035166306500352294(x_{12})^3 + -0.0031370072674339134(x_{12})^4 + 7.5424690562809614e-06(x_{12})^5 + \\
& 3.1646741058898655e-05(x_{12})^6 + -7.487127403103468e-07(x_{12})^7 + -1.0013824421987088e-07(x_{12})^8 + \\
& 3.778088821726877e-09(x_{12})^9 \wedge (0.014296) * (1.22981352841 + -0.32070601511812513(x_{12})^1 + - \\
& 0.050185427037988437(x_{12})^2 + 0.02636659789484652(x_{12})^3 + 0.0013487758170714348(x_{12})^4 + - \\
& 0.0005904998042987471(x_{12})^5 + -4.575048613565411e-06(x_{12})^6 + 4.9490660509078915e-06(x_{12})^7 + - \\
& 8.699195846452337e-08(x_{12})^8 + -1.3929854873221473e-08(x_{12})^9 + 4.730001654744132e- \\
& 10(x_{12})^{10} \wedge (0.001829) * (0.861759425494 + 0.0718132854578097(x_{21})^1 \wedge (-0.483244) * (0.53822091288 + - \\
& 0.03971003935548544(x_{21})^1 + 0.010314295936489724(x_{21})^2 \wedge (0.103946) * (1.2659137871 + - \\
& 0.12715795495311105(x_{21})^1 + -0.008555125175329(x_{21})^2 + 0.0014814069567669263(x_{21})^3 \wedge (-0.022275) * \\
& (1.38825893772 + 0.11305910224784164(x_{21})^1 + -0.026212226132626564(x_{21})^2 + - \\
& 0.001638324390248522(x_{21})^3 + 0.00021276940133097686(x_{21})^4 \wedge (0.000509) * (0.62673993568 + \\
& 0.15166354430990084(x_{21})^1 + 0.032040602741310736(x_{21})^2 + -0.004793213302389642(x_{21})^3 + - \\
& 0.0002941336427735228(x_{21})^4 + 3.055933950893743e-05(x_{21})^5 \wedge (0.035395) * (0.71494043374 + - \\
& 0.2086012763399221(x_{21})^1 + 0.03913651827379393(x_{21})^2 + 0.0075654394133595855(x_{21})^3 + - \\
& 0.0008198797841030571(x_{21})^4 + -5.0694487802977e-05(x_{21})^5 + 4.389133143114892e-06(x_{21})^6 \wedge (-0.089274) \\
& * (1.45207366074 + -0.13493135175059312(x_{21})^1 + -0.07282179829132515(x_{21})^2 + \\
& 0.008322555837840518(x_{21})^3 + 0.0016074130679452243(x_{21})^4 + -0.00013429979122632724(x_{21})^5 + - \\
& 8.494588022042825e-06(x_{21})^6 + 6.303961426376865e-07(x_{21})^7 \wedge (0.001320) * (1.1600697211 + \\
& 0.3108370412025545(x_{21})^1 + -0.03838239116999389(x_{21})^2 + -0.020325614390618918(x_{21})^3 + \\
& 0.0015708005283825485(x_{21})^4 + 0.00031869307538730804(x_{21})^5 + -2.1329558174913074e-05(x_{21})^6 + - \\
& 1.3943411987964626e-06(x_{21})^7 + 9.05416362854846e-08(x_{21})^8 \wedge (0.003724) * (0.503670078852 + \\
& 0.07198103459247376(x_{21})^1 + 0.12807826424533486(x_{21})^2 + -0.008215637844023987(x_{21})^3 + - \\
& 0.004961008099579743(x_{21})^4 + 0.0002717958570449242(x_{21})^5 + 6.01646023666052e-05(x_{21})^6 + - \\
& 3.3083783856868605e-06(x_{21})^7 + -2.2529750070319865e-07(x_{21})^8 + 1.3004184744773372e- \\
& 08(x_{21})^9 \wedge (0.023313) * (0.977156145787 + -0.40202460497116715(x_{21})^1 + 0.013309554677384025(x_{21})^2 + \\
& 0.04099252528398784(x_{21})^3 + -0.0013791592001718466(x_{21})^4 + -0.0011063720878671964(x_{21})^5 + \\
& 4.373228671914419e-05(x_{21})^6 + 1.0950280984656775e-05(x_{21})^7 + -5.034221672489608e-07(x_{21})^8 + - \\
& 3.595411940206641e-08(x_{21})^9 + 1.8677464624450084e-09(x_{21})^{10} \wedge (-0.002702) * (1.50264581621 + \\
& 0.035890205674158515(x_{21})^1 + -0.18949952065109882(x_{21})^2 + -0.0012064169486930877(x_{21})^3 + \\
& 0.011229935459625511(x_{21})^4 + -0.00016398873762337937(x_{21})^5 + -0.000231160184384781(x_{21})^6 + \\
& 6.561950496807845e-06(x_{21})^7 + 1.9372355483313534e-06(x_{21})^8 + -7.536834810563272e-08(x_{21})^9 + - \\
& 5.6803635680104925e-09(x_{21})^{10} + 2.6825801974075527e-10(x_{21})^{11} \wedge (0.001451) * (-5.1141837645 + \\
& 0.8920606601248888(x_{22})^1 \wedge (-0.202298) * (75.2664862121 + -21.816891220324674(x_{22})^1 + \\
& 1.5915444426849048(x_{22})^2 \wedge (-0.027687) * (-901.043704723 + 398.3933249530028(x_{22})^1 + - \\
& 58.38597115162716(x_{22})^2 + 2.8395083723191887(x_{22})^3 \wedge (0.145665) * (10957.2554624 + - \\
& 6459.238512796057(x_{22})^1 + 1423.1555942303848(x_{22})^2 + -138.8902079134753(x_{22})^3 + \\
& 5.0660274260824085(x_{22})^4 \wedge (-0.538919) * (-133074.074831 + 98134.83812743264(x_{22})^1 + - \\
& 28868.548829296407(x_{22})^2 + 4234.643237870938(x_{22})^3 + -309.74622639044463(x_{22})^4 + \\
& 9.03840753984373(x_{22})^5 \wedge (0.235917) * (1616335.66851 + -1430991.7077065432(x_{22})^1 + \\
& 526676.5264814706(x_{22})^2 + -103148.87710995243(x_{22})^3 + 11337.74195393172(x_{22})^4 + - \\
& 663.149815644128(x_{22})^5 + 16.12561559294154(x_{22})^6 \wedge (0.024928) * (-19632058.3016 + \\
& 20284294.837401465(x_{22})^1 + -8964588.40069888(x_{22})^2 + 2196762.556036143(x_{22})^3 + - \\
& 322362.4401468486(x_{22})^4 + 28328.10840843978(x_{22})^5 + -1380.3296787121315(x_{22})^6 + \\
& 28.77005458151926(x_{22})^7 \wedge (0.001060) * (238451702.822 + -281638796.1908684(x_{22})^1 + \\
& 145285248.06904328(x_{22})^2 + -42753584.32497856(x_{22})^3 + 7849919.565454891(x_{22})^4 + - \\
& 920877.073517621(x_{22})^5 + 67403.83518071883(x_{22})^6 + -2814.4864100158165(x_{22})^7 + \\
& 51.329267763638306(x_{22})^8 \wedge (-0.006755) * (-2896242987.5 + 3849125180.478653(x_{22})^1 + - \\
& 2270114602.4219446(x_{22})^2 + 779816288.3493102(x_{22})^3 + -171946920.3905515(x_{22})^4 + \\
& 25237704.054561533(x_{22})^5 + -2465814.9599667257(x_{22})^6 + 154644.42358496756(x_{22})^7 + - \\
& 5649.0583608702855(x_{22})^8 + 91.57764096991673(x_{22})^9 \wedge (0.020759) * (35177872015.8 + - \\
& 51954127440.200645(x_{22})^1 + 34481816742.08023(x_{22})^2 + -13543286456.296108(x_{22})^3 + \\
& 3486067084.3705864(x_{22})^4 + -614469210.3136659(x_{22})^5 + 75112613.63167652(x_{22})^6 + - \\
& 6287547.403363571(x_{22})^7 + 344931.84573736135(x_{22})^8 + -11198.450512182153(x_{22})^9 +
\end{aligned}$$

163.38562171260796(x22)^10)^(-0.001469) \* (-427271704895.0 + 694226631268.9722(x22)^1 + -  
512078680028.1198(x22)^2 + 226352212460.1499(x22)^3 + -66619828730.9424(x22)^4 + -  
13708284243.956959(x22)^5 + -2012326449.349003(x22)^6 + 210741811.48066217(x22)^7 + -  
15430051.698191226(x22)^8 + 752247.4509903559(x22)^9 + -21977.333743800842(x22)^10 +  
291.49977111972885(x22)^11)^(-0.001430) \* (-3.01353926387 + 1.0029084344599342(x31)^1)^(-0.118327) \*  
(32.7169948452 + -16.100849519066138(x31)^1 + 2.011650655821752(x31)^2)^(-0.019822) \* (-249.581269022 +  
191.85835831015183(x31)^1 + -48.44303335392482(x31)^2 + 4.035002819820987(x31)^3)^(-0.070046) \*  
(1980.71852917 + -2026.5813952775952(x31)^1 + 771.6771137393716(x31)^2 + -129.55713797726696(x31)^3 +  
8.09347672213617(x31)^4)^(-0.028371) \* (-15639.7748274 + 20046.622465948196(x31)^1 + -  
10210.820905571334(x31)^2 + 2583.7732896495336(x31)^3 + -324.8348660547262(x31)^4 +  
16.23403213747101(x31)^5)^(-0.004755) \* (123571.009245 + -190261.7613465286(x31)^1 +  
121401.23763494007(x31)^2 + -41091.63077380652(x31)^3 + 7781.95755148756(x31)^4 + -  
781.8711047350749(x31)^5 + 32.56249551192662(x31)^6)^(-0.006138) \* (-976264.393057 +  
1755058.2857237733(x31)^1 + -1345916.6973730277(x31)^2 + 570770.6241201118(x31)^3 + -  
144563.83567672857(x31)^4 + 21869.088454126413(x31)^5 + -1829.6719597317308(x31)^6 +  
65.31440279194992(x31)^7)^(-0.009970) \* (7712989.96473 + -15855938.512838645(x31)^1 +  
14202703.29940426(x31)^2 + -7240191.406111769(x31)^3 + 2297504.6498395707(x31)^4 + -  
464731.59948256233(x31)^5 + 58519.744534428566(x31)^6 + -4194.270721622377(x31)^7 +  
131.00873090352007(x31)^8)^(-0.015564) \* (-60936501.7103 + 140992648.66294384(x31)^1 + -  
144464406.9346089(x31)^2 + 86034836.21074694(x31)^3 + -32820184.46299894(x31)^4 +  
8316941.537980212(x31)^5 + -1400079.3946030852(x31)^6 + 150982.31679826952(x31)^7 + -  
9464.556337027732(x31)^8 + 262.77952242206425(x31)^9)^(-0.011770) \* (481429104.496 + -  
1238130589.2067034(x31)^1 + 1428229868.7085295(x31)^2 + -973137339.3659215(x31)^3 +  
433722819.1155249(x31)^4 + -132127290.87337264(x31)^5 + 27862289.135702863(x31)^6 + -  
4016055.5100387437(x31)^7 + 378684.6061591193(x31)^8 + -21093.51861961407(x31)^9 +  
527.0875988808832(x31)^10)^(-0.011606) \* (-5.31078610603 + 1.8281535648994511(x32)^1)^(-0.000023) \*  
(80.1520425522 + -46.14834446824793(x32)^1 + 6.684290913709144(x32)^2)^(-0.003993) \* (-991.712434699 +  
870.0406861301196(x32)^1 + -253.09878136150593(x32)^2 + 24.439820525444762(x32)^3)^(-0.001234) \*  
(12451.4396378 + -14564.794555788374(x32)^1 + 6368.95621873908(x32)^2 + -1233.875838447317(x32)^3 +  
89.35949003818924(x32)^4)^(-0.000715) \* (-156150.410526 + 228483.19677053724(x32)^1 + -  
133386.50422732468(x32)^2 + 38835.87320711337(x32)^3 + -5639.2862817519035(x32)^4 +  
326.7257405418253(x32)^5)^(-0.002356) \* (1958426.86433 + -3440189.8883614694(x32)^1 +  
2512583.1803928213(x32)^2 + -976637.9286890845(x32)^3 + 213083.17963874032(x32)^4 + -  
24742.75516673595(x32)^5 + 1194.609654631902(x32)^6)^(-0.001476) \* (-24562261.0581 +  
50352728.35334101(x32)^1 + -44157754.36260077(x32)^2 + 21474646.065467626(x32)^3 + -  
6254693.6746031325(x32)^4 + 1091063.294275227(x32)^5 + -105544.96414817283(x32)^6 +  
4367.8597975572275(x32)^7)^(-0.004123) \* (308055939.394 + -721897580.9849375(x32)^1 +  
738932741.912985(x32)^2 + -431521470.2270512(x32)^3 + 157248886.21779314(x32)^4 + -  
36615272.478621975(x32)^5 + 5320211.27888182(x32)^6 + -441034.06277638156(x32)^7 +  
15970.236919770481(x32)^8)^(-0.000193) \* (-3863588008.74 + 10187476843.689968(x32)^1 + -  
11921814479.891735(x32)^2 + 8126769804.160367(x32)^3 + -3556248507.2426653(x32)^4 +  
1036001466.1901712(x32)^5 + -200920567.69882077(x32)^6 + 25014501.842527438(x32)^7 + -  
1814125.486740143(x32)^8 + 58392.09111433447(x32)^9)^(-0.014131) \* (48456499125.2 + -  
141986541446.99756(x32)^1 + 186981653833.1372(x32)^2 + -145730905746.7869(x32)^3 +  
74442164829.18274(x32)^4 + -26042088817.214745(x32)^5 + 6318552790.134283(x32)^6 + -  
1049908611.4919784(x32)^7 + 114341847.03092083(x32)^8 + -7369999.946130988(x32)^9 +  
213499.41906520826(x32)^10)^(-0.008362) \* (-4.03521126761 + 1.006036217303823(x33)^1)^(-0.385227) \*  
(51.2067050188 + -20.262419587950244(x33)^1 + 2.0242177410539703(x33)^2)^(-0.012811) \* (-499.567522373 +  
304.0646178199929(x33)^1 + -61.154183867053064(x33)^2 + 4.072872718418452(x33)^3)^(-0.003223) \*  
(4991.71975268 + -4048.9748732932285(x33)^1 + 1225.6242894512873(x33)^2 + -164.06219682643345(x33)^3 +  
8.194914926395278(x33)^4)^(-0.016474) \* (-49757.0891419 + 50512.51283391542(x33)^1 + -  
20428.231011297783(x33)^2 + 4114.147619369282(x33)^3 + -412.631279744551(x33)^4 +  
16.488762427354686(x33)^5)^(-0.007415) \* (496095.262451 + -604750.2522407618(x33)^1 +  
306130.1283171098(x33)^2 + -82370.22320808511(x33)^3 + 12425.139440185798(x33)^4 + -  
996.292828357065(x33)^5 + 33.17658436087463(x33)^6)^(-0.000375) \* (-4946119.75104 +  
7037755.645951524(x33)^1 + -4279232.8242561(x33)^2 + 1441344.7969954717(x33)^3 + -  
290448.6284913119(x33)^4 + 35016.88155168314(x33)^5 + -2338.7155595236272(x33)^6 +  
66.75369086695098(x33)^7)^(-0.020085) \* (49313432.6107 + -80220376.02346255(x33)^1 +  
56948026.67521068(x33)^2 + -23042707.30841855(x33)^3 + 5812605.409039671(x33)^4 + -  
936042.1793195023(x33)^5 + 93975.17940577774(x33)^6 + -5377.902982520558(x33)^7 +  
134.31326130171223(x33)^8)^(-0.001792) \* (-491660971.23 + 900037523.2435844(x33)^1 + -  
730620665.632267(x33)^2 + 345192008.83247244(x33)^3 + -104608540.06499381(x33)^4 +  
21086706.491755724(x33)^5 + -2827415.7155177807(x33)^6 + 243175.86971616157(x33)^7 + -

$$\begin{aligned}
& 12173.321640514343(x_{33})^8 + 270.24801066742907(x_{33})^9 \wedge (0.002080) * (4901920303.81 + - \\
& 9972795269.980133(x_{33})^1 + 9111651479.829985(x_{33})^2 + -4923248378.886333(x_{33})^3 + \\
& 1742190919.455682(x_{33})^4 + -421895961.9579667(x_{33})^5 + 70807276.62727877(x_{33})^6 + - \\
& 8132471.077796494(x_{33})^7 + 611743.643533338(x_{33})^8 + -27215.116567212932(x_{33})^9 + \\
& 543.7585727714871(x_{33})^{10} \wedge (-0.009694) + -797.648
\end{aligned}$$

F^4 в стандартном базисе денормированный:

$$\begin{aligned}
& 676.998950924 * (-6.21428571429 + 1.4285714285714282(x_{11})^1) \wedge (0.093634) * (104.591836735 + - \\
& 41.224489795918345(x_{11})^1 + 4.081632653061222(x_{11})^2 \wedge (-0.008186) * (-1486.46793003 + \\
& 889.3586005830896(x_{11})^1 + -176.67638483964998(x_{11})^2 + 11.661807580174916(x_{11})^3 \wedge (-0.022259) * \\
& (21359.4454394 + -17040.85797584338(x_{11})^1 + 5086.130778842144(x_{11})^2 + -673.0528946272378(x_{11})^3 + \\
& 33.31945022907118(x_{11})^4 \wedge (0.000932) * (-306683.387696 + 306010.007734872(x_{11})^1 + - \\
& 121897.09049800663(x_{11})^2 + 24231.332183018945(x_{11})^3 + -2403.7603379544203(x_{11})^4 + \\
& 95.19842922591762(x_{11})^5 \wedge (0.007418) * (4403660.14845 + -5274487.504186172(x_{11})^1 + \\
& 2628029.054220601(x_{11})^2 + -697227.8557403791(x_{11})^3 + 103881.88594888165(x_{11})^4 + - \\
& 8241.464015843723(x_{11})^5 + 271.9955120740503(x_{11})^6 \wedge (0.000310) * (-63231825.1829 + \\
& 88379192.97682074(x_{11})^1 + -52866772.13235972(x_{11})^2 + 17544425.02698702(x_{11})^3 + - \\
& 3488543.0390398493(x_{11})^4 + 415622.74222475244(x_{11})^5 + -27471.54671947907(x_{11})^6 + \\
& 777.1300344972863(x_{11})^7 \wedge (-0.013545) * (907941262.49 + -1450573371.6838248(x_{11})^1 + \\
& 1012675948.7893144(x_{11})^2 + -403491682.1975286(x_{11})^3 + 100357739.18301755(x_{11})^4 + - \\
& 15955866.785340864(x_{11})^5 + 1583596.7277968451(x_{11})^6 + -89703.00969625816(x_{11})^7 + \\
& 2220.371527135103(x_{11})^8 \wedge (-0.006550) * (-13037063517.2 + 23435440202.718193(x_{11})^1 + - \\
& 18703095836.63867(x_{11})^2 + 8697623986.07825(x_{11})^3 + -2597363642.880295(x_{11})^4 + \\
& 516541138.5406006(x_{11})^5 + -68409757.76960887(x_{11})^6 + 5818071.232145354(x_{11})^7 + - \\
& 288331.10259511543(x_{11})^8 + 6343.918648957435(x_{11})^9 \wedge (0.017283) * (187198260930.0 + - \\
& 373938102462.3129(x_{11})^1 + 335804678844.7634(x_{11})^2 + -178528213935.89908(x_{11})^3 + \\
& 62226243354.02765(x_{11})^4 + -14858033826.101307(x_{11})^5 + 2461303304.0639896(x_{11})^6 + - \\
& 279313204.11014056(x_{11})^7 + 20781046.20061768(x_{11})^8 + -915336.8336352868(x_{11})^9 + \\
& 18125.481854164096(x_{11})^{10} \wedge (0.006335) * (0.815649452269 + 0.0625978090766823(x_{12})^1 \wedge (0.055565) * \\
& (0.567970248897 + -0.04615976156014507(x_{12})^1 + 0.007836971402401539(x_{12})^2 \wedge (0.001793) * \\
& (1.34364039023 + -0.09966688617315292(x_{12})^1 + -0.00866849982350142(x_{12})^2 + \\
& 0.0009811544791739014(x_{12})^3 \wedge (-0.007377) * (1.30532916278 + 0.12592932275130037(x_{12})^1 + - \\
& 0.01711874344533628(x_{12})^2 + -0.0014470109251541229(x_{12})^3 + 0.0001228362415241191(x_{12})^4 \wedge (0.002915) * \\
& (0.543784412973 + 0.09146248019829284(x_{12})^1 + 0.030745998690207606(x_{12})^2 + - \\
& 0.0025908316335723214(x_{12})^3 + -0.00022644928406167803(x_{12})^4 + 1.5378559189248082e- \\
& 05(x_{12})^5 \wedge (0.000060) * (0.862878023925 + -0.21676783182312154(x_{12})^1 + 0.017233361793459155(x_{12})^2 + \\
& 0.006251517698372035(x_{12})^3 + -0.00036370491032044816(x_{12})^4 + -3.4020549718186366e-05(x_{12})^5 + \\
& 1.9253282240060193e-06(x_{12})^6 \wedge (-0.001300) * (1.50677260982 + -0.02870701370135134(x_{12})^1 + - \\
& 0.06423834076280338(x_{12})^2 + 0.0024434315924772997(x_{12})^3 + 0.0011432103055659978(x_{12})^4 + - \\
& 4.836940631292749e-05(x_{12})^5 + -4.969094377199885e-06(x_{12})^6 + 2.410426571525532e- \\
& 07(x_{12})^7 \wedge (0.002322) * (0.950274359685 + 0.2907978493715803(x_{12})^1 + 0.002857392490748005(x_{12})^2 + - \\
& 0.015194772384149693(x_{12})^3 + 0.0002481089469508627(x_{12})^4 + 0.00019497932369722475(x_{12})^5 + - \\
& 6.148855406738266e-06(x_{12})^6 + -7.109815339610834e-07(x_{12})^7 + 3.0177484463543434e-08(x_{12})^8 \wedge (- \\
& 0.000759) * (0.511561288239 + -0.08473590419715649(x_{12})^1 + 0.09959143353104469(x_{12})^2 + \\
& 0.0035166306500352294(x_{12})^3 + -0.0031370072674339134(x_{12})^4 + 7.5424690562809614e-06(x_{12})^5 + \\
& 3.1646741058898655e-05(x_{12})^6 + -7.487127403103468e-07(x_{12})^7 + -1.0013824421987088e-07(x_{12})^8 + \\
& 3.778088821726877e-09(x_{12})^9 \wedge (0.011160) * (1.22981352841 + -0.32070601511812513(x_{12})^1 + - \\
& 0.050185427037988437(x_{12})^2 + 0.02636659789484652(x_{12})^3 + 0.0013487758170714348(x_{12})^4 + - \\
& 0.0005904998042987471(x_{12})^5 + -4.575048613565411e-06(x_{12})^6 + 4.9490660509078915e-06(x_{12})^7 + - \\
& 8.699195846452337e-08(x_{12})^8 + -1.3929854873221473e-08(x_{12})^9 + 4.730001654744132e-10(x_{12})^{10} \wedge (- \\
& 0.001101) * (0.861759425494 + 0.0718132854578097(x_{21})^1 \wedge (-0.541933) * (0.53822091288 + - \\
& 0.03971003935548544(x_{21})^1 + 0.010314295936489724(x_{21})^2 \wedge (0.108712) * (1.2659137871 + - \\
& 0.12715795495311105(x_{21})^1 + -0.008555125175329(x_{21})^2 + 0.0014814069567669263(x_{21})^3 \wedge (-0.021952) * \\
& (1.38825893772 + 0.11305910224784164(x_{21})^1 + -0.026212226132626564(x_{21})^2 + - \\
& 0.001638324390248522(x_{21})^3 + 0.00021276940133097686(x_{21})^4 \wedge (-0.001340) * (0.62673993568 + \\
& 0.15166354430990084(x_{21})^1 + 0.032040602741310736(x_{21})^2 + -0.004793213302389642(x_{21})^3 + - \\
& 0.0002941336427735228(x_{21})^4 + 3.055933950893743e-05(x_{21})^5 \wedge (0.039063) * (0.71494043374 + - \\
& 0.2086012763399221(x_{21})^1 + 0.03913651827379393(x_{21})^2 + 0.0075654394133595855(x_{21})^3 + - \\
& 0.0008198797841030571(x_{21})^4 + -5.0694487802977e-05(x_{21})^5 + 4.389133143114892e-06(x_{21})^6 \wedge (-0.095113) * \\
& (1.45207366074 + -0.13493135175059312(x_{21})^1 + -0.07282179829132515(x_{21})^2 + \\
& 0.008322555837840518(x_{21})^3 + 0.0016074130679452243(x_{21})^4 + -0.00013429979122632724(x_{21})^5 + - \\
& 8.494588022042825e-06(x_{21})^6 + 6.303961426376865e-07(x_{21})^7 \wedge (0.001854) * (1.1600697211 + \\
& 0.3108370412025545(x_{21})^1 + -0.03838239116999389(x_{21})^2 + -0.020325614390618918(x_{21})^3 +
\end{aligned}$$



$$\begin{aligned}
& 0.0015708005283825485(x21)^4 + 0.00031869307538730804(x21)^5 + -2.1329558174913074e-05(x21)^6 + - \\
& 1.3943411987964626e-06(x21)^7 + 9.05416362854846e-08(x21)^8 \wedge (0.006219) * (0.503670078852 + \\
& 0.07198103459247376(x21)^1 + 0.12807826424533486(x21)^2 + -0.008215637844023987(x21)^3 + - \\
& 0.004961008099579743(x21)^4 + 0.0002717958570449242(x21)^5 + 6.01646023666052e-05(x21)^6 + - \\
& 3.3083783856868605e-06(x21)^7 + -2.2529750070319865e-07(x21)^8 + 1.3004184744773372e- \\
& 08(x21)^9 \wedge (0.023456) * (0.977156145787 + -0.40202460497116715(x21)^1 + 0.013309554677384025(x21)^2 + \\
& 0.04099252528398784(x21)^3 + -0.0013791592001718466(x21)^4 + -0.0011063720878671964(x21)^5 + - \\
& 4.373228671914419e-05(x21)^6 + 1.0950280984656775e-05(x21)^7 + -5.034221672489608e-07(x21)^8 + - \\
& 3.595411940206641e-08(x21)^9 + 1.8677464624450084e-09(x21)^10 \wedge (-0.000944) * (1.50264581621 + \\
& 0.035890205674158515(x21)^1 + -0.18949952065109882(x21)^2 + -0.0012064169486930877(x21)^3 + \\
& 0.011229935459625511(x21)^4 + -0.00016398873762337937(x21)^5 + -0.000231160184384781(x21)^6 + \\
& 6.561950496807845e-06(x21)^7 + 1.9372355483313534e-06(x21)^8 + -7.536834810563272e-08(x21)^9 + - \\
& 5.6803635680104925e-09(x21)^10 + 2.6825801974075527e-10(x21)^11 \wedge (0.001588) * (-5.1141837645 + \\
& 0.8920606601248888(x22)^1 \wedge (-0.276866) * (75.2664862121 + -21.816891220324674(x22)^1 + \\
& 1.5915444426849048(x22)^2 \wedge (-0.041397) * (-901.043704723 + 398.3933249530028(x22)^1 + - \\
& 58.38597115162716(x22)^2 + 2.8395083723191887(x22)^3 \wedge (0.219817) * (10957.2554624 + - \\
& 6459.238512796057(x22)^1 + 1423.1555942303848(x22)^2 + -138.8902079134753(x22)^3 + \\
& 5.0660274260824085(x22)^4 \wedge (-0.705432) * (-133074.074831 + 98134.83812743264(x22)^1 + - \\
& 28868.548829296407(x22)^2 + 4234.643237870938(x22)^3 + -309.74622639044463(x22)^4 + \\
& 9.03840753984373(x22)^5 \wedge (0.292221) * (1616335.66851 + -1430991.7077065432(x22)^1 + \\
& 526676.5264814706(x22)^2 + -103148.87710995243(x22)^3 + 11337.74195393172(x22)^4 + - \\
& 663.149815644128(x22)^5 + 16.12561559294154(x22)^6 \wedge (0.040675) * (-19632058.3016 + \\
& 20284294.837401465(x22)^1 + -8964588.40069888(x22)^2 + 2196762.556036143(x22)^3 + - \\
& 322362.4401468486(x22)^4 + 28328.10840843978(x22)^5 + -1380.3296787121315(x22)^6 + \\
& 28.77005458151926(x22)^7 \wedge (0.000540) * (238451702.822 + -281638796.1908684(x22)^1 + \\
& 145285248.06904328(x22)^2 + -42753584.32497856(x22)^3 + 7849919.565454891(x22)^4 + - \\
& 920877.073517621(x22)^5 + 67403.83518071883(x22)^6 + -2814.4864100158165(x22)^7 + \\
& 51.329267763638306(x22)^8 \wedge (-0.014281) * (-2896242987.5 + 3849125180.478653(x22)^1 + - \\
& 2270114602.4219446(x22)^2 + 779816288.3493102(x22)^3 + -171946920.3905515(x22)^4 + \\
& 25237704.054561533(x22)^5 + -2465814.9599667257(x22)^6 + 154644.42358496756(x22)^7 + - \\
& 5649.0583608702855(x22)^8 + 91.57764096991673(x22)^9 \wedge (0.037082) * (35177872015.8 + - \\
& 51954127440.200645(x22)^1 + 34481816742.08023(x22)^2 + -13543286456.296108(x22)^3 + \\
& 3486067084.3705864(x22)^4 + -614469210.3136659(x22)^5 + 75112613.63167652(x22)^6 + - \\
& 6287547.403363571(x22)^7 + 344931.84573736135(x22)^8 + -11198.450512182153(x22)^9 + \\
& 163.38562171260796(x22)^10 \wedge (-0.005365) * (-427271704895.0 + 694226631268.9722(x22)^1 + - \\
& 512078680028.1198(x22)^2 + 226352212460.1499(x22)^3 + -66619828730.9424(x22)^4 + \\
& 13708284243.956959(x22)^5 + -2012326449.349003(x22)^6 + 210741811.48066217(x22)^7 + - \\
& 15430051.698191226(x22)^8 + 752247.4509903559(x22)^9 + -21977.333743800842(x22)^10 + \\
& 291.49977111972885(x22)^11 \wedge (-0.000374) * (-3.01353926387 + 1.0029084344599342(x31)^1 \wedge (0.240449) * \\
& (32.7169948452 + -16.100849519066138(x31)^1 + 2.011650655821752(x31)^2 \wedge (0.015298) * (-249.581269022 + \\
& 191.85835831015183(x31)^1 + -48.44303335392482(x31)^2 + 4.035002819820987(x31)^3 \wedge (-0.059420) * \\
& (1980.71852917 + -2026.5813952775952(x31)^1 + 771.6771137393716(x31)^2 + -129.55713797726696(x31)^3 + \\
& 8.09347672213617(x31)^4 \wedge (-0.034397) * (-15639.7748274 + 20046.622465948196(x31)^1 + - \\
& 10210.820905571334(x31)^2 + 2583.7732896495336(x31)^3 + -324.8348660547262(x31)^4 + \\
& 16.23403213747101(x31)^5 \wedge (-0.036251) * (123571.009245 + -190261.7613465286(x31)^1 + \\
& 121401.23763494007(x31)^2 + -41091.63077380652(x31)^3 + 7781.95755148756(x31)^4 + - \\
& 781.8711047350749(x31)^5 + 32.56249551192662(x31)^6 \wedge (-0.016731) * (-976264.393057 + \\
& 1755058.2857237733(x31)^1 + -1345916.6973730277(x31)^2 + 570770.6241201118(x31)^3 + - \\
& 144563.83567672857(x31)^4 + 21869.088454126413(x31)^5 + -1829.6719597317308(x31)^6 + \\
& 65.31440279194992(x31)^7 \wedge (0.015489) * (7712989.96473 + -15855938.512838645(x31)^1 + \\
& 14202703.29940426(x31)^2 + -7240191.406111769(x31)^3 + 2297504.6498395707(x31)^4 + - \\
& 464731.59948256233(x31)^5 + 58519.744534428566(x31)^6 + -4194.270721622377(x31)^7 + \\
& 131.00873090352007(x31)^8 \wedge (-0.040796) * (-60936501.7103 + 140992648.66294384(x31)^1 + - \\
& 144464406.9346089(x31)^2 + 86034836.21074694(x31)^3 + -32820184.46299894(x31)^4 + \\
& 8316941.537980212(x31)^5 + -1400079.3946030852(x31)^6 + 150982.31679826952(x31)^7 + - \\
& 9464.556337027732(x31)^8 + 262.77952242206425(x31)^9 \wedge (0.004393) * (481429104.496 + - \\
& 1238130589.2067034(x31)^1 + 1428229868.7085295(x31)^2 + -973137339.3659215(x31)^3 + \\
& 433722819.1155249(x31)^4 + -132127290.87337264(x31)^5 + 27862289.135702863(x31)^6 + - \\
& 4016055.5100387437(x31)^7 + 378684.6061591193(x31)^8 + -21093.51861961407(x31)^9 + \\
& 527.0875988808832(x31)^10 \wedge (0.003909) * (-5.31078610603 + 1.8281535648994511(x32)^1 \wedge (0.045813) * \\
& (80.1520425522 + -46.14834446824793(x32)^1 + 6.684290913709144(x32)^2 \wedge (0.012996) * (-991.712434699 + \\
& 870.0406861301196(x32)^1 + -253.09878136150593(x32)^2 + 24.439820525444762(x32)^3 \wedge (0.004288) * \\
& (12451.4396378 + -14564.794555788374(x32)^1 + 6368.95621873908(x32)^2 + -1233.875838447317(x32)^3 +
\end{aligned}$$

$89.35949003818924(x32)^4 \wedge (-0.009615) * (-156150.410526 + 228483.19677053724(x32)^1 +$   
 $133386.50422732468(x32)^2 + 38835.87320711337(x32)^3 + -5639.2862817519035(x32)^4 +$   
 $326.7257405418253(x32)^5 \wedge (-0.010830) * (1958426.86433 + -3440189.8883614694(x32)^1 +$   
 $2512583.1803928213(x32)^2 + -976637.9286890845(x32)^3 + 213083.17963874032(x32)^4 +$   
 $24742.75516673595(x32)^5 + 1194.609654631902(x32)^6 \wedge (0.000988) * (-24562261.0581 +$   
 $50352728.35334101(x32)^1 + -44157754.36260077(x32)^2 + 21474646.065467626(x32)^3 +$   
 $6254693.6746031325(x32)^4 + 1091063.294275227(x32)^5 + -105544.96414817283(x32)^6 +$   
 $4367.8597975572275(x32)^7 \wedge (0.003079) * (308055939.394 + -721897580.9849375(x32)^1 +$   
 $738932741.912985(x32)^2 + -431521470.2270512(x32)^3 + 157248886.21779314(x32)^4 +$   
 $36615272.478621975(x32)^5 + 5320211.27888182(x32)^6 + -441034.06277638156(x32)^7 +$   
 $15970.236919770481(x32)^8 \wedge (0.001848) * (-3863588008.74 + 10187476843.689968(x32)^1 +$   
 $11921814479.891735(x32)^2 + 8126769804.160367(x32)^3 + -3556248507.2426653(x32)^4 +$   
 $1036001466.1901712(x32)^5 + -200920567.69882077(x32)^6 + 25014501.842527438(x32)^7 +$   
 $1814125.486740143(x32)^8 + 58392.09111433447(x32)^9 \wedge (-0.013000) * (48456499125.2 +$   
 $141986541446.99756(x32)^1 + 186981653833.1372(x32)^2 + -145730905746.7869(x32)^3 +$   
 $74442164829.18274(x32)^4 + -26042088817.214745(x32)^5 + 6318552790.134283(x32)^6 +$   
 $1049908611.4919784(x32)^7 + 114341847.03092083(x32)^8 + -7369999.946130988(x32)^9 +$   
 $213499.41906520826(x32)^{10} \wedge (-0.004971) * (-4.03521126761 + 1.006036217303823(x33)^1 \wedge (-0.678133) *$   
 $(51.2067050188 + -20.262419587950244(x33)^1 + 2.0242177410539703(x33)^2 \wedge (0.022247) * (-499.567522373 +$   
 $304.0646178199929(x33)^1 + -61.154183867053064(x33)^2 + 4.072872718418452(x33)^3 \wedge (-0.011152) *$   
 $(4991.71975268 + -4048.9748732932285(x33)^1 + 1225.6242894512873(x33)^2 + -164.06219682643345(x33)^3 +$   
 $8.194914926395278(x33)^4 \wedge (-0.025330) * (-49757.0891419 + 50512.51283391542(x33)^1 +$   
 $20428.231011297783(x33)^2 + 4114.147619369282(x33)^3 + -412.631279744551(x33)^4 +$   
 $16.488762427354686(x33)^5 \wedge (-0.025697) * (496095.262451 + -604750.2522407618(x33)^1 +$   
 $306130.1283171098(x33)^2 + -82370.22320808511(x33)^3 + 12425.139440185798(x33)^4 +$   
 $996.292828357065(x33)^5 + 33.17658436087463(x33)^6 \wedge (0.005021) * (-4946119.75104 +$   
 $7037755.645951524(x33)^1 + -4279232.8242561(x33)^2 + 1441344.7969954717(x33)^3 +$   
 $290448.6284913119(x33)^4 + 35016.88155168314(x33)^5 + -2338.7155595236272(x33)^6 +$   
 $66.75369086695098(x33)^7 \wedge (-0.075427) * (49313432.6107 + -80220376.02346255(x33)^1 +$   
 $56948026.67521068(x33)^2 + -23042707.30841855(x33)^3 + 5812605.409039671(x33)^4 +$   
 $936042.1793195023(x33)^5 + 93975.17940577774(x33)^6 + -5377.902982520558(x33)^7 +$   
 $134.31326130171223(x33)^8 \wedge (0.024123) * (-491660971.23 + 900037523.2435844(x33)^1 +$   
 $730620665.632267(x33)^2 + 345192008.83247244(x33)^3 + -104608540.06499381(x33)^4 +$   
 $21086706.491755724(x33)^5 + -2827415.7155177807(x33)^6 + 243175.86971616157(x33)^7 +$   
 $12173.321640514343(x33)^8 + 270.24801066742907(x33)^9 \wedge (0.000656) * (4901920303.81 +$   
 $9972795269.980133(x33)^1 + 9111651479.829985(x33)^2 + -4923248378.886333(x33)^3 +$   
 $1742190919.455682(x33)^4 + -421895961.9579667(x33)^5 + 70807276.62727877(x33)^6 +$   
 $8132471.077796494(x33)^7 + 611743.643533338(x33)^8 + -27215.116567212932(x33)^9 +$   
 $543.7585727714871(x33)^{10} \wedge (-0.022389) + -325.954$

## Обзор литературы:

1) *Recovering time-varying networks of dependencies in social and biological studies. Published online before print July 1, 2009, doi: 10.1073/pnas.0901910106 ,PNAS July 21, 2009 vol. 106 no. 29 11878-11883*

Эта работа описывает некоторые методы возобновления зависимостей между переменными как в биологических, так и социальных системах. Хотя есть большое количество литературы на данную тематику, эта статья рассматривает системы в нединамическом контексте. В работе применяются сетод машинного обучения TESLA.

2) *Яремко Н.Н. Проблема восстановления функциональных зависимостей в задачах интерпретации косвенных результатов наблюдения. // Проблемы информатики в образовании, управлении, экономике и технике: Сб. статей XI*

*Международ. научно-техн. конф. – Пенза: ПДЗ, 2011.*

Даная работа предлагает стохастический вариант задачи восстановления функциональных зависимостей в классе сплайнов с точками сопряжения.