

# Store Sales – Time Series Forecasting

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**Abstract**—We study the usage of machine-learning models for sales predictive analytics. The main goal of this paper is to consider main approaches and case studies of using machine learning for sales forecasting. The effect of machine-learning generalization has been considered. This effect can be used to make sales predictions when there is a small amount of historical data for specific sales time series in the case when a new product or store is launched. A stacking approach for building regression ensemble of single models has been studied. The results show that using stacking techniques, we can improve the performance of predictive models for sales time series forecasting. (*Abstract*)

**Keywords**—Machine learning, Forecasting, Time Series, Sales, Holidays events, Oil, Stores

## I. INTRODUCTION

Sales prediction is an important part of modern business intelligence. It can be a complex problem, especially in the case of lack of data, missing data, and the presence of outliers. Sales can be considered as a time series. At present time, different time series models have been developed, for example, by Holt-Winters, ARIMA, SARIMA, SARIMAX, GARCH, etc. We need to have historical data for a long time period to capture seasonality. However, often we do not have historical data for a target variable, for example in case when a new product is launched. At the same time, we have sales time series for a similar product and we can expect that our new product will have a similar sales pattern. Sales data can have a lot of outliers and missing data. We must clean outliers and interpolate data before using a time series approach. We need to take into account a lot of exogenous factors which have impact on sales. In this case, we study the usage of machine-learning models for sales time series forecasting. We will consider a single model, the effect of machine-learning generalization and stacking of multiple models.

## II. LITERATURE REVIEW

Modern time series forecasting methods are essentially rooted in the idea that the past tells us something about the future. Of course, the question of how exactly we are to go about interpreting the information encoded in past events, and furthermore, how we are to extrapolate future events based on this information, constitute the main subject matter of time series analysis.

Typically, the approach to forecasting time series is to first specify a model, although this need not be so. This model is a statistical formulation of the dynamic relationships between that which we observe and those variables we believe are related to that which we observe.

The “classical” approach to time series forecasting derives from regression analysis. The standard regression model involves specifying a linear parametric relationship between a set of explanatory variables and the dependent.

## III. IMPLEMENTATION

Here, in this project they have provided us some datasets, which are train.csv, test.csv, sample\_submission.csv, store.csv, oil.csv, holiday\_events.csv.

We will use these datasets to predict the sales using time-series forecasting.

### A. Fetching dataset

First of all, we have to fetch or read all the data to perform all the other operations like, training, testing, model building, etc.

### B. Training data

Training data is an extremely large dataset that is used to teach a machine learning model. Training data is used to teach prediction models that use machine learning algorithms how to extract features that are relevant to specific business goals.

### C. Calendar Engineering

Dates and times are rich sources of information that can be used with machine learning models. However, these datetime variables do require some feature engineering to turn them into numerical data.

Here we have made date in calendar function from beginning of train until last date of test. We also have concatenated with oil price.

### D. Correlations

Correlation explains how one or more variables are related to each other. These variables can be input data features which have been used to forecast our target variable.

- We have found the correlations between calendar and average oil price.
- Then We have fetched the holiday dataset and created the future engineering for holiday. To predict the sales on holiday as well as on the regular days.
- We have also found the correlations between things which sale on holidays and working days as well as the effect of oil price on the sales.

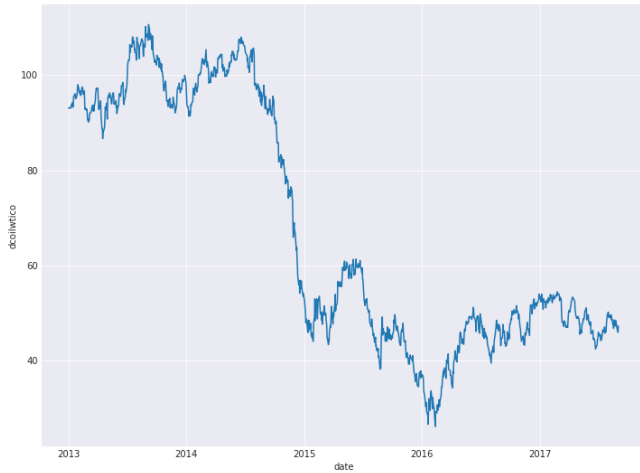


Figure 1 Oil price Plot

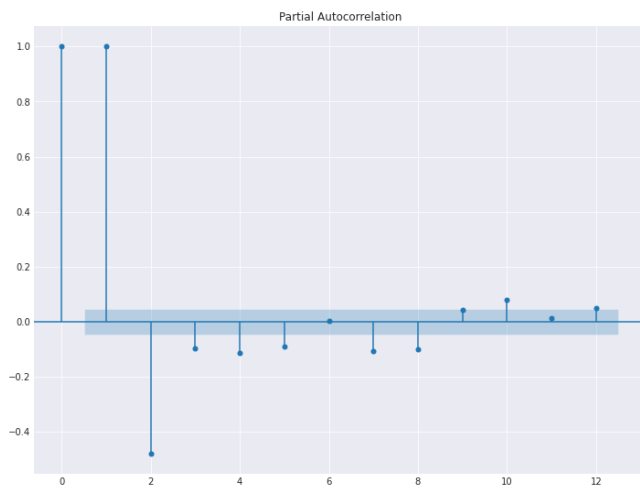


Figure 2 Lag Plot

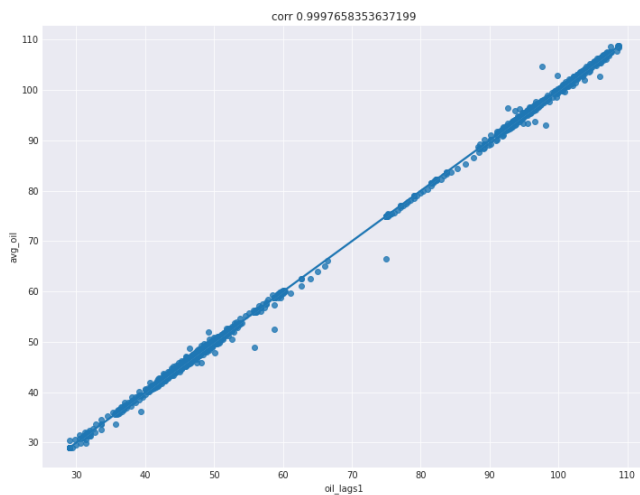


Figure 3 Correlation Plot between Avg vs lag1 oil

## Visualization of products

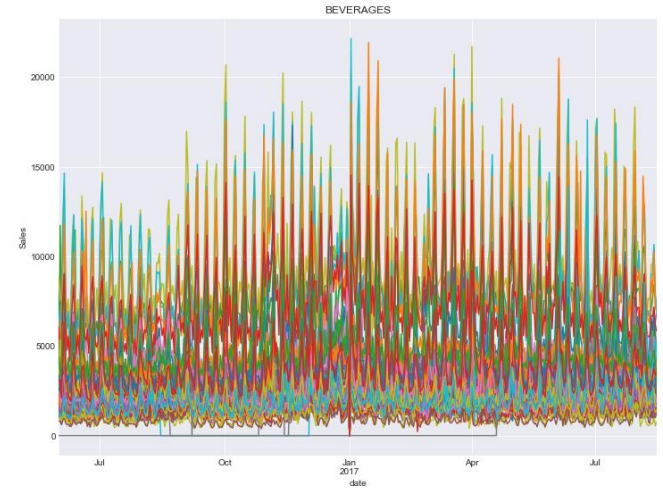


Figure 4 Store Beverages sales

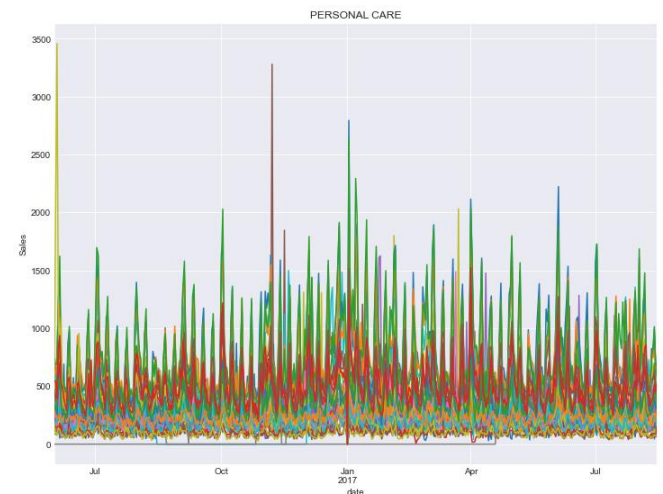


Figure 5 Store Personal Care Sales

## E. Feature Engineering

Feature engineering is the process of selecting, manipulating, and transforming raw data into features that can be used in supervised learning. In order to make machine learning work well on new tasks, it might be necessary to design and train better features.

Here, we have fetched the holiday dataset and joined the calendar with the holiday dataset. Then we have transformed our categorical data into the numerical format by implementing the one-hot encoding method. Then the algorithm will check if any of the holidays are overlapping based on the calendar and drop them. Then we have performed the deterministic process by Fourier transform.

## F. Machine learning models

In Multiple Linear Regression, the target variable(Y) is a linear combination of multiple predictor variables  $x_1, x_2, x_3, \dots, x_n$ .

$$\hat{Y} = b_0 + b_1X_1 + b_2X_2 + \dots + b_pX_p$$

Where, Y= Output/Response variable.  $b_0, b_1, b_2, b_3, \dots, b_n$ ...= Coefficients of the model.  $x_1, x_2, x_3, x_4, \dots$ = Various Independent/feature variable

Support Vector Regression is similar to Linear Regression in that the equation of the line is  $y = wx + b$ . In SVR, this straight line is referred to as hyperplane.

#### G. Root mean squared error

The root-mean-square deviation or root-mean-square error is a frequently used measure of the differences between values predicted by a model or an estimator and the values observed.

#### IV. RESULTS



Figure 6 linear and SVR Regression plot for Book sales

Table 2 Final output

Id	sales
3000888	4.10121
3000889	0
3000890	4.555177
3000891	2262.699
3000892	0.083691
3000893	376.8196
3000894	13.12506
3000895	735.4487

Table 1 Sales prediction

Store No.	Categories	Sales
1	AUTOMOTIVE	4.101209915
1	BABY CARE	0
1	BEAUTY	4.555176899
1	BEVERAGES	2262.699439
1	BOOKS	0.083691179
1	BREAD/BAKERY	376.8196113
1	CELEBRATION	13.12506081
1	CLEANING	735.4486687
1	DAIRY	753.1388008
1	DELI	131.5335143

Table 3 Root mean squared error

Categories	Root Mean Squared Logarithmic Error
BOOKS	0.3455
BABY CARE	0.4857
BEVERAGES	0.4296
DAIRY	0.3935
HOME CARE	0.4530
MEATS	0.4452
PERSONAL CARE	0.4742
PRODUCE	0.4002

RMSLE: 0.5956418338066279

## CONCLUSION

In this project, we considered different types of machine-learning approaches for time series forecasting. Sales prediction is rather a regression problem than a time series problem. The use of regression approaches for sales forecasting can often give us better results compared to time series methods. One of the main assumptions of regression methods is that the patterns in the historical data will be repeated in future. Using stacking makes it possible to take into account the differences in the results for multiple models with different sets of parameters and improve accuracy on the validation and on the out-of-sample data sets.

Here, we are also trying to find the difference between predicted values by our model and the observed values. So, we find the root mean squared error in linear regression and support vector regression. RSME for linear regression is 0.3958433835879891, for SVR it is 0.46274117207951615, and the average RSME is 0.3846102422210306.

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